Post-treatment Control of HIV and Effects of Reversing Exhaustion

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HIV Functional Cure



General Hospital Reveals Fourteen Years of HIV Functional Cure: The Case of the 'Toulon Patient'

A man infected by HIV-1 in 1998 was treated at the time of acute infection with 4 antiretrovirals during 2 years and is now still in remission.



TOULON, VAR, FRANCE, August 5, 2014

Modeling Post-treatment Control (PTC)

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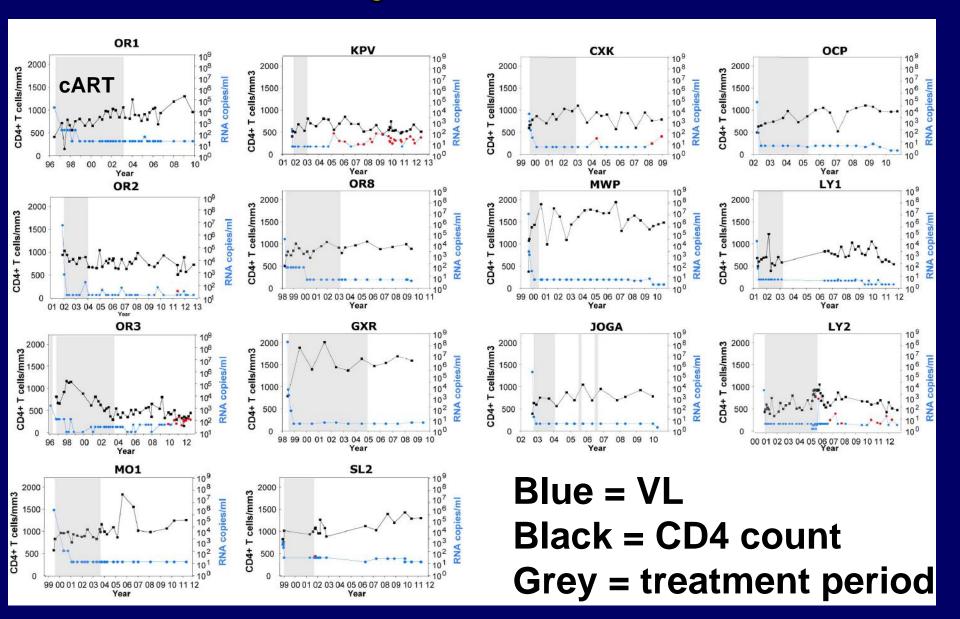


Post-Treatment HIV-1 Controllers with a Long-Term Virological Remission after the Interruption of Early Initiated Antiretroviral Therapy ANRS VISCONTI Study

Asier Sáez-Cirión¹*, Charline Bacchus², Laurent Hocqueloux³, Véronique Avettand-Fenoel^{4,5}, Isabelle Girault⁶, Camille Lecuroux⁶, Valerie Potard^{7,8}, Pierre Versmisse¹, Adeline Melard⁴, Thierry Prazuck³, Benjamin Descours², Julien Guergnon², Jean-Paul Viard^{5,9}, Faroudy Boufassa¹⁰, Olivier Lambotte^{6,11}, Cécile Goujard^{10,11}, Laurence Meyer^{10,12}, Dominique Costagliola^{7,8,13}, Alain Venet⁶, Gianfranco Pancino¹, Brigitte Autran², Christine Rouzioux^{4,5}*, the ANRS VISCONTI Study Group¹

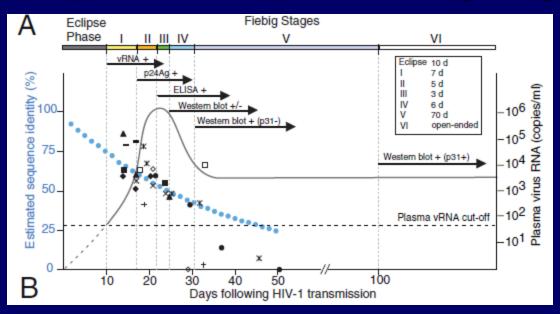
Plos Path 9, e1003211 (2013)

14 subjects were PTCs



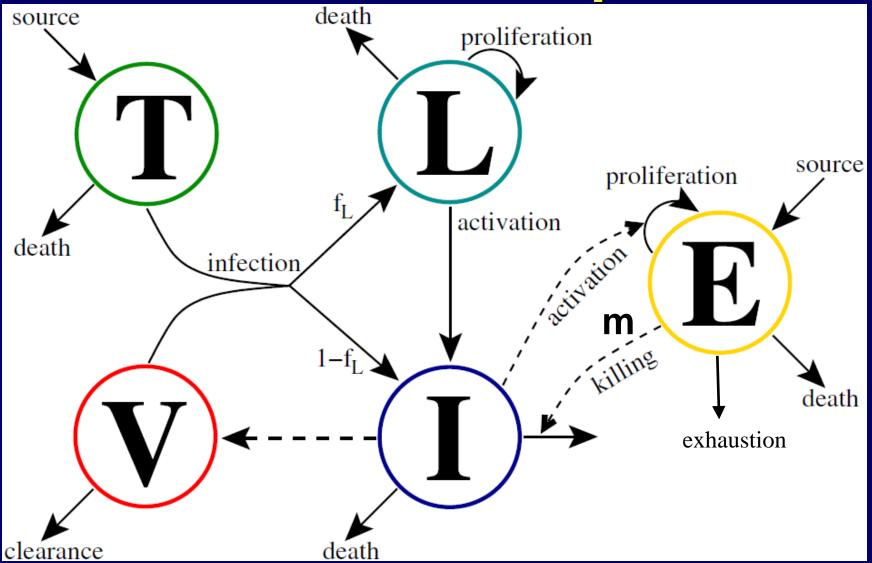
PTCs have two set-points

 Pre-treatment average baseline viral load was 10⁵ copies/ml and pts in Fiebig stage V

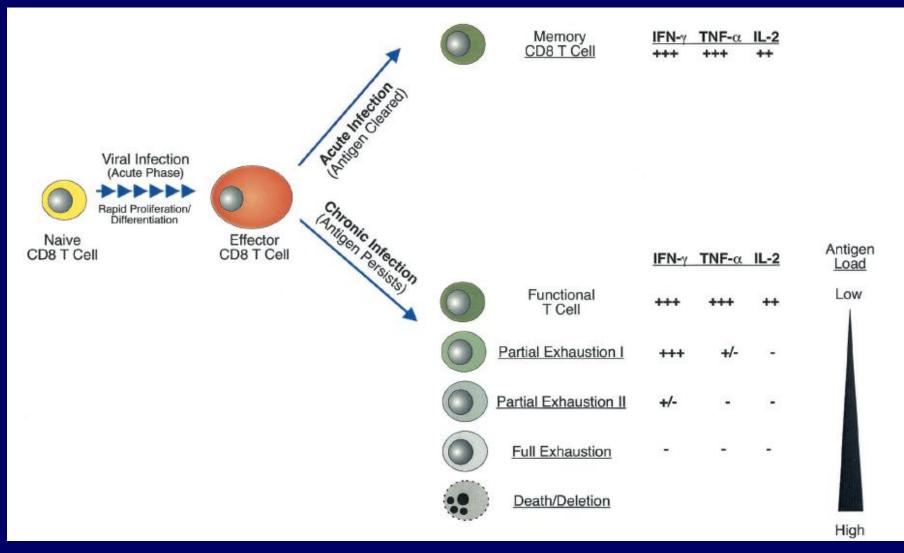


Post-treatment controllers, VL < 50 copies/ml.
 VL<50 /ml is stable for yrs = new set-point, i.e.
 bistability

Model with 2 set-points



Immune Exhaustion



Wherry et al J Virol 77: 4911 (2003)

