

# Thermal-Transport Studies of Quantum Spin Liquids in Organic Triangular Antiferromagnets

MINORU Yamashita, Riken

## 1. Quantum spin liquid in 2D

- Recipe.
- Gapless? Gapped?

## 2. Thermal-transport study of $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>

- Vanishing  $\kappa/T$  in the zero-temperature limit  
M. Y. et al., *Science*, **328**, 1246 (2010)

→ No itinerant gapless excitation.

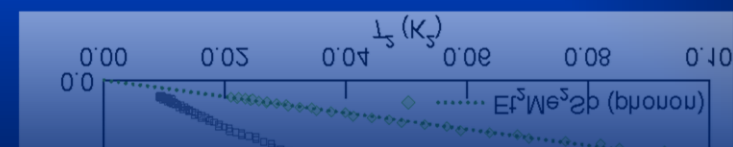
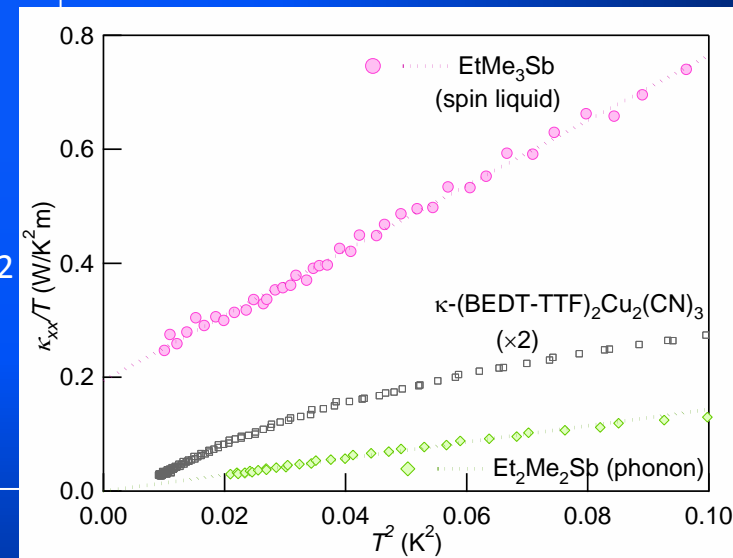
Gapped? Localized gapless excitation?

## 3. Thermal-transport study of EtMe<sub>3</sub>Sb[Pd(dmit)<sub>2</sub>]<sub>2</sub>

- Finite  $\kappa/T$  in the zero-temperature limit  
M. Y. et al., *Science*, **328**, 1246 (2010)

→ **Gapless excitation with long mean free path**

M. Y. et al., *Nat. Phys.* 2009  
M. Y. et al., *Science* 2010



# Collaborators



## Kyoto University

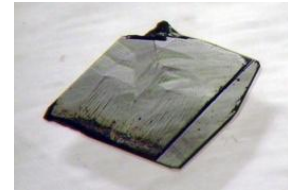
Daiki Watanabe  
Yoshinori Senshu  
Sho Tonegawa  
Ryuji Okazaki  
Takasada Shibauchi  
Yuji Matsuda



IMR  
TOHOKU UNIVERSITY

## Institute for Materials Research Tohoku University

T. Sasaki  
N. Yoneyama  
N. Kobayashi



## Riken

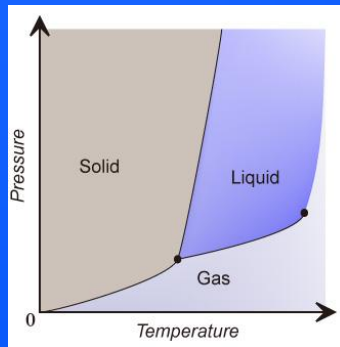
Yugo Oshima  
Hiroshi M. Yamamoto  
Reizo Kato



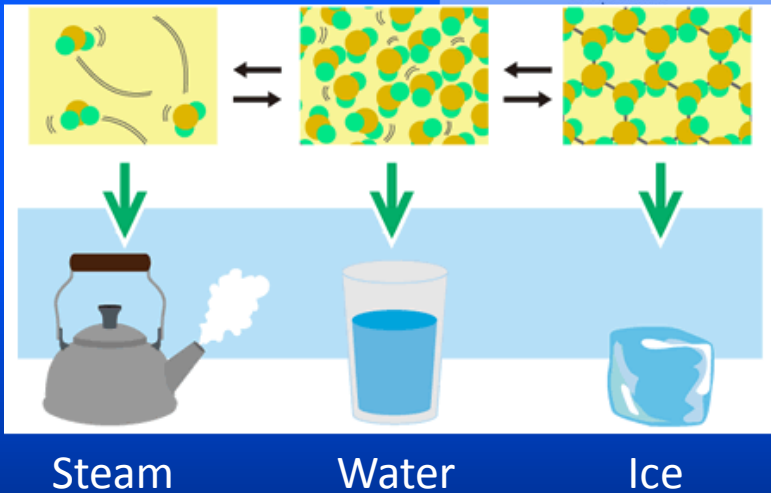
# What is "exotic" phase?

## Conventional material

- ✓ Freezing in at the absolute zero temperature
- ✓ Ordering in conventional way  
e.g. crystallization

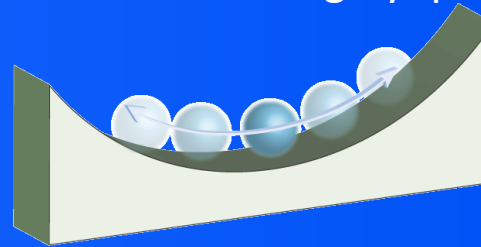


## Thermal fluctuation



## Quantum Liquids

- No freezing by quantum fluctuation

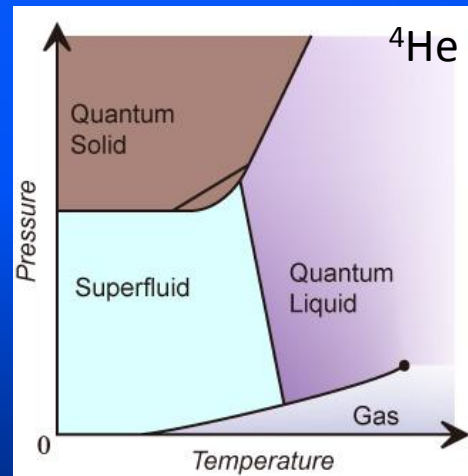


Zero point oscillation  
> Interaction

## Effects of quantum fluctuation explicitly emerges

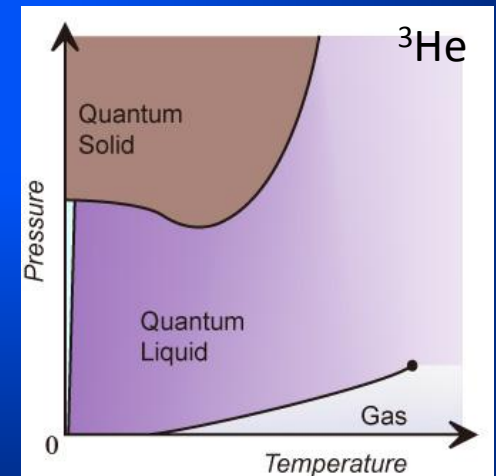
### Bose statistics

BEC, superfluid  $^4\text{He}$



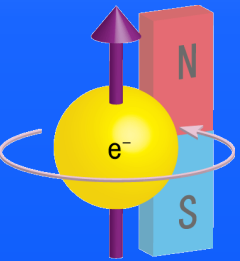
### Fermi statistics

Fermi liquid, Cooper pairing



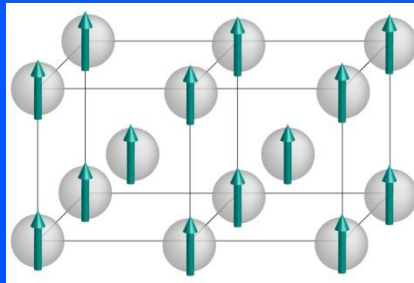
# Quantum Spin Liquids

## Spins (classical/quantum) in 3D



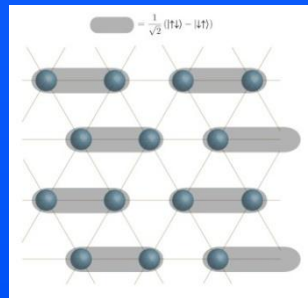
Long range order for  $T \ll J$   
( $J$ : spin interaction)

Ferromagnetic order



Broken rotational symmetry

Valence bond solid (spin singlet)



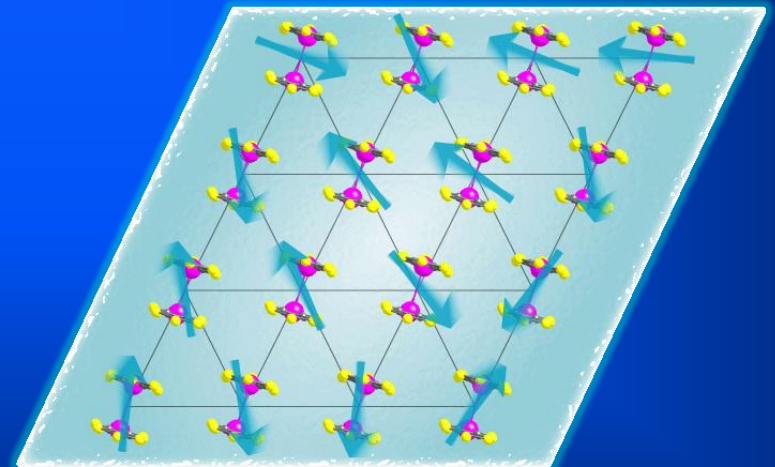
Broken translational symmetry

(exception: spin ice, 3D hyper kagomé)

## Quantum Spin Liquids

1. No symmetry broken
2. Quantum fluctuation dominant
  - $T \ll J$  NOT simple paramagnet
3. Long correlation of spins as liquids
  - Quantum entanglements
  - Not like paramagnet or spin glasses

Quantum **Spin** Liquid



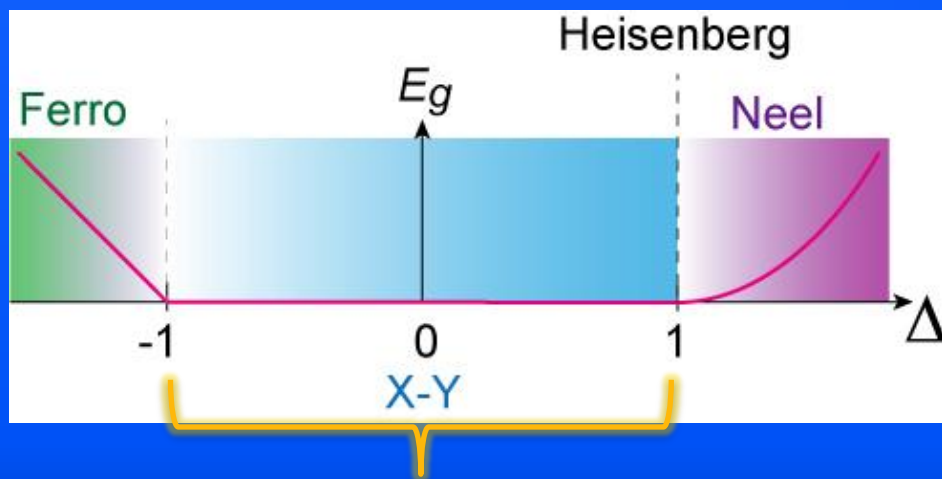
# Quantum Spin Liquid in Low-dimensions

## QSL in 1D

QSL state is stabilized by strong quantum fluctuation.  
Exactly solvable models available (e.g. 1D XXZ chain)

## 1D XXZ chain ( $S = 1/2$ )

$$\mathcal{H} = J \sum (S_i^x \cdot S_j^x + S_i^y \cdot S_j^y + \Delta S_i^z \cdot S_j^z)$$



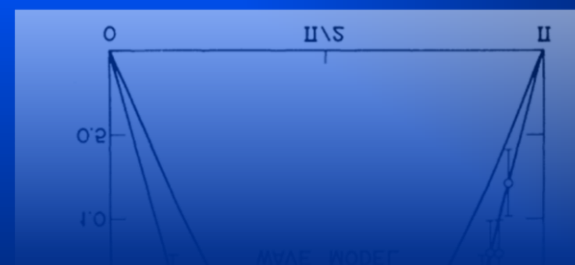
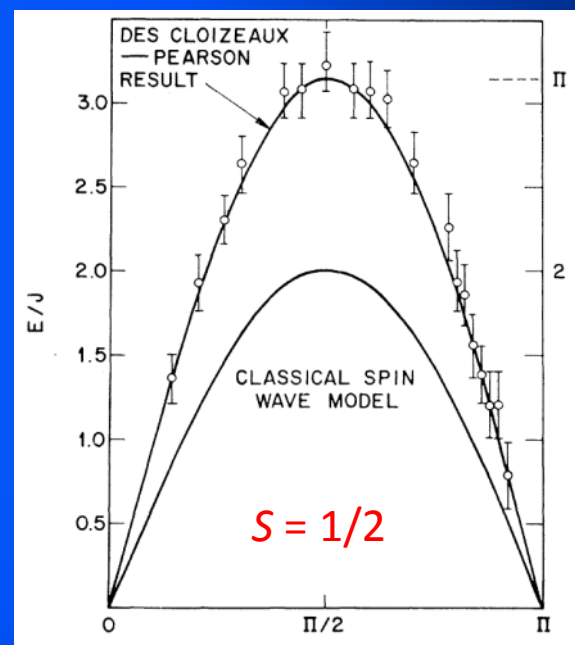
Quantum spin liquid

- No LRO
- Gapless
- Algebraic spin correlation (critical phase)

$$\langle S(r)S(0) \rangle \sim r^{-\nu}$$

Neutron scattering in  
 $\text{CuCl}_2 \cdot 2\text{N}(\text{C}_5\text{D}_5)$

Endoh, et al., (1974)



# Quantum Spin Liquid in Low-dimensions

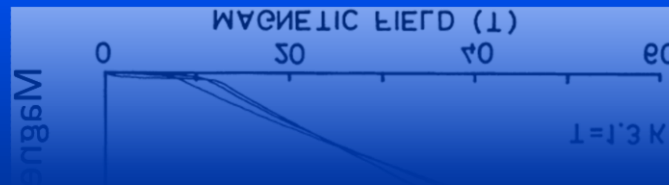
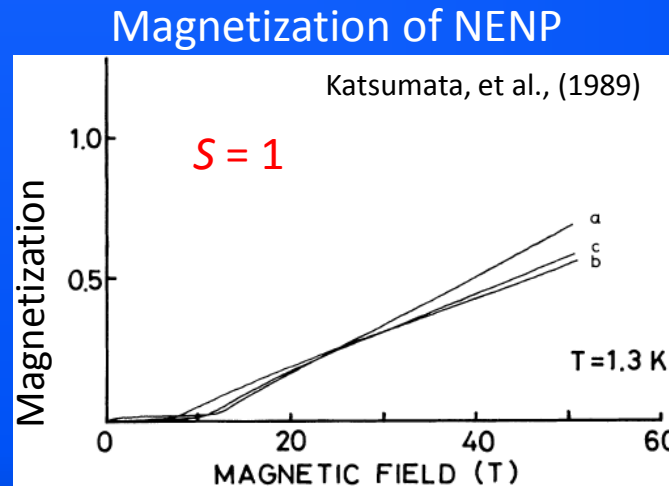
## QSL in 1D

