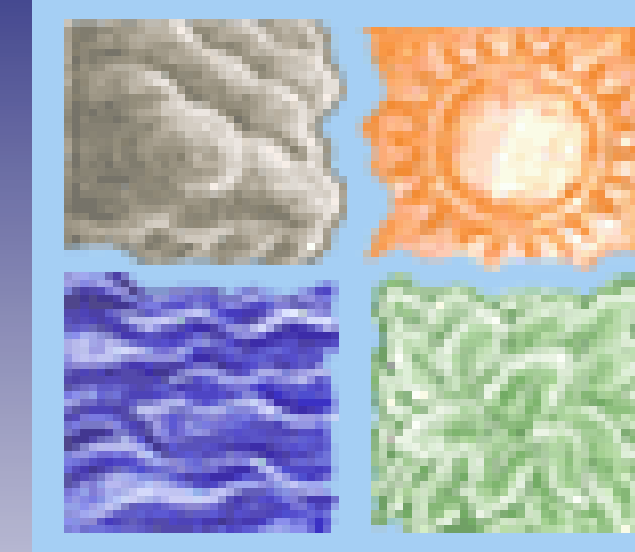




The role of eddy-mean flow interaction in shaping midlatitude storm tracks

Talia Tamarin¹ and Yohai Kaspi¹

¹ Earth and Planetary Sciences, Weizmann Institute of Science, Israel
talia.tamarin@weizmann.ac.il



Weizmann Institute of Science

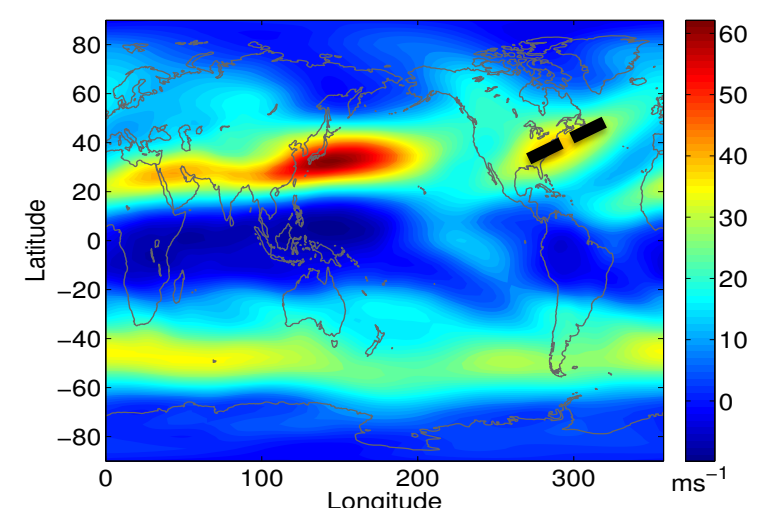
1. Introduction

- Regions of **strong jets** and **enhanced eddy activity** such as the Pacific and Atlantic **storm tracks** are characterized by a downstream **poleward tilt** that has an important influence on global climate.
- The role of **transient eddies** in shaping the storm tracks is investigated in observations and by using an **idealized aquaplanet General Circulation Model** with a **localized surface heating**.

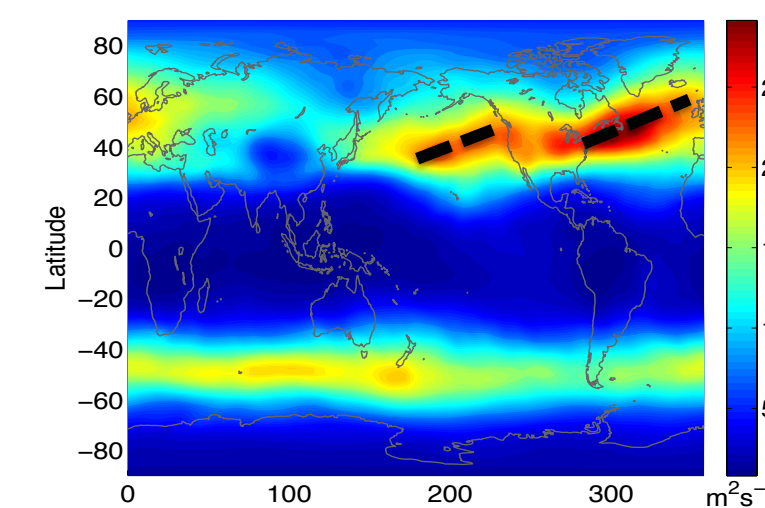
Storm Tracks-

Observations

Zonal velocity U (DJF)



