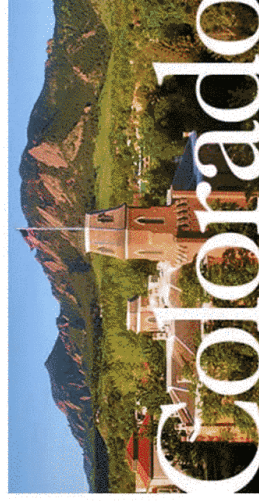


Using Cohesion Models to Explain Pressure Overshoot in Gas-Fluidized Beds

C. M. Hrenya

Department of Chemical and Biological Engineering
University of Colorado



KITP Granular Physics Conference - June 2005

Student: Michael Weber

Funding: National Science Foundation

Acknowledgments: DOE NETL and Prof. Murthy (Purdue Univ.)

Overview

System of Interest: fluidized bed with cohesive particles

Long-Term Goal: incorporation of cohesion into continuum framework

- Kim and Arastoopour (*AIChE J.*, 2002)

Objective: assess effectiveness of simple cohesion model

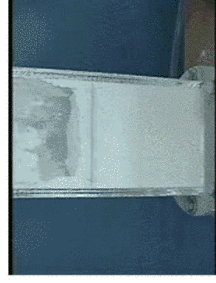
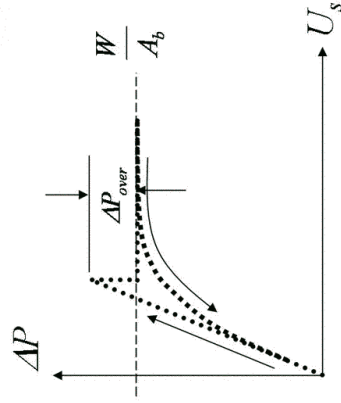
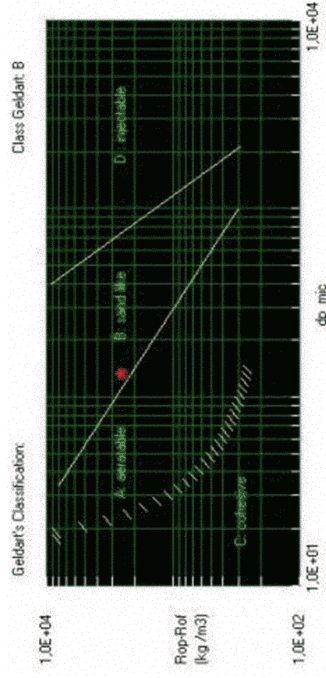
- Square-well model: binary, instantaneous interactions

Approach: Eulerian-Lagrangian model

- Square-well model vs. Hamaker model for van der Waals forces

Effects of Cohesion in Fluidized Beds

- 1) Fluidization Quality
- 2) Mixing Levels
- 3) Pressure Overshoot (?)



Prof. Rhodes website, Monash University

Eulerian-Lagrangian model

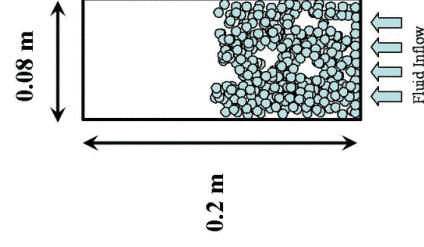
MFIX framework (DOE NETL)

Gas Phase: continuum

- 2D
- 27 x 30 cells

Particle Phase: discrete

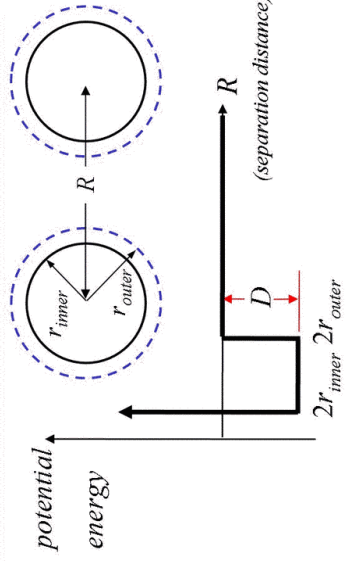
- extension of soft-sphere model (Prof. Murthy, Purdue)
- Linear-spring / dashpot
- inelastic, frictional spheres
- 4000 1-mm particles
- $\mu = 0.3$, $e = 0.94$, $t_{coll} = 9.25 \times 10^{-5}$ s