QSL state is stabilized by strong quantum fluctuation.  
Exactly solvable models available (e.g. 1D XXZ chain)

## Haldane gap ( $S = 1$ )

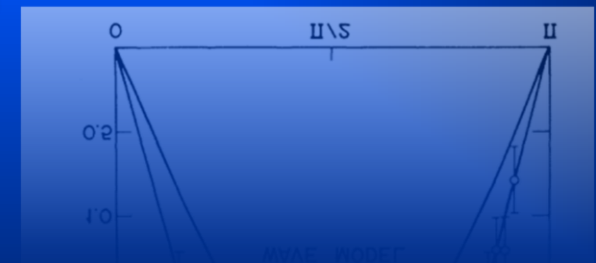
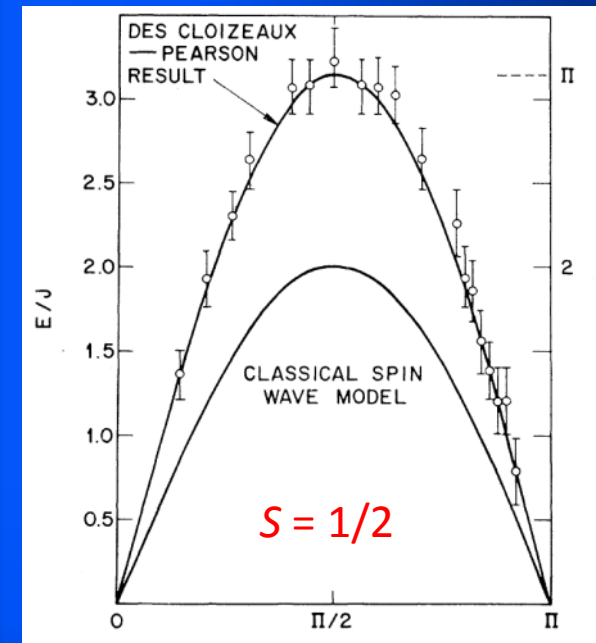
- Finite energy gap
- Exponentially decaying spin correlation

$$\langle S(r)S(0) \rangle \sim e^{-r/\xi}$$



## Neutron scattering in $\text{CuCl}_2 \cdot 2\text{N}(\text{C}_5\text{D}_5)$

Endoh, et al., (1974)



# Quantum Spin Liquid in Low-dimensions

## How about in 2D?

### Order or not order?

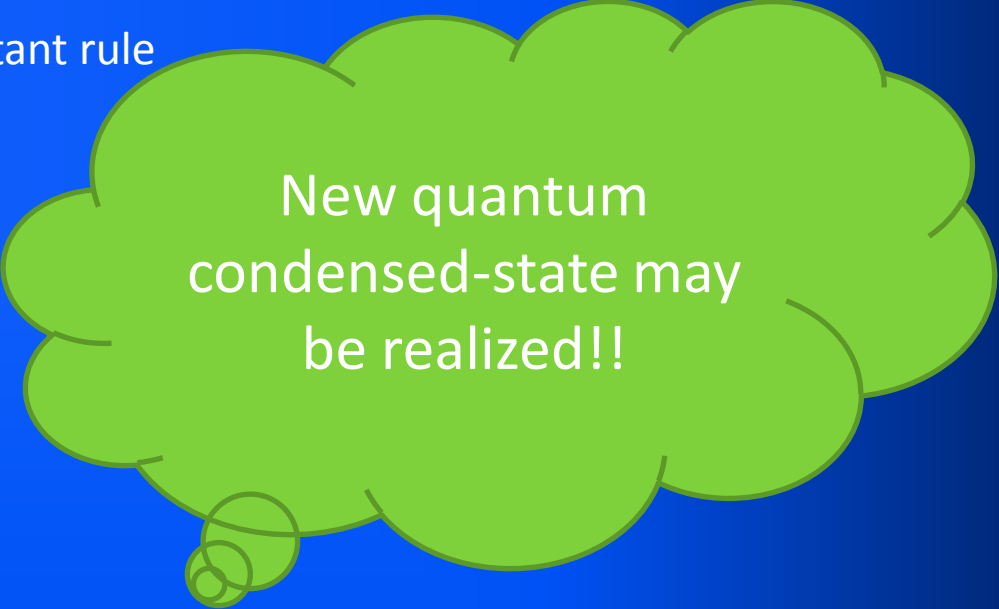
- geometrical frustration plays important rule

### Many theories proposed

- Resonating-valence-bond liquid
- Chiral spin liquid
- Quantum dimer liquid
- $Z_2$  spin liquid
- Algebraic spin liquid
- Spin Bose Metal
- Etc.,,

### Elementary excitation not yet identified

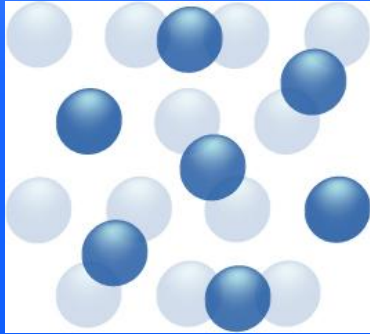
- Spinon with Fermi surface
- Vison
- Majorana fermions



New quantum condensed-state may be realized!!

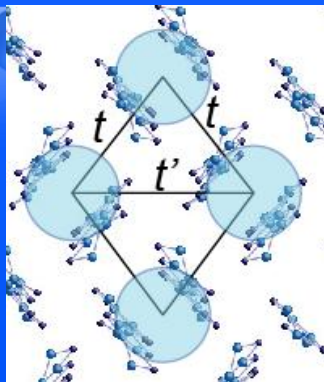
- Recent discoveries of QSL candidates
- No LRO found down to experimentally reachable low temperature  
→ New frontier of condensed-matter

# Some of promising candidates of 2D quantum spin liquids



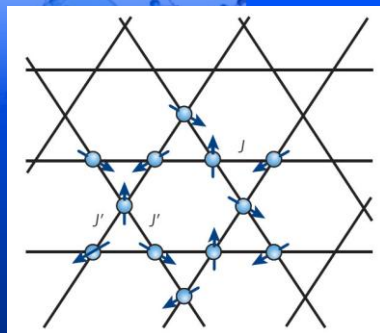
$^3\text{He}$  absorbed on Graphite

Ishida et al., PRL (1997)  
Masutomi et al., PRL (2004)



Organic compounds  
 $\kappa\text{-(BEDT-TTF)}_2\text{Cu}_2(\text{CN})_3$   
 $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$   
 $\kappa\text{-H}_3(\text{Cat-EDT-TTF})_2$

Shimizu et al., PRL (2003)  
Itou et al., PRB (2004)  
Isono et al., JPSJ meeting (2012)



Kagomé

Herbertsmithite,  
Volborthite,  
 $\text{Rb}_2\text{Cu}_3\text{SnF}_{12}$ ,  $\text{Na}_3\text{Ir}_3\text{O}_8$ ,  
etc.

Shores, JACS (2005)  
Hiroi, JPSJ (2001)  
Morita JPSJ (2008)  
Okamoto, PRL (2007)

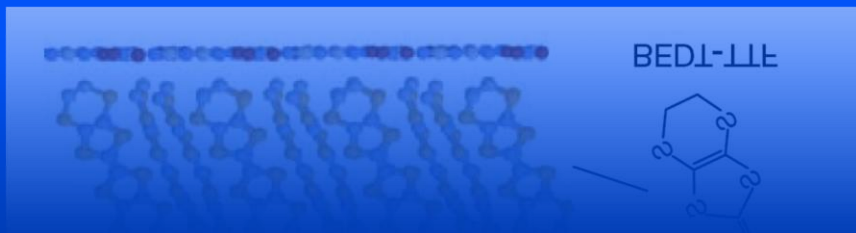
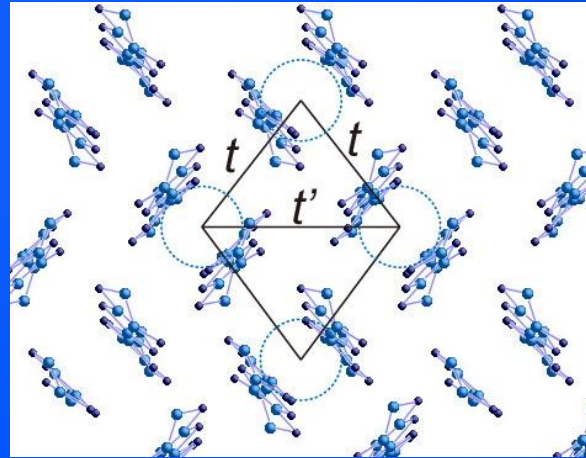
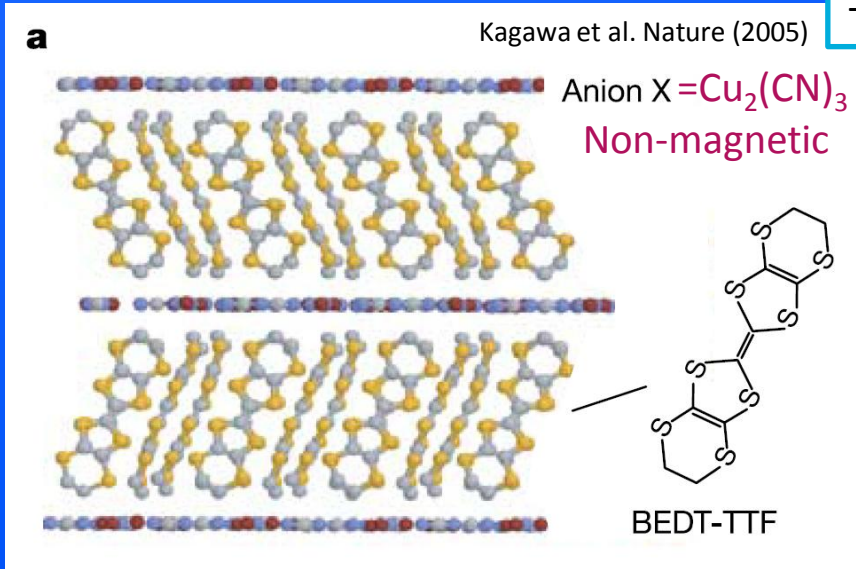


# $\kappa$ -(BEDT-TTF)<sub>2</sub>X

## Layer structure

Dimerization of face-to-face  
BEDT-TTF molecules  
+0.5/molecule  $\rightarrow$  1.0/dimer

Dimer-Mott  
insulator



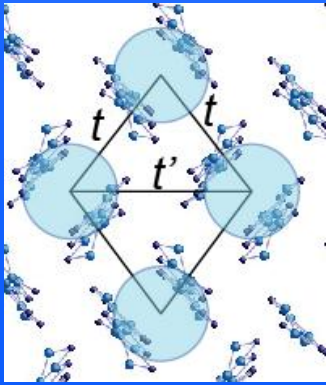
## Ideal triangular lattice

$U/t \sim 7$  Not strong  
Mott insulator

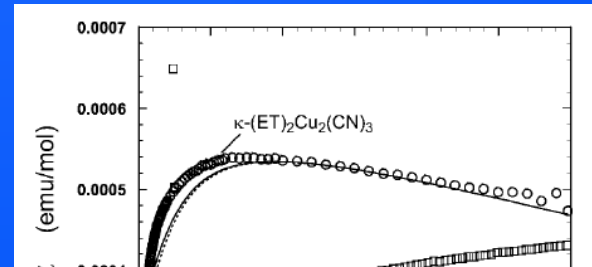
$t'/t \sim 1.06$  Extended Hückel  
 $\sim 0.8$  *ab initio*

Kandpal et al. (2009)  
Nakamura et al. (2010)

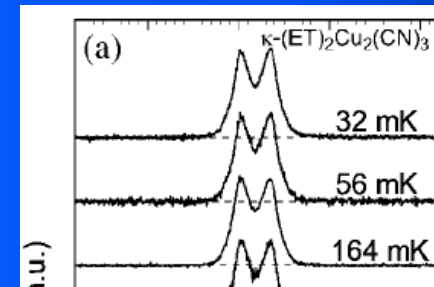
# $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>



Triangular-type temperature dependence in  $\chi$   
 $J \sim 250$  K

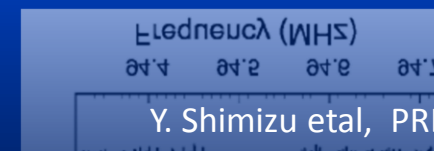
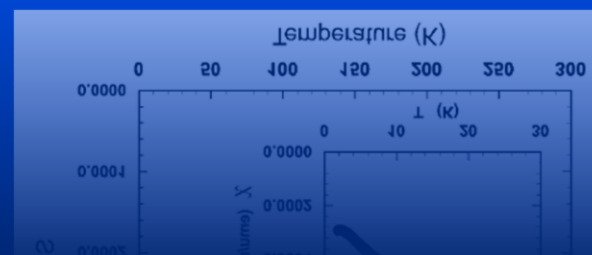
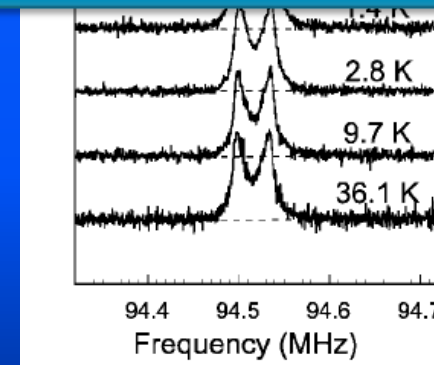
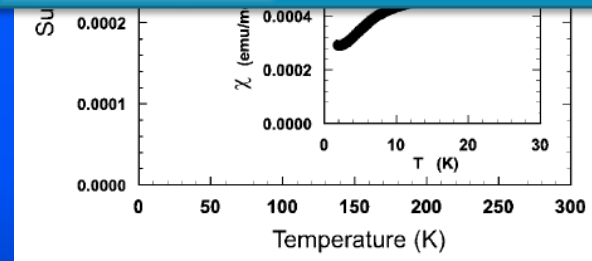


No sign of internal magnetic field down to **32 mK**!!



