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Disk-jet symbiosis in M87: Polarization of light and Faraday rotation in GRMHD simulations

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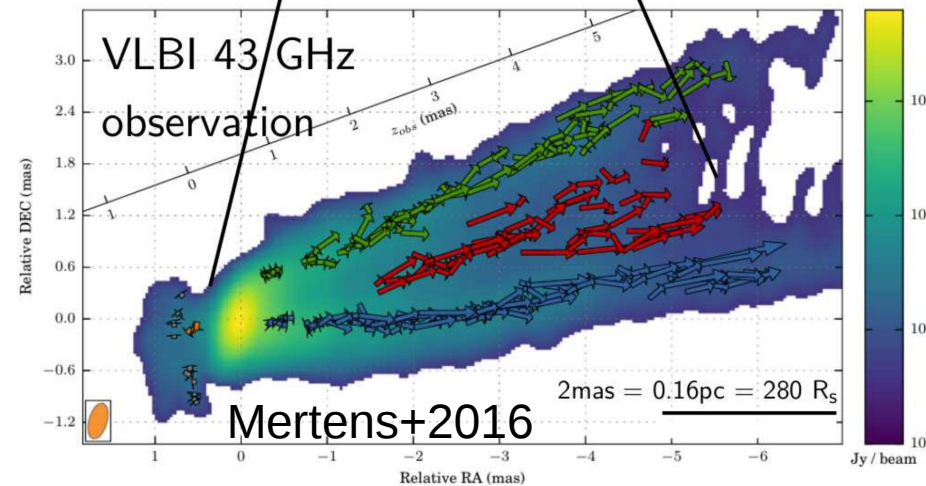
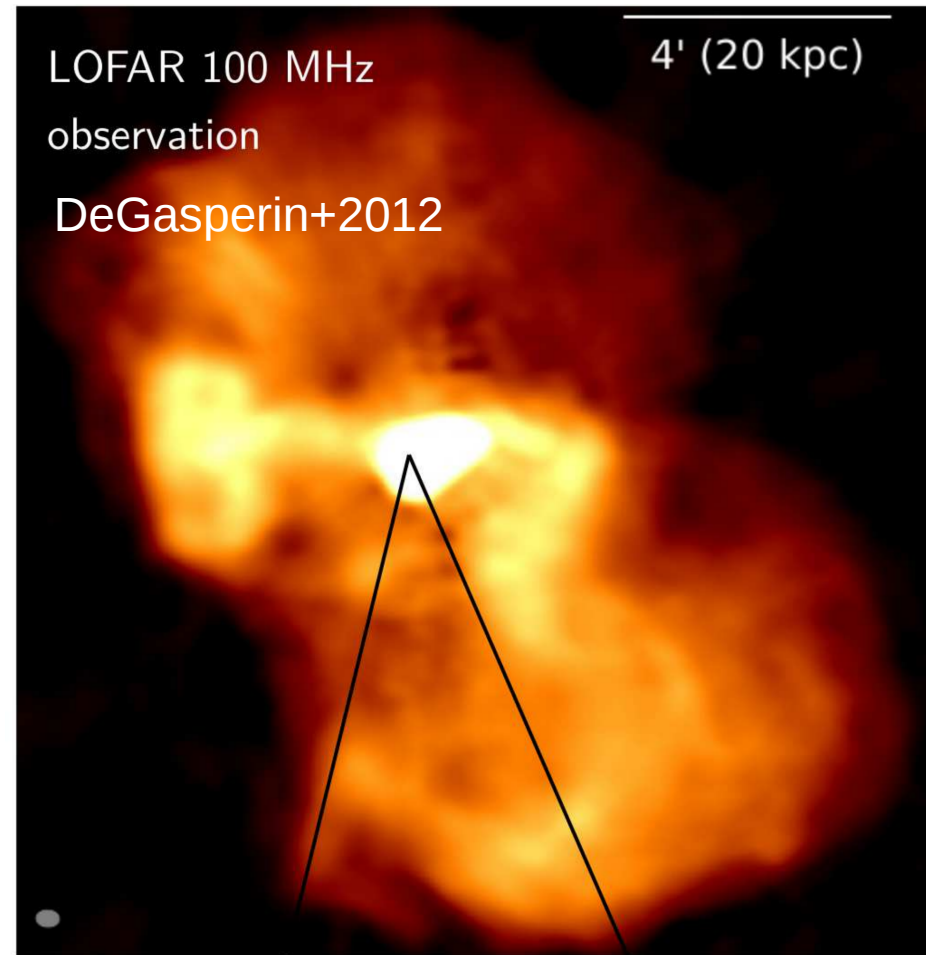
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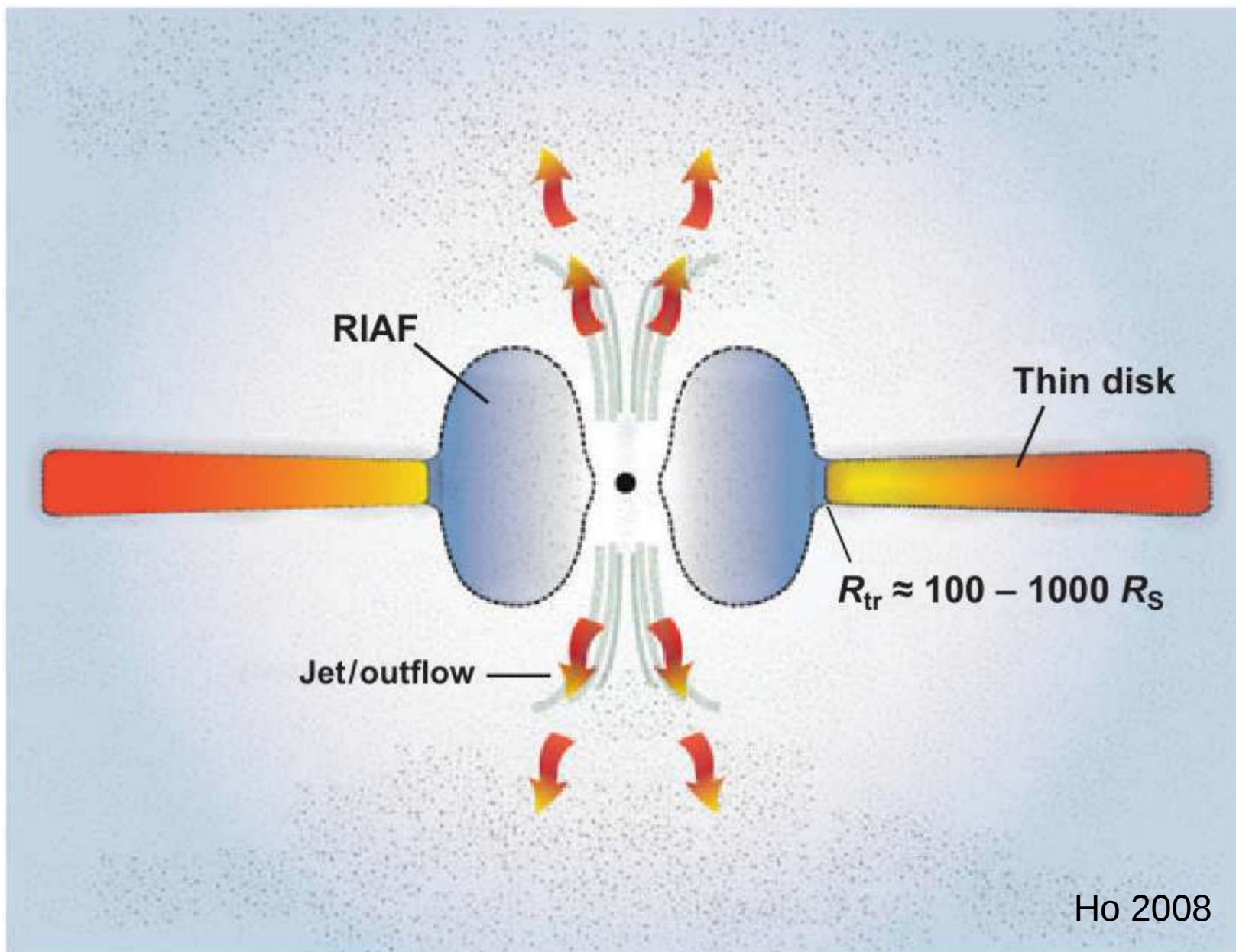
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Core of M87