Cohesion Models

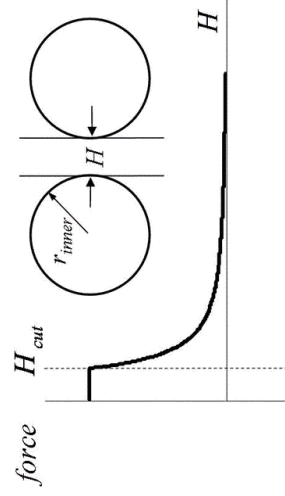
Square Well

- inputs: well depth D and outer radius r_{outer}
- attractive force is **impulsive**

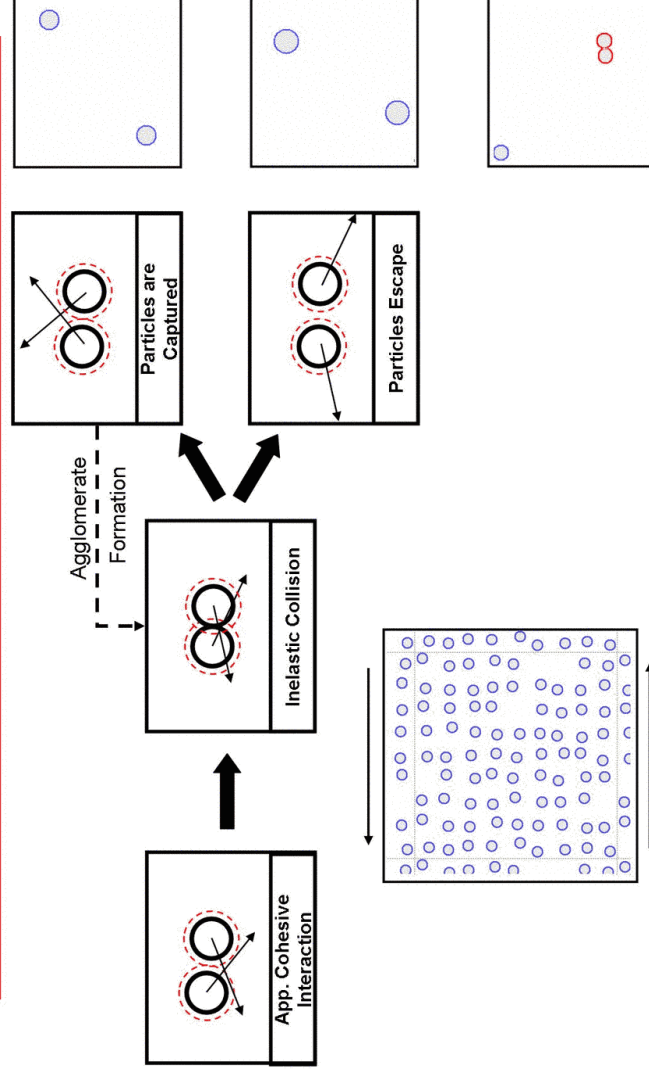


Hamaker

- inputs: Hamaker constant A and cutoff distance H_{cut}
- attractive force **varies continuously with separation distance H**

