# STM/STS studies on iron-based superconductors ~ superconducting-gap structure ~



# RIKEN Tetsuo Hanaguri

Sample bias (mV)

## **Collaborators** Fe(Se,Te)





## U. Electro-Commun. K. Kuroki

## LiFeAs



ISSP K. Kitagawa K. Matsubayashi Y. Mazaki Y. Uwatoko M. Takigawa



SNU Kee Hoon Kim



# Gap structure of iron-based SC?

- Introduction
- Why STM?
- Results on iron-based superconductors
  - Phase-sensitive quasi-particle interference in Fe(Se,Te)
  - STM/STS studies of defect states in LiFeAs
- Summary and Prospects

## Gap structure of iron-based superconductors Disconnected Fermi surface pockets

cf. K. Kuroki and R. Arita, PRB 64, 024501 (2001).



D. J. Singh and M.-H. Du, PRL 100, 237003 (2008).

I. I. Mazin et al., PRL **101**, 057003 (2008). K. Kuroki et al., PRL **101**, 087004 (2008).

- Fully gapped or gapless?
- Sign reversal?

Experimental tests			
Method	Material	Gap node	Symmetry
λ	PrFeAsO <sub>1-v</sub>	gapped	s, or s,,
K. Hashimoto et al., P	RL <b>102</b> , 017002 (2009).		<u> </u>
ARPES	Ba <sub>0.6</sub> K <sub>0.4</sub> Fe <sub>2</sub> As <sub>2</sub>	gapped	$s_{\pm}$ or $s_{++}$
H. Ding et al., EPL 83	, 47001 (2008).		
λ	LaFePO	nodal	nodal s <sub>±</sub> or d
J. D. Fletcher et al.,	PRL <b>102</b> , 147001 (2009).		
SC loop	NdFeAsO <sub>0.88</sub> F <sub>0.12</sub>	?	non s <sub>++</sub>
CT. Chen et al., Nat	ure Phys. 6, 260 (2010).		
<b>INS</b> A. D. Christianson et	Ba <sub>0.6</sub> K <sub>0.4</sub> Fe <sub>2</sub> As <sub>2</sub> al., Nature <b>456</b> , 930 (2008).	?	S <sub>±</sub>



Nodal or fully gapped

Distinguishing different FS pockets (k resolution)

• Phase of the SC gap on each pocket

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  - Tunneling spectrum
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  - Quasi-particle interference effect (Fourier-transform STS)

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- Distinguishing different FS pockets (k resolution)
  - Quasi-particle interference effect (Fourier-transform STS)
- Phase of the SC gap on each pocket
  Coherence factors

## Surface MUST be neutral...

## **Fe (Se, Te)**T<sub>c</sub> ~ 13 K



## Grown by Dr. S. Niitaka (RIKEN)

## LiFeAs $T_c \sim 16 \text{ K}$



Grown by Dr. K. Kitagawa Dr. K. Matsubayashi (ISSP)

# Nodal or fully gapped

T. Hanaguri et al., Science 328, 474 (2010).

**Fe (Se, Te)**  $T_c = 13 \sim 14.5 \text{ K}$ 

X'tals grown by Dr. Niitaka (RIKEN)

#### T ~ 1.5 K



19 nm×19 nm, -20 mV/0.1 nA

cf. F. Massee et al., PRB 80, 140507(R) (2009), T. Kato et al., PRB 80, 180507(R) (2009).

# STM on an iron chalcogenide Fe (Se, Te) $T_c = 13 \sim 14.5 \text{ K}$

T. Hanaguri et al., Science 328, 474 (2010).

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SC gap FULLY opens all over the FS pockets.

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 $2\Delta/T_{c} \sim 3.5$ 



19 nm×19 nm, -20 mV/0.1 nA

SC gap FULLY opens all over the FS pockets.

# Distinguishing different FS pockets

## Quasi-particle interference ~ k-sensitive STM

J. Hoffman et al., Science **297**, 1148 (2002). K. McElroy, et al., Nature **422**, 592 (2003).

"Octet model"



# FS geometry & SC gap dispersion can be obtained through QPI.

 $JDOS \propto 1/\nabla E(\mathbf{k})$ 

## How will it work in iron-based SC?

### Disconnected pockets



D. J. Singh and M.-H. Du, PRL 100, 237003 (2008).



## How will it work in iron-based SC?

### **Disconnected pockets**



D. J. Singh and M.-H. Du, PRL 100, 237003 (2008).







<u>Inter-pocket scattering</u>  $\longleftrightarrow$  Relationship between the pockets