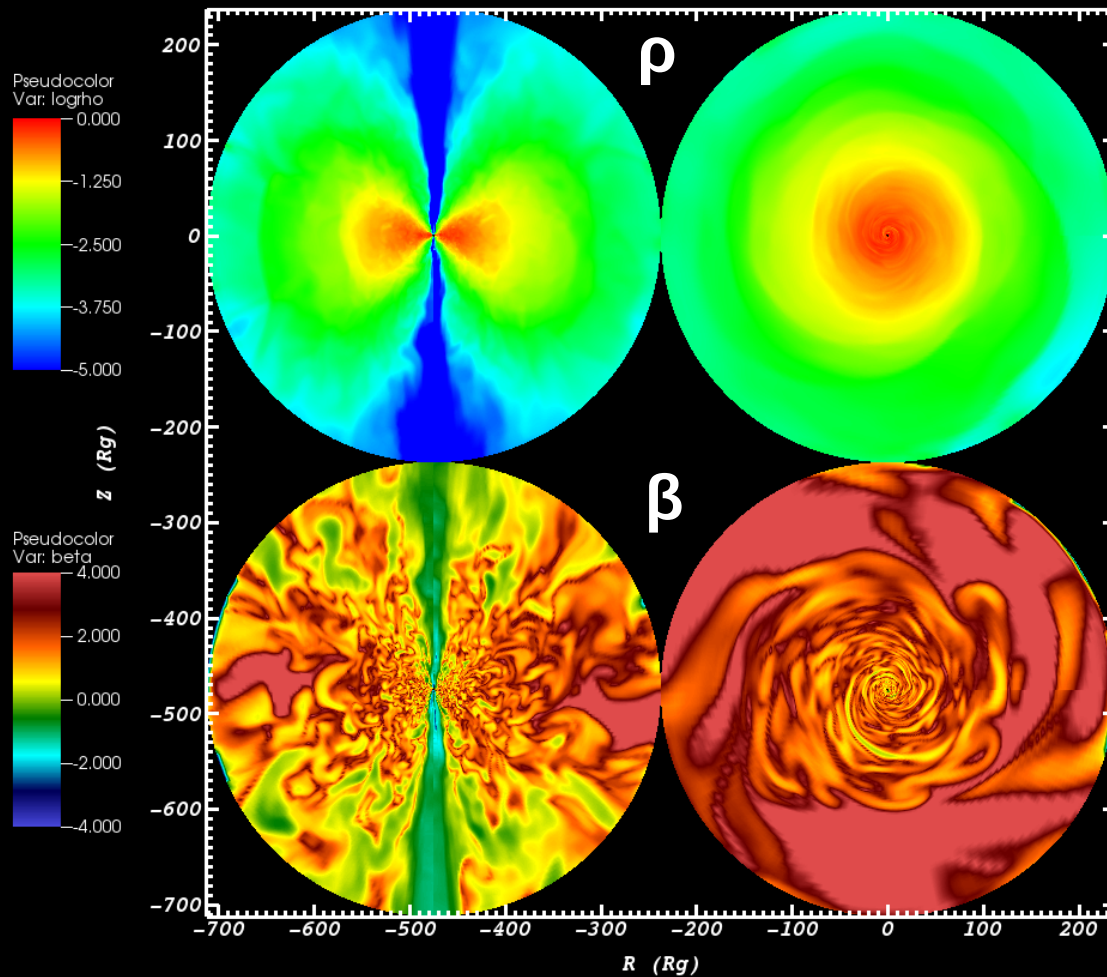
- M87: Virgo A, 16.7 Mpc, $MBH=6 \times 10^9 M_{\text{sun}}$
- M87 core - prototype radio loud LLAGN
($L \sim 10^{-6} L_{\text{edd}}$), FR-I jet (10^{45} ergs/s), $i=20^\circ$
- Source at freq > 43 GHz not well resolved yet, model predictions
- Near future mm-VLBI observations w/ Event Horizon Telescope resolve 30 microarcsec $< BH_{\text{shadow}} = 38$ microarcsec
- Unique source test MHD theory of accretion and jets symbiosis on the event horizon scales



Radiatively inefficient accretion flow in the center of LLAGN



General relativistic MHD simulations of RIAF



- Ideal-MHD in 3D
- Standard and normal evolution
- Disk: MRI turbulence
- Magnetized outflows, jets
- Collisionless, two-temperature plasma

$$\frac{T_p}{T_e} = R_{\text{high}} \frac{\beta^2}{(1 + \beta^2)} + R_{\text{low}} \frac{1}{(1 + \beta^2)}$$