Eddy Kinetic Energy (DJF)



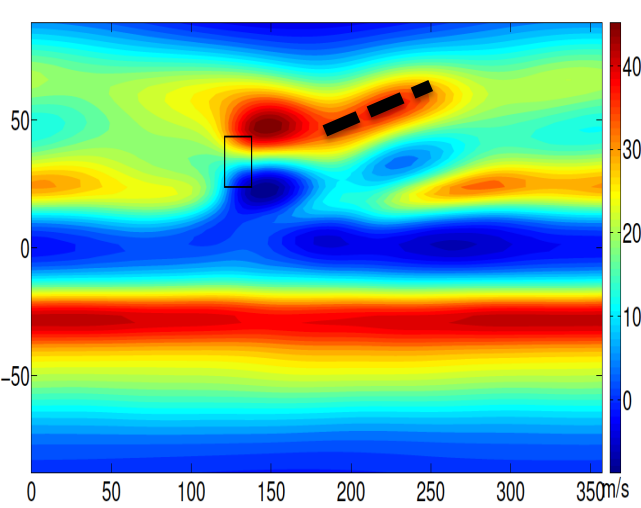
NCEP reanalysis

data averaged for DJF (1970-2009)

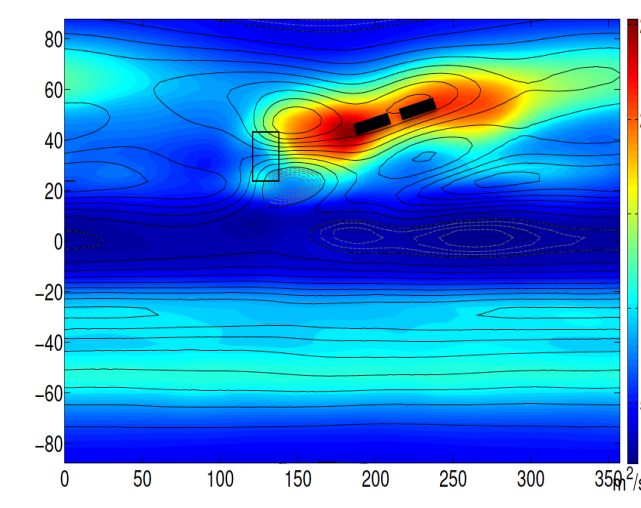
Vs.

Model

Zonal velocity U (model)



Eddy Kinetic Energy (model)



Idealized GCM

FMS GFDL with localized surface heating

The model captures the poleward tilt

2. The eddy mean flow interaction

The **momentum equations** in steady state (time mean, no friction) in **transformed form**-

$$D\bar{u} - f\bar{v}^* = M_x + N_y$$

Note that in the zonally symmetric case:

$$\frac{\partial \bar{u}}{\partial t} = -(\overline{u'v'})_y$$

$$D\bar{v} + f\bar{u}^* = N_x - M_y$$

Where

$$N = -\overline{u'v'}$$

$$M = \frac{1}{2}(\overline{v'^2} - \overline{u'^2})$$

eddy momentum fluxes

$$\bar{v}^* = \bar{v} - \frac{\partial}{\partial x}(\bar{\phi} + K)$$

$$\bar{u}^* = \bar{u} + \frac{\partial}{\partial y}(\bar{\phi} + K)$$

Residual velocities

$$D = \bar{u} \frac{\partial}{\partial x} + \bar{v} \frac{\partial}{\partial y}$$