# QPI in an iron chalcogenide

T. Hanaguri et al., Science 328, 474 (2010).

## **Fe(Se, Te)** T<sub>c</sub> ~ 13 K

#### T ~ 1.5 K



34 nm×34 nm, -20 mV/0.1 nA



# QPI in an iron chalcogenide Fe(Se,Te) T<sub>c</sub> ~ 13 K

### $T \sim 1.5 \text{ K}$ dI/dV<sub>+E</sub>/dI/dV|<sub>-E</sub> 10 mV



34 nm×34 nm, -20 mV/0.1 nA

T. Hanaguri et al., Science 328, 474 (2010).

### FT-Z map 1.0 meV



# QPI in an iron chalcogenide Fe(Se,Te) $T_c \sim 13$ K

#### T ~ 1.5 K



34 nm×34 nm, -20 mV/0.1 nA

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cf. I.I. Mazin and D.J. Singh, arXiv:1007.0047v2, T. Hanaguri et al., arXiv:1007.0307. Peaks are much broader than the Bragg peak.

# QPI in an iron chalcogenide Fe(Se,Te) T<sub>c</sub> ~ 13 K

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34 nm×34 nm, -20 mV/0.1 nA

Inter-pocket scatterings are detected.

# Relative phase of SC gap between the pockets
# Coherence factors in QPI ~ "extinction" rule J. E. Hoffman, Thesis, http://physics.harvard.edu/~jhoffman/thesis/HoffmanThesis.pdf.

Q. -H. Wang and D. -H. Lee, PRB 67, 020511(R) (2003).

T. Pereg-Barnea and M. Franz, PRB 68, 180506(R) (2003).

R. S. Markiewicz, PRB 69, 214517 (2004).

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 $w(i \rightarrow f) \propto |V(\mathbf{k}_i, \mathbf{k}_f)|^2 JDOS(E, \mathbf{k}_i, \mathbf{k}_f)$ 



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-0.5

-1.0

0.5

0

 $k_x (\pi/a_0)$ 

1.0

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-10

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-0.5

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 $k_x (\pi/a_0)$ 

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~ 0 : for sign-preserving q's

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# Phase-sensitive QPI in Ca<sub>2-x</sub>Na<sub>x</sub>CuO<sub>2</sub>Cl<sub>2</sub> T. Hanaguri et al., Science, **323**, 923 (2009).

# $x \sim 0.14 (T_c \sim 28 \text{ K})$

 $V_{sample} = -0.1 V, I_{t} = 0.1 nA, 45 nm \times 45 nm$ 



# QPI shows up in the dI/dV-ratio (Z) map !!

T. Hanaguri et al., Nature Phys., 3, 865 (2007).



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## Phase-sensitive QPI in Ca<sub>2-x</sub>Na<sub>x</sub>CuO<sub>2</sub>Cl<sub>2</sub> Γ. Hanaguri et al., Science, **323**, 923 (2009). x ~ 0.14 (T<sub>c</sub> ~ 28 K) FT map 4.4 meV $V_{sample} = -0.1 V$ , $I_{t} = 0.1 nA$ , 45nm×45nm B = OT $\mathbf{q}_4$ $\mathbf{q}_3$ 1.0 $\mathbf{q}_5$ 0.5 $\mathbf{q}_4$ $\mathbf{q}_5$ $k_y (\pi/a_0)$ **q**<sub>3</sub> $\mathbf{q}_6$

## QPI shows up in the dI/dV-ratio (Z) map !!

T. Hanaguri et al., Nature Phys., **3**, 865 (2007).

0

-0.5

-1.0

-1.0

 $\mathbf{q}_7$ 

-0.5

¶₁

0  $k_{x}(\pi/a_{0})$  0.5

1.0

## Phase-sensitive QPI in $Ca_{2-x}$ $Na_{x}CuO_{2}Cl_{2}$ $x \sim 0.14 (T_{c} \sim 28 \text{ K})$ $v_{sample} = -0.1 \text{ V}, \text{ I}_{t} = 0.1 \text{ nA}, 45 \text{ nm} \times 45 \text{ nm}$ The Hanaguri et al., Science, 323, 923 (2009). FT map 4.4 meV





## Magnetic field changes intensity of each spot.

#### Phase-sensitive QPI in Ca<sub>2-x</sub>Na<sub>x</sub>CuO<sub>2</sub>Cl<sub>2</sub> Γ. Hanaguri et al., Science, **323**, 923 (2009). x ~ 0.14 (T<sub>c</sub> ~ 28 K) FT[Z(11T)]-FT[Z(0T)] V<sub>sample</sub> = -0.1 V, I<sub>t</sub> = 0.1 nA, 45nm×45nm **q**<sub>4</sub> $\mathbf{q}_3$ 1.0 $\mathbf{q}_5$ + 0.5 inc. $\mathbf{q}_4$ $\mathbf{q}_5$ $k_y (\pi/a_0)$ **Q**<sub>3</sub> $\mathbf{q}_6$ 0 -0.5 $\mathbf{q}_7$ ╇ **q**<sub>1</sub> dec. -1.0 -0.5 0.5 1.0 -1.0 0 $k_x (\pi/a_0)$

# There are two kinds of scattering vectors.



# sign-preserving scattering (+,+), (-,-): Enhanced by B



sign-preserving scattering (+,+), (-,-): Enhanced by B sing-reversing scattering (+,-), (-,+): Suppressed by B



sign-preserving scattering (+,+), (-,-): Enhanced by B
sing-reversing scattering (+,-), (-,+): Suppressed by B
Coherence effect highlights the phase!!