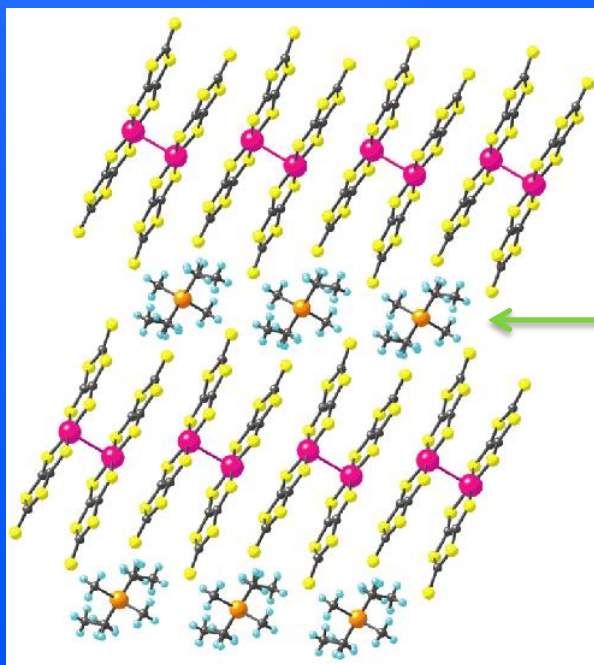
No long-range magnetic order  
Spin liquid

$$T/J = 1/7800$$

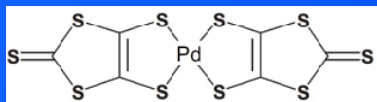


# $\beta'$ -(Cation)[Pd(dmit)<sub>2</sub>]<sub>2</sub>

SIDE VIEW

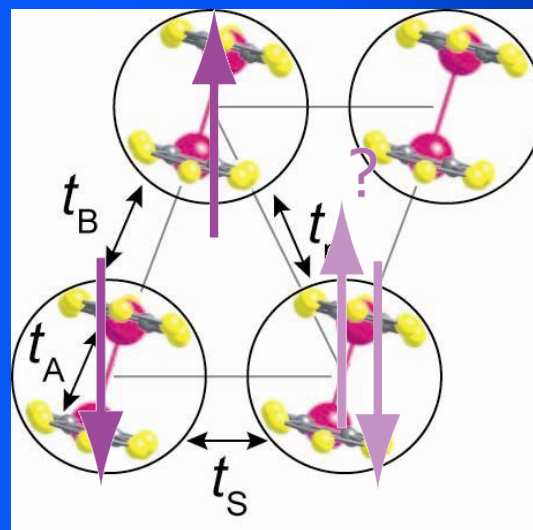


2D layer of  
Pd(dmit)<sub>2</sub> molecule



Cation layer  
Non-magnetic  
X = EtMe<sub>3</sub>Sb,  
Et<sub>2</sub>Me<sub>2</sub>Sb,  
etc.

TOP VIEW



$t_A \sim 0.5 \text{ eV} \gg t_B, t_S, t_r \sim 30 \text{ mV}$   
Dimerization  $\rightarrow$  Half-filled Mott insulator

2D spin system

Insulator with  $S = 1/2$   
Triangular lattice

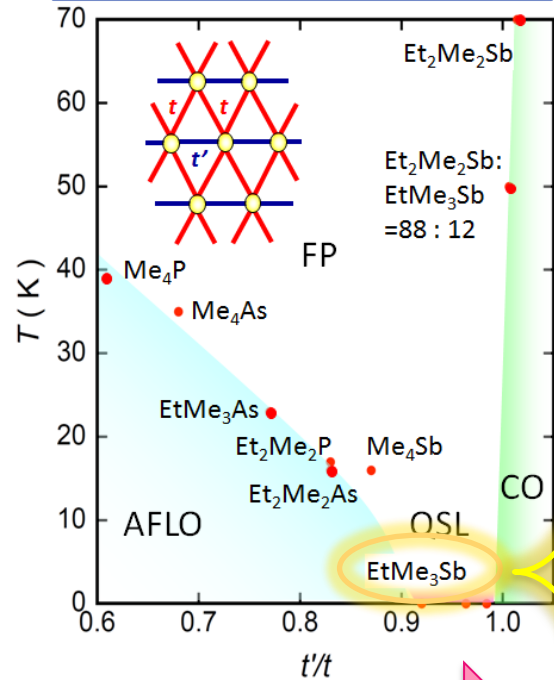


- ✓ Very clean single crystal available
- ✓ "Weak" Mott insulator (small  $U/t$ )
- ✓ Variety of material syntheses available

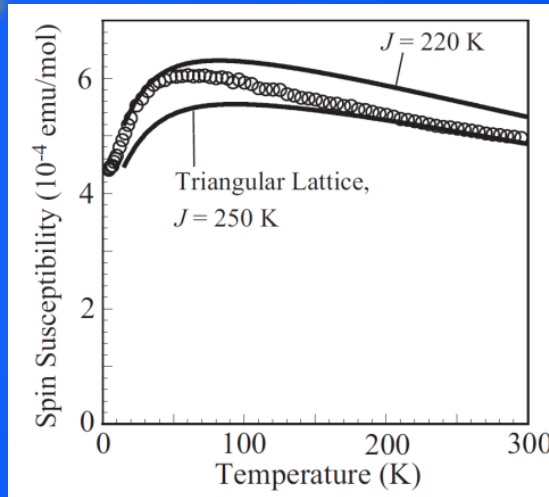
# QSL in $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$

K. Kanoda and R. Kato  
Annu. Rev. Condens. Matter Phys. (2011)

$\beta'$ -(Cation)[Pd(dmit)<sub>2</sub>]<sub>2</sub>



Frustration



①  $\chi(T)$ : 2D triangular

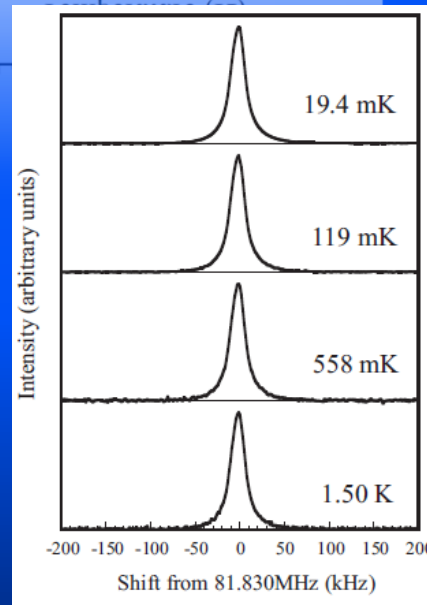
$J = 220 \sim 250$  K

$\sim J/10,000$  at 20 mK

Itou et al., PRB 77, 104413 (2008)

② No LRO down to  $\sim J/10,000$

Quantum spin liquid!!



Itou et al., J. Phys. Conf. Ser. 145, 012039 (2009)

# QSL in $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$

## Mermin-Wagner PRL (1966)

ABSENCE OF FERROMAGNETISM OR ANTIFERROMAGNETISM  
IN ONE- OR TWO-DIMENSIONAL ISOTROPIC HEISENBERG MODELS\*

N. D. Mermin<sup>†</sup> and H. Wagner<sup>‡</sup>

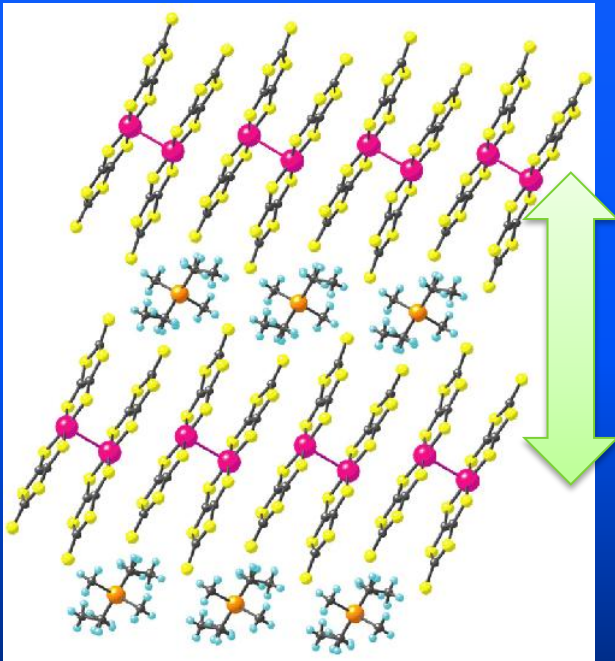
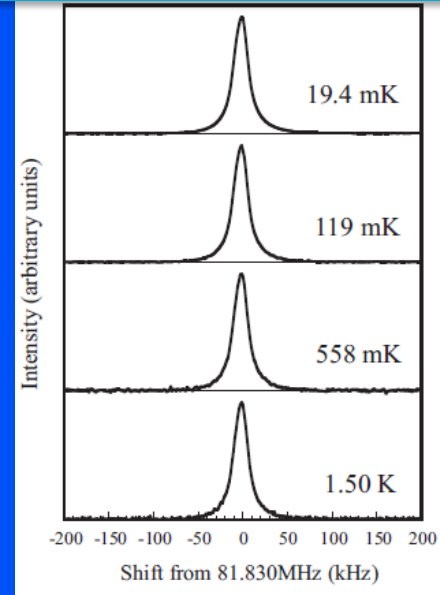
Laboratory of Atomic and Solid State Physics, Cornell University, Ithaca, New York  
(Received 17 October 1966)

It is rigorously proved that at any nonzero temperature, a one- or two-dimensional isotropic spin- $S$  Heisenberg model with finite-range exchange interaction can be neither ferromagnetic nor antiferromagnetic. The method of proof is capable of excluding a variety of types of ordering in one and two dimensions.

No LRO at finite  $T$  in *ideal* 2D system.

No LRO down to  
 $J/10,000$

Itou et al., J. Phys. Conf.  
Ser. **145**, 012039 (2009)



Finite inter-layer coupling

$$t_{\text{inter layer}} \sim t/100$$

$$T_N/T \sim \sqrt{J'/J} \sim 1/100$$

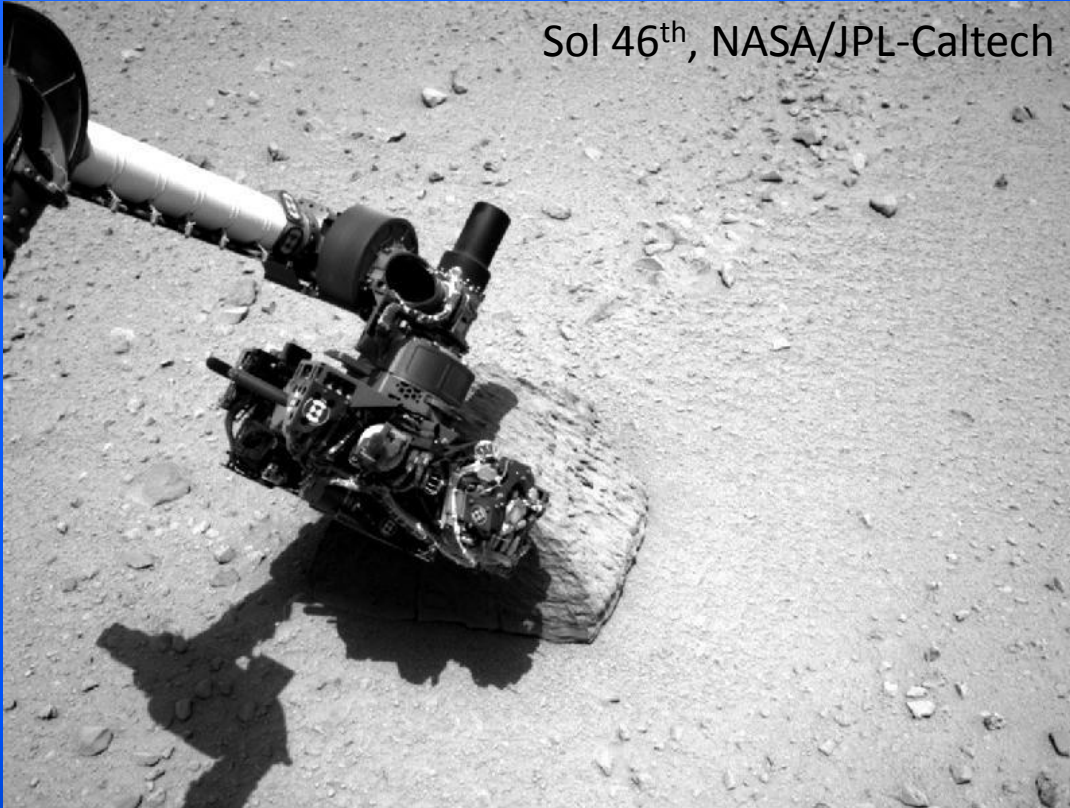
Spins choose quantum spin liquid state  
as a stable ground state

(c.f. LRO in 1D chain material (e.g.  $\text{Sr}_2\text{CuO}_4$ )  
due to inter-chain coupling)

# You got new material. Now what?

New material on Mars?

Sol 46<sup>th</sup>, NASA/JPL-Caltech



## Metal?

- Good metal?
- Non-Fermi liquid?
- New superconductor?

$$\Delta = 0$$

Conductive spin liquid

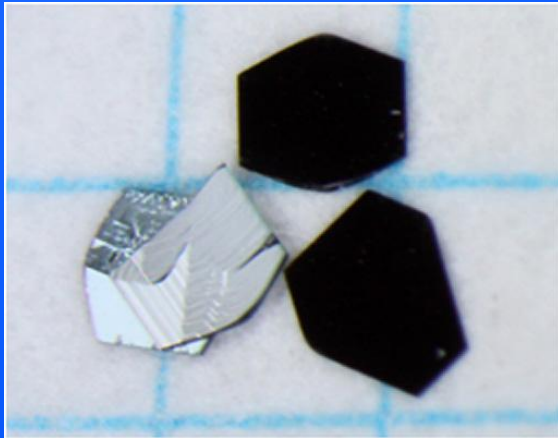
## Insulator?

