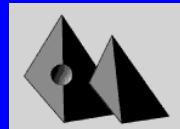


Helioseismic Observations of Active Regions



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Collaborators: C. Lindsey, Y. Fan

Data: P. Scherrer & SOHO MDI Team

Sponsorship: NSF, NASA

Outline

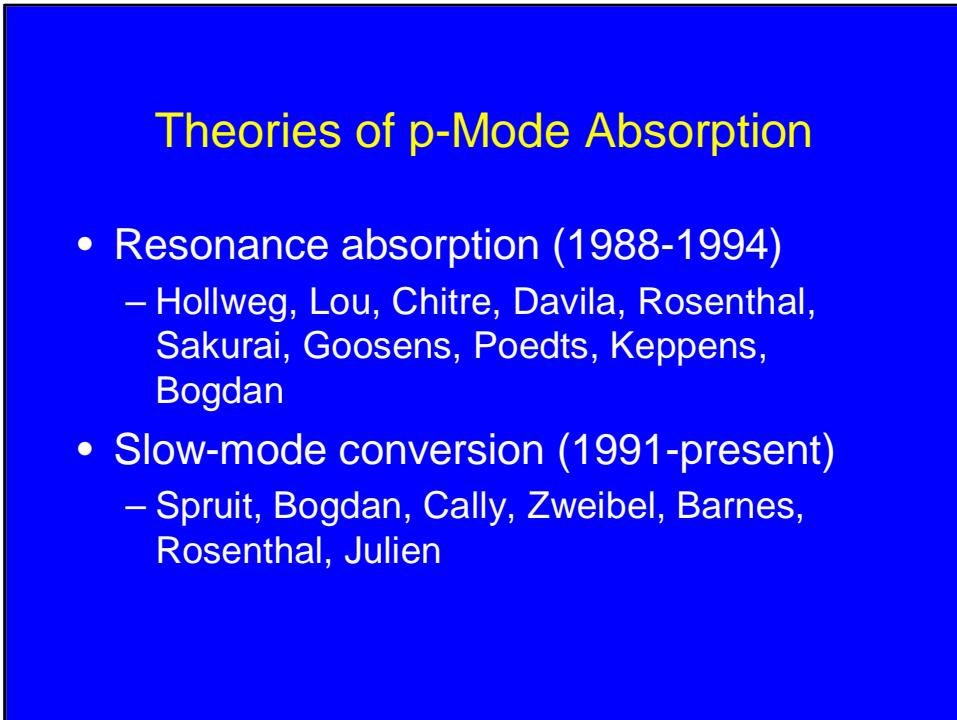
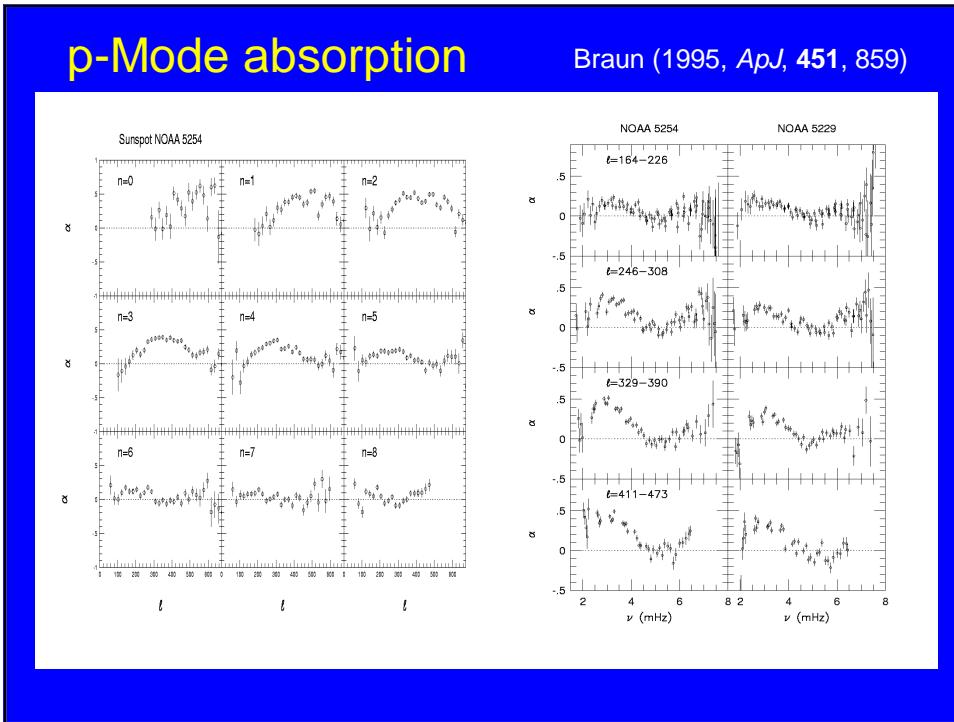
- p-Mode absorption in sunspots
 - Hankel analysis, theories & holography
- Travel-time perturbations in ARs
 - Agreements and controversies
 - Farside imaging
- What's next and what's needed?
 - Doppler diagnostics
 - Numerical modeling

