

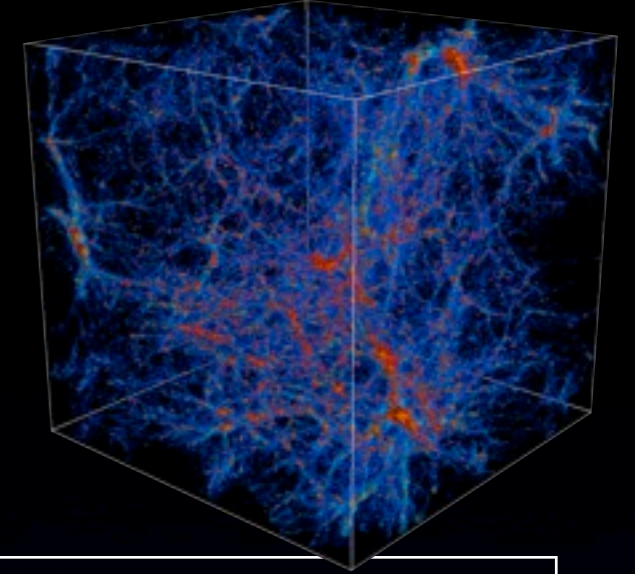
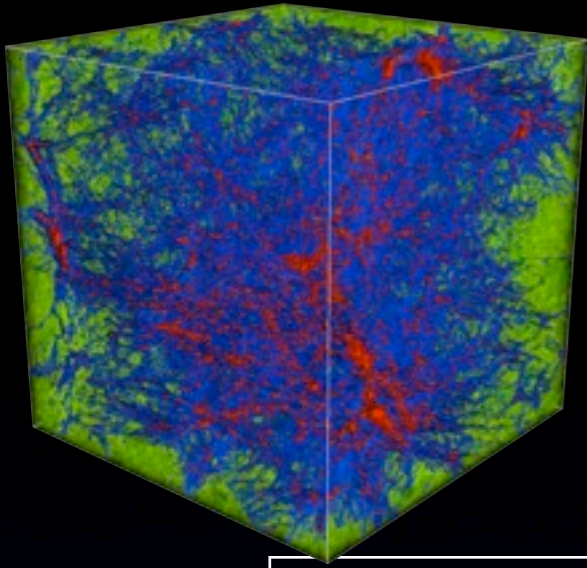
BH Accretion, FB Efficiencies & Thermal Instability: a step to modeling AGN feedback (FB)

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Paramita Barai (Trieste / UNLV)
Amit Kashi (UNLV)

Relevant papers:

Kurosawa, Proga, KN, 2009, *ApJ*, 707, 823
Barai, Proga, KN, 2011, *MNRAS*, 418, 591 (Paper I)
Barai, Proga, KN, 2012, *MNRAS*, 424, 728 (Paper II)
Moscibrodzka & Proga, 2013, *ApJ*, 767, 156
Kashi, Proga, KN, Barth, Greene 2013, arXiv:1306.1090



Outline

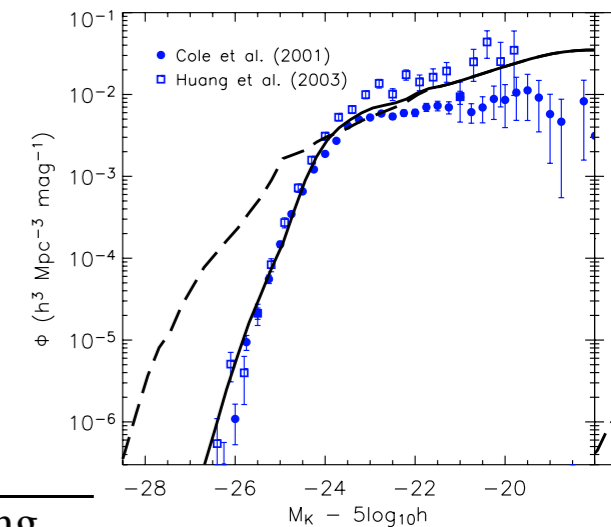
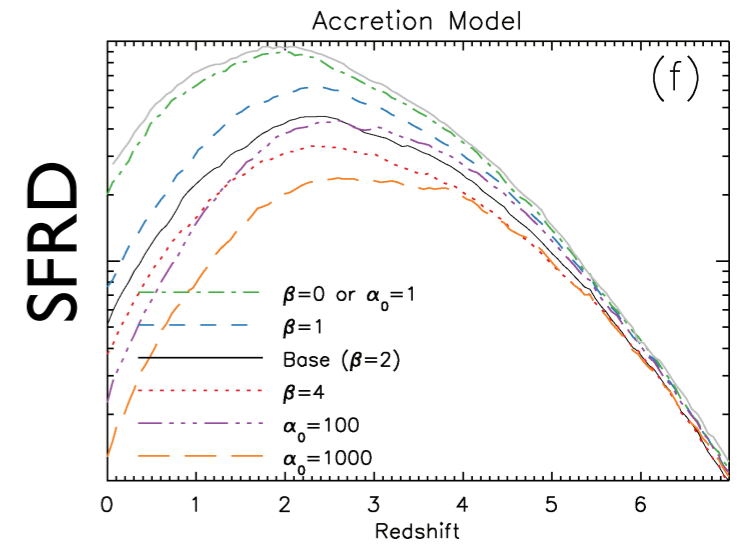
- **Motivation:** understand AGN feedback on small-scales and link to large-scales
- **AGN feedback (FB) efficiencies**
- **Simulations:** Bondi accretion (both SPH & Grid)
- **Understanding Thermal Instability**
- **Implications for AGN feedback**

Kurosawa, Proga, KN, 2009, ApJ, 707, 823
Barai, Proga, KN, 2011, MNRAS, 418, 591 (Paper I)
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Many Signs of AGN Feedback (FB) in Galaxy Formation

Booth & Schaye '09

- AGN FB is considered to regulate star formation (quenching) in massive galaxies, causing the decline of cosmic SFRD at $z \lesssim 1$.
- Maybe it suppresses the massive-end of galaxy stellar mass func.
- Galaxy clusters show signs of central heating.



Croton+ '06

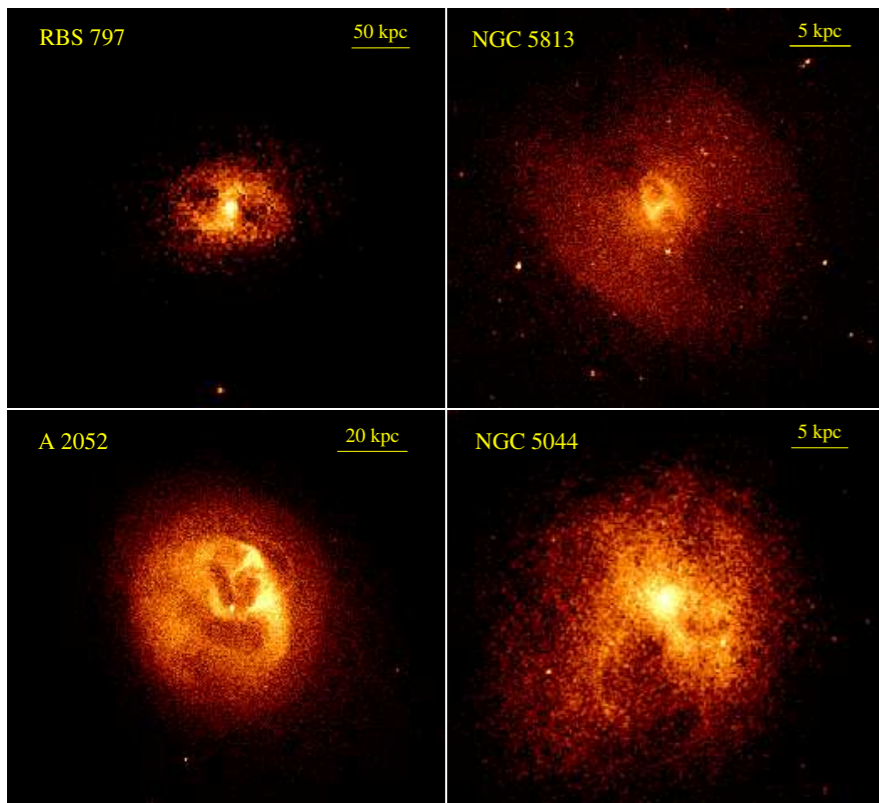


Table 1: Observational Evidence for AGN Feedback

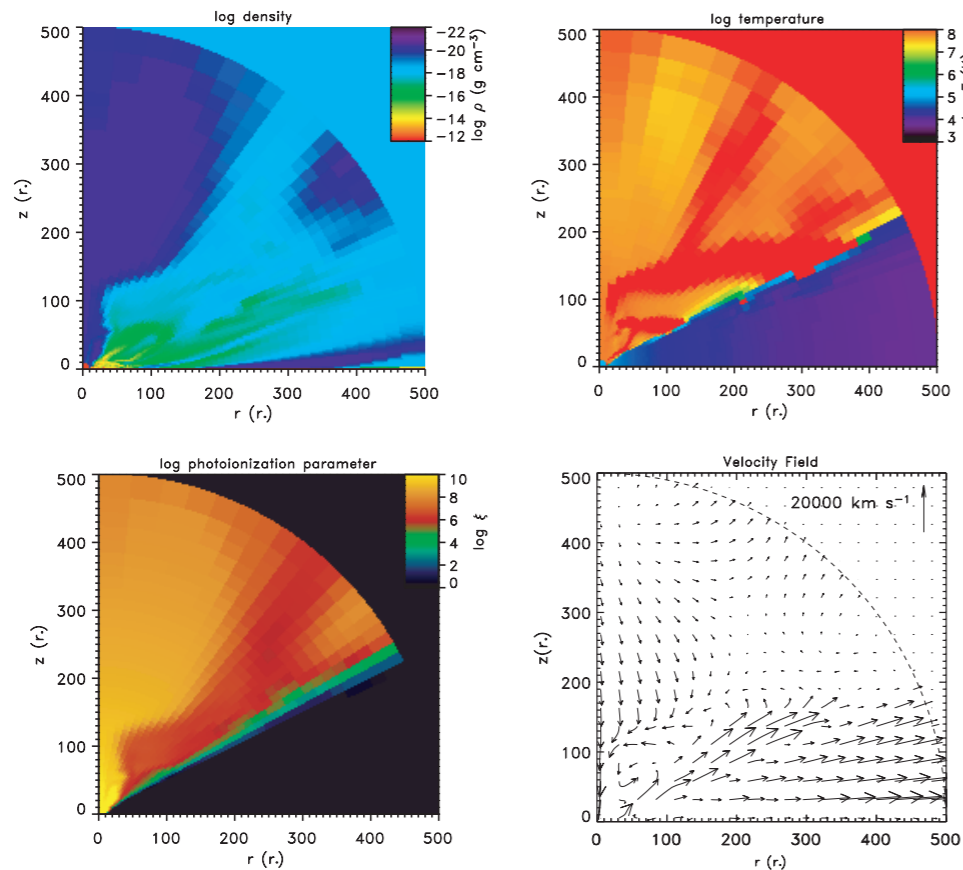
High velocity broad absorption lines in quasars	strong
Strong winds in AGN	strong
1000 km/s galactic outflows	strong
Bubbles and ripples in BCGs	strong
Giant radio galaxies	strong
Lack of high SFR in cool cluster cores	indirect
$M - \sigma$ relation	indirect
Red and dead galaxies	indirect
Lack of high lambda, moderate N_H , quasars	indirect
Steep $L - T$ relation in low T clusters and groups	indirect

Fabian+ '12

Bridging the Gap btw Large & Small Scale

Small-scale sims

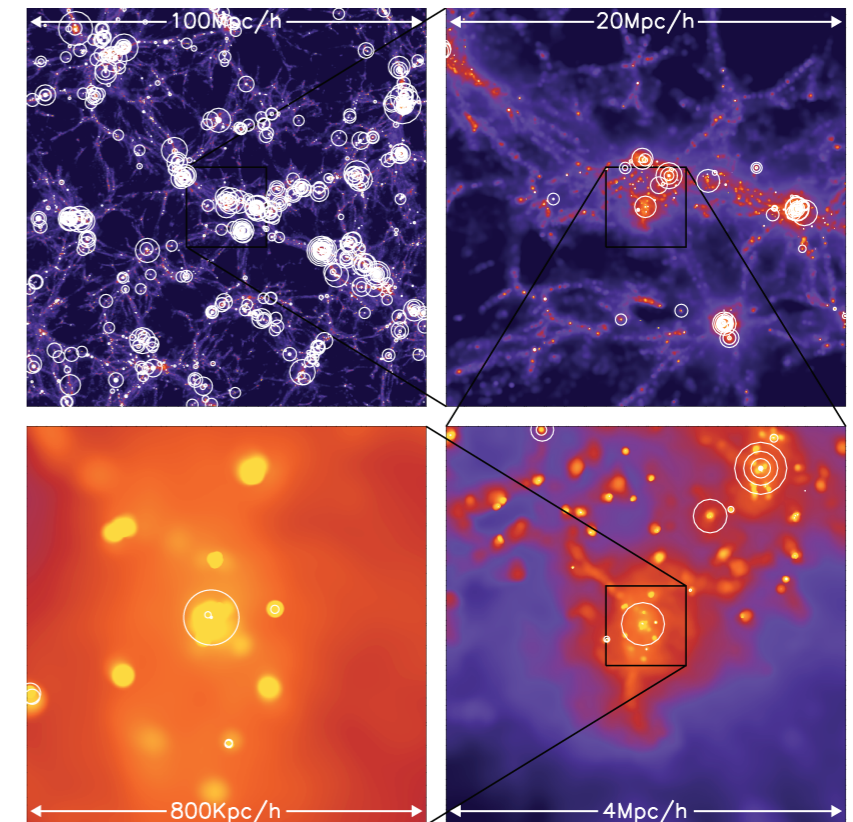
(\approx pc)



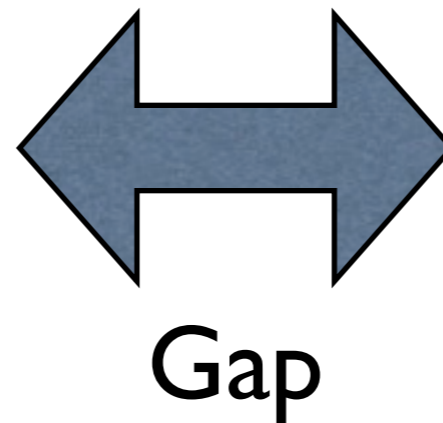
(Proga, Stone, Ciotti, Novak, Ohsuga, Park & Ricotti, ...)

