

n_{cluster}

$(Y_{\text{SZ}}, M_{\text{lens}}, Y_X, L_X, T_X, L_{\text{cl, opt}}, R_{\text{rich}}, \dots$
 $| z, \text{ gold-sample, thresholds})$
 $+ \mathbf{C}_{\text{L}}^{\text{SZ}}(\text{cuts}) + \xi_{\text{cc}}(r|n_{\text{cl}})$ will deliver
valuable cosmic gas astrophysics for sure.

Will it deliver **fundamental physics**
e.g., the dark energy EOS, primordial
non-Gaussianity?? σ_8 even?

n_{cluster}

($Y_{\text{SZ}}, M_{\text{lens}}, Y_X, L_X, T_X, L_{\text{cl,opt}}, R_{\text{rich}}, \dots$
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+ C_L^{SZ} (cuts) + $\xi_{\text{cc}}(r|n_{\text{cl}})$ will deliver
valuable cosmic gas astrophysics for sure.

Will it deliver fundamental physics
e.g., the dark energy EOS, primordial
non-Gaussianity???

cluster/gp system used since 80s: Xtra power $\xi_{\text{cc}} \xi_{\text{cg}} \Rightarrow \Lambda\text{CDM}$

$P_{\rho\rho}(.25h/\text{Mpc})$ aka σ_8 via n_{cl} *are we really ready for prime time? mock-ing!!*

*October 2004, The Future of Physics, KITP, UC Santa Barbara,
The Phenomenology of Dark Energy and Cosmic Acceleration*

KITP

congrats david

80 81 **84** 88

95 97 00

02 04

SN DM + CMB

+ precision CMB

+ weak lens

incl polarization

SB cluster test

Bethe Bias / LSS

(hydro – SZ)

etal + cosmic strings

theorists/phenomenologists/experimentalists/observers

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Komatsu was going to talk about the virtues of the large bias & about bullets aka rare events

rare event bias: even in 84 it was recognized that there was another parameter beyond peak height ($v \sim$ mass) to characterize bias (x shape \sim concentration). in 90s, cluster patches showed anisotropic

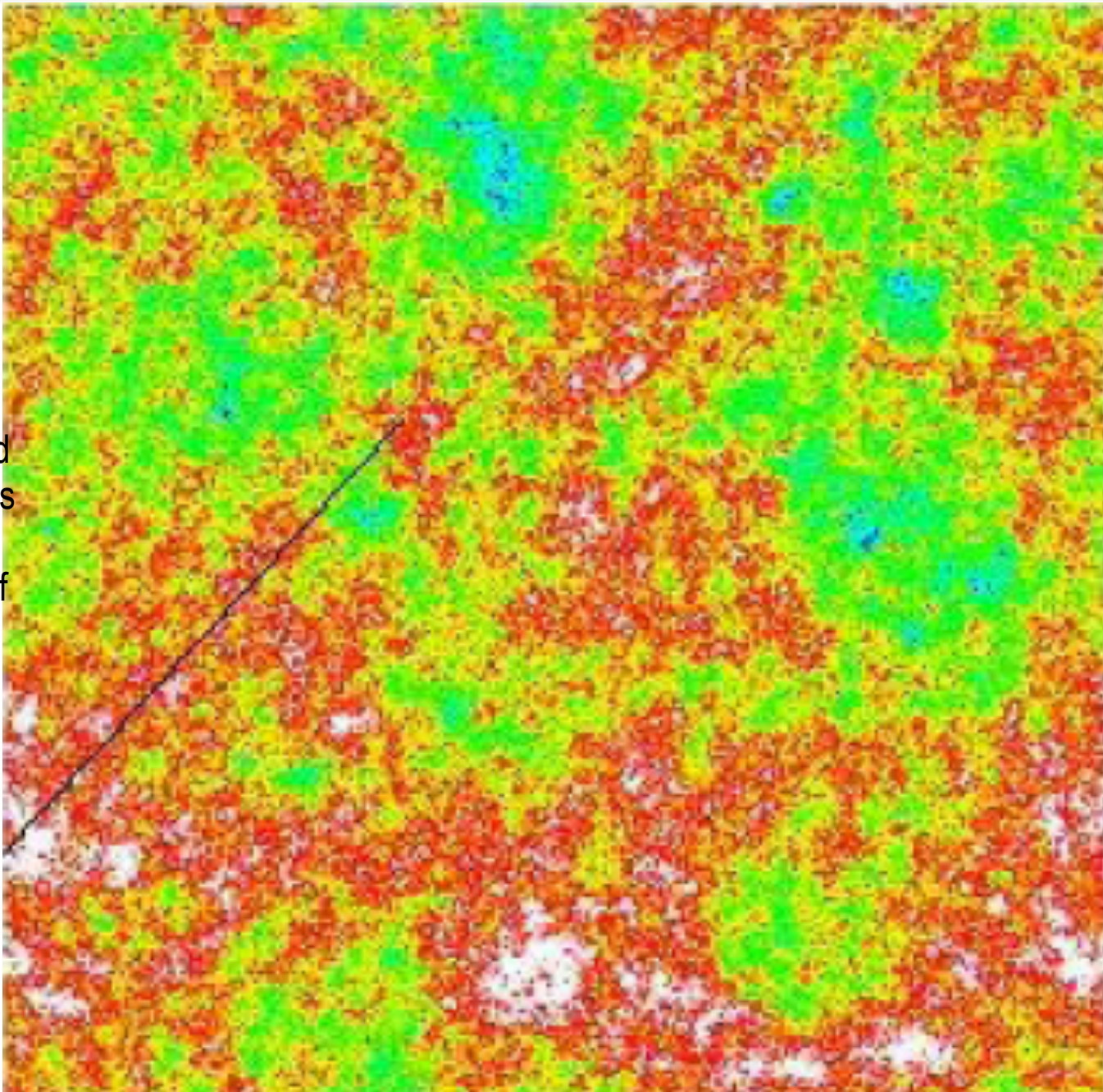
$\xi_{cc}(r|n_{cl})$ arises with protocluster tidal field constraints, ie environment enforces constructive wave interference, and it is the longest waves interfering that give the bias. *not surprising that generalized bias is not trivial since this is what defines the structure of the cosmic web, superclusters, etc.*

nrare-events (M-sort-of, & other selection biases) statistics of one or a few - care must be taken to make big claims

“every cluster is a bullet cluster” - or was a bullet , tis the nature of the hierarchy

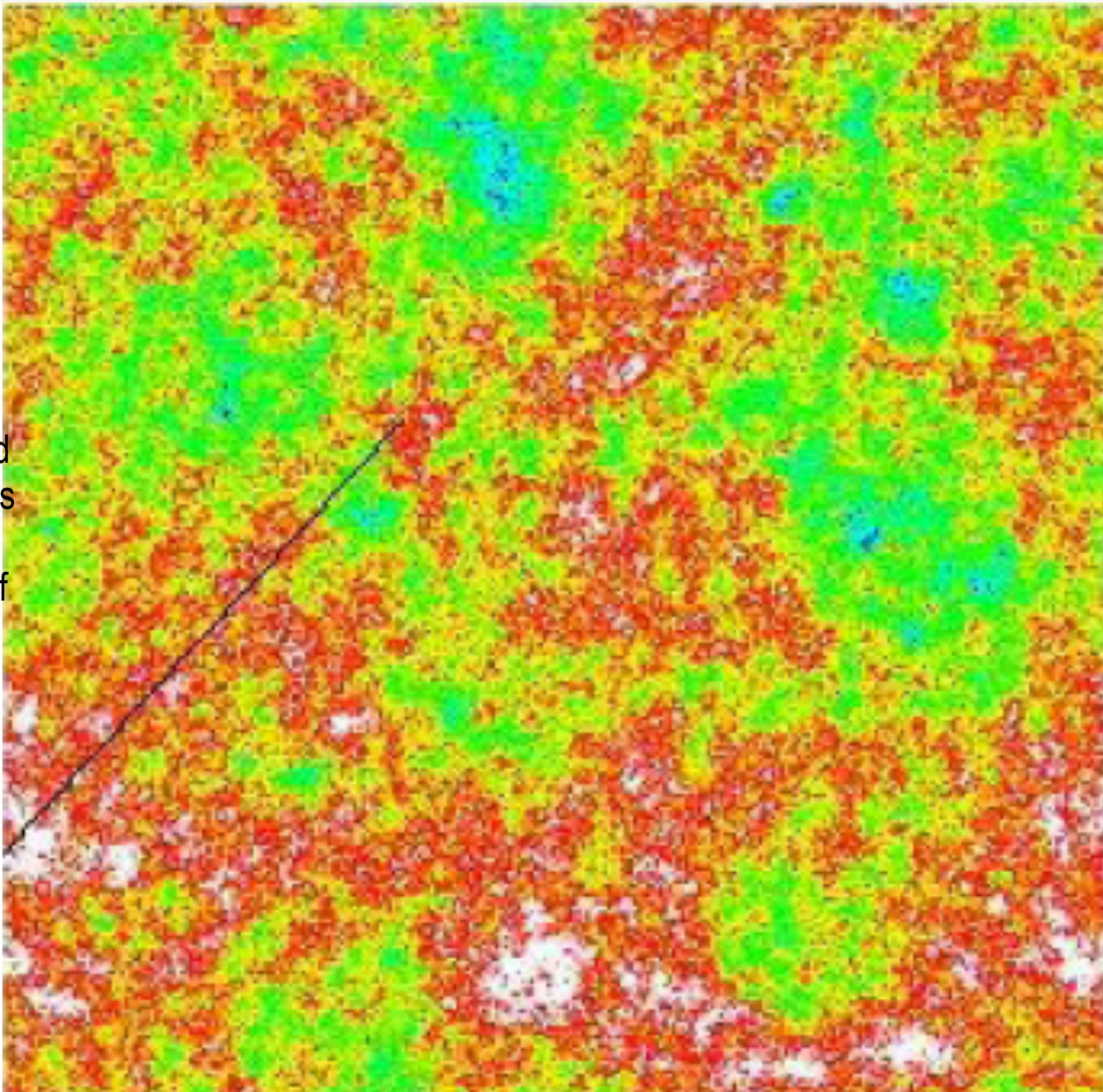
fluctuations in the early universe “vacuum” grow to *all* structure