Hankel analysis

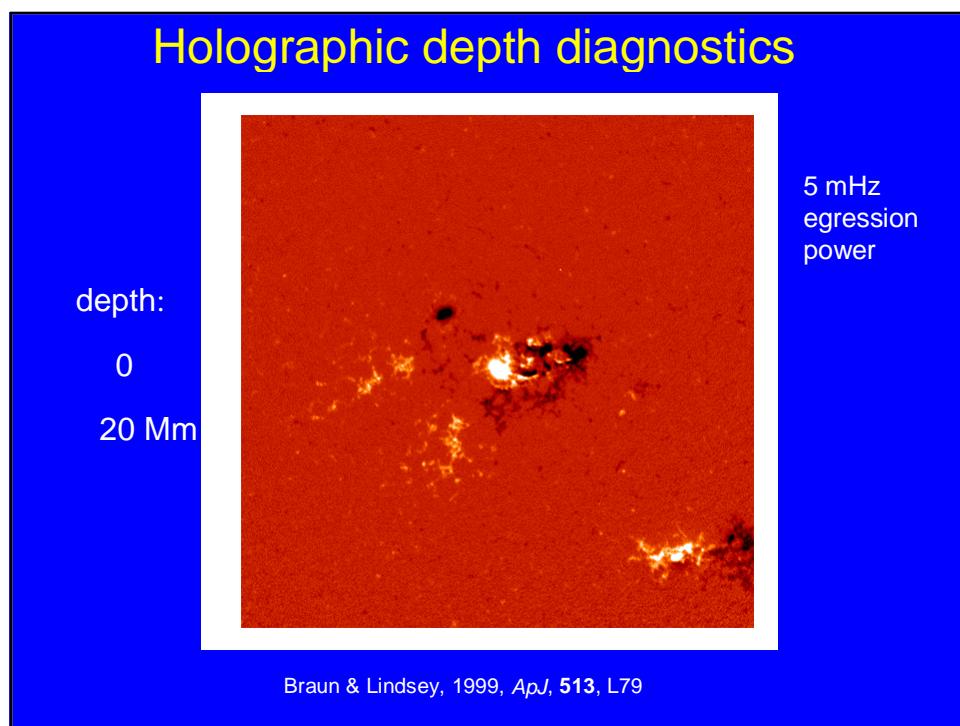
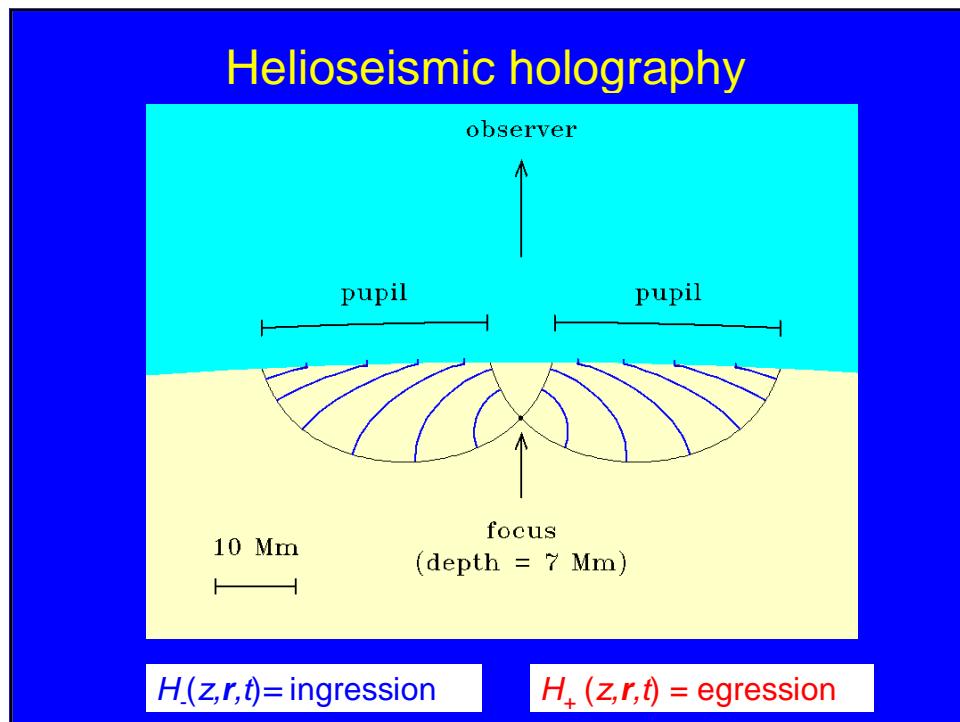
“in-coming”(A_{lmn}) and “out-going” (B_{lmn}) mode amplitudes determined from Fourier-Hankel decomposition of surface wave field

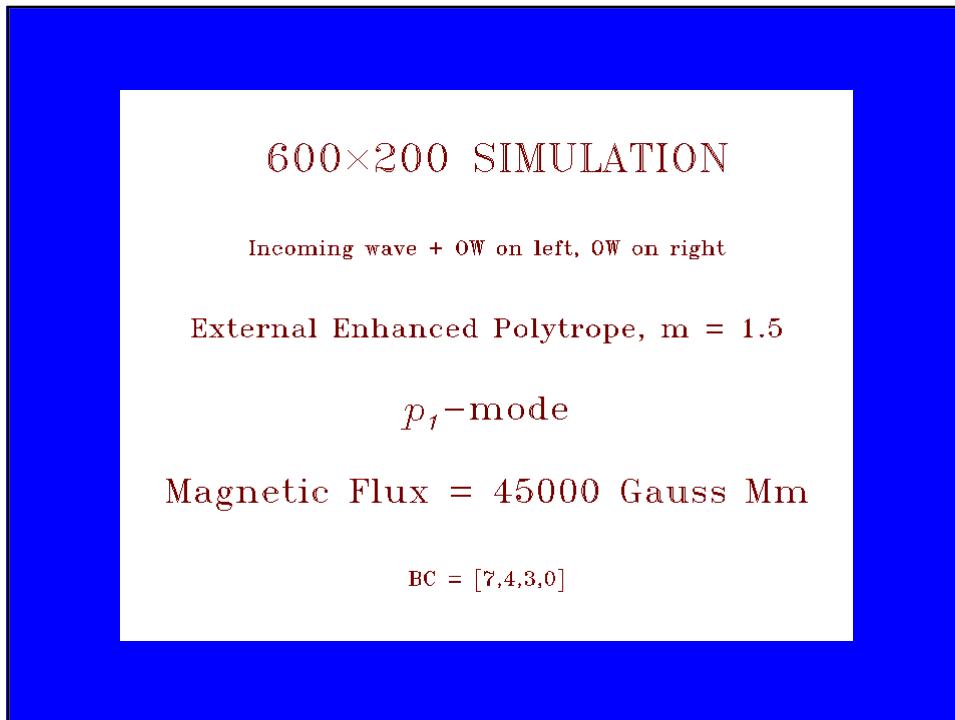
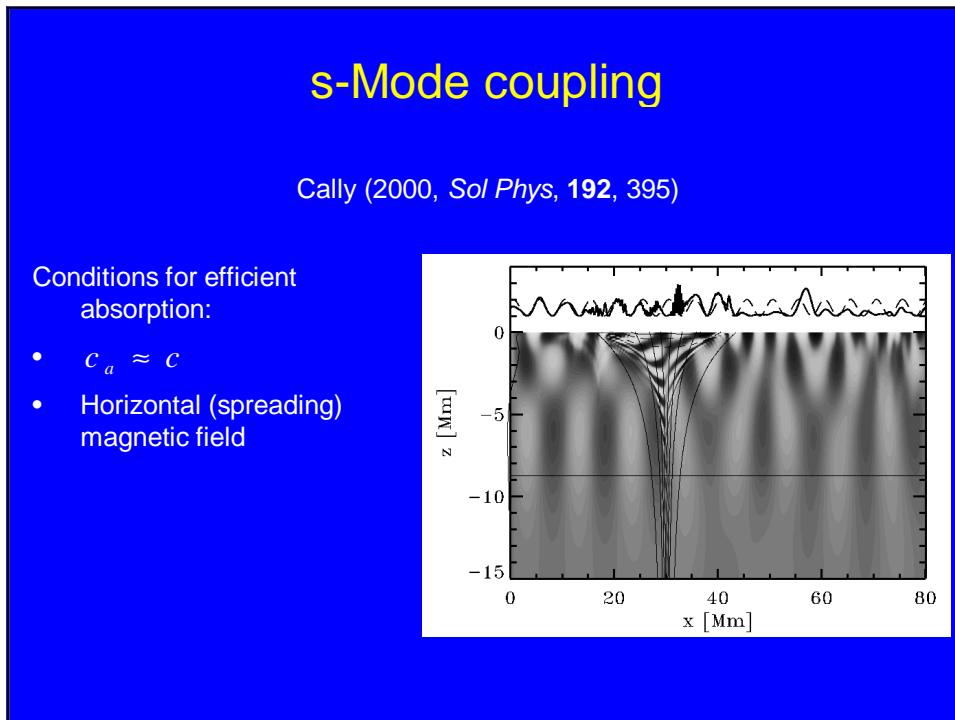
$$\text{Absorption coefficient} \quad \alpha \equiv 1 - \frac{|B_{lmn}|^2}{|A_{lmn}|^2}$$