- Band insulator?
- Mott insulator?
- Topological insulator?

$$\Delta > 0$$

Non-conductive spin liquid

# You got new material. Now what?



## Metal?

- Good metal?
- Non-Fermi liquid?
- New superconductor?

$$\Delta = 0$$

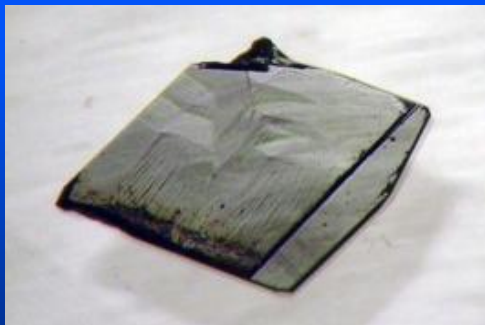
Conductive spin liquid  
 $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$

## Insulator?

- Band insulator?
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- Topological insulator?

$$\Delta > 0$$

Non-conductive spin liquid  
 $\kappa\text{-(BEDT-TTF)}_2\text{Cu}_2(\text{CN})_3$



# Gapless or gapped QSL

## Gapless or Gapped?



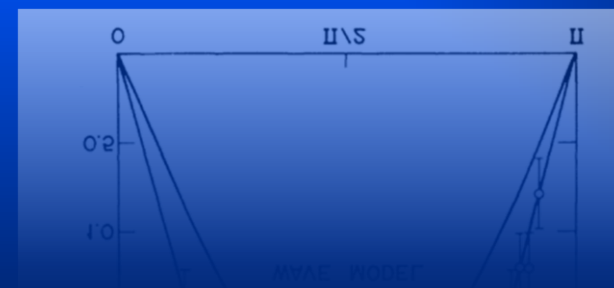
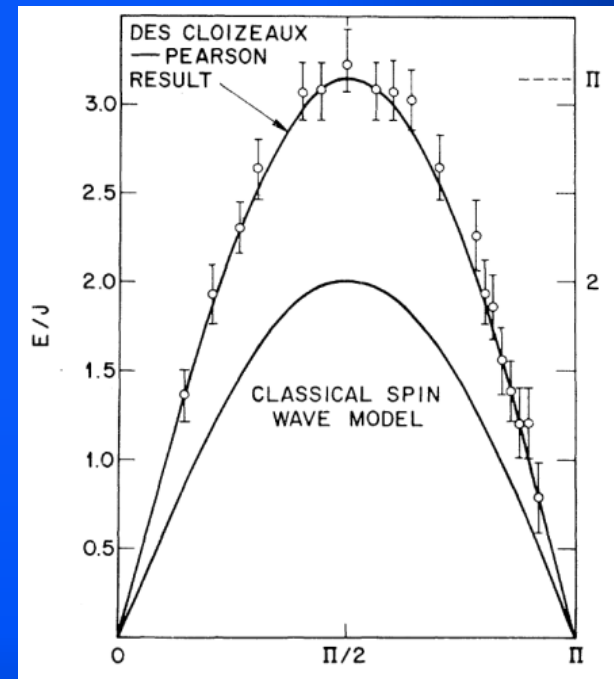
Neutron scattering:  
Not available for organic compound



## Thermodynamic measurements

Heat capacity, magnetization, etc.

Endoh, et al., (1974)





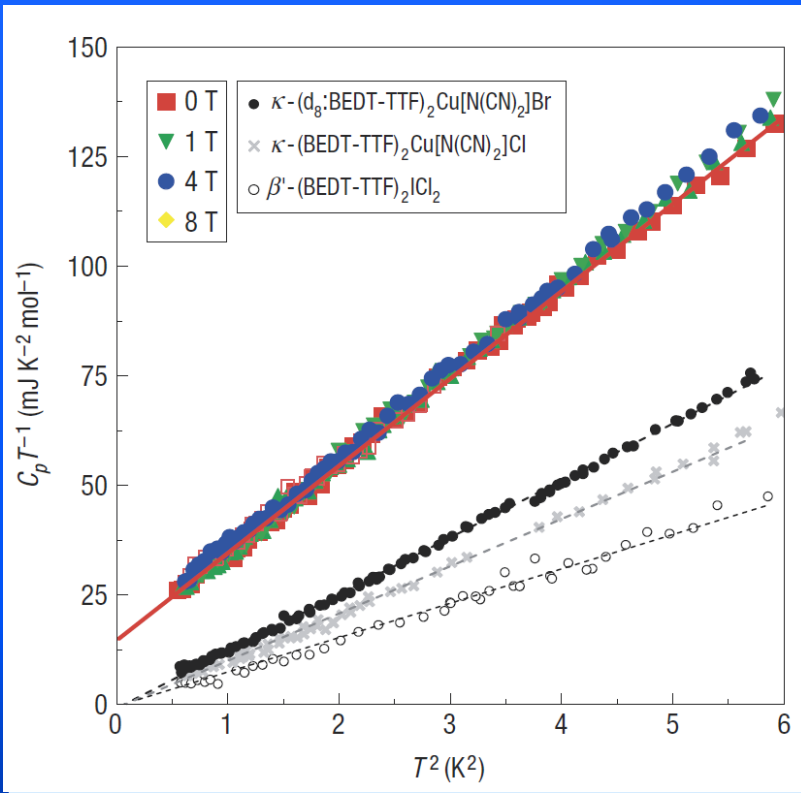
# C measurement of $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>

S. Yamashita et al., Nature Physics (2008)

LETTERS

Thermodynamic properties of a spin-1/2  
spin-liquid state in a  $\kappa$ -type organic salt

SATOSHI YAMASHITA<sup>1</sup>, YASUHIRO NAKAZAWA<sup>1,2\*</sup>, MASA HARU OGUNI<sup>3</sup>, YUGO OSHIMA<sup>2,4</sup>,  
HIROYUKI NOJIRI<sup>2,4</sup>, YASUHIRO SHIMIZU<sup>5</sup>, KAZUYA MIYAGAWA<sup>2,6</sup> AND KAZUSHI KANODA<sup>2,6</sup>

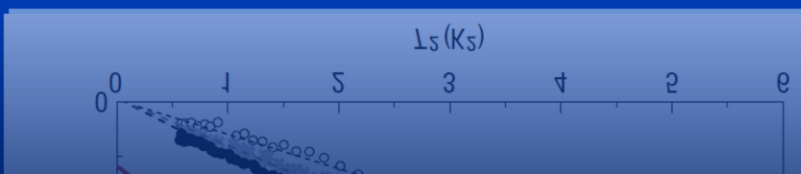


Finite residual in the zero-temperature limit of  $C/T$

$$C/T = \gamma + \beta T^2$$

$$\gamma = 15 \frac{\text{mJ}}{\text{K}^2 \text{mol}}$$

Evidence for gapless excitation



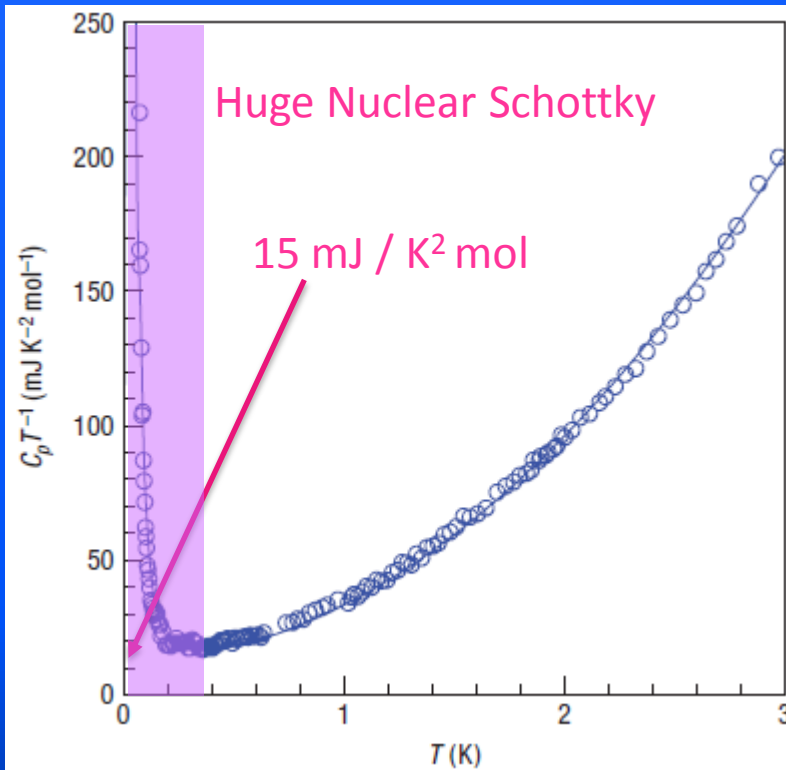
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LETTERS

Thermodynamic properties of a spin-1/2 spin-liquid state in a  $\kappa$ -type organic salt

SATOSHI YAMASHITA<sup>1</sup>, YASUHIRO NAKAZAWA<sup>1,2\*</sup>, MASAHARU OGUNI<sup>3</sup>, YUGO OSHIMA<sup>2,4</sup>, HIROYUKI NOJIRI<sup>2,4</sup>, YASUHIRO SHIMIZU<sup>5</sup>, KAZUYA MIYAGAWA<sup>2,6</sup> AND KAZUSHI KANODA<sup>2,6</sup>



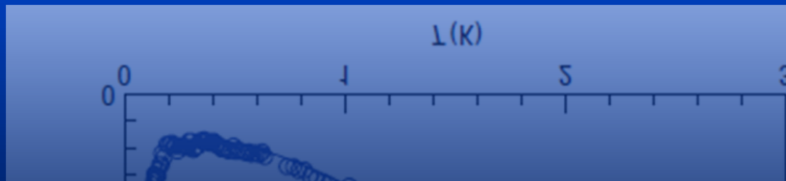
Finite residual in the zero-temperature limit of  $C/T$

$$C/T = \gamma + \beta T^2$$
$$\gamma = 15 \frac{\text{mJ}}{\text{K}^2 \text{mol}}$$

Evidence for gapless excitation

Huge nuclear Schottky below  $\sim 300$  mK

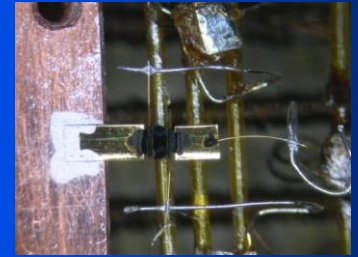
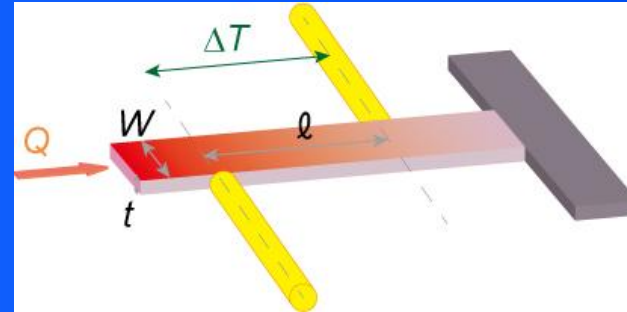
→ **Measurements reliable in lower temperature ( $T < 300$  mK) required.**



# Thermal-transport & Magnetic torque

## □ Thermal conductivity

$$\frac{1}{wt}Q = \kappa \frac{\Delta T}{\ell}$$



$\kappa_{xx}$  Measurement

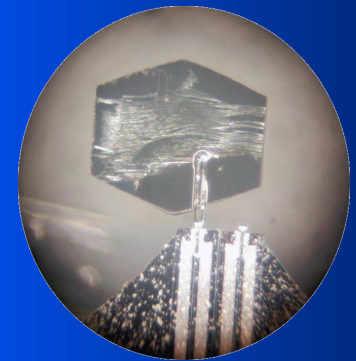
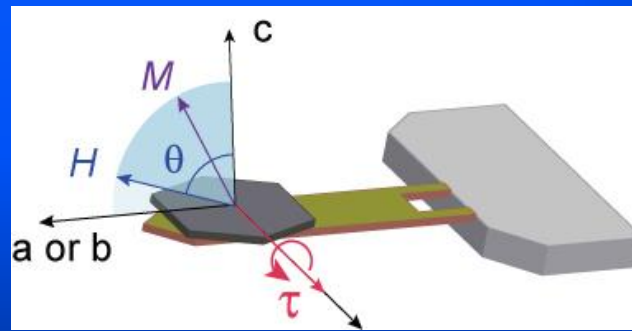
Selectively sensitive to itinerant excitations.

Not affected by localized impurity (Schottky anomaly).

## □ Magnetic torque measurement

$$\tau = \frac{1}{2}\mu_0 H^2 V \Delta\chi \sin 2\theta$$

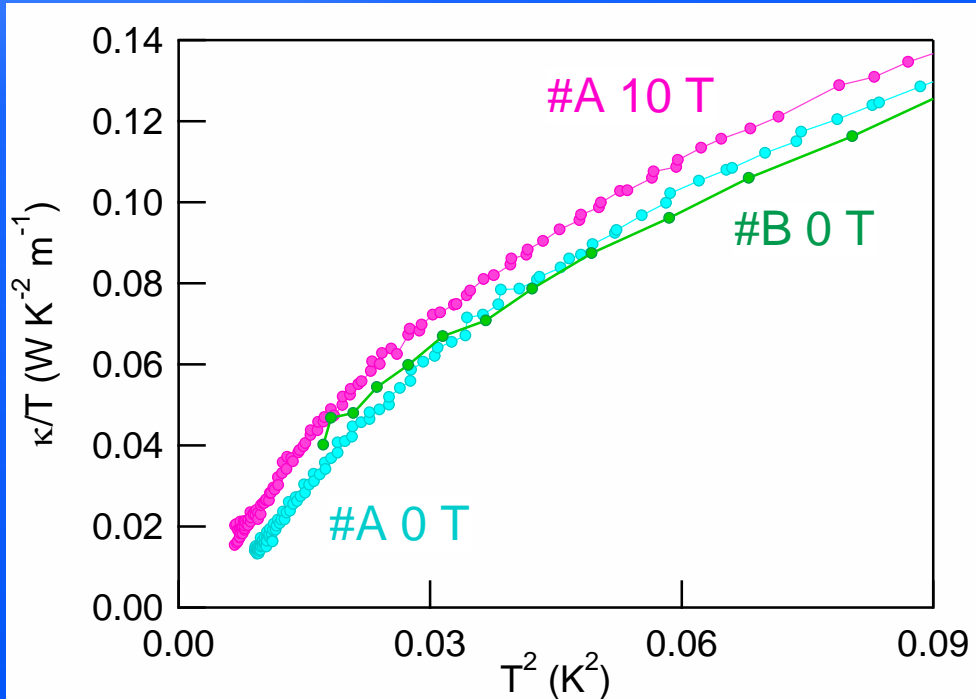
- Only anisotropic susceptibility detected.
- Isotropic impurity (free spins) cancelled.
- High sensitivity. ONE single crystal measurement available.