$$K = \frac{1}{2}(\overline{u'^2} + \overline{v'^2})$$

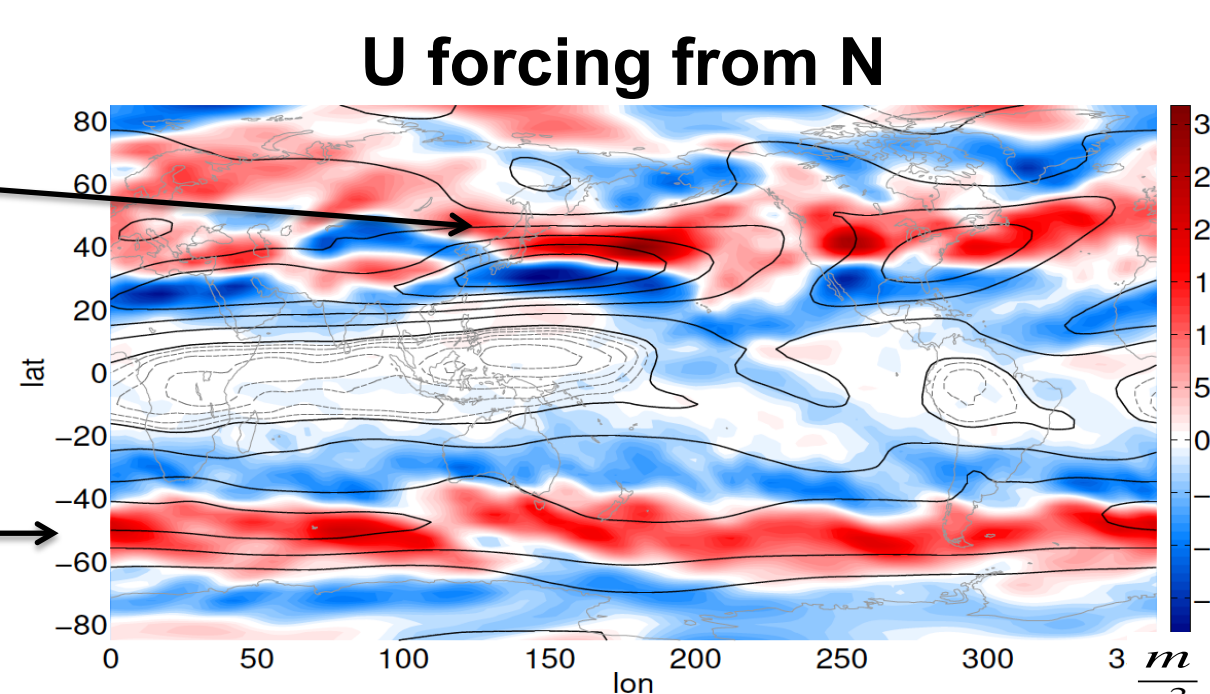
ϕ = geopotential

Similar to Hoskins et al. (1983), Trenberth (1986)

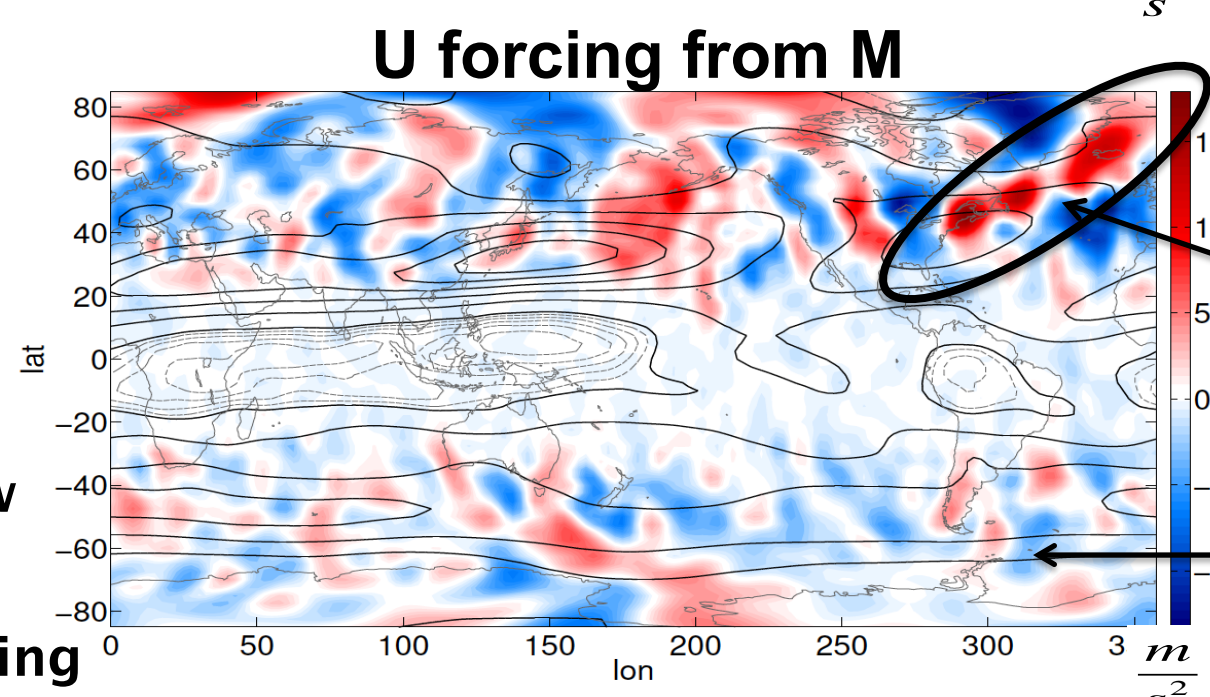
Zonal mean flow forcing- separate contributions from M,N