Model equations

Target cells, T
Latently infected. L
Productively infected, I
Virus, V
Effector cells, E

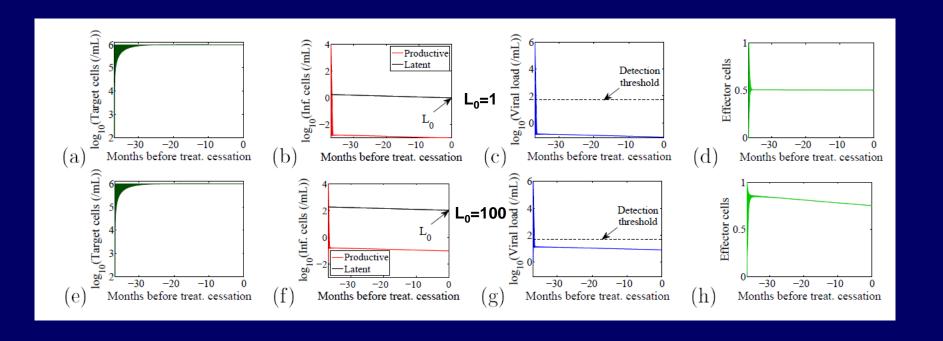
$$\begin{array}{lll} \frac{dT}{dt} & = & \lambda - dT - (1 - \varepsilon)kVT \\ \frac{dL}{dt} & = & \alpha_L(1 - \varepsilon)kVT + (\rho - a - d_L)L \\ \frac{dI}{dt} & = & (1 - \alpha_L)(1 - \varepsilon)kVT - \delta I + aL - mEI \\ \frac{dV}{dt} & = & pI - cV \\ \frac{dE}{dt} & = & \lambda_E + b_E \frac{I}{K_B + I}E - d_E \frac{I}{K_D + I}E - \mu E. \end{array}$$

Rate of killing of infected cells by effector cells = mE (should be $< 1 d^{-1}$)
Have scaled effector cell levels so $0 \le m \le 1$.

Details

- Pre-therapy patient has high VL (varies)
- In model, treat with ART, VL decreases to < 50 cp/ml, latently infected cells decrease to low level, L₀, e.g. 1 100 /10⁶ cells. Exact level is expected to vary among pts due to initial level, treatment length and treatment efficacy.
- After ART stopped, residual viremia and activation of latently infected cells either drives viral rebound or immune system controls.

Initial conditions determined by post-treatment L₀

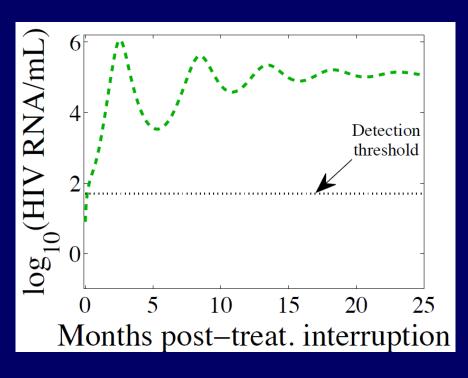


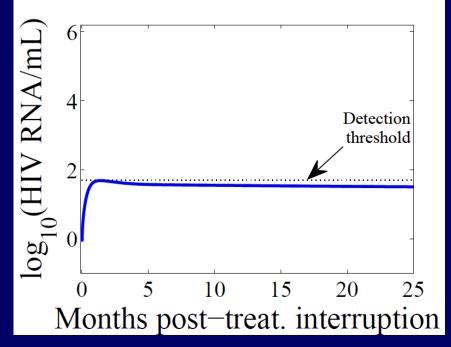
Start with a range of initial conditions – but trajectories quickly establish QSS with L(t)

Post-treatment predictions

 $L_0 = 100 \text{ per } 10^6 \text{ cells}; m = 0.32$

 $L_0 = 1 \text{ per } 10^6 \text{ cells}; m = 0.32$

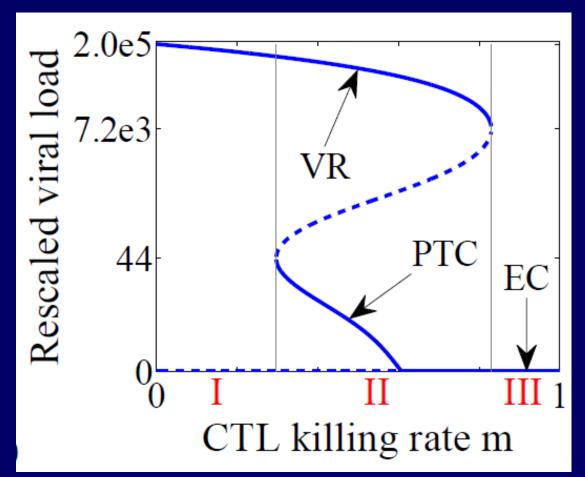




Rebound

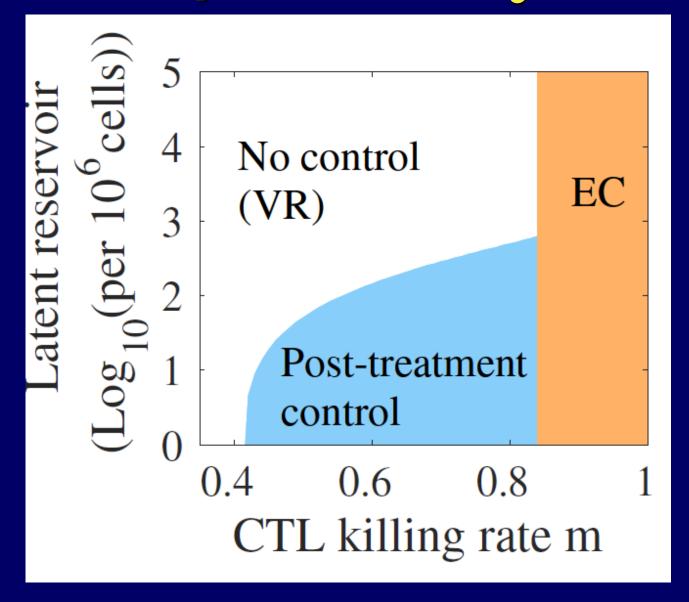
PTC

Post-treatment control (PTC) also depends on strength of immune response



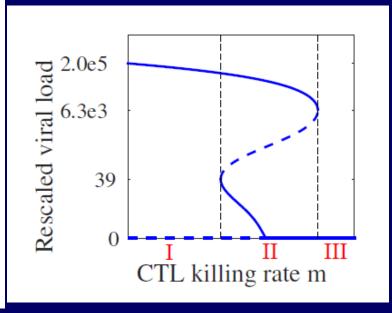
Y-axis is predicted post-treatment set-point VL (Rescaled with sinh⁻¹)

PTC depends on L_0 and m



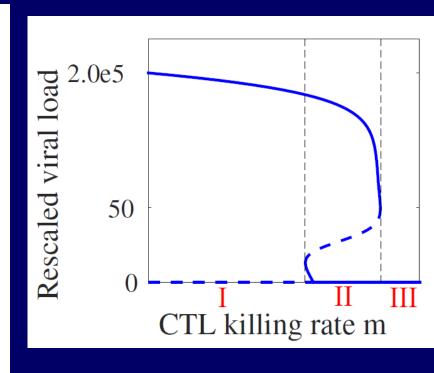
Alternative Models

$$\begin{split} \frac{dT}{dt} &= \lambda - dT - (1 - \varepsilon)\beta VT \\ \frac{dL}{dt} &= \alpha_L (1 - \varepsilon)\beta VT - (a + d_L)L + rL \left(1 - \frac{L}{L_{\text{max}}}\right) \\ \frac{dI}{dt} &= (1 - \alpha_L)(1 - \varepsilon)\beta VT - \delta I + aL - mEI \\ \frac{dV}{dt} &= pI - cV \\ \frac{dE}{dt} &= \lambda_E + b_E \frac{I}{K_B + I}E - d_E \frac{I}{K_D + I}E - \mu E. \end{split}$$

