

PICSARs: PIC Simulations of Acceleration in Relativistic shocks (and nice movies, too!)

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Nonlinear Processes in Astrophysical Plasmas, KITP

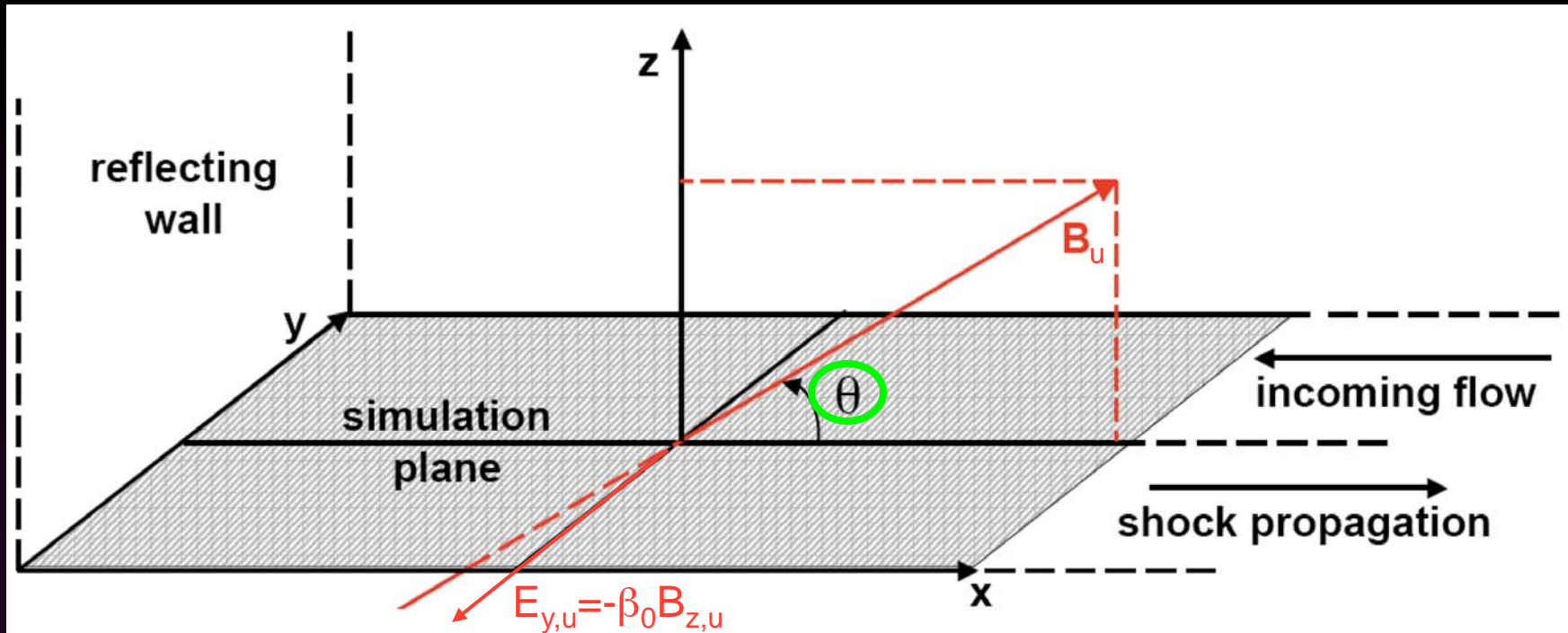
September 29th, 2009

Relativistic shocks in astrophysics

- Are shocks responsible for the nonthermal emission from GRBs, PWNe and AGN jets and for the acceleration of CRs?
- How does the efficiency of particle acceleration depend on the magnetic field **strength** and **inclination** and the flow **composition**?
- How do **particle acceleration** and **magnetic field generation** in shocks translate into the observed **emission signatures**?

Method: Self-consistent first-principle particle-in-cell (**PIC**) numerical simulations...

Simulation setup

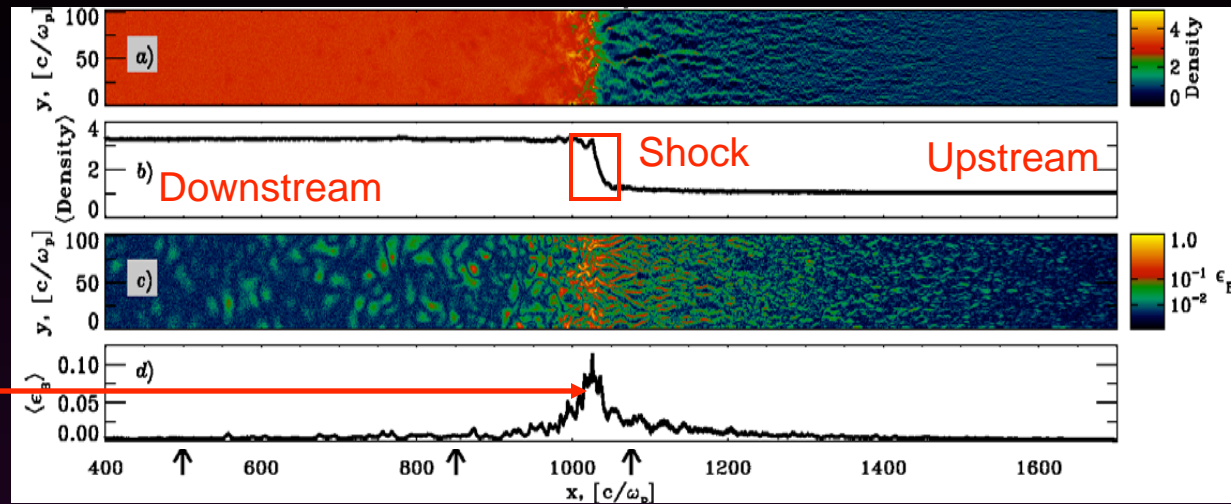


- Upstream flow is $e^- - e^+$ or $e^- - p^+$ ($m_p/m_e=16-100$) cold plasma with bulk Lorentz factor $\gamma_0=15$ and magnetization $\sigma = B_u^2/(4\pi\gamma_0 n_u m_p c^2) = 0-0.1$. We also vary the wall-frame magnetic obliquity θ .
- 2.5D simulations ($100 c/\omega_{pe} \times 9000 c/\omega_{pe}$) with out-of-plane magnetic field; main results confirmed by 3D simulations

Which magnetization regime?

- Unmagnetized shocks ($\sigma=0$): mediated by the **Weibel instability**

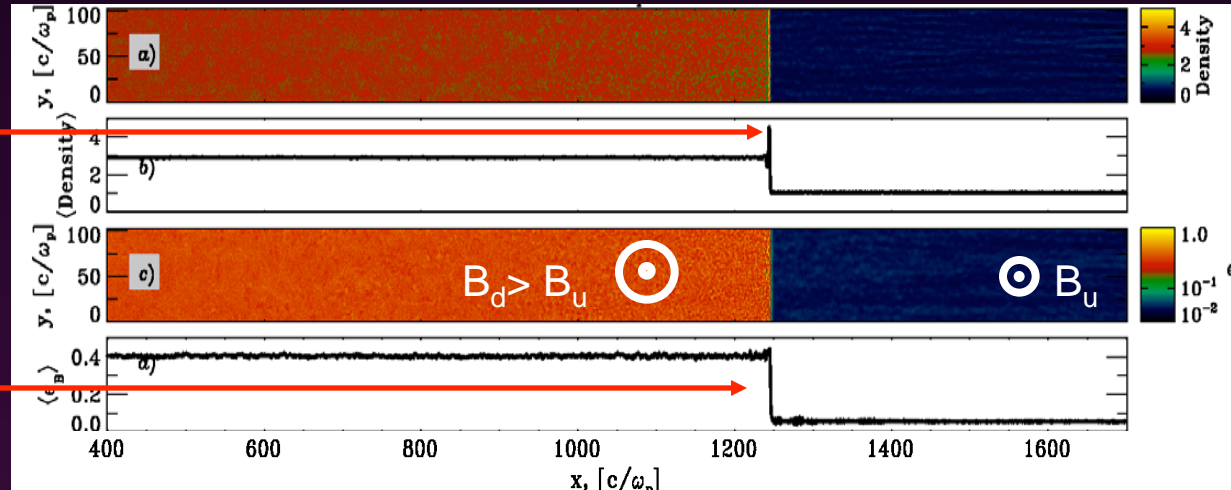
- Upstream (Weibel) filaments in density and ϵ_B
- Magnetic energy generation at the shock



Density
 $\langle \text{Density} \rangle$
 ϵ_B
 $\langle \epsilon_B \rangle$

- Magnetized perpendicular shocks ($\sigma=0.1$ & $\theta=90^\circ$): mediated by **magnetic reflection**

