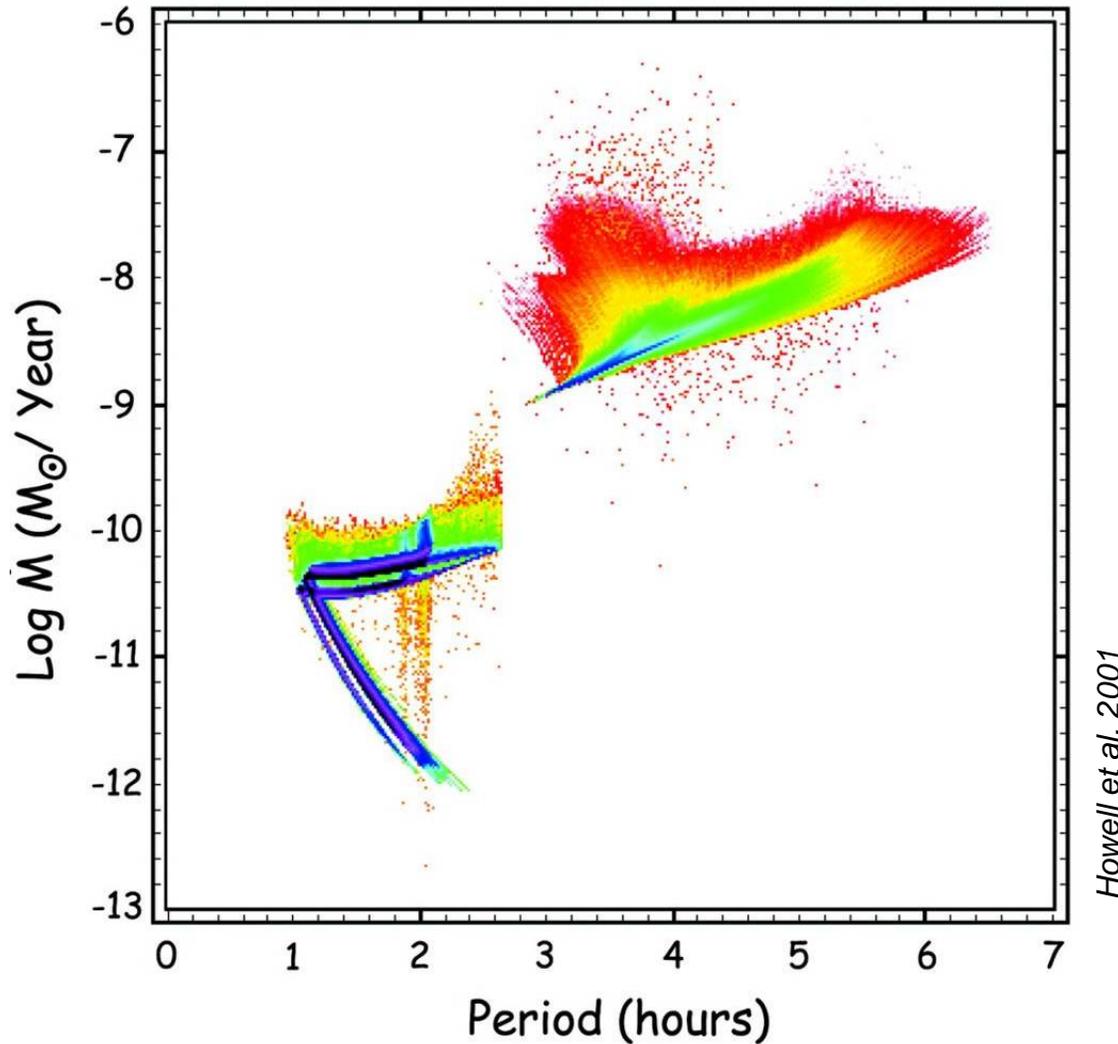


Birthrates and Populations of Cataclysmic Variables

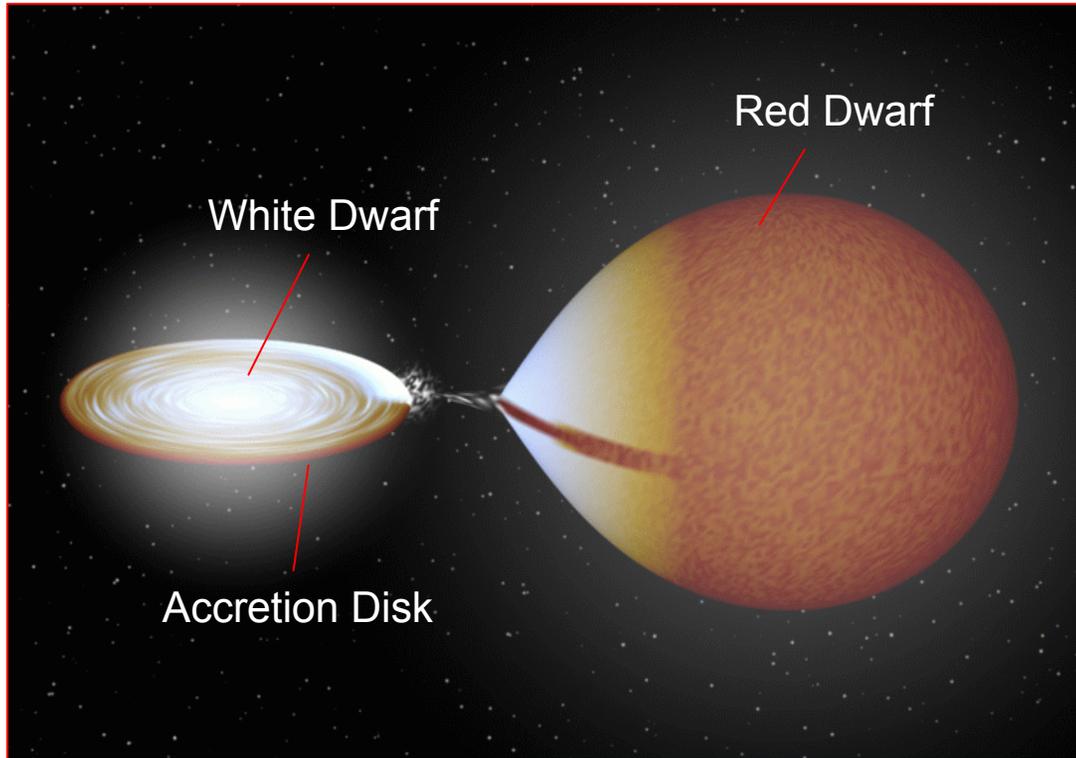


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University of Southampton

Howell et al. 2001

Introduction: Cataclysmic Variables



Credit: Rob Hynes

- White dwarf primary
- Low-mass MS secondary
- Roche-lobe overflow
- Accretion usually via a disk
- $75 \text{ mins} < P_{\text{orb}} < 12 \text{ hrs}$
- Mass transfer and evolution driven by angular momentum losses
- Nova eruptions every $\sim 10,000$ years