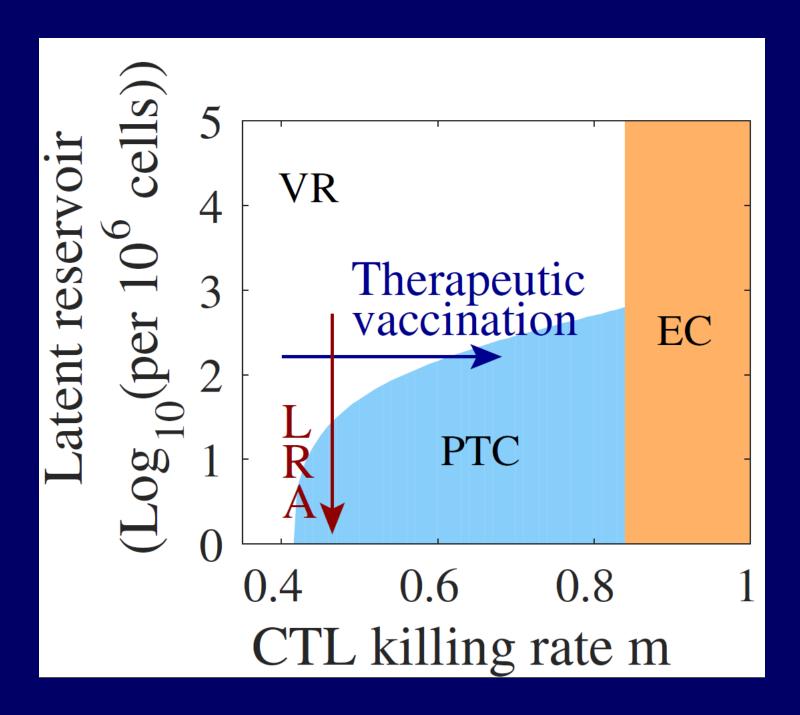


Alternative Exhaustion Model

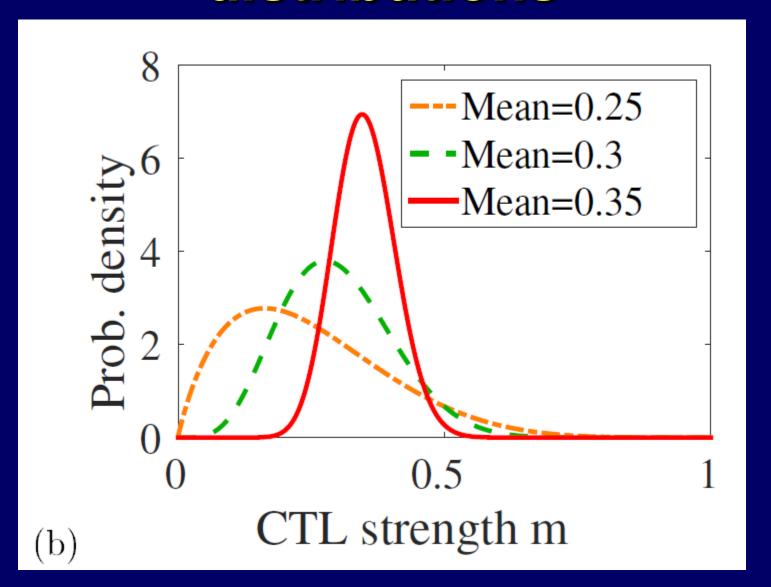
$$\begin{split} \frac{dT}{dt} &= \lambda - dT - \beta TV \\ \frac{dL}{dt} &= \alpha_L (1 - \varepsilon) \beta V T + (\rho - a - d_L) L \\ \frac{dI}{dt} &= (1 - \alpha_L) (1 - \varepsilon) \beta V T - \delta I + aL - mEI \\ \frac{dV}{dt} &= pI - cV \\ \frac{dE}{dt} &= \lambda_E + s \frac{I}{\phi + I} E - \xi \frac{Q^n}{q_c^n + Q^n} E - \mu E \\ \frac{dQ}{dt} &= \kappa \frac{I}{\phi + I} - d_q Q. \end{split}$$



Q=level of exhaustion; Johnson et al. J Virol. 2011

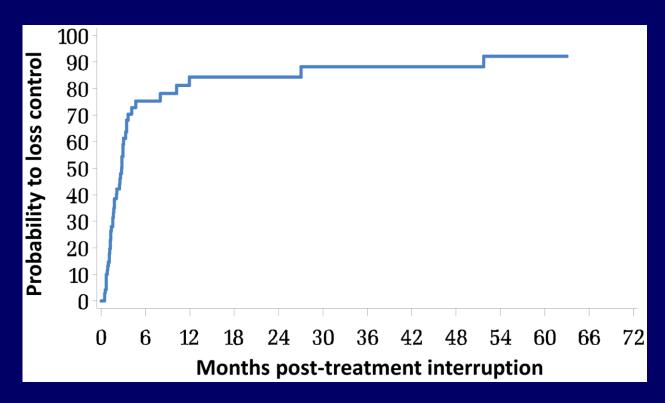


Possible CTL strength distributions



Viral rebound

 Of the >100 study subjects in the Visconti study only 14 were PTCs; in the remaining the VL rebounded but not immediately. Time to rebound reported for a different French acute infection cohort.

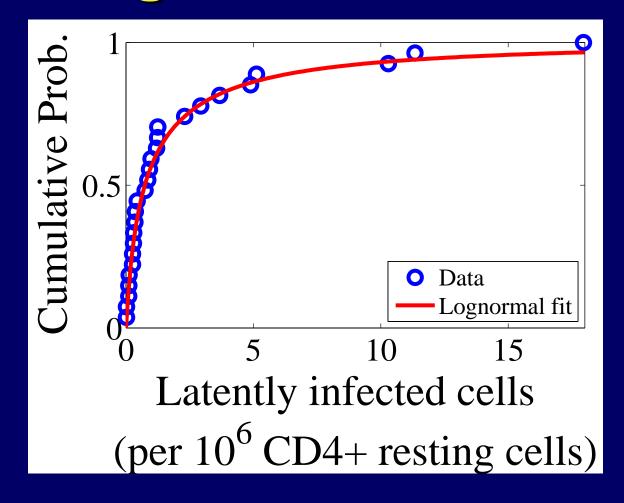


N=74; at least 1 yr ART initiated within 6 mo of infection; loss of control VL> 50/ml

Time to rebound

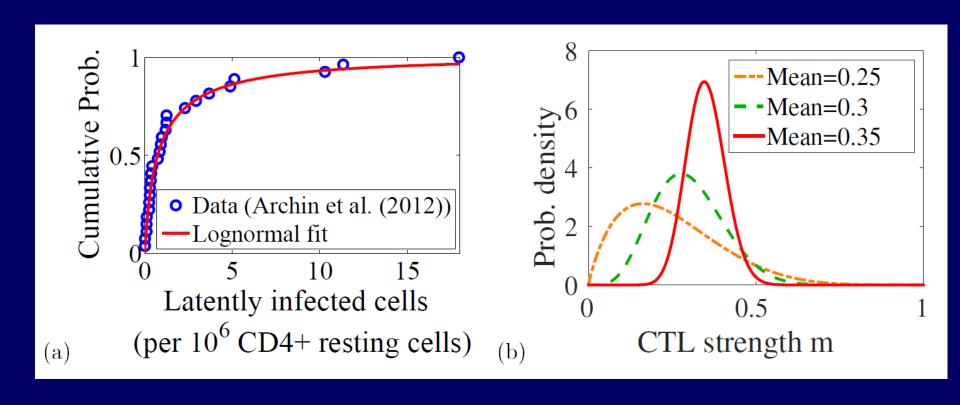
- In our model time to rebound depends on latent reservoir size, L₀.
- Do not know distribution of latent reservoir sizes in Visconti pts, but in Archin et al. PNAS 2012 reservoir sizes measured after 1 yr of ART in 27 pts treated within 45 days of infection.