Cosmological sims

(\sim kpc - 100 Mpc)



(Di Matteo, Booth & Schaye, Bellovary, Dubois, ...)



- Still a large gap btw **small-scale** sims & **cosmological** sims.
- Cosmo. sims use ad-hoc BH accretion models as “sub-grid” physics.

Assumptions in Cosmo. Sims.

Bondi-Hoyle-Lyttleton
mass accretion rate

$$\dot{m}_a = \alpha \frac{4\pi G M_{\text{BH}}^2 \rho}{(c_s^2 + v^2)^{3/2}} \quad \& \quad \alpha \sim 100$$

Radiative output from
accretion

$$L_a = \epsilon_r c^2 \dot{M}_a,$$

(cf. Angles-Alcazar's talk yesterday
for an alternative)

radiative efficiency ϵ_r
(rest-mass energy conversion)

$$\epsilon_r \approx 10^{-1}$$

Shakura & Sunyaev '73

Feedback efficiency ϵ_f

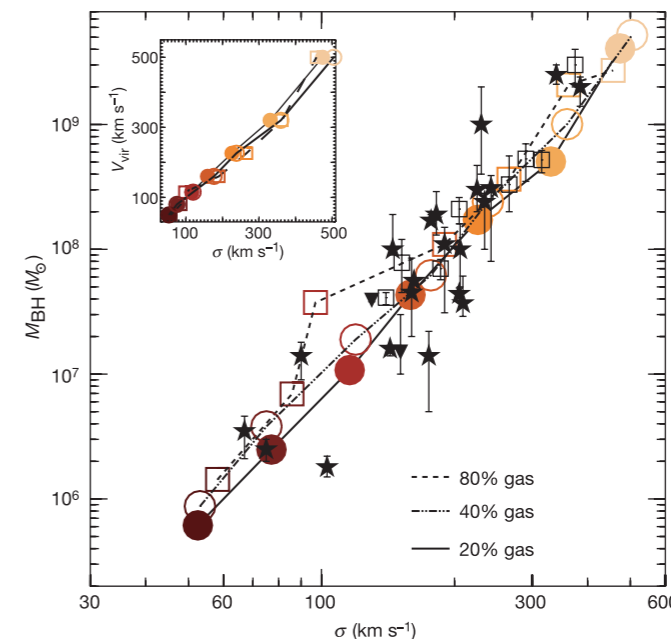
$$\dot{E}_f = \epsilon_f L_a = \epsilon_f \epsilon_r \dot{M}_a c^2$$

Requirement
from $M_{\text{BH}}-\sigma$
rel.

$\epsilon_f = 0.05$ Springel, Di Matteo, Hernquist '05

$\epsilon_f = 0.15$ Booth & Schaye '09; Dubois+ '12

$\epsilon_f \sim 10^{-3}$ Bellovary+ '10



Di Matteo+ '05

FB Efficiency in small scale sim

THE ASTROPHYSICAL JOURNAL, 707:823–832, 2009 December 10

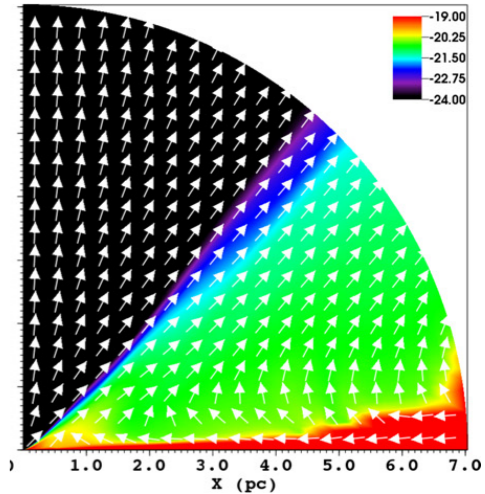
ON THE FEEDBACK EFFICIENCY OF ACTIVE GALACTIC NUCLEI

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Using grid-based ZEUS code:

Total energy FB efficiency:

$$\epsilon_t = (P_k + P_{th})/L_a \longrightarrow$$

kinetic energy FB efficiency

$$\epsilon_k = P_k/L_a$$

thermal energy FB efficiency

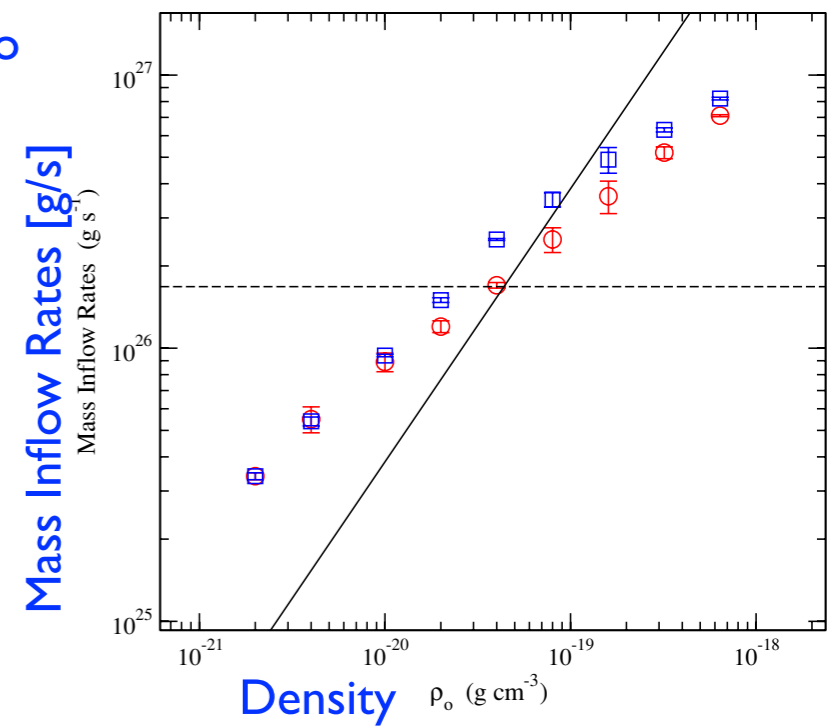
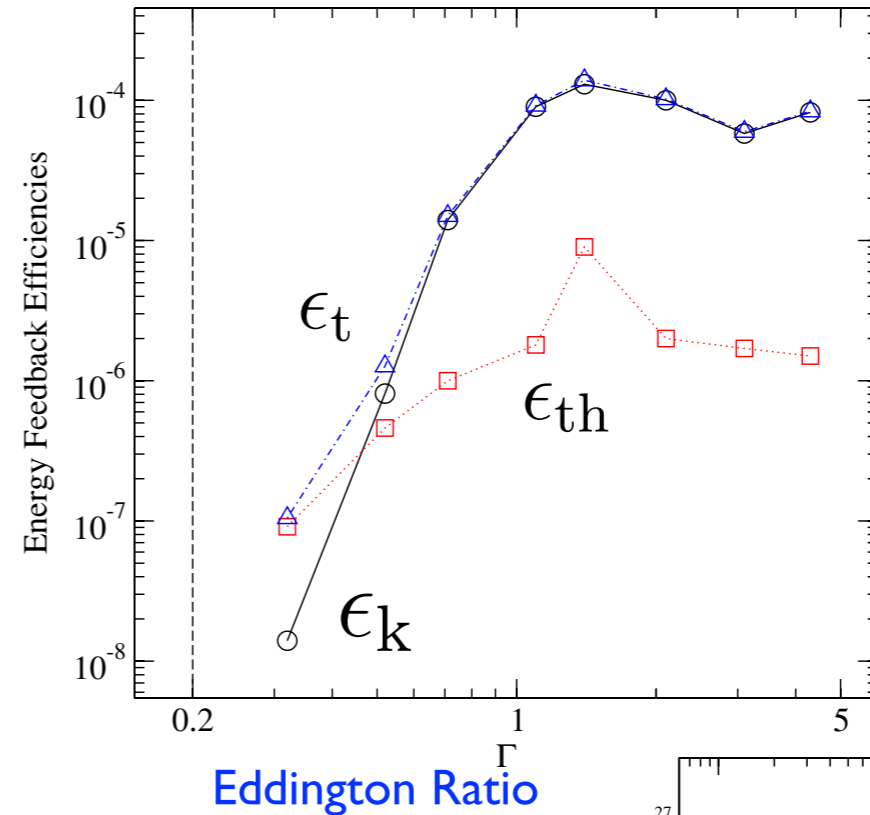
$$\epsilon_{th} = P_{th}/L_a$$

momentum FB efficiency

$$\epsilon_p = p_w/(L_a/c)$$

mass FB efficiency

$$\epsilon_m = \dot{M}_{out}/\dot{M}_{in}$$



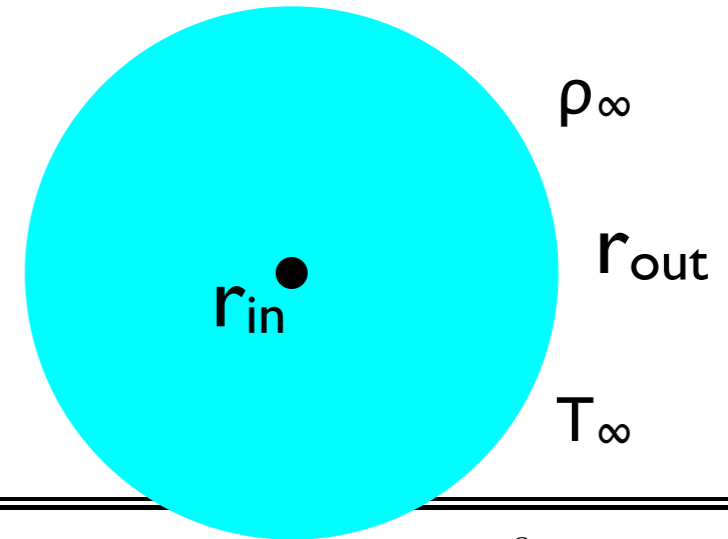
Taking Simple Steps

- First, check the code (Gadget SPH): the simplest case -- spherical Bondi accretion
- Include radiative cooling / heating -- only thermal feedback by X-rays
- Emergence of non-spherical accretion inflow/outflow, fragmentation due to thermal instability

Our goal is to test the simplest possible setup and see how the accretion flow reacts.