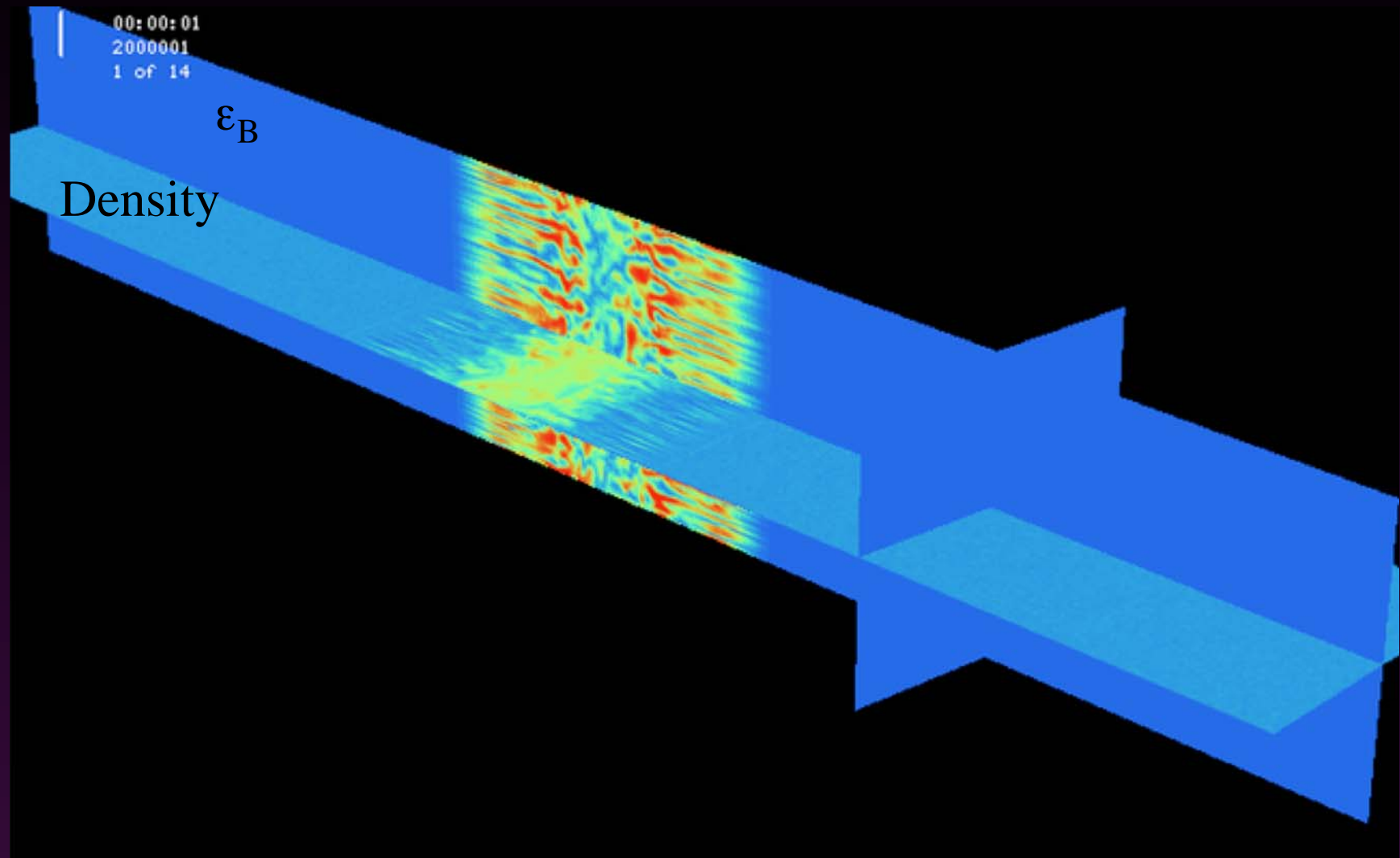
- Density peak due to coherent Larmor gyration
- Transverse magnetic field compression



Density
 $\langle \text{Density} \rangle$
 ϵ_B
 $\langle \epsilon_B \rangle$

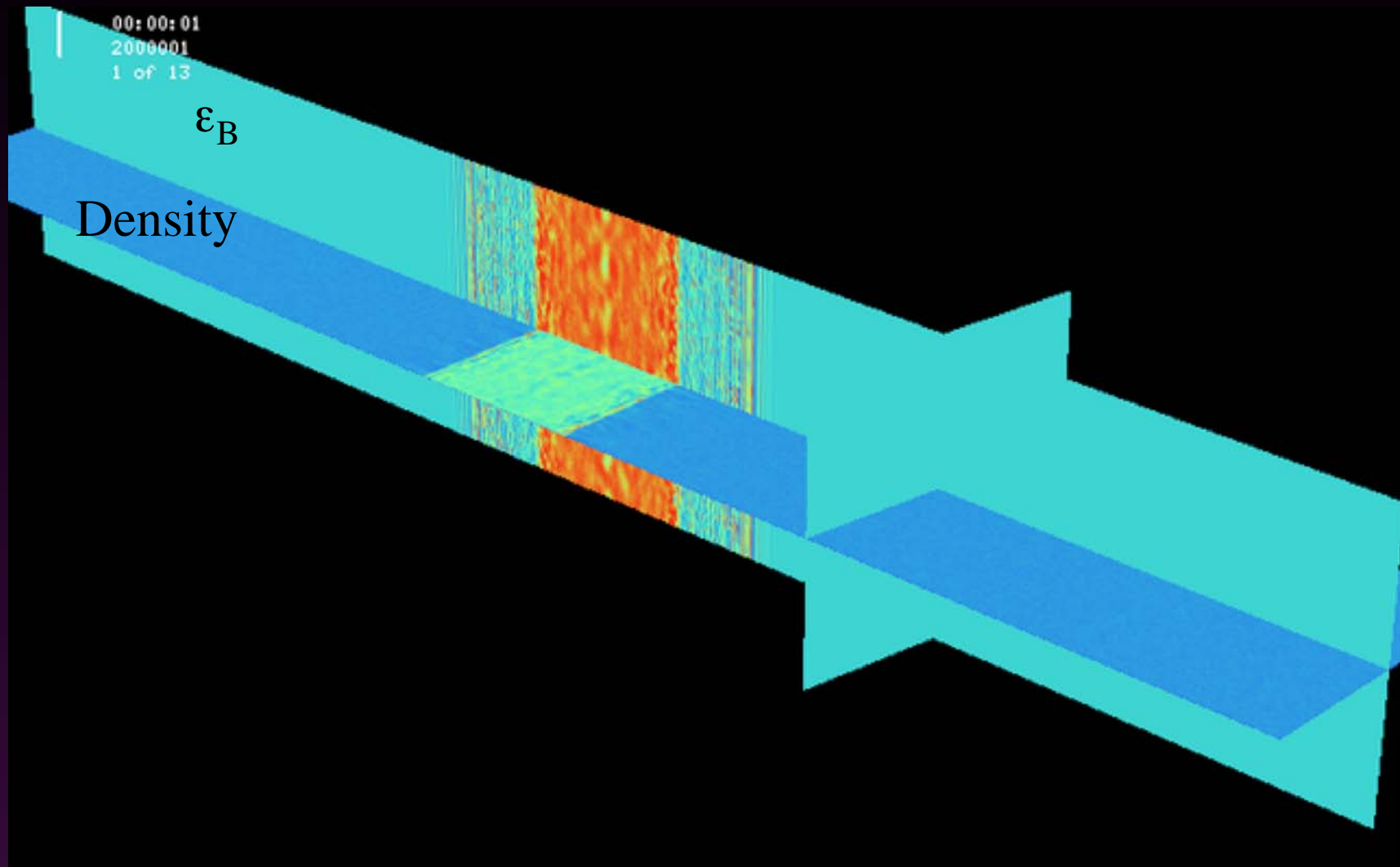
$\sigma=0$ vs $\sigma=0.1$ & $\theta=90^\circ$: shock structure

$\sigma=0$



$\sigma=0$ vs $\sigma=0.1$ & $\theta=90^\circ$: shock structure

$\sigma=0.1$ & $\theta=90^\circ$

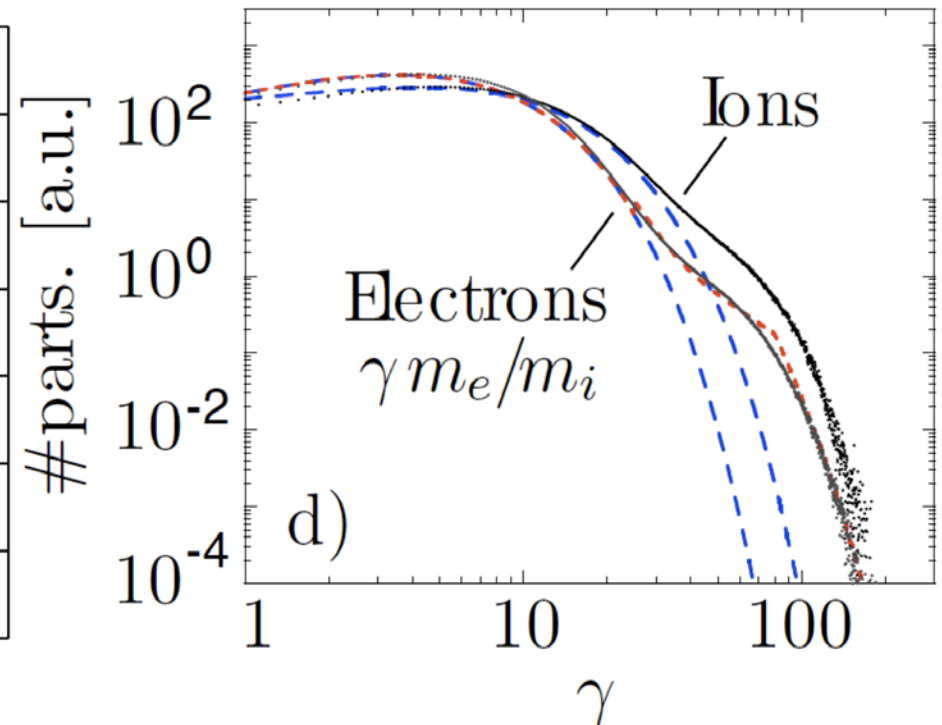
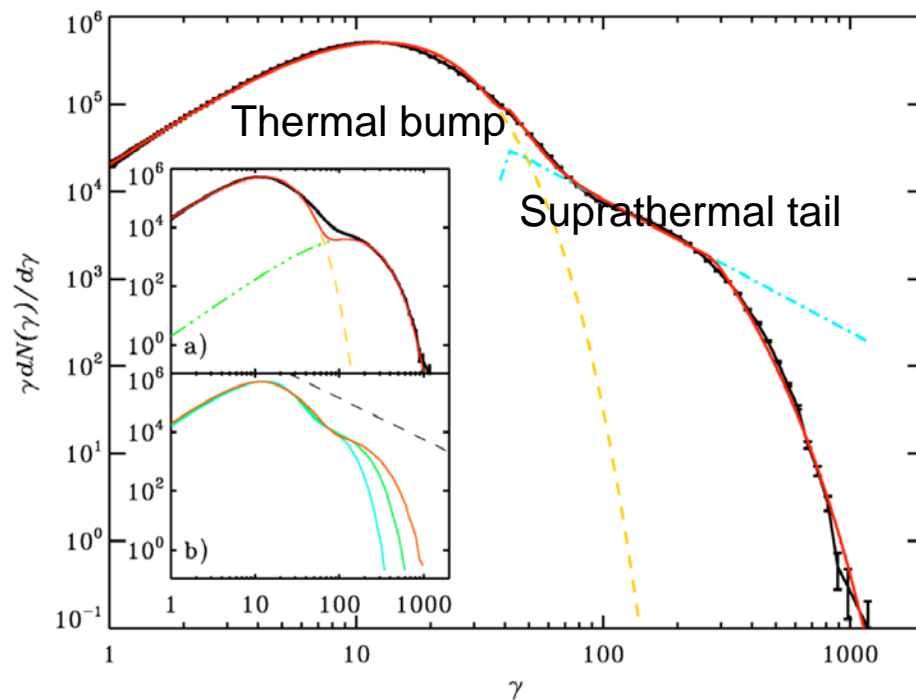