Archin et al. PNAS 2012 data fits a lognormal distribution

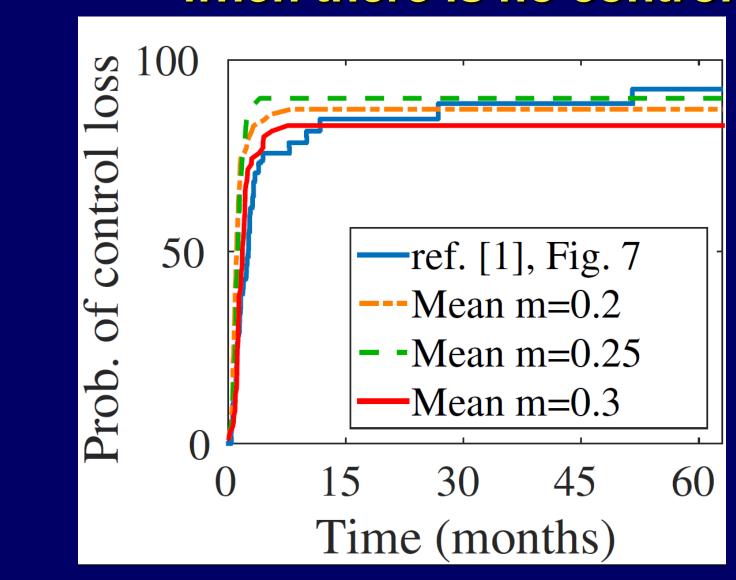


Pts put on therapy ~ 45 d after infection, treated ~ 1 yr

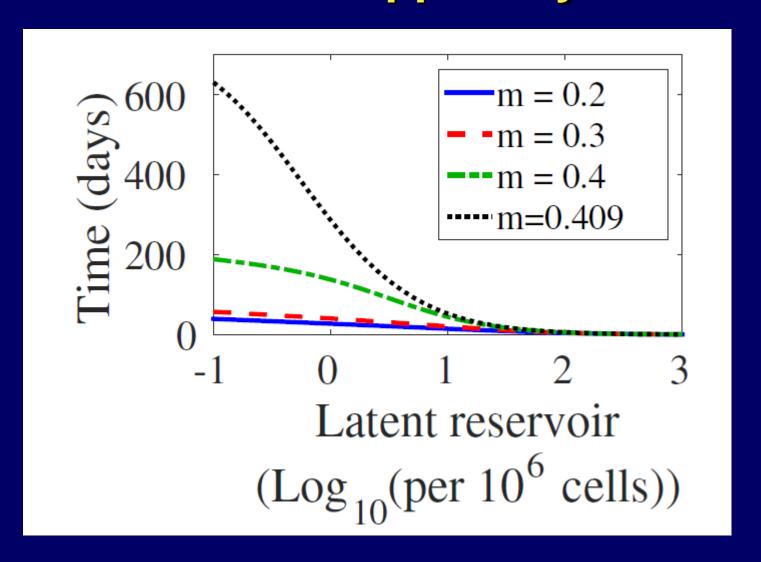
Rebound time depends on latent reservoir size and CTL strength distributions



Model also predicts viral rebound time when there is no control



Rebound time can be quite long, e.g., Mississippi baby



Immune Exhaustion

- Remove effector cell exhaustion model not longer exhibits bistability – lose cubic
- Question: Is immune exhaustion important for post-treatment control?

Special Issue: Immunity and Cancer

Overcoming T cell exhaustion in infection and cancer

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Inhibitors of the Programmed Cell Death 1: Programmed Cell Death 1 ligand 1 (PD-1:PD-L1) pathway, a central regulator of T cell exhaustion, have been recently shown to be effective for treatment of different cancers. However, clinical responses are mixed, highlighting the need to better understand the mechanisms of action of PD-1:PD-L1, the role of this pathway in immunity to different tumors, and the molecular and cellular effects of PD-1 blockade. Here, we review the molecular regulation of T cell exhaustion, placing recent findings on PD-1 blockade therapies in cancer in the context of the broader understanding of the roles of the PD-1:PD-L1 pathway in T cell exhaustion during chronic infection. We discuss the current understanding of the mechanisms involved in reversing T cell exhaustion, and outline critical areas of focus for future research, both basic and clinical.

cells, which are protected by mechanisms that have evolved to prevent recognition of self, including central tolerance, ignorance or failure to become activated in the periphery, T cell extrinsic regulation [e.g., regulatory T cells, myeloidderived suppressor cells, suppressive cytokines, such as interleukin (IL)-10, etc.], and T cell intrinsic dysfunction upon inappropriate or excessive antigen stimulation (anergy and exhaustion) [15,17–19]. Antibodies targeting inhibitory pathways including CTLA-4 and PD-1 are paying the way for a new generation of cancer treatment approaches. These 'checkpoint blockade' strategies aim to relieve regulatory mechanisms that restrain tumor-infiltrating T cells (TILs) [14,16,20]. The first of these antibodies to gain US FDA approval were ipilimumab in 2011 (anti-CTLA-4, Yervoy, Bristol-Myers Squibb), pembrolizumab in 2014 (anti-PD-1, Keytruda, Merck and Co.), and nivolumab in 2014 (anti-PD-1, Opdivo, Bristol-Myers Squibb), and have all demonstrated

Trends in Immunology 36: 265 (2015)

doi:10.1038/nature07662 nature

LETTERS

Enhancing SIV-specific immunity *in vivo* by PD-1 blockade

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Chronic immunodeficiency virus infections are characterized by dysfunctional cellular and humoral antiviral immune responses¹⁻³. As such, immune modulatory therapies that enhance and/or restore the function of virus-specific immunity may protect from disease progression. Here we investigate the safety and immune restoration potential of blockade of the co-inhibitory receptor programmed death 1 (PD-1)4,5 during chronic simian immunodeficiency virus (SIV) infection in macaques. We demonstrate that PD-1 blockade using an antibody to PD-1 is well tolerated and results in rapid expansion of virus-specific CD8 T cells with improved functional quality. This enhanced T-cell immunity was seen in the blood and also in the gut, a major reservoir of SIV infection. PD-1 blockade also resulted in proliferation of memory B cells and increases in SIV envelope-specific antibody. These improved immune responses were associated with significant reductions in plasma viral load and also prolonged the survival of SIV-infected macaques. Blockade was effective during the early (week 10) as well as late (~week 90) phases of chronic infection even under conditions of severe lymphopenia. These results demonstrate

PD-1 blockade was performed using an antibody specific to human PD-1 that blocks the interaction between macaque PD-1 and its ligands (PDLs) *in vitro*¹⁵. Blockade was performed during the early (10 weeks) as well as late (~90 weeks) phases of chronic SIV infection. Nine macaques (five during the early phase and four during the late phase) received the anti-PD-1 antibody and five macaques (three during the early phase and two during the late phase) received an isotype control antibody (Synagis, anti-respiratory syncytial virus (RSV)-specific)¹⁷.