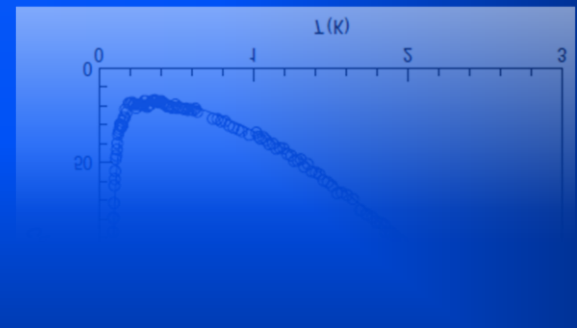
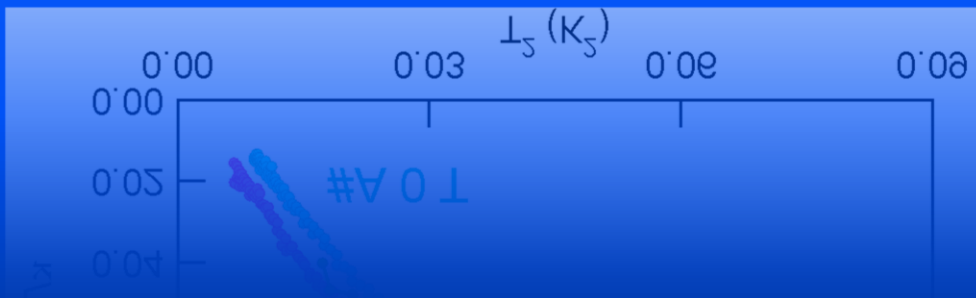
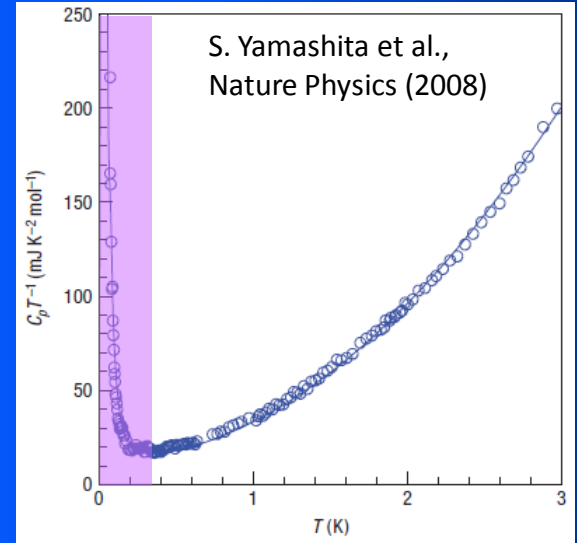
Thermal conductivity of  $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>

# $\kappa$ of $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub> below 300 mK

M. Y., Nature Physics (2009)



- No Schottky anomaly



# $\kappa$ of $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub> below 300 mK

M. Y., Nature Physics (2009)



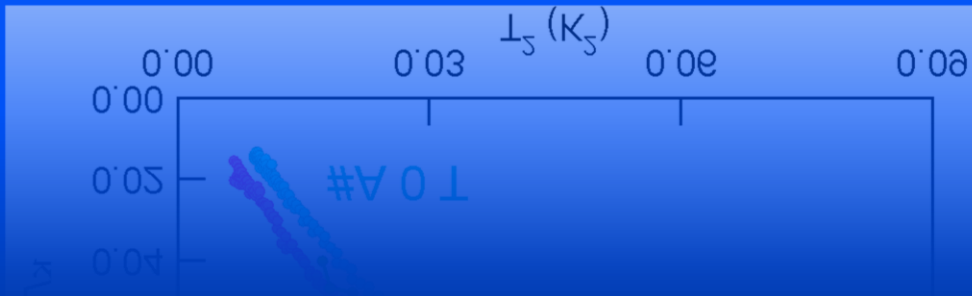
- No Schottky anomaly
- Convex, non- $T^3$  dependence in  $\kappa$
- Magnetic fields enhance  $\kappa$

$$\kappa = \kappa_{phonon} + \kappa_{spin}$$

$$(\kappa_{phonon} \propto T^3 \text{ in low } T)$$

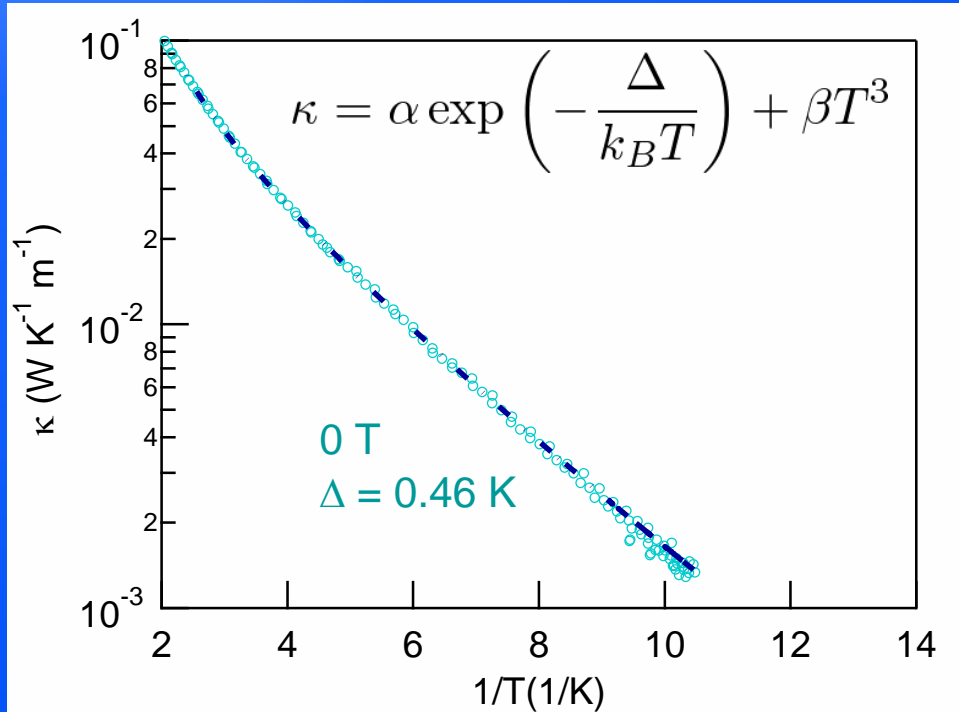
$$\underline{\gamma = 0}$$

No conductive spin excitation.



# $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>: Arrhenius plot

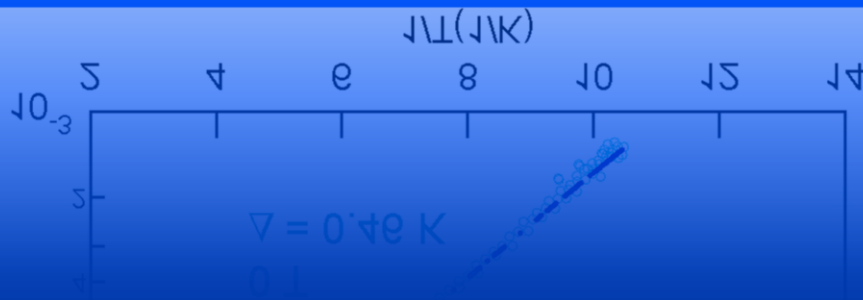
M. Y., Nature Physics (2009)



• Arrhenius behavior for  $T < \Delta$  !

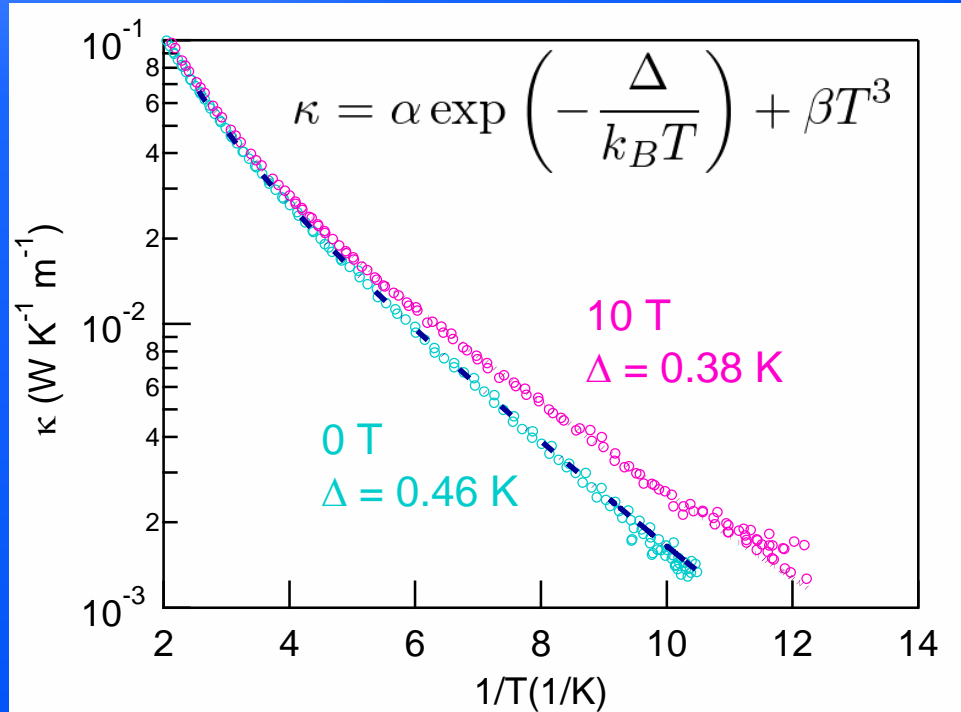
• Tiny gap

➤  $\Delta = 0.46 \text{ K} \sim J/500$



# $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>: Arrhenius plot

M. Y., Nature Physics (2009)



• Arrhenius behavior for  $T < \Delta$  !

• Tiny gap

➤  $\Delta = 0.46$  K  $\sim J/500$

• Insensitive to magnetic field

0T 0.46 K  $\rightarrow$  10T 0.38 K



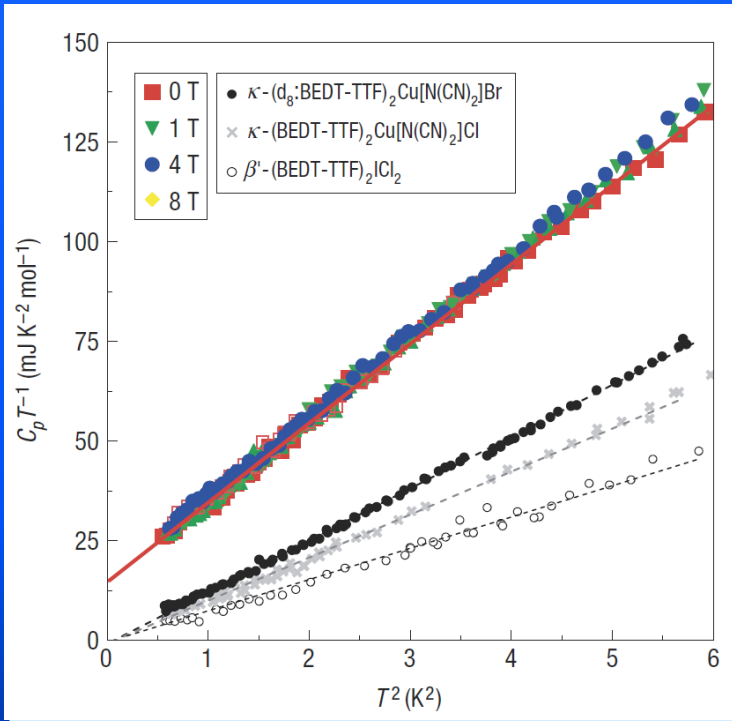
# Discrepancy $C$ & $\kappa$ in $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>

## Yamashita-Yamashita Conflict

Small  $\Delta \sim 0.46$  K, resolved only in low temperature.  
Bad contact in thermal conductivity?

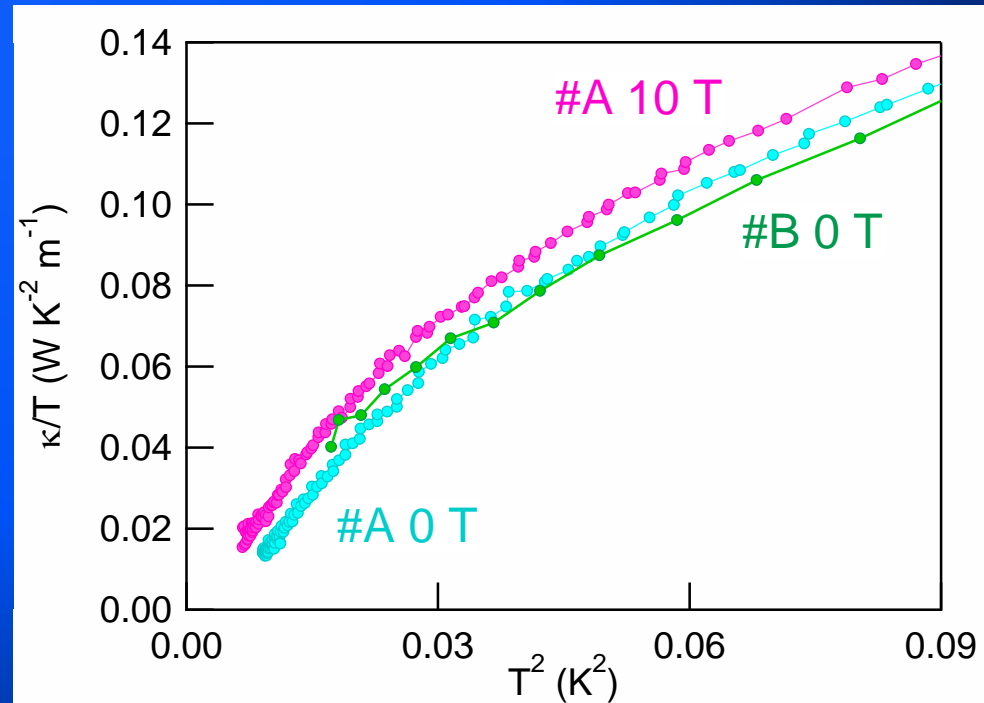
### Heat capacity $\Delta = 0$

S. Yamashita et al., Nature Physics (2008)



### Thermal conductivity $\Delta > 0$

M. Yamashita et al., Nature Physics (2009)



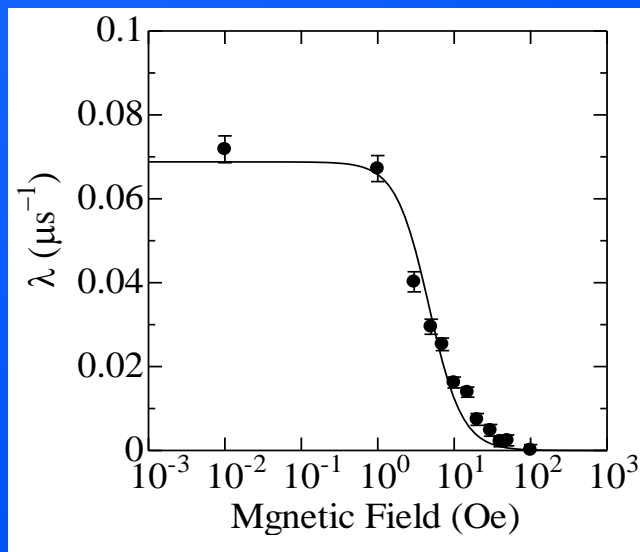
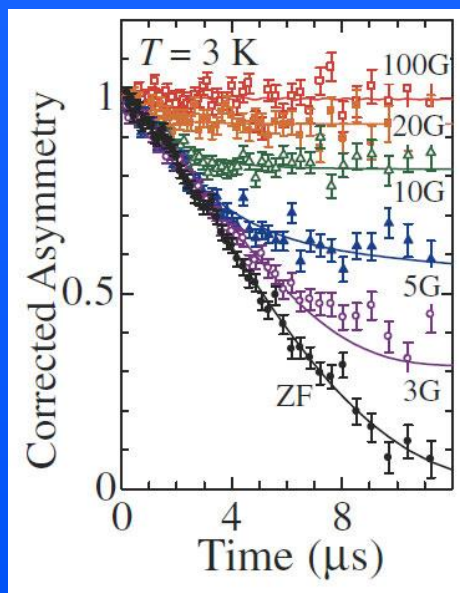
# Discrepancy $C$ & $\kappa$ in $\kappa$ -(BET-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>