scalar field
fluctuations
in the
vacuum of
the ultra-
early
Universe



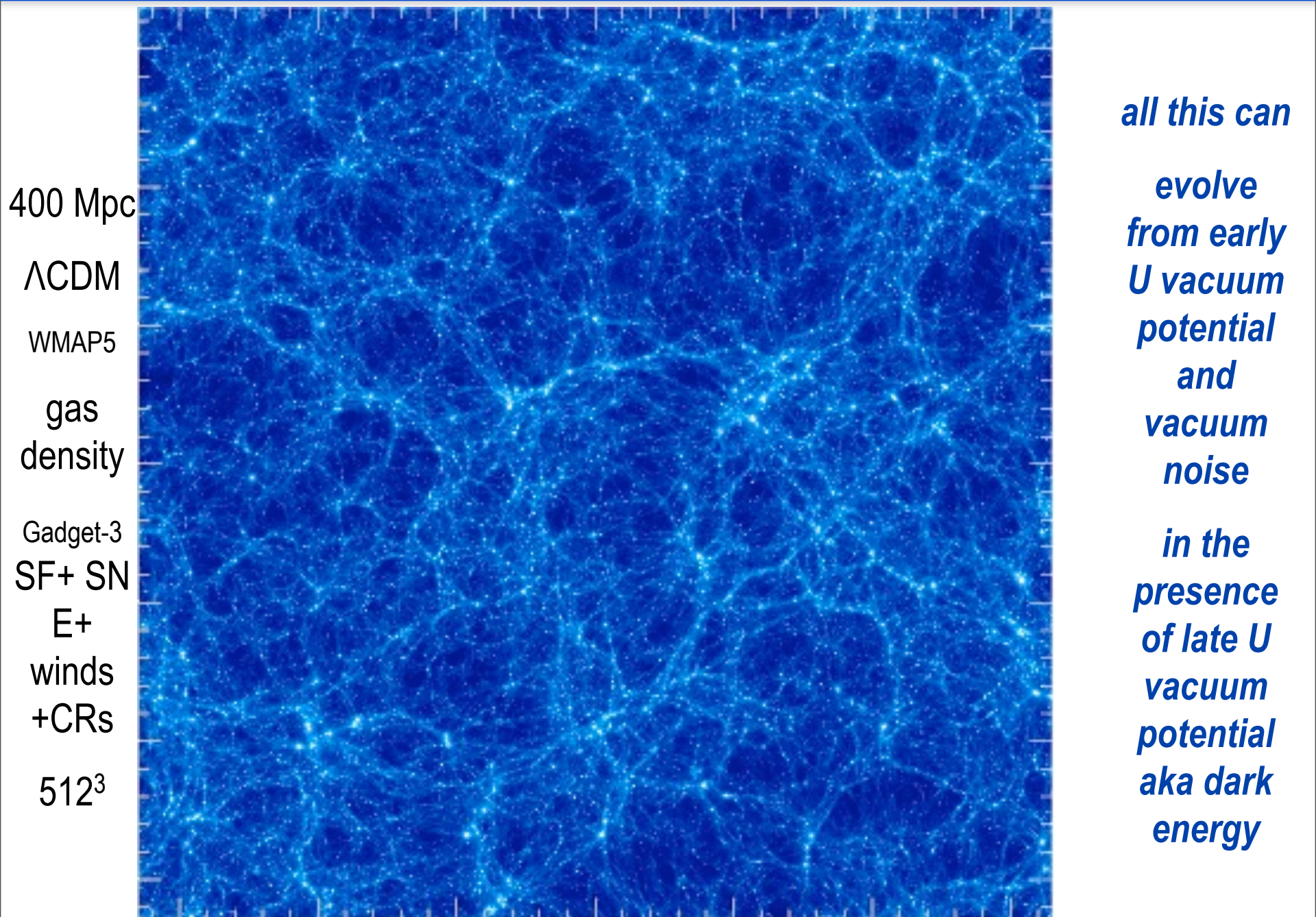
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scalar field
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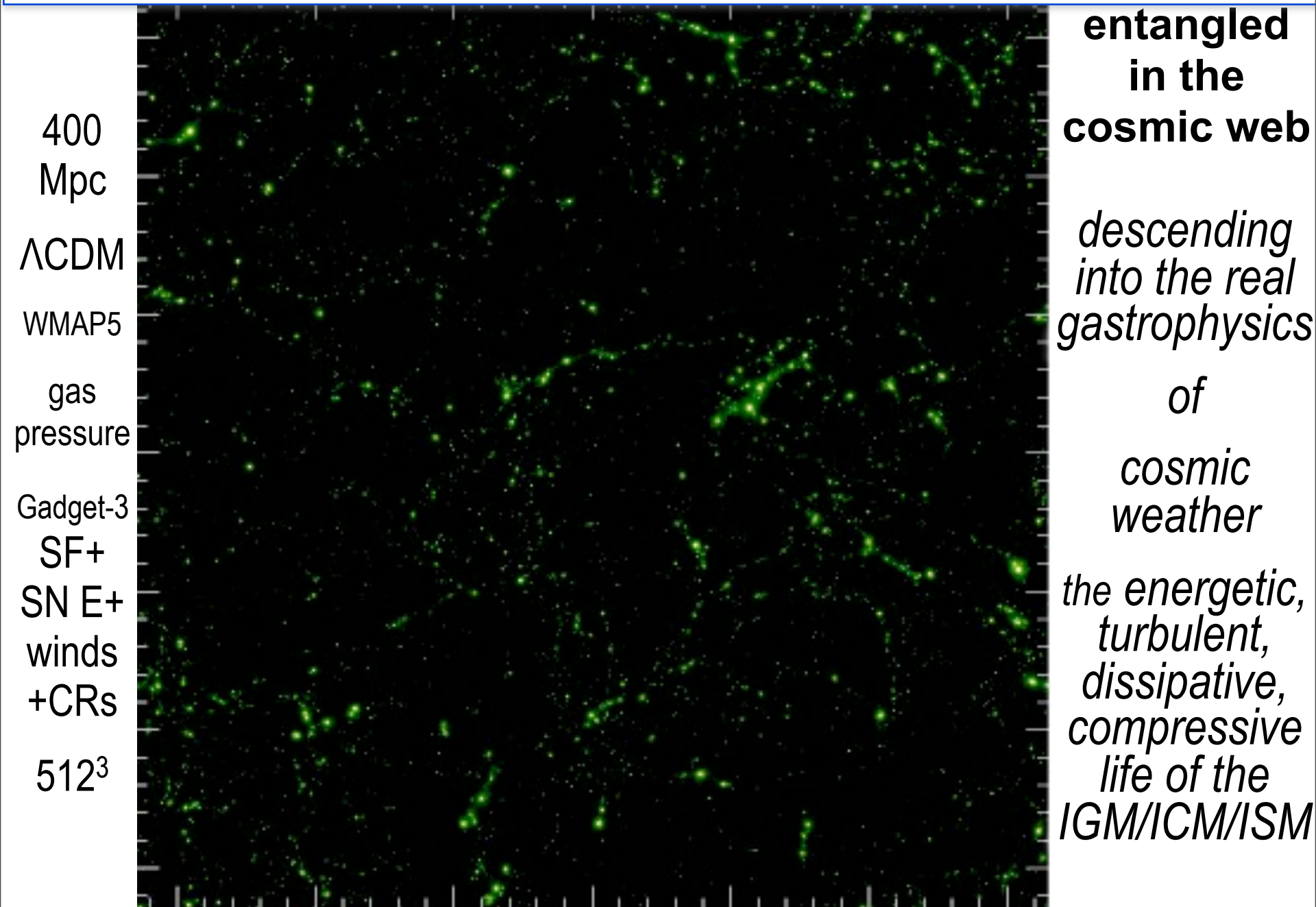


*evolve
from early
U vacuum
potential
and
vacuum
noise*

fluctuations in the early universe “vacuum” grow to *all* structure



pressure intermittency in the cosmic web, in cluster-group concentrations probed by tSZ



400
Mpc

Λ CDM
WMAP5

gas
pressure

Gadget-3
SF+
SN E+
winds
+CRs

512^3

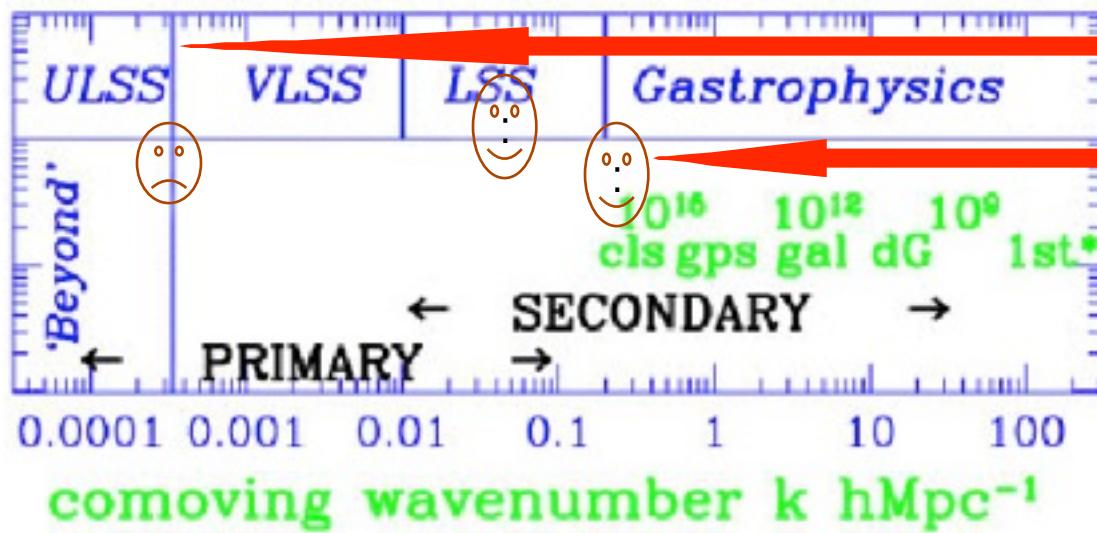
**entangled
in the
cosmic web**

*descending
into the real
gastrophysics*

of

*cosmic
weather*

*the energetic,
turbulent,
dissipative,
compressive
life of the
IGM/ICM/ISM*



$$K_{\text{hor}}(t) = H a$$

$$K_{\text{NL}}(t)$$

$$\lambda_{\text{phys}} = 2\pi \bar{a}(t) / k, \quad \bar{a} = 1 \text{ now}$$

Cosmic Spatial Length Scale (unwrinkled)