$$\text{Phase-shift} \quad \delta \equiv \arg(B_{lmn}) - \arg(A_{lmn})$$



Helioseismological observations of active regions



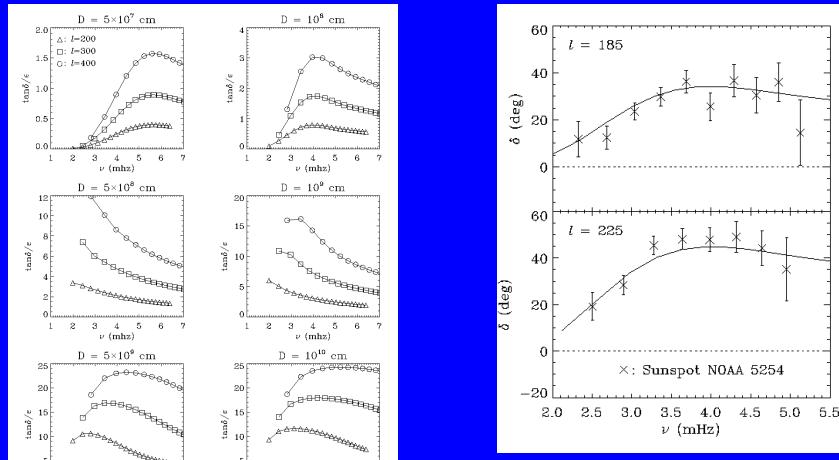


AR travel-time perturbations observed by 4 local helioseismic diagnostics:

- Hankel analysis (Braun et al. 1992)
~20-60° phase-shifts in sunspots
- Time-distance (Duvall et al. 1996)
~1^{min} travel-time decrease in spots
- Holography (Braun & Lindsey 2000)
20-60^s decrease in spots, 5-15^s in plages
- Ring-diagrams (Hindman et al. 2000)
– positive “frequency-shifts” in magnetic regions $\delta\nu/\nu \sim 10^{-3} - 10^{-2}$

Modeling (Hankel) phase-shifts

Fan, Braun & Chou (1995, *ApJ*, 451, 877)



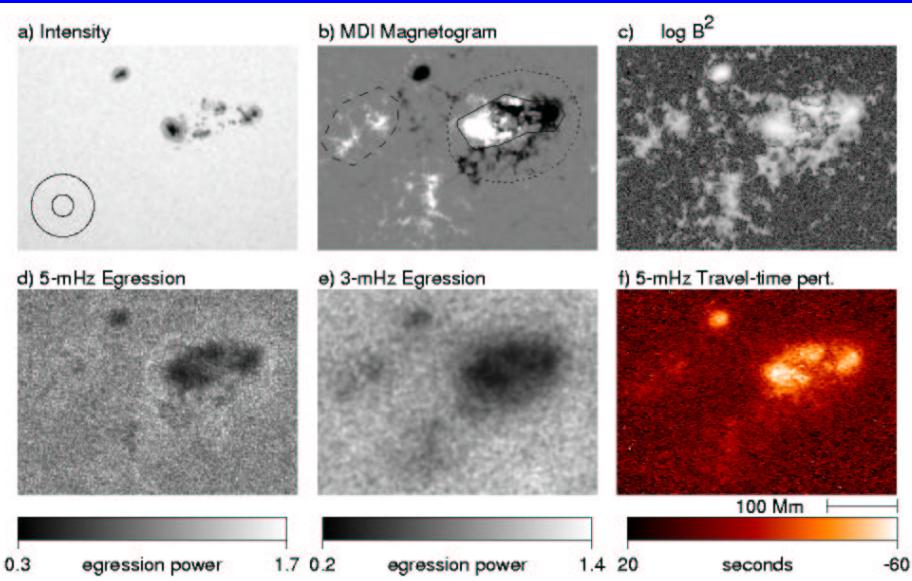
$$\frac{\delta c}{c} \approx 0.4 \quad \text{Depth} = 1 \text{ Mm}$$