Modeling emission from GRMHD models of RIAF

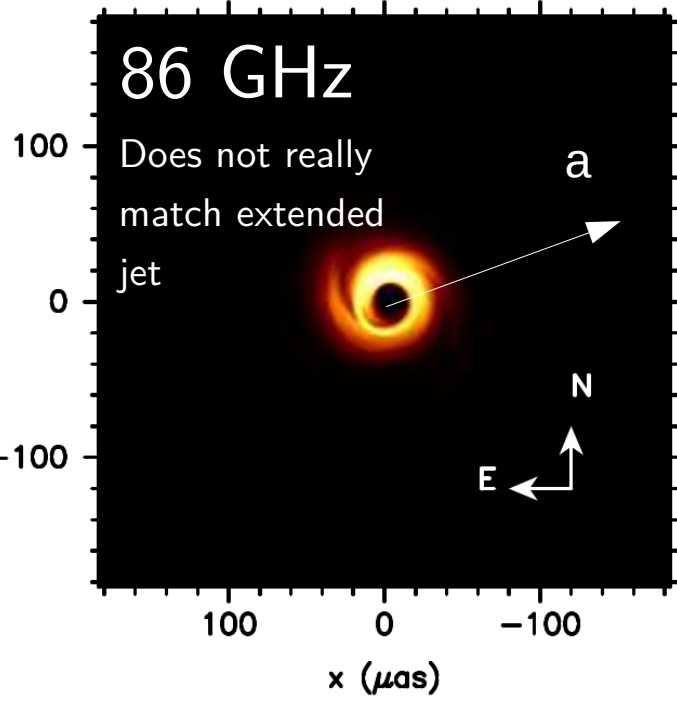
- We model millimeter emission (EHT: 230 GHz and GMVA: 86 GHz)
 - synchrotron emission dominant cooling process (relativistically hot, magnetized plasma)
 - near horizon emission – Doppler boosts, gravitational lensing
- The goal is to constrain the model free parameters
 - Proton/electron coupling ratios
 - Mass accretion rate onto the BH
 - Spin of the BH
 - Geometry of magnetic fields near BH event horizon

1) GRMHD model + radiative transfer model = radio image

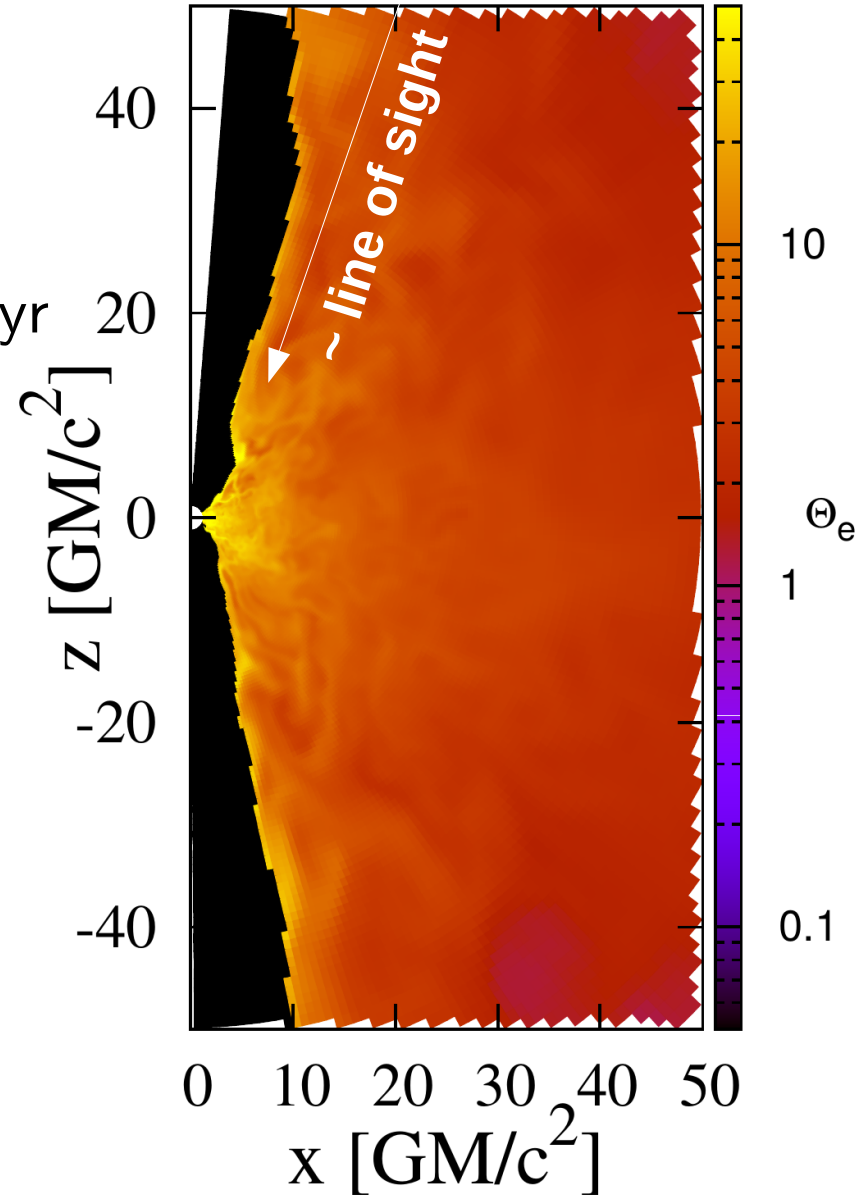
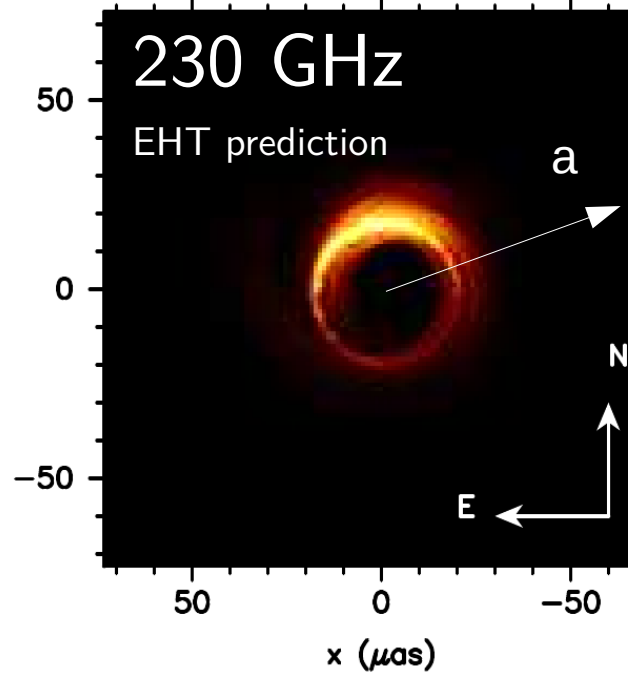
$$\frac{T_p}{T_e} = R_{\text{high}} \frac{\beta^2}{(1 + \beta^2)} + R_{\text{low}} \frac{1}{(1 + \beta^2)}$$