$\mu$ SR measurements

Nakajima et al., JPSJ-81-063706 (2012)

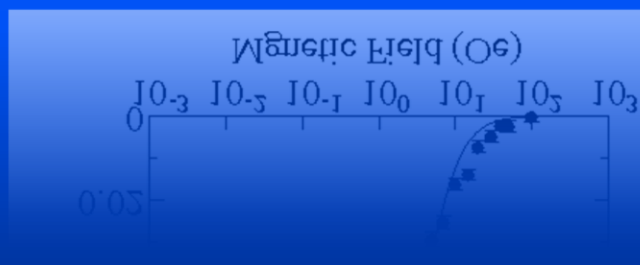
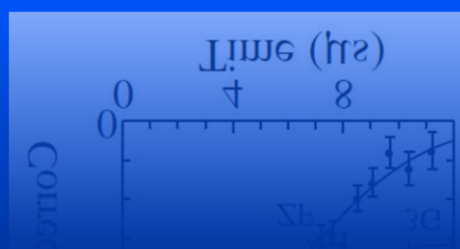
Two components

High temperature  $T = 3$  K



Single component fitting

$$G_{KT}(\Delta, t; H_{LF})e^{-\lambda t}$$

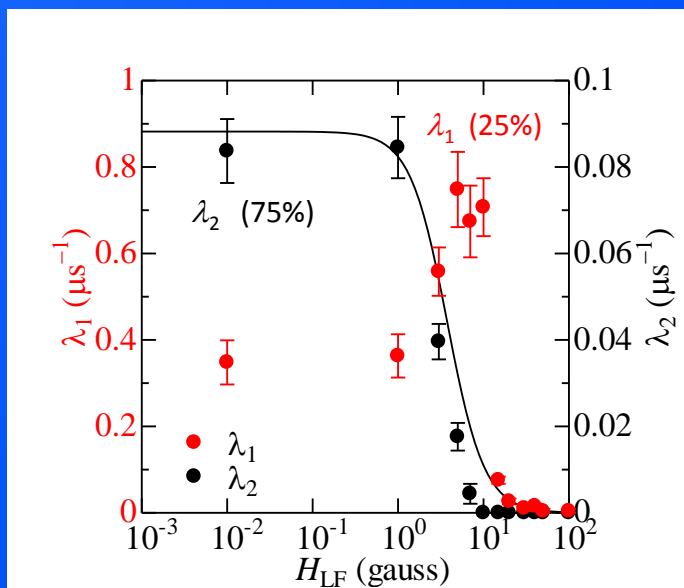
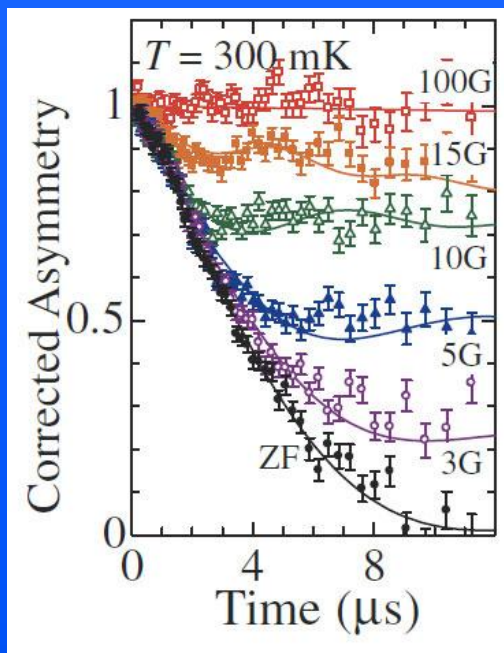


# Discrepancy $C$ & $\kappa$ in $\kappa$ -(BET-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>

$\mu$ SR measurements  
Two components

Nakajima et al., JPSJ-81-063706 (2012)

Low temperature  $T = 0.3$  K

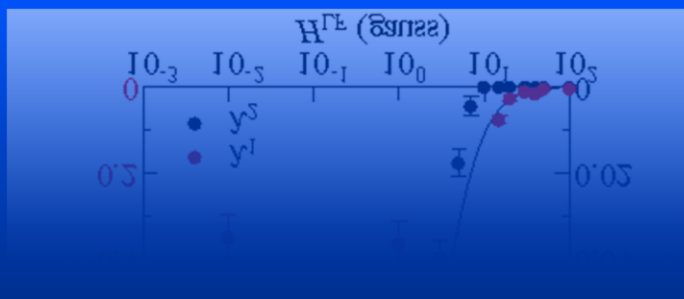
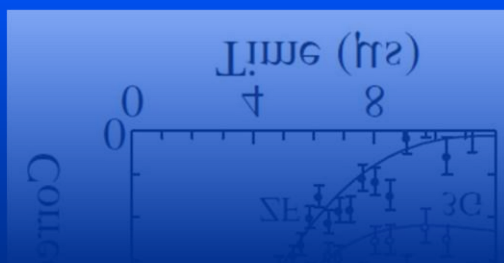


Two component fitting

$$G_{KT}(t)(A_1 e^{-\lambda_1 t} + A_2 e^{-\lambda_2 t})$$

$\lambda_1$ : singlet components  
appears in low T.

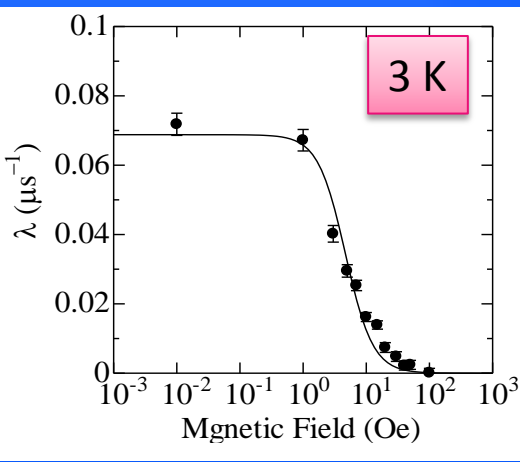
$\lambda_2$ : paramagnetic  
component existing from  
high T.



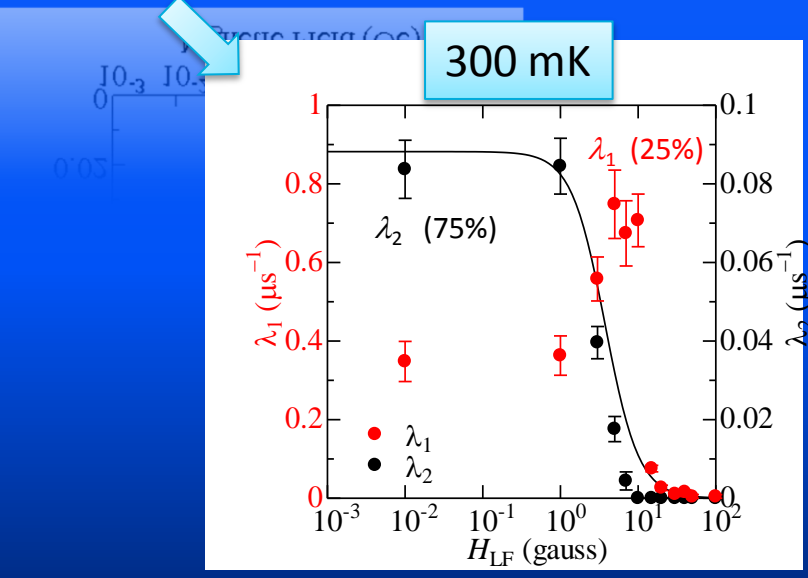
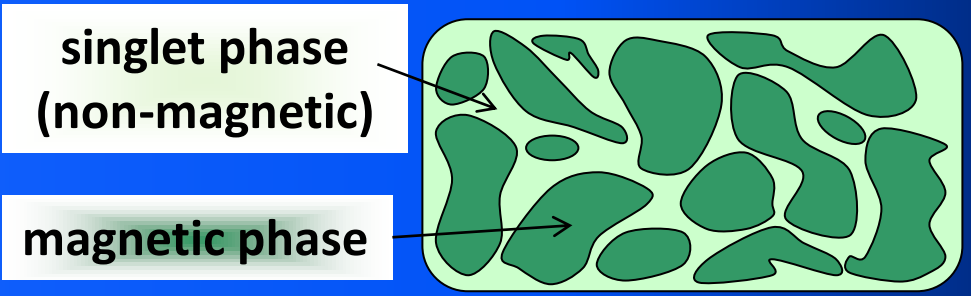
# Discrepancy $C$ & $\kappa$ in $\kappa$ -(BET-TTF) $_2$ Cu $_2$ (CN) $_3$

## Two components in $\mu$ SR

Nakajima et al., JPSJ-81-063706 (2012)



T. Goto (private communication)



### Different field dependence in SC

Gapless excitation  
Localized in vortices

Gapped  
(s-wave SC)

$\gamma_N$

$H_{c2}$   $H$

- Heat capacity probes all excitations.
- Thermal conductivity sees itinerant ones only

# 6 K anomaly

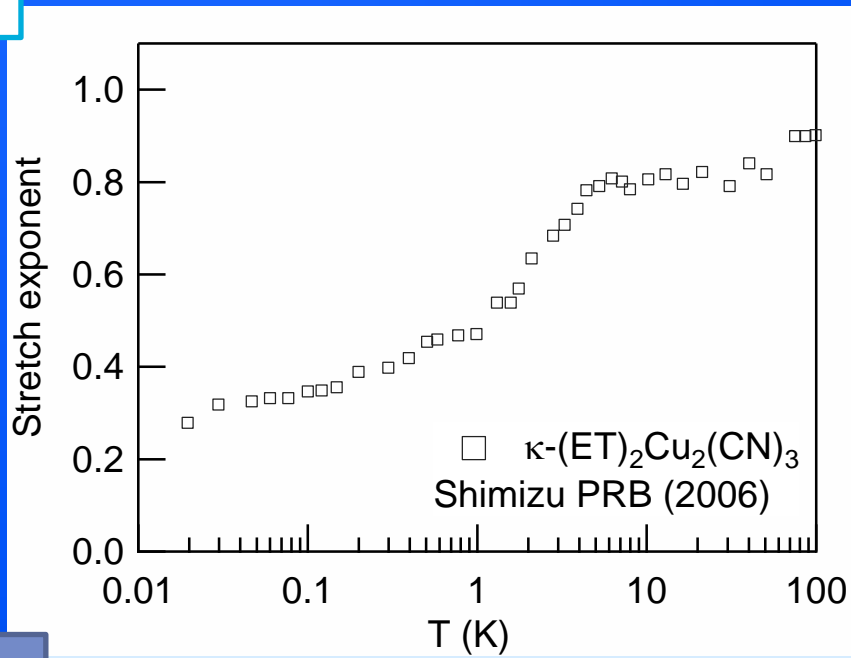
Stretch exponent in NMR relaxation

$$\frac{M(\infty) - M(t)}{M(\infty)} = \exp \left[ - (t/T_1)^\beta \right]$$

Homogeneous



Inhomogeneous

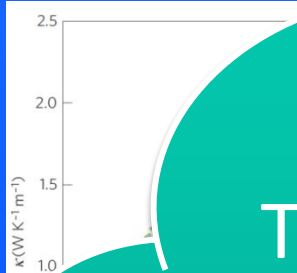


Stretched exponent  $\beta$   
 $\beta = 1$  : homogeneous  
 $\beta < 1$  : inhomogeneous

# 6 K anomaly

Thermal conductivity

M. Y., Nature Physics (2009)

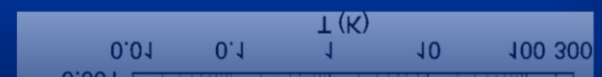
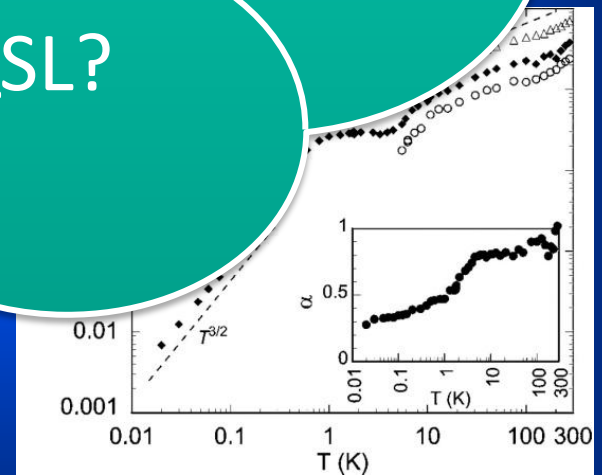


Heat capacity

Shiba, Nature (1998)

The “6 K anomaly” is likely a key to understand the discrepancy.

How about homogeneous QSL?



# $\kappa$ -(BEDT-TTF)Cu<sub>2</sub>(CN)<sub>3</sub> and EtMe<sub>3</sub>Sb[Pd(dmit)<sub>2</sub>]<sub>2</sub>

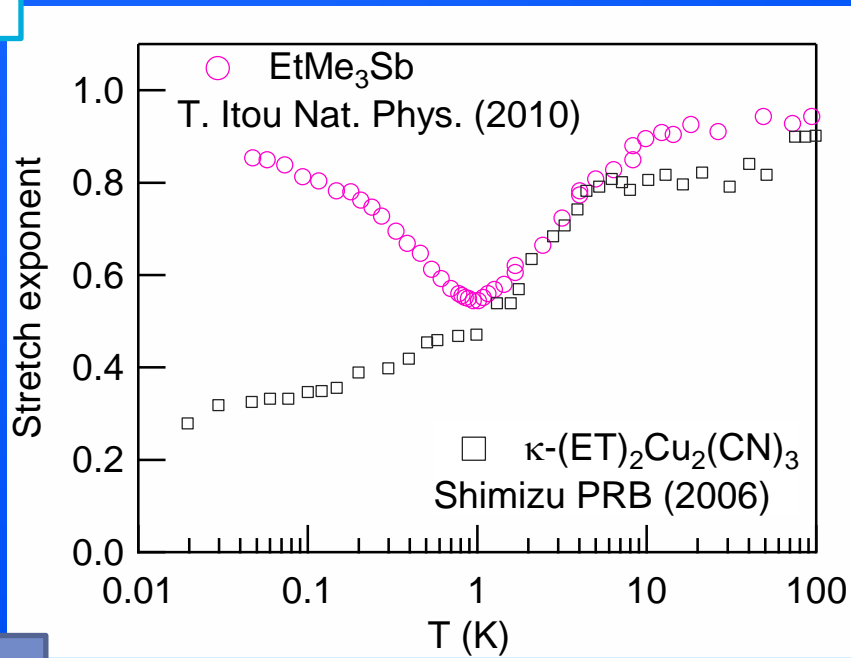
Stretch exponent in NMR relaxation

$$\frac{M(\infty) - M(t)}{M(\infty)} = \exp \left[ - (t/T_1)^\beta \right]$$

Homogeneous



Inhomogeneous



Stretched exponent  $\beta$   
 $\beta = 1$  : homogeneous  
 $\beta < 1$  : inhomogeneous