Phase-sensitive holography

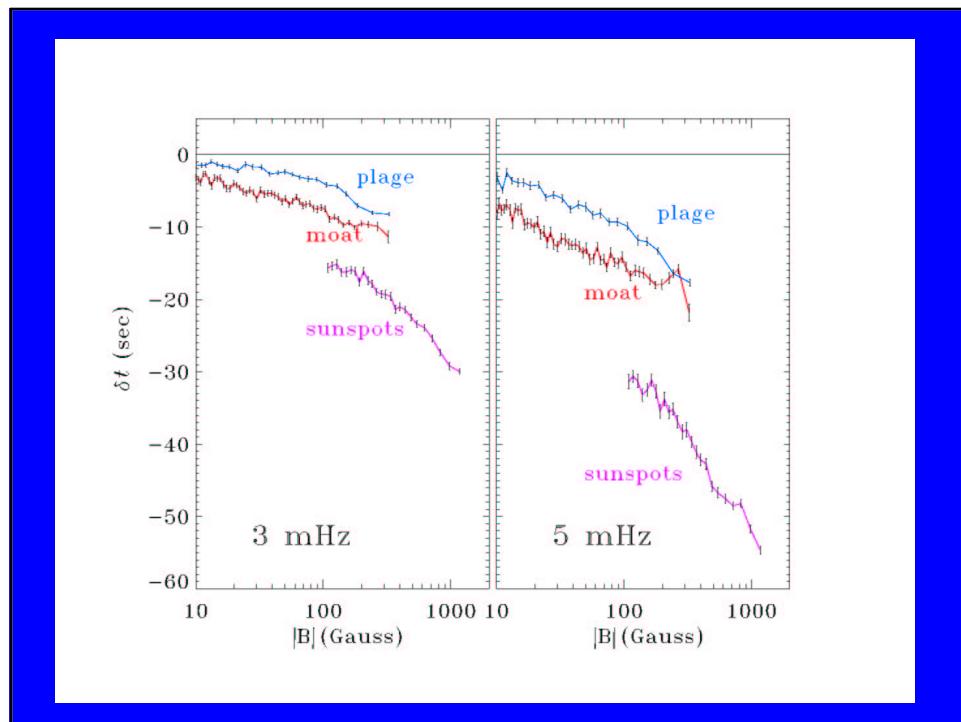
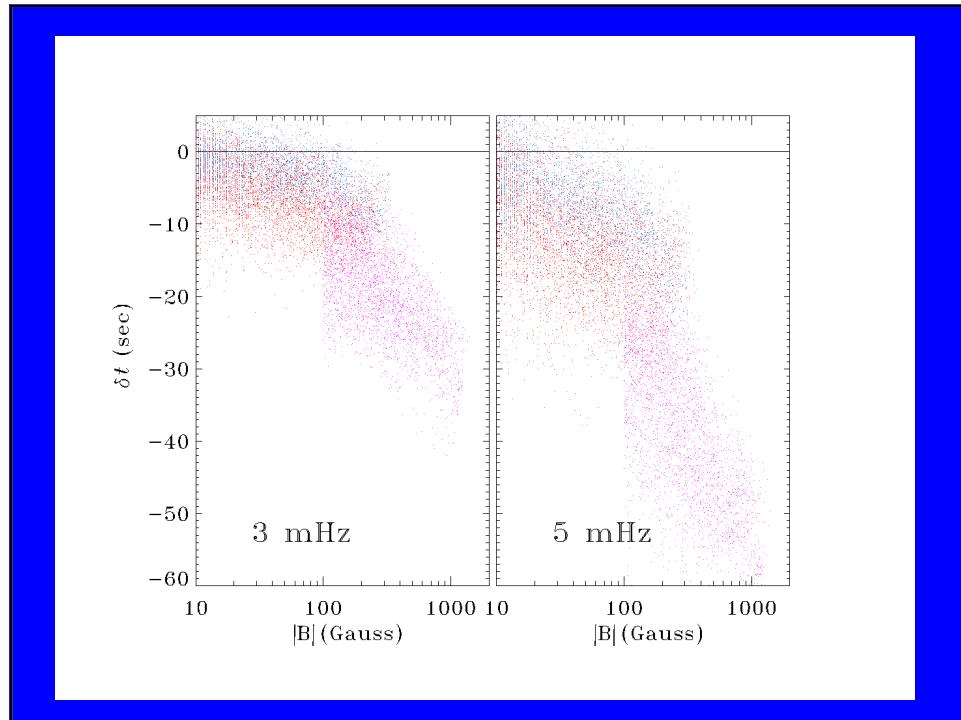
Refractive perturbations produce temporal delays or speed-ups of egressing waves with respect to ingressing waves:

$$\delta t(\mathbf{r}, z) \rightarrow \max \left(C(\delta t) = \int dt H_-(z, \mathbf{r}, t) H_+(z, \mathbf{r}, t + \delta t) \right)$$

Braun & Lindsey 2000 *Solar Phys.* **192**, 307



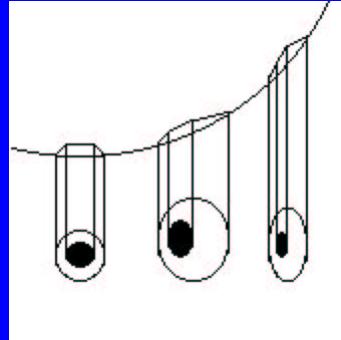
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Wilson depression

$$\text{Sunspots: } \delta t \approx \frac{z_w}{c} \approx \frac{500 \text{ km}}{9 \text{ km/s}}$$

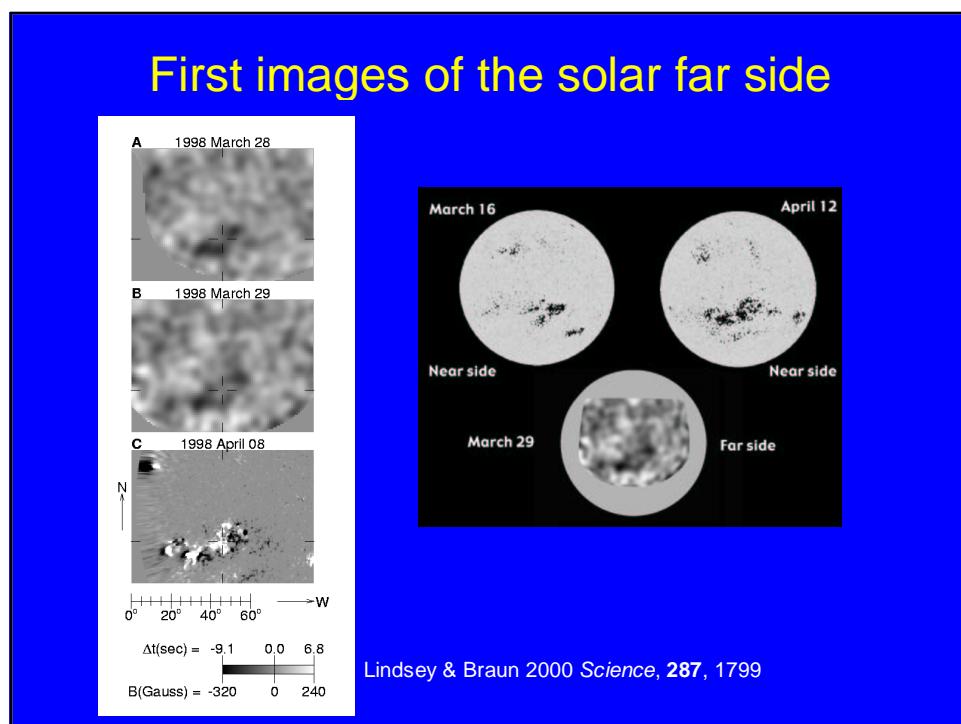
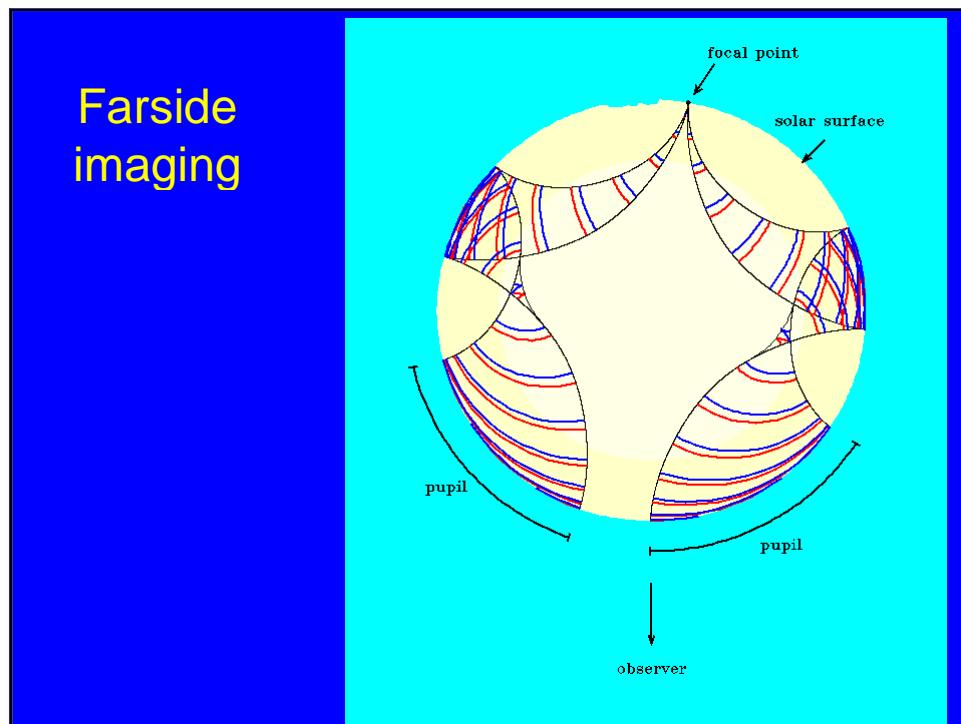
$$z_w \approx H_p \ln \left(\frac{B^2}{8\pi P_e} + 1 \right)$$