$$R_{\text{high}} = 1 \quad R_{\text{low}} = 1$$

$$M_{\text{acc}} = 10^{-4} \quad M_{\text{sun}}/\text{yr}$$



Disk emission dominated images

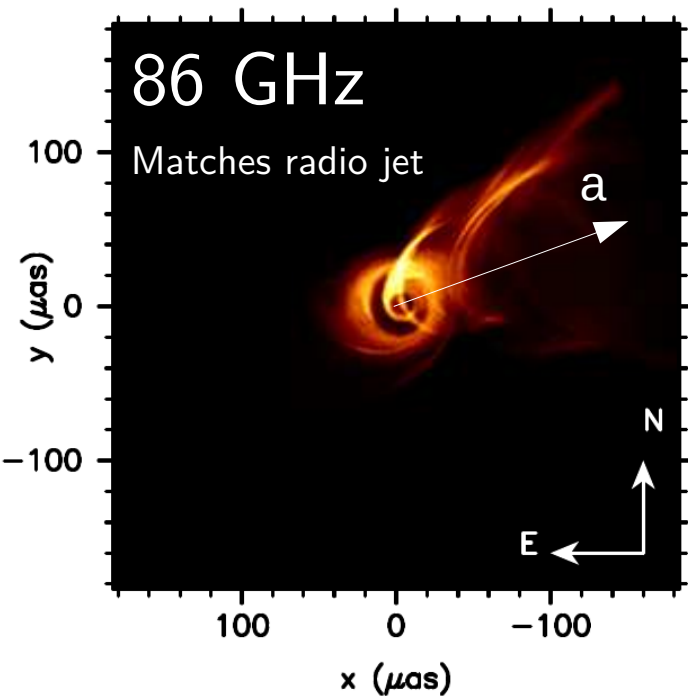


2) GRMHD model + radiative transfer model = radio image

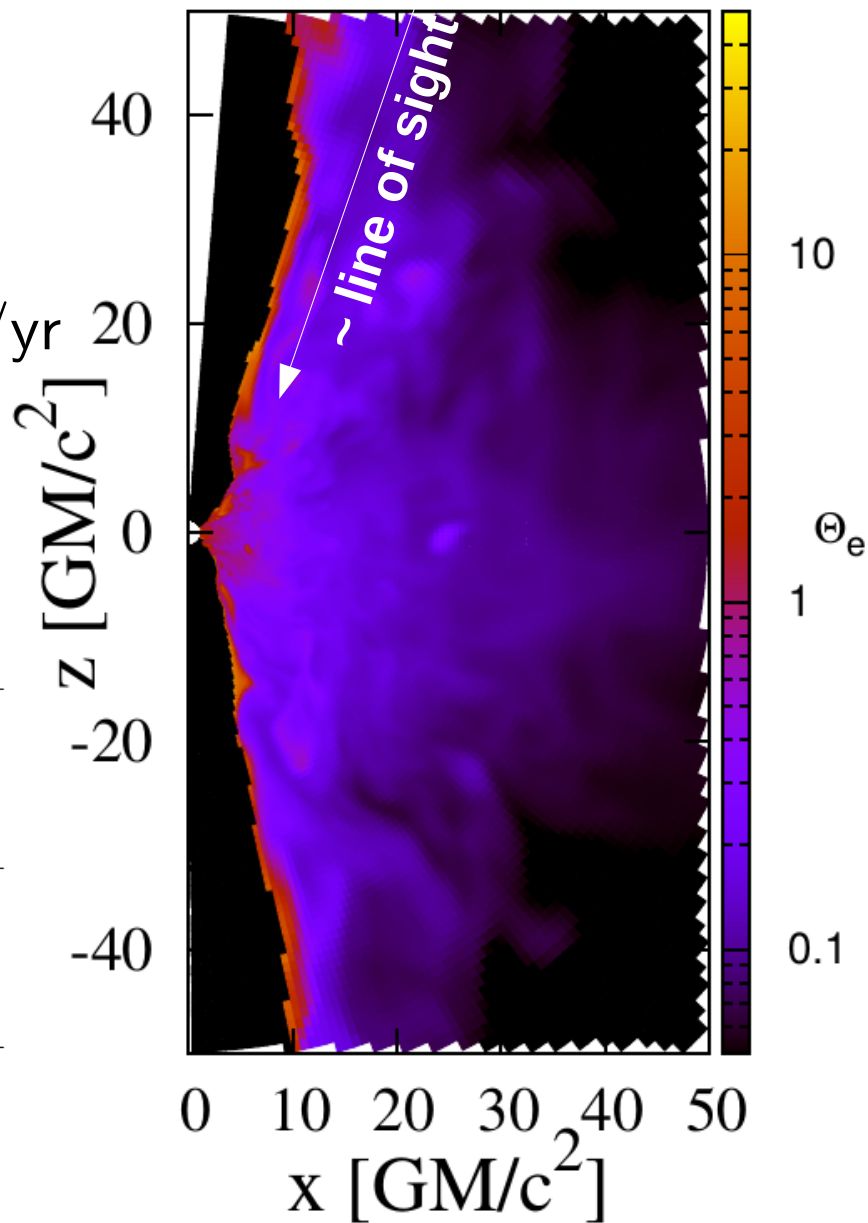
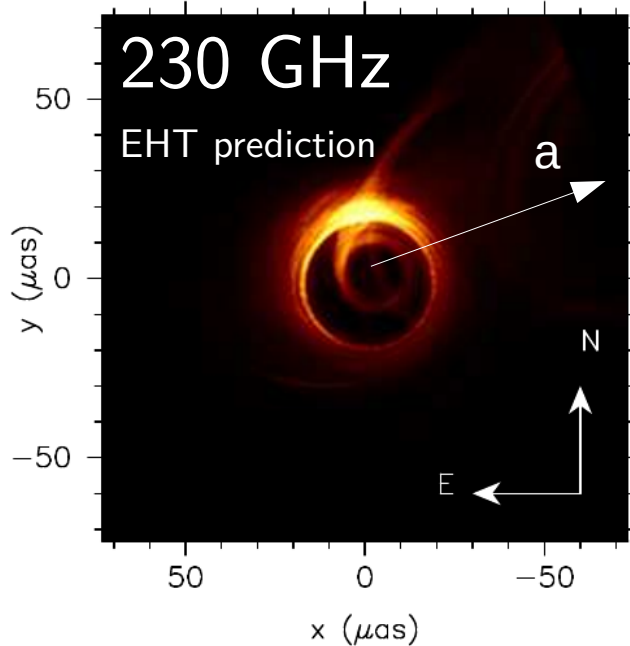
$$\frac{T_p}{T_e} = R_{\text{high}} \frac{\beta^2}{(1 + \beta^2)} + R_{\text{low}} \frac{1}{(1 + \beta^2)}$$

$$R_{\text{high}} = \mathbf{100} \quad R_{\text{low}} = \mathbf{1}$$

$$M_{\text{acc}} = \mathbf{9 \times 10^{-3}} M_{\text{sun}}/\text{yr}$$



Jet(wall) emission dominated images



Polarized Transport through turbulent plasma around Kerr BH

([grtrans](#), Dexter 2016)

$$\frac{d}{ds} \begin{pmatrix} I \\ Q \\ U \\ V \end{pmatrix} = \begin{pmatrix} j_I \\ j_Q \\ j_U \\ j_V \end{pmatrix} - \begin{pmatrix} \alpha_I & \alpha_Q & \alpha_U & \alpha_V \\ \alpha_Q & \alpha_I & \rho_V & \rho_U \\ \alpha_U & -\rho_V & \alpha_I & \rho_Q \\ \alpha_V & -\rho_U & -\rho_Q & \alpha_I \end{pmatrix} \begin{pmatrix} I \\ Q \\ U \\ V \end{pmatrix}$$