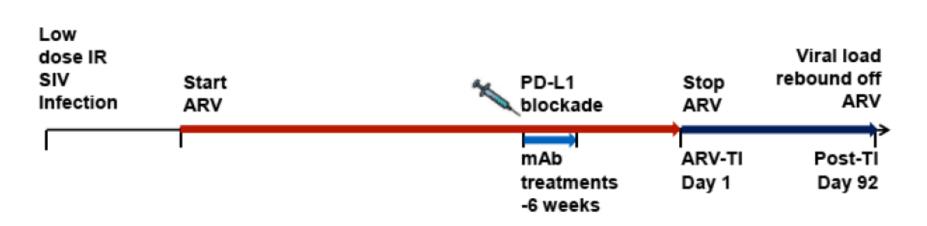
PD-1 blockade during chronic SIV infection resulted in a rapid expansion of SIV-specific CD8 T cells in the blood of all macaques (Fig. 1a, b). We were able to study the CD8 T-cell responses to two immunodominant epitopes, Gag CM9 (ref. 18) and Tat SL8/TL8 (ref. 19), using major histocompatibility complex (MHC) I tetrameric complexes in seven of the anti-PD-1-antibody-treated and three of the control-antibody-treated macaques that expressed the Mamu A*01 histocompatibility molecule. Consistent with previous data¹⁵, most (>98%) of the Gag-CM9 tetramer-specific CD8 T cells expressed PD-1 before blockade (data not shown). After PD-1

Model with exhausted cells

$$\begin{split} \frac{dT}{dt} &= \lambda - d_T T - (1 - \epsilon)\beta V T \\ \frac{dL}{dt} &= \alpha_L (1 - \epsilon)\beta V T + (\rho - a - d_L) L \\ \frac{dI}{dt} &= (1 - \alpha_L)(1 - \epsilon)\beta V T - \delta I + aL - mEI \\ \frac{dV}{dt} &= pI - cV \\ \frac{dE}{dt} &= \lambda_E + b_E \frac{I}{K_B + I} E - d_E \frac{I}{K_D + I} E - \mu E + k_{act} \frac{Ab(t)}{EC_{50} + Ab(t)} X \\ \frac{dX}{dt} &= d_E \frac{I}{K_D + I} E - d_X X - k_{act} \frac{Ab(t)}{EC_{50} + Ab(t)} X \end{split}$$

X= exhausted cells, Ab = checkpoint inhibitor Ab e.g. anti-PD-1 or anti-PD-L1

Study Overview

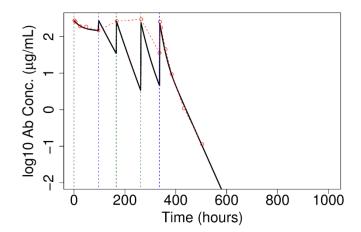


Entry criteria: sustained SIV RNA ≤50 copies ml CD4+ > 500cells/ul

BMS-936559: 5 doses, 10mg/kg over 2 weeks (day 0, 4, 7, 11, 14)

Antibody PK measured-Ab(t) known for each monkey

P294



Dose 1: PK1 =
$$\left(c_1^1 = 152 \frac{\mu g}{mL}; c_2^1 = 122 \frac{\mu g}{mL}; k_1^1 = 0.0005 h^{-1}; k_2^1 = 0.04 h^{-1}\right)$$

Dose 2: $0.75 \times PK1 + 0.25 \times PK2$

Dose 3: $0.50 \times PK1 + 0.50 \times PK2$

Dose 4: $0.25 \times PK1 + 0.75 \times PK2$

Dose 5: PK2 =
$$\left(c_1^2 = 215 \frac{\mu g}{mL}; c_2^2 = 40 \frac{\mu g}{mL}; k_1^2 = 0.1 h^{-1}; k_2^2 = 0.036 h^{-1}\right)$$

Fitting the viral dynamics model parameters from the viral load data

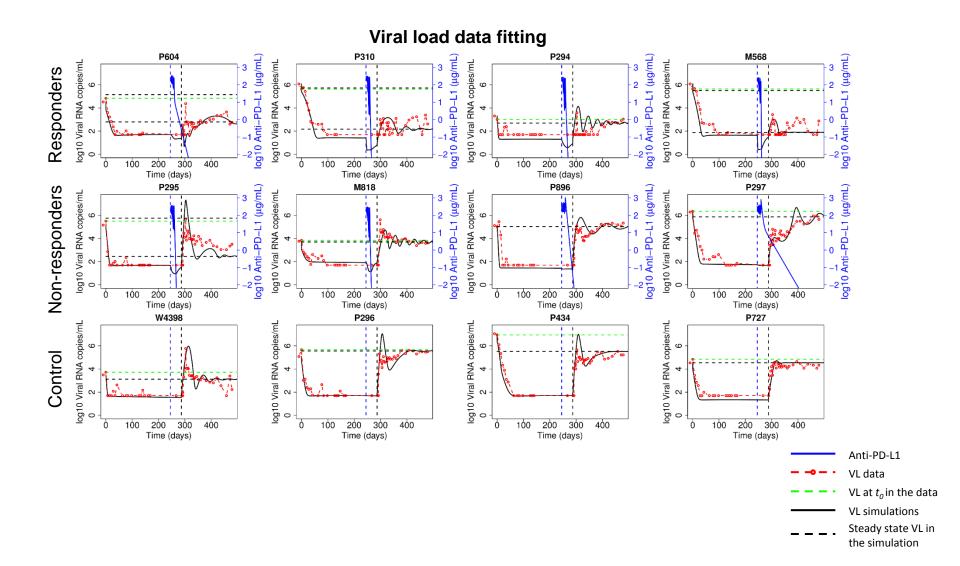
$$\begin{split} \frac{dT}{dt} &= \lambda - d_T T - (1 - \epsilon)\beta V T \\ \frac{dL}{dt} &= \alpha_L (1 - \epsilon)\beta V T + (\rho - a - d_L) L \\ \frac{dI}{dt} &= (1 - \alpha_L)(1 - \epsilon)\beta V T - \delta I + aL - mEI \\ \frac{dV}{dt} &= pI - cV \\ \frac{dE}{dt} &= \lambda_E + b_E \frac{I}{K_B + I} E - d_E \frac{I}{K_D + I} E - \mu E + k_{act} \frac{Ab(t)}{EC_{50} + Ab(t)} X \\ \frac{dX}{dt} &= d_E \frac{I}{K_D + I} E - d_X X - k_{act} \frac{Ab(t)}{EC_{50} + Ab(t)} X \end{split}$$

Using fitted PK parameters for the anti-PD-L1 dynamics

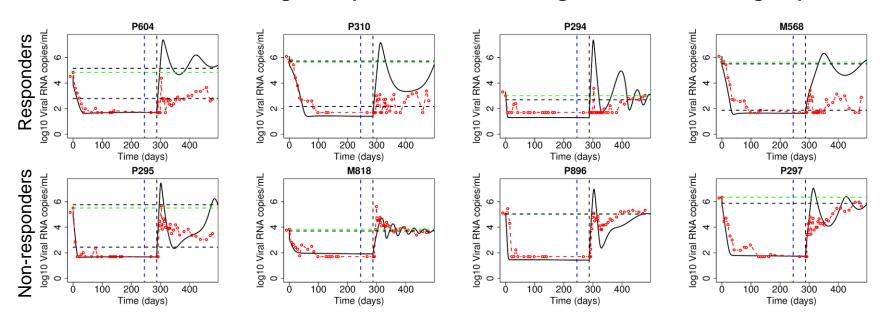
$$Ab(t) = c_1 e^{-k_1 t} + c_2 e^{-k_2 t}$$