$\sigma=0$ vs $\sigma=0.1$ & $\theta=90^\circ$: particle acceleration

- For $\sigma=0.1$ & $\theta=90^\circ$ shocks, downstream spectrum is **purely thermal**
- In $\sigma=0$ shocks, downstream spectrum well fitted by low-energy Maxwellian + **high-energy power-law tail** with exponential cutoff
- The nonthermal tail has slope -2.4 ± 0.1 and contains $\sim 1\%$ of particles and $\sim 10\%$ of energy

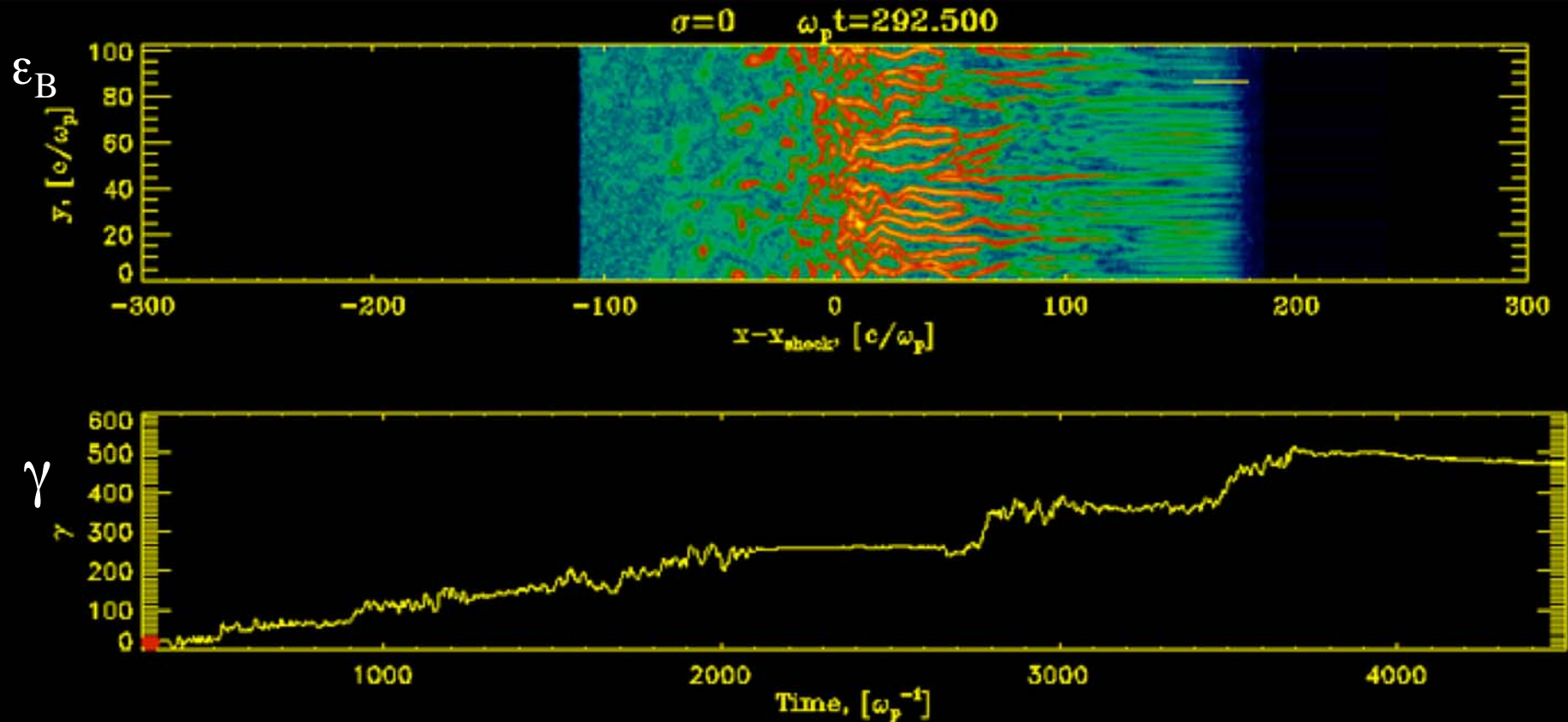
$\sigma=0$ e^-e^+ shock

$\sigma=0$ e^-p^+ shock ($m_p/m_e=32$)

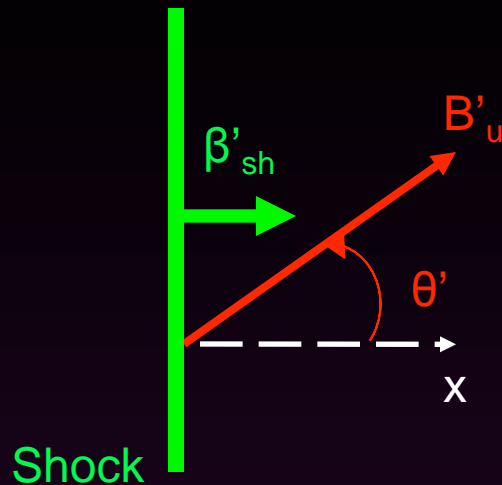


Acceleration mechanism in $\sigma=0$ shocks

Fermi-like process: particles get accelerated by scattering off the self-generated Weibel filaments



What about changing the field obliquity?



In the upstream frame

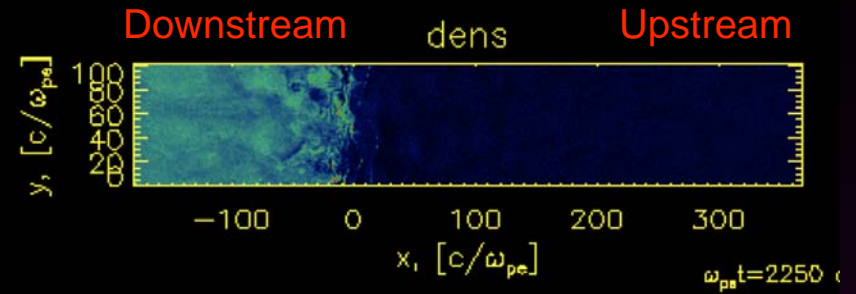
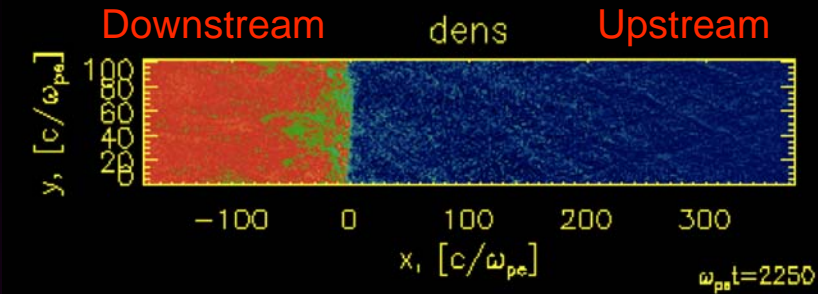
$$\theta'_{crit} = \arccos(\beta'_{sh})$$

- In **superluminal** (vs **subluminal**) shocks, a particle sliding along magnetic field lines **CANNOT** (vs **CAN**) return upstream
- For $\gamma_0=15$ and $\sigma=0.1$, the critical obliquity is $\theta_{crit} \approx 34^\circ$ in the wall frame; in the upstream frame $\theta'_{crit} \approx 34^\circ/\gamma_0$
- θ_{crit} weakly depends on both γ_0 (≥ 5) and σ ($0.01 < \sigma < 0.3$)
- How does the field obliquity affect the shock structure and the efficiency of particle acceleration?

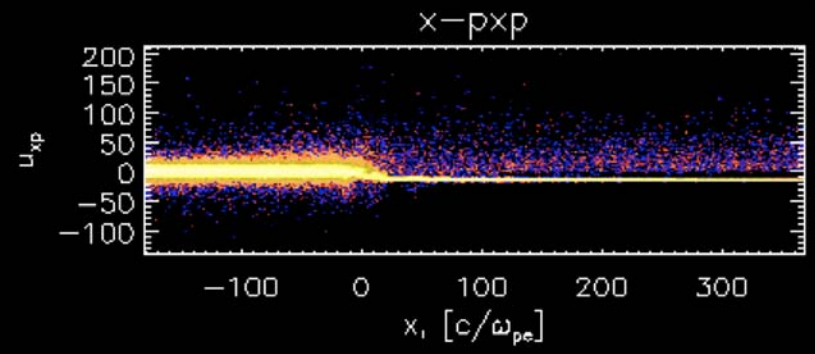
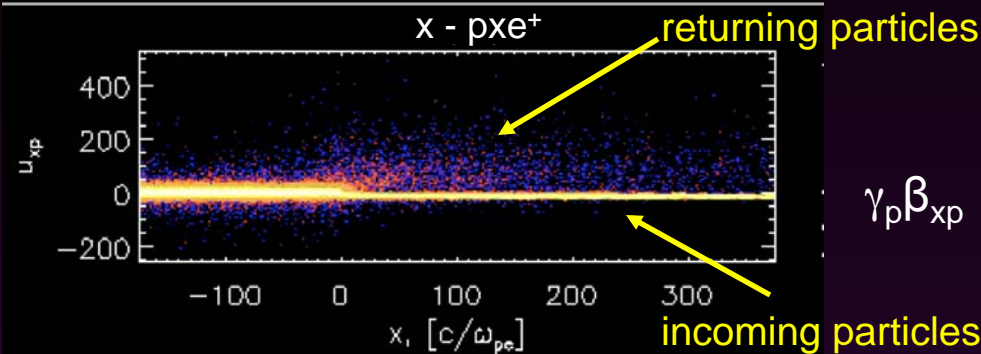
$\sigma=0.1$ & $\theta=15^\circ$: a subluminal shock

e^-e^+ shock

e^-p^+ shock ($m_p/m_e=16$)