Momentum Space PROBES

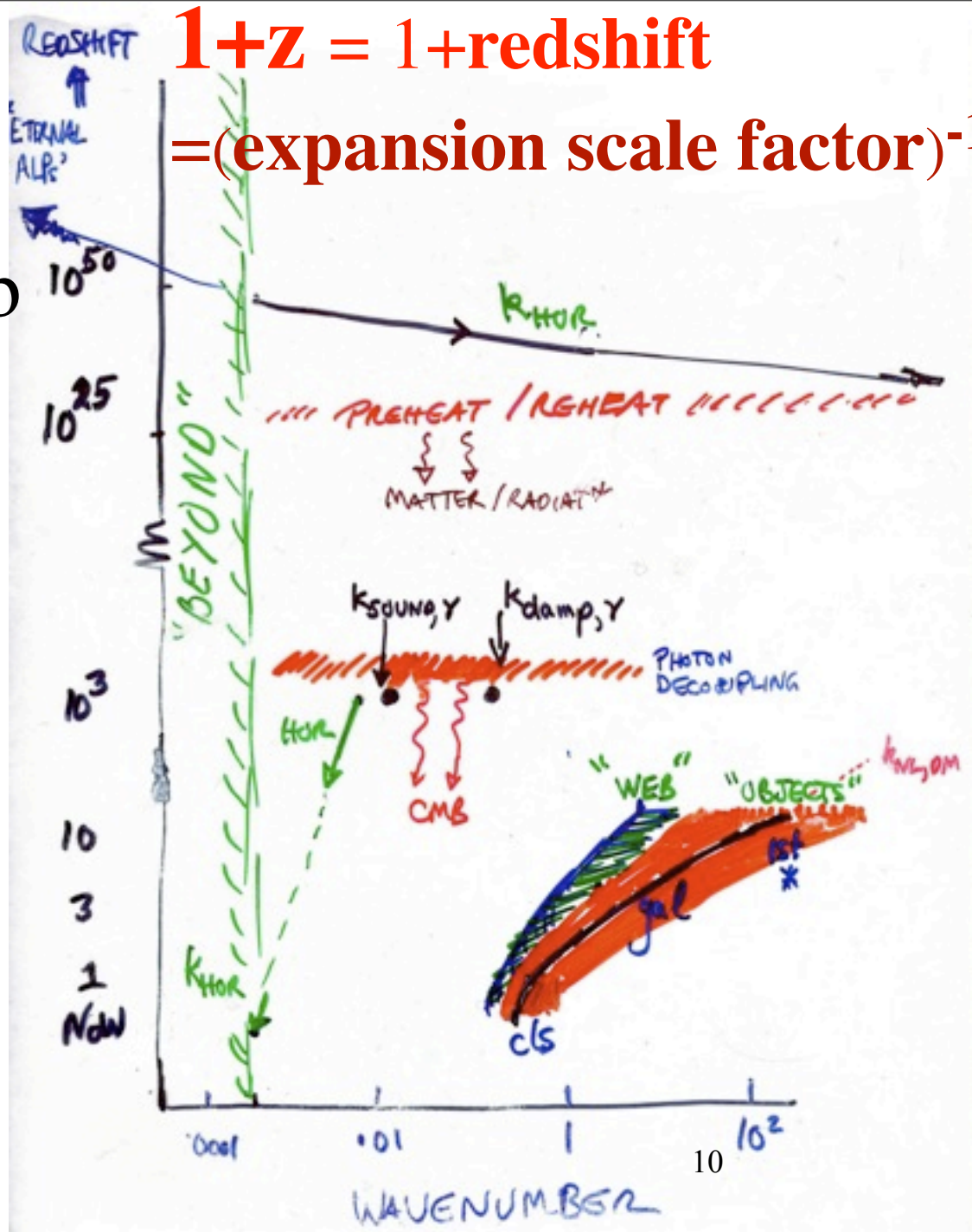
$$K_{\text{hor}}(t) = H a$$



redshift vs
wavenumber:

k_{NL} & the cosmic web
“virialized” collapsed
objects bridged by a
network of filaments,
membranes & voids

$$1+z = 1+\text{redshift} \\ = (\text{expansion scale factor})^{-1}$$



redshift vs
wavenumber:

k_{NL} & the cosmic web
“virialized” collapsed
objects bridged by a
network of filaments,
membranes & voids

=> “molecular” picture of LSS

initial density spectrum $d\sigma_{\rho L^2}/d\ln k$
~percolation of the web

$\sigma_{\rho L}(k) \sim 0.65$ cf. $\sigma_{\rho L}(k_{NL}) = 1$

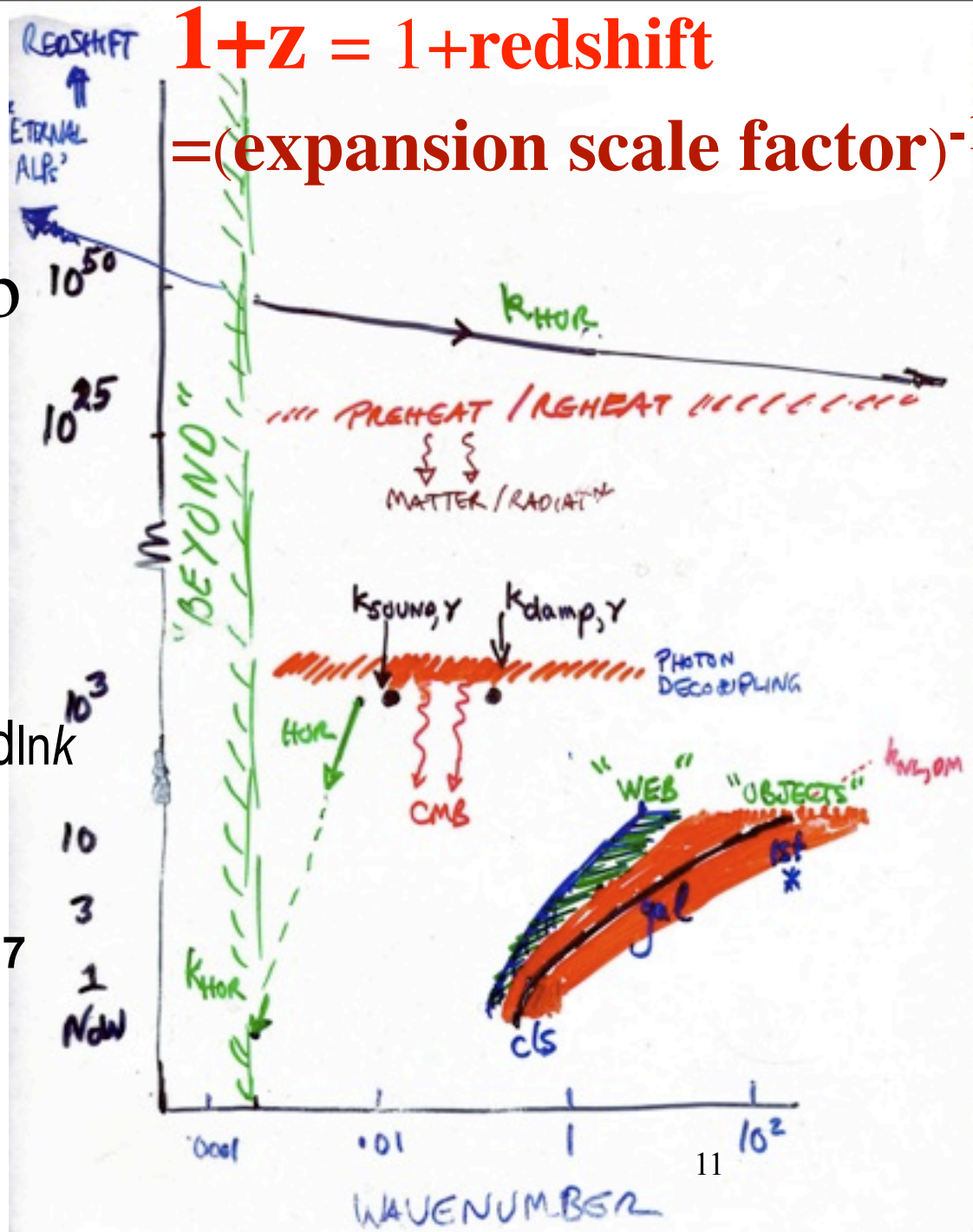
cf. halo $\delta_L \equiv \nu \sigma_{\rho L}(k) \sim 1.6-2.7$

$n_{halo}(\sigma_{\rho L^2}, \dots) \sim n_{halo}(M, \dots)$

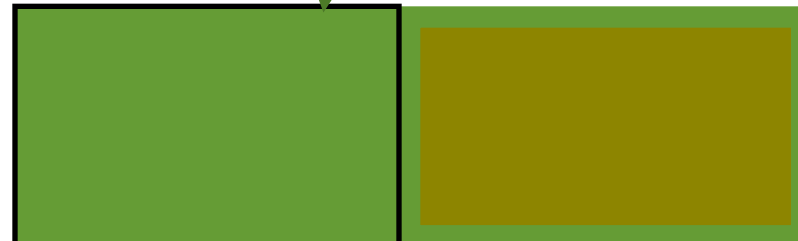
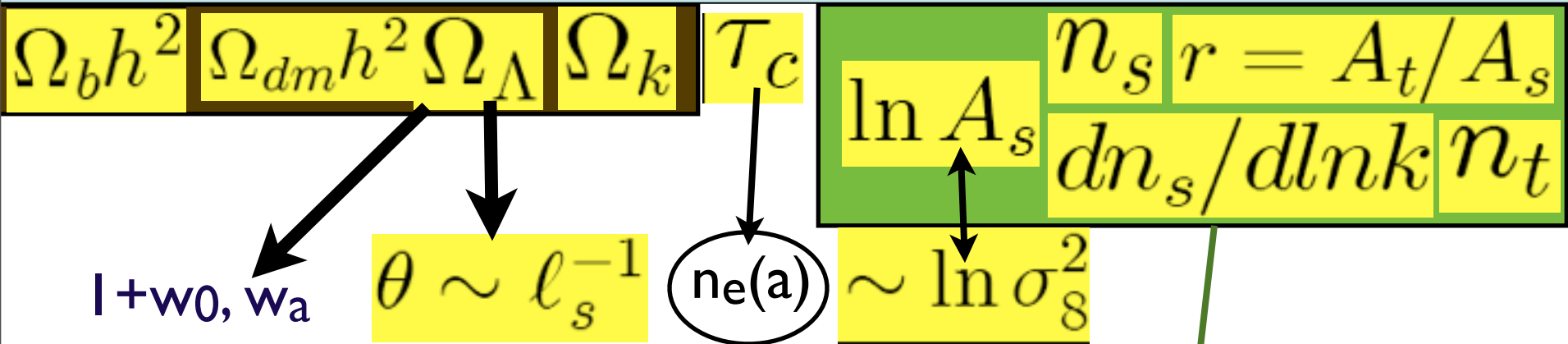
bias(M, \dots) $\sim \delta n_{halo} / \delta \rho_m$