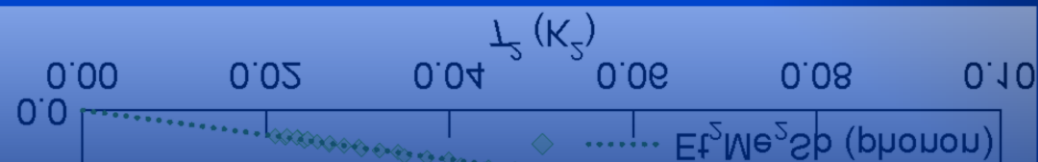
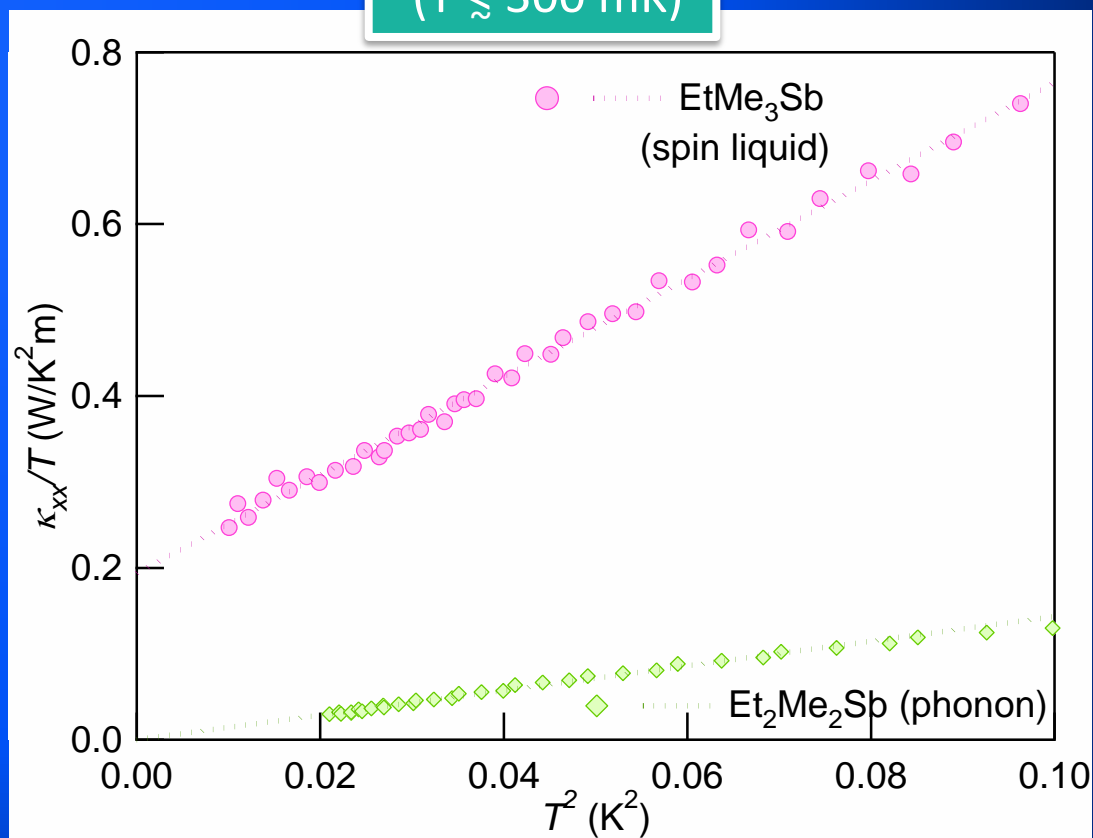
Homogeneity of spin liquid  
 makes difference?

Thermal conductivity of  $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$

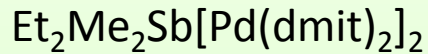


# Thermal conductivity of $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$

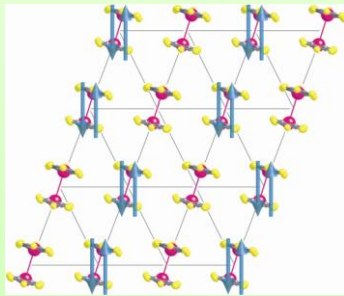
$\kappa/T$  vs  $T^2$  plot  
( $T \lesssim 300$  mK)



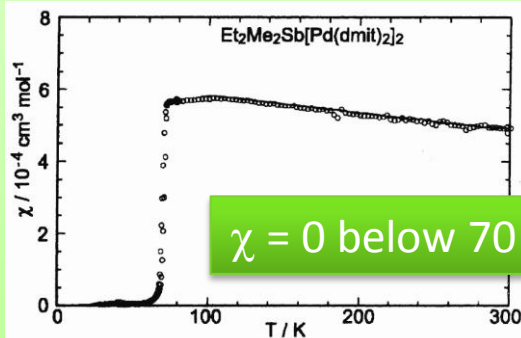
# Thermal conductivity of $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$



- Similar lattice structure (C2/c)
- Charge order
- Spin singlet



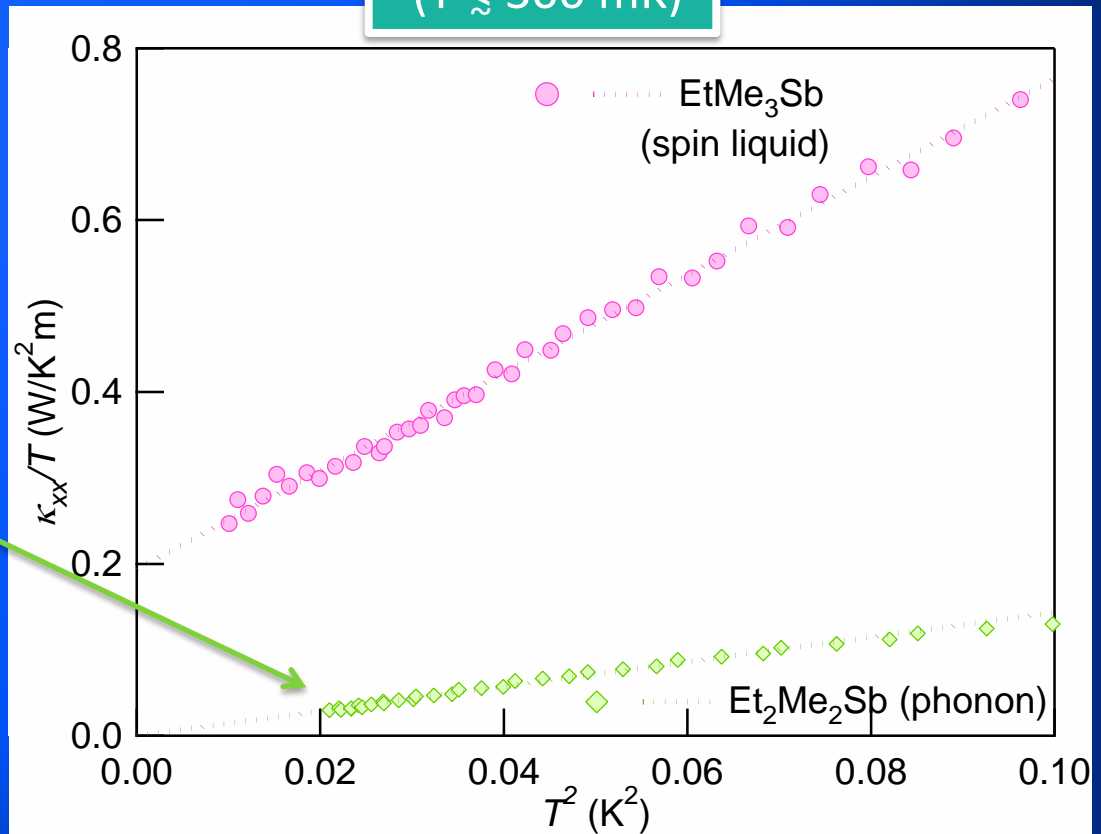
$\kappa = \kappa_{\text{phonon}}$



$\chi = 0$  below 70 K

Tamura (2005) Synth Met 152, 397

$\kappa/T$  vs  $T^2$  plot  
( $T \lesssim 300$  mK)



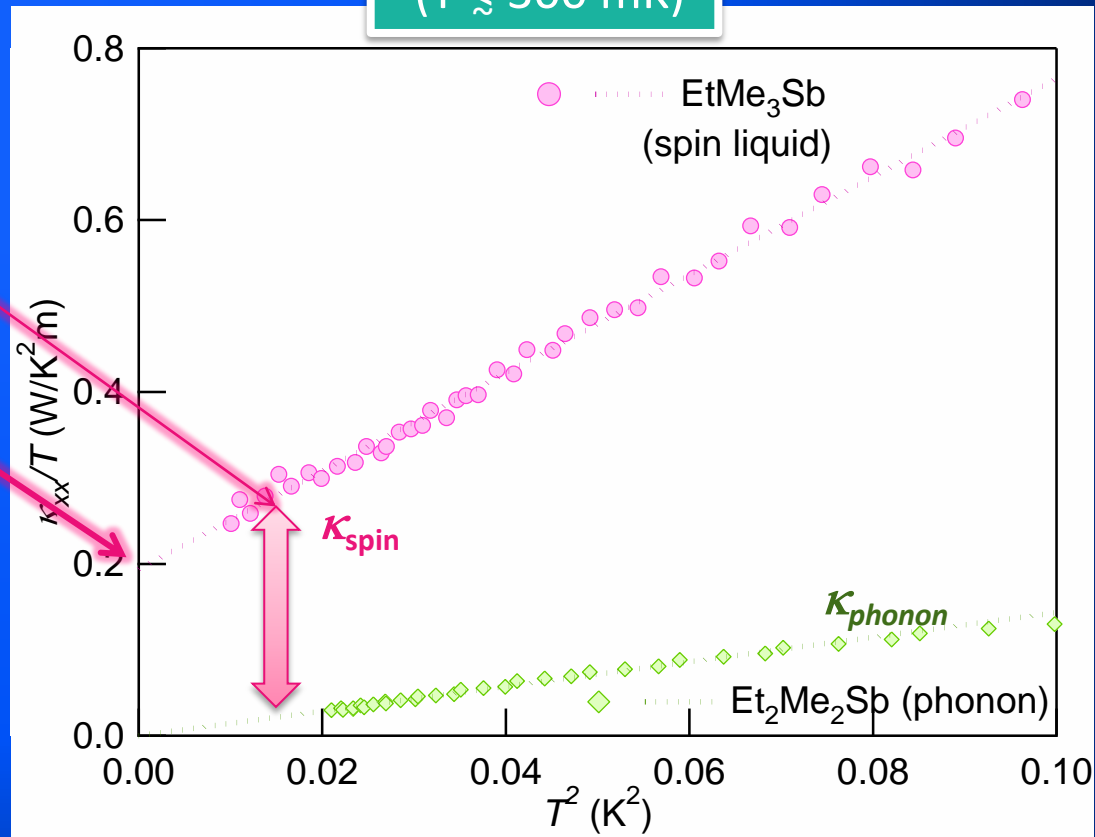
$\chi_s$  ( $\text{K}_s$ )



M. Y., Science (2010)

# Thermal conductivity of $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$

$\kappa/T$  vs  $T^2$  plot  
( $T \lesssim 300$  mK)



□ Enhancement of  $\kappa$  in spin liquid state

$$\kappa = \kappa_{spin} + \kappa_{phonon}$$

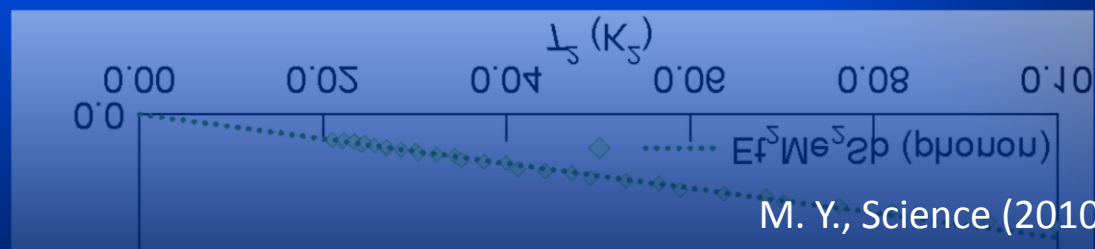
□ Clear residual of  $\kappa/T$ !

$$\frac{\kappa_{spin}}{T} \longrightarrow 0.19 \text{ W/K}^2\text{m}$$

Normally property of metals.  
(comparable to  $\kappa$  of Brass  
WF raw  $\rightarrow \rho_0 = 13 \mu\Omega\cdot\text{cm}$ )  
But, this is INSULATOR!!

## Conductive spin liquid.

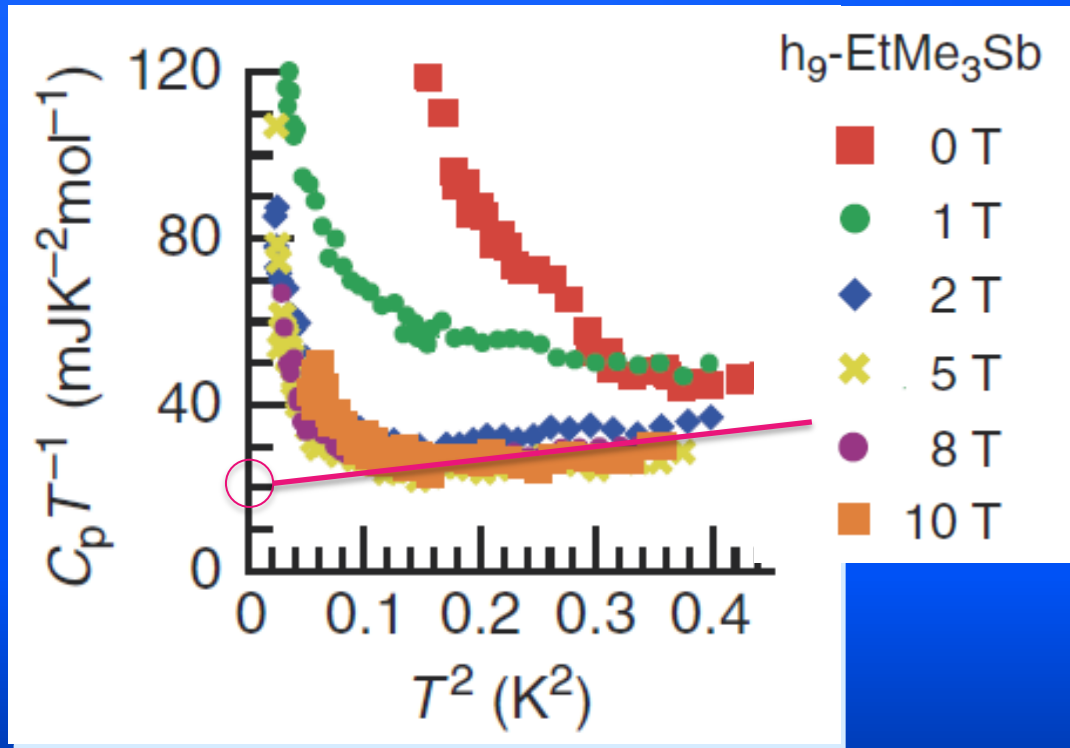
Gapless spin excitation  
behaving like electrons in  
normal metals.