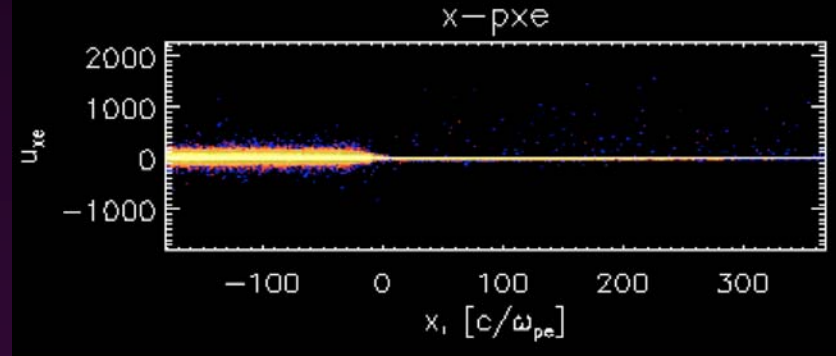
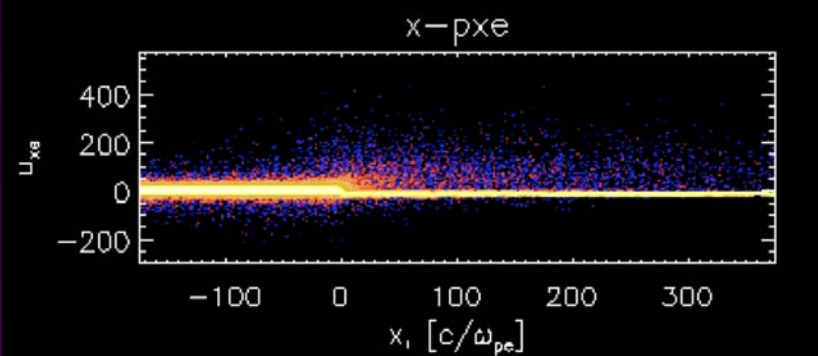


Density



$\gamma_p \beta_{xp}$

$\gamma_e \beta_{xe}$

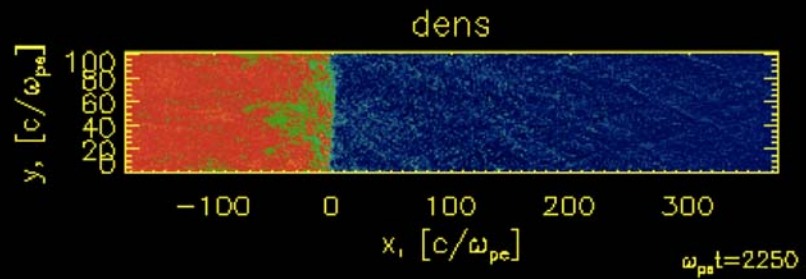


Subluminal \rightarrow Returning particles (mostly **IONS** for e^-p^+ shock)

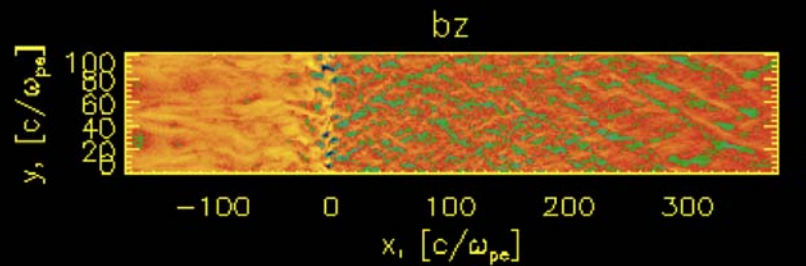
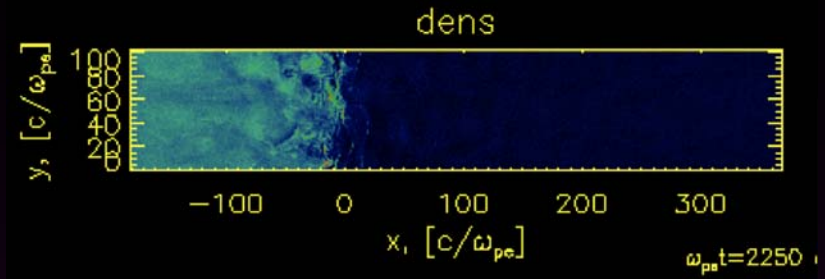
$\sigma=0.1$ & $\theta=15^\circ$: a subluminal shock

e^-e^+ shock

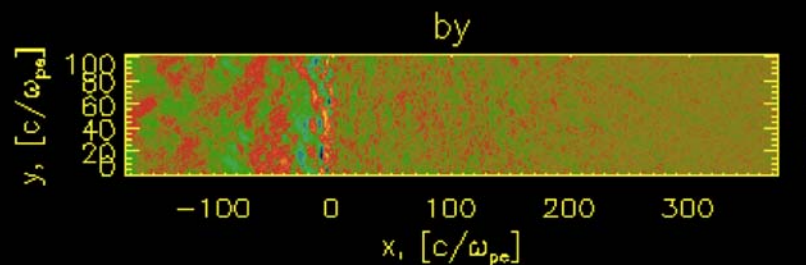
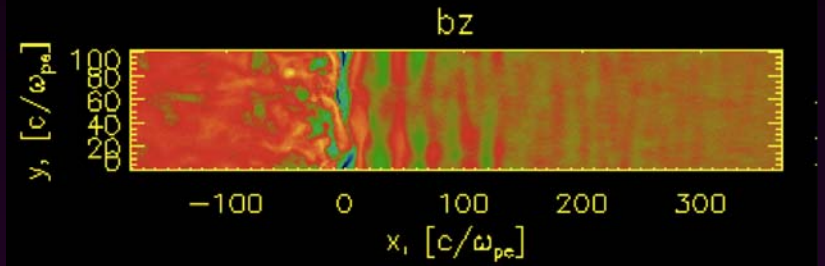
e^-p^+ shock ($m_p/m_e=16$)



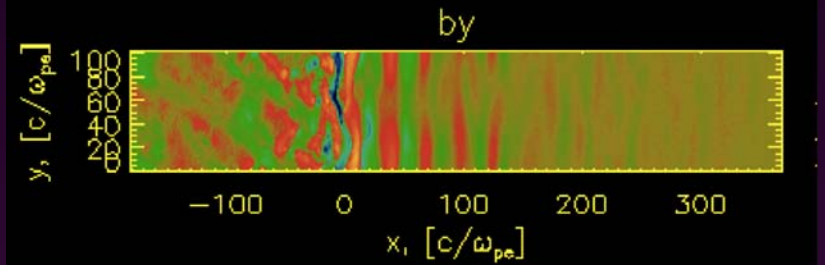
Density



B_z



B_y

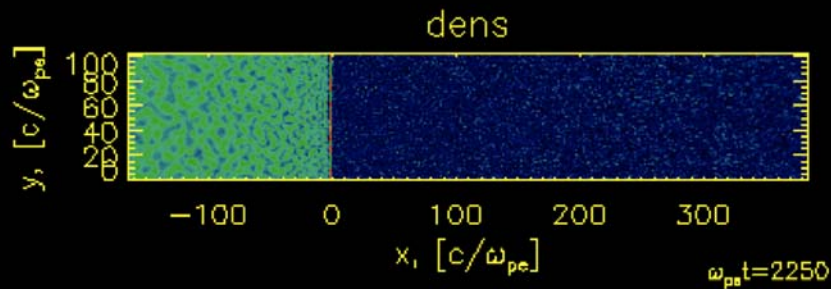


Returning particles \rightarrow Upstream waves (oblique vs longitudinal wavevector, linear vs circular polarization)

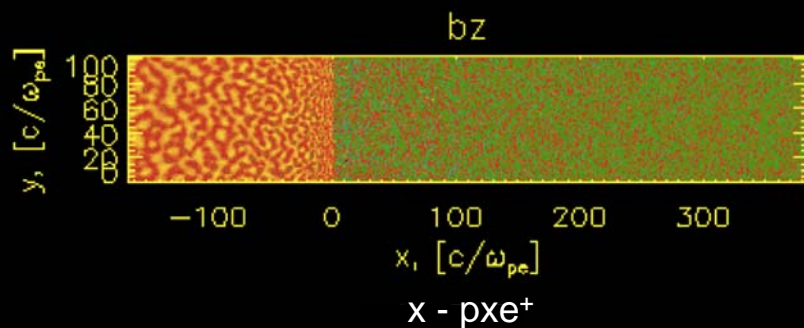
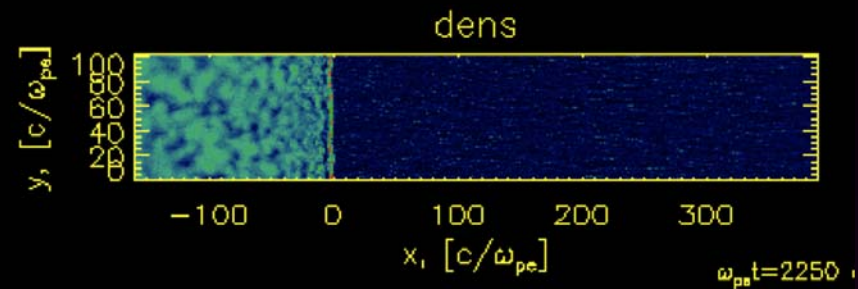
$\sigma=0.1$ & $\theta=45^\circ$: a superluminal shock

e^-e^+ shock

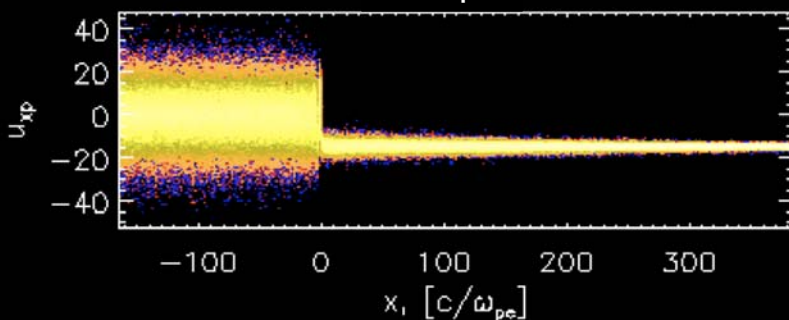
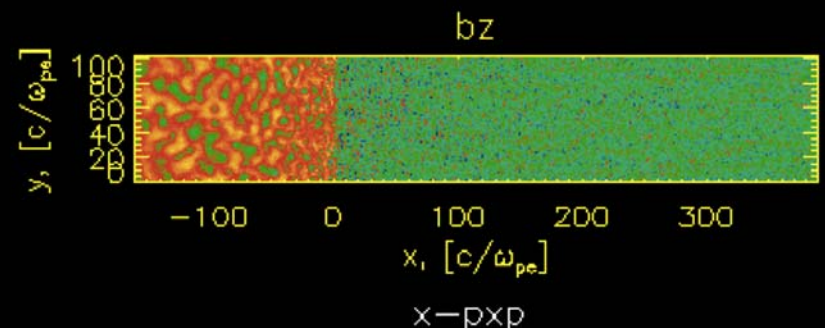
e^-p^+ shock ($m_p/m_e=16$)



