

$\Delta\lambda$ and κ/T : How they help us to determine the 3D gap structures

work by Vivek Mishra, Peter Hirschfeld, Siegfried Graser

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Work in progress by Vivek Mishra and Peter Hirschfeld

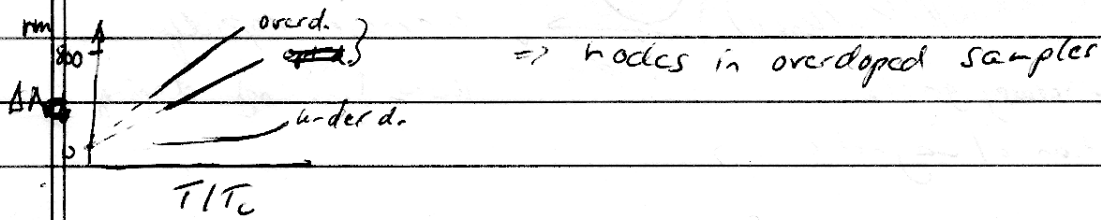
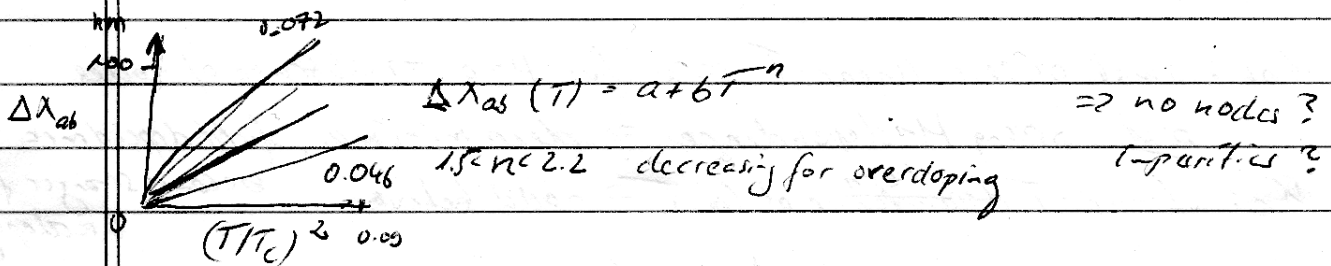
- Motivation

- 3D gap structures

- Thermal Conductivity and Penetration Depth

A) Motivation

- C. Martin et al. $Ba(Fe_{1-x}Ni_x)_2As_2$, penetration depth



Question: if nodes exist they have to contribute to both the in-plane and c-axis penetration depth!!

But position of 3D nodal structures can enhance linear term in out-of-plane pen. depth.
c-axis

- Reid et al. $Ba(Fe_{1-x}Co_x)_2As_2$, c-axis heat transport

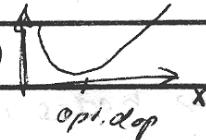
- heat transport: Interesting because probe down to very low $T \approx 50 mK$

κ_{06} : small or zero linear- T term for $H=0 \Rightarrow$ absence of nodes

but strong H -dependence \Rightarrow deep minima, field dependence

κ_{06} : linear- T ^{term} dependence at low $T \Rightarrow$ nodal behavior becomes stronger for overdoping!

Anisotropy $(\kappa_{01}/\kappa_{02})/(\kappa_{03}/\kappa_{04})$



increases rapidly

away from opt. doping

normalized anisotropy goes to

1 as a function of magnetic

field!

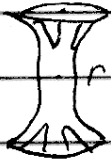
2.) 3D gap structures

Most Phidides show fairly 2D gaps,

Depending on doping some materials (e.g. Be-122) develop stronger 3D behaviour:

- ~~Model:~~ Hole pocket shows doping dependent warping close to π

SFT+ Microscopic SF Calculation



Mainly of d-orbital character
Warping is related to hybridization with other orbitals \Rightarrow change of orbital character at $k_z = \pi$

\Rightarrow Matrix elements in spin fluctuation calculations result in reduced pairing \Rightarrow ~~creates~~ 3D nodes in the FJ close to $k_z = \pi$! Similar conclusions by Kuroki et al. *BaFe₂(As_xF_{2-x})₂*

Model:



V-shaped nodes



near horizontal nodes



closed hole pocket

e- pockets



deep minima

3) Penetration depth:

usual argument: T^2 for dirty supercond. due to in-gap states
 lin. T for nodal supercond. (line nodes)

But: if imp. scattering dominates we should see T^2
 behaviour in ab-plane and c-axis penetration depth

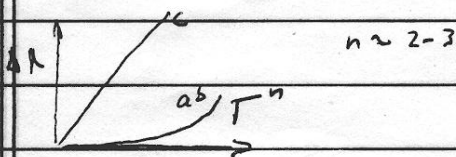
$$\frac{1}{\lambda_L^2} \sim \sum_i m_i \int \frac{d\omega}{\omega} \left(\frac{\tanh(\frac{\omega}{2T})}{\omega} \right) (v_{F,i})^2 \text{Im} \left[\frac{\tilde{\Delta}}{(\tilde{\Delta} - \omega)^2} \right]_{FS}$$

λ_{ac} cannot be accessed (integration over all bands necessary)

$\Delta \lambda_L \sim \lambda_{0,ab} F(T)$ T dependence can be calculated exactly

$$\lambda_{0,c} \Rightarrow \lambda_{0,ab}$$

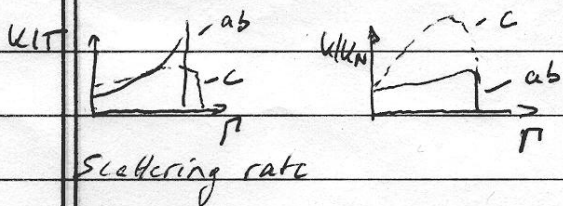
We find: "crossover" with linear behavior
 due to nodes on hole sheets and
 quasilinear behavior due to qp excitations
 from deep minima on electron sheets



- Thermal conductivity

low T κT depends on nodal phase space and on the direction
 of v_F at the nodes $\langle v_{F,ab}^{nodal} \rangle$; $\langle v_{F,c}^{nodal} \rangle$

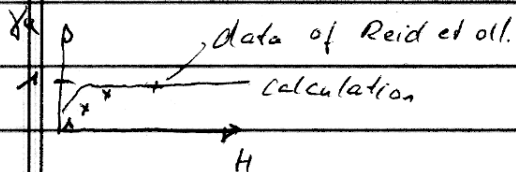
We need: large $v_{F,c}$ component at the nodes \Rightarrow large κT for $T \rightarrow 0$
 \Rightarrow horizontal nodes close to warping of FS \Rightarrow large $(\kappa_c T) / (\kappa_{ab} T)$ anisotropy



interband scattering cannot explain
 strong anisotropy of normalized residual
 thermal conductivity: $(\kappa_c^0 / \kappa_{ab}^0) / (\kappa_c^c / \kappa_{ab}^c) = 1$

Magnetic field dependence:

$$\chi_{ii}^{-1} = \lim_{T \rightarrow 0} \frac{\kappa_{ii} T \kappa_{ii} N}{\kappa_{ii} T \kappa_{ii} N}$$



- Small fields: χ dominated by weak nodes on hole sheets!

- large fields: deep gap minima start to contribute and dominate

due to larger phase space,

electron pockets more 2D \Rightarrow anisotropy vanishes