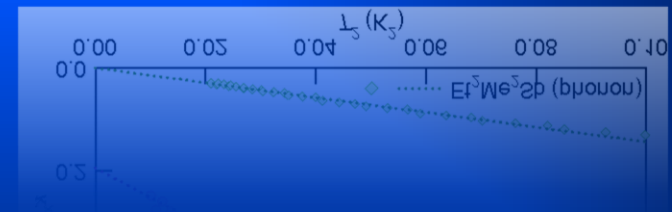
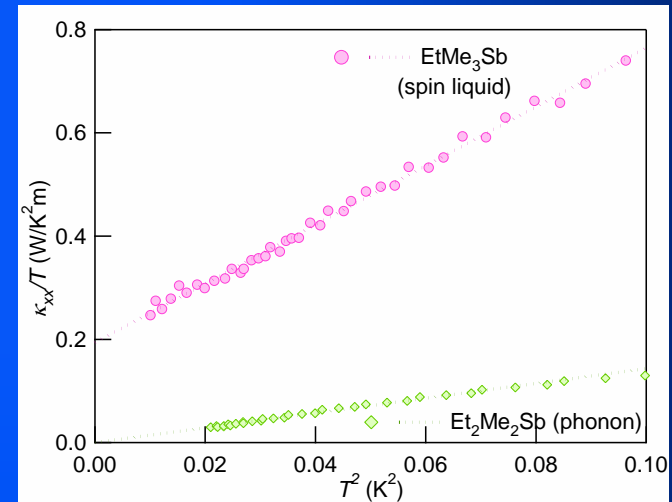
# Heat Capacity Measurement

Presence of  $\gamma$ -term also confirmed by heat capacity measurements.

$$\frac{C_0}{T} \sim 20 \frac{\text{mJ}}{\text{K} \cdot \text{mol}}$$



M.Y. et al., Science (2010)



S. Yamashita et al.

Nat. Commun. (2011)

$L_5$  (K<sub>5</sub>)

1.0 0.5 0.3 0.1

# Thermal conductivity of $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$

$$\frac{\kappa_0}{T} = 0.19 \text{ W/K}^2\text{m}$$

Estimation of mean free path

$$\frac{\kappa_0}{T} \sim \frac{C_0}{T} \cdot v \cdot \ell$$

$$1. \frac{C_0}{T} \sim 20 \frac{\text{mJ}}{\text{K} \cdot \text{mol}}$$

S. Yamashita et al.  
Nat. Commun. (2011)

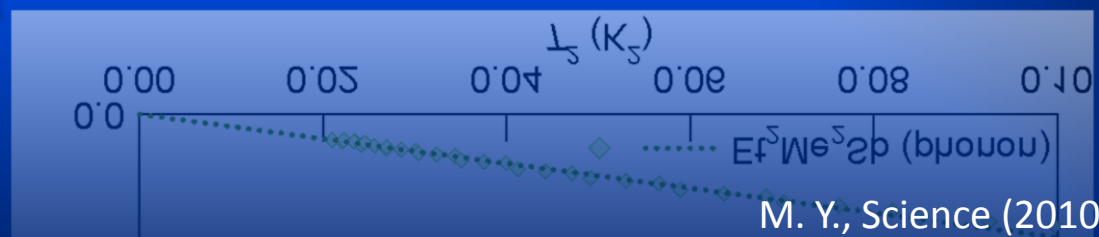
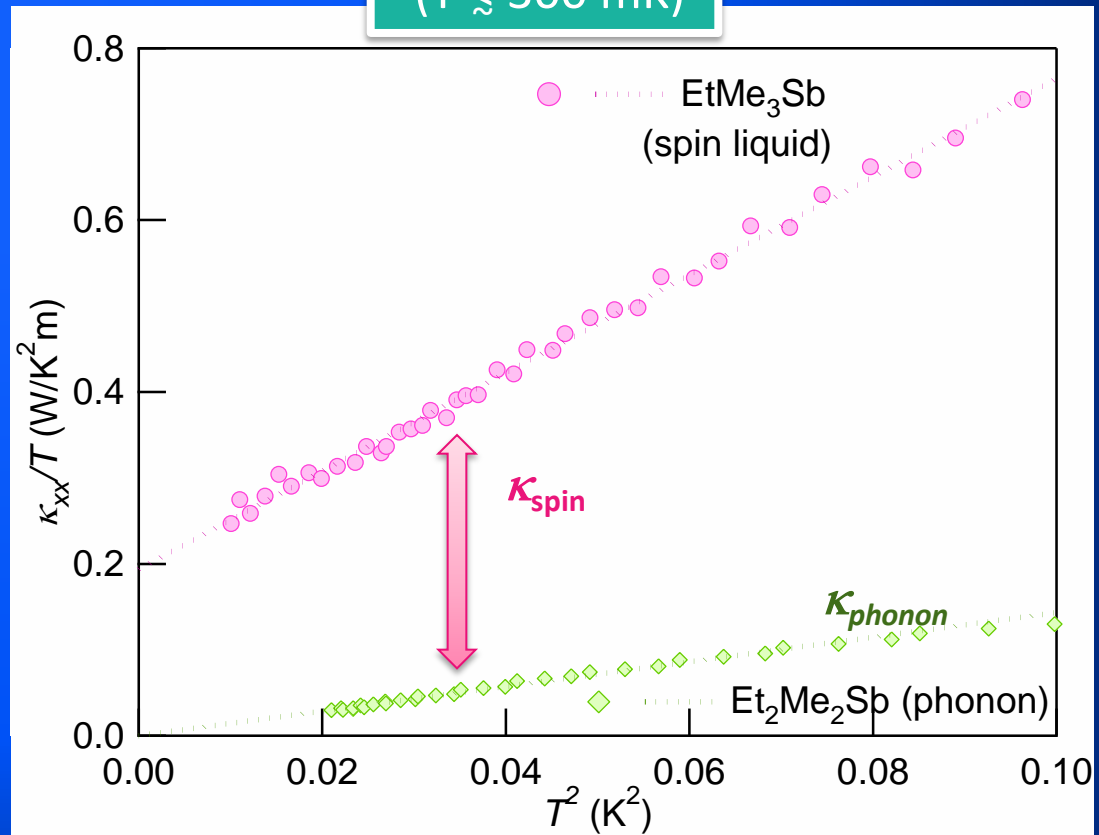
$$2. \varepsilon(k) = \hbar \cdot v \cdot k$$

$$\rightarrow v = Ja/\hbar$$

$$\ell \sim 1 \mu\text{m} \gg a \sim 1 \text{ nm}$$

**Nearly ballistic transport**

$\kappa/T$  vs  $T^2$  plot  
( $T \lesssim 300 \text{ mK}$ )



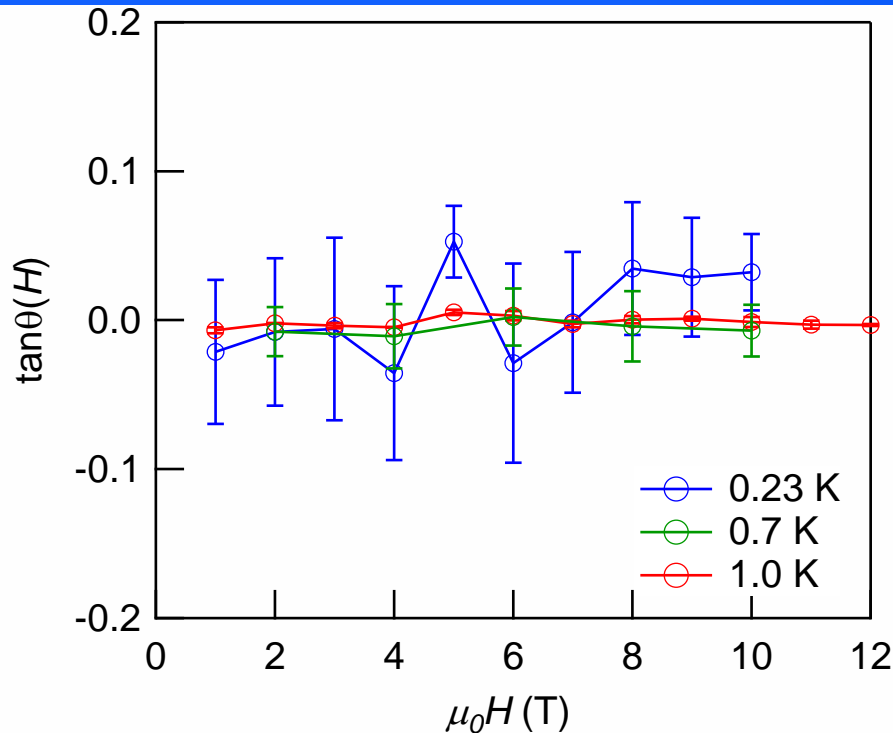
M. Y., Science (2010)

# Thermal-Hall of $\text{EtMe}_3\text{Sb}[\text{Pd}(\text{dmit})_2]_2$

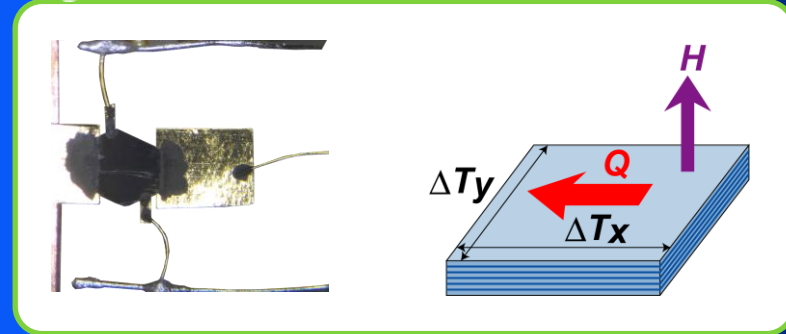
## Thermal-Hall effect in QSL

H. Katsura, N. Nagaosa, P.A. Lee, PRL (2010)

$$\tan \theta = \frac{\kappa_{xy}}{\kappa_{xx}} \sim eB \frac{\tau_{\text{spinon}}}{m_{\text{spinon}}}$$



## $\kappa_{xy}$ measurement



Estimated upper limit

$$\tan \theta(B) < 0.03 \quad (10 \text{ T}, 0.23 \text{ K})$$

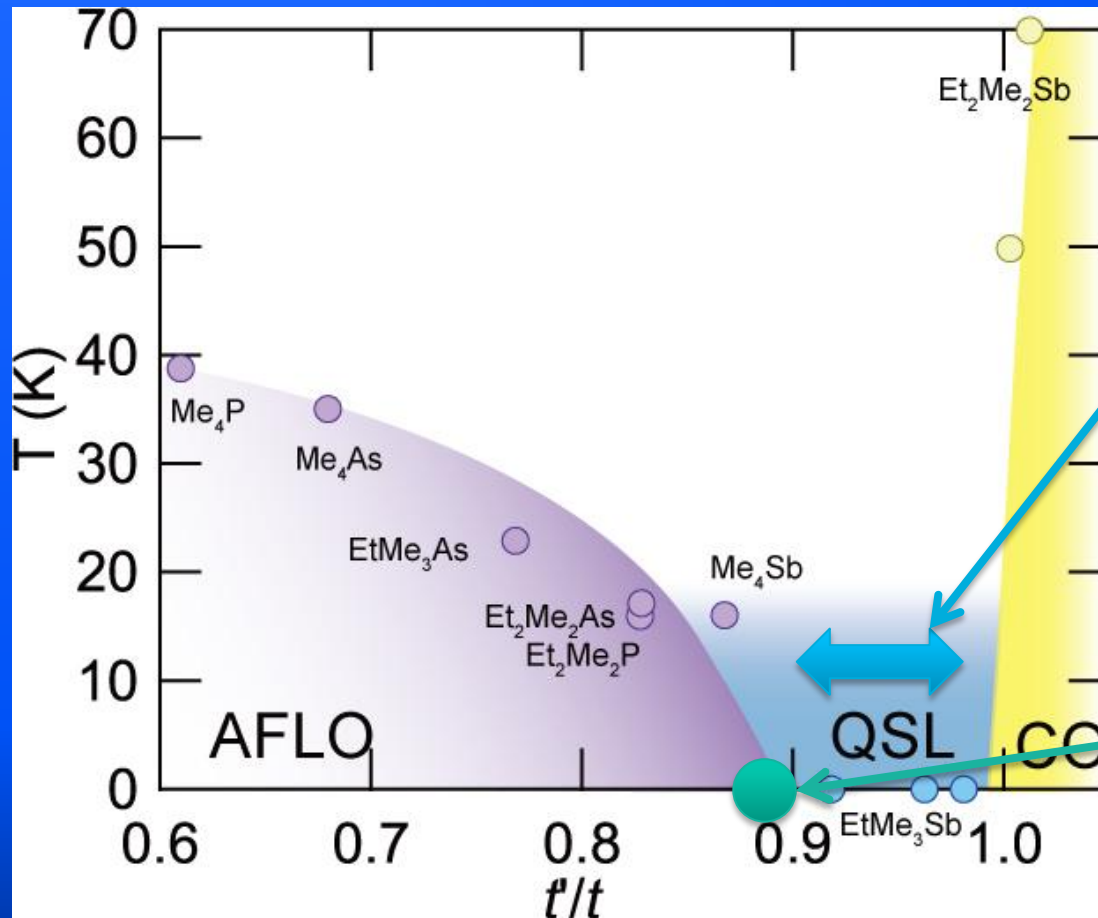
$$\tan \theta(B) < 0.001 \quad (12 \text{ T}, 1.0 \text{ K})$$

**No thermal-Hall confirmed so far.**

# Phase diagram: QSL a stable phase?

Frustration control in  $\beta'$ -(Cation)[Pd(dmit)<sub>2</sub>]<sub>2</sub>

Kanoda&Kato, Annu. Rev. Condens. Matter Phys. 2 167 (2011)



Stable phase?  
Marginal parameter?

Quantum critical behavior?  
Critical exponent?  
Universality class?

# Summary

Presence of $\gamma$	$\kappa/T$	$C/T$
EtMe <sub>3</sub> Sb[Pd(dmit) <sub>2</sub> ] <sub>2</sub>	○	○
$\kappa$ -(BEDT-TTF) <sub>2</sub> Cu <sub>2</sub> (CN) <sub>3</sub>	✕	○

- $\kappa$ -(BEDT-TTF)<sub>2</sub>Cu<sub>2</sub>(CN)<sub>3</sub>  
Non-conductive spin liquid  
 $\Delta = 0.46\text{K}$   
Inhomogeneity triggered by 6K anomaly.  
Two components?
- EtMe<sub>3</sub>Sb[Pd(dmit)<sub>2</sub>]<sub>2</sub>  
Conductive spin liquid  
Long mean free path

## Future experiment

Frustration-tune Quantum criticality.  
Impurity effect. Localization? Kondo effect?  
New material, new QSL?