Simplest Case: Spherical Bondi Accretion Flow onto a SMBH

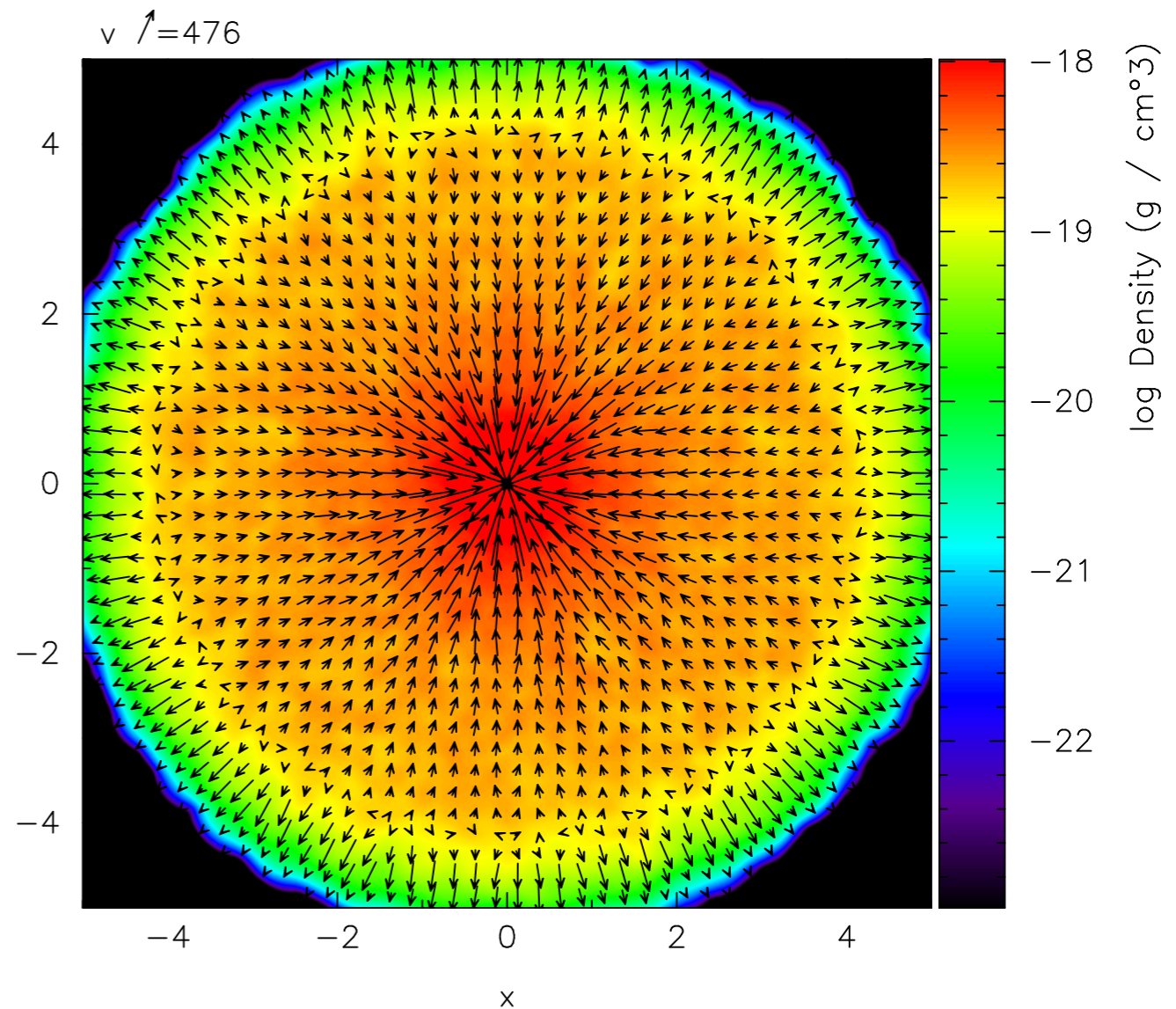
- GADGET-3 SPH (Springel '05)
- Central SMBH $10^8 M_{\odot}$ represented by a pseudo-Newtonian Paczynsky & Wiita '80 potential
- $r_{\text{out}}=5-20 \text{ pc}$, $N_{\text{ptcl}}=64^3-128^3$
- IC: uniform/spherical Bondi flow w/ $\gamma=1.01$, $\rho_{\infty}=10^{-19} \text{ g/cm}^3$, $T_{\infty}=10^7 \text{ K}$, $T_{\text{init}}=T_{\infty}$
- $R_B=3 \text{ pc}$, $R_{\text{sonic}}=1.5 \text{ pc}$, $t_B=7.9 \text{ e3yr}$
- All runs: $r_{\text{in}}=0.1 \text{ pc}$, $\gamma=1.01$
- DM halo potential is minimal



Run No.	r_{out} [pc]	N^b	IC	$M_{\text{tot,IC}}^c$ [M_{\odot}]	M_{part}^d [M_{\odot}]	t_{end}^e [10^4 yr]
1	5	64^3	Uniform ⁱ	3.96×10^5	1.51	3
2	10	64^3	Uniform	6.19×10^6	23.61	7.2
3	50	128^3	Uniform	7.73×10^8	368.60	20
4	5	64^3	Bondi ^j	1.81×10^6	6.89	2
5	10	64^3	Bondi	9.76×10^6	37.23	8
6	10	128^3	Bondi	9.76×10^6	4.65	8
7	20	128^3	Bondi	6.24×10^7	29.75	8
7a ^k	20	128^3	Bondi	6.24×10^7	29.75	80
7b ^l	20	128^3	Bondi	6.24×10^7	29.75	100
8	50	128^3	Bondi	8.48×10^8	404.35	16
9	20	128^3	$\rho_B, v_{\text{init}} = 0$	6.24×10^7	29.75	8
10	20	128^3	Uniform	4.95×10^7	23.60	8
11	20	128^3	Hernquist ^m	6.24×10^7	29.75	7.2
12 ⁿ	20	128^3	Bondi	6.24×10^7	29.75	8

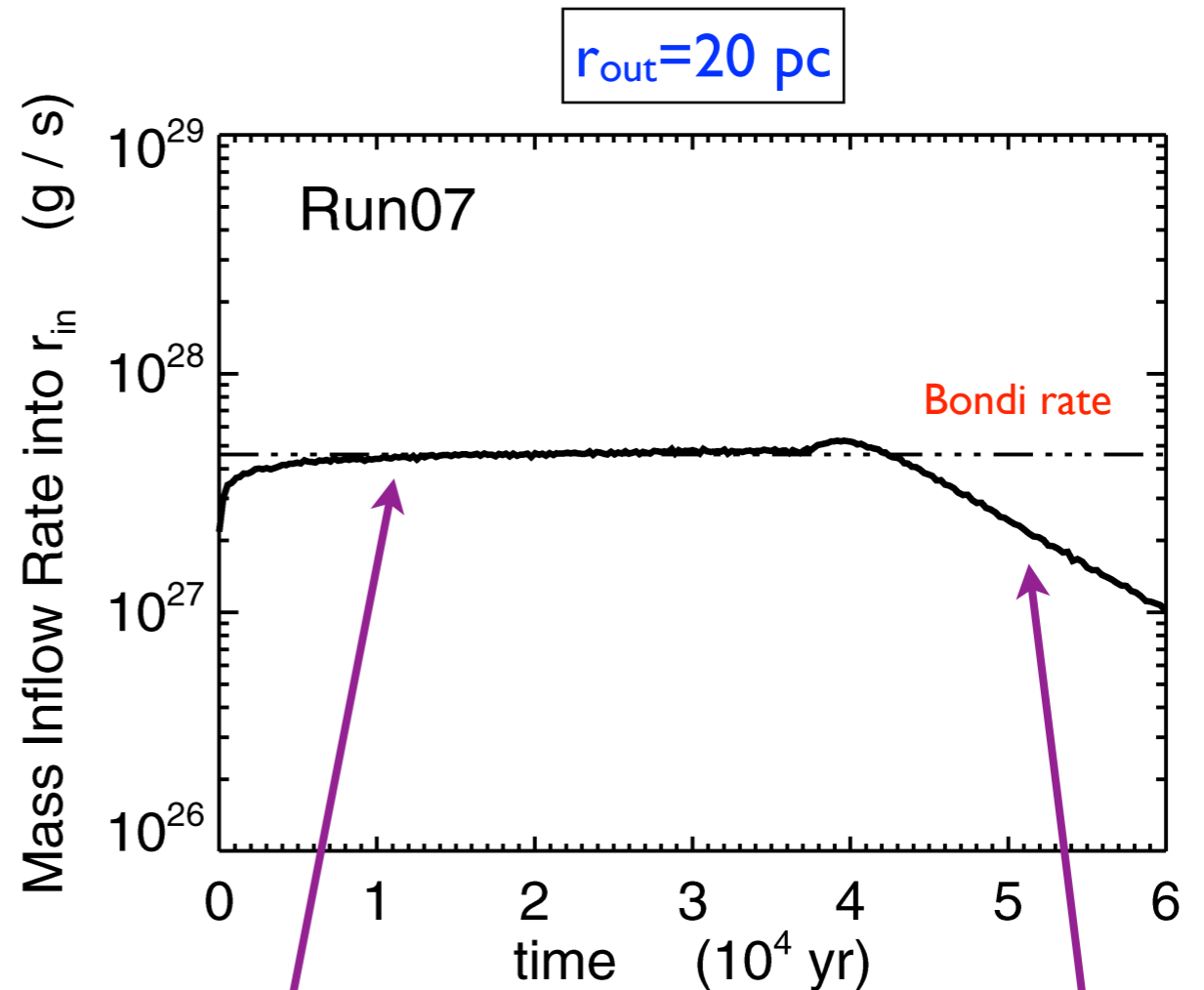
Spherical Bondi Accretion Flow

- Cross section, showing ρ_{gas}
- Run #4: $r_{\text{out}}=5 \text{ pc}$, $N_{\text{ptcl}}=64^3$
- At $t=0.25t_B=2e3 \text{ yr}$
- Smooth, spherical Bondi accretion flow is reproduced.
- Artificial outflow near the outer boundary due to vacuum outer B.C.
- Greater sim. volume reduces this effect on mass inflow.



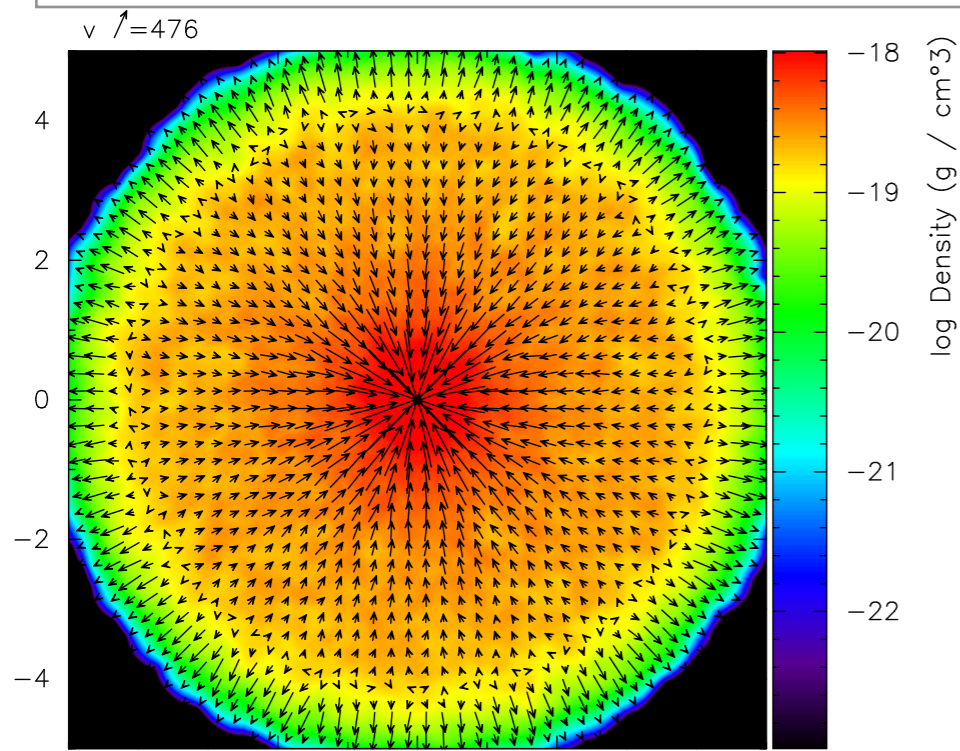
Mass Inflow Rates at r_{in}

- the larger r_{out} , the longer duration of Bondi inflow rate
- If started from a Bondi flow, Bondi rate is achieved quickly.
- After a while, the inflow rate decreases due to the artificial outflow at the outer boundary.
- Greater sim. volume reduces this effect on mass inflow.



reproducing Bondi rate well.

due to outflow problem at outer BC



Radiative Heating & Cooling

- Xray emitting corona irradiates the accretion flow

$$L_X = f_X L_{\text{Edd}}, \quad L_{\text{Edd}} = \frac{4\pi c G m_p M_{\text{BH}}}{\sigma_e}, \quad \text{Flux: } F_X = \frac{L_X}{4\pi r^2}.$$

($f_X=0.05$ in KP09)

- Approx. analytic heating/cooling rates from Blondin '94; **opt-thin gas illuminated by a 10 keV bremsstrahlung.**

net rate: $\rho \mathcal{L} = n^2 (G_{\text{Compton}} + G_X - L_{b,l}) \quad [\text{erg cm}^{-3} \text{ s}^{-1}],$

