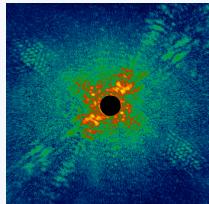


The Need for an Open Quantum System Approach to Describe High-Intensity X-ray Interactions with Matter

August 3rd, 2010
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(Lawrence Livermore National Laboratory)

This work performed under the auspices of the U.S. Department of Energy
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Non-linear optical physics in the X-ray regime

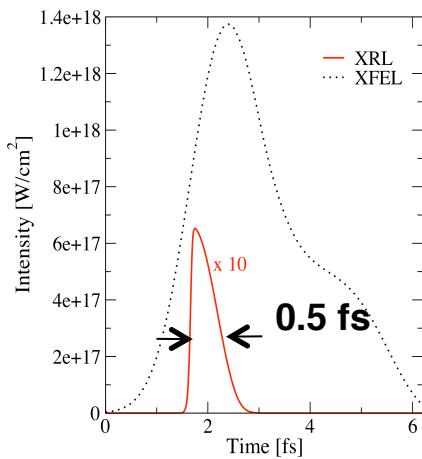


Linear effects (one-photon one-electron interactions):

- Coherent diffractive imaging
- Time-resolved photo-absorption spectroscopy (RIXS, XANES)
- Time-resolved photoelectron spectroscopy
- Spectroscopy of highly-charged ions (EBIT)

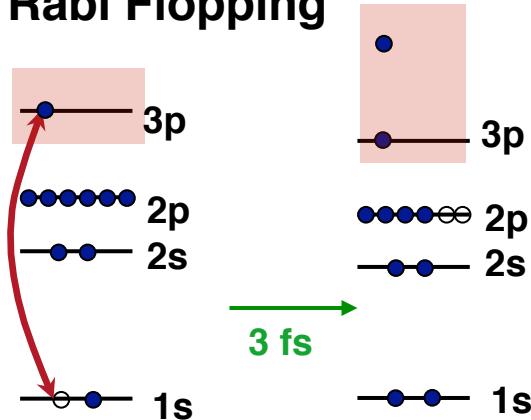
Quantum optics transferred to the X-ray regime

Atomic x-ray lasing with inner-shell transitions



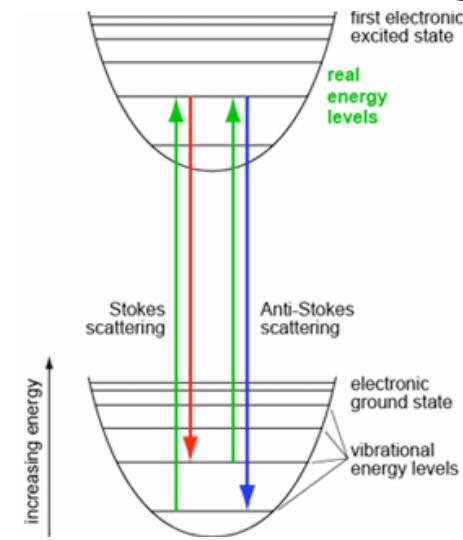
Rohringer and London,
Phys. Rev. A (2010)

Rabi Flopping

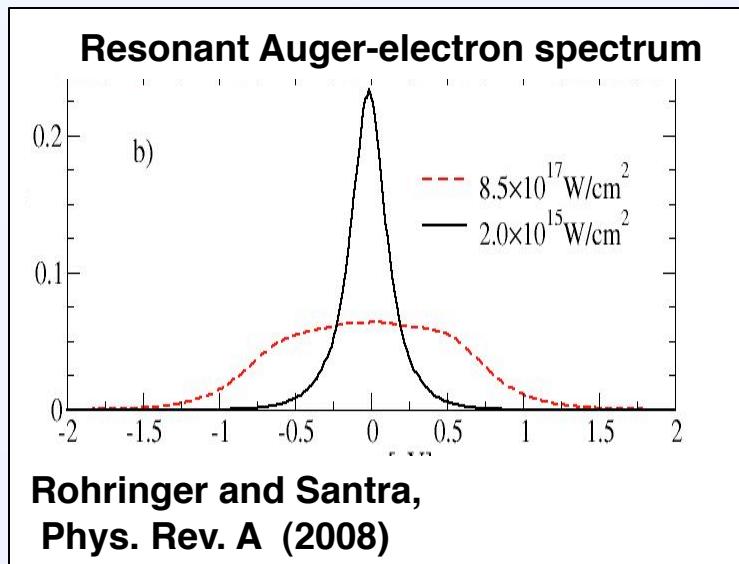
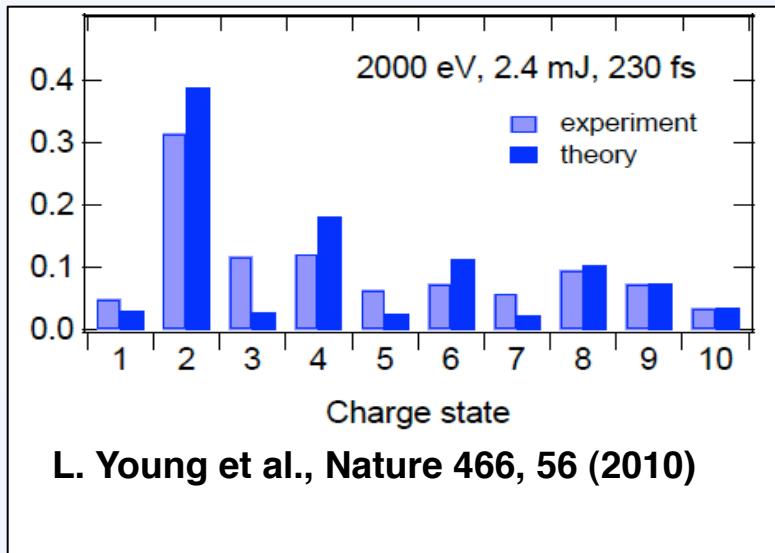


Rohringer and Santra,
Phys. Rev. A (2008).

Resonant Raman Scattering



Non-resonant versus resonant high-intensity x-ray matter interaction



Non-resonant interaction

- 1st user experiment at LCLS on Neon
- Sequence of one-photon absorption events followed by Auger or radiative decay
- Model of **kinetic rate equations** valid