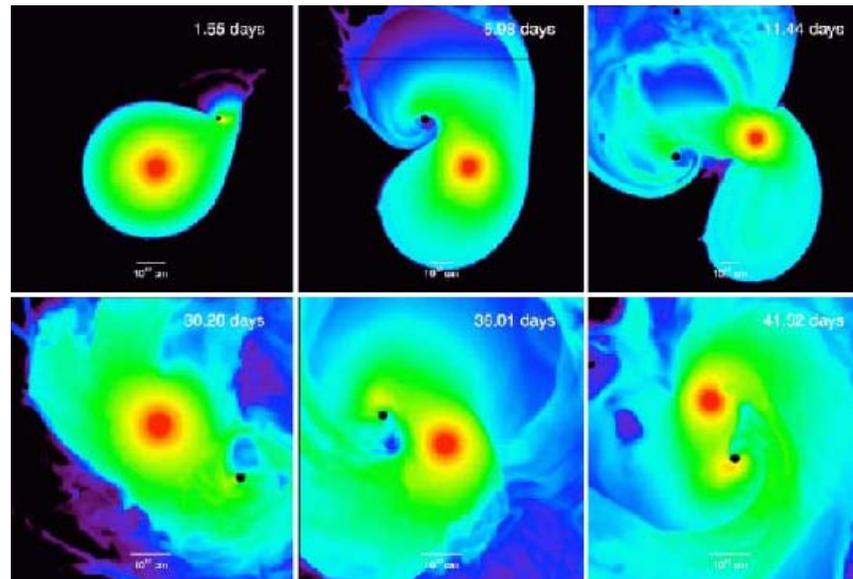
Part I: The Formation of Cataclysmic Variables

The Common Envelope Phase

- The need for a CE phase
 - A typical CV may start mass transfer at $P_{\text{orb}} = 6$ hrs with a binary separation of about $a_{\text{bin}} \sim 2 R_{\odot}$
 - This is *much* smaller than the radius of the red giant progenitor of the WD ($R_{\text{RG}} \sim 100 R_{\odot}$)
 - At some point after the WD progenitor left the MS, both stars must have been inside the red giant envelope
 - Common Envelope Phase
- During interaction of binary with envelope, orbital energy is used to unbind the envelope
 - envelope ejection
 - spiral-in and close binary (pre-CV) formation
- CE evolution is rapid!
 - CE phase lasts less than a few thousand years!

The Common Envelope Phase: Physics

- The physics of the CE phase is extremely complex
 - CE phase encompasses huge range of size- and time-scales
 - CE ejection process is inherently 3-dimensional
 - Both hydrodynamic friction and gravitational torques matter
 - Envelope (and hence progenitor) structure matters
 - Additional energy sources? (Thermal / Recombination [Webbink 2008])
- Proper treatment requires full 3-D high-resolution hydro simulations for each case
(see series of papers by Taam, Bodenheimer, Sandquist & collaborators)



The Common Envelope Phase: Recipes

- Calculating the properties of the zero-age CV population requires simulating the evolution of thousands of binary systems from birth to the onset of mass transfer
 - A full treatment of the CE phase for all these binaries is out of the question!
- Energy budget approach (Tutukov & Yungelson 1979; de Kool 1994; Politano 1996)
 - If the energy required to eject the envelope of the red giant comes exclusively from the orbital shrinkage of the WD + MS system, we must have

$$\Delta E_{env} = \alpha_{CE} \Delta E_{orb} \quad \text{with } \alpha_{CE} \leq 1$$

- Angular momentum approach (Nelemans et al. 2000; Nelemans & Tout 2005)
 - Assume specific angular momentum carried away by the envelope is some fixed multiple of the initial specific angular momentum of the binary system

$$\frac{\Delta J_{orb}}{J_{orb}} = \gamma_{CE} \frac{\Delta M_{env}}{M_{1,i} + M_2}$$

Predictions vs Observations I

(based on α_{CE} approach)

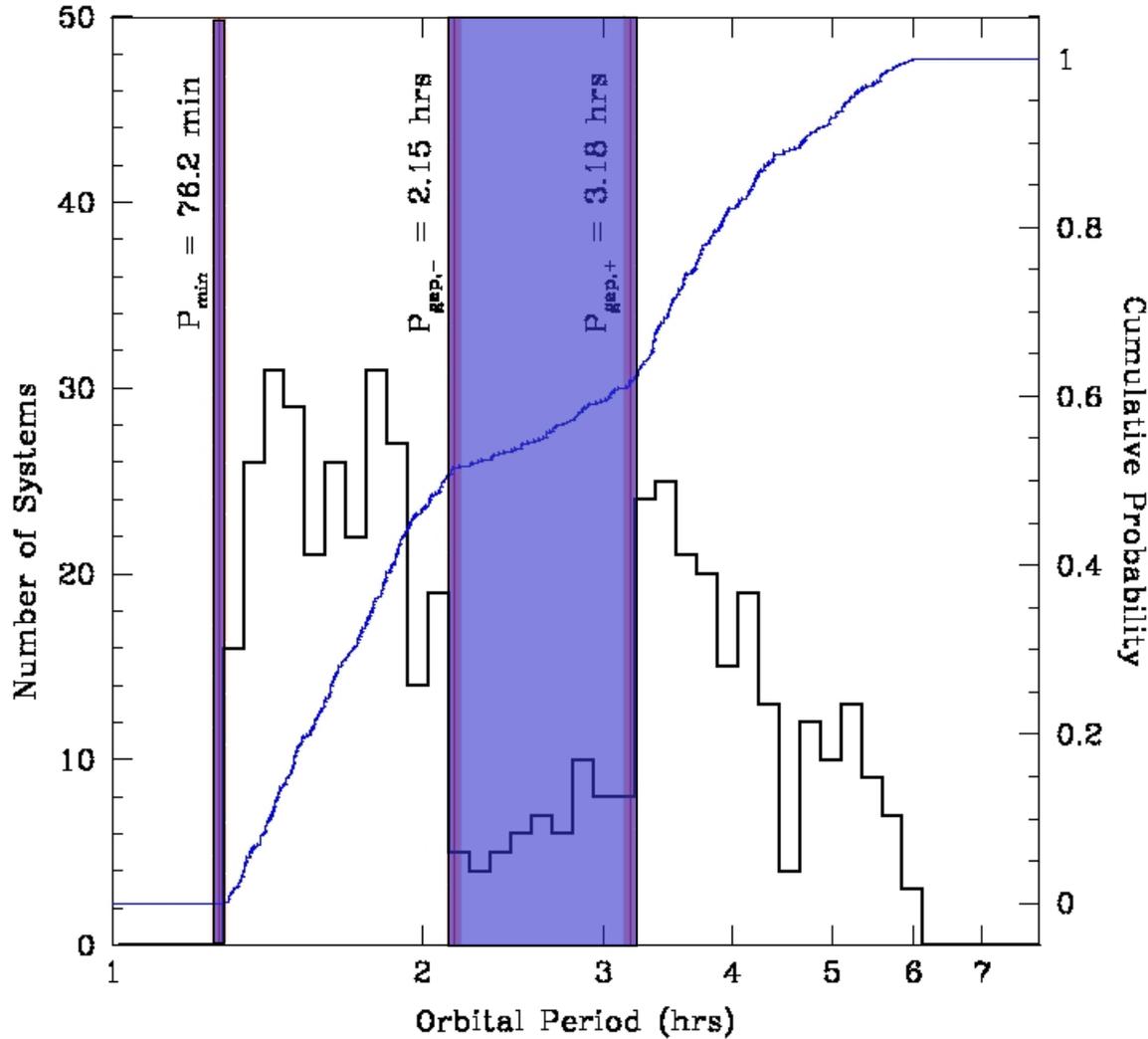
	Prediction	Observation
 Birthrate	$b \sim 10^{-3} - 10^{-2} \text{ yr}^{-1}$ (de Kool 1992; Politano 1996)	$b \sim 10^{-4} - 10^{-3} \text{ yr}^{-1}$ (Townsend & Bildsten 2004)
 Space Density	$\rho \sim 10^{-5} - 10^{-4} \text{ pc}^{-3}$ (de Kool 1992; Kolb 1993; Politano 1996)	$\rho \sim 10^{-5} \text{ pc}^{-3}$ (Patterson 1998; Pretorius et al. 2007a)