$P(subhalo|halo)$

$$1+z = 1+\text{redshift} \\ = (\text{expansion scale factor})^{-1}$$

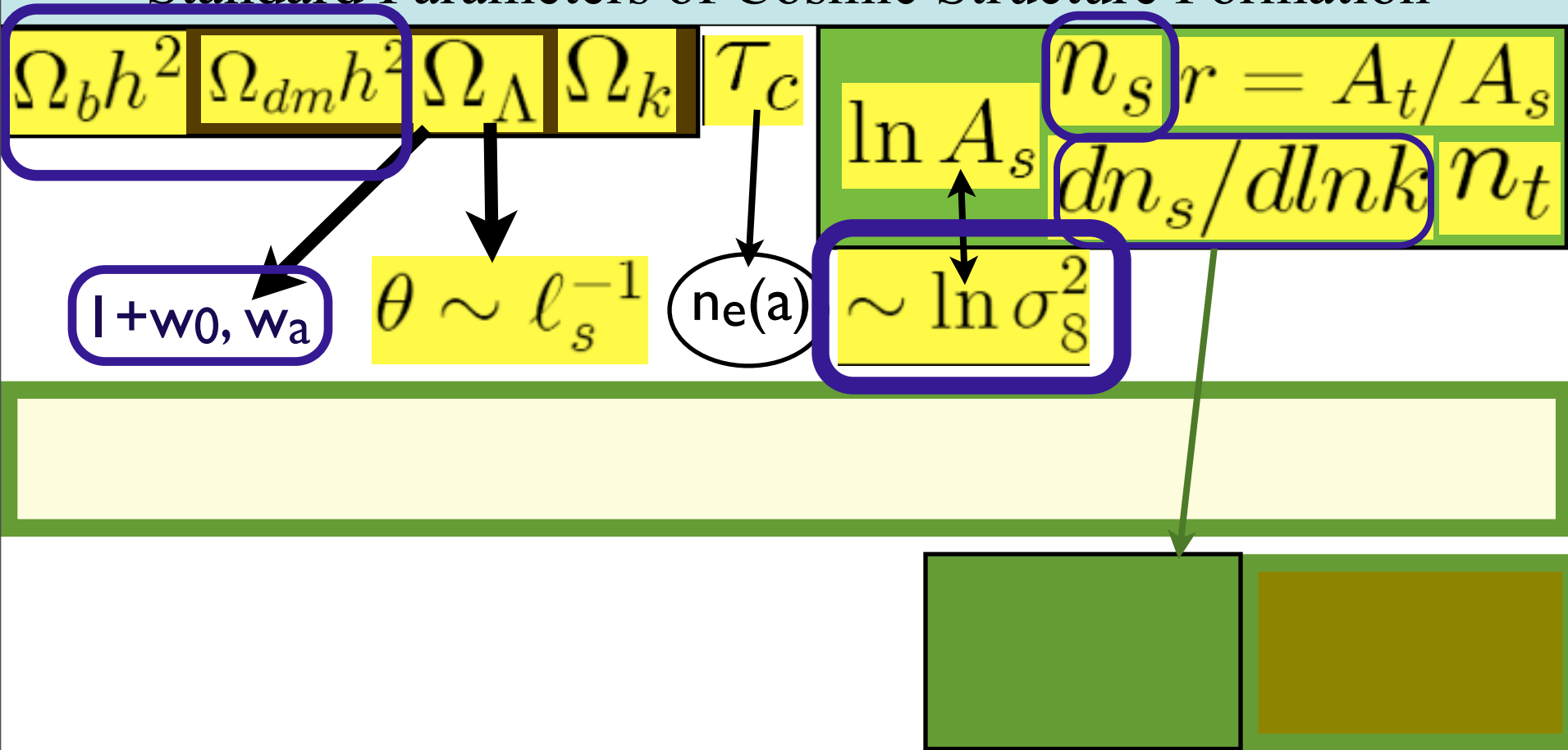


Standard Parameters of Cosmic Structure Formation



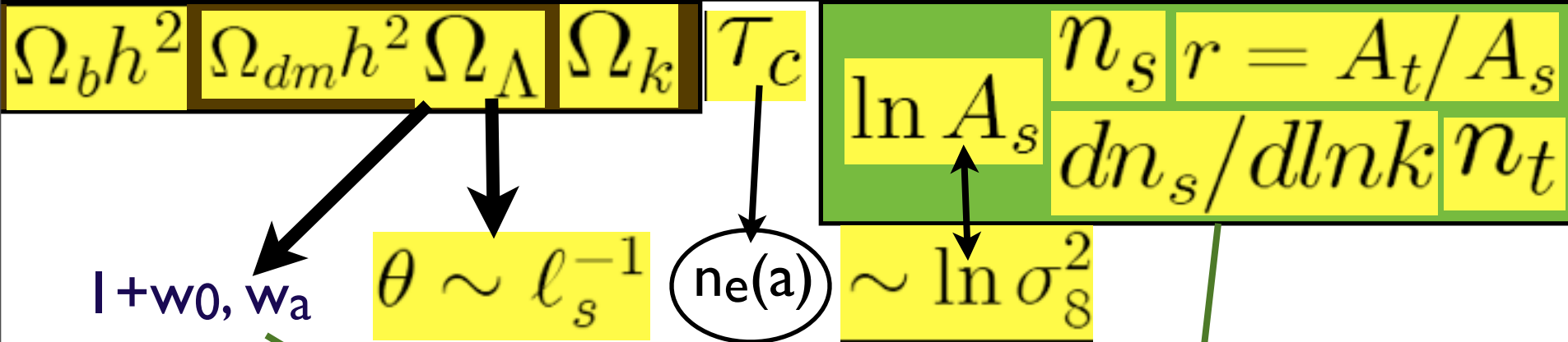
+ subdominant
 isocurvature, cosmic string,
 & *fgnds, tSZ, kSZ, ...*

Standard Parameters of Cosmic Structure Formation



+ subdominant
 isocurvature, cosmic string,
 & *fgnds, tSZ, kSZ, ...*

Neo-Standard Parameters of Cosmic Structure Formation



new parameters: **trajectory probabilities for early-inflatons & late-inflatons**
(partially) blind cf. informed “theory” priors

$\ln P_s(\ln k)$ & $\ln P_t(\ln k)$
 & $r(k_p)$

$\epsilon_\phi \times 2/3 = 1 + w_{de}(a)$
 $= -d \ln p_\phi / d \ln a^3$

+ subdominant
 isocurvature, cosmic string,
 & *fgnds, tSZ, kSZ, ...*

future of DARK ENERGY phenomenology: “equation of state”

CMB gives rulers at $z=1100$ angular-diameter-distance maps to T/E patterns now

CMB ISW effects and low L give limited sensitivity – cosmic variance

X-correlation with 5 density surveys, each ~ 2.5 sigma

SN standard candles luminosity-distance (comoving radial distance, i.e. conformal time)

number densities & counts comoving volume

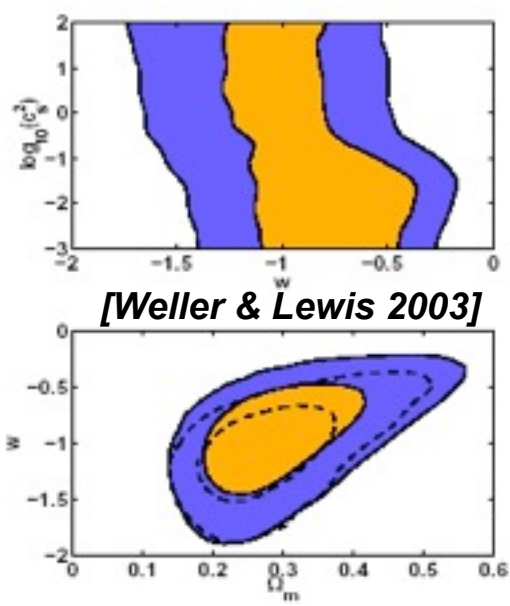
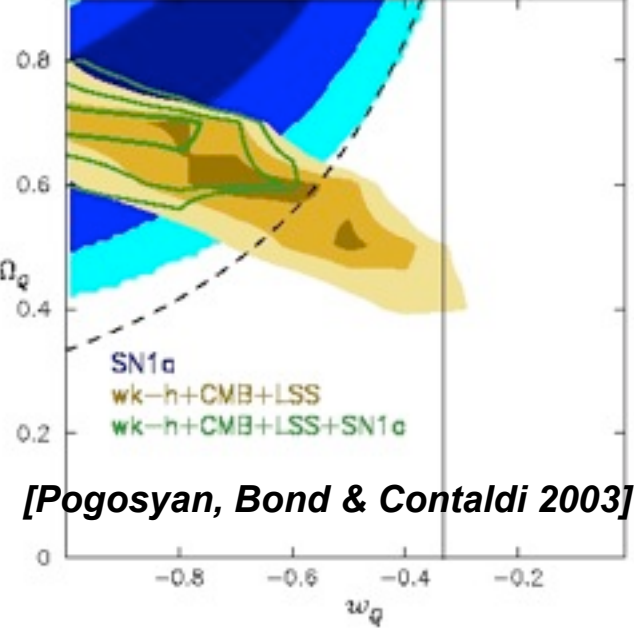
Cluster/gp system: SZ (Compton scattering off hot gas) + optical + X “tomography”
+ hope (gas)