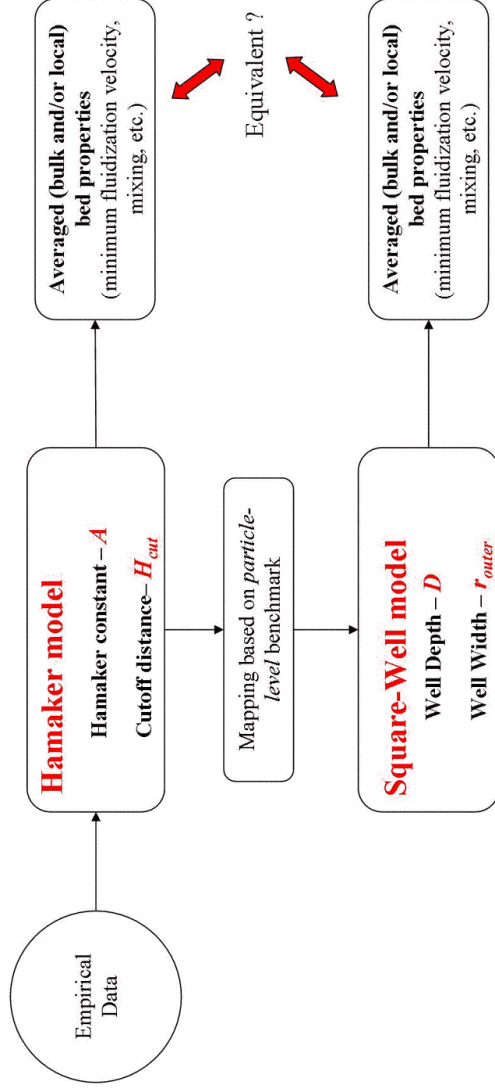


Square-Well: Particle interaction sequence

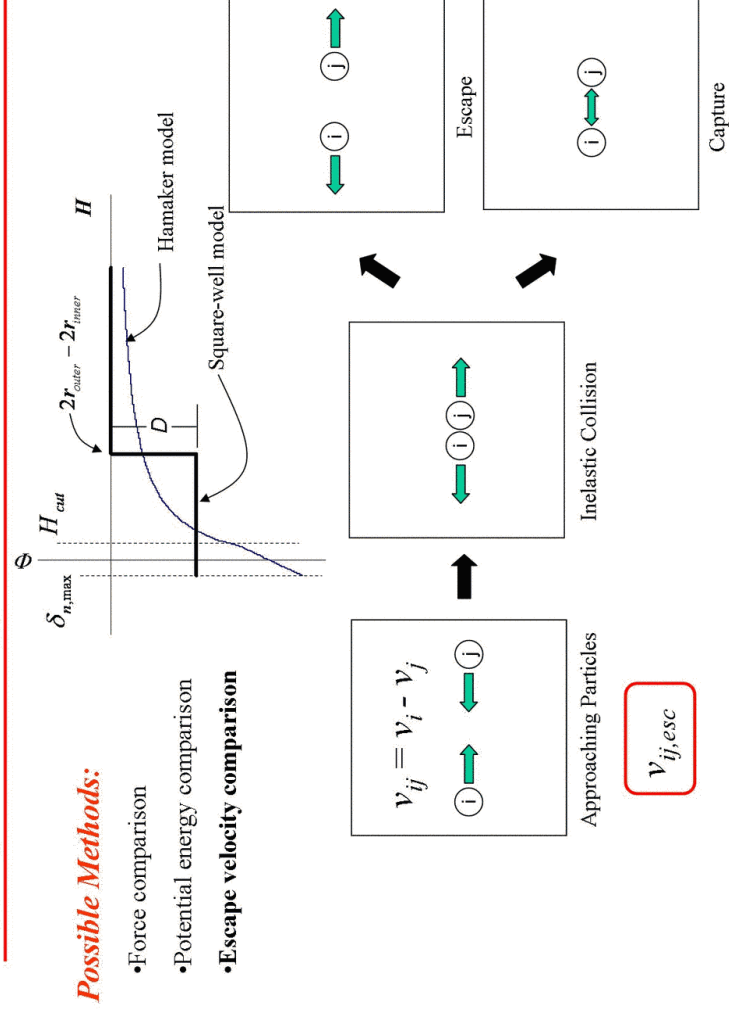


Weber, Hoffman, and Hrenya (*Gran. Matter*, 2004)