Caveats:

- predicted numbers are a bit high
→ selection effects? (see later)
- the rough agreement does not imply the adopted recipe must be correct
→ Other recipes may predict similar *rates*, but different parameter *distributions*

Part II: The Evolution of Cataclysmic Variables

The CV Period Distribution



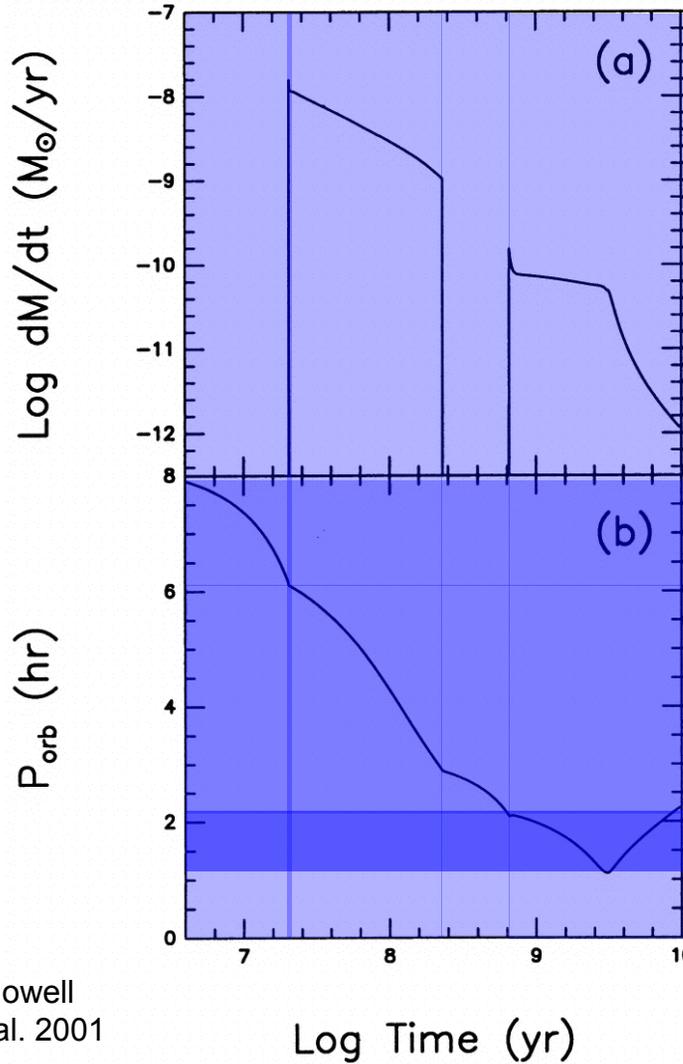
Two Key Features

- Clear “Period Gap” between 2-3 hrs
- Minimum period around 80 min

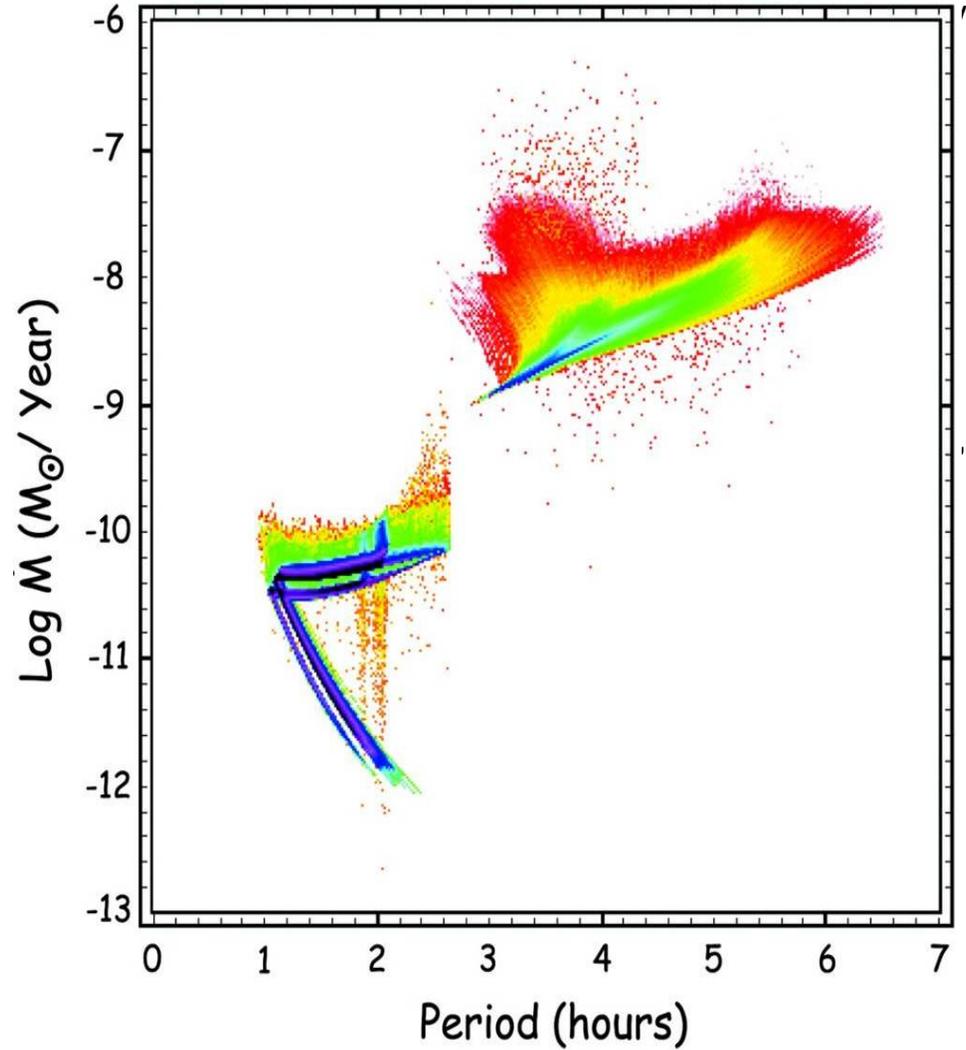
Knigge 2006

The Standard Model of CV Evolution:

Disrupted Magnetic Braking



Howell et al. 2001



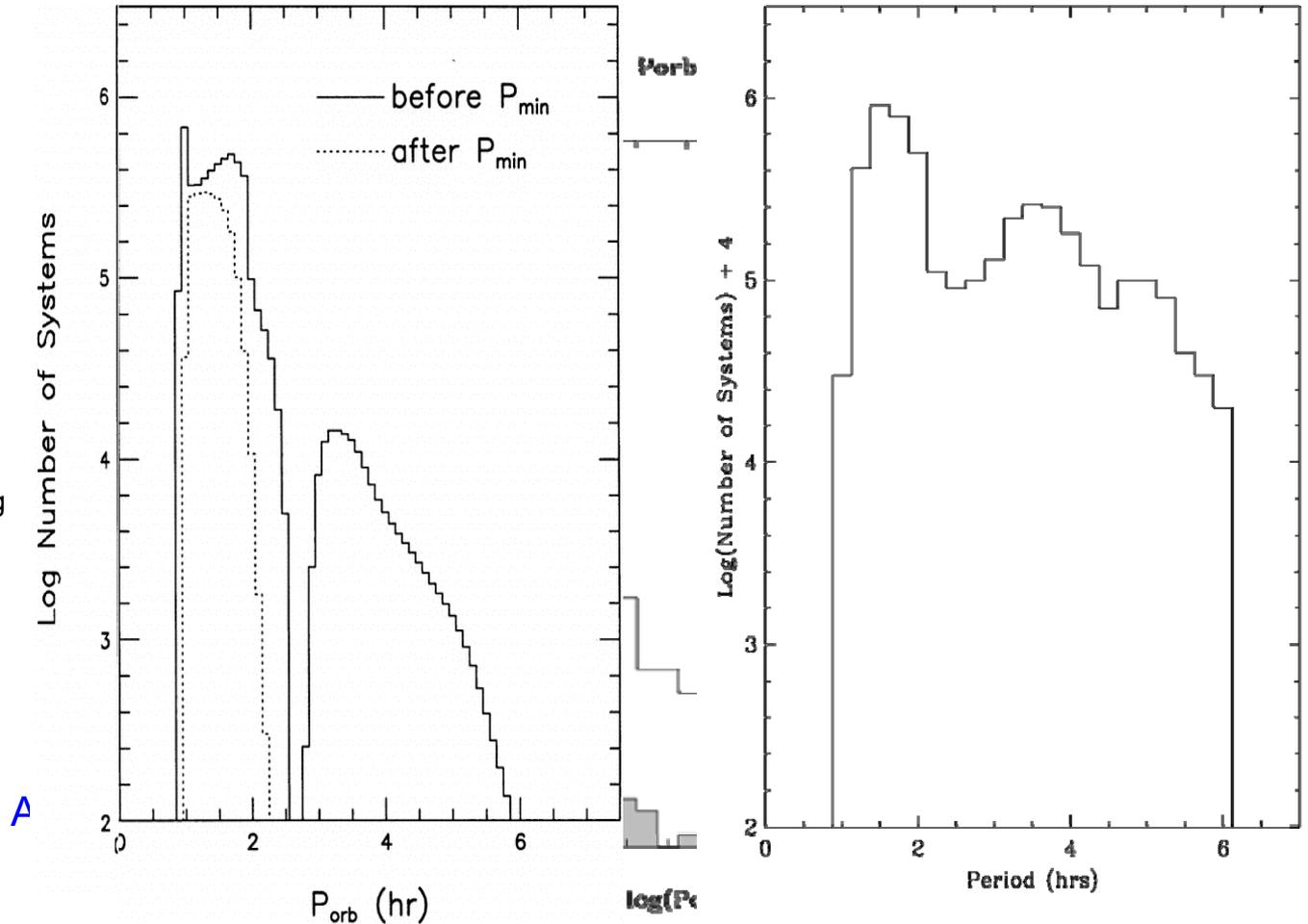
Howell
et al. 2001

Predictions vs Observations II

Gänsicke et al. (2009): The SDSS CV sample

Predicted (Howells et al. 2001)

Observed (Ritter & Kolb catalog)



A



Birthrate



Space Density



Period Gap



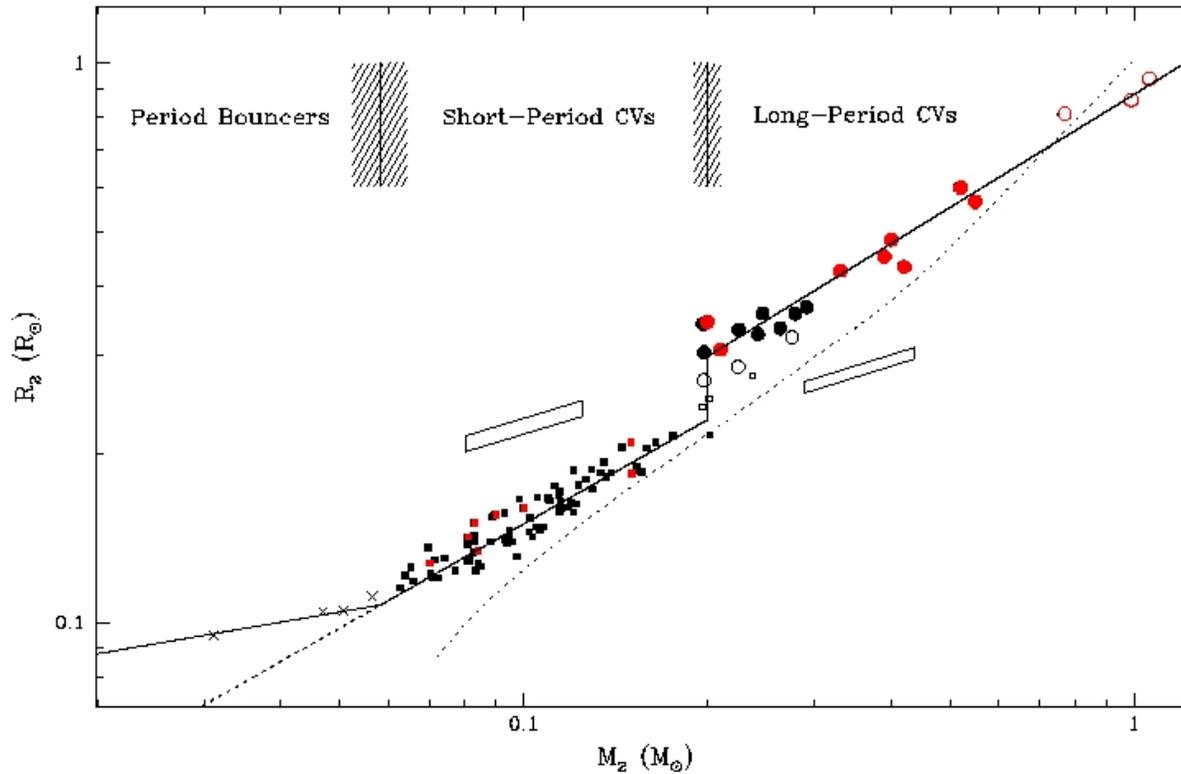
$N_{\text{bounce}}:N_{\text{short}}:N_{\text{long}}$



Minimum Period

Is there actually any direct evidence for **disrupted** angular momentum loss?