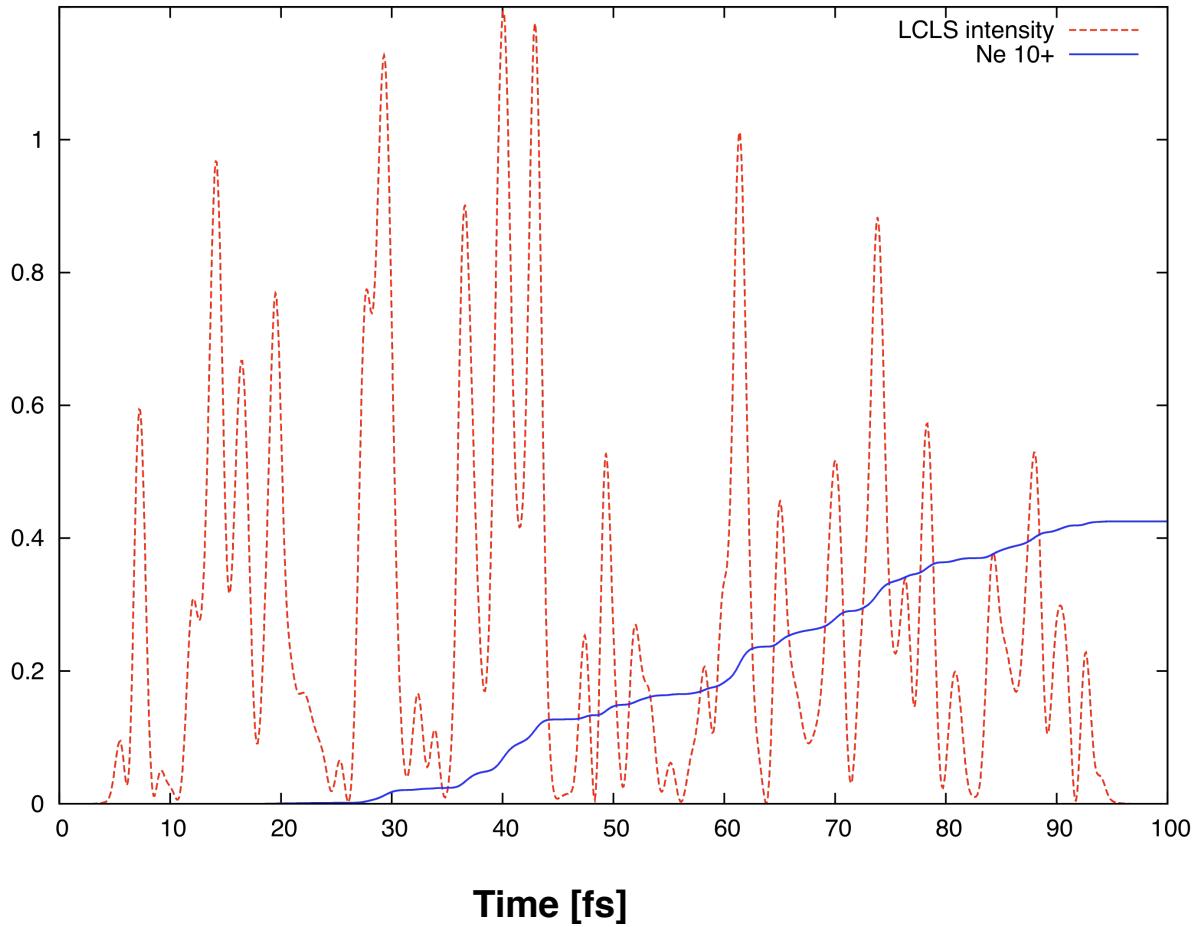
Resonant interaction

- Increased coupling strength on resonance
- Perturbation theory breaks down
- Non-linear description necessary
- Optical Bloch equations for a dissipative system

Focusing LCLS into a gas sample of Neon

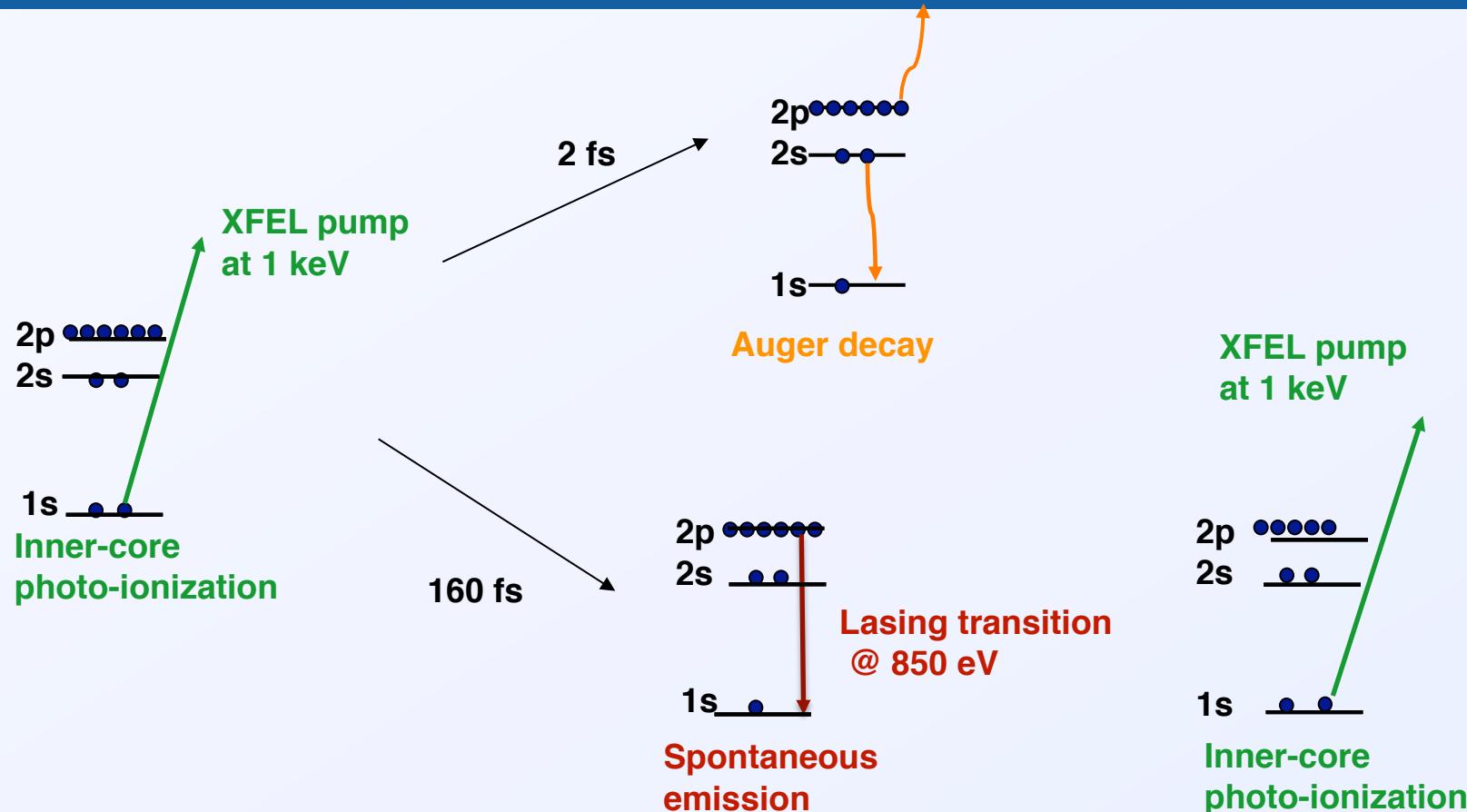
Parameters: pulse of 100 fs, 10^{12} photons, $\omega=1.4$ keV, focused to 2 μm

Occupation of a specific chargestate / Intensity [arb. unit.]

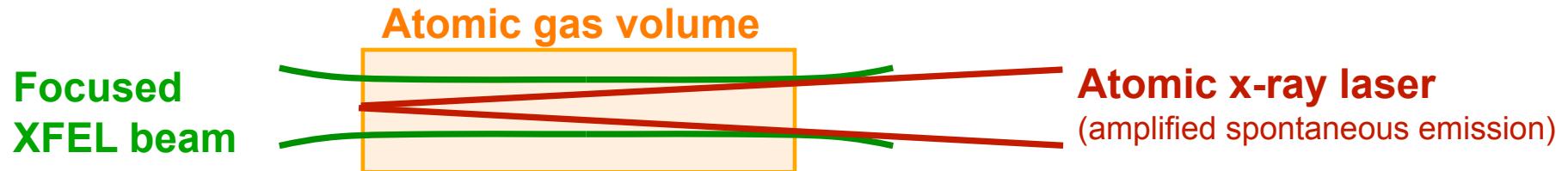


Rohringer and Santra, Phys. Rev. A, (2008).

An atomic inner-shell X-ray laser pumped with XFEL radiation based on Neon

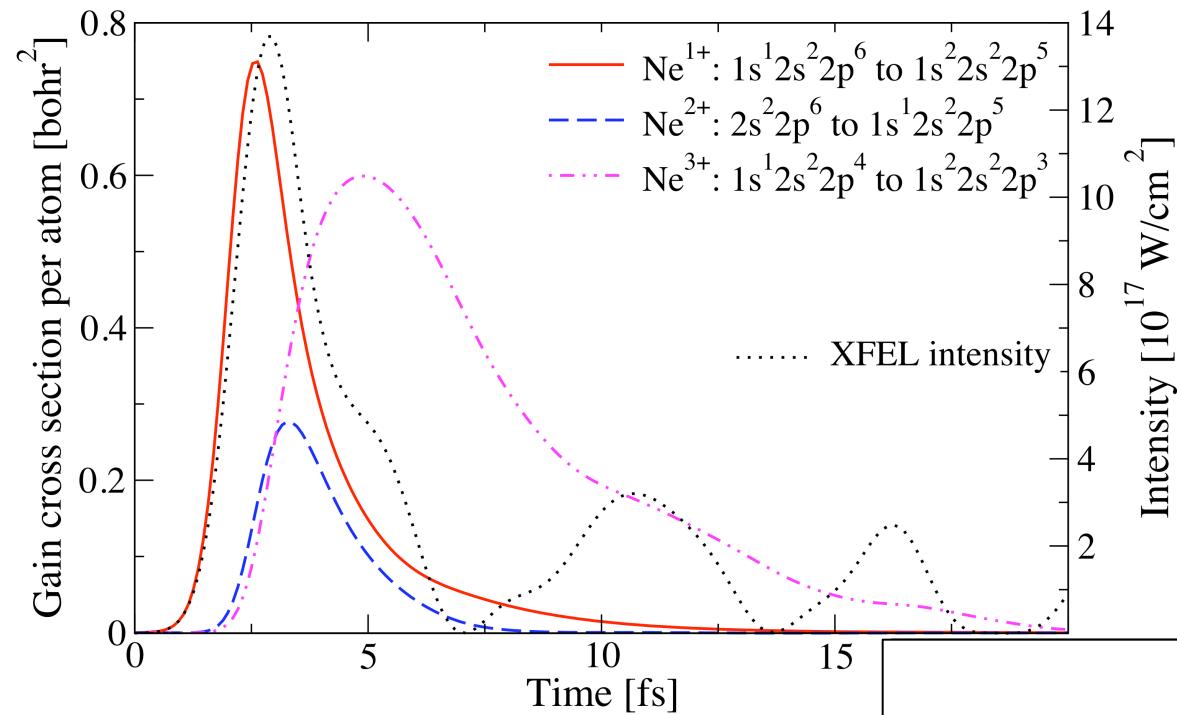


Experimental scheme:



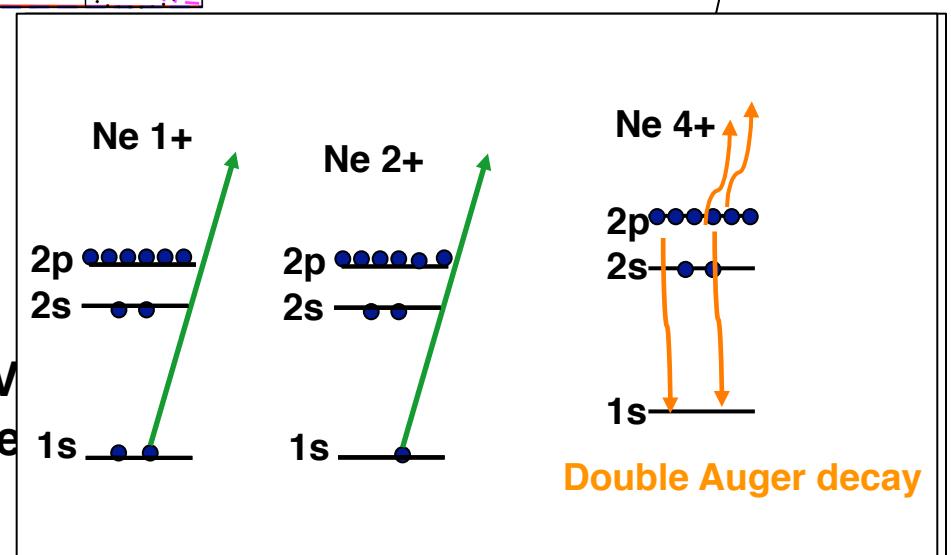
Small-gain parameters at 1 keV pumping energy (single atom calculation)

$$I(z,t) = I(0,t) \cdot e^{g \cdot n \cdot z}$$



$$g(t) = n_U(t)\sigma_{stim} - n_L(t)\sigma_{abs}$$

Electron–ion collision times:
(for density of 10^{19} cm^{-3})
at 100 eV at 800 eV
ions are at room temperature !



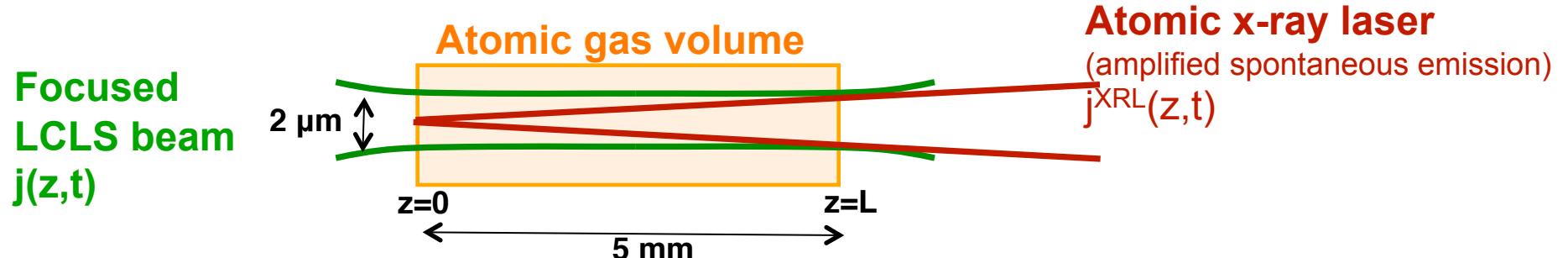
One-dimensional self-consistent gain calculation

Upper lasing level:

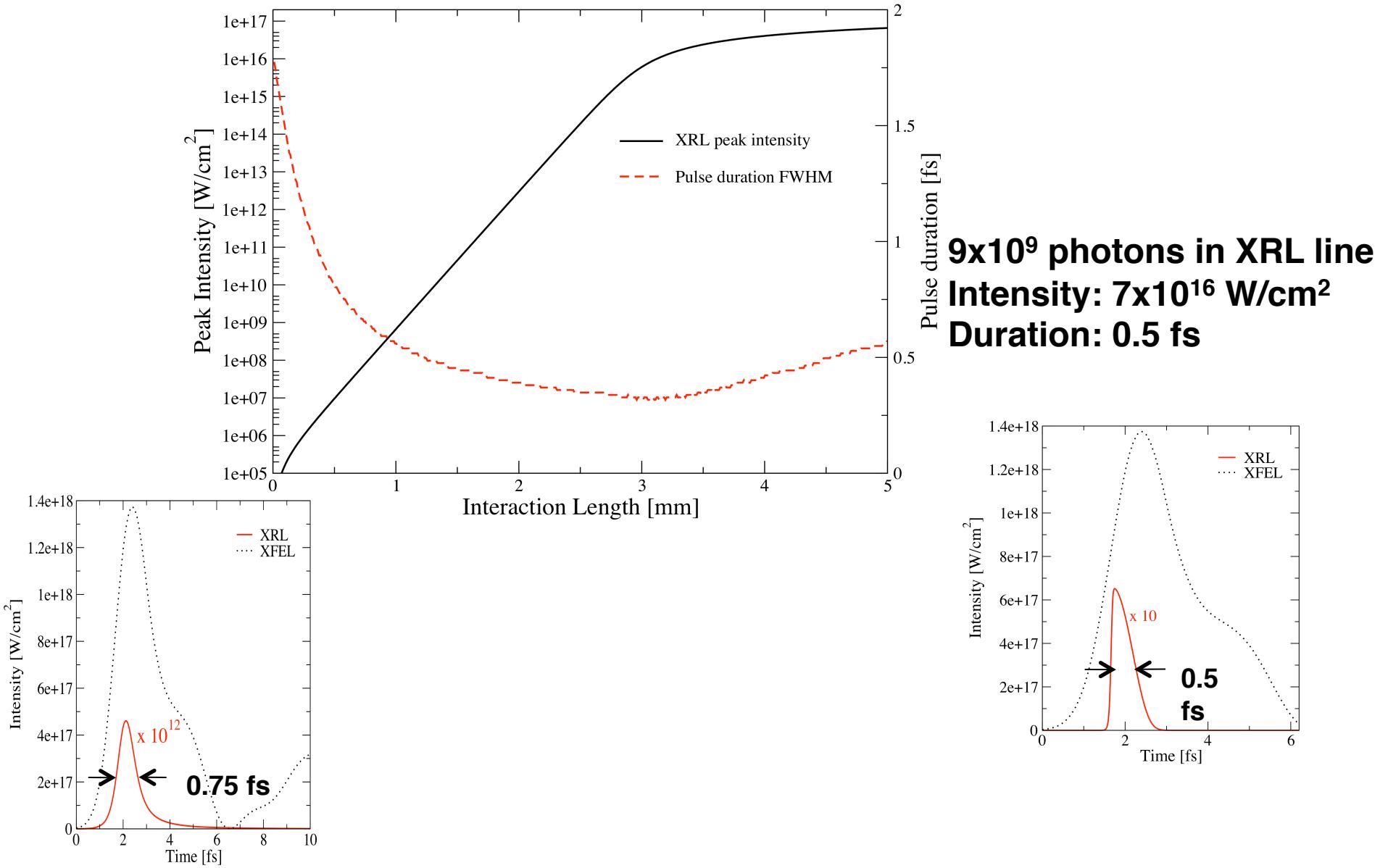
$$\begin{aligned} \frac{dN_U(z, t)}{dt} = & \sum_i \sigma_i^v j(\tilde{t}_z) N_i^S(\tilde{t}_z) + \sum_i \sigma_i^c j(\tilde{t}_z) N_i^S(\tilde{t}_z) \\ & - \sigma^{se} [j_+^{XRL}(z, t) + j_-^{XRL}(z, t)] N_U(z, t) \\ & + \sigma^{abs} [j_+^{XRL}(z, t) + j_-^{XRL}(z, t)] N_L(z, t) \\ & - [A_{U \rightarrow L} + p_U^A + (\sigma_U^v + \sigma_U^c) j(\tilde{t}_z)] N_U(z, t) \end{aligned}$$