Dependence on linear perturbation evolution

$d \ln D / d \ln a$ (counts, weak clustering) i.e. $d \ln \sigma_8 / d \ln a$

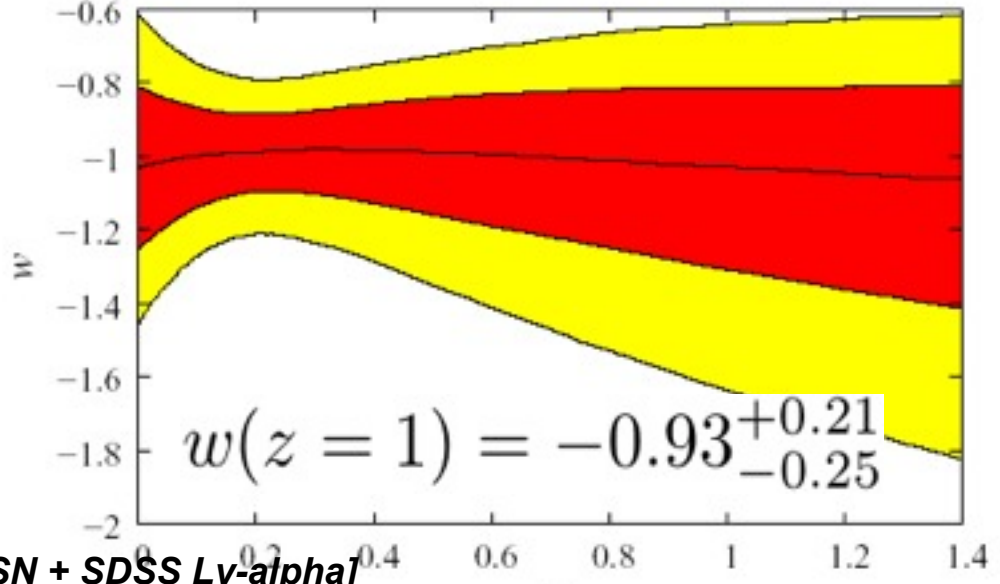
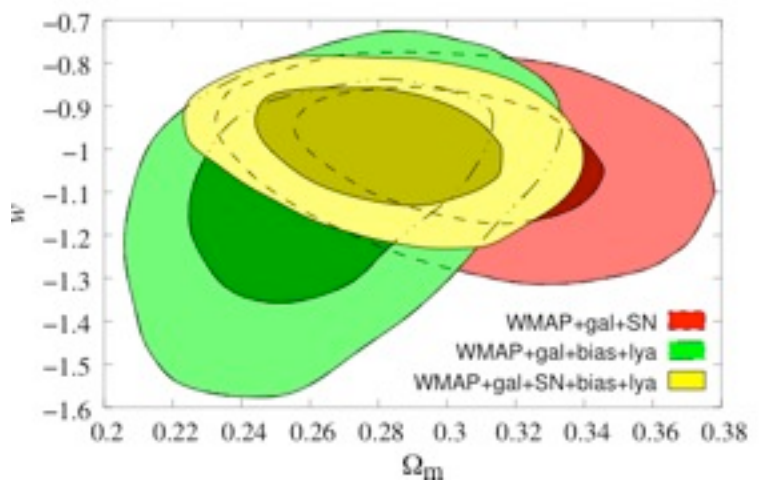
& its nonlinear memory (in weak lensing, galaxy & cluster clustering, ...)

acceleration trajectories:
 evolution of Dark Energy equation of state $w(\ln a)$
 to cf. $q(\ln a)$ in redshift bands



constant w, contributes a uniform acceleration
 now **SN+CMB+LSS** $w < -0.7$ & -1 aka Λ OK

$$w = w_0 + (a - 1)w_1 + (a - 1)^2w_2$$

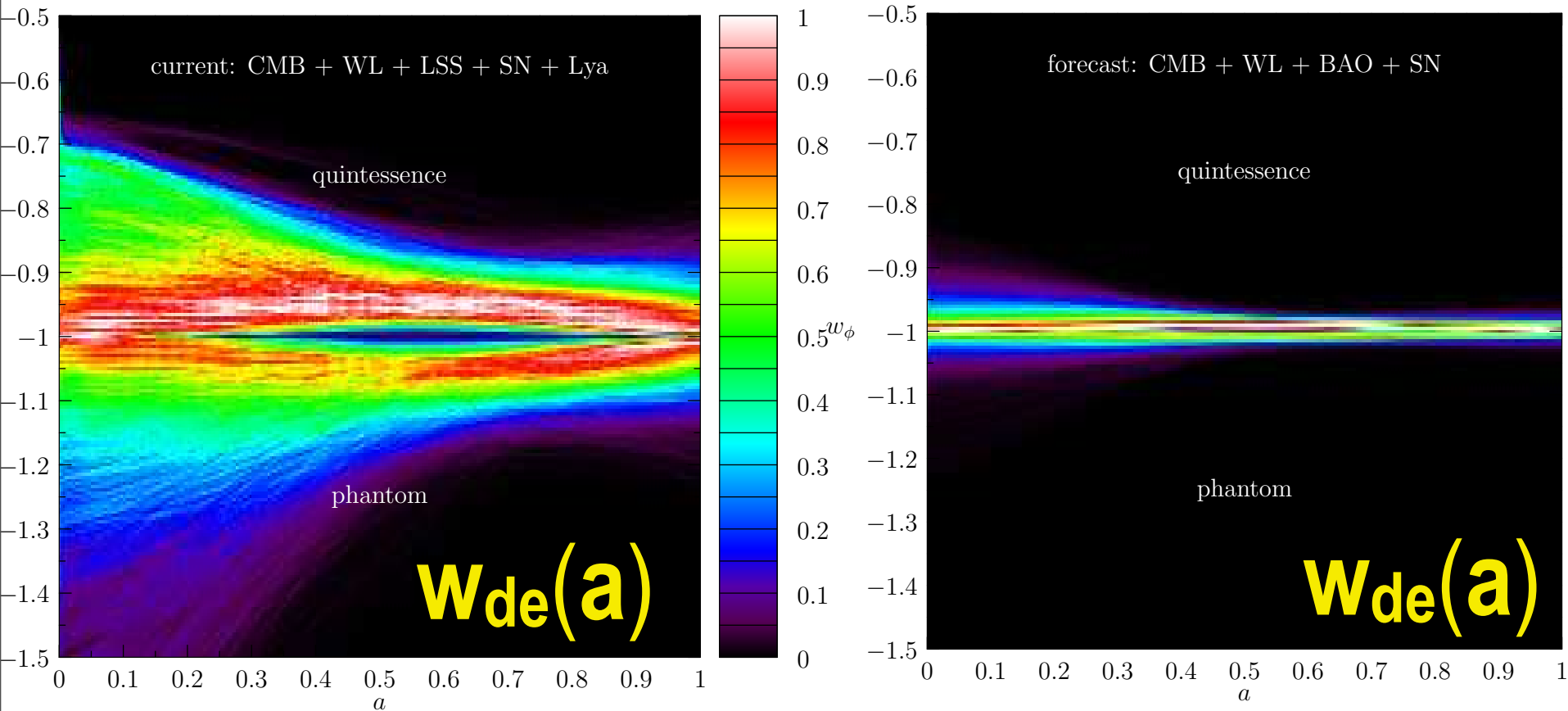


[Seljak, McDonald, ..., SDSS et al. 2004, CMB + SN + SDSS Ly-alpha]

October 2004, The Future of Physics, KITP, UC Santa Barbara, The Phenomenology of Dark Energy and Cosmic Acceleration

future DE equation of state trajectories NOW

$$(1+W_{de}) = - d \ln \rho_{de} / d \ln a^3 = 2/3 \epsilon_{\psi} \quad \& \quad \epsilon = \Omega_{\psi} \epsilon_{\psi} + \Omega_m \epsilon_m \quad \& \quad \epsilon_m = 3/2$$

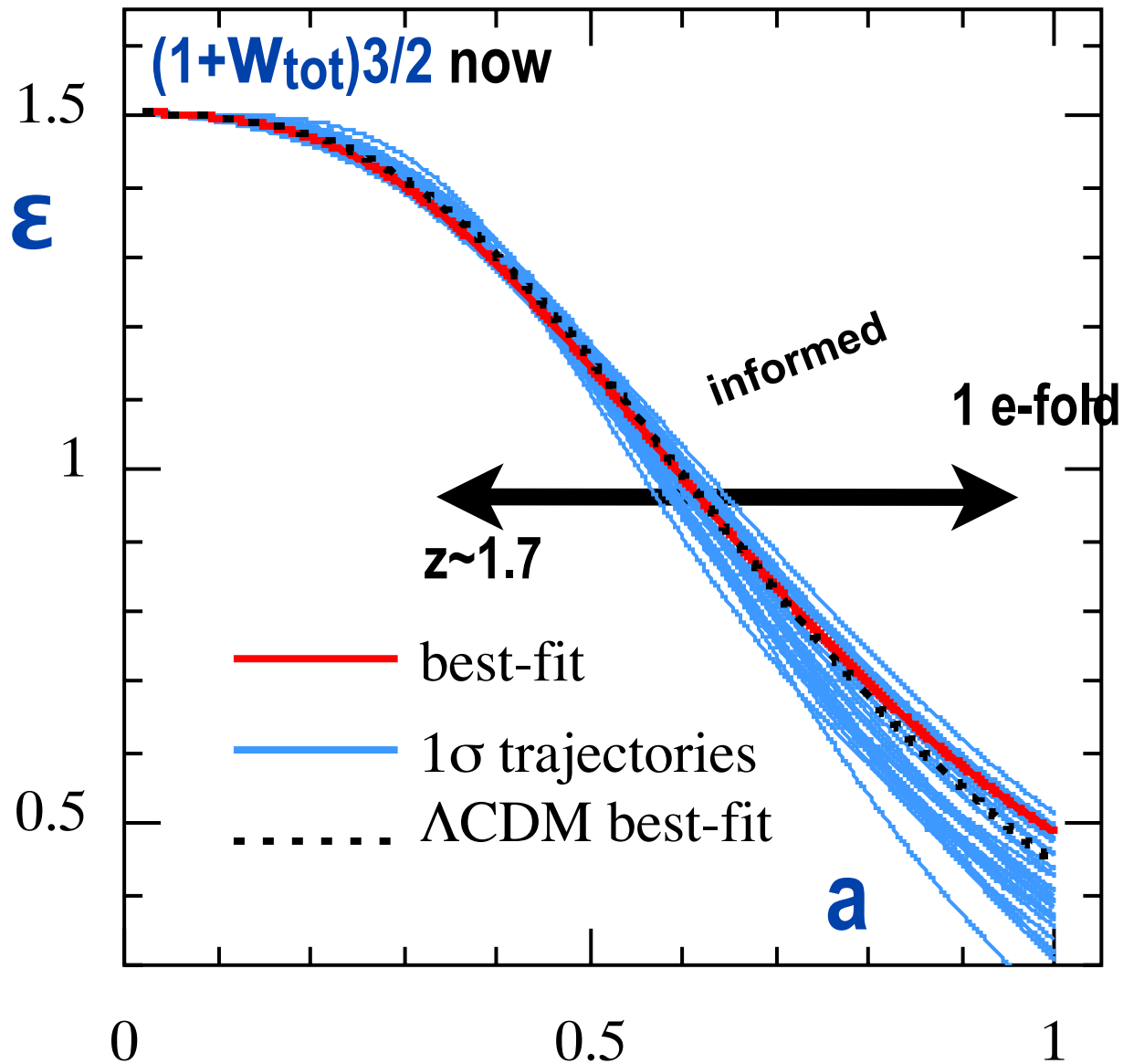


future = **Planck2.5+CHIME-BOSS-BAO+"JDEM-SN+Euclid-WL"**

3-parameter $W_{de}(z|V(\psi), IC)$ paves even wild late-inflaton trajectories
 semi-blind $W_{de}(z)$ in many z-bands determines only ~ 2 eigenvalues