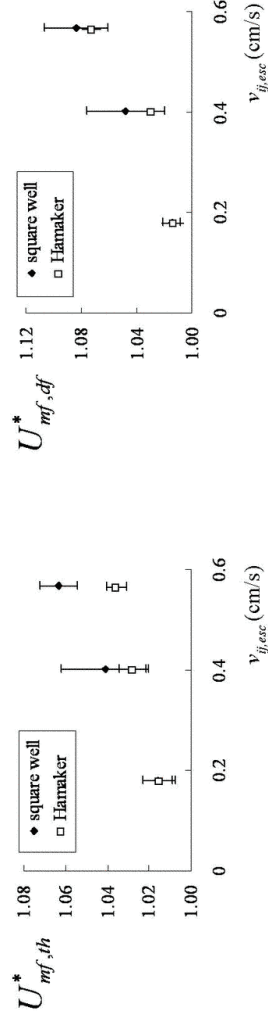
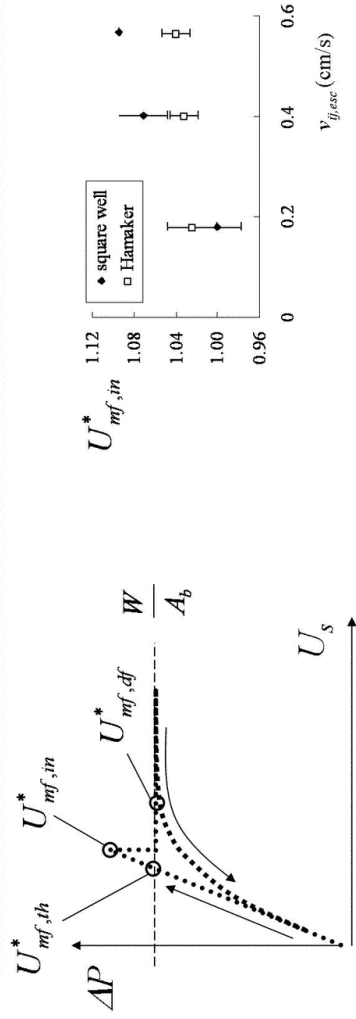
Mapping between cohesion models