(Patterson et al. 2005; Knigge 2006)



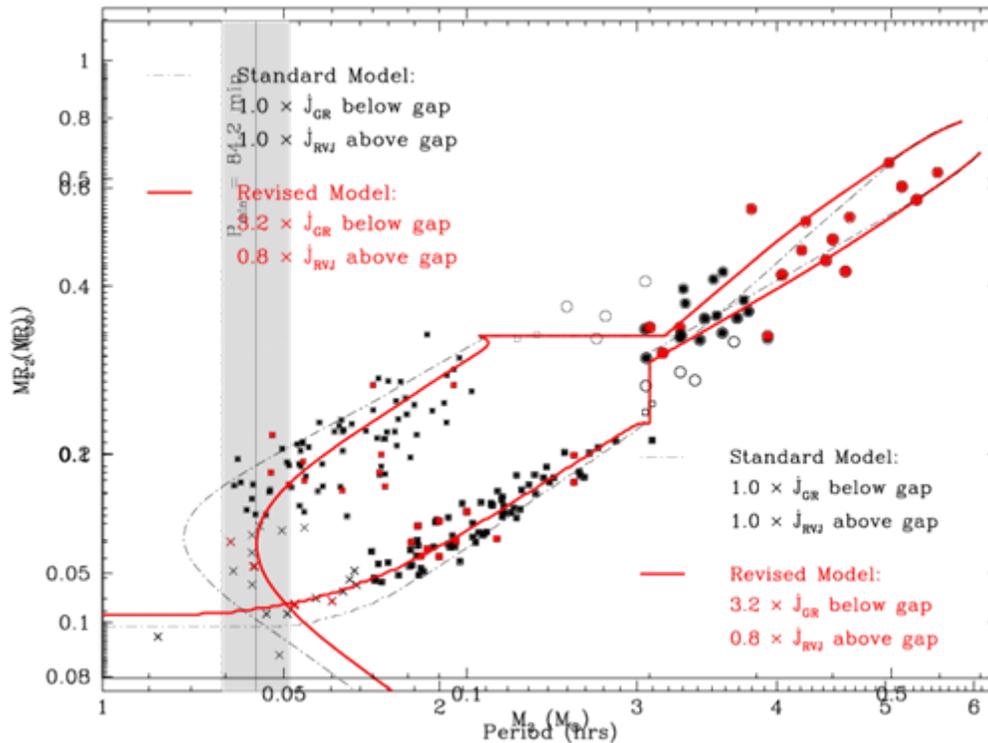
YES!

- Donors just above and below the gap have identical masses, but..
 - ...donors above the gap are ~30% larger
- Exactly as predicted by disrupted AML scenario!

A Simple Revision:

Disruption yes, cessation no?

Knigge, Baraffe & Patterson 2009



- Could residual MB below the gap reconcile theory and observation (e.g. Patterson 1998)?
- Donor radii suggest that AML rate below the gap must be ~ 3 times larger than predicted by pure GR
- Similar to conclusions drawn from WD temperatures (Townesley & Gänsicke 2009)
- This revised model also naturally explains the observed location of the period minimum...
- ...brings the predicted ratio of long-to-short period systems in line with observations...
- ...and decreases the predicted space density for pre-bounce CVs

Problem solved?

Too early to say... (e.g. ask me about MB recipes and Littlefair et al 2008)

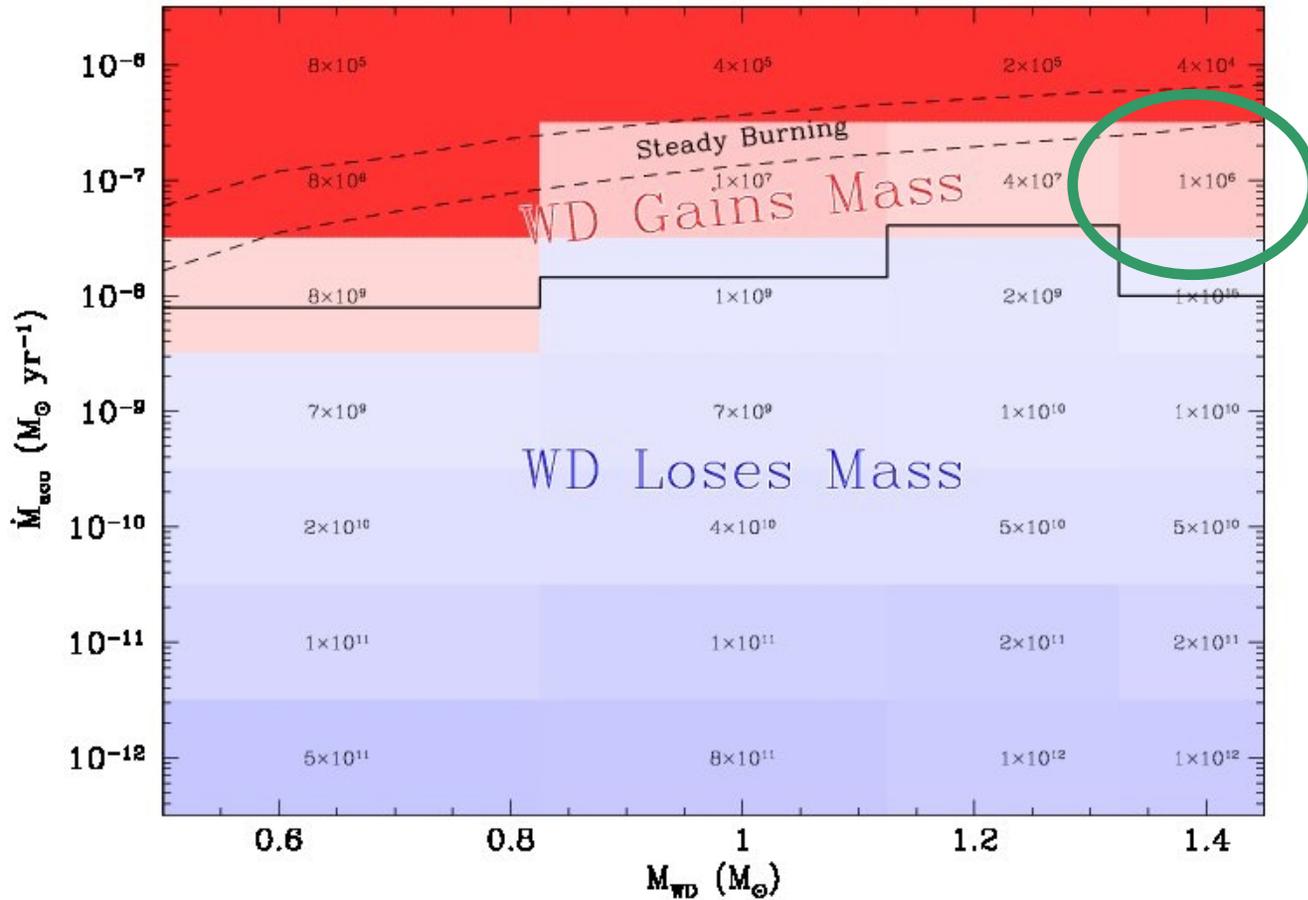
Part III: The Death of CVs

Are CVs Potential SN Ia Progenitors?

- Two key questions
 - (1) Do the WDs in CVs grow in mass?
 - CVs undergo repeated nova eruptions
 - Is M_{ej} lost during an outburst more or less than M_{acc} gained between eruptions?
 - (2) Are CV birth/death rates comparable to SN Ia rates?

Does the WD in a CV gain mass or loss mass?