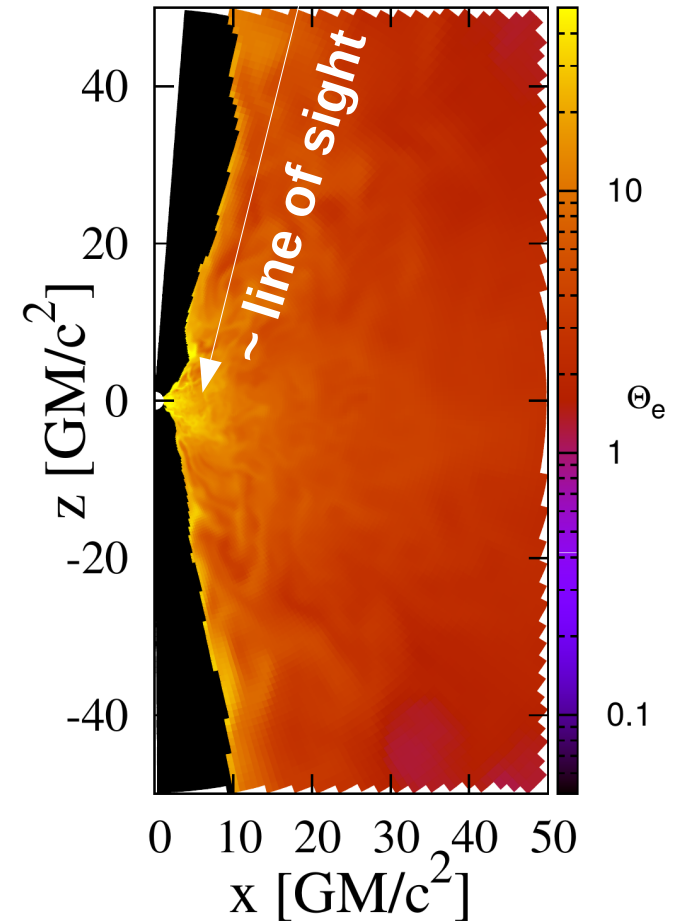
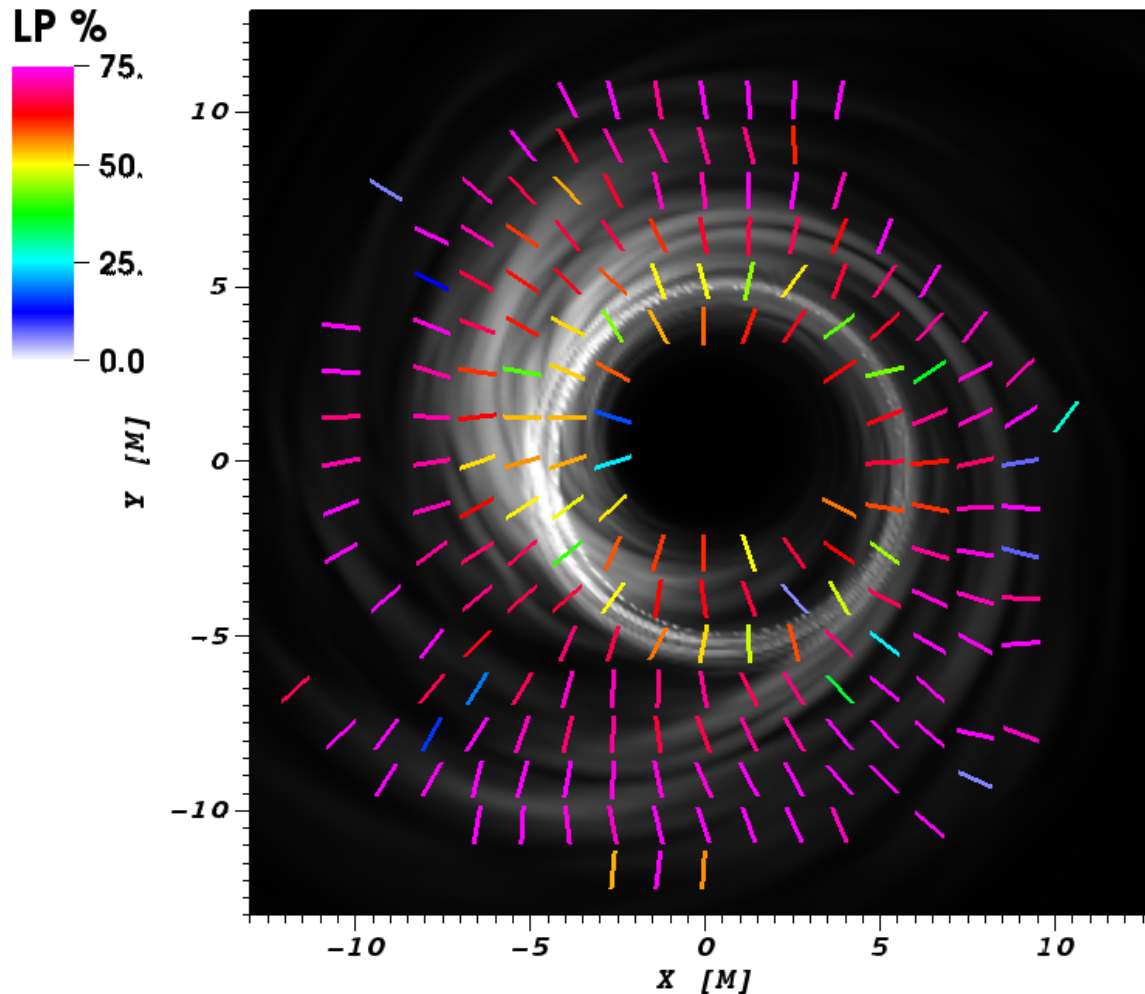
Synchrotron emissivities
Synchrotron Absorptivity, rather optically thin plasma

Faraday conversion-
Conversion of linear to
circular polarization
Faraday rotation – rotates plane of
linear polarization (polarization ticks)

Faraday optical thickness $\gg 1 \sim 10^6$
(equations can be stiff)