Compton h/c rate: $G_{\text{Compton}} = 8.9 \times 10^{-36} \xi (T_X - 4T) \quad [\text{erg cm}^3 \text{ s}^{-1}].$

Net Xray photoioniz. heating and recomb. cooling rate: $G_X = 1.5 \times 10^{-21} \xi^{1/4} T^{-1/2} \left(1 - \frac{T}{T_X}\right) \quad [\text{erg cm}^3 \text{ s}^{-1}].$

Brems. and line cooling rate: $L_{b,l} = 3.3 \times 10^{-27} T^{1/2} + [1.7 \times 10^{-18} \exp(-1.3 \times 10^5/T) \xi^{-1} T^{-1/2} + 10^{-24}] \delta \quad [\text{erg cm}^3 \text{ s}^{-1}].$
(Opt-thin: $\delta=1$)

$T_X = 1.16 \times 10^8 \text{ K} \quad (=10 \text{ keV, Blondin '94})$

Runs with radiative cooling/heating

Run No.	r_{out} [pc]	N	$M_{\text{tot,IC}} [M_{\odot}]$	$M_{\text{part}} [M_{\odot}]$	γ_{init}	T_{∞} [K]	R_B [pc]	ρ_{∞} [g/cm ³]	T_{init}	$L_X [L_{\text{Edd}}]$	$t_{\text{end}} [10^5 \text{ yr}]$
13	20	128^3	5.81×10^5	0.277	1.4	10^7	2.19	10^{-21}	T_{∞}	0.5	1.0
14	50	128^3	8.23×10^6	3.92	1.4	10^7	2.19	10^{-21}	T_{∞}	0.5	2.9
15	20	128^3	5.81×10^{-1}	2.77×10^{-7}	1.4	10^7	2.19	10^{-27}	T_{∞}	0.5	1.0
16	20	256^3	5.81×10^{-1}	3.46×10^{-8}	1.4	10^7	2.19	10^{-27}	T_{∞}	5×10^{-4}	1.9
17	20	128^3	5.81×10^5	0.277	1.4	10^7	2.19	10^{-21}	T_{rad}^b	5×10^{-4}	2.9
18	20	128^3	5.65×10^5	0.269	5/3	10^7	1.84	10^{-21}	T_{rad}	5×10^{-4}	3.0
19	20	128^3	1.47×10^7	7.0	5/3	10^5	183.9	10^{-21}	T_{rad}	5×10^{-4}	1.5
20	200	256^3	1.33×10^9	79.09	5/3	10^5	183.9	10^{-21}	T_{rad}	5×10^{-4}	6.5
21	200	256^3	4.95×10^8	29.50	5/3	10^7	1.84	10^{-21}	T_{rad}	5×10^{-4}	8.7
22	200	128^3	1.33×10^7	6.33	5/3	10^5	183.9	10^{-23}	T_{rad}	5×10^{-4}	70
23	200	256^3	1.33×10^7	0.791	5/3	10^5	183.9	10^{-23}	T_{rad}	5×10^{-4}	20
24 ^c	200	1.24×10^7	9.77×10^6	0.791	5/3	10^5	183.9	10^{-23}	T_{Run23}	5×10^{-5}	19
25	200	1.24×10^7	9.77×10^6	0.791	5/3	10^5	183.9	10^{-23}	T_{Run23}	5×10^{-3}	21
26	200	1.24×10^7	9.77×10^6	0.791	5/3	10^5	183.9	10^{-23}	T_{Run23}	1×10^{-2}	22
27	200	1.24×10^7	9.77×10^6	0.791	5/3	10^5	183.9	10^{-23}	T_{Run23}	2×10^{-2}	25
28	200	1.24×10^7	9.77×10^6	0.791	5/3	10^5	183.9	10^{-23}	T_{Run23}	5×10^{-2}	50

Non-spherical outflow:

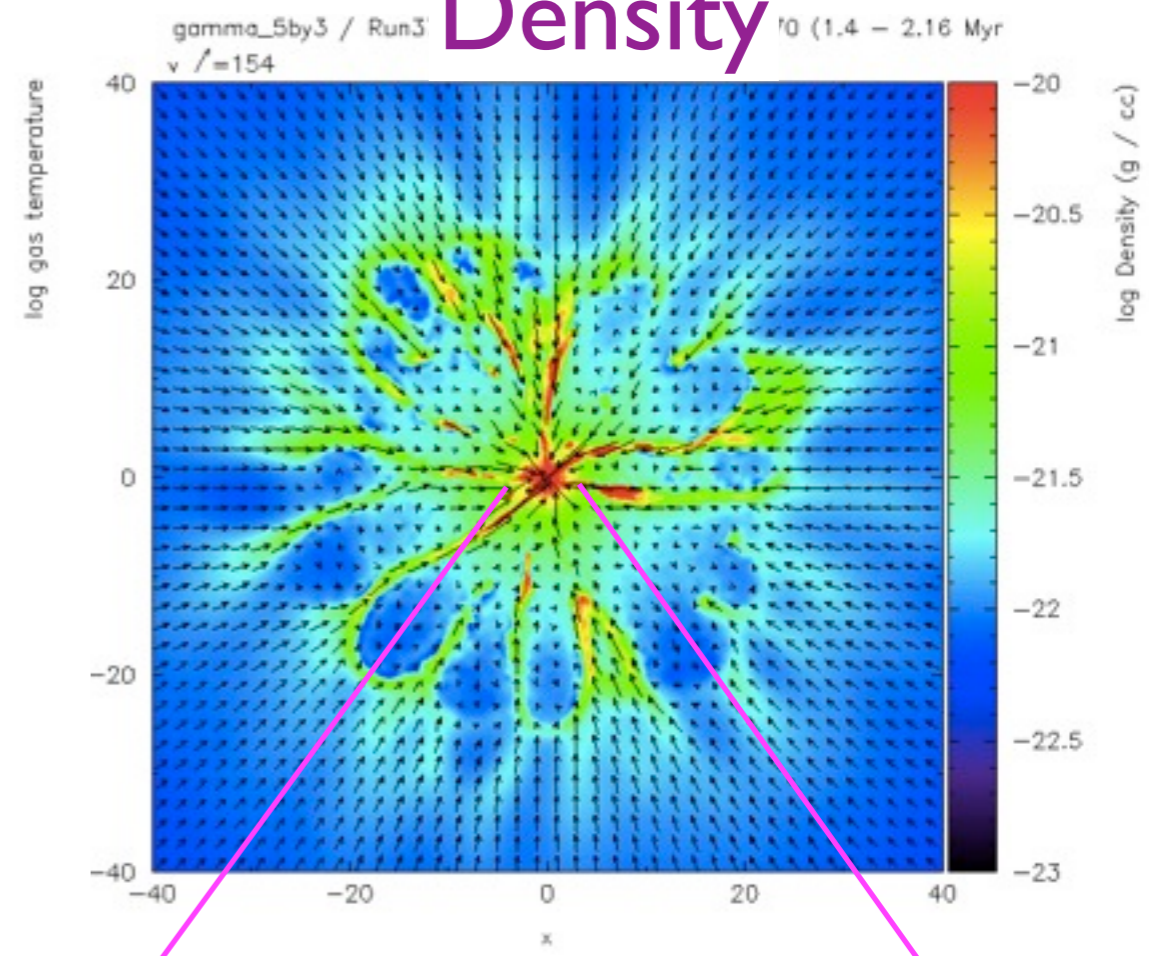
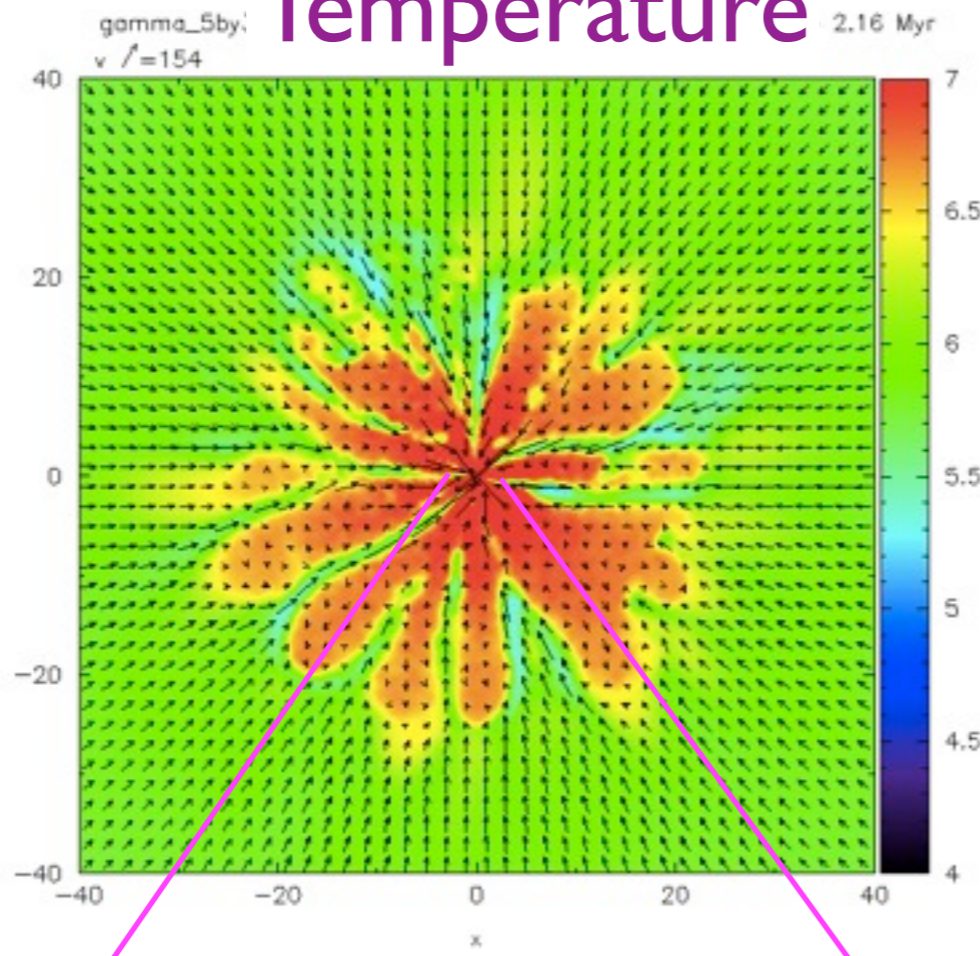
due to rad. feedback

