# A proposal for anyon manipulation

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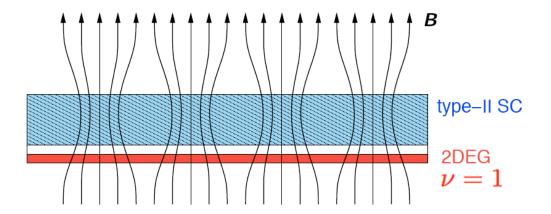


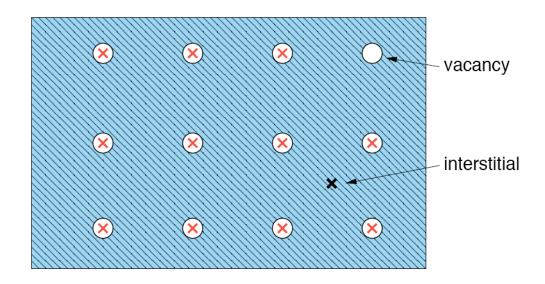
Chiral SC Workshop, KITP
18 December 2007

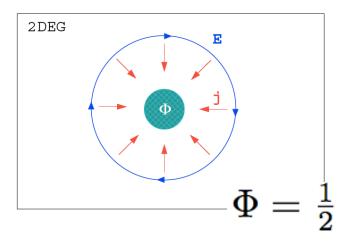
Anyons in a weakly interacting system, Nature Physics 3,796 (2007)

# 2DEG + SC Bilayer

### Fractionalization with weak interactions







$$q=rac{1}{2}$$
  $\gamma=rac{\pi}{4}$ 



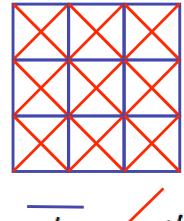


# 2DEG + SC Bilayer: Lattice Model

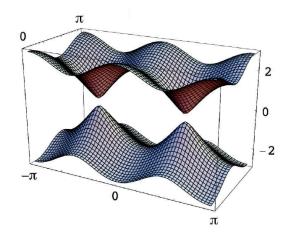
### Fractionalization with weak interactions

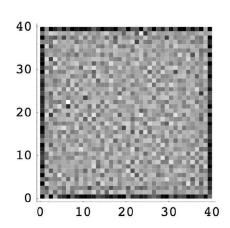
2DEG in diluted magnetic semiconductors ( $Ga_{1-x}Mn_xAs$ ) Berciu, et al. Nature **435**, 71 (2005).

$$\mathcal{H} = -\sum_{ij} \left( t_{ij} e^{i heta_{ij}} c_j^\dagger c_i^{} + ext{h.c.} 
ight) + \sum_i \epsilon_i c_i^\dagger c_i^{}$$









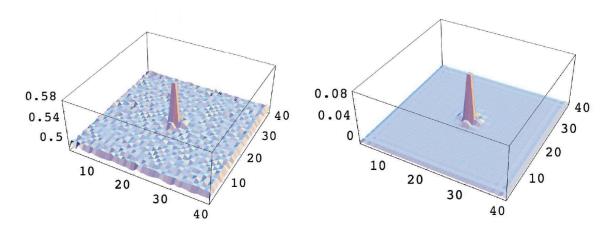
$$heta_{ij} = rac{2\pi}{\Phi_0} \int_{\mathbf{r}_i}^{\mathbf{r}_j} \mathbf{A} \cdot d\mathbf{l}$$

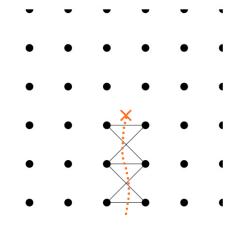


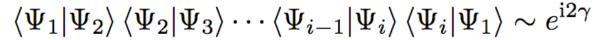


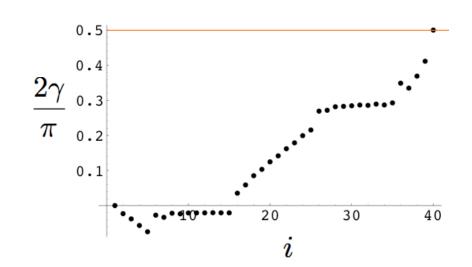
# 2DEG + SC Bilayer: Lattice Model

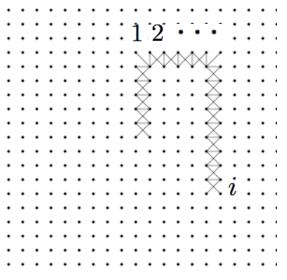
# Fractionalization with weak interactions













# 2DEG + SC Bilayer: Non-Abelian Anyons

A similar argument at filling  $u=rac{5}{2}$  gives  $q=rac{1}{4}$  .

This is the same as the charge of the quasiparticles in the Moore-Read Pfaffian state, suggesting that the vacancies would now bind a **non-Abelian** quasiparticle.

Another way: the  $\nu=\frac{5}{2}$  Pfaffian state is equivalent to a p-wave superconductor, so its natural quantum of flux is  $\frac{1}{2}\Phi_0$ . Then, similar to Laughlin's argument, threading a half-flux should create a quasiparticle of the system.





#### Parameters:

$$- a = \sqrt{\nu/2\rho_e} \approx 200\text{Å} \qquad \rho_e \approx 3 \times 10^{11} \text{cm}^{-2}$$

$$- H \sim 5\text{T} \ll H_{c2}$$

$$- \lambda_{\text{eff}} = \lambda(\lambda/d) < a \qquad d \sim \lambda < a$$

## Necessary conditions for anyons:

- Strong interactions? No!
- Time-reversal symmetry? No!