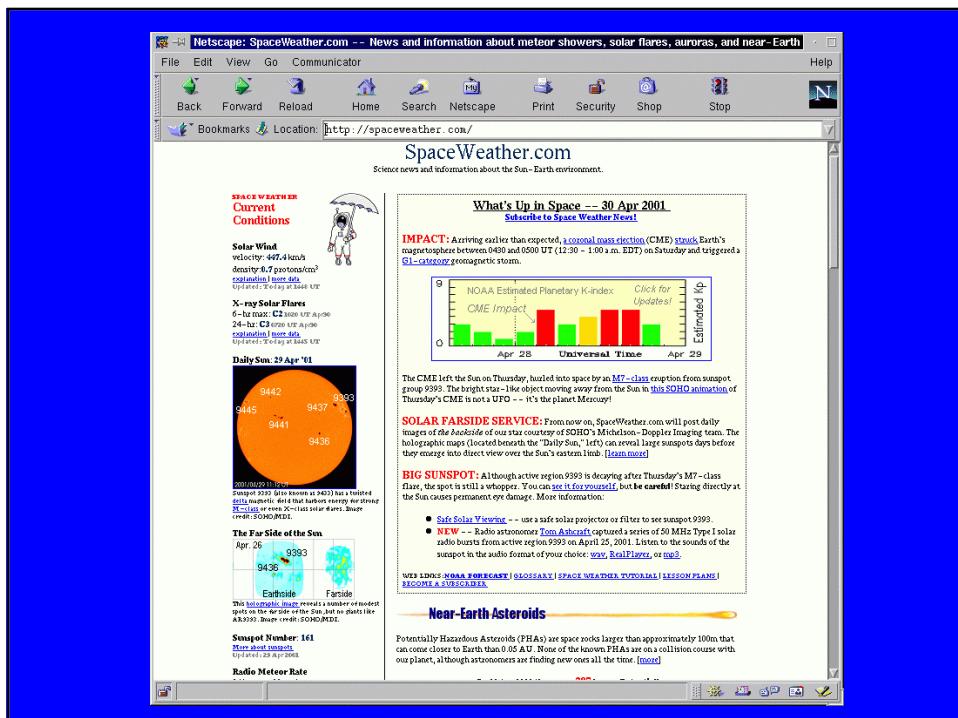
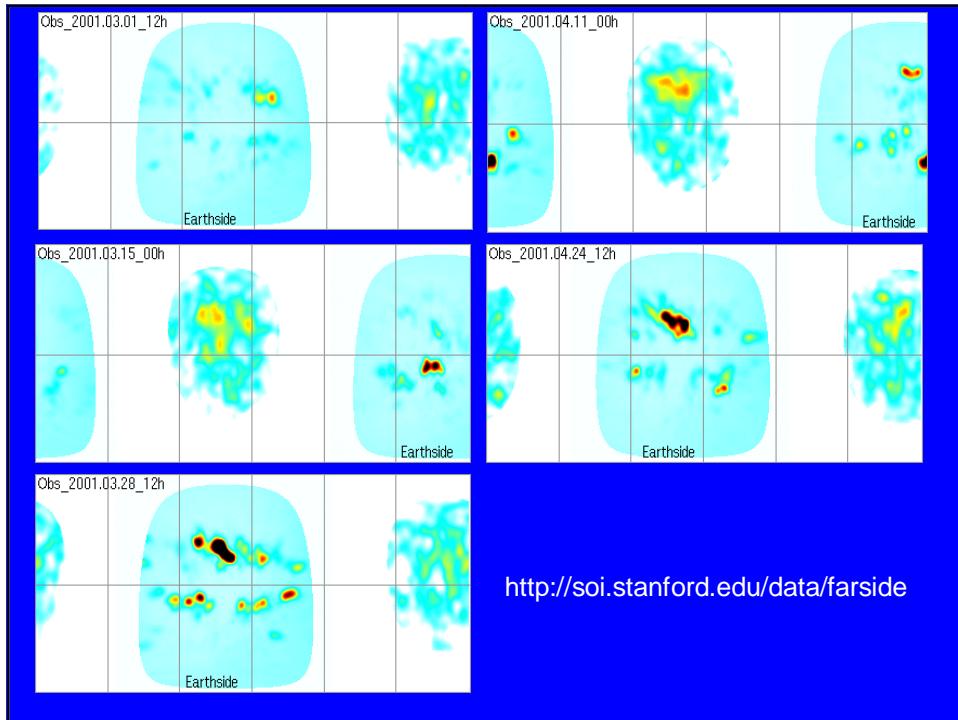
Implications of travel-time perturbations

- Wilson-like depression?
- Thermal perturbation?
- Magnetic wave-speed perturbation?
- Cause of global-mode frequency variations with solar cycle
- Enable farside imaging