Strengthen the jet on the poleward flank

Momentum fluxes strengthen the jet in its maximum position



$$D\bar{u} - f\bar{v}^* = M_x + N_y$$



A localized contribution, related to the tilt

Almost zero in the zonal mean

Black/ grey contours = Positive/ negative mean flow
Red/ blue colors = Positive/Negative eddy forcing

3. Vorticity framework

Taking curl on the momentum equations-

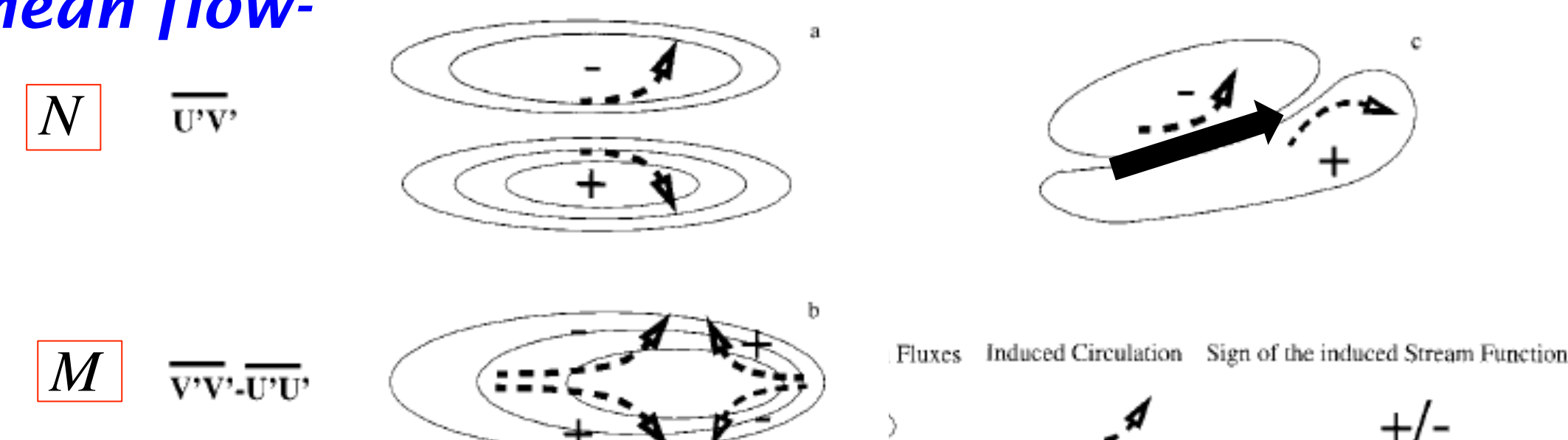
$$D(f + \bar{\zeta}) - (f + \bar{\zeta}) \frac{\partial w}{\partial z} = N_{yy} - N_{xx} - 2M_{xy}$$