Run 26: $r_{\text{out}}=200\text{pc}$, $L_x/L_{\text{Edd}}=0.01$

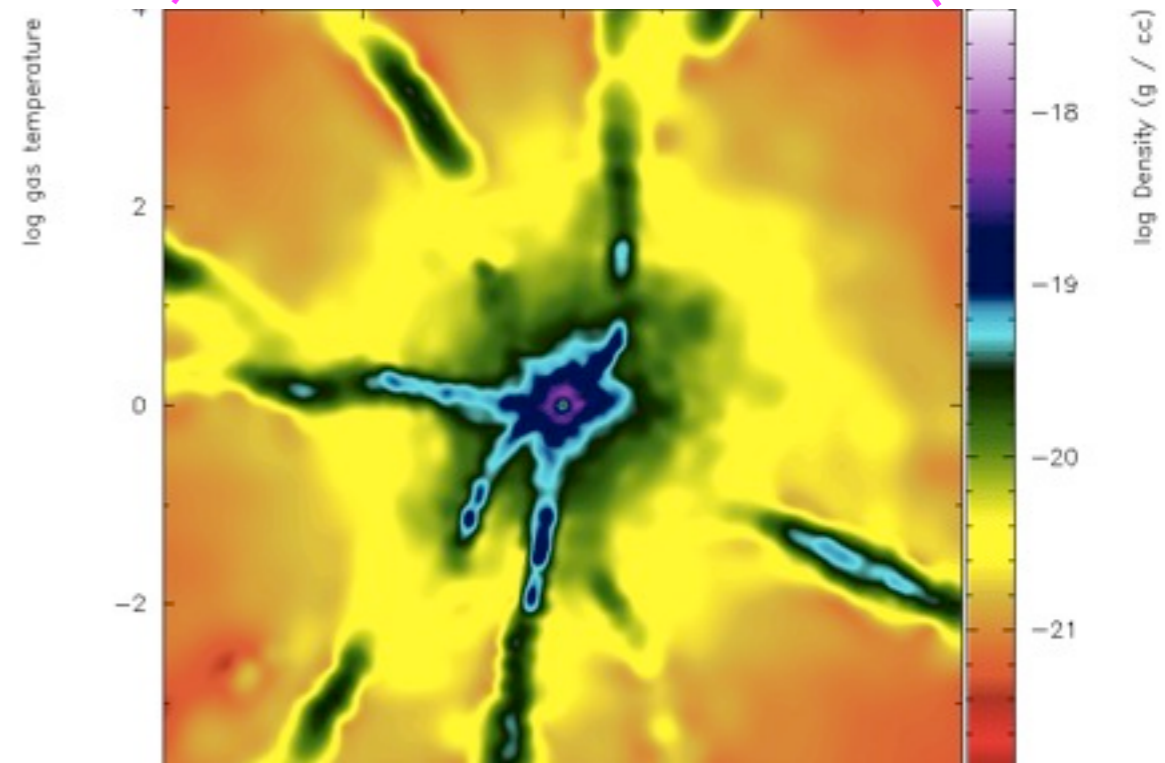
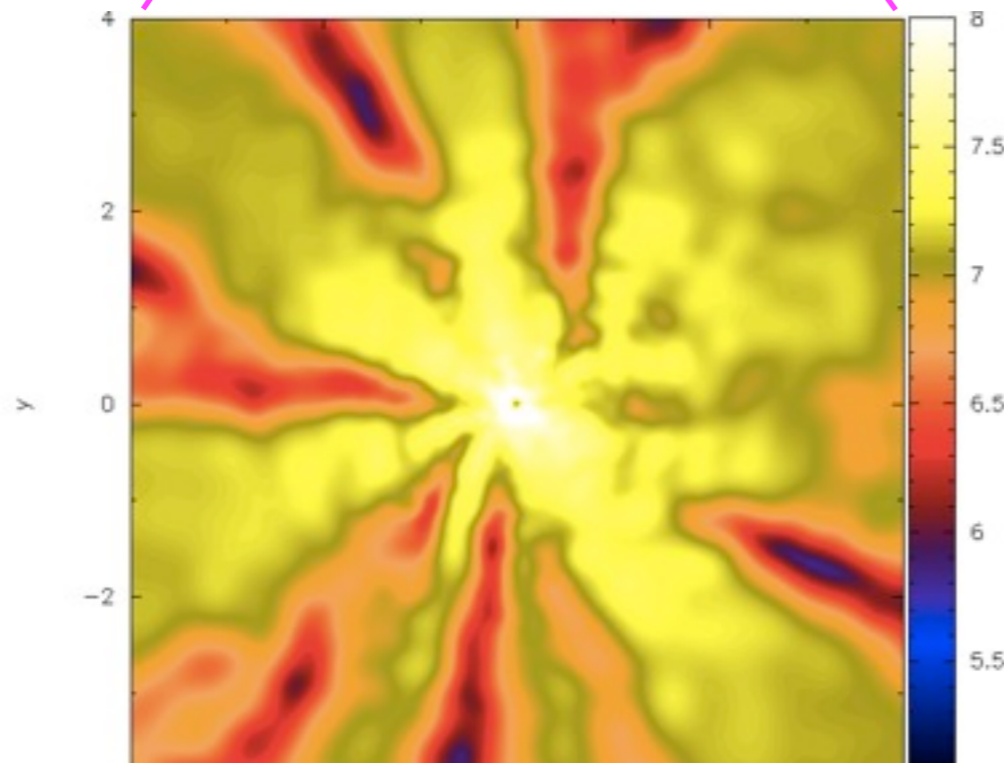
Temperature

Density

inner
 $\pm 40\text{pc}$

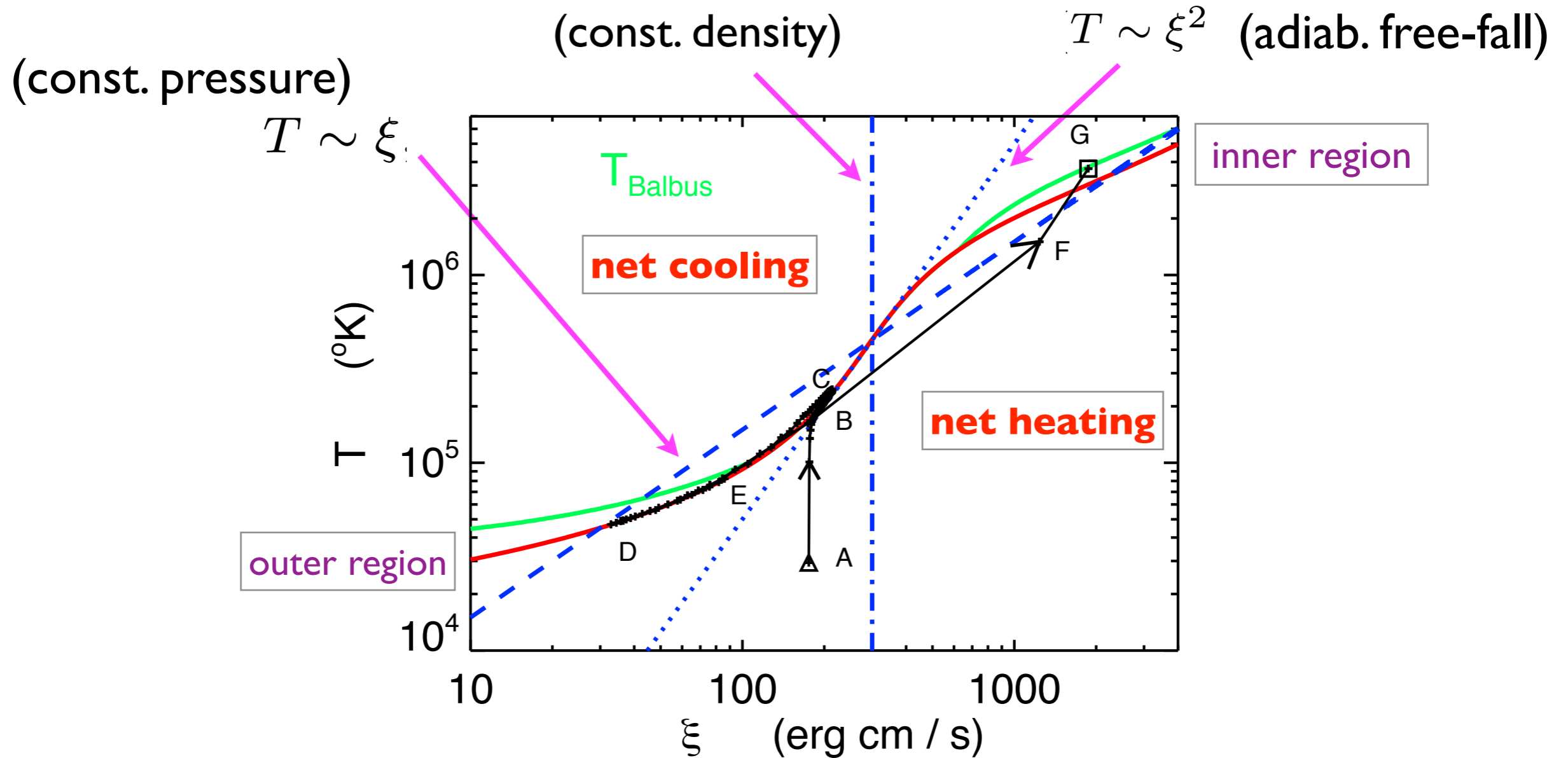


inner
 $\pm 4\text{pc}$



Indication of Thermal Instability

Run 26: $r_{\text{out}}=200\text{pc}$, $L_X/L_{\text{Edd}}=0.01$, $t=2.0\text{ Myr}$

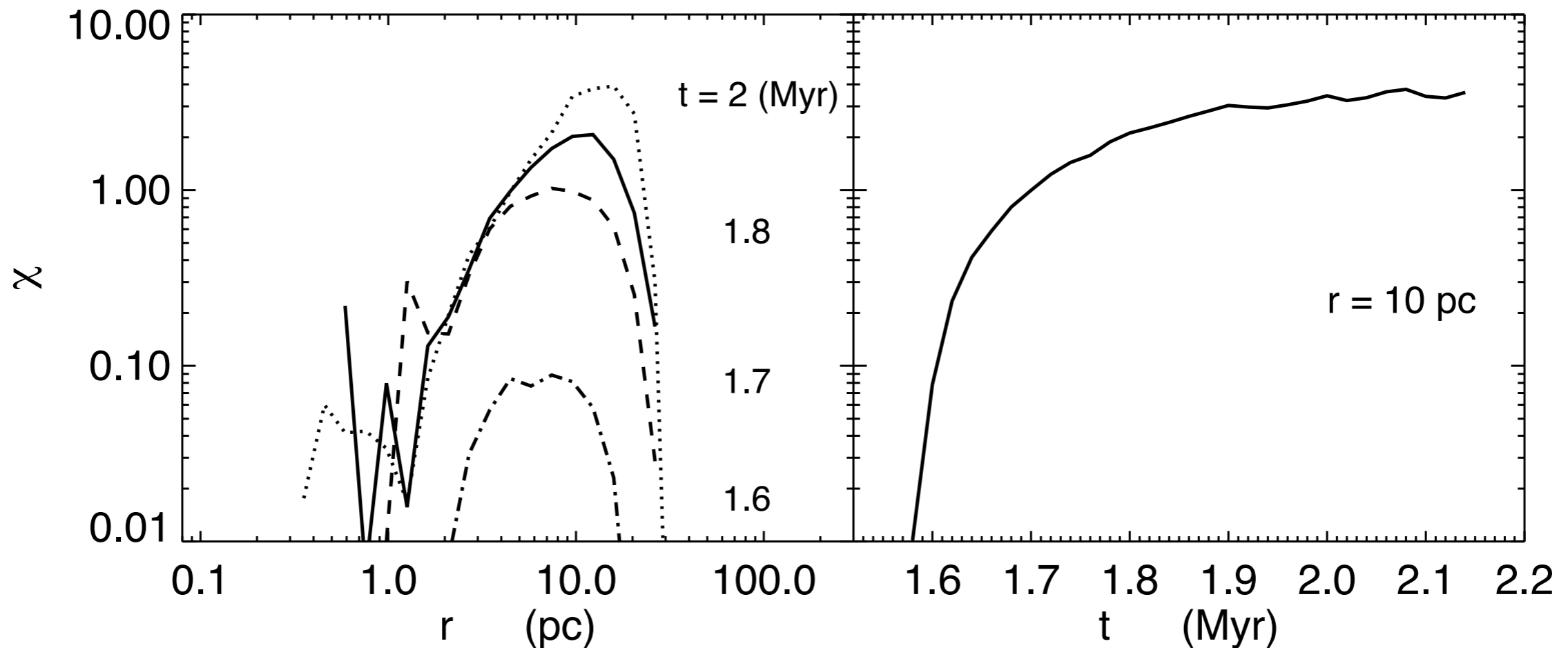


Photoionization parameter:

$$\xi \equiv \frac{4\pi F_X}{n} = \frac{L_X}{r^2 n}$$

Cold vs. Hot phase

Cold mass inflow rate fraction



$$\chi = \dot{M}_{\text{in,cold}} / \dot{M}_{\text{in,hot}} \quad \text{cold: } T < 10^5 \text{ K} \quad \text{hot: } T > 10^5 \text{ K}$$

(Similar to the α -param used in cosmo sim.)