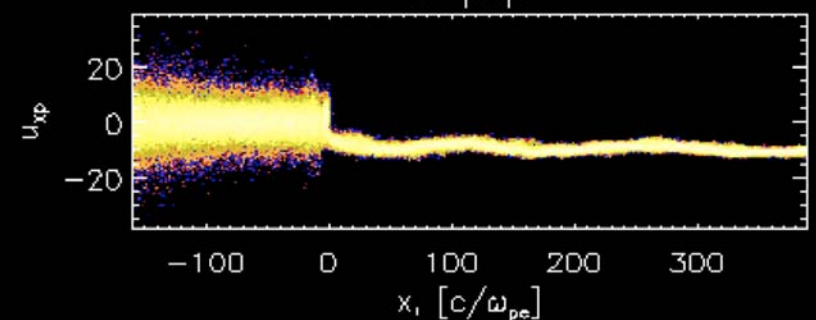
Density



B_z



$\gamma_p \beta_{xp}$



Superluminal \rightarrow No returning particles \rightarrow No upstream waves

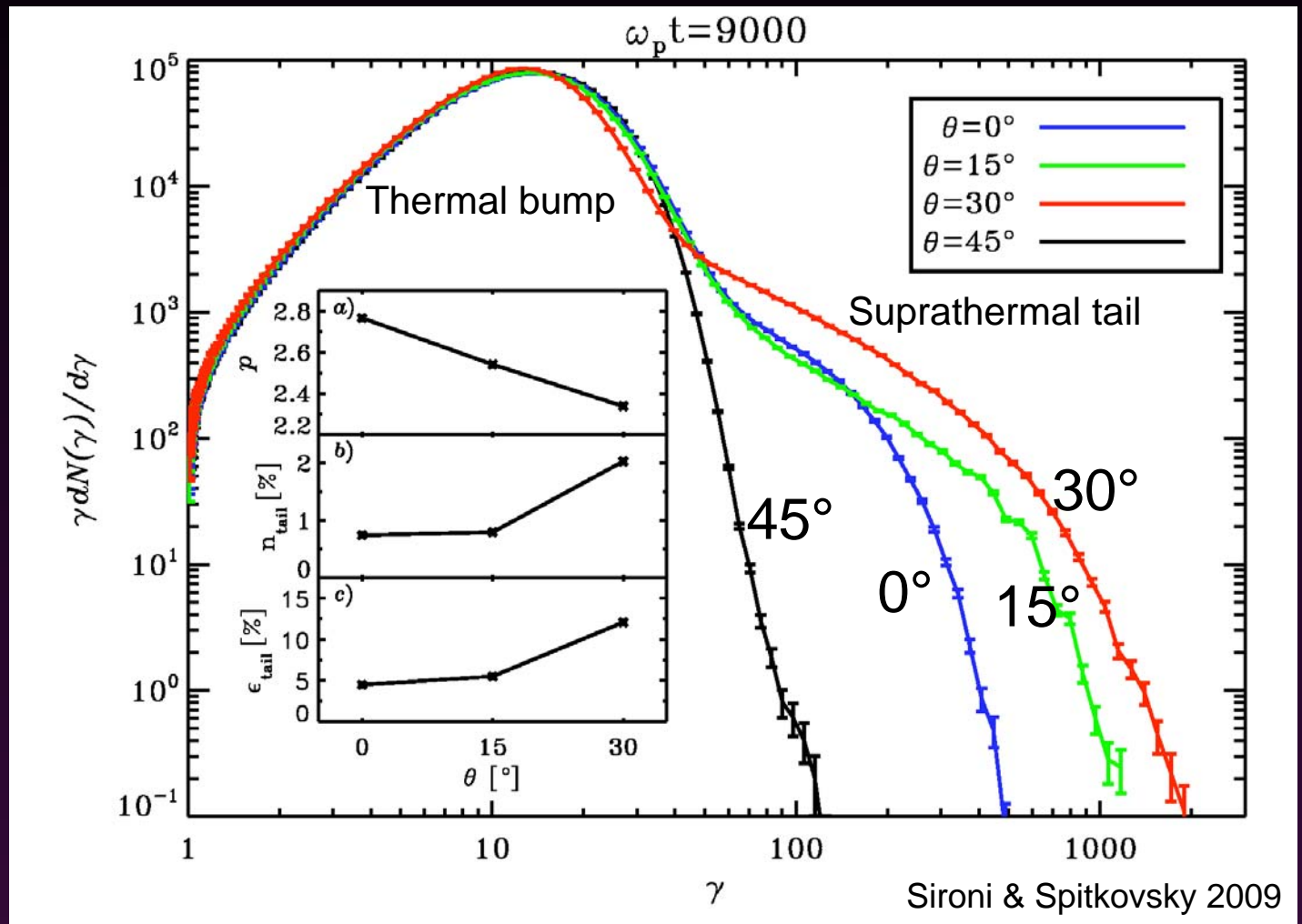
$\sigma=0.1$ downstream spectra: e^-e^+ shock

- **Superluminal** magnetized shocks **DO NOT** significantly accelerate, **subluminal** shocks **DO**, the more efficiently the closer to $\theta_{\text{crit}} \approx 34^\circ$

$\sigma=0.1$ e^-e^+ shocks

As θ increases from 0° to 30° :

- Power-law slope from -2.8 to -2.3
- Number fraction from 1% to 2%
- Energy fraction from 5% to 13%

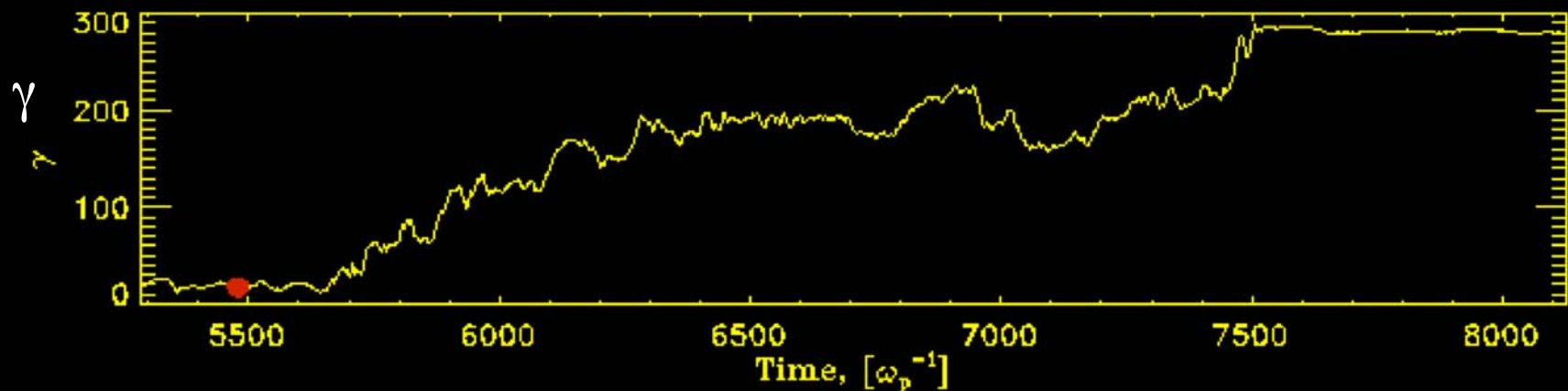
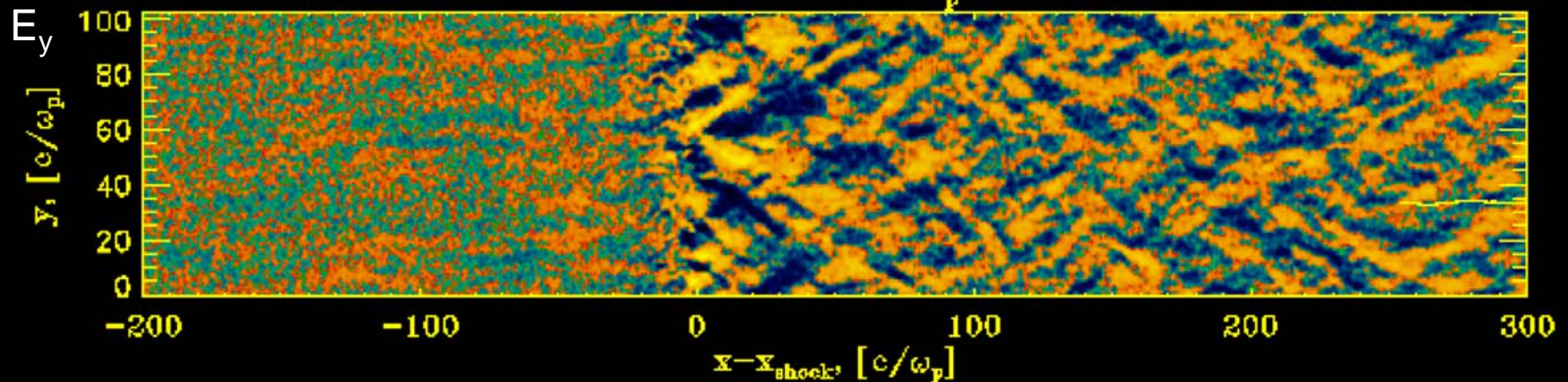


Acceleration mechanism: low obliquity

- **Diffusive Shock Acceleration (DSA)** by stochastic scattering between the shock layer and the upstream oblique waves