Indicate parameters to fit from data

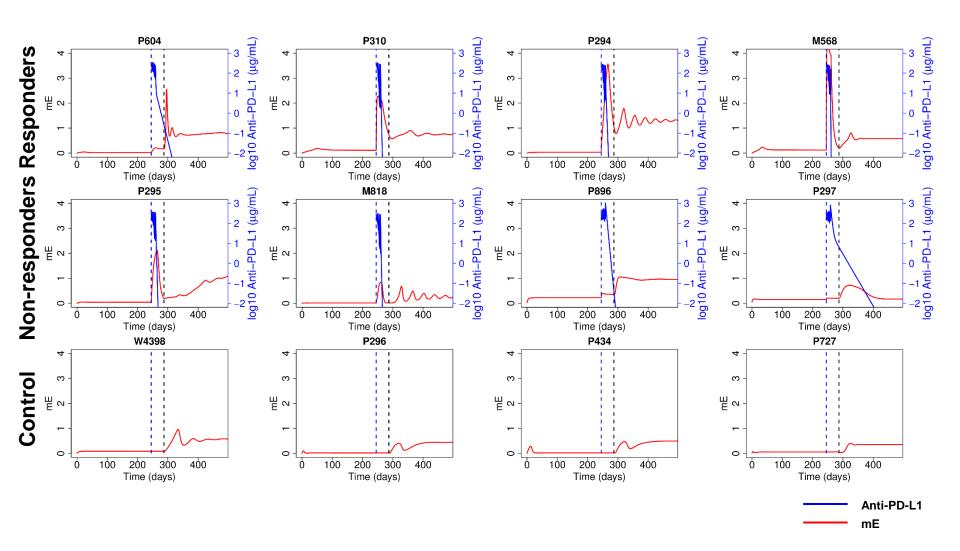
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		Viral dynamics				
$\beta = 1.5 \times 10^{-8} \\ \text{mL/virus/day} $ Mass-action infectivity $\delta = 1.0 \text{ /day} $ Infected cell death rate $\delta = 1.0 \text{ /day} $ Infected cell death rate $\delta = 1.0 \text{ /day} $ Notical production rate, $\rho = \delta N$ Viral production rate, $\rho = \delta N$ Viral clearance rate $\delta = 0.9 $ Drug efficacy $\delta = 1 \times 10^{-3} \text{ /day} $ Latent cell death rate $\delta = 1 \times 10^{-3} \text{ /day} $ Latent cell death rate $\delta = 1 \times 10^{-3} \text{ /day} $ Latent cell death rate $\delta = 1 \times 10^{-3} \text{ /day} $ Latent cell proliferation rate $\delta = 1 \times 10^{-6} $ Probability of a newly infected cell becomes latent $\delta = 1.0 \text{ /cell /} \mu \text{ /cell/day} $ Effector cell basal production rate $\delta = 1.0 \text{ /cell/} \mu \text{ /cell/day} $ Effector cell basal production rate $\delta = 1.0 \text{ /cell/} \mu \text{ /cell/day} $ Effector cell activated proliferation coefficient $\delta = 1.0 \text{ /cell/} \mu \text{ /cell/day} $ Effector cell activated exhaustion coefficient $\delta = 1.0 \text{ /cell/} \mu $		arget cell production rate	1×10^4 cells/mL/day	λ		
$\delta \qquad 1.0 \ / \text{day} \qquad \qquad \text{Infected cell death rate}$ $N \qquad 3500 \qquad \qquad \text{Burst size}$ $p \qquad \delta N \qquad \qquad \text{Viral production rate, } p = \delta N$ $c \qquad 23 \ / \text{day} \qquad \qquad \text{Viral clearance rate}$ $\epsilon \qquad 0.9 \qquad \qquad \text{Drug efficacy}$ $\text{Latent cell dynamics}$ $a \qquad 1 \times 10^{-3} \ / \text{day} \qquad \qquad \text{Latent cell activation rate}$ $d_L \qquad 4 \times 10^{-3} \ / \text{day} \qquad \qquad \text{Latent cell death rate}$ $\rho \qquad 4.5 \times 10^{-3} \ / \text{day} \qquad \qquad \text{Latent cell proliferation rate}$ $a_L \qquad 1 \times 10^{-6} \qquad \qquad \text{Probability of a newly infected cell becomes latent}$ $\text{Effector cell dynamics}$ $m \qquad 0.12 \ \mu \text{L} / \text{cell} / \text{day} \qquad \qquad \text{Effector cell basal production rate}$ $b_E \qquad 1.0 \ / \text{day} \qquad \qquad \text{Effector cell activated proliferation coefficient}$ $d_E \qquad 2.0 \ / \text{day} \qquad \qquad \text{Effector cell activated exhaustion coefficient}$ $\mu \qquad 2.0 \ / \text{day} \qquad \qquad \text{Effector cell basal death rate}$ $K_B \qquad 0.1 \ \text{cells/mL} \qquad \qquad \text{Saturation parameter for activated effector cell exhaustion}$ $\text{Exhausted cell dynamics}$		arget cell death rate	0.01 /day	d_T	•	
N=3500 $N=3500$ N		Aass-action infectivity		β		
p δN Viral production rate, $p = \delta N$ c 23 /day Viral clearance rate ϵ 0.9 Drug efficacy Latent cell dynamics a 1×10^{-3} /day Latent cell activation rate d_L 4×10^{-3} /day Latent cell death rate ρ 0.5×10^{-3} /day Latent cell proliferation rate ρ 0.5×10^{-3} /day Latent cell proliferation rate ρ 0.5×10^{-3} /day Latent cell proliferation rate ρ ρ $0.12 \mu \text{L/cell/day}$ Effector cell killing rate ρ		nfected cell death rate	1.0 /day	δ	\equiv	
$c \qquad 23\text{/day} \qquad \qquad \text{Viral clearance rate}$ $\epsilon \qquad 0.9 \qquad \qquad \text{Drug efficacy}$ $a \qquad 1 \times 10^{-3}\text{/day} \qquad \qquad \text{Latent cell activation rate}$ $d_L \qquad 4 \times 10^{-3}\text{/day} \qquad \qquad \text{Latent cell death rate}$ $\rho \qquad 4.5 \times 10^{-3}\text{/day} \qquad \qquad \text{Latent cell proliferation rate}$ $\alpha_L \qquad 1 \times 10^{-6} \qquad \qquad \text{Probability of a newly infected cell becomes latent}$ $Effector cell dynamics$ $m \qquad 0.12\mu\text{L/cell/day} \qquad \qquad \text{Effector cell killing rate}$ $\lambda_E \qquad 1.0\text{cell/}\mu\text{L/day} \qquad \qquad \text{Effector cell activated proliferation coefficient}$ $d_E \qquad 2.0\text{/day} \qquad \qquad \text{Effector cell activated exhaustion coefficient}$ $d_E \qquad 2.0\text{/day} \qquad \qquad \text{Effector cell basal death rate}$ $K_B \qquad 0.1\text{cells/mL} \qquad \qquad \text{Saturation parameter for activated effector cell production}$ $Exhausted \text{cell dynamics}$		urst size	3500	N		
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Latent cell dynamics $a = 1 \times 10^{-3} / \mathrm{day}$ Latent cell activation rate $d_L = 4 \times 10^{-3} / \mathrm{day}$ Latent cell death rate $\rho = 4.5 \times 10^{-3} / \mathrm{day}$ Latent cell proliferation rate $a_L = 1 \times 10^{-6}$ Probability of a newly infected cell becomes latent Effector cell dynamics $m = 0.12 \mu \text{L/cell/day}$ Effector cell killing rate $b_E = 1.0 / $		Firal clearance rate	23 /day	с		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		rug efficacy	0.9	ϵ		
$d_L = 4 \times 10^{-3} / \text{day} \qquad \qquad \text{Latent cell death rate}$ $\rho = 4.5 \times 10^{-3} / \text{day} \qquad \qquad \text{Latent cell proliferation rate}$ $\alpha_L = 1 \times 10^{-6} \qquad \qquad \text{Probability of a newly infected cell becomes latent}$ $Effector cell dynamics$ $m = 0.12 \mu \text{L/cell/day} \qquad \qquad \text{Effector cell killing rate}$ $\lambda_E = 1.0 \text{cell/} \mu \text{L/day} \qquad \qquad \text{Effector cell basal production rate}$ $b_E = 1.0 / \text{day} \qquad \qquad \text{Effector cell activated proliferation coefficient}$ $d_E = 2.0 / \text{day} \qquad \qquad \text{Effector cell activated exhaustion coefficient}$ $\mu = 2.0 / \text{day} \qquad \qquad \text{Effector cell basal death rate}$ $K_B = 0.1 \text{cells/mL} \qquad \qquad \text{Saturation parameter for activated effector cell production}$ $Exhausted \text{cell dynamics}$			l dynamics	Latent cell c		
$\rho = 4.5 \times 10^{-3} / \text{day} \qquad \qquad \text{Latent cell proliferation rate}$ $\alpha_L = 1 \times 10^{-6} \qquad \qquad \text{Probability of a newly infected cell becomes latent}$ $Effector cell dynamics$ $m = 0.12 \mu \text{L/cell/day} \qquad \qquad \text{Effector cell killing rate}$ $\lambda_E = 1.0 \text{cell/} \mu \text{L/day} \qquad \qquad \text{Effector cell basal production rate}$ $b_E = 1.0 / \text{day} \qquad \qquad \text{Effector cell activated proliferation coefficient}$ $d_E = 2.0 / \text{day} \qquad \qquad \text{Effector cell activated exhaustion coefficient}$ $\mu = 2.0 / \text{day} \qquad \qquad \text{Effector cell basal death rate}$ $K_B = 0.1 \text{cells/mL} \qquad \qquad \text{Saturation parameter for activated effector cell production}$ $K_D = 5.0 \text{cells/mL} \qquad \qquad \text{Saturation parameter for activated effector cell exhaustion}$ $Exhausted \text{cell dynamics}$		atent cell activation rate	1×10^{-3} /day	а		
$a_L = 1 \times 10^{-6} \qquad \qquad$		atent cell death rate	$4 \times 10^{-3} \text{/day}$	d_L		
Effector cell dynamics $m = 0.12 \mu \text{L/cell/day}$ Effector cell killing rate $\lambda_E = 1.0 \text{cell/} \mu \text{L/day}$ Effector cell basal production rate $b_E = 1.0 \text{/day}$ Effector cell activated proliferation coefficient $d_E = 2.0 \text{/day}$ Effector cell activated exhaustion coefficient $\mu = 2.0 \text{/day}$ Effector cell basal death rate $K_B = 0.1 \text{cells/mL}$ Saturation parameter for activated effector cell production $K_D = 5.0 \text{cells/mL}$ Saturation parameter for activated effector cell exhaustion		atent cell proliferation rate	4.5×10^{-3} /day	ρ		
m 0.12 μ L/cell/day Effector cell killing rate λ_E 1.0 cell/ μ L/day Effector cell basal production rate b_E 1.0 /day Effector cell activated proliferation coefficient d_E 2.0 /day Effector cell activated exhaustion coefficient μ 2.0 /day Effector cell basal death rate K_B 0.1 cells/mL Saturation parameter for activated effector cell production K_D 5.0 cells/mL Saturation parameter for activated effector cell exhaustion		robability of a newly infected cell becomes latent	1×10^{-6}	α_L		
K_B 0.1 cells/mL Saturation parameter for activated effector cell production K_D 5.0 cells/mL Saturation parameter for activated effector cell exhaustion Exhausted cell dynamics		Effector cell dynamics				
K_B 0.1 cells/mL Saturation parameter for activated effector cell production K_D 5.0 cells/mL Saturation parameter for activated effector cell exhaustion Exhausted cell dynamics		ffector cell killing rate	$0.12~\mu$ L/cell/day	m	3	
K_B 0.1 cells/mL Saturation parameter for activated effector cell production K_D 5.0 cells/mL Saturation parameter for activated effector cell exhaustion Exhausted cell dynamics		ffector cell basal production rate	1.0 cell/ μ L/day	λ_{E}	\rightarrow	
K_B 0.1 cells/mL Saturation parameter for activated effector cell production K_D 5.0 cells/mL Saturation parameter for activated effector cell exhaustion Exhausted cell dynamics		ffector cell activated proliferation coefficient	1.0 /day	b_{E}		
K_B 0.1 cells/mL Saturation parameter for activated effector cell production K_D 5.0 cells/mL Saturation parameter for activated effector cell exhaustion Exhausted cell dynamics		ffector cell activated exhaustion coefficient	2.0 /day	d_{E}	ightharpoonup	
K_D 5.0 cells/mL Saturation parameter for activated effector cell exhaustion Exhausted cell dynamics		ffector cell basal death rate	2.0 /day	μ		
Exhausted cell dynamics		aturation parameter for activated effector cell production	0.1 cells/mL	K_B		
- Exhaustion reversal coefficient		aturation parameter for activated effector cell exhaustion	5.0 cells/mL	K_D		
k_{act} 1.0 /day Exhaustion reversal coefficient	Exhausted cell dynamics					
		xhaustion reversal coefficient	1.0 /day	kact		
$EC_{50} = 0.04 \frac{\mu g}{mL}$			$0.04 \frac{\mu g}{mL}$	EC_{50}		
$d_X = 0.5 \mu extstyle / extstyle day$ Exhausted cell death rate		xhausted cell death rate	0.5μ /day	d_X		