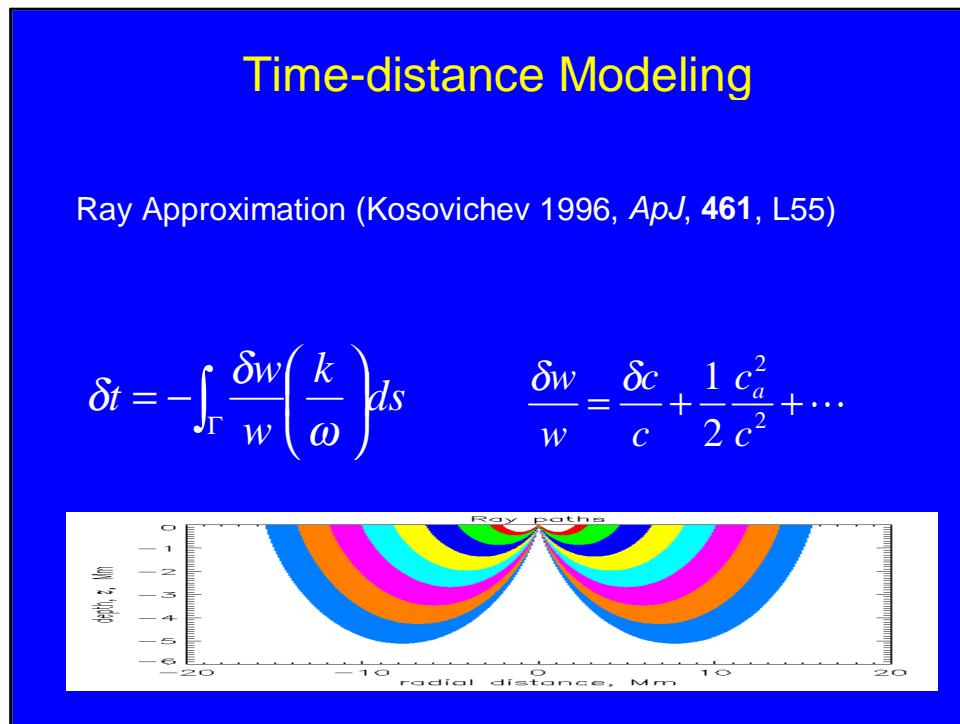
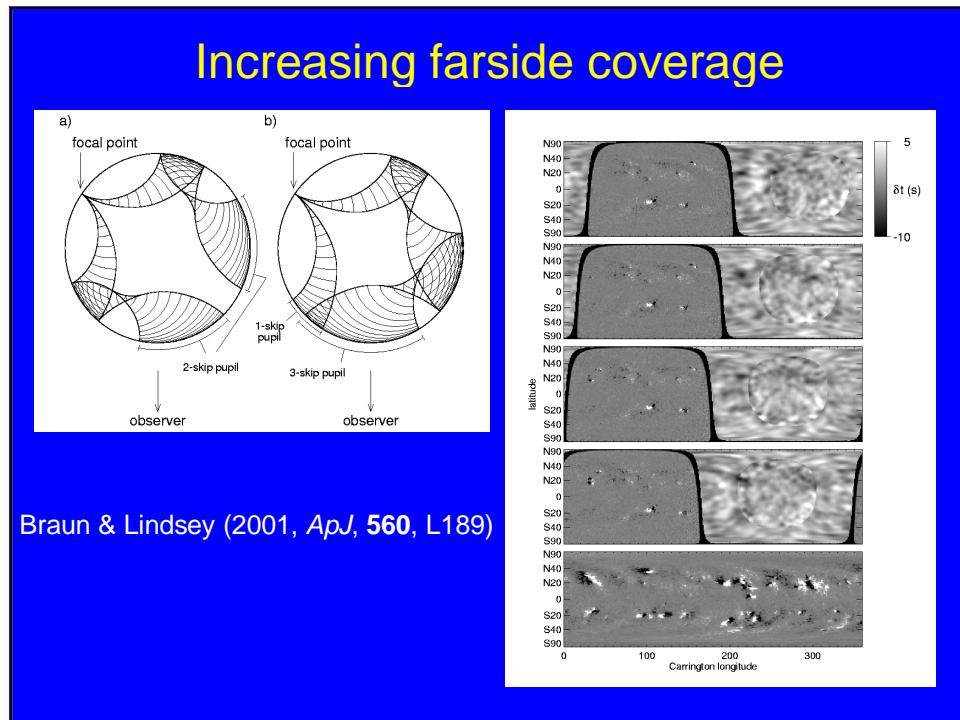
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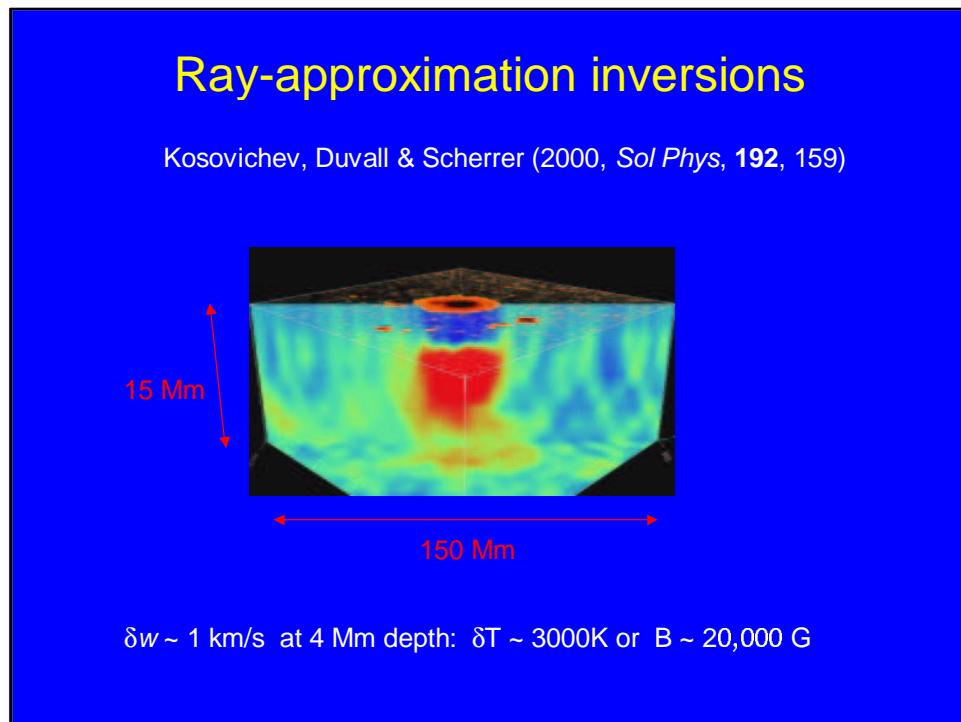
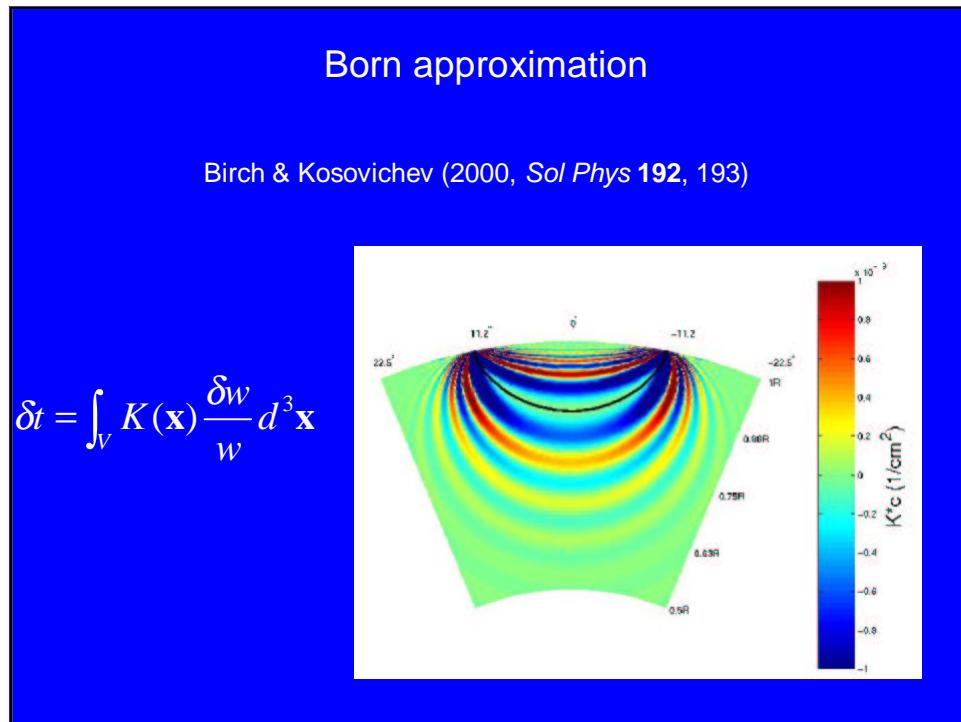
Helioseismological observations of active regions