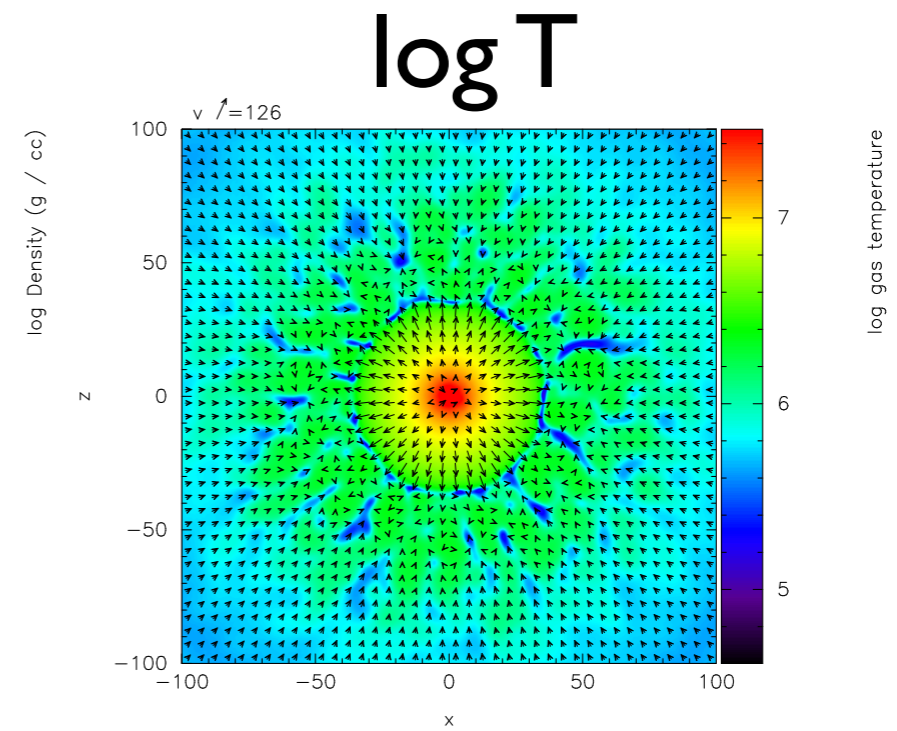
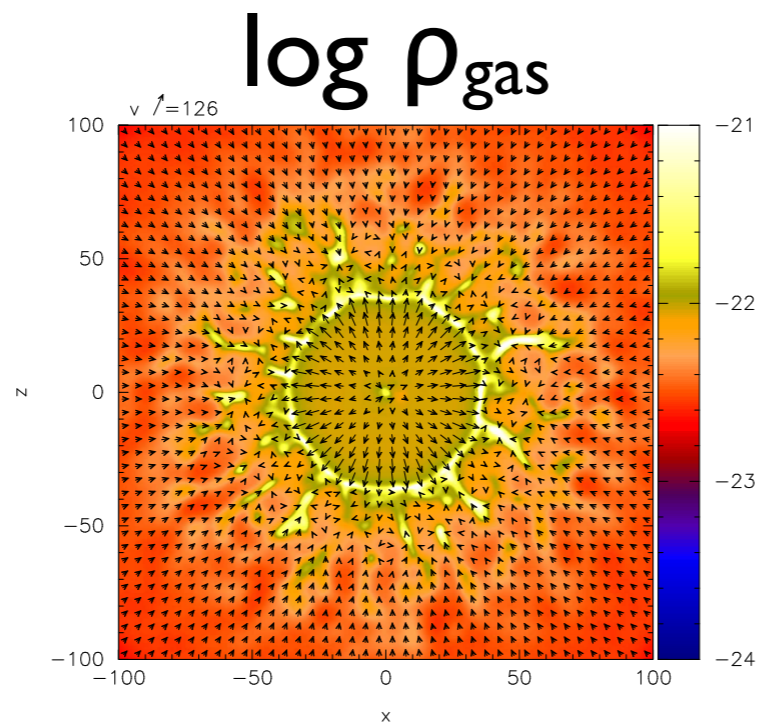
We find enhancements of only factor 3-4, not 100

Not const. in time & space. & We can measure it!

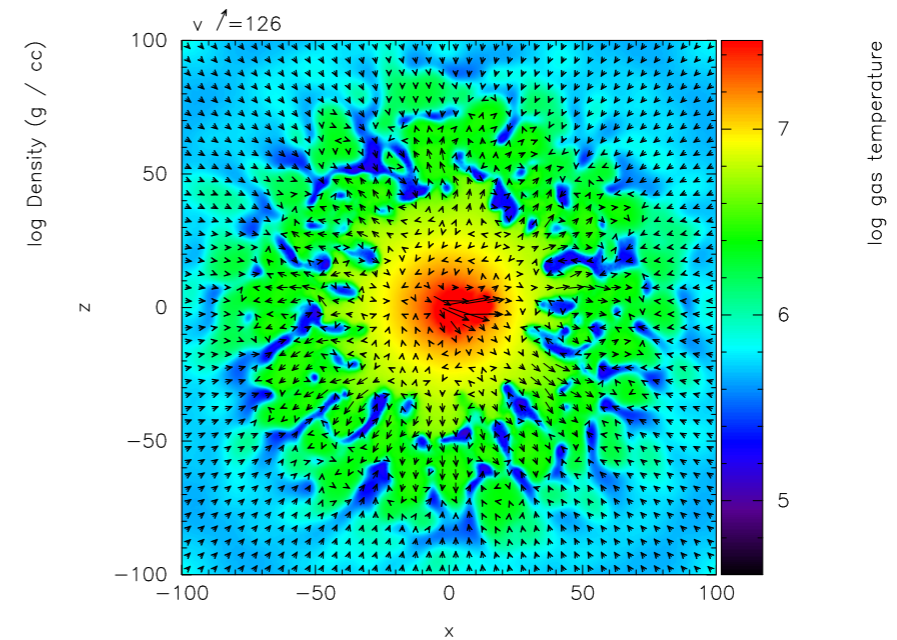
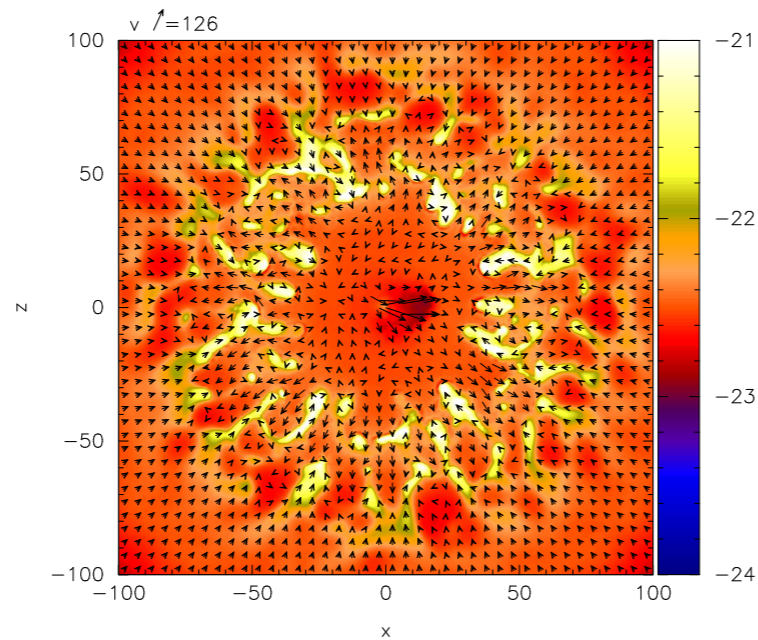
Run 27

$r_{\text{out}}=200\text{pc}$,
 $L_x/L_{\text{Edd}}=0.02$

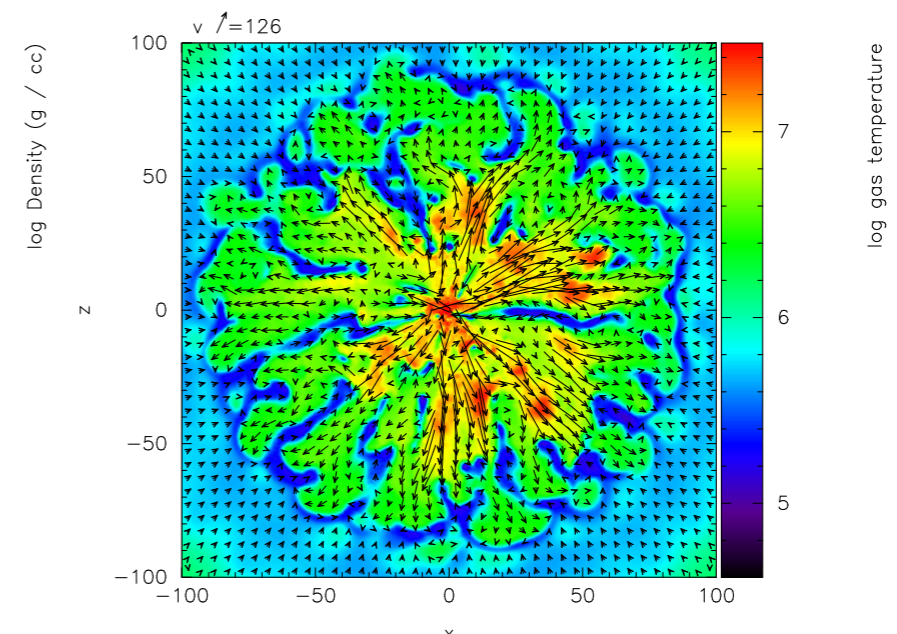
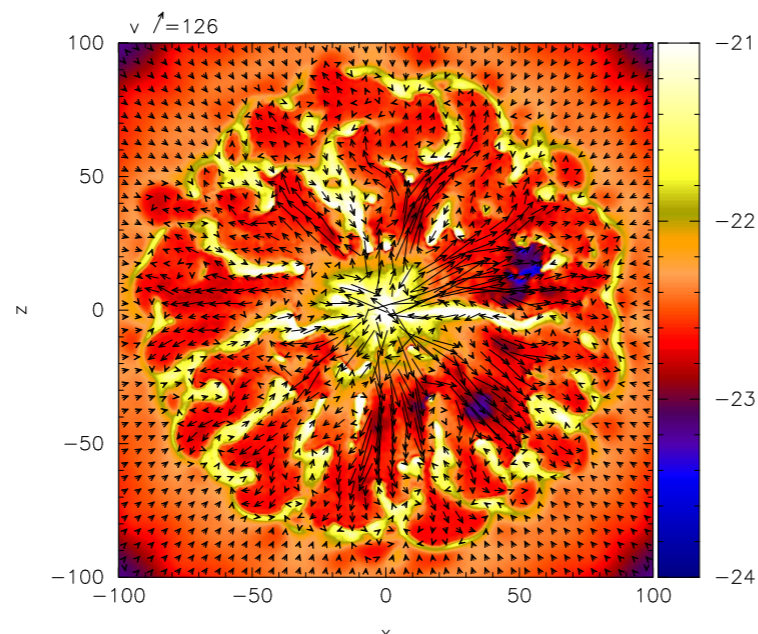
$t=1.86\text{ Myr}$



$t=2.12\text{ Myr}$



$t=2.46\text{ Myr}$

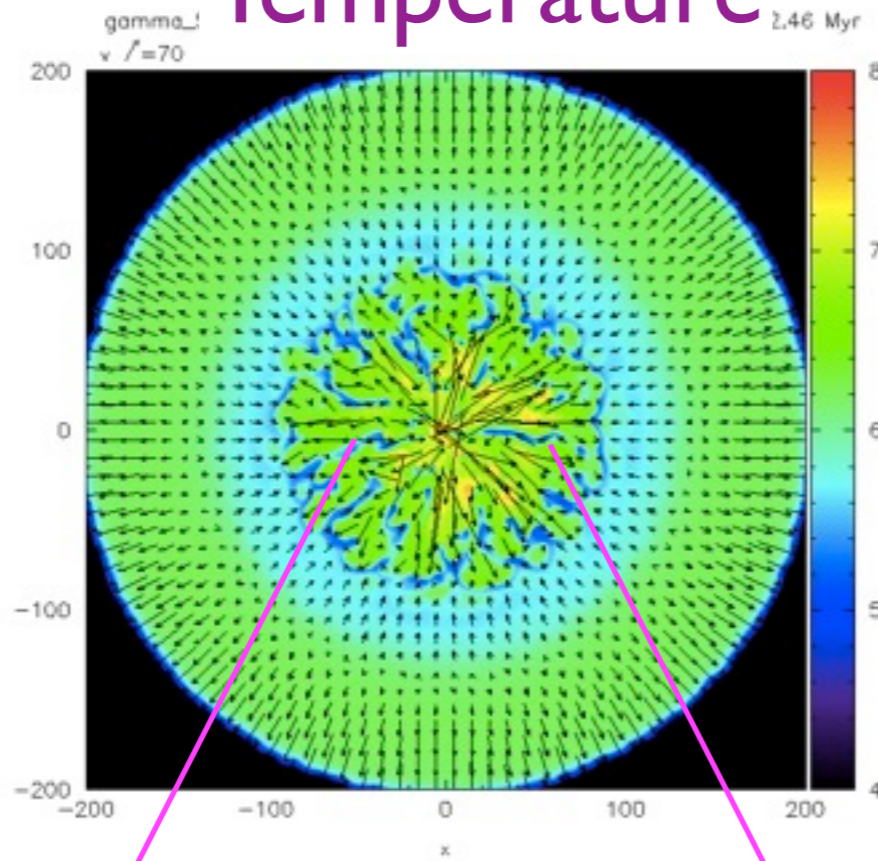


Non-spherical outflow:

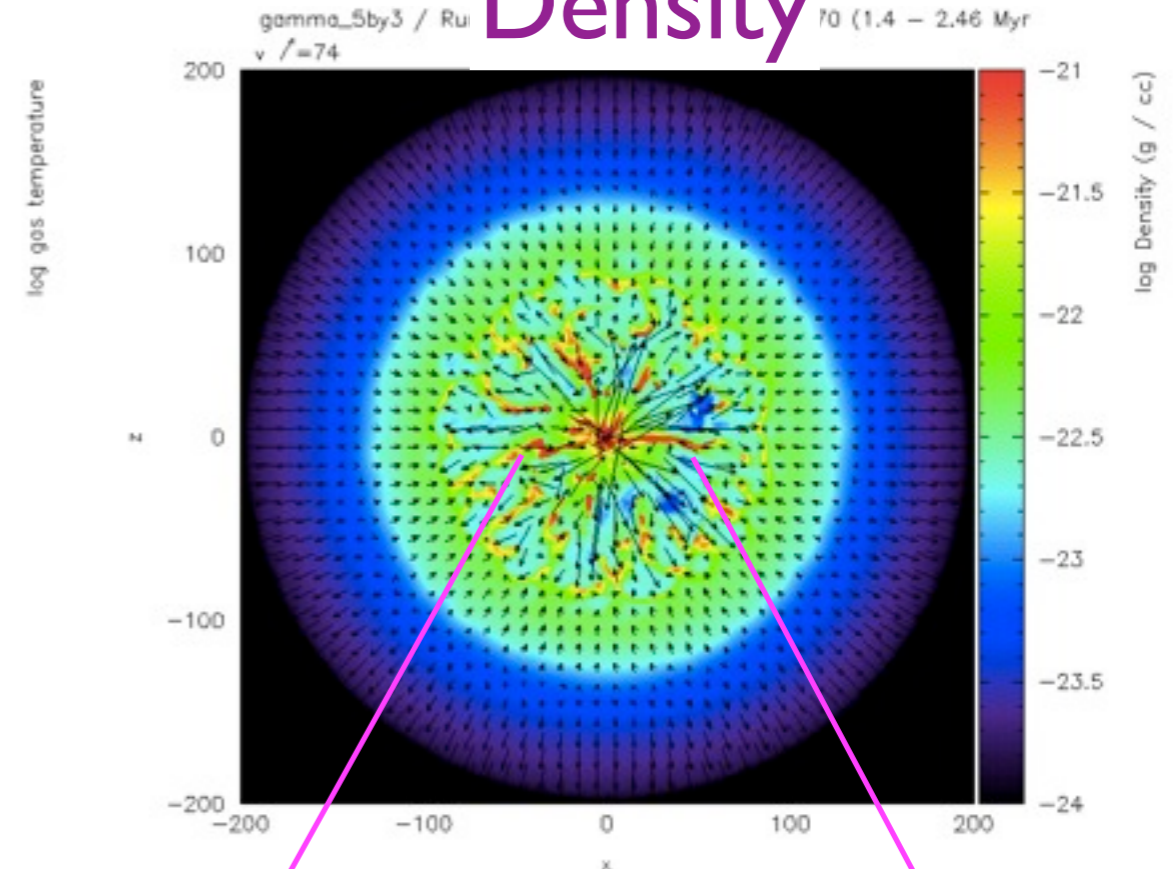
due to rad. feedback

Run 27: $r_{\text{out}}=200\text{pc}$, $L_x/L_{\text{Edd}}=0.02$

Temperature

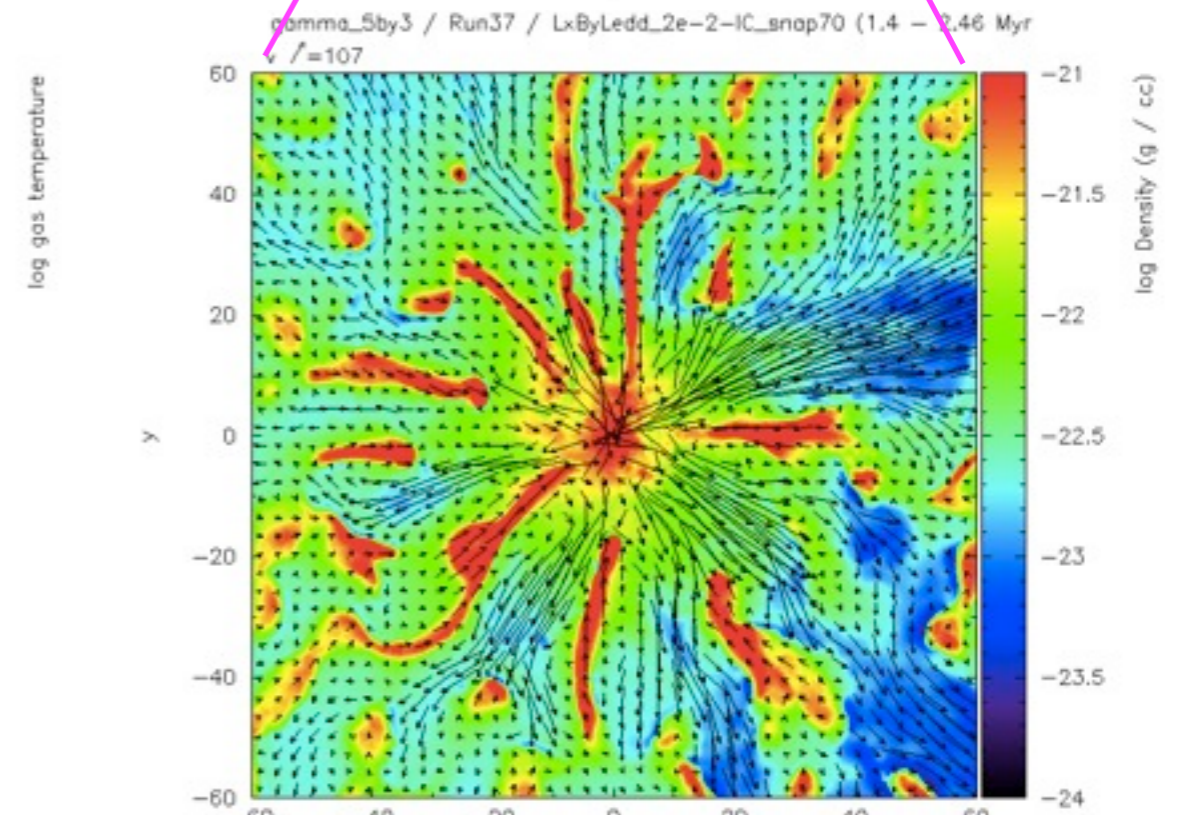
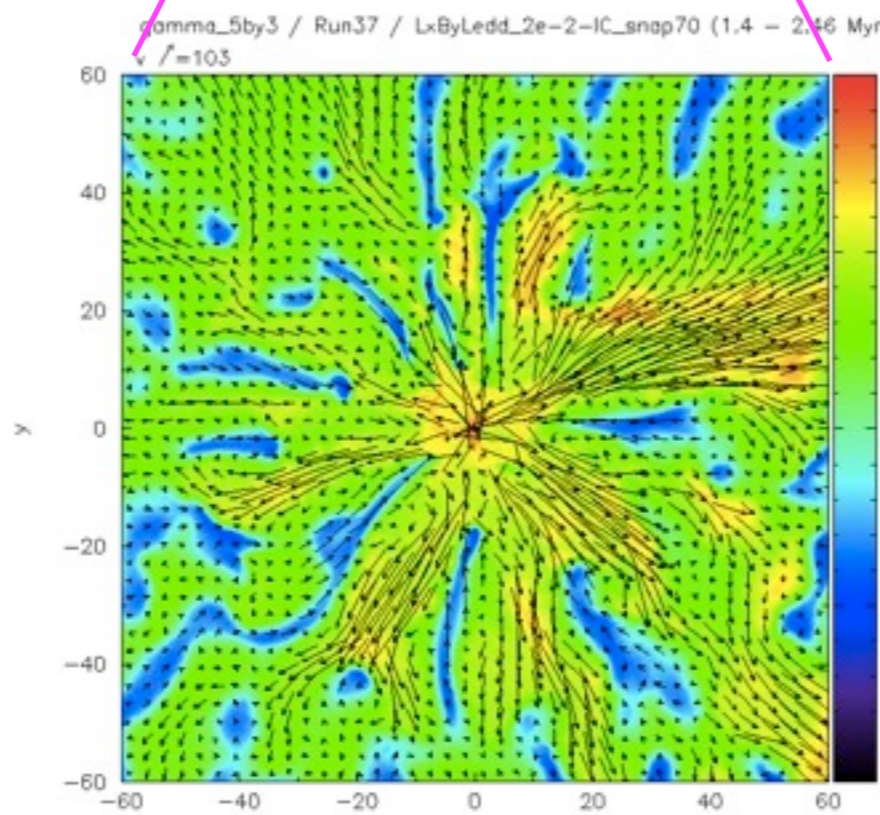


Density



$\pm 200\text{pc}$

inner
 $\pm 60\text{pc}$



Independent check of thermal instability with grid-based ZEUS code in 1,2,3-dimension

THE ASTROPHYSICAL JOURNAL, 767:156 (15pp), 2013 April 20

THERMAL AND DYNAMICAL PROPERTIES OF GAS ACCRETING ONTO A SUPERMASSIVE BLACK HOLE IN AN ACTIVE GALACTIC NUCLEUS

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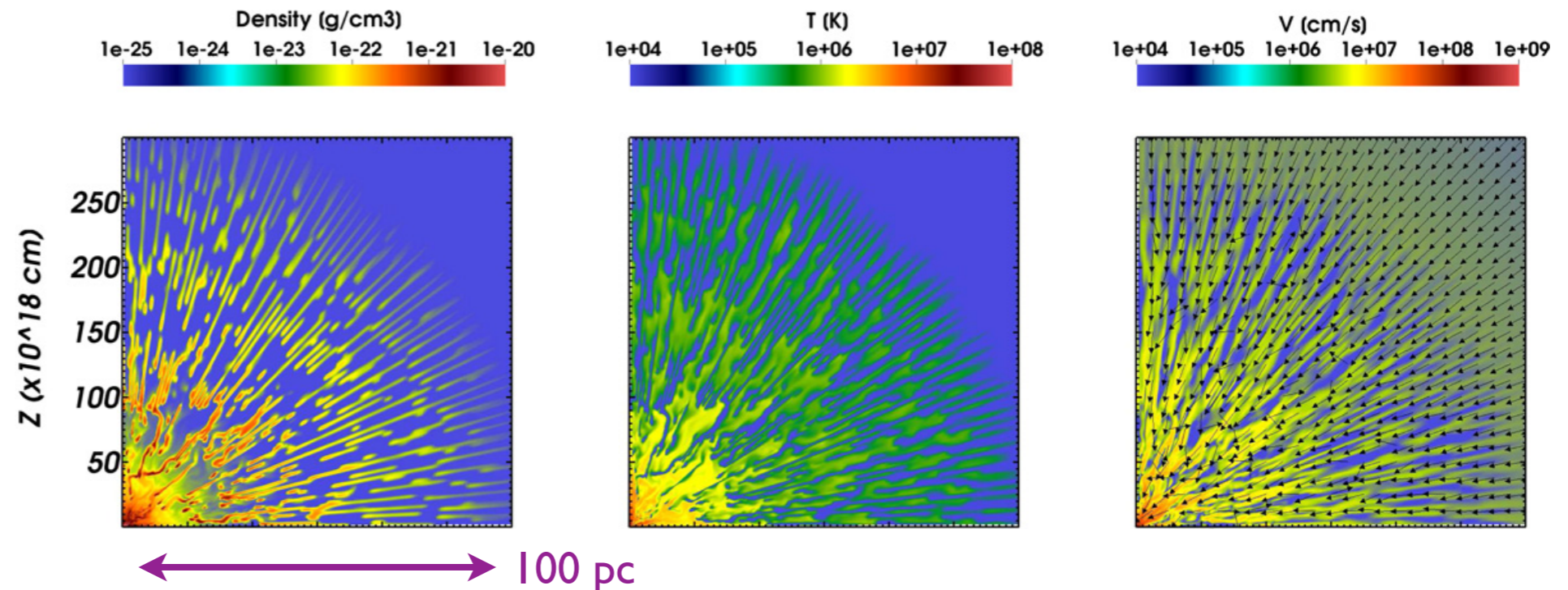
Received 2012 November 15; accepted 2013 March 2; published 2013 April 8

$$M_{\text{BH}} = 10^8 M_{\odot}$$

$$L_X = 0.015 L_{\text{Edd}}$$

-- right inbtw 1% and 2% L_{Edd} .