$\sigma=0.1$ $\theta=0^\circ$ e^-e^+ shock

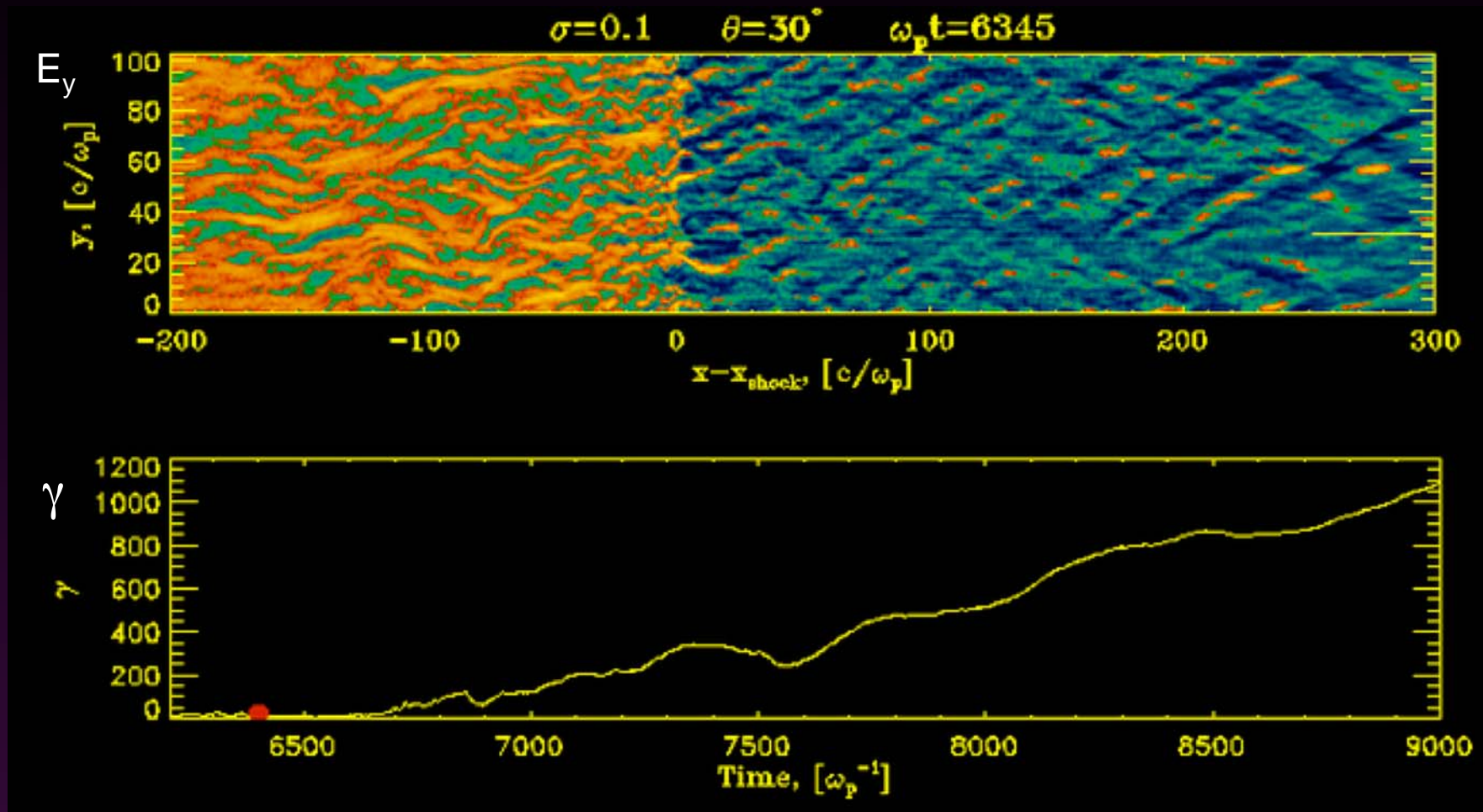
$\sigma=0.1$ $\theta=0^\circ$ $\omega_p t=5422$



Acceleration mechanism: high obliquity

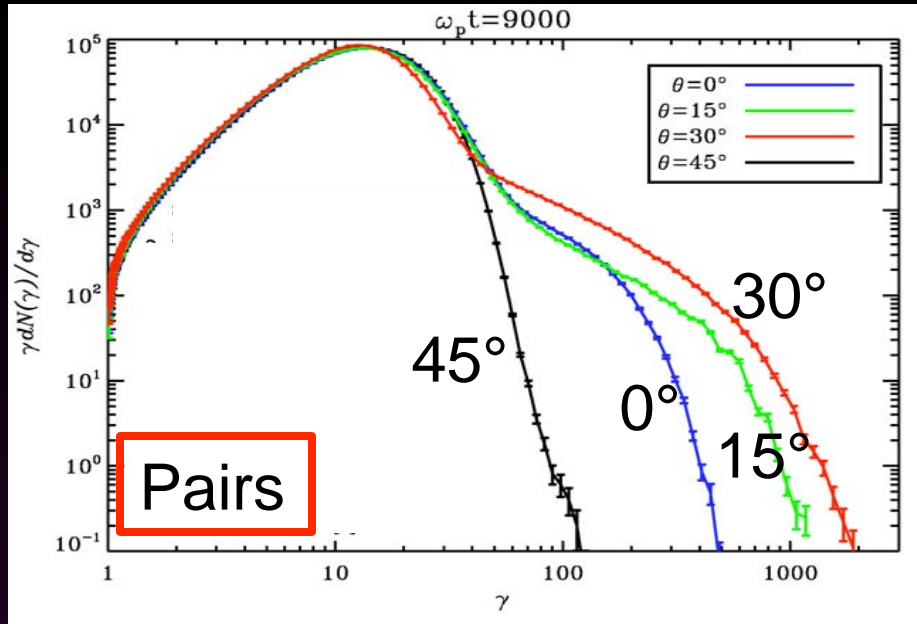
- $\theta \leq \theta_{\text{crit}}$: **Shock-Drift Acceleration (SDA)** by the background E_u after particles are reflected upstream along the oblique background B_u

$\sigma=0.1$ $\theta=30^\circ$ e^- - e^+ shock



- Upstream oblique waves mediate the **injection** process

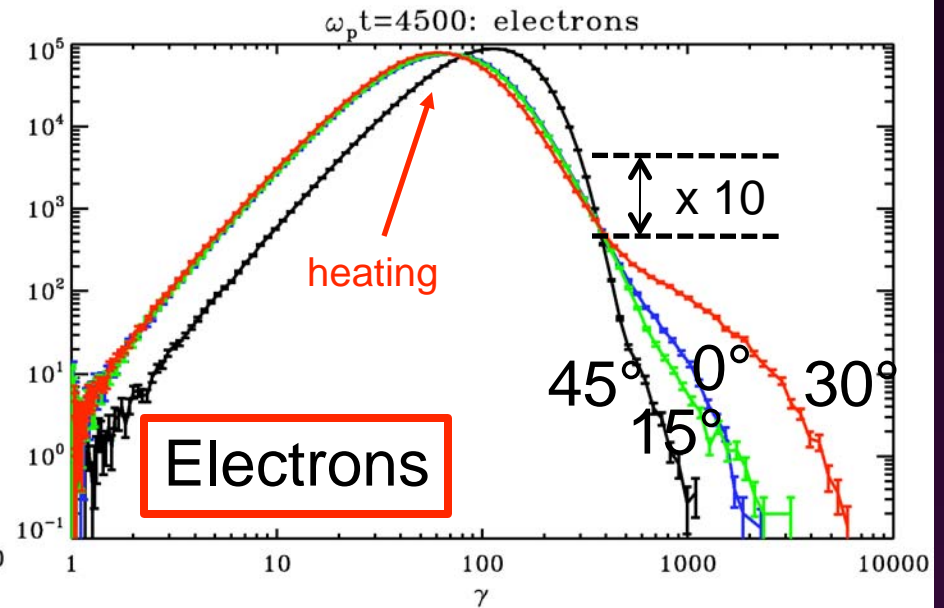
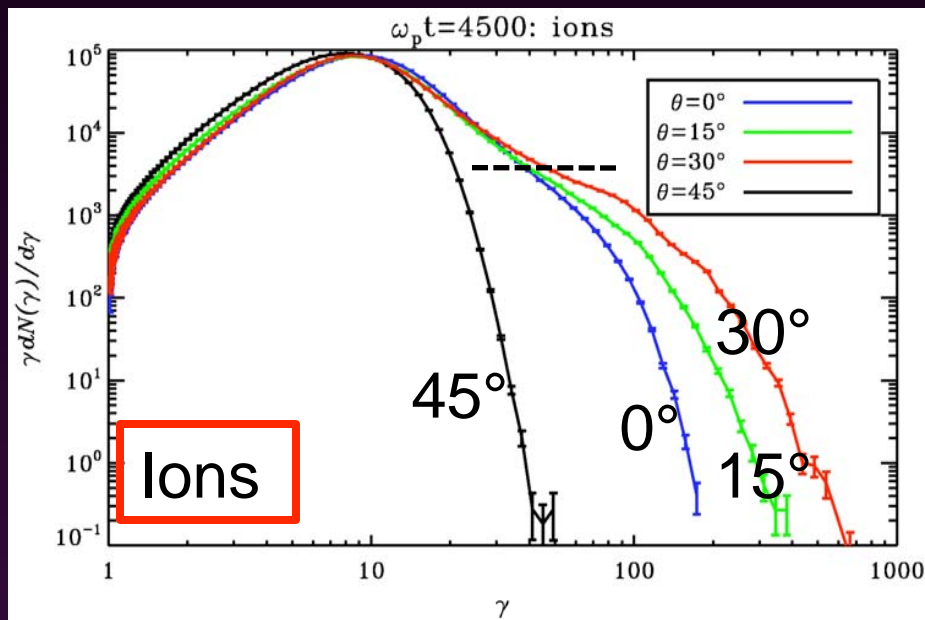
$\sigma=0.1$ downstream spectra: e^-p^+ shock



Ion spectra resemble pair spectra of e^-e^+ shocks:

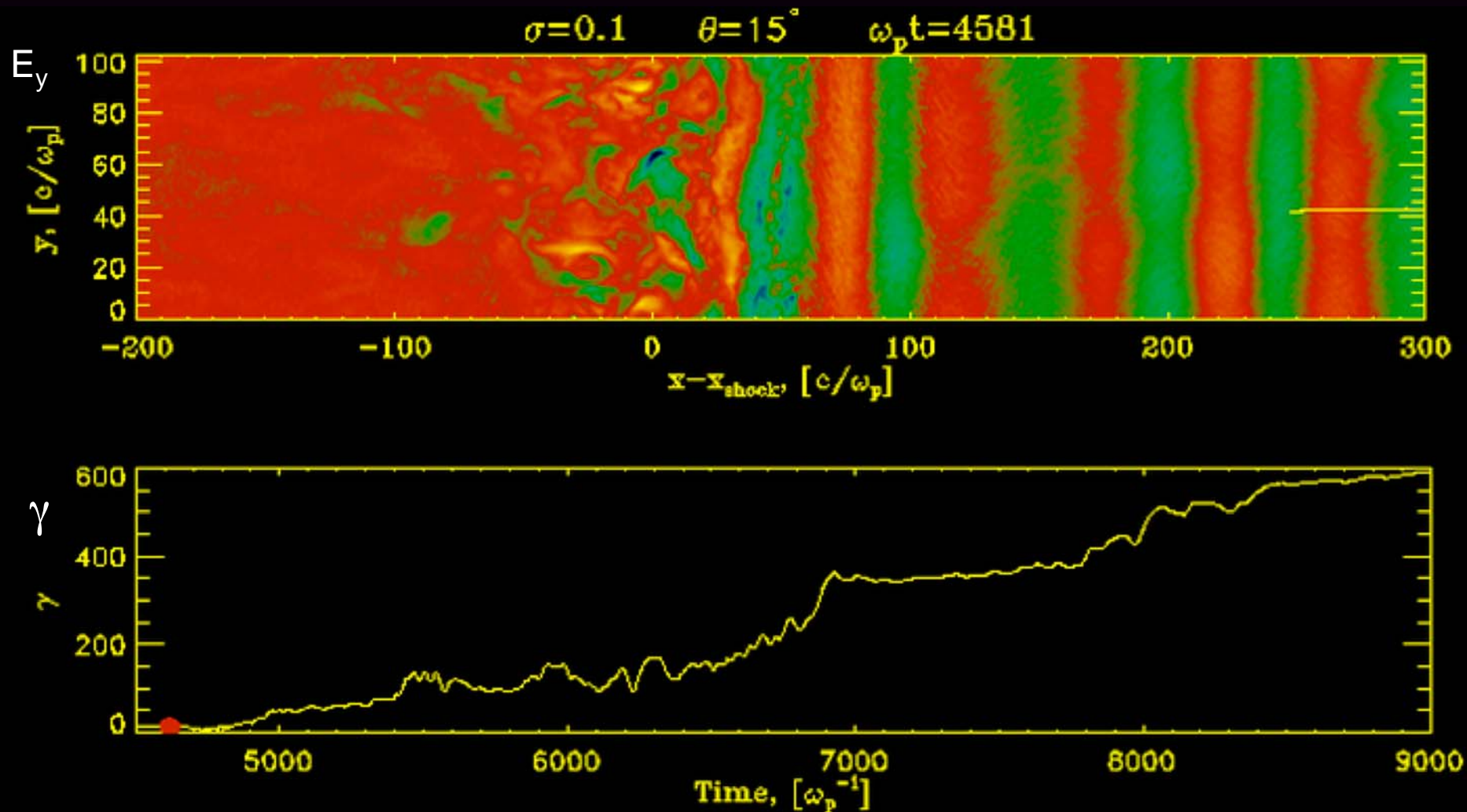
- negligible acceleration for superluminal configurations
- with increasing θ from 0° to 30° , slope from -3.0 to -2.2, number fraction from 2% to 5%, energy fraction from 10% to 25%

Electron acceleration in e^-p^+ shocks is a factor of 5-10 less efficient than ions



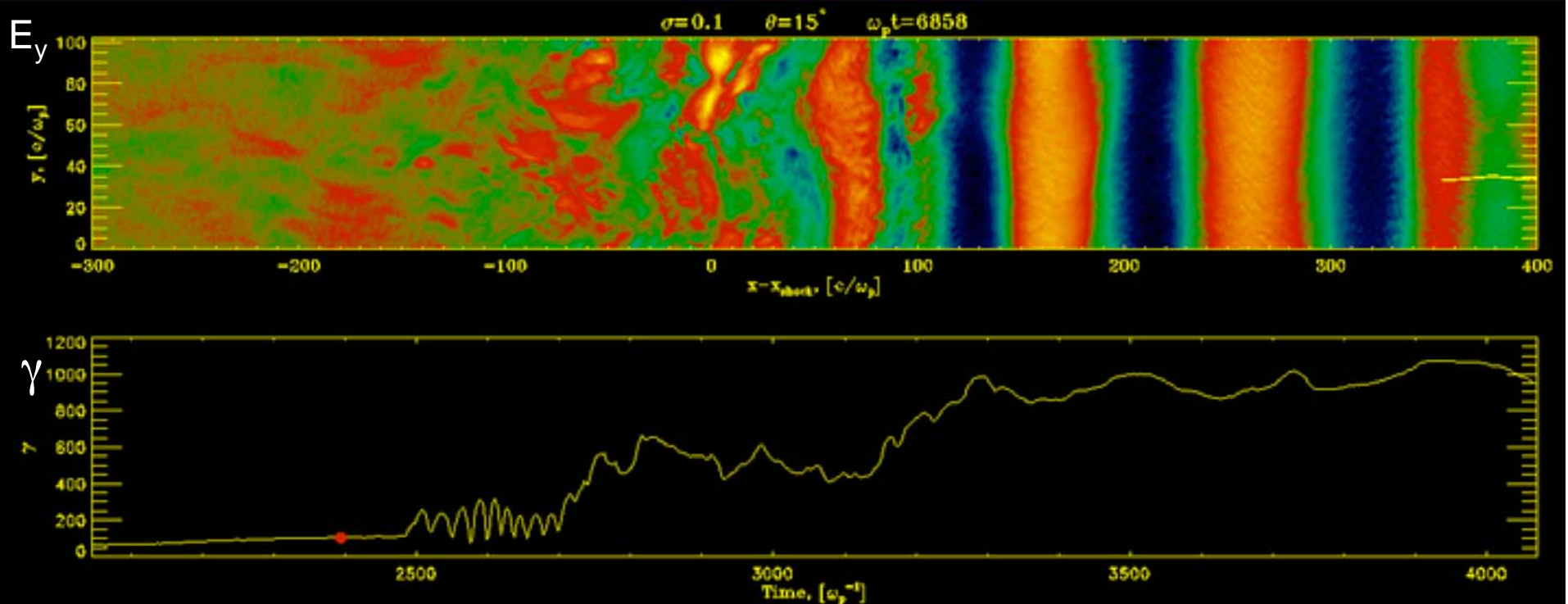
Ion vs electron acceleration (1/2)

$\sigma=0.1$ $\theta=15^\circ$ e⁻-p⁺ shock: **IONS** get accelerated by scattering off the self-generated upstream longitudinal waves

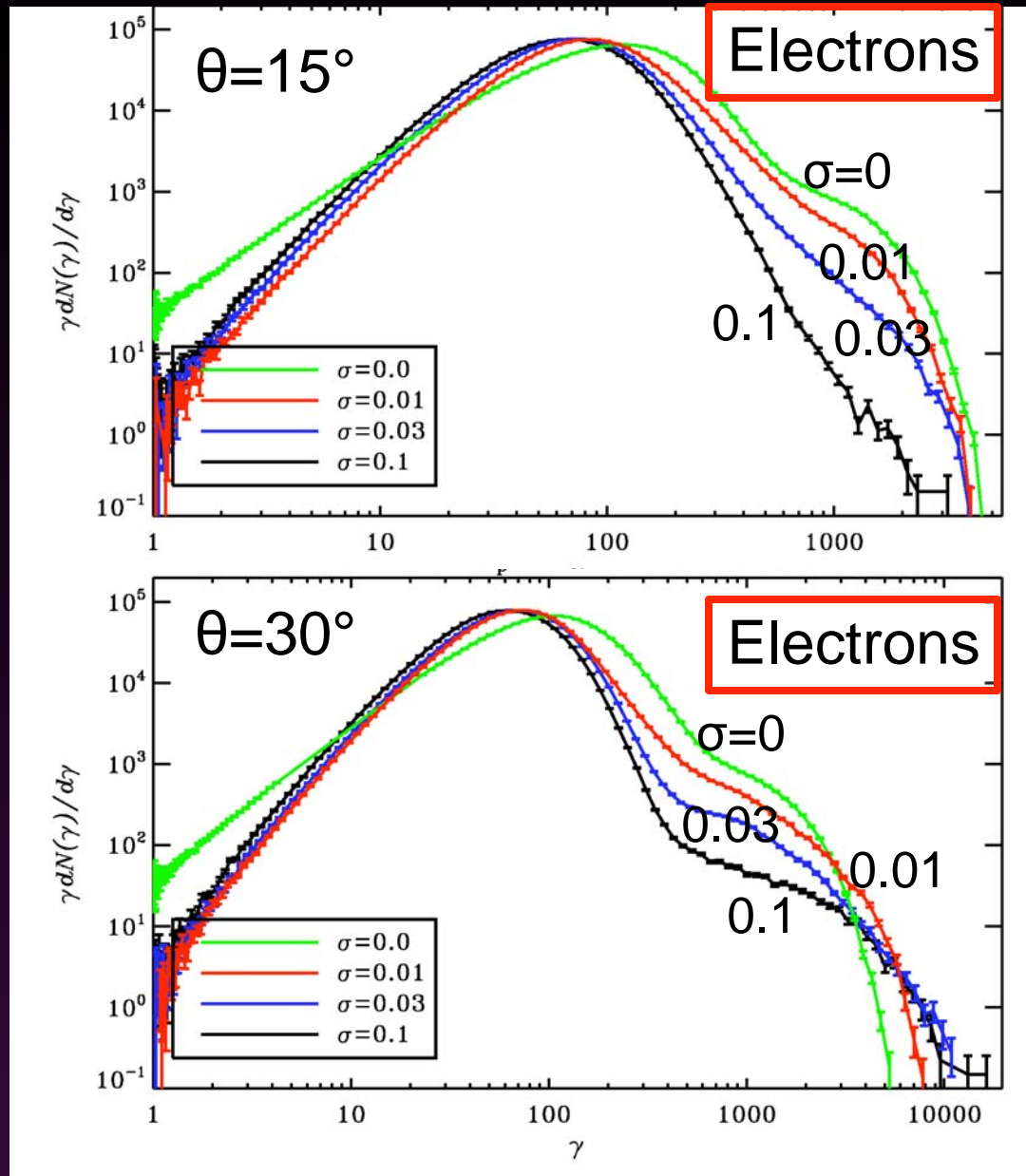


Ion vs electron acceleration (2/2)

$\sigma=0.1$ $\theta=15^\circ$ e^- - p^+ shock: **ELECTRONS** are more strongly tied to the magnetic field lines and get quickly advected downstream