current acceleration trajectories NOW

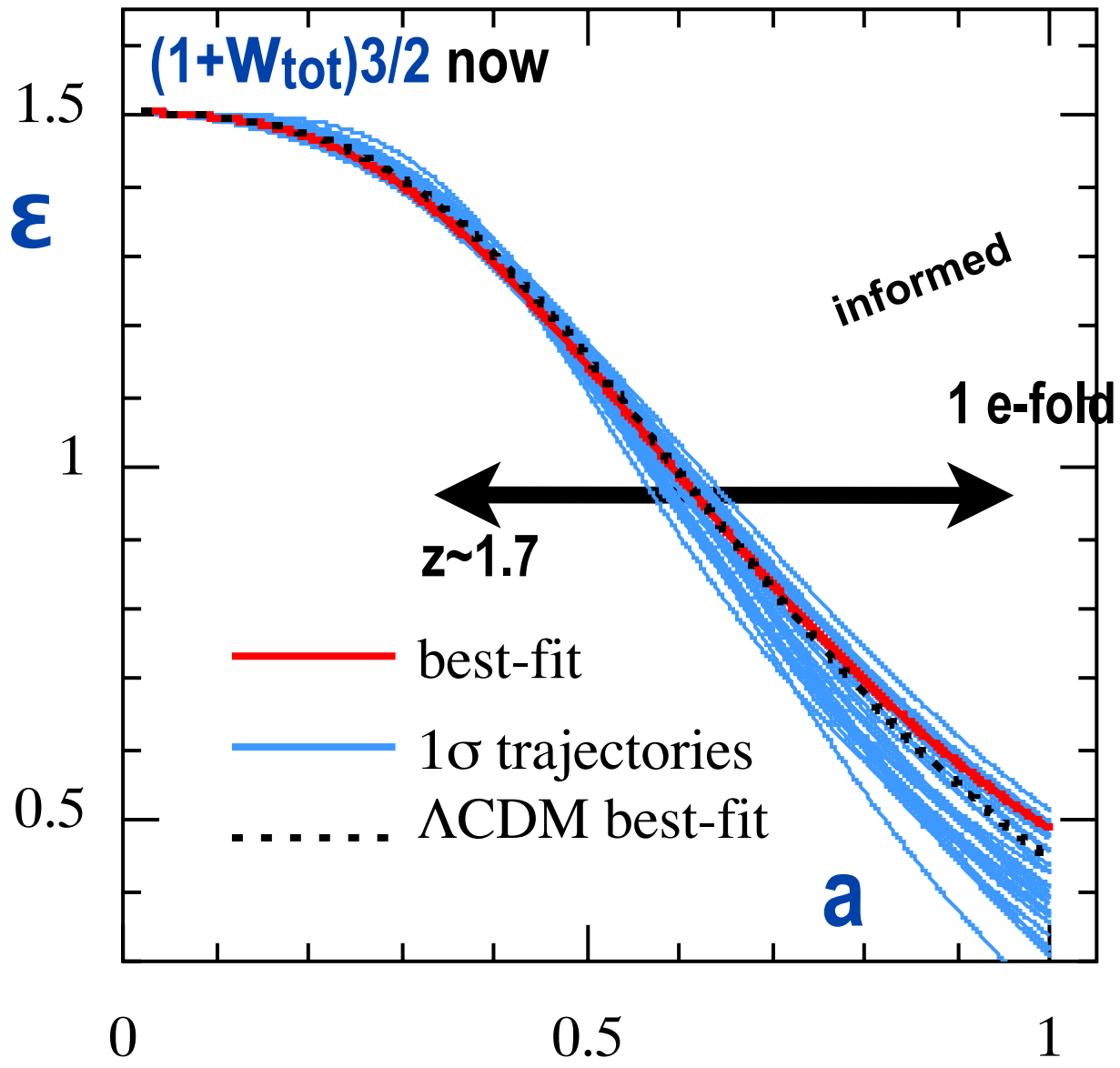
$$(1+W_{\text{tot}}) = -d \ln \rho_{\text{tot}} / d \ln a^3 = 2/3 \epsilon = -2/3 d \ln H / d \ln a$$



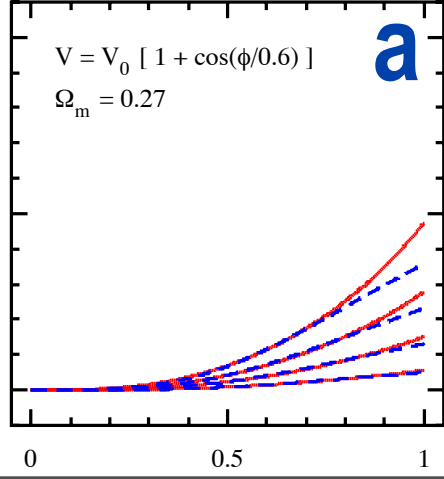
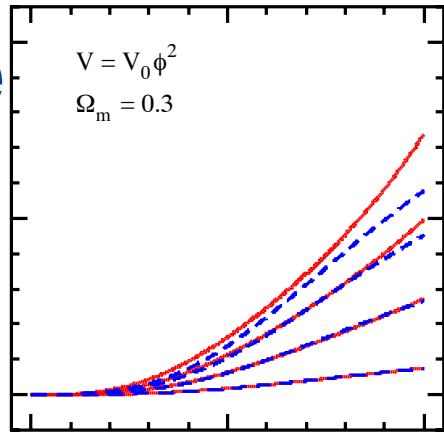
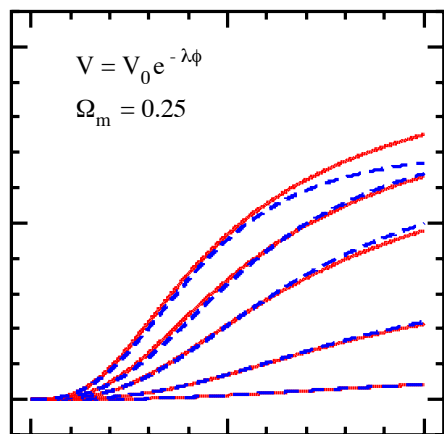
informed = 3-parameter $W_{\text{de}}(z|V(\psi), IC)$

current acceleration trajectories NOW

$$(1+W_{\text{tot}}) = -d \ln \rho_{\text{tot}} / d \ln a^3 = 2/3 \mathcal{E} = -2/3 d \ln H / d \ln a^0$$