Basically confirmed the results of Barai+ '11, '12 about fragmentation due to thermal instability

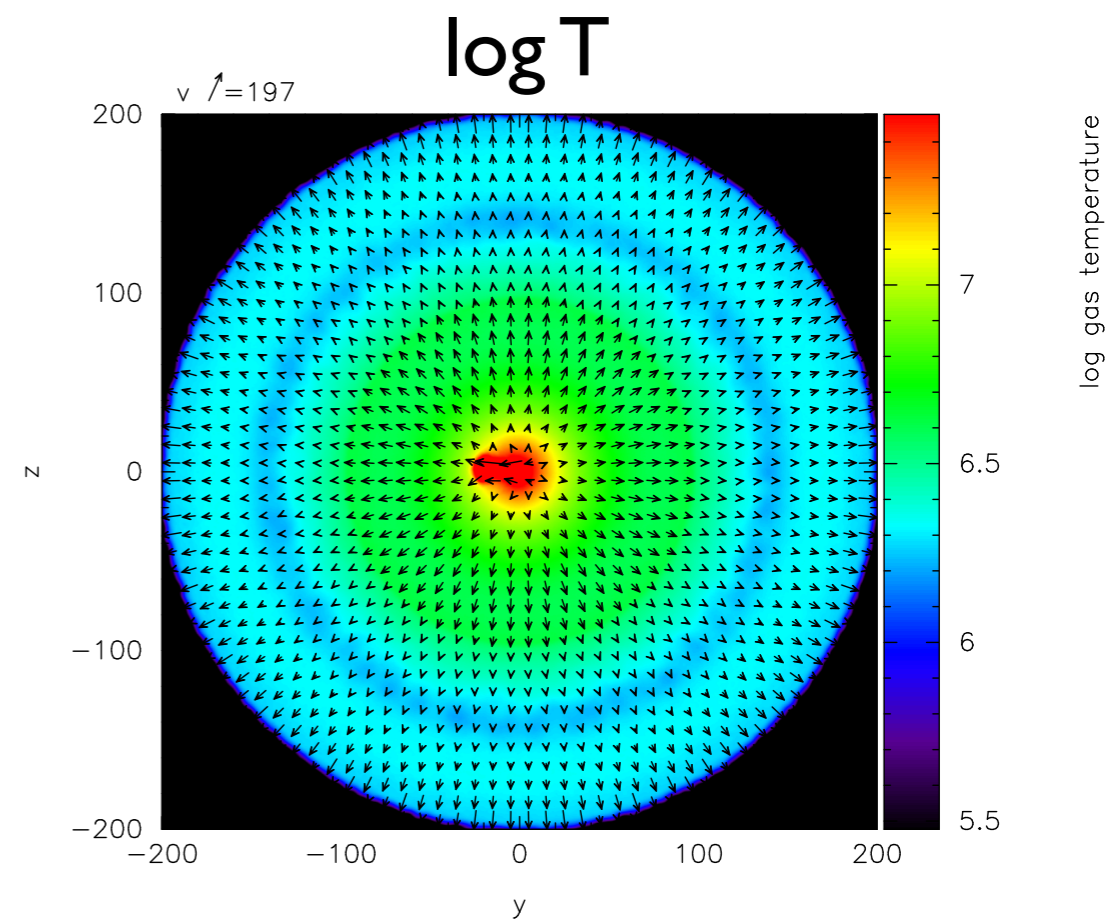
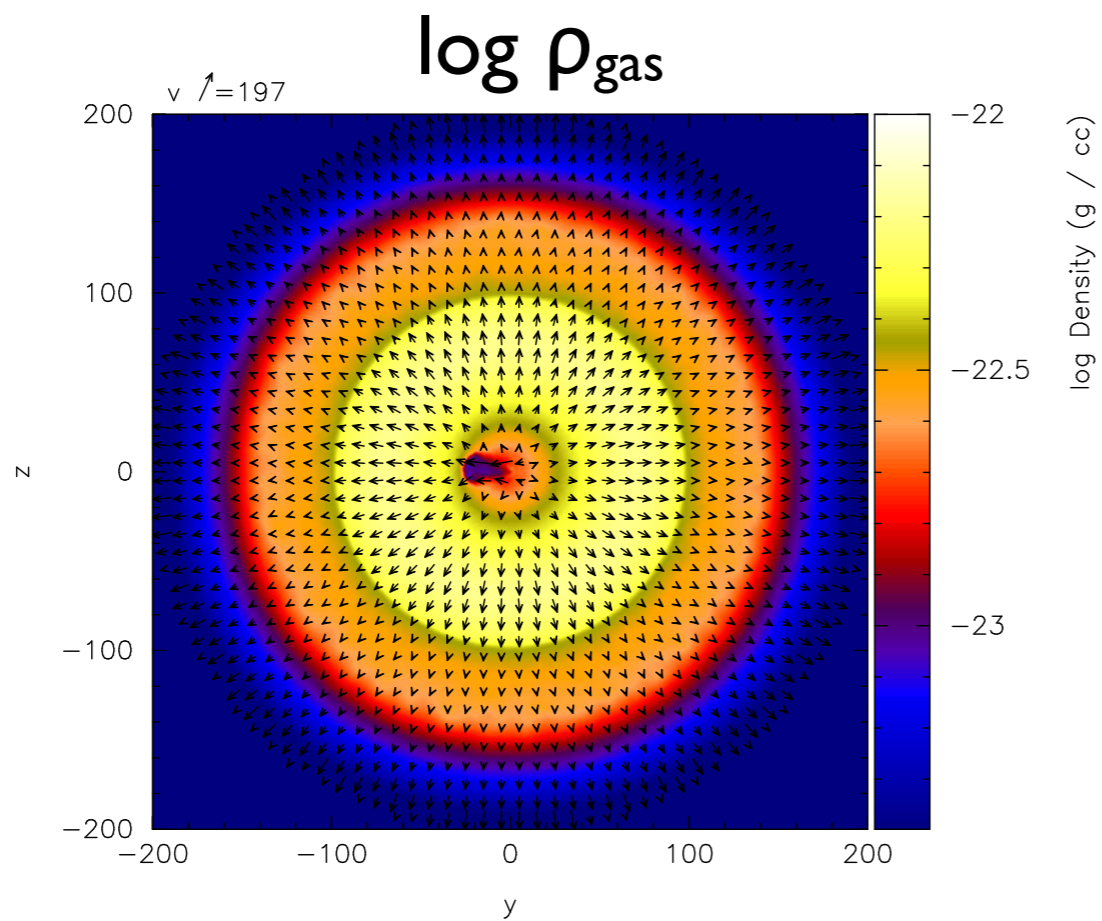


ZEUS does not suffer from artificial outflow problem at the outer boundary, and we can run it longer. Proga will show long-term evolution of the flow.

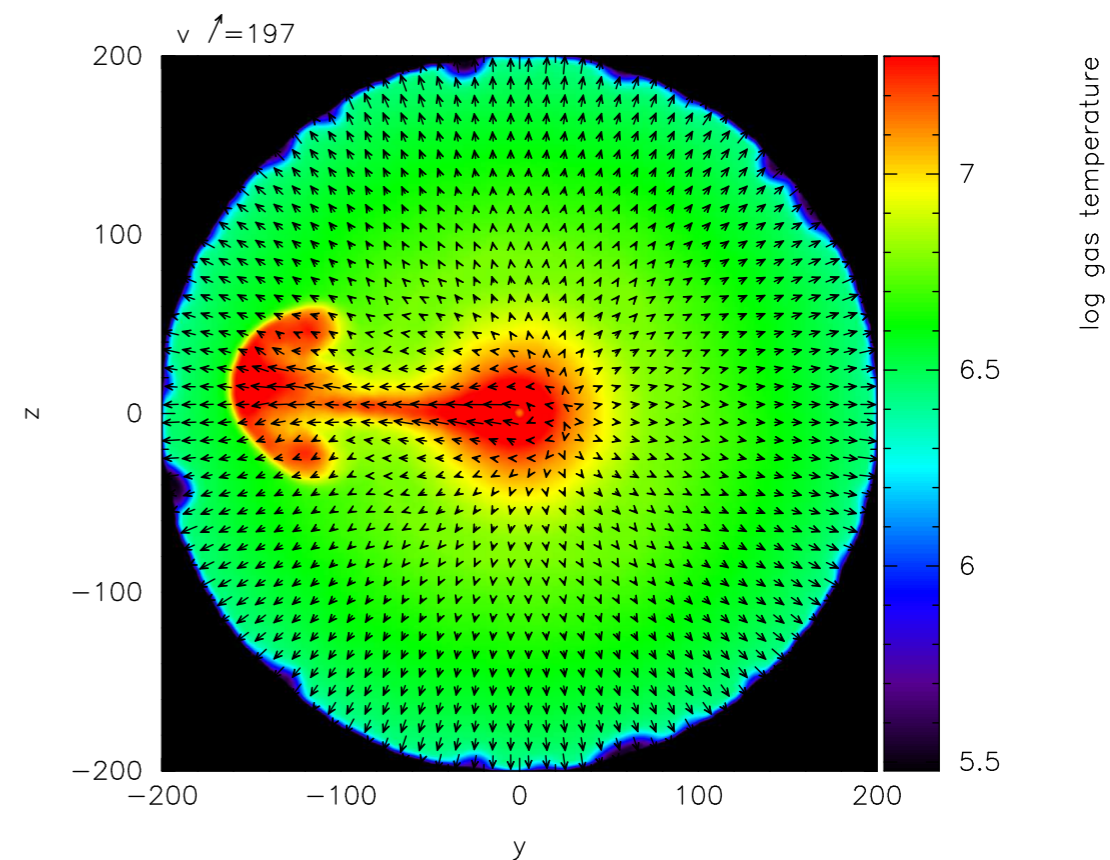
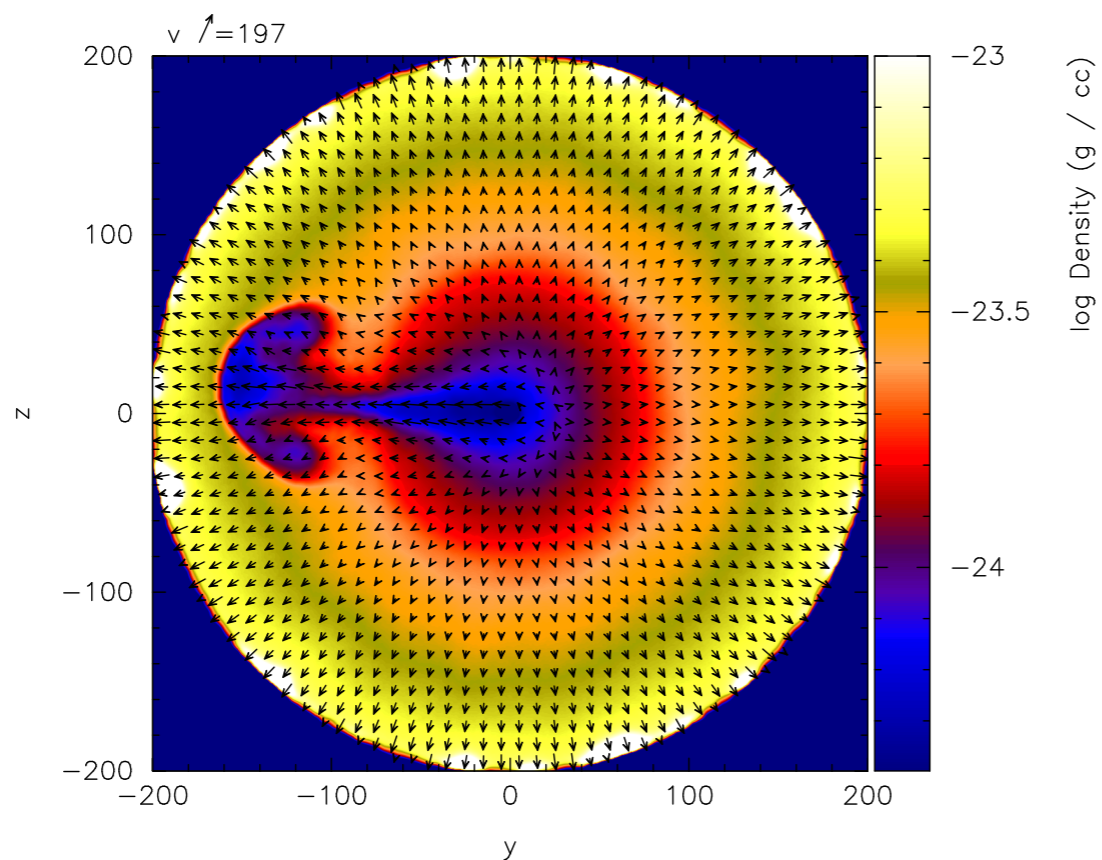
Run 28

$r_{\text{out}}=200\text{pc}, L_x/L_{\text{Edd}}=0.05$

$t=1.8\text{ Myr}$



$t=3.0\text{ Myr}$



Conclusions & Future Work

- GADGET SPH code *can* reproduce the *spherical Bondi accretion* properly w. some limitations. (repeat w. new SPH)
- *Non-spherical inflow & outflow* develops due to *rad. feedback* via *thermal instability*, even in the simplest case that we studied --- *connection with NLR*
- AGN FB efficiencies measured in our sims are LOW ($\approx 10^{-4}$): *cosmological implications?* -- *Is AGN FB really important for galaxy formation?* (cf. Priya's talk, Ostriker+10)
- **Future:** include other physics; *how do we apply these results to cosmo. sims?* Maybe we should stop using Bondi formula in cosmo sims.