Mapping: Methodology

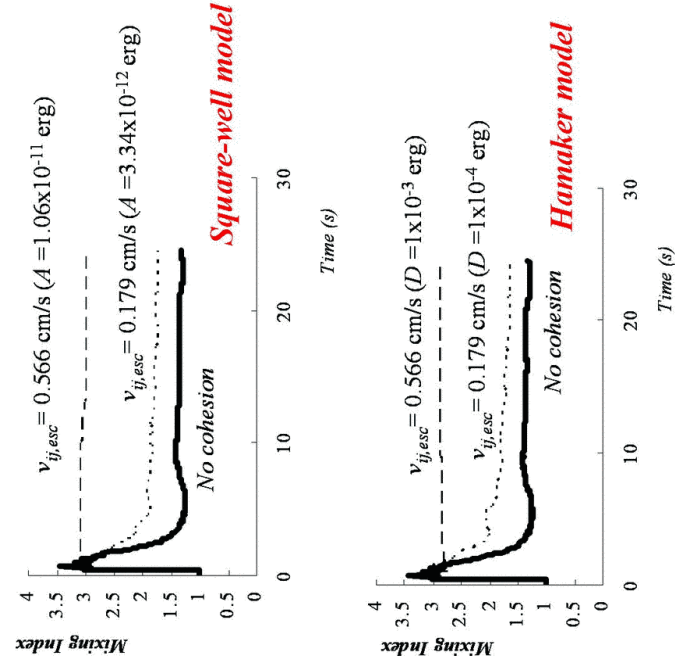


Mapping: Minimum Fluidization Velocities

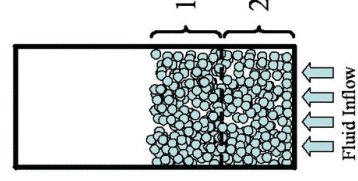


Escape velocity provides good common ground between models

Mapping: Mixing Index



$$I = \frac{\langle h_1 \rangle}{\langle h_2 \rangle}$$



Pressure Overshoot: Previous work

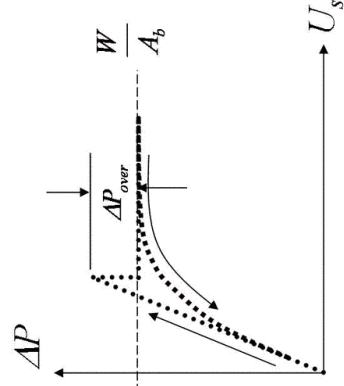
Experiments

- Pressure overshoot increases as bed width decreases (Tsinonitides and Jackson 1993, Loezos et al., 2002; Srivastava and Sundaresan, 2002)
- Pressure overshoot increases as moisture increases (Tsinonitides and Jackson 1993)

Continuum Models

- Pressure overshoot increases with **particle-wall friction**: *depends on bed width* (Jackson 1998)
- Pressure overshoot increases with **particle-particle cohesion**: *independent of bed width* (Jackson 1998)

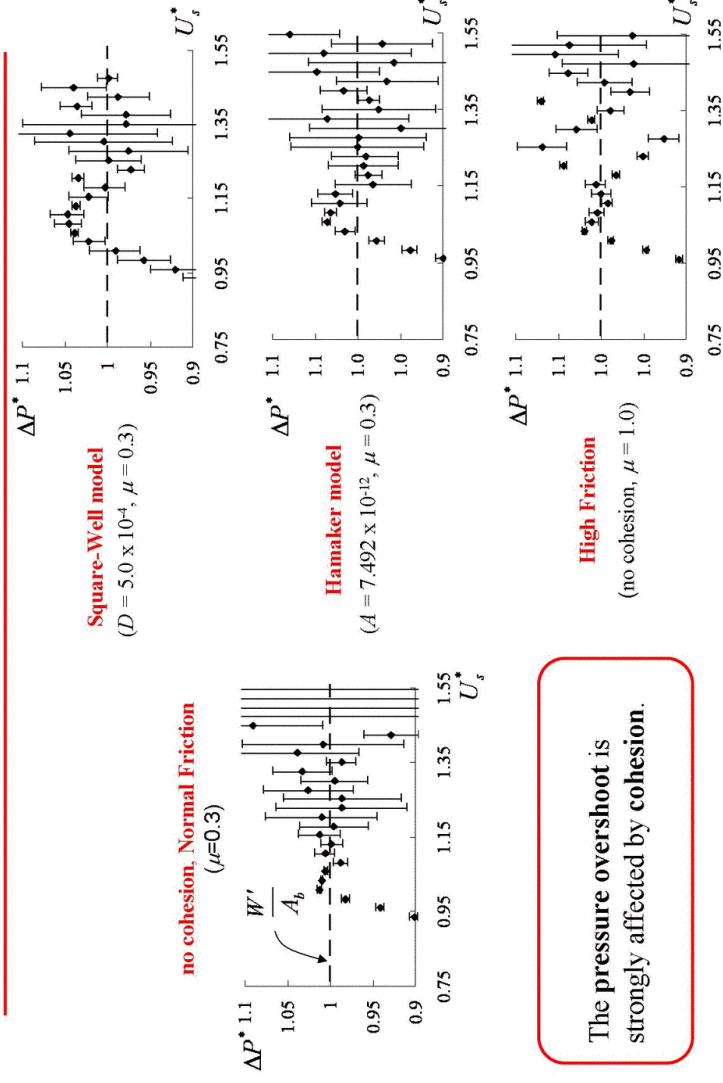
Challenge: If overshoot depends on bed width, what is relative contribution of friction and cohesion?