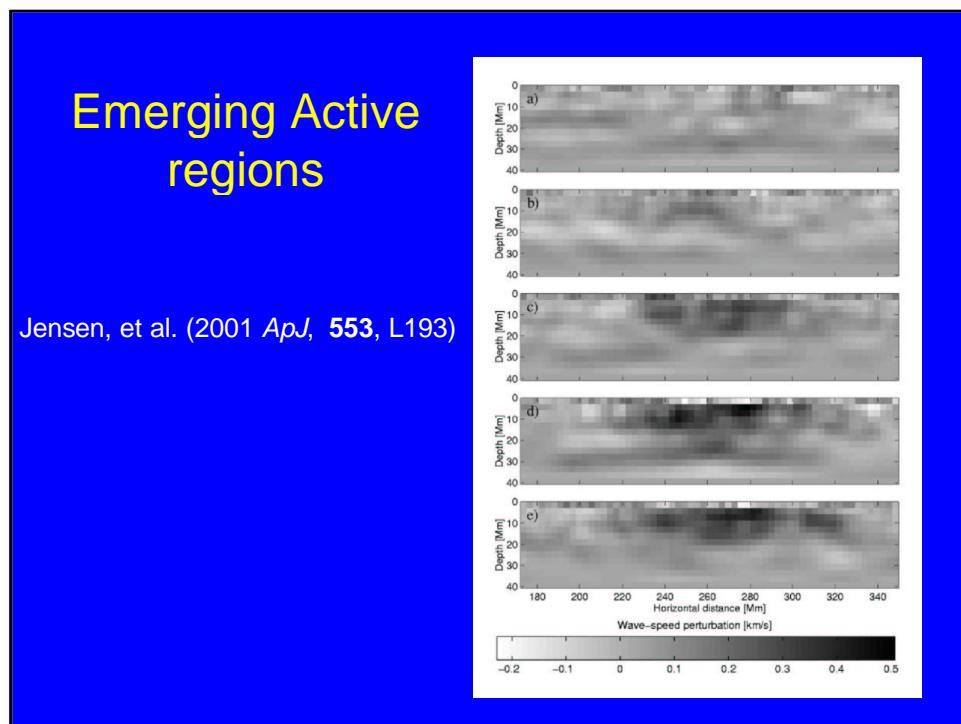
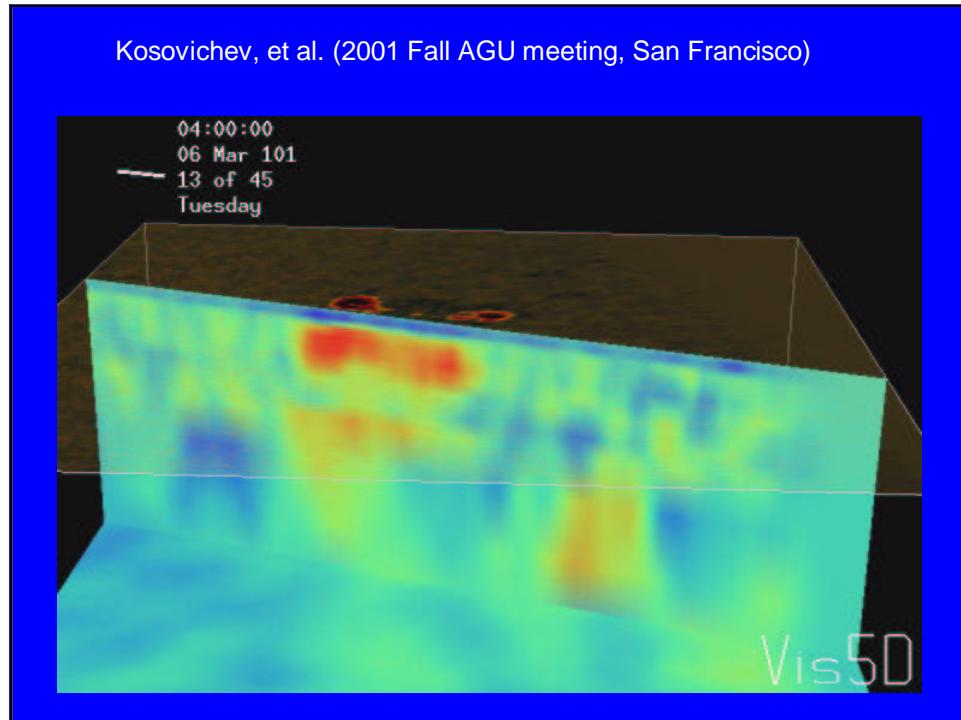
Helioseismological observations of active regions