1) Polarization structure of **disk emission** dominated models

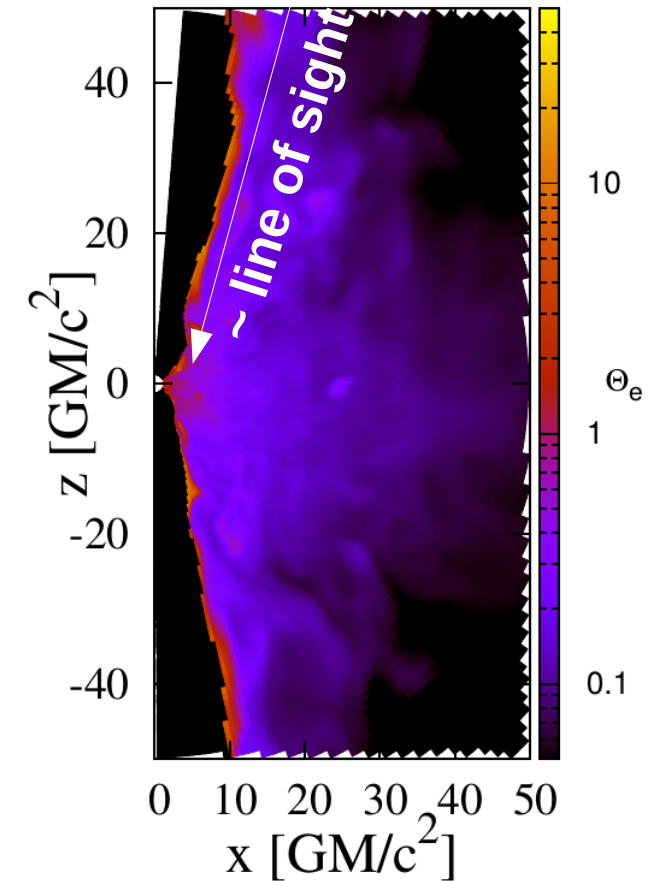
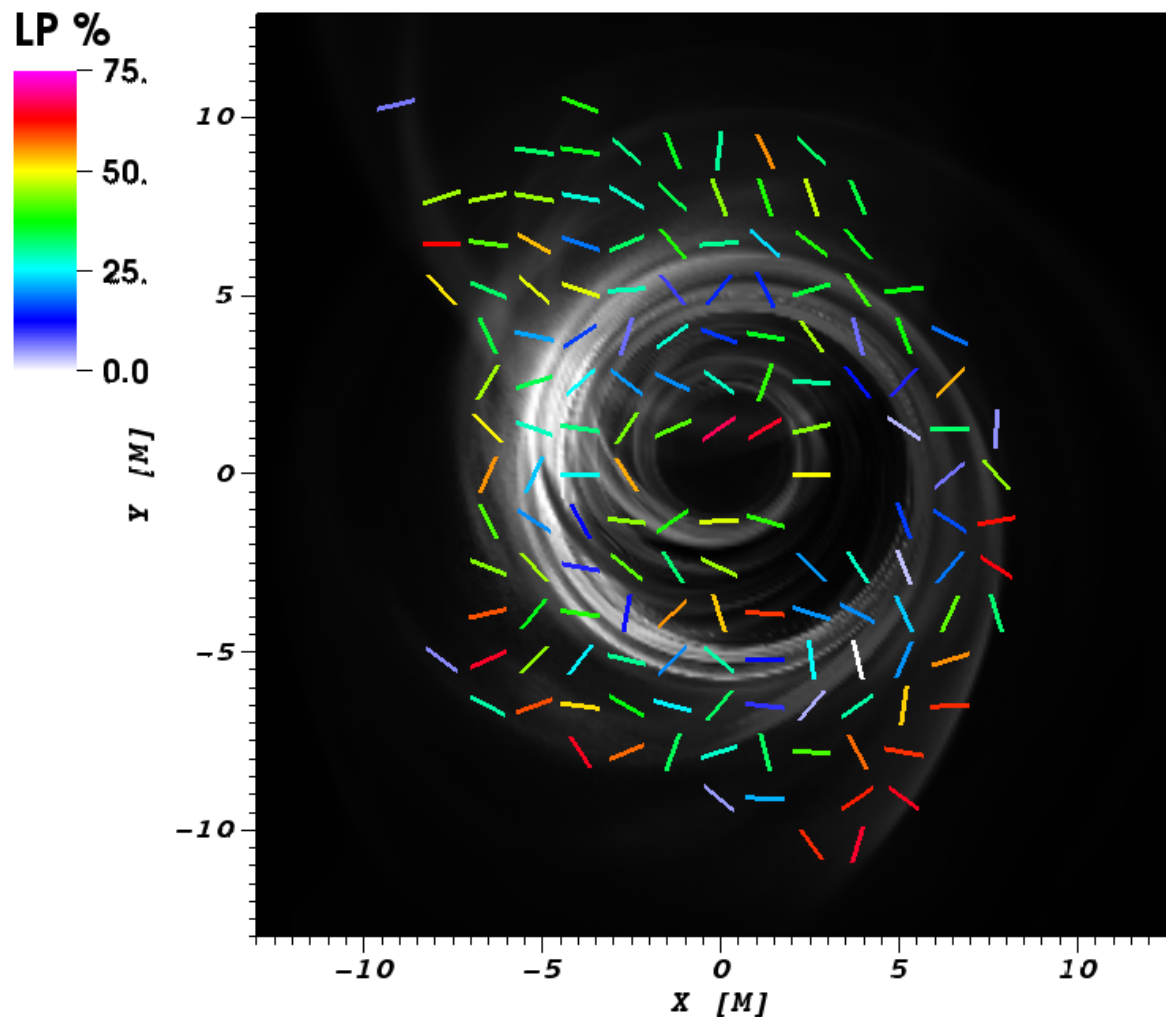
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- EVPA organized, strong linear polarization
- in non-VLBI beam depolarized down to LP $\sim 5\%$ (inconsistent with existing obs., Kuo+2014)