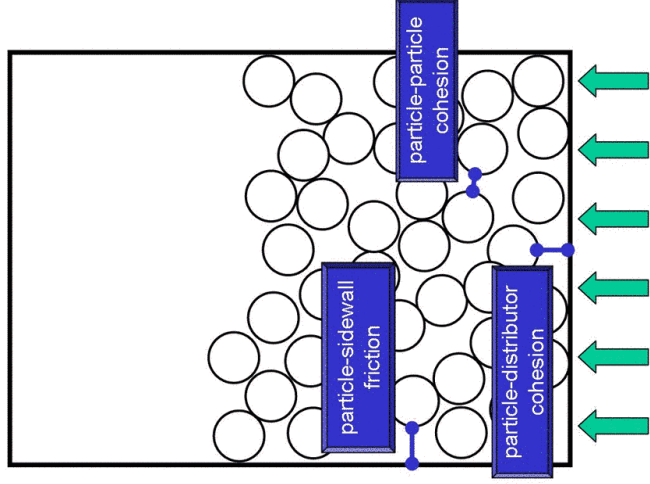
$$\frac{dp}{dy} = \beta(v) \frac{U_{sf}}{1-v}$$

$$\frac{d\sigma_s}{dy} \pm \frac{4}{D} \mu_j \sigma_s = \rho_p v g - \beta(v) \frac{U_{sf}}{1-v}$$

Pressure Overshoot: Cohesion vs. Friction



Pressure Overshoot: Square-Well model



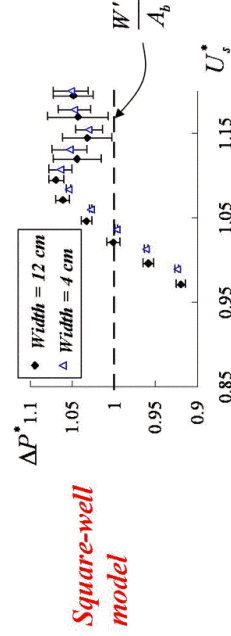
In simulations using **square-well** cohesion model, pressure overshoot primarily due to:

- 1 - **particle-particle** cohesion
- 2 - **particle-distributor** cohesion
- 3 - **particle-sidewall** friction

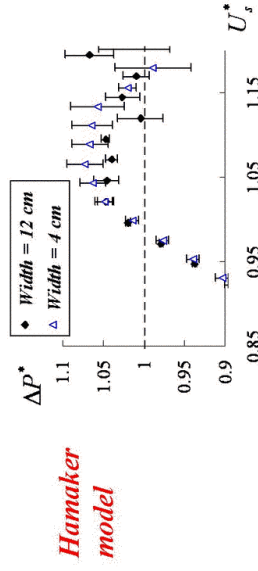
In simulations using **Hamaker** cohesion model, pressure overshoot primarily due to:

- 1 - **particle-particle** cohesion
- 2 - **particle-sidewall** friction
- 3 - **particle-distributor** cohesion

Pressure Overshoot: Bed Width



With **Square-Well** model, pressure overshoot does not change as bed width is increased.



With **Hamaker** model, pressure overshoot decreases slightly as bed width is increased.

Conclusions

Escape-velocity mapping between Hamaker and square-well models is

- Strength: effective at predicting minimum fluidization velocity and mixing levels
- Weakness: not effective at predicting relative contributions of mechanisms for pressure overshoot

Mechanisms responsible for overshoot are

- Wall: Friction (*which may be influenced by cohesion*)
- Distributor Plate: Cohesion

Gordon Conference on Granular and Granular-Fluid Flows

When: July 23-28, 2006

Where: The Queen's College
Oxford, UK

Website: <http://www.grc.uri.edu/programs/2006/granular.htm>

Contacts: Christine Hrenya (hrenya@colorado.edu) – Chair
Bob Behringer (bob@phy.duke.edu) – Vice Chair

$$\left(\bar{\mathbf{k}} \cdot \bar{\mathbf{v}}_{\text{rel,post-coll}}\right)^2 = \frac{4D}{m} + \left(\bar{\mathbf{k}} \cdot \bar{\mathbf{v}}_{\text{rel,pre-coll}}\right)^2$$
$$\left(\bar{\mathbf{k}} \cdot \bar{\mathbf{v}}_{\text{rel,post-coll}}\right)^2 = \left(\bar{\mathbf{k}} \cdot \bar{\mathbf{v}}_{\text{rel,pre-coll}}\right)^2 - \frac{4D}{m}$$