Helioseismological observations of active regions



Helioseismological observations of active regions



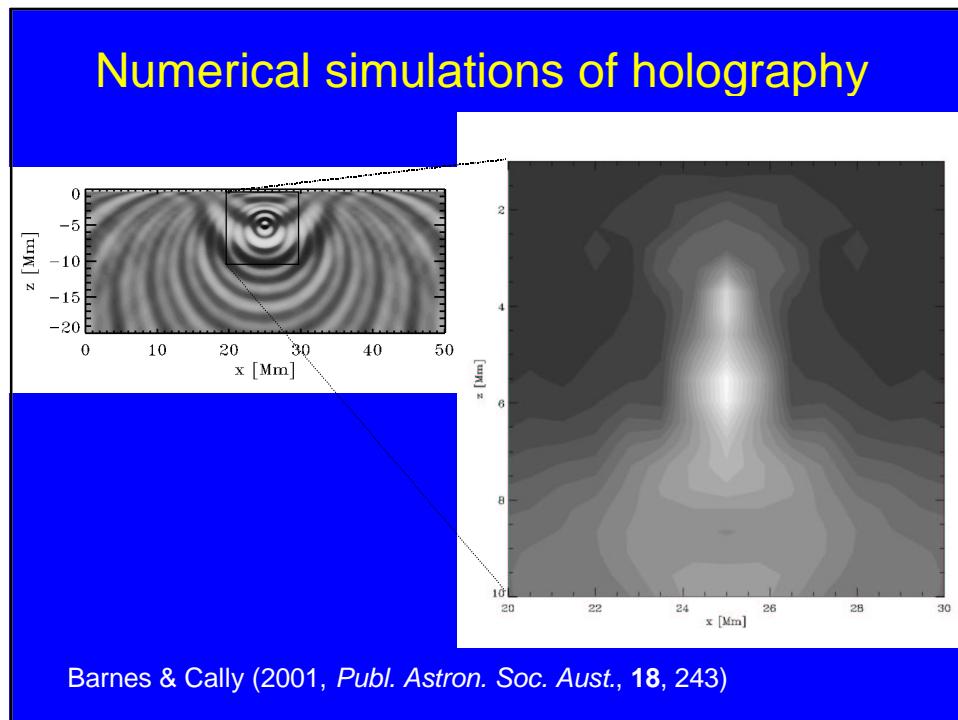
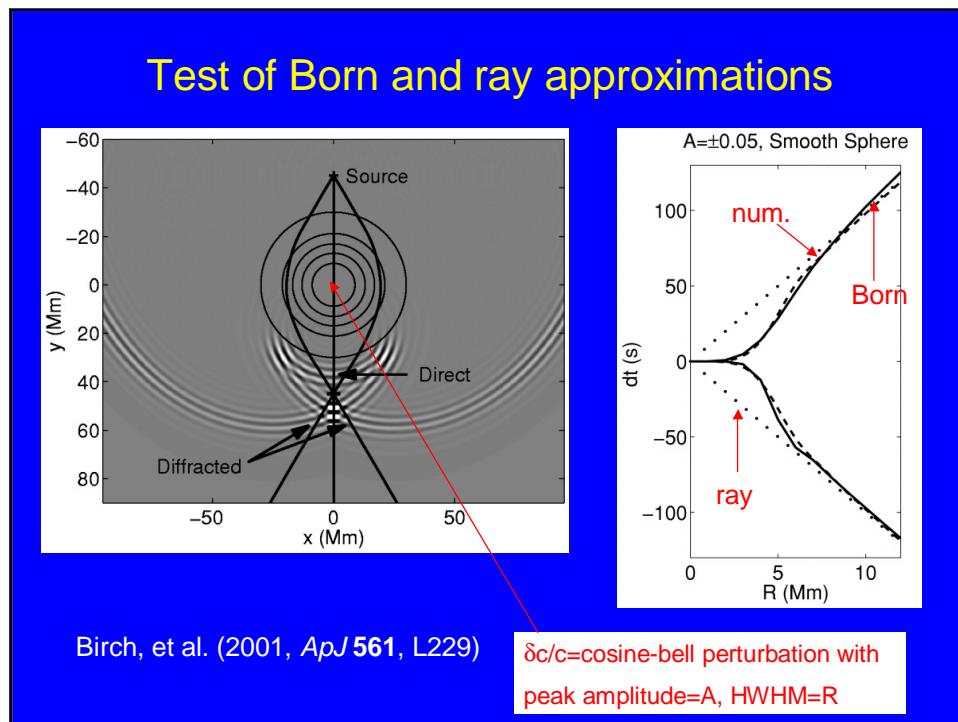
Controversies

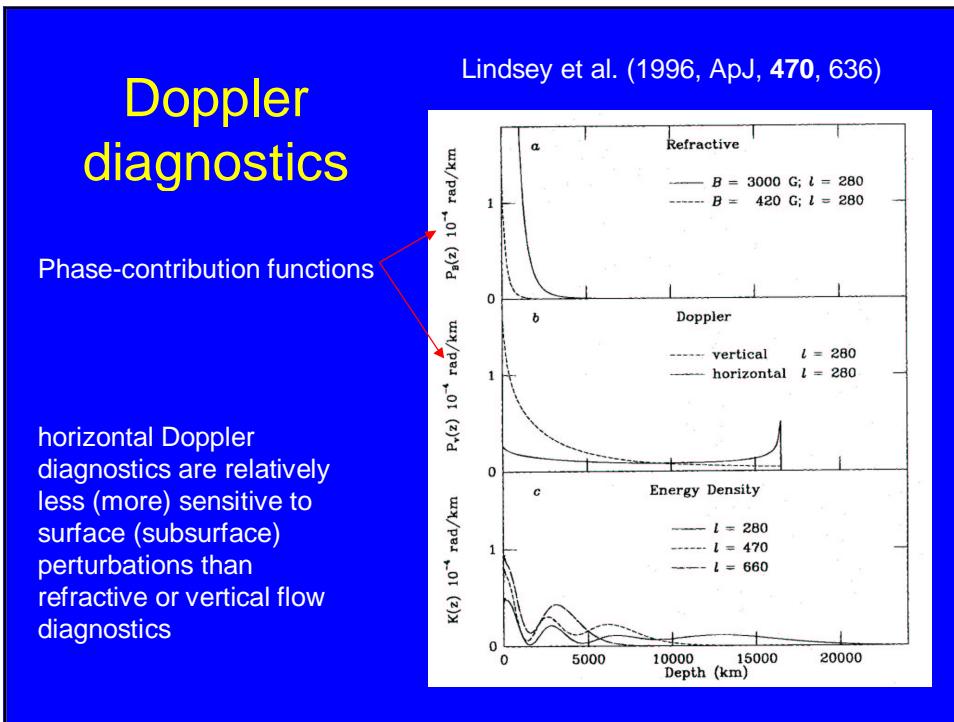
- Acoustic stalactites
- No isolated subsurface perturbations
- Deep perturbations seem too big
- Contamination of sunspot signal
- Oversimplified models & assumptions

Numerical analyses

- Predict and understand seismic signatures
 - e.g. p-mode absorption
- Test basic assumptions
 - Born, ray approximations
- Provide artificial data
 - Hare and hounds exercises

Helioseismological observations of active regions





Conclusions

- Observations (mostly) robust
- Interpretations (sometimes) controversial
- Understand forward problem before inversions
- Doppler signatures may provide best subsurface diagnostic
- Numerical analyses will likely be crucial in testing and improving methods