2) Polarization structure of **jet emission** dominated models

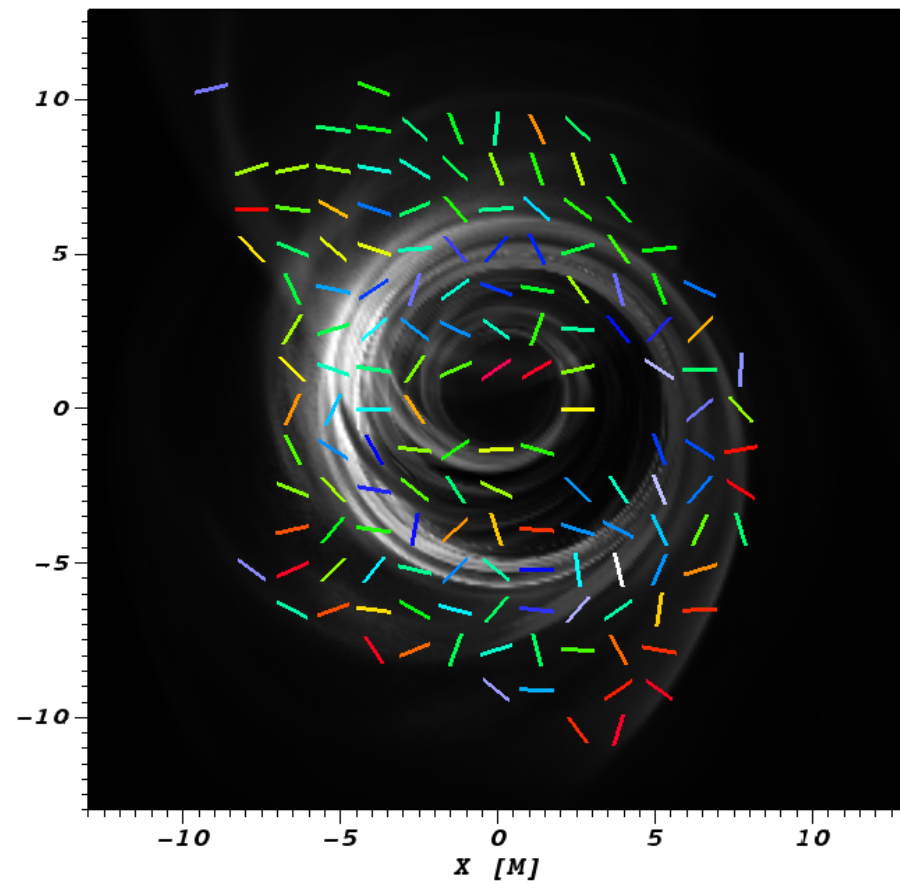
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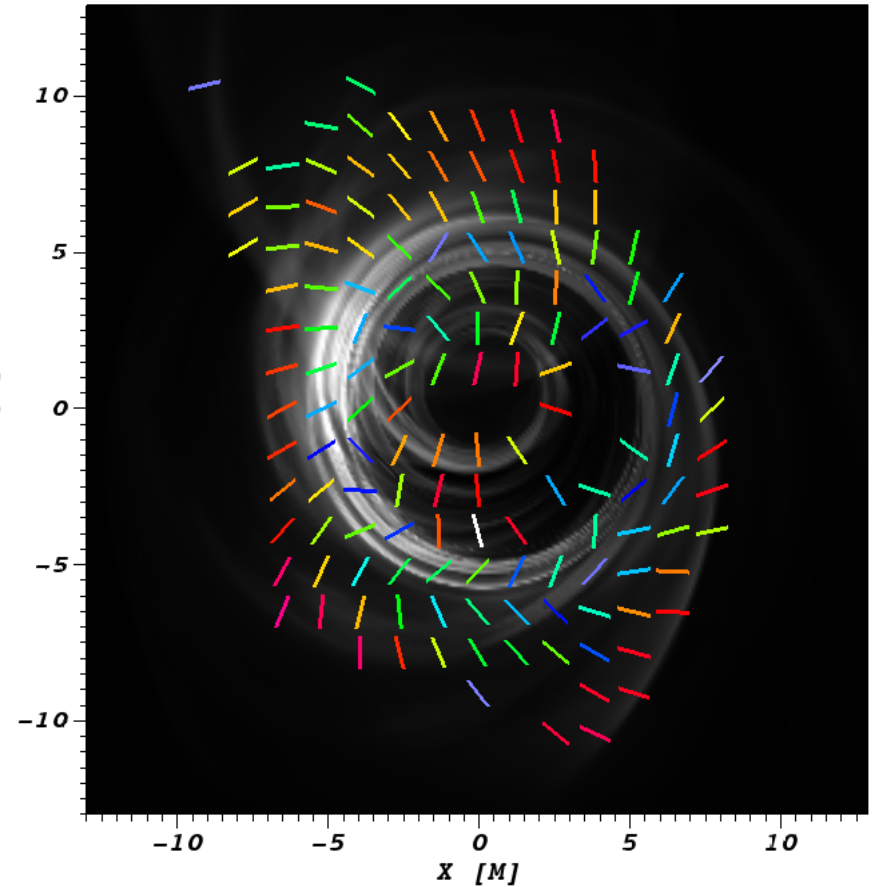
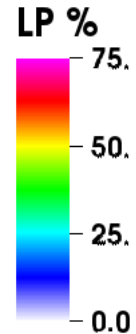
- overall lower LP but some strongly polarized patches offset from intensity peak
- in non-VLBI beam depolarized down to LP $\sim 1\%$ (consistent with obs.)
- No coherent polarization pattern

Polarization structure of **jet emission** dominated models

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Full set of equations



Without Faraday effects

Faraday rotation measure in Sgr A* and M87

- Faraday rotation measure

$$RM = \frac{\chi(\lambda_1) - \chi(\lambda_2)}{\lambda_1^2 - \lambda_2^2}$$

Faraday rotation measure in Sgr A* and M87

- Faraday rotation measure

$$RM = \frac{\chi(\lambda_1) - \chi(\lambda_2)}{\lambda_1^2 - \lambda_2^2}$$

- RM in our black hole systems @ $\lambda=1.3\text{mm}$ (230 GHz) with non-VLBI

Sgr A*: LP $\sim 5\%$, RM = $-5.6(\pm 0.7) \times 10^5$ rad/m²

(Marrone+2007 & ref. therein)

M87: LP $\sim 1\%$, $|RM| < 7.5 \times 10^5$ rad/m² (Kuo+2014)

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- Constraints on accretion rates using semi-analytical RIAF models:

$$RM = 10^4 \frac{e^3}{2\pi m_e^2 c^4} \int f_{\text{rel}} n_e B_{\parallel} dl$$

Sgr A*: $M_{\text{acc}} = 5 \times 10^{-9} - 2 \times 10^{-7} M_{\text{sun}}/\text{yr}$

M87: $M_{\text{acc}} < 9 \times 10^{-4} M_{\text{sun}}/\text{yr}$

Faraday rotation measure in Sgr A* and M87

Should we limit GRMHD free parameters with these accretion rate constraints?

- Semi-analytical RIAFs have: no B field geometry; no jets; no GR effects
- Assumption that polarized source is behind Faraday screen, $x(\lambda) \sim \lambda^2$ (shown in Sgr A* only, not in M87)
- M87 viewing angle $\sim 20\text{deg}$ \rightarrow looking at source through outflowing matter (are we measuring M_{acc} ?)