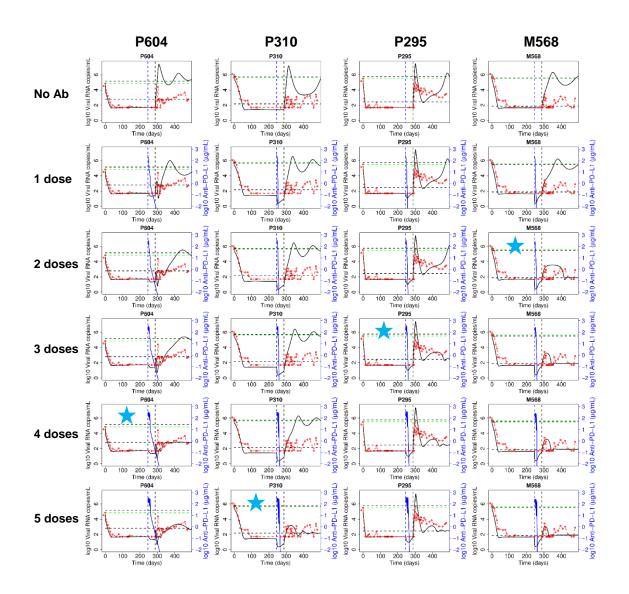


Simulations using fitted parameters: Removing Ab from treatment group



Simulations using fitted parameters: the killing rate of infected cells (mE)





Fewer doses of Ab for responders

- One dose is not enough to switch the fixed point.
- To move from the high VL fixed point to the low one:
 - M568 needs 2 doses
 - P295 needs 3 doses
 - P604 needs 4 doses
 - P310 needs 5 doses

Model reduction.