X-ray laser flux in forward and backward direction:

$$\begin{aligned} \frac{dj_\pm^{XRL}}{dt} = & j_+^{XRL}(z, t) cn_A [\sigma^{se} N_U(z, t) - \sigma^{abs} N_L(z, t)] \\ & + \frac{\theta_\pm(z)}{4\pi} A_{U \rightarrow L} N_U(z, t) n_A c \mp c \frac{dj_\pm^{XRL}}{dz} \end{aligned}$$

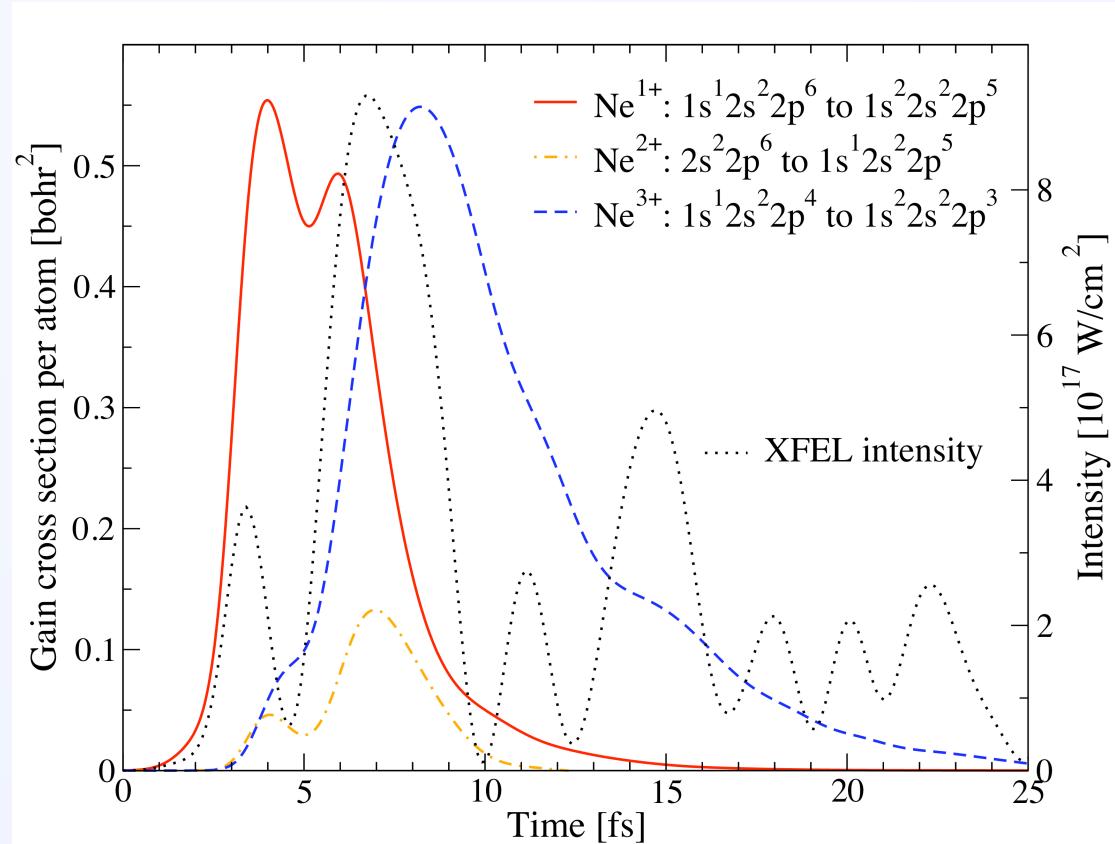


Expected output of atomic inner-shell x-ray laser



$n=4 \times 10^{18} \text{ cm}^{-3}$, LCLS: 100 fs, 10^{12} photons per pulse, focal diameter 2 μm

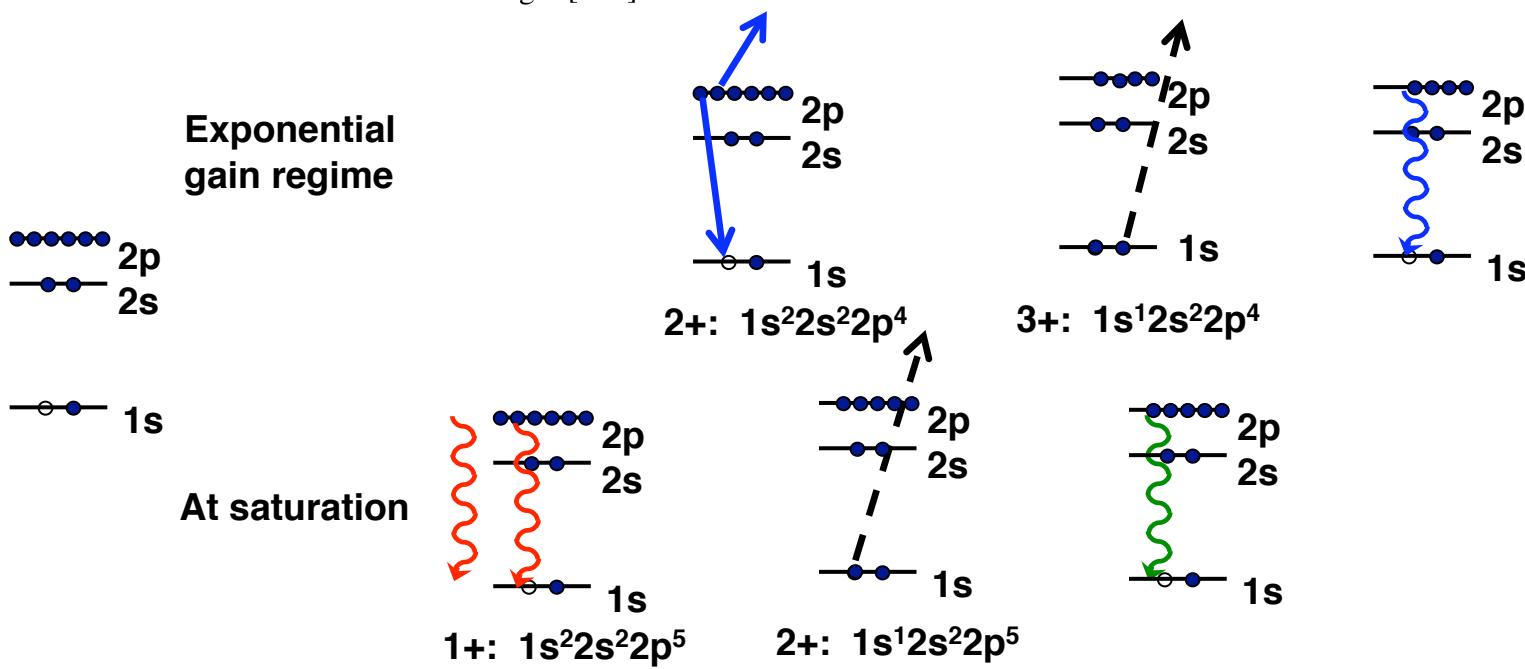
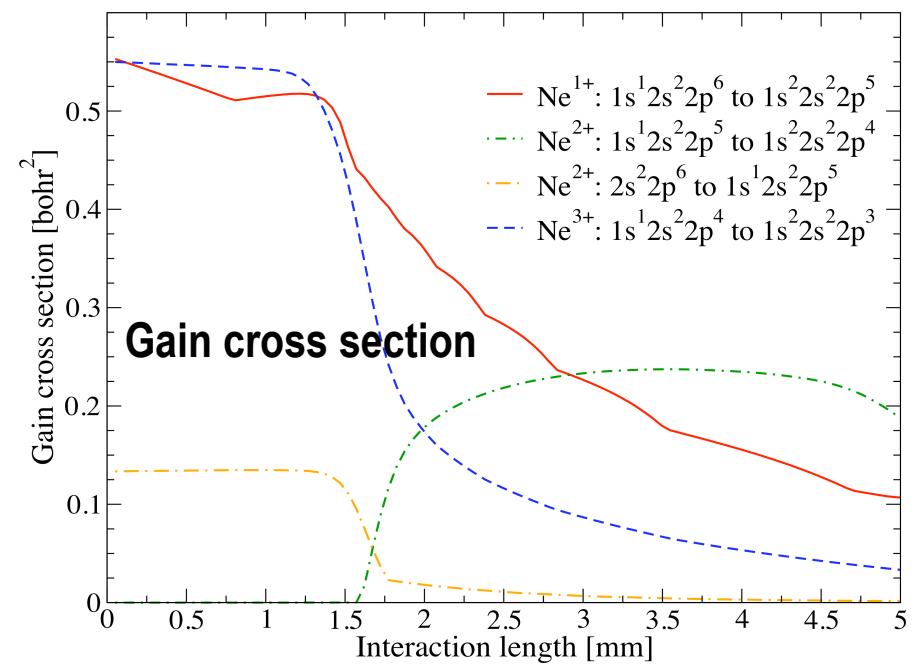
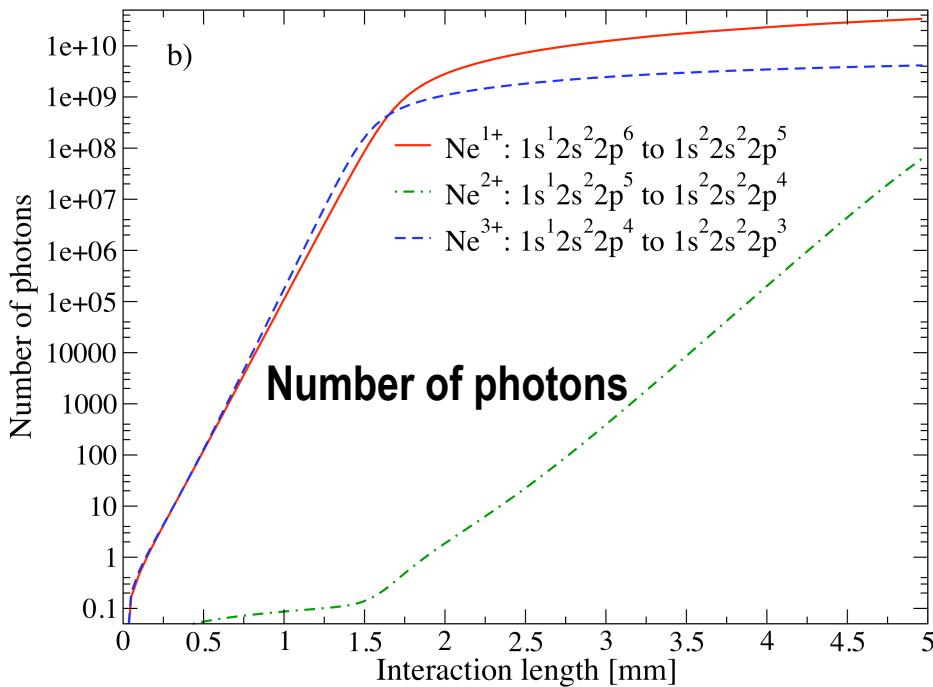
Saturation of more than one lasing line seems possible