Parameter Space and Timescales for WD Mass Gain/Loss



- Nova models: mass gain is only possible for

$$\dot{M}_{acc} > 10^{-8} M_{\odot} yr^{-1}$$

- CV evolution models do not achieve such high secular \dot{M}_{dot}
- If possible at all, probably only for $M_{WD} > 1.2 M_{\odot}$
- This regime probably leads to AIC, not SN Ia (e.g. Nomoto & Kondo 1990)

Data from Yaron et al. (2005)

Knigge, Baraffe & Patterson (2009)

CV Birth and Death Rates vs SN Ia Rates

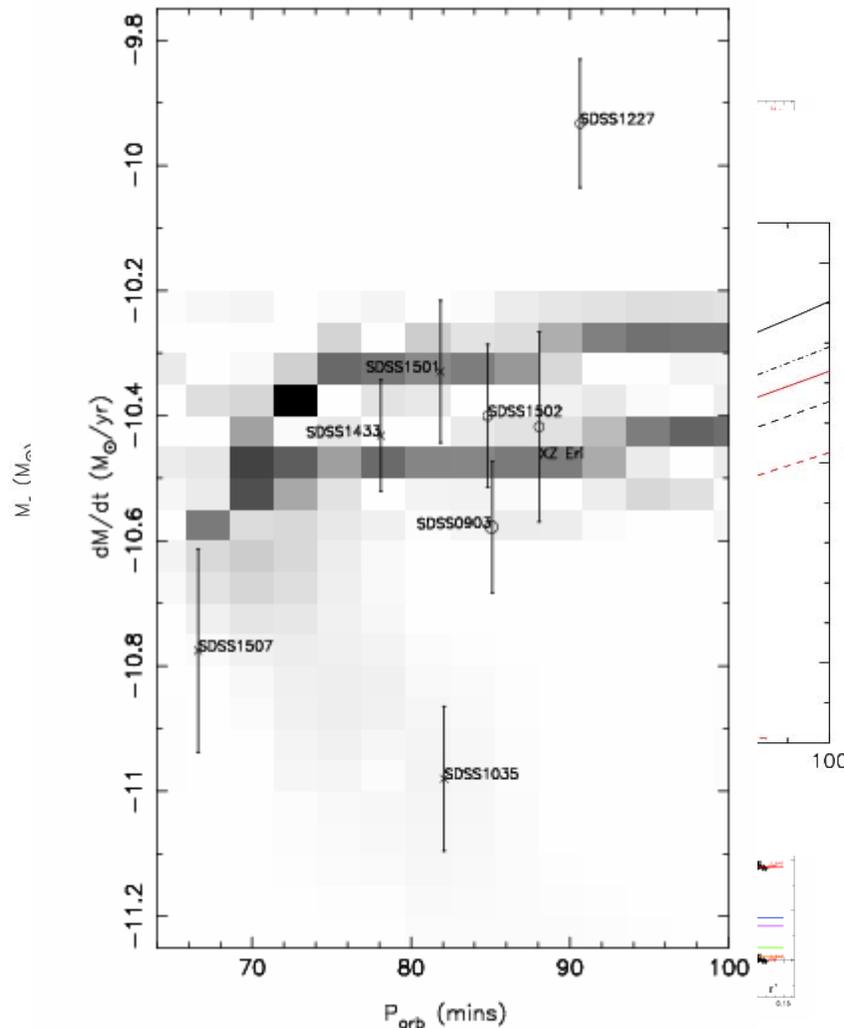
- In a Milky-Way-like Galaxy, we have
 - SN Ia rate $\approx 3 \times 10^{-3} \text{ yr}^{-1}$ (e.g. Cappellaro et al. 1999; Manucci et al. 2005)
 - CV birth rate $\approx 10^{-4} - 10^{-2} \text{ yr}^{-1}$ (e.g. de Kool 1992; Politano 1996; Townsley & Bildsten 2004)
- A large fraction of CVs would have to end up as SN Ia in order to contribute significantly to overall SN Ia population
- Seems impossible to reconcile with tight constraints on M_{WD} and \dot{M} implied by nova models
 - **Ordinary CVs probably do not produce significant numbers of SN Ia**
- Better bets (within the single-degenerate scenario):
 - Supersoft sources
 - Symbiotic stars
 - V458 Vul-like weirdos? (ask me!)

Summary

- Our fundamental framework for the formation and evolution of CVs is built on two key physical processes
 - Common envelope evolution
 - Disrupted magnetic braking
- This basic framework is probably correct
 - Birth rate and space density predictions are in the right ballpark
 - We have direct evidence that disrupted AML is responsible for the period gap
- However, neither of these two processes is well understood theoretically
 - ***Improved models and tests of CE evolution and MB are vital!***
- The standard disrupted MB model is also in conflict with several observational constraints
 - Residual MB below the gap is a promising way to overcome these
- Ordinary CVs are unlikely to contribute substantially to the SN Ia rate

Bonus Slides...

Problems with the Revised Model?



- Littlefair et al. (2008) have carried out comprehensive eclipse modelling for a sample of short-period CVs

Good news: Donors are confirmed to be larger than predicted by standard model, in line with revised model

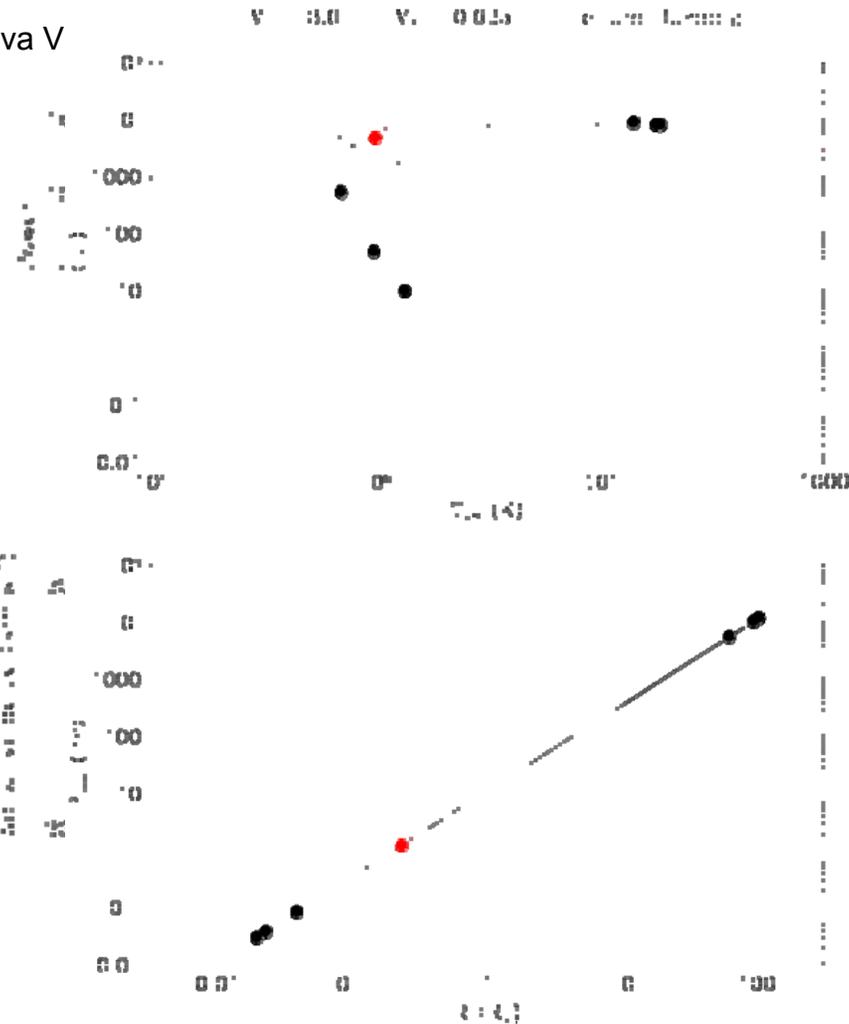
Bad news: Combination of WD masses and temperatures imply accretion rates in line with standard (pure GR) model

Which binary component is lying?

- Donors: is the extra bloating due to magnetic activity, not mass loss?
- WDs: are we not measuring the secular average mass transfer rate?