First, use quasi-steady approximation V = pI/c

$$\begin{split} \dot{T} &= \lambda - d_T T - (1 - \varepsilon)kTpI/c \\ \dot{L} &= \alpha_L (1 - \varepsilon)kTpI/c + (\rho - a - \delta_L)L \\ \dot{I} &= (1 - \alpha_L)(1 - \varepsilon)kTpI/c + aL - \delta I - mEI \\ \dot{E} &= \lambda_E + b_E \frac{IE}{K_b + I} - d_E \frac{IE}{K_d + I} - \mu E + k_{act} \frac{Ab(t)}{EC_{50} + Ab(t)}X \\ \dot{X} &= d_E \frac{IE}{K_d + I} - \mu d_X X - k_{act} \frac{Ab(t)}{EC_{50} + Ab(t)}X \end{split}$$

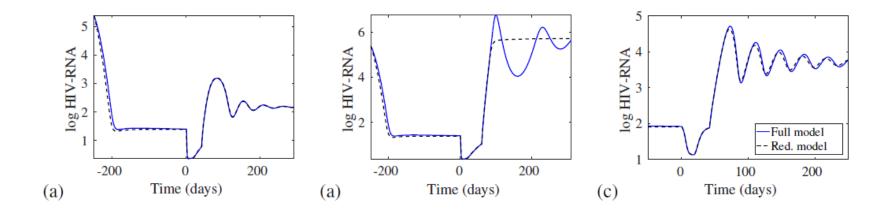
and then (non-traditionally) $T = c\lambda/[cd_T + p(1-\varepsilon)\beta I]$,

$$\dot{L} = \alpha_L (1 - \varepsilon) kp \lambda I / (cd_T + p(1 - \varepsilon)\beta I) + (\rho - a - \delta_L) L$$

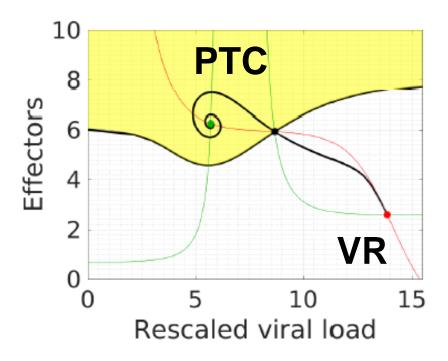
$$\dot{I} = (1 - \alpha_L) (1 - \varepsilon) kp \lambda I / (cd_T + p(1 - \varepsilon)\beta I) + aL - \delta I - mEI$$

$$\dot{E} = \lambda_E + b_E \frac{IE}{K_b + I} - d_E \frac{IE}{K_d + I} - \mu E + k_{act} \frac{Ab(t)}{EC_{50} + Ab(t)} X$$

Comparison of Dynamics of reduced and full models



Phase Plane Analysis, P310 parameters with aL0 = 0.0353

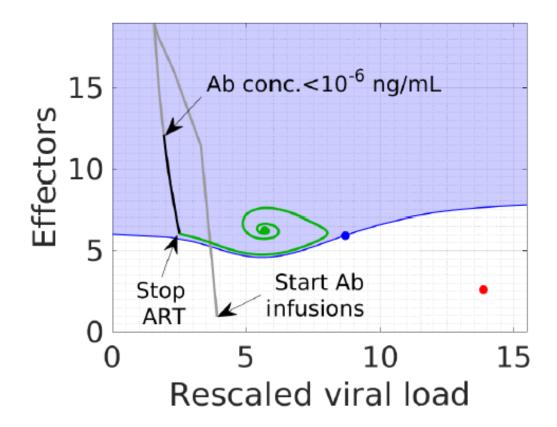


Nullclines: indicated by the green (horizontal) and red (vertical) lines. Equilibria: green dot is the control, stable state; blue the rebound, stable state; and black the unstable saddle point.

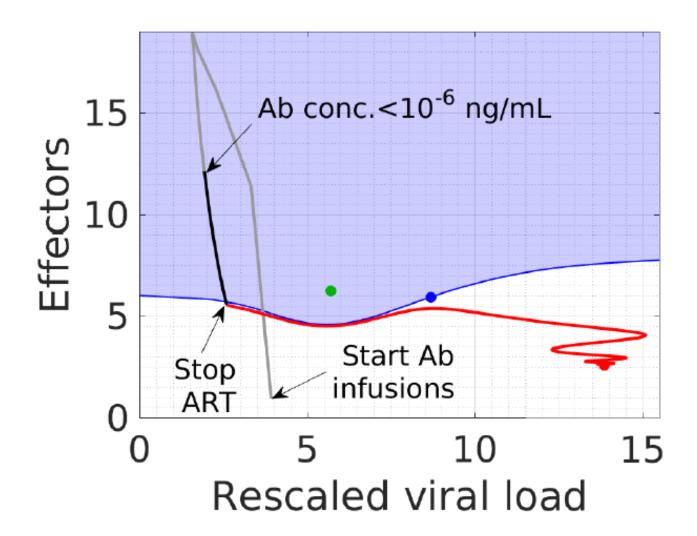
Basin of attraction: Stable manifold of the saddle point forms the boundary of the stable equilibria basin of attraction: yellow = control, white = no control. Unstable manifolds of the saddle point are also included, leading to the control and rebound equilibria respectively.

Full Model Dynamics on Phase Plane

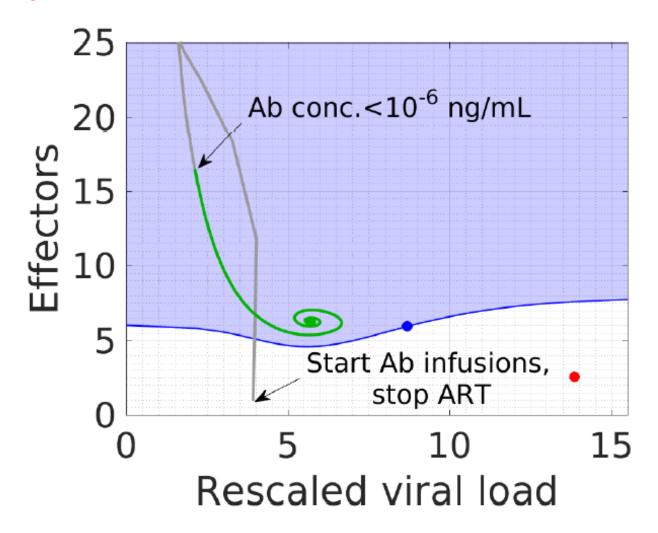
- ▶ Simulate model and track progress of (I, E) from full model simulation on reduced model phase plane.
- ▶ Use P310 parameters with aL0 = 0.0353.
- ► ATI at day 42.



► ATI at day 44.



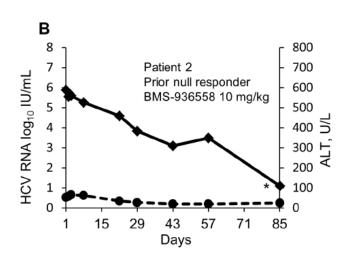
► ATI at day 0.

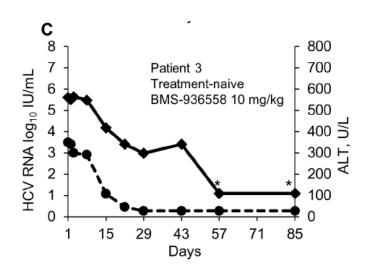


Model suggests that infusion of an anticheckpoint inhibitor, e.g. anti-PD-1 or anti-PD-L1, may be able to convert someone who normally would exhibit viral rebound into a post-treatment controller.

Clinical trials needed to examine this prediction.

One (out of 10) chonically HCV infected patients given a single infusion of anti-PD1 at a dose of 10 mg/kg was cured of infection.





A Randomized, Double-Blind, Placebo-Controlled Assessment of BMS-936558, a Fully Human Monoclonal Antibody to Programmed Death-1 (PD-1), in Patients with Chronic Hepatitis C Virus Infection

David Gardiner^{1*}, Jay Lalezari², Eric Lawitz³, Michael DiMicco⁴, Rheem Ghalib⁵, K. Rajender Reddy⁶, Kyong-Mi Chang^{6,7}, Mark Sulkowski⁸, Steven O' Marro⁹, Jeffrey Anderson¹, Bing He¹, Vikram Kansra^{10¤}, Fiona McPhee¹¹, Megan Wind-Rotolo¹⁰, Dennis Grasela¹, Mark Selby¹², Alan J. Korman¹², Israel Lowy¹³