Rohringer and London,
Phys. Rev. A (2009).

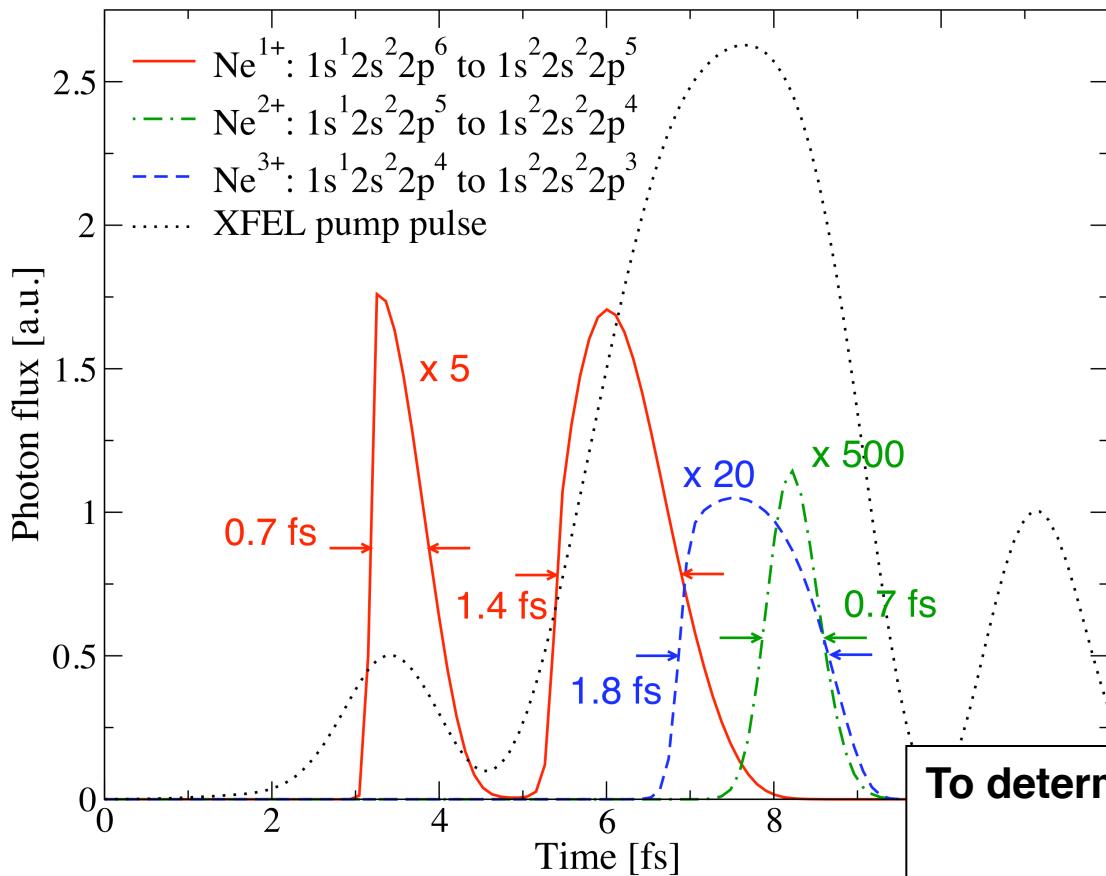
XFEL: 2 μm focus, 5x10¹² photons per pulse, 100 fs pulse, 1keV energy
gas density: 1x10¹⁹ atoms/cm³





Output at end of amplifying plasma column for 1 keV pump

Pathway to multi-color x-ray fs pump-probe experiments



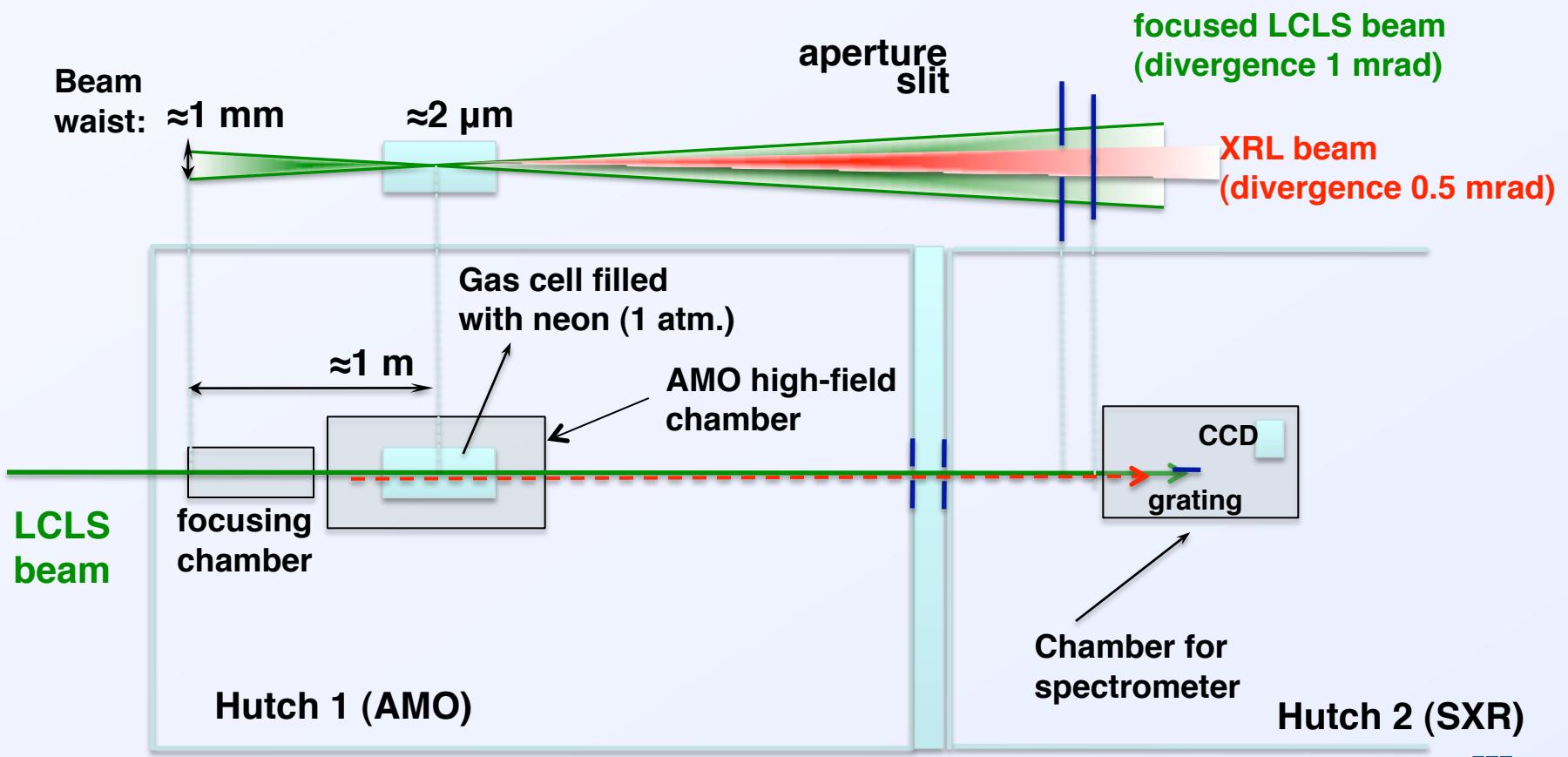
E	#(photons)	I_{peak}
850 eV	3×10^{10}	$7 \times 10^{16} \text{ W/cm}^2$
862 eV	4×10^9	$1 \times 10^{16} \text{ W/cm}^2$
855 eV	6×10^7	$5 \times 10^{14} \text{ W/cm}^2$