Wde

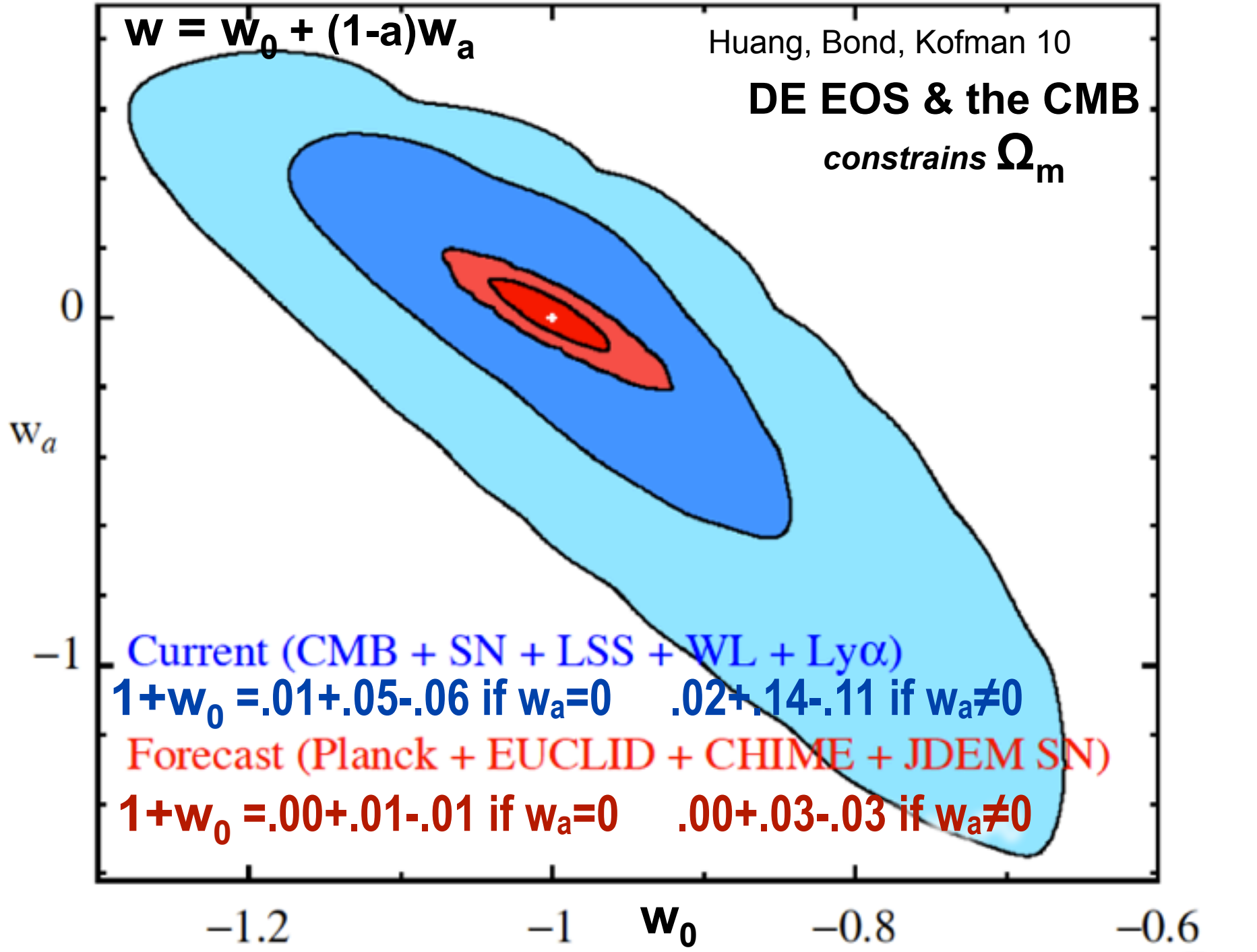


informed = 3-parameter $W_{\text{de}}(z|V(\psi), IC)$

$$w = w_0 + (1-a)w_a$$

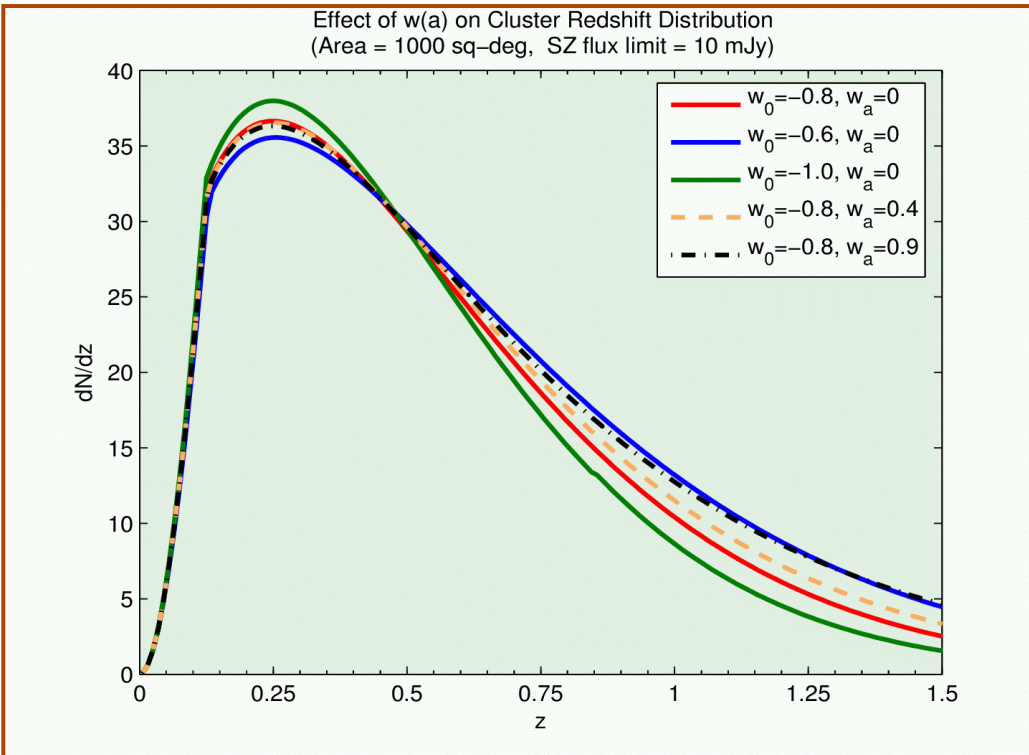
Huang, Bond, Kofman 10

DE EOS & the CMB
constrains Ω_m



Current (CMB + SN + LSS + WL + Ly α)
 $1+w_0 = .01+.05-.06$ if $w_a=0$ $.02+.14-.11$ if $w_a \neq 0$
 Forecast (Planck + EUCLID + CHIME + JDEM SN)
 $1+w_0 = .00+.01-.01$ if $w_a=0$ $.00+.03-.03$ if $w_a \neq 0$

2004 forecasted SPT counts $\sigma_8 \sim 0.9$ days



Subha Majumdar & Graham Cox CITA04

4000 sq deg with SPT, 22000 clusters

$1+w_0 = .01+.05-.06$ if $w_a=0$

$.02+.14-.11$ if $w_a \neq 0$

$1+w_0 = .00+.01-.01$ if $w_a=0$

$.00+.03-.03$ if $w_a \neq 0$

w_0

$$y^{\text{true}} = A \left(\frac{M^{\text{true}}}{M_0} \right)^B \left(\frac{1+z}{1+z_0} \right)^C$$

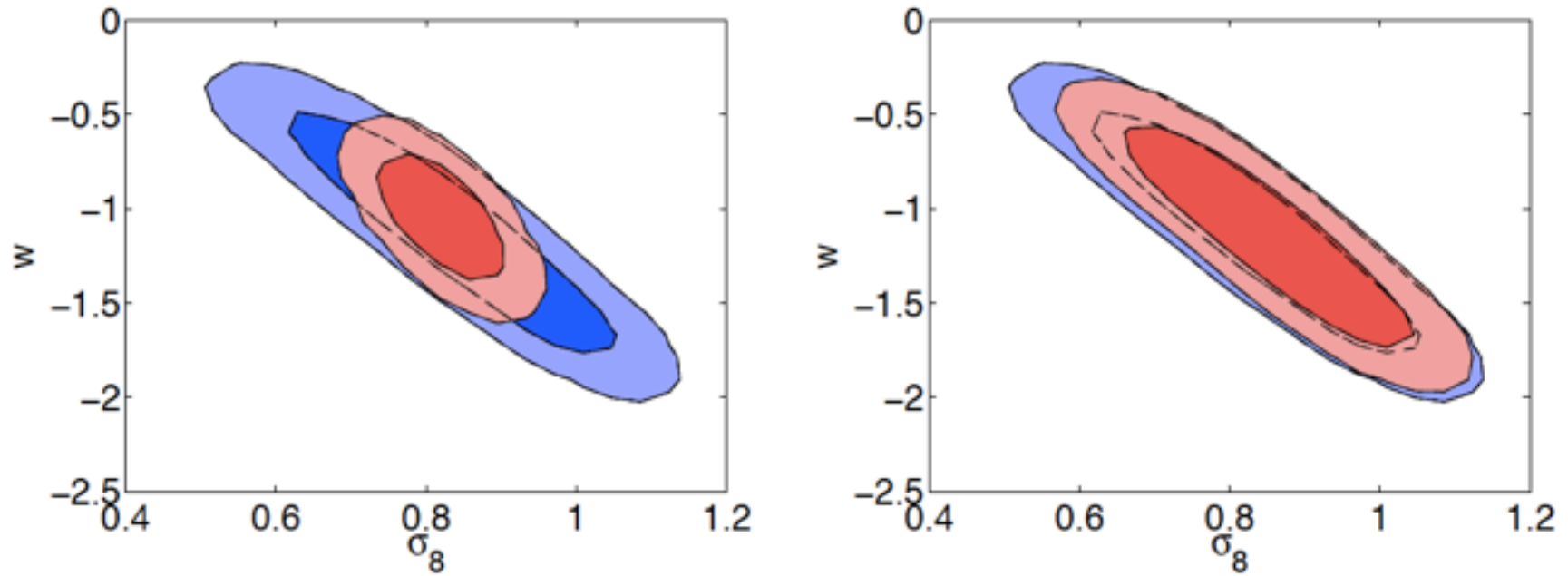


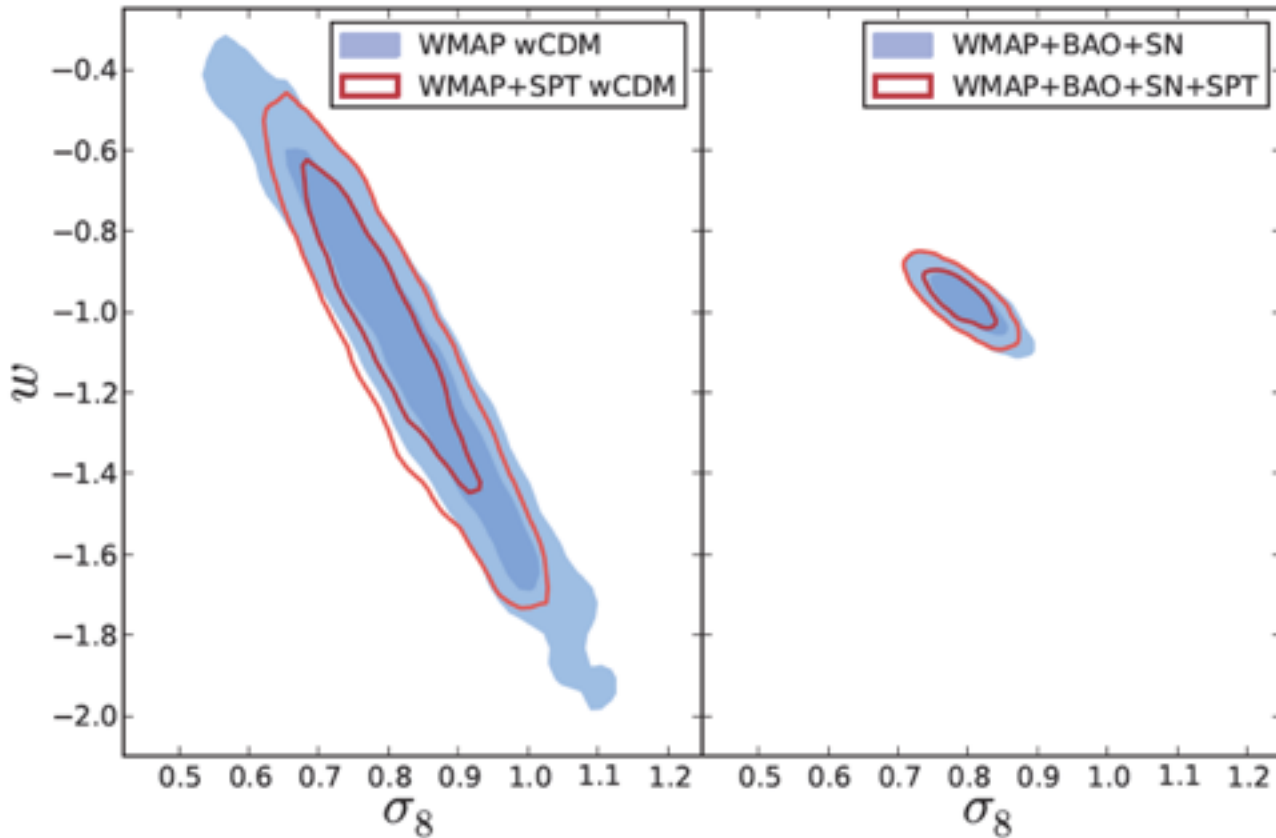
FIG. 6.— Likelihood contour plots of w versus σ_8 showing 1σ and 2σ marginalized contours. *Left:* Blue contours are for WMAP7 alone, and red contours are for WMAP7 plus ACT SZ detected clusters, fixing the mass-observable relation to the fiducial relation given in Section 4.2. *Right:* Contours are the same as in the left panel, except that the uncertainty in the mass-observable relation has been marginalized over within priors discussed in Section 4.3.