The time mean vorticity equation

$$\langle D(f + \bar{\zeta}) \rangle = \langle N_{yy} - N_{xx} - M_{xy} \rangle$$

Vertically integrating

Observational analysis show that momentum fluxes force a tilted mean flow-



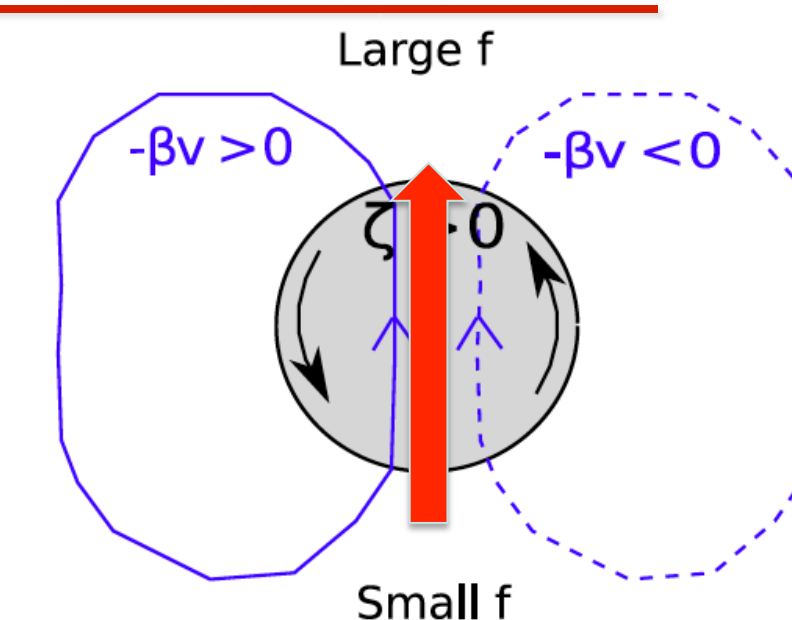
The streamfunction tendency from eddy momentum fluxes

However, does not give information about cause and effect!

4. A dynamical mechanism for poleward drift

The 'beta-drift'

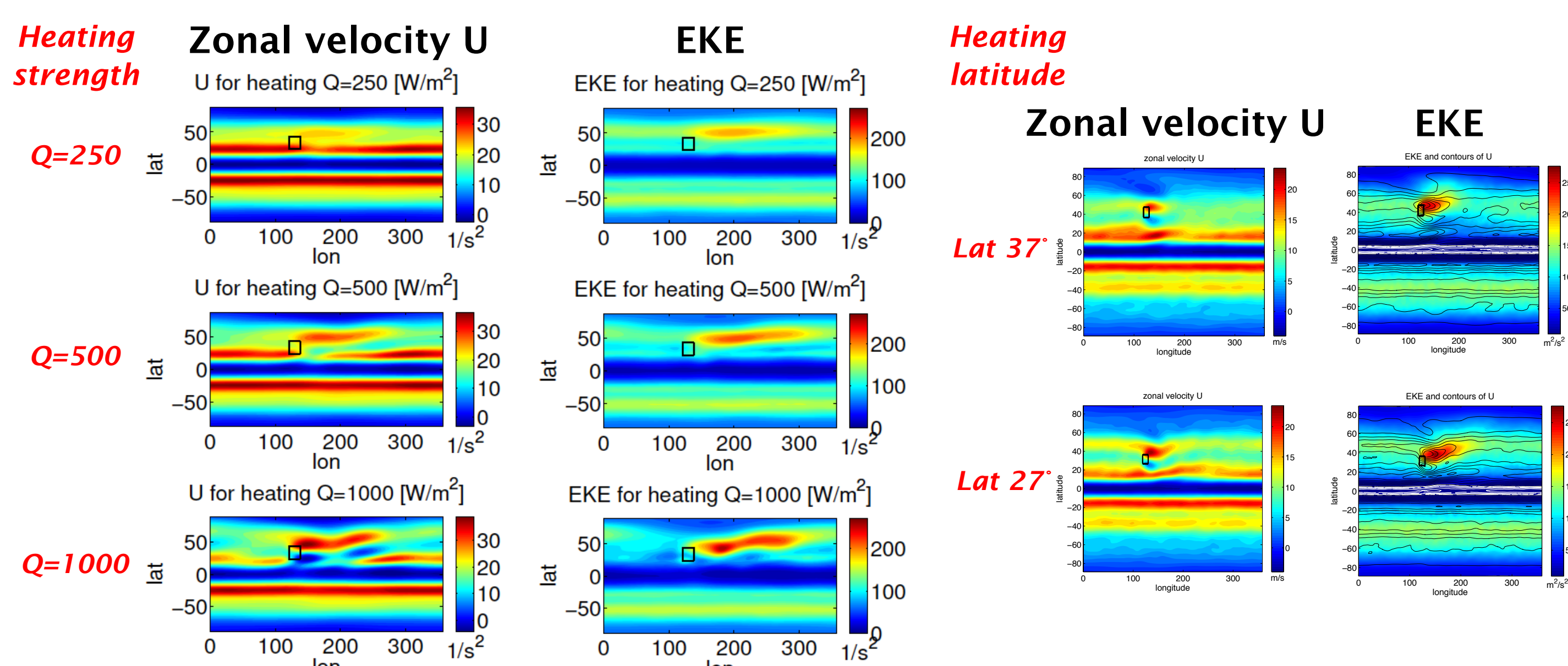
- stronger cyclones** will have a larger poleward drift
- Cyclones created at **lower latitudes** will have a larger poleward drift