To determine
spectrum,
coherence properties,
propagation effects,
refraction, etc.

-> Solve coupled Maxwell-Bloch equations

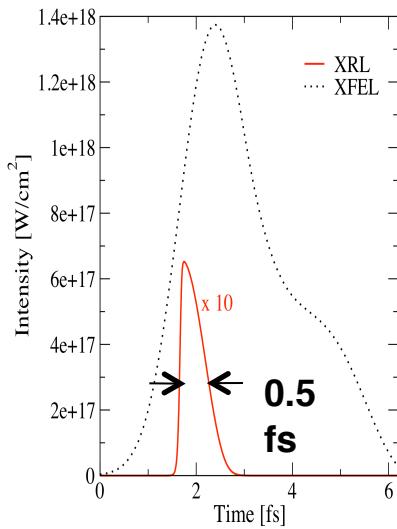
Scheduled experiment of XRL lasing scheme in Sept. 2010

Photo-ionization pumping scheme at different wavelengths

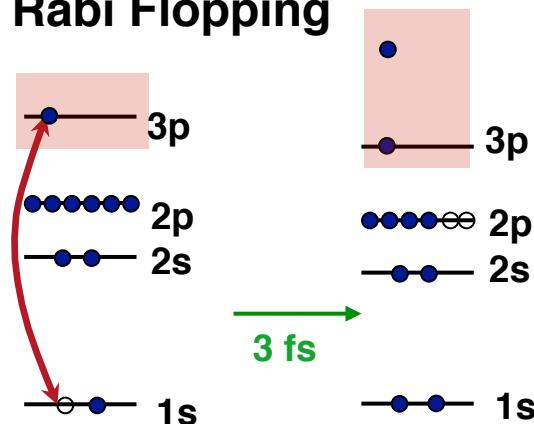


Non-linear optical physics in the X-ray regime

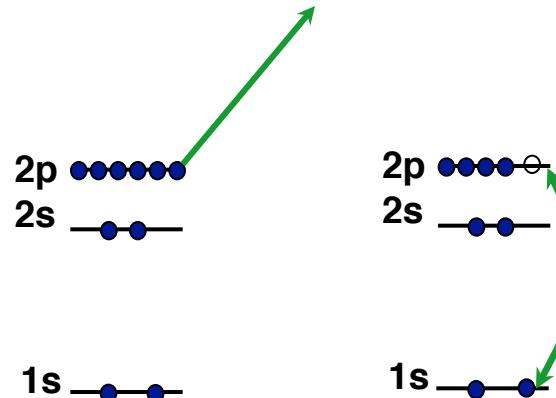
Atomic x-ray lasing with inner-shell transitions



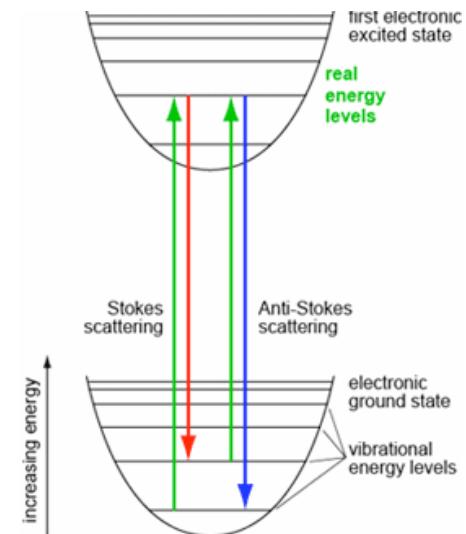
Rabi Flopping



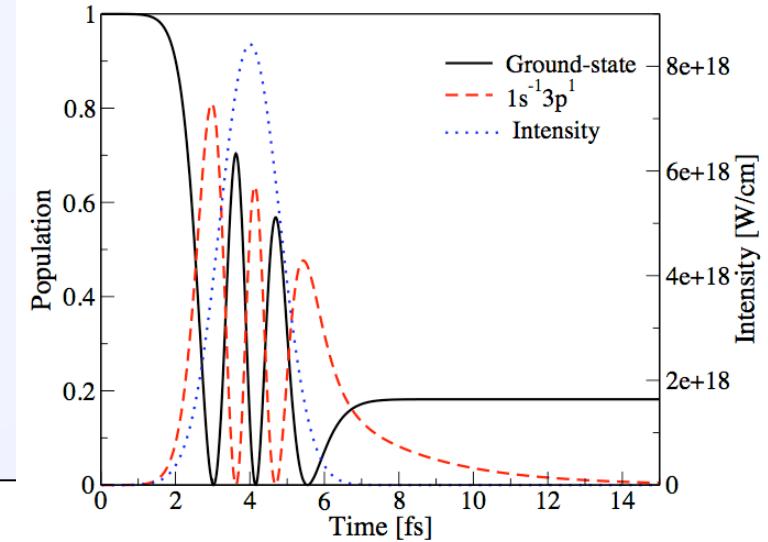
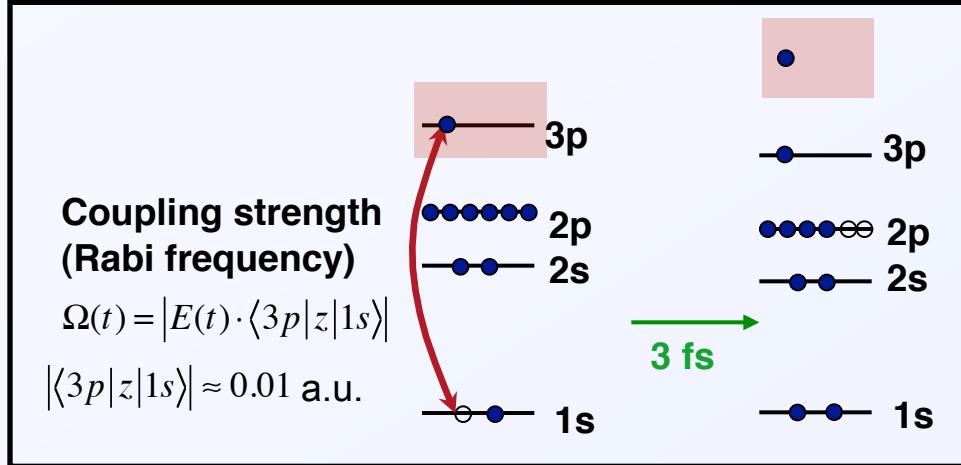
Rohringer and Santra,
Phys. Rev. A (2008).