34 nm×34 nm, -20 mV/0.1 nA

# Phase-sensitive STM on an iron chalcogenide<br/>T. Hanaguri et al., Science 328, 474 (2010). $Fe_{1+x}(Se,Te)$ $T_c \sim 13 \text{ K}$ $T \sim 1.5 \text{ K}$ B = 0 T $dI/dV_{+E}/dI/dV|_{-E}$ 1.0 mV

**q**<sub>3</sub>

**q**<sub>2</sub>

34 nm×34 nm, -20 mV/0.1 nA

 $\mathbf{q}_1$ 

Inter-pocket scatterings are detected.

# Phase-sensitive STM on an iron chalcogenide

T. Hanaguri et al., Science 328, 474 (2010).

B = O T

 $Fe_{1+x}(Se, Te) T_c \sim 13 K$ 

FT-Z map 1.0 meV





34 nm×34 nm, -20 mV/0.1 nA

Inter-pocket scatterings are detected.

# Phase-sensitive STM on an iron chalcogenide

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B = 10 T

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## Strongly supports s<sub>t</sub>-wave symmetry !!

#### Issues

- Scattering centers?
- Impurity effect
  - Does s<sub>+</sub>-wave superconductivity really survive?

M. Sato et al., JPSJ **79**, 014710 (2010).

S. Onari and H. Kontani, PRL 103, 177001 (2009).

#### - Single impurity?

S. H. Pan et al., Nature 403, 746 (2000).

E. W. Hudson et al., Nature 411, 920 (2001).

#### Universality

#### - Various symmetries depending on band

#### structures.

K. Kuroki et al., PRB **79**, 224511 (2009). S. Graser et al., New J. Phys. **11**, 025016 (2009).

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- Neutral surface
- Stoichiometric superconductor (clean !)

#### **Issues** ~ impurity effect

#### What about the effect of single impurity?



T. Kariyado and M. Ogata, JPSJ **79**, 083704 (2010). See also, Y. Bang et al., PRB **79**, 054529 (2009), W. -F. Tsai et al., PRB **80**, 064513 (2009).

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# STM topograph of LiFeAs ( $T_c \sim 16$ K)

T ~ 0.54 K



40 nm×40 nm, +50 mV/10 pA



5 nm×5 nm, +20 mV/100 pA

Atomic lattice a ~ 3.8 Å (As or Li) Variety of natural defects

# Natural defects in LiFeAs

T ~ 0.54 K



5 nm×5 nm, +50 mV/10 pA



40 nm×40 nm, +50 mV/10 pA

At least 6 types of defects

# Natural defects in LiFeAs

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http://paraparadisezooeng.blog73.fc2.com/ blog-category-27.html

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# Natural defects in LiFeAs

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5 nm×5 nm, +50 mV/10 pA



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At least 6 types of defects



5 nm×5 nm, +20 mV/100 pA









••















<u>"Dot"</u> "Trench" "Dumbbell" As or Li Fe Fe "Clione" <u>"Yin-yang"</u> "Buggy" As or Li? ?

5 nm×5 nm, +20 mV/100 pA







Dot, Trench, Dumbbell : Local symmetry is preserved. Clione, Yin-yang, Buggy : Local symmetry is broken.

T ~ 0.54 K



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- Two gaps  $(2\Delta/T_c \sim 3.6 \text{ and } 8.3)$
- No significant inhomogeneity

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- Two gaps ( $2\Delta/T_c \sim 3.6$  and 8.3) disappear at  $T_c$ .
- No significant inhomogeneity



symmetry-preserving defects

10

10

10



"Clione" symmetry-breaking defects "Yin-yang" "Buggy"







#### Summary

- Tunneling spectra of Fe(Se,Te) and LiFeAs suggest that the superconducting gap fully opens over the Fermi surface.
- Magnetic-field dependence of the quasi-particle interference pattern contains information on the phase of the superconducting gap function. The result on Fe(Se,Te) suggests
  -wave superconductivity where the gap changes its sign between hole and electron pockets.
- In LiFeAs, in-gap bound states are formed at some of the defects which break local symmetry of the underlying lattice.

#### Prospects

- Larger field of view
- Intentionally-doped impurities (Sn, P,...)