Faraday Rotation measure simulation

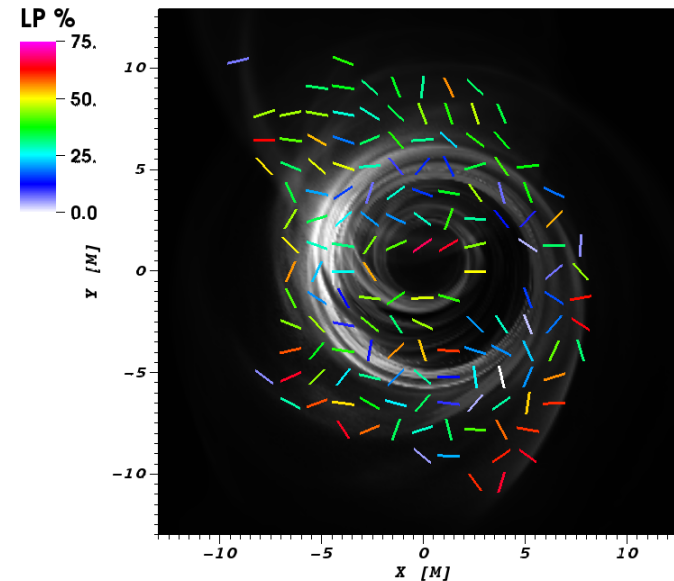
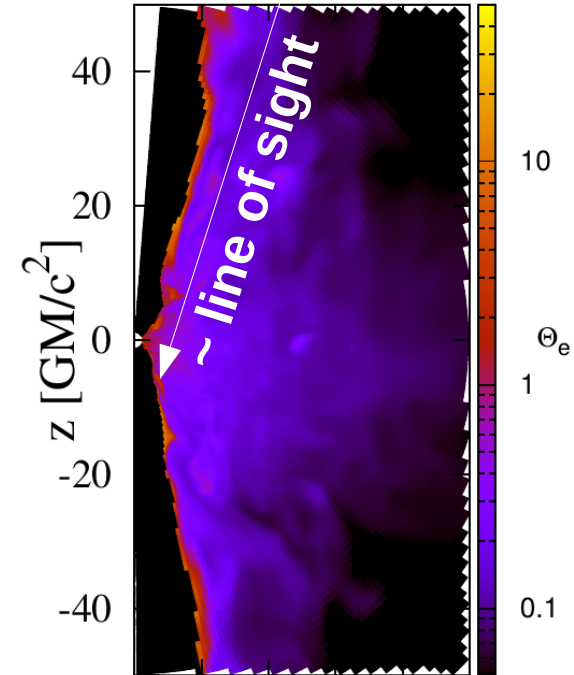
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$$\bullet \frac{d}{ds} \begin{pmatrix} I \\ Q \\ U \\ V \end{pmatrix} = \begin{pmatrix} j_I \\ j_Q \\ j_U \\ j_V \end{pmatrix} - \begin{pmatrix} \alpha_I & \alpha_Q & \alpha_U & \alpha_V \\ \alpha_Q & \alpha_I & \rho_V & \rho_U \\ \alpha_U & -\rho_V & \alpha_I & \rho_Q \\ \alpha_V & -\rho_U & -\rho_Q & \alpha_I \end{pmatrix} \begin{pmatrix} I \\ Q \\ U \\ V \end{pmatrix}$$

$$\chi_{\text{tot}} \equiv \text{arg}(Q_{\text{tot}} + iU_{\text{tot}})/2$$

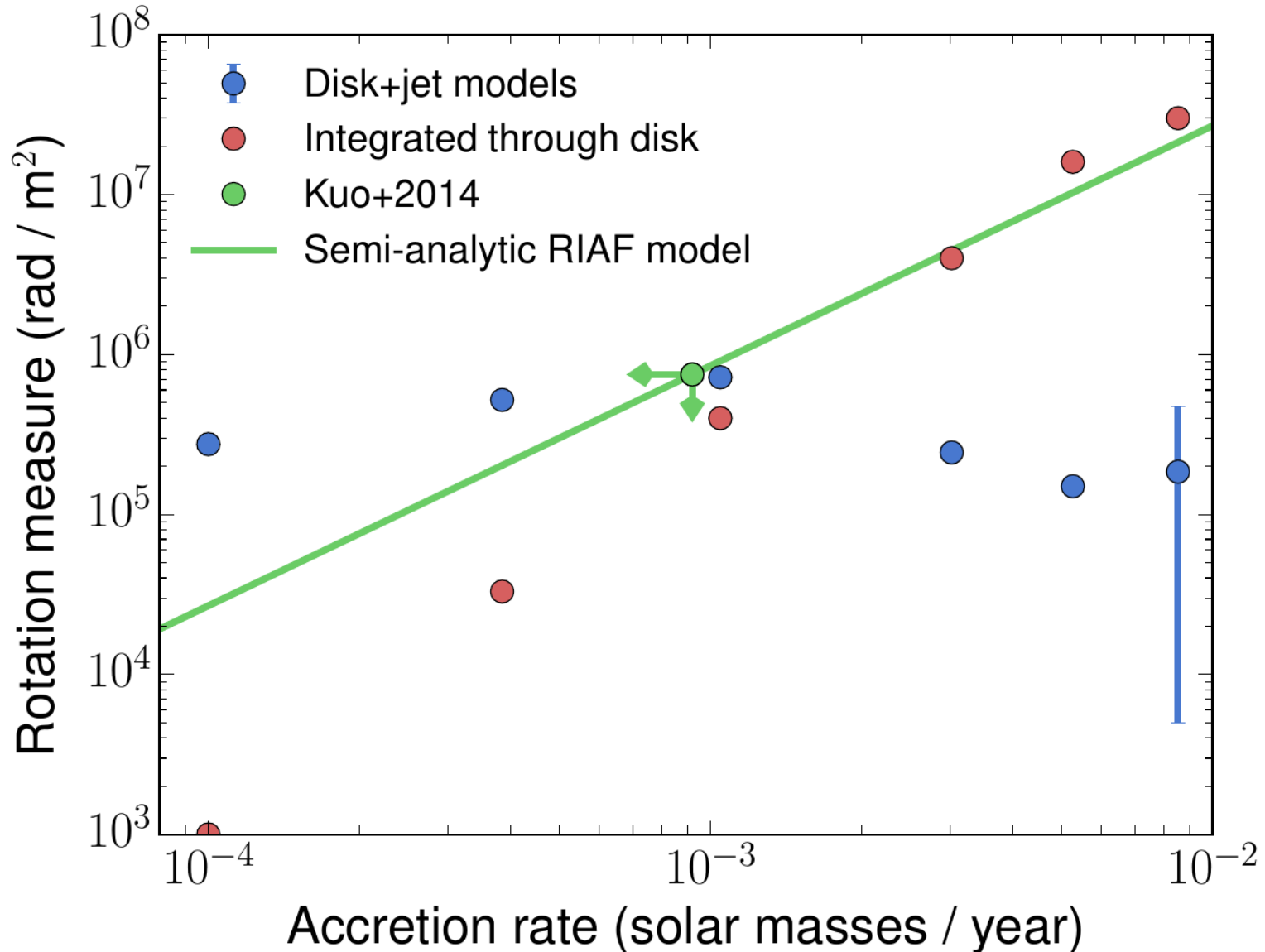
$$RM_{\text{observed}} = \frac{\chi_{\text{tot}}(\lambda_1) - \chi_{\text{tot}}(\lambda_2)}{\lambda_1^2 - \lambda_2^2}$$

$$\bullet RM = 10^4 \frac{e^3}{2\pi m_e^2 c^4} \int f_{\text{rel}} n_e B_{\parallel} dl$$



Rotation measure from radiative transfer models (blue points, 230-240 GHz), from integral (red points)

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Summary

- We show first GRMHD-based polarized images of M87 jet-disk connection near event horizon
- Disk dominated models: lower accretion rates, organized EVPAs , higher LP
- Jet dominated models (that nicely connect to radio jet): 100xhigher accretion rates, strong EVPA scrambling, low polarization (image integrated 1%, observed 1%)
- Jet dominated models that require $M_{\text{acc}} \gg 9 \times 10^{-4} M_{\text{sun}}/\text{yr}$ (limits from RM simple models) are actually consistent with RM when modeled correctly
- We can probably test models with mm-VLBI imaging, however
 - We see jets but no disks – maybe difficult to test accretion theory
 - A lot of polarization scrambling due to Faraday effects, can we constrain the magnetic fields in the disk and jets?