V458 Vul: A Bizarre SN Ia Progenitor?

- V458 Vul = Nova V
- Nova character
- Pre-explosion
- Spectroscopy
 - Is the PN
 - Or is it as
- Ionization mo
- IPHAS follow-
 - Amazing! spectral n
- If this is really
 - AIC or !
- But the whole
 - The PAG
 - On the ot
- Amazing and
 - If this cha
- Follow-up con and confirm or reru



ound the progenitor

ula (Wesson et al. 2008)

ating WD is not ruled out

(Rodriguez-Gil et al. 2009)

erred from ionization and

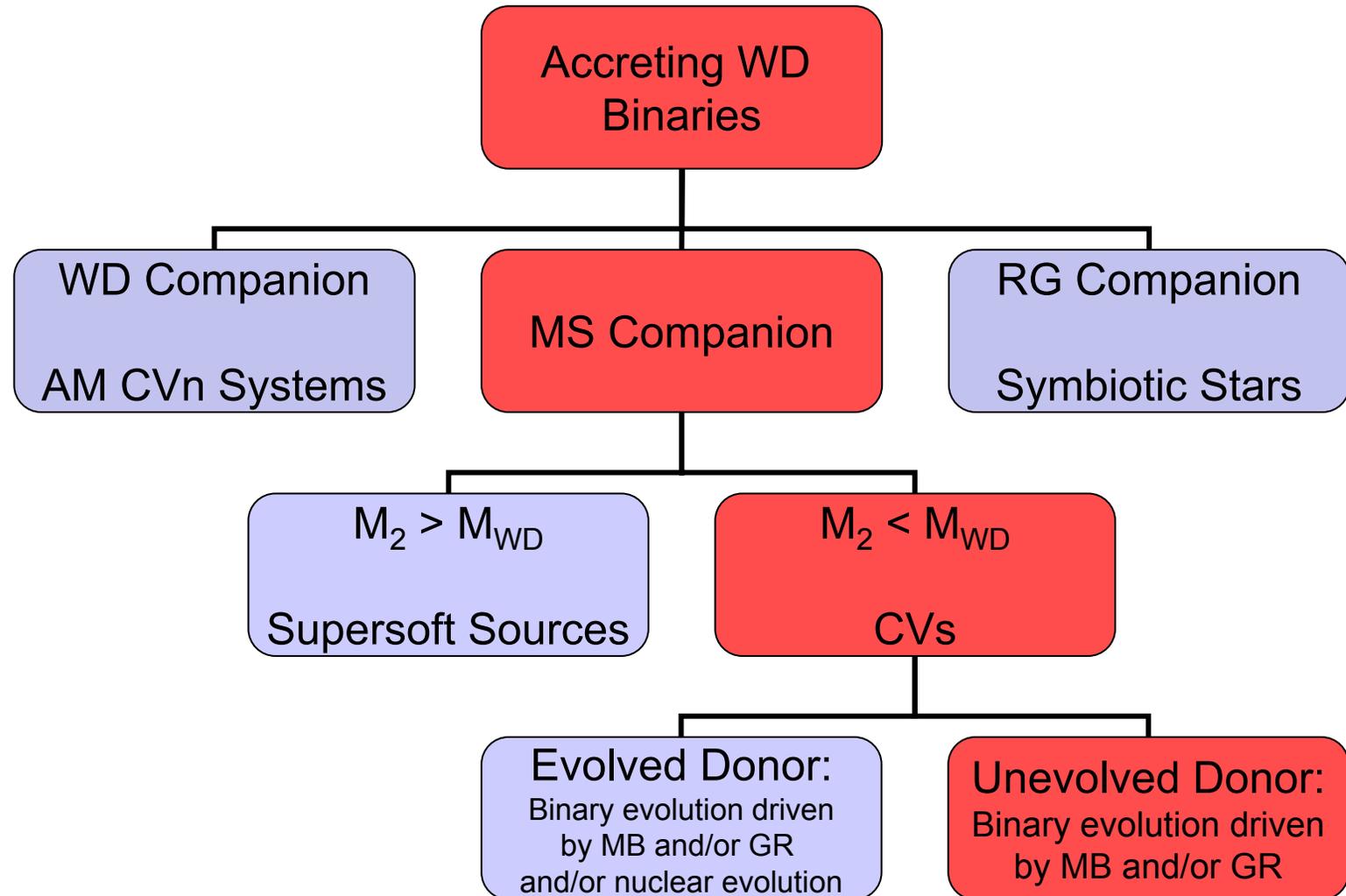
contact with the Roche lobe???

ale for orbital shrinkage

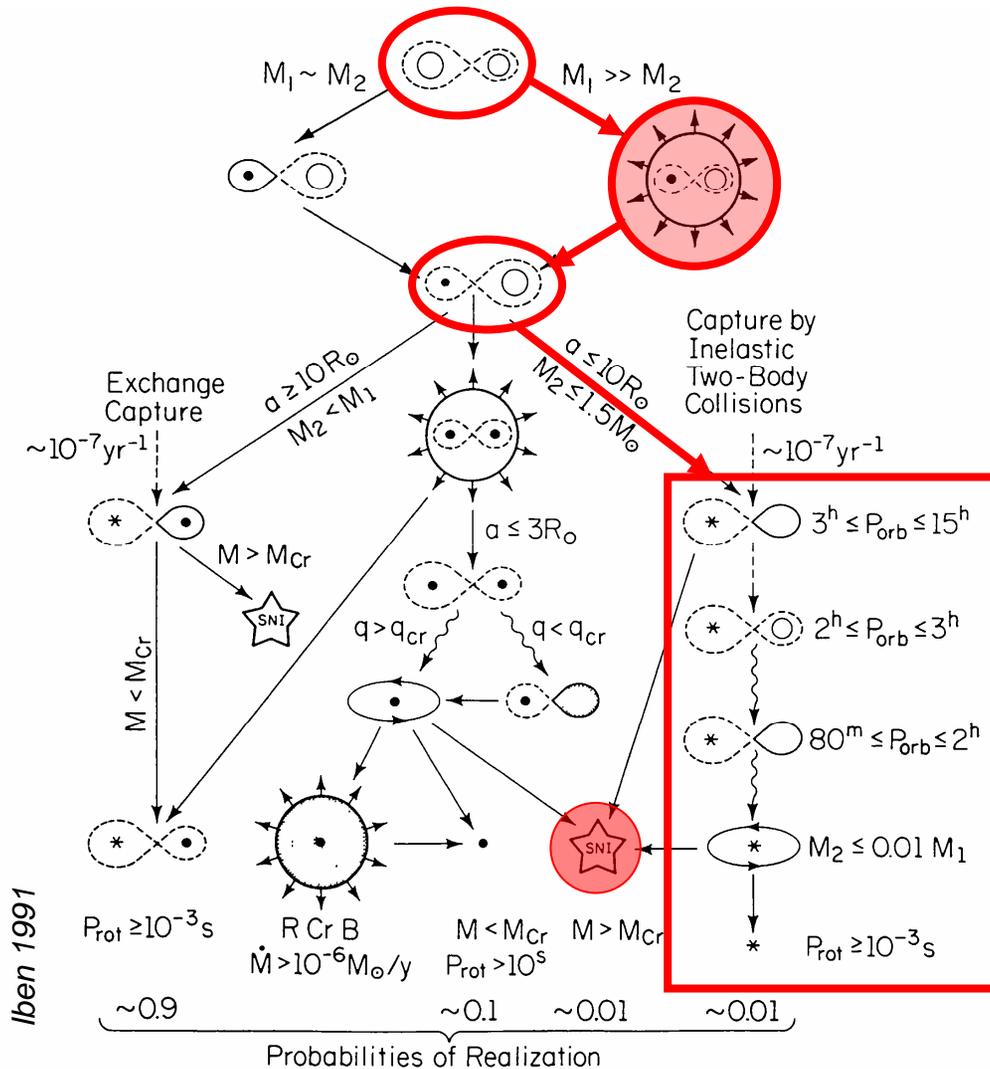
entury in the Milky Way!