Resonant Raman Scattering



Resonant Auger effect at high X-ray intensities, Ne 1s-3p transition, Wave-function approach



$$|\Psi, t\rangle = \tilde{c}_1(t)|1\rangle + \tilde{c}_2(t)|2\rangle + \sum_i \int d\epsilon_i \tilde{g}_i(\epsilon_i, t)|i, \epsilon_i\rangle$$

$$i\dot{c}_1(t) = -\frac{\delta}{2}c_1(t) + \frac{\mathcal{R}^*(t)}{2}c_2(t)$$

$$i\dot{c}_2(t) = -i\frac{\Gamma_{1s^{-1}}}{2}c_2(t) + \frac{\delta}{2}c_2(t) + \frac{\mathcal{R}(t)}{2}c_1(t)$$

$$i\dot{g}_i(\epsilon_i, t) = \left[E_i^{(+)} + \epsilon_i - E_2 + \frac{\delta}{2} \right] g_i(\epsilon_i, t) + \sqrt{\frac{\Gamma_i}{2\pi}} c_2(t)$$

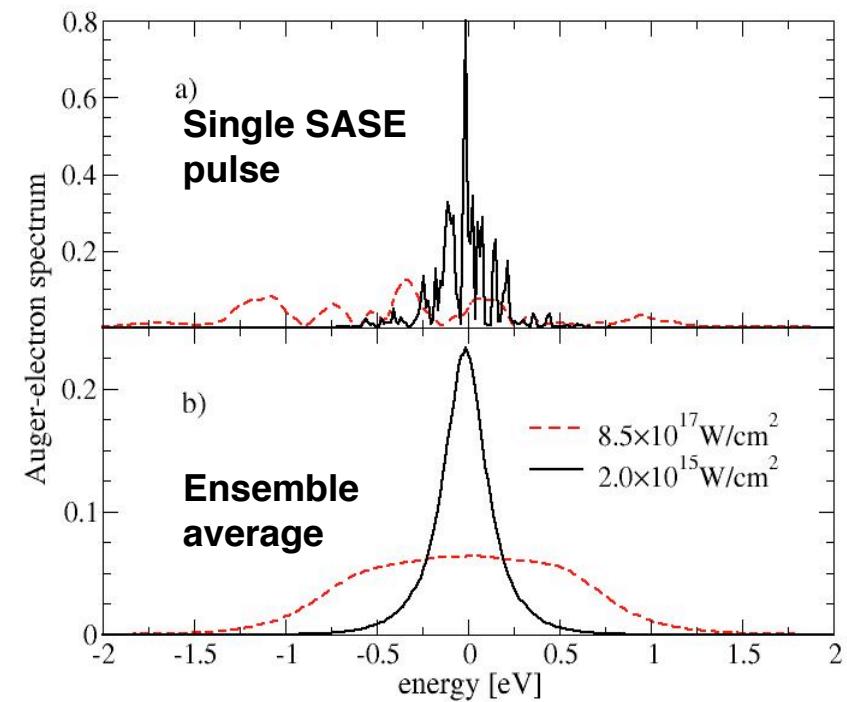
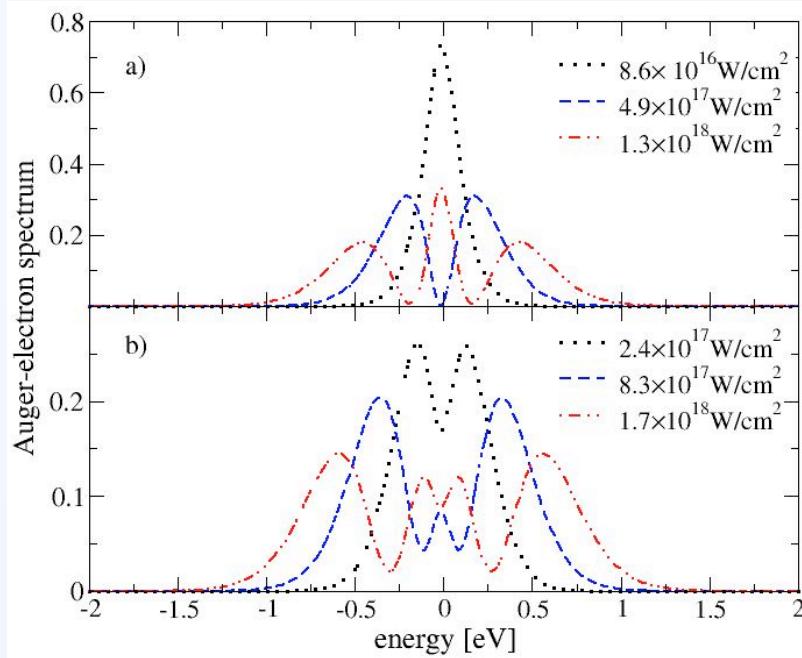
$$P_i(\epsilon_i) = \lim_{t \rightarrow \infty} |g_i(\epsilon_i, t)|^2$$

$$= \frac{\Gamma_i}{2\pi} \lim_{t \rightarrow \infty} \left| \int_{-\infty}^t dt' c_2(t') e^{i[E_i^{(+)} + \epsilon_i - E_2 + \delta/2]t'} \right|^2$$

Rohringer and Santra, Phys. Rev. A (2008)

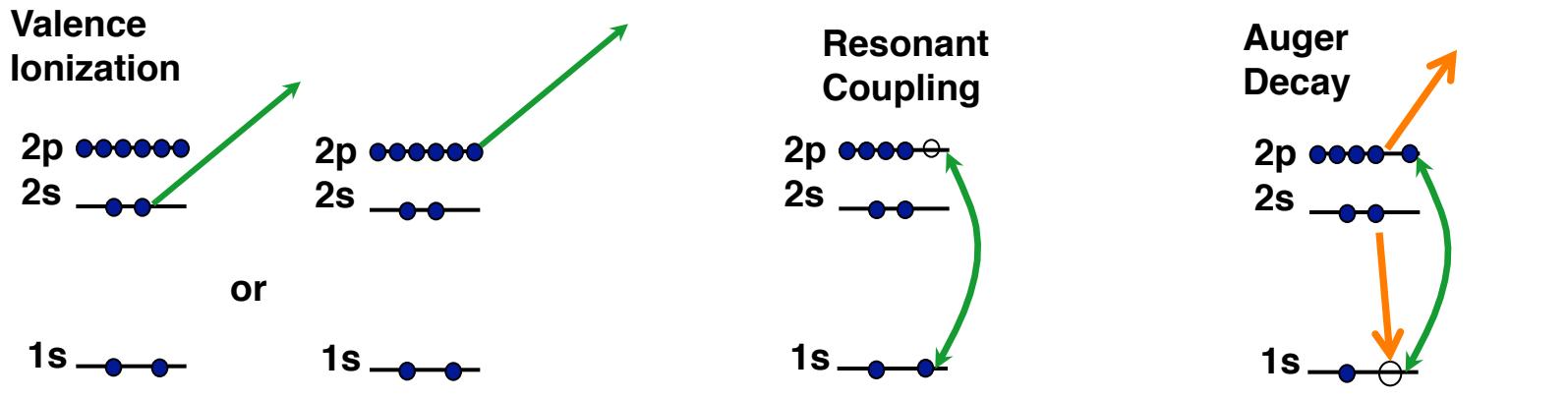
Resonant Auger-electron spectrum gets broadened

Coherent Gaussian Pulse



Generalized Bloch equations for open quantum system

Calculate time-dependent ionic density matrix



**Loss of coherence,
Open Quantum System,
Unobserved photo electrons**

$$\dot{\rho}_{11} = \left[ie^{-i\delta t} \rho_{21} \frac{R^*(t)}{2} + cc \right] + \sigma_1 j(t) p_0(t)$$

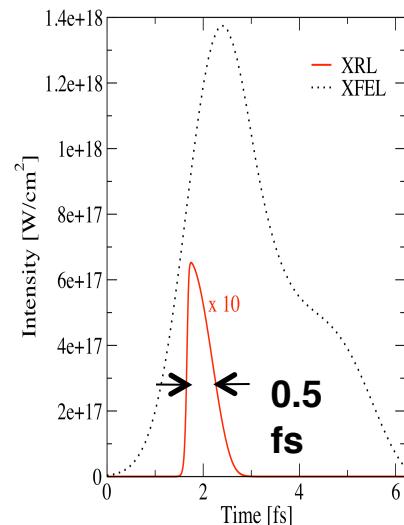
$$\dot{\rho}_{22} = -\Gamma_2 \rho_{22} + \left[ie^{i\delta t} \rho_{12} \frac{R(t)}{2} + cc \right]$$

$$\dot{\rho}_{12} = -\frac{\Gamma_2}{2} \rho_{12} + ie^{-i\delta t} (\rho_{22} - \rho_{11}) \frac{R^*(t)}{2}$$