Riviere et al (2012), Oruba et al (2013)

5. Results from idealized GCM

GCM results for **increased heating** and **different latitudinal locations** are consistent with the 'beta-drift' mechanism



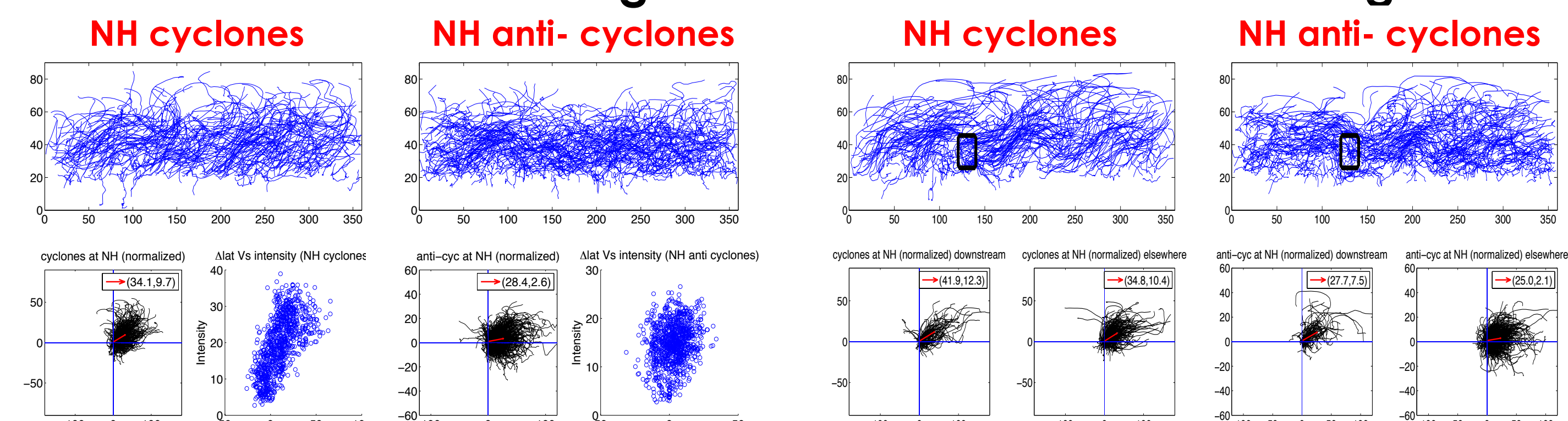
- As **heating is increased**, the storm track becomes **more tilted**
- At **lower latitudes**, the storm track are **more tilted**

Poleward drift analysis- storm tracking algorithm

(TRACK, Kevin Hodges)

Runs with no heating

Runs with heating



- Cyclones propagate **poleward** more than anti-cyclones
- Downstream of **heating**, poleward propagation is **enhanced**