Varying σ in e⁻-p⁺ shocks



With **increasing** σ , electrons are **more tied** to magnetic field lines

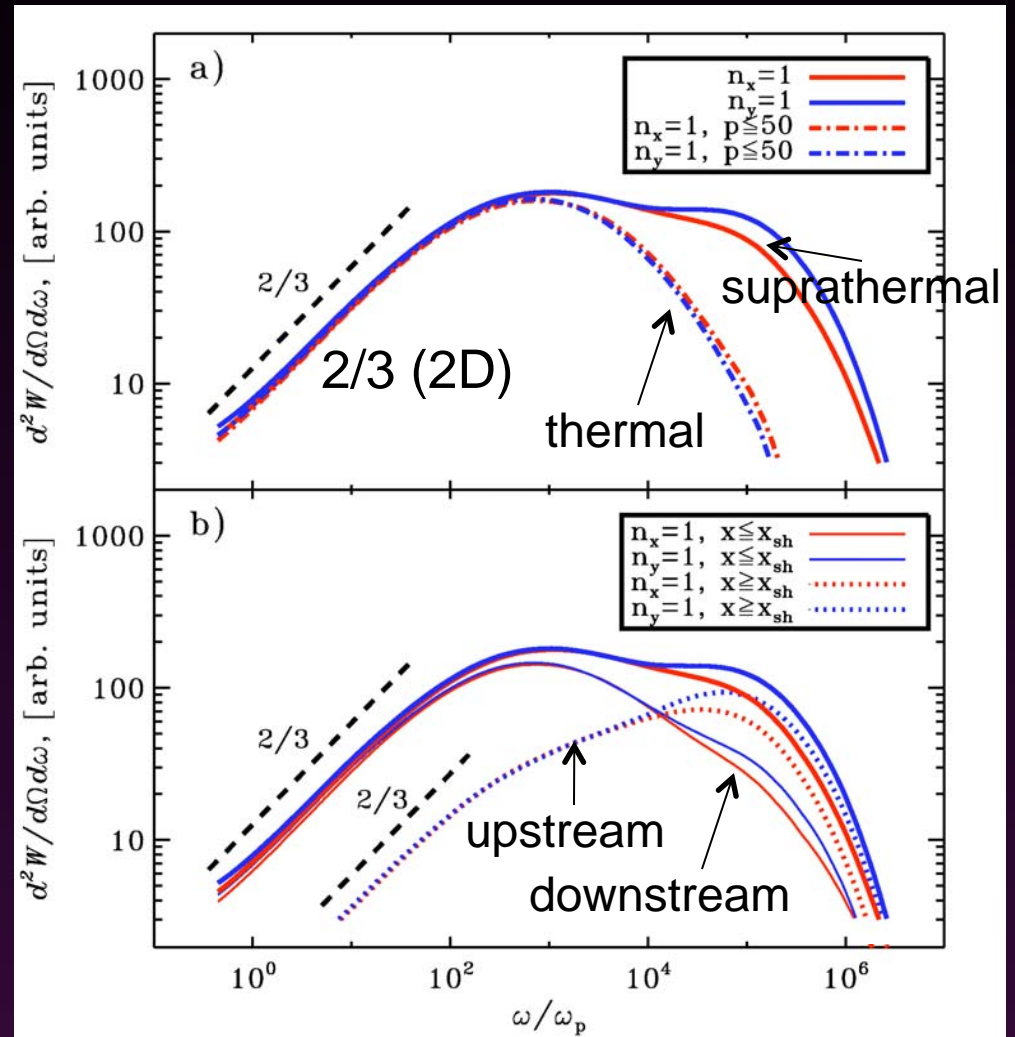
→ Once advected downstream, it is **harder** for them to come back upstream

→ **Lower** efficiency of electron acceleration, **independent of θ**

Radiation signatures of $\sigma=0$ shocks

Radiation spectrum from **simulation particles** traced in the **self-consistent fields**

- Low-frequency spectral slope is consistent with **synchrotron** theory: Line-of-Death puzzle in GRB prompt spectra cannot be solved by the jitter paradigm
- Significant contribution to the radiation spectrum by **upstream particles**



Summary (1/2)

- Relativistic **unmagnetized** shocks are mediated by the Weibel instability, **magnetized** ($\sigma=0.01-0.1$) **perpendicular** shocks by magnetic reflection
- If $\sigma=0$, $\sim 1\%$ of particles and $\sim 10\%$ of energy are stored in a suprathermal tail (both for e^-e^+ and e^-p^+ shocks)

- If $\sigma \geq 0.01$:

e^-e^+ shocks are efficient accelerators ($\sim 1\%$ by number, $\sim 10\%$ by energy) only for **subluminal** field obliquities ($\theta < \theta_{\text{crit}} \approx 34^\circ$)

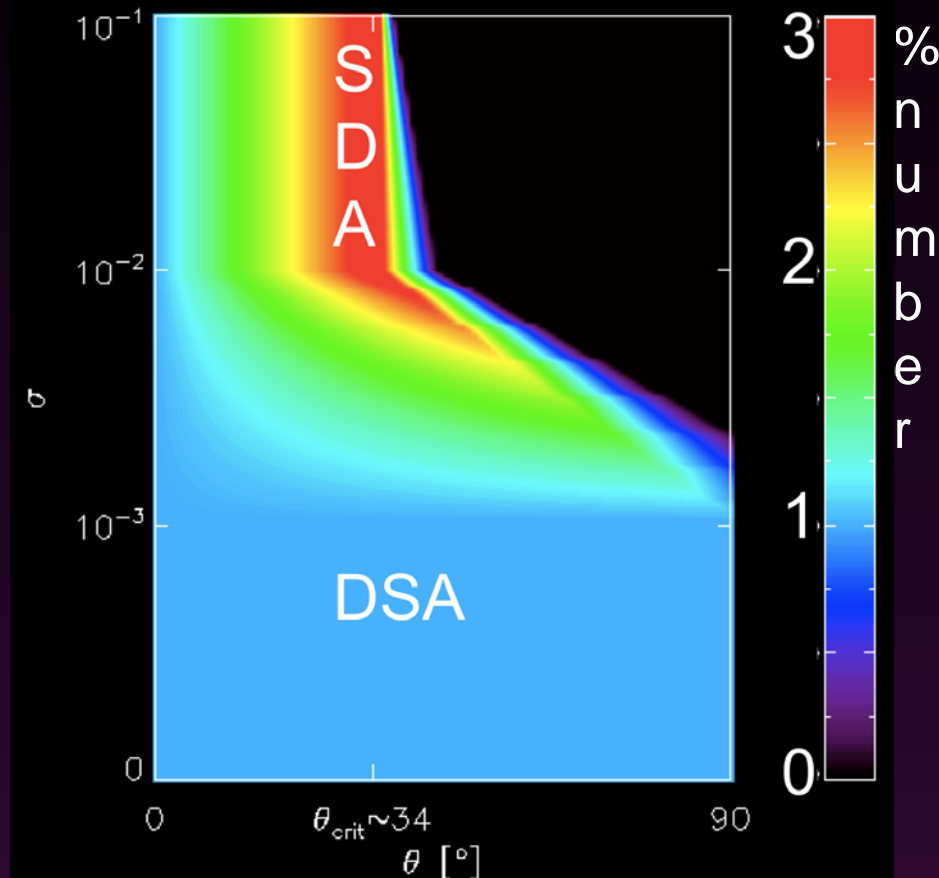
e^-p^+ shocks:

ion acceleration only for **subluminal** configurations ($\sim 3\%$ by number, $\sim 20\%$ by energy)

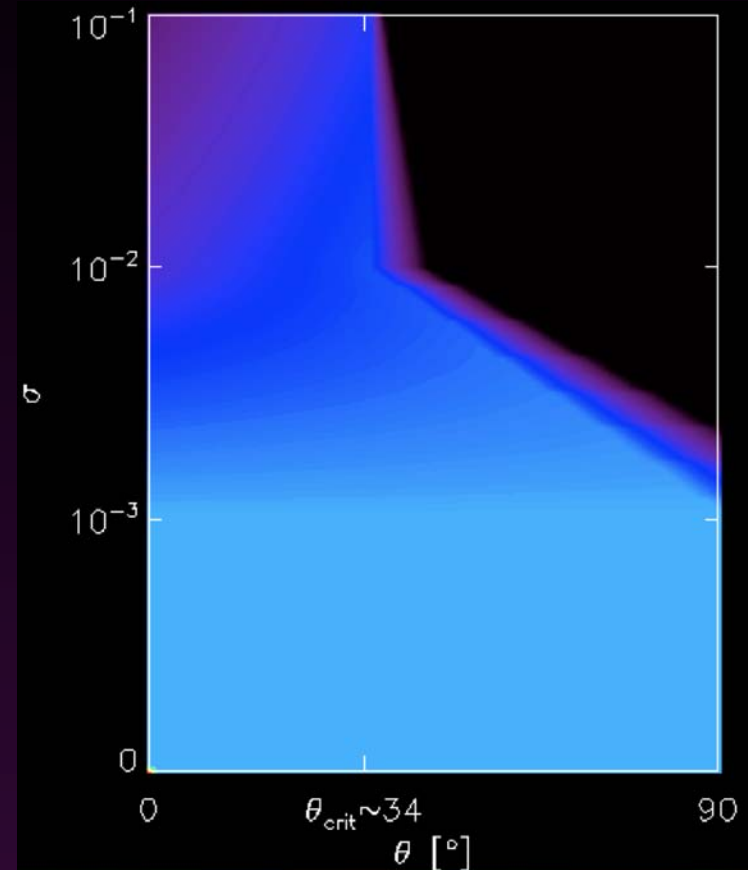
electron acceleration **suppressed** by a factor of 5-10 wrt ions even for subluminal obliquities, especially for high magnetizations ($\sigma \sim 0.1$).

Summary: particle acceleration (2/2)

e^-e^+ shock
(ions in e^-p^+ shocks)



electrons in e^-p^+ shocks



- Acceleration via a Fermi-like mechanism for unmagnetized or quasi-parallel shocks, via Shock-Drift for $\theta \leq \theta_{crit}$ magnetized shocks

Implications

Constraints on the composition and magnetization of the flow:

- If **electron-positron** plasma, then nearly-parallel shocks (in the upstream fluid frame $\theta'_{\text{crit}} \approx 34^\circ/\gamma_0$) are required for efficient particle acceleration; or magnetization must be $\sigma \leq 10^{-3}$
- If **electron-ion** plasma, magnetization must be $\sigma \leq 10^{-2}$ regardless of the magnetic obliquity, since for $\sigma \sim 0.1$ shocks, electron acceleration is inefficient **even for subluminal configurations**.

Caveats:

- Long-term shock evolution? Results from 3D simulations? Realistic mass ratios?
- Different magnetic field geometry in the upstream flow: Magnetic turbulence? Striped wind? → Acceleration via reconnection?
- Different composition of the upstream flow: Ion-doped pair plasma? → Acceleration via Resonant Cyclotron Absorption?