aints on binary parameter

CVs in the Zoo of Accreting White Dwarfs



CVs as Close Binaries: Formation, Evolution, Relevance



Iben 1991

- Most binaries interact at some stage of their evolution...
- ...but long-lived, *stable* interaction is relatively rare
- CVs represent one of the most important stable interaction channels
- pre-CV evolution involves common envelope (CE) phase
- CV evolution is driven entirely by angular momentum losses
- CE phase and AML are also key to other close binaries
- some CVs may become SN Ia

How well do we understand magnetic braking?

A compendium of widely used recipes

- Verbunt & Zwaan (1981)
 - Skumanich (1972): $v_{eq} \propto 10^{14} t_{yr}^{-1/2} \text{ cm s}^{-1}$ + solid body rotation: $J_2 = k^2 M_2 R_2^2 \Omega$

$$\dot{J}_{VZ} = -5 \times 10^{-27} k^2 M_2 R_2^4 \Omega^3$$

- Rappaport, Verbunt & Joss (1983)
 - VZ plus ad-hoc power-law in R_2

$$\dot{J}_{RVJ} = \dot{J}_{VZ} \left(R_{\square} / R_2 \right)^{\gamma-4}$$

- Kawaler (1988)
 - Theoretically motivated; ($a=1$, $n=3/2 \rightarrow$ Skumanich)

$$\dot{J}_{Kaw} = -K_W \dot{M}_{w,14}^{1-(2n/3)} \left(M_2 / M_{\square} \right)^{-n/3} \left(R_2 / R_{\square} \right)^{2-n} \Omega^{1+(4an/3)}$$

- Andronov, Pinsonneault & Sills (2003)
 - Saturated AML prescription based on open cluster data; for CVs $\Omega > \Omega_{crit}(M_2)$

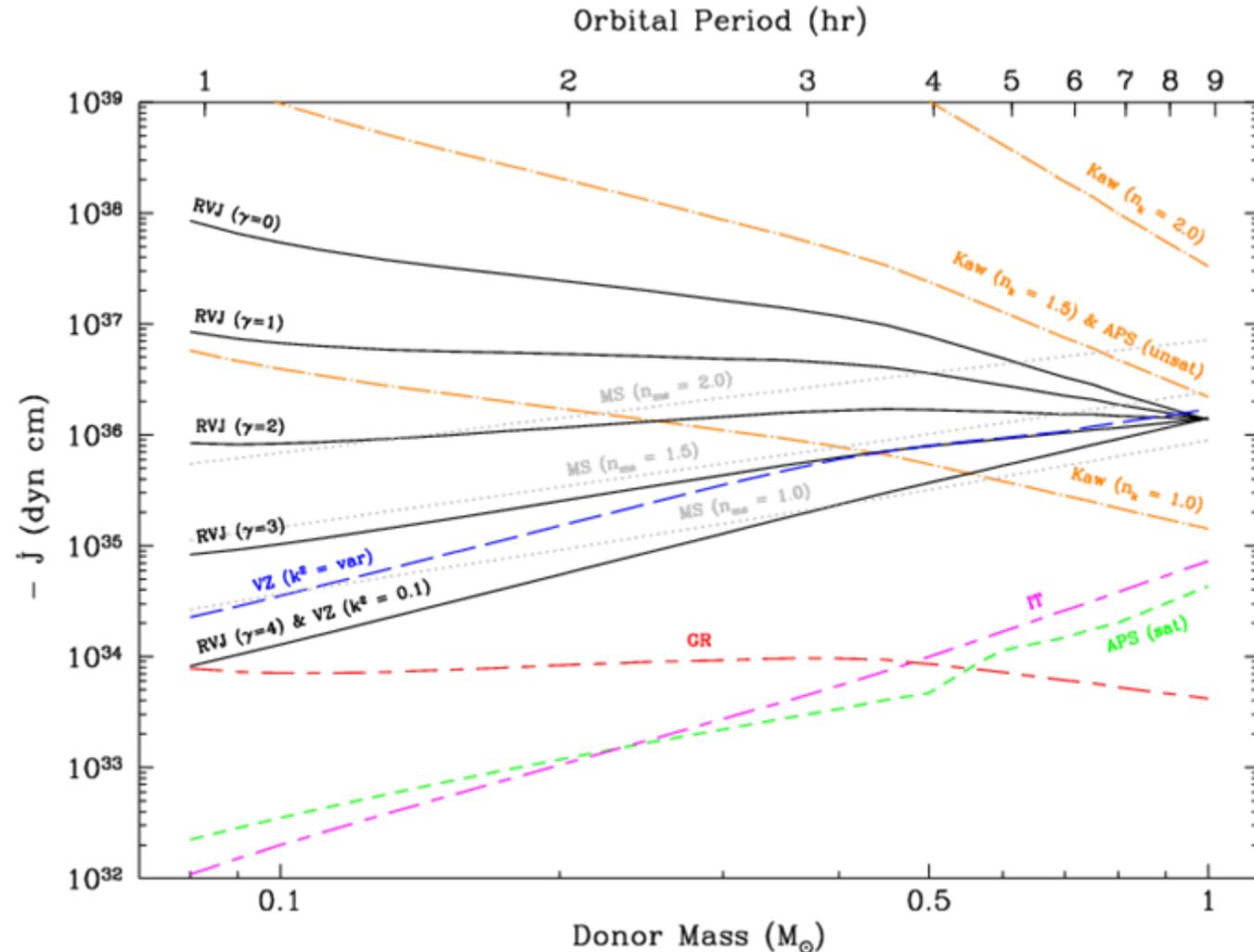
$$\dot{J}_{APS} = \begin{cases} \dot{J}_{Kaw;(n=3/2)} & \propto \Omega^3 & \dots & \Omega < \Omega_{crit} \\ \dot{J}_{Kaw;(n=3/2)} \left(\Omega_{crit} / \Omega \right)^2 & \propto \Omega & \dots & \Omega > \Omega_{crit} \end{cases}$$

- Ivanova & Taam (2003)
 - Another saturated recipe; for CVs $\Omega > \Omega_X$

$$\dot{J}_{IT} = \begin{cases} K_j \left(R_2 / R_{\square} \right)^4 \left(\Omega / \Omega_{\square} \right)^3 & \dots & \Omega < \Omega_X \\ K_j \left(R_2 / R_{\square} \right)^4 \left(\Omega^{1.3} \Omega_X^{1.7} / \Omega_{\square}^3 \right) & \dots & \Omega > \Omega_X \end{cases}$$

How well do we understand magnetic braking?

We don't!



- Orders of magnitude differences between recipes at fixed P
- Different recipes do not even agree in basic form!
- The saturated ones don't even beat GR below $\sim 0.5M_{\odot}$

Knigge, Baraffe & Patterson 2009