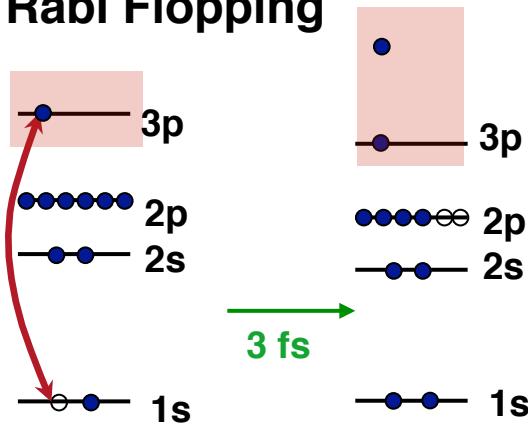
Rohringer and Santra, work in progress

Self-Stimulated Resonant Raman Scattering

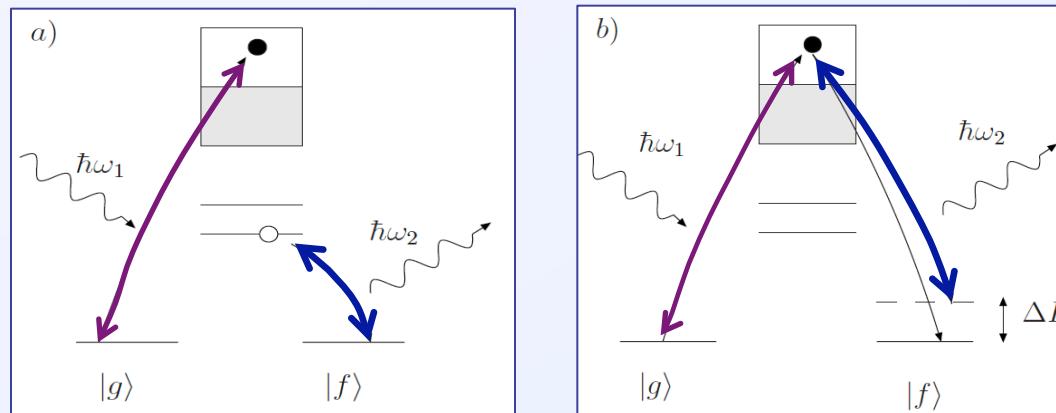
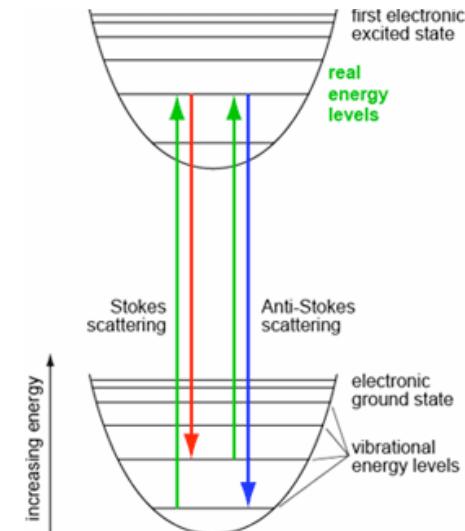
Atomic x-ray lasing with inner-shell transitions



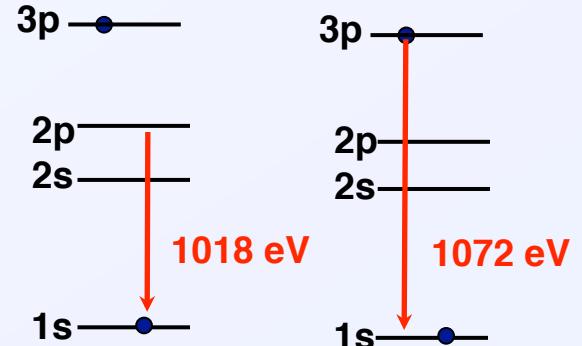
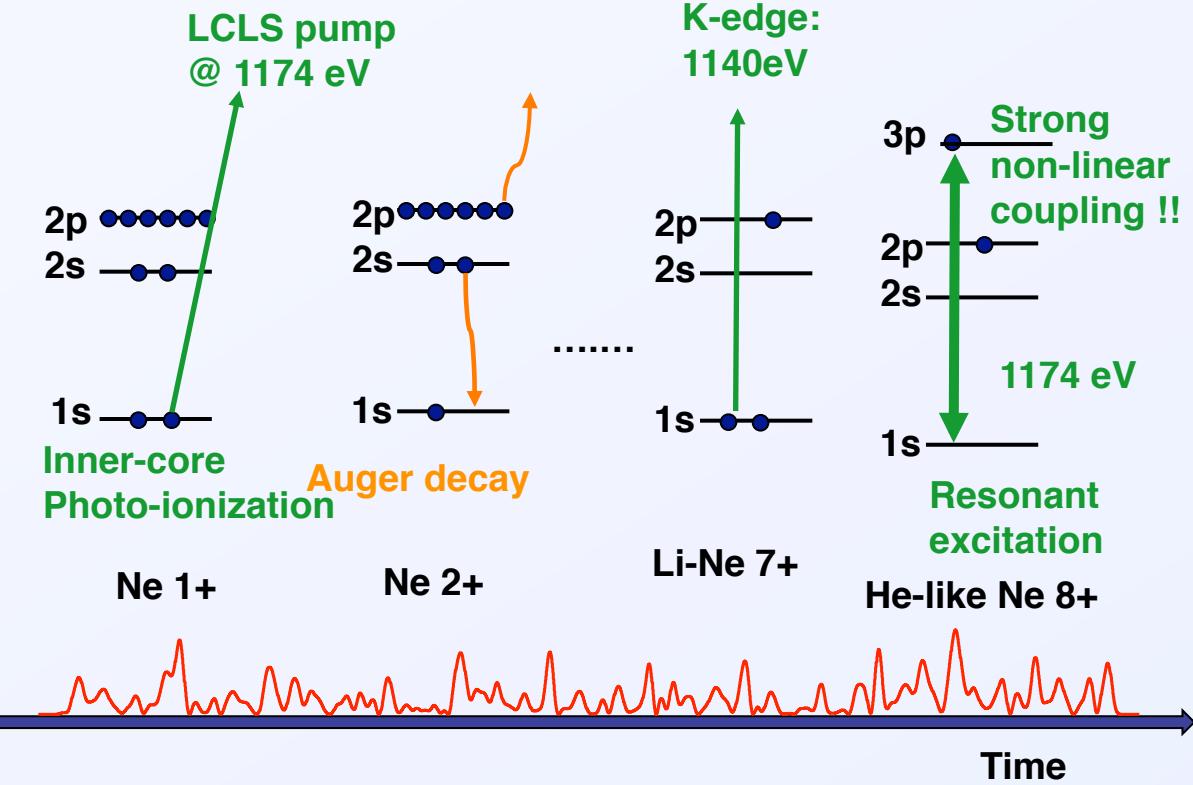
Rabi Flopping



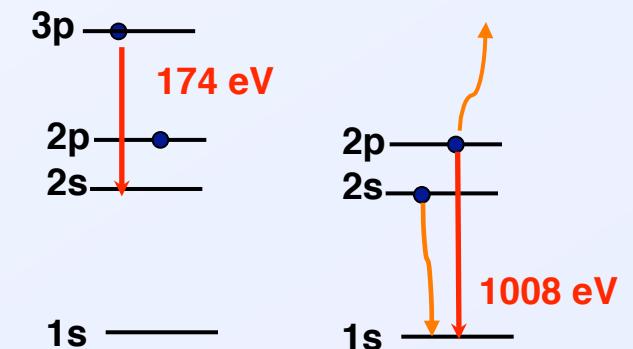
Resonant Raman Scattering



Proposed experiment: Resonant pumping scheme



Pathway will depend
On x-ray intensity !
Comparable oscillator strengths!



Self-stimulated resonant Raman scattering



Proposal: Stochastic wave function approach

Adopt stochastic wave-function approach from quantum optics

Ionic reduced density matrix sampled by ensemble of **pure states**

Ionic wave function evolves **deterministic** (resonant interaction with XFEL)

+ random (stochastic) **quantum jumps** to simulate

- photo ionization processes

- Auger decay

- eventually treat electron impact ionization, excitation, de-phasing

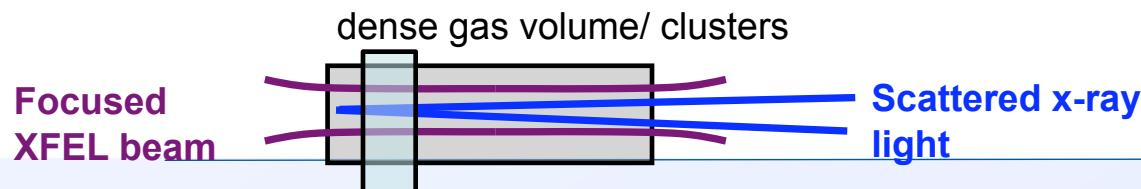
Quantum jump approach:

Jump operators: derived by semiclassical approximation ?

Test on single-atom case

by comparing to generalized optical Bloch equations

(equivalent descriptions of determining ionic reduced density matrix)



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