$1+w_0 = .01+.05-.06$ if $w_a=0$ $.02+.14-.11$ if $w_a \neq 0$

$1+w_0 = .00+.01-.01$ if $w_a=0$ $.00+.03-.03$ if $w_a \neq 0$

w_0

$$y^{\text{true}} = A \left(\frac{M^{\text{true}}}{M_0} \right)^B \left(\frac{1+z}{1+z_0} \right)^C$$



$1+w_0 = .01+.05-.06$ if $w_a=0$ $.02+.14-.11$ if $w_a \neq 0$

$1+w_0 = .00+.01-.01$ if $w_a=0$ $.00+.03-.03$ if $w_a \neq 0$

w_0

Quintessence $V(\psi)$ & $KE < 0$ Phantom?

3-parameter paving of trajectories

$w(z|\epsilon_s, \alpha_t, \zeta_s)$ Huang, Bond, Kofman 10 ϵ_s

$$\epsilon_s = (d \ln V / d \psi)^2 / 4 \text{ @pivot } a_{eq}$$

= .00 + .18 - .17 current

to = .005 + .031 - .025 future

$\alpha_t \sim$ tracking parameter $\sim (1+w_{de})$ at hi z

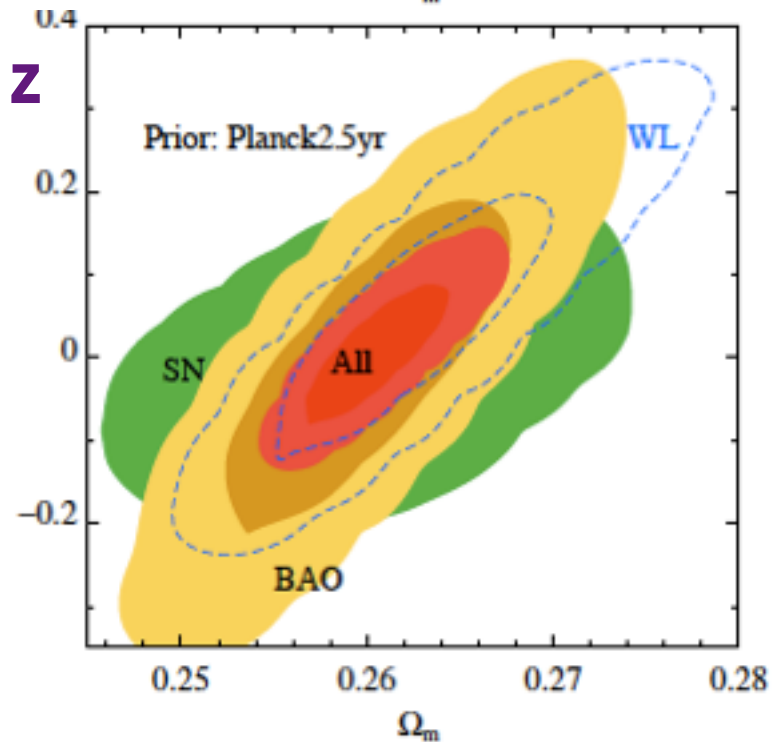
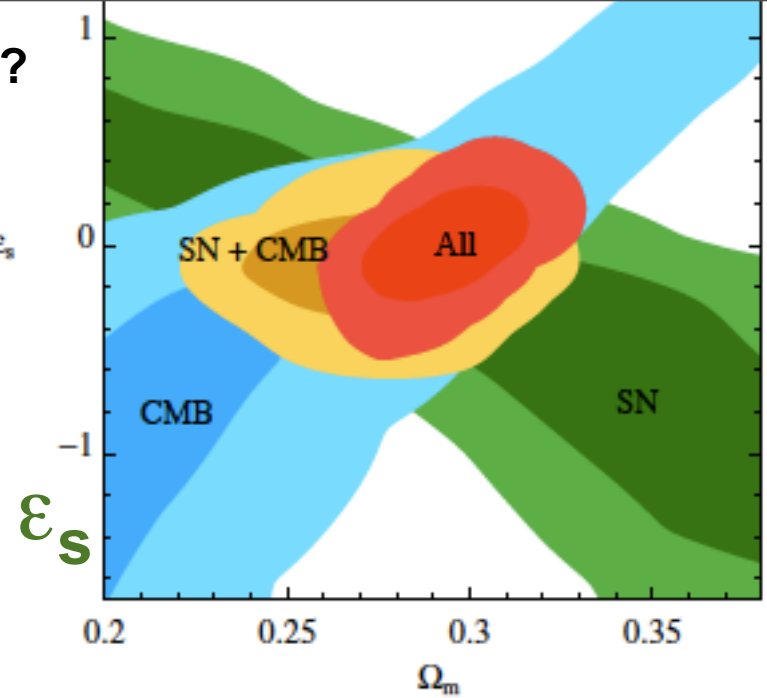
= .00 + .21 + .58 current

to = .00 + .034 + .093 future

$\zeta_s \sim d^2 \ln V / d \psi^2 \sim$ not constrained

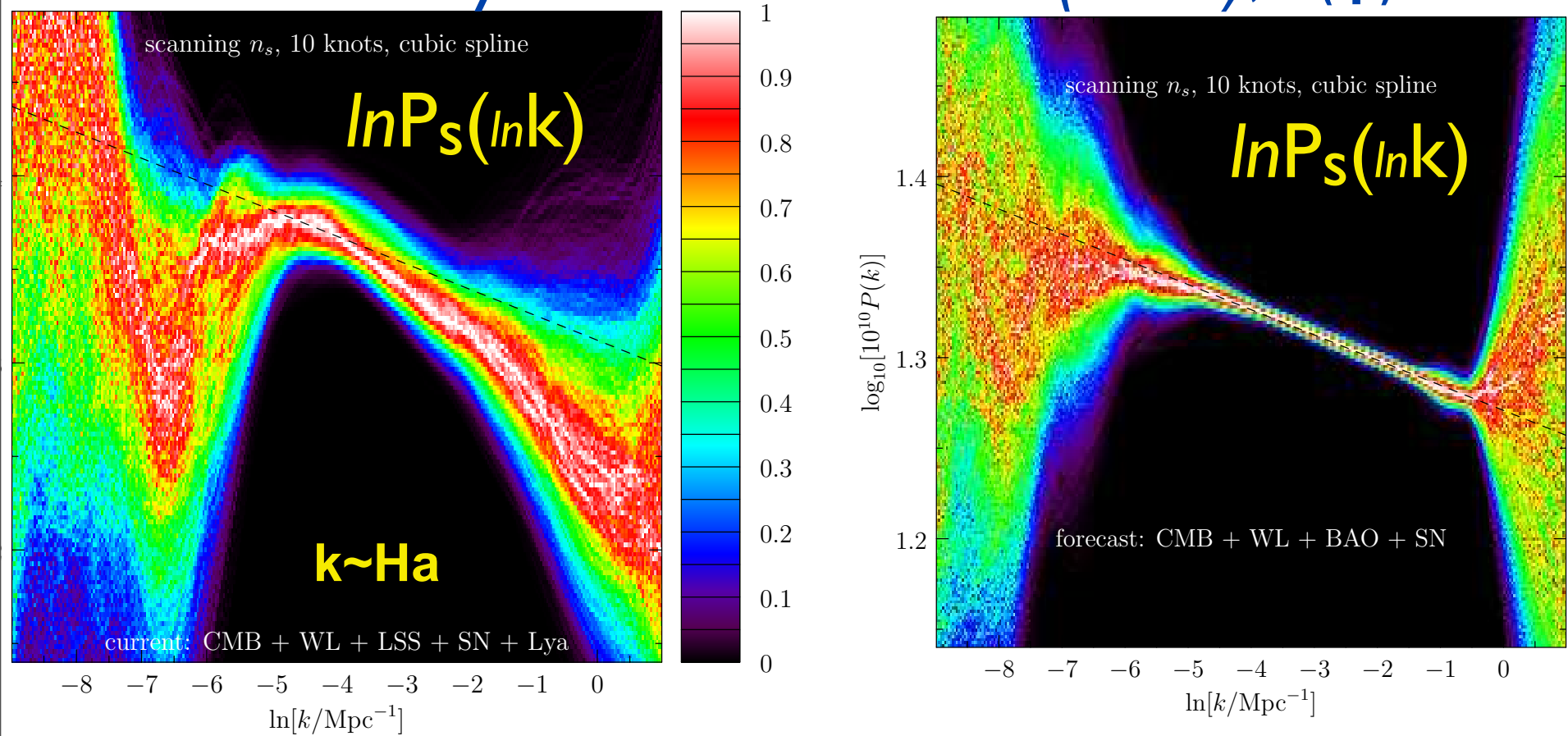
$1+w_0 = .01 + .05 - .06$ if $w_a = 0$ current

$1+w_0 = .00 + .01 - .01$ if $w_a = 0$ future



future scalar power spectrum trajectories

scan $\mathbf{n}_s(\ln k)$, $\ln \mathbf{A}_s = \ln P_s(k_{pivot,s})$, $\mathbf{r}(k_{pivot,t})$;
 consistency \Rightarrow reconstruct $\boldsymbol{\varepsilon}(\ln H a)$, $V(\psi)$



$$\boldsymbol{\varepsilon}_\psi \approx \boldsymbol{\varepsilon} = -d \ln H / d \ln a ; V(\psi) \approx 3 M_p^2 H^2 (1 - \boldsymbol{\varepsilon} / 3) ; d\psi / d \ln a = \pm \sqrt{\boldsymbol{\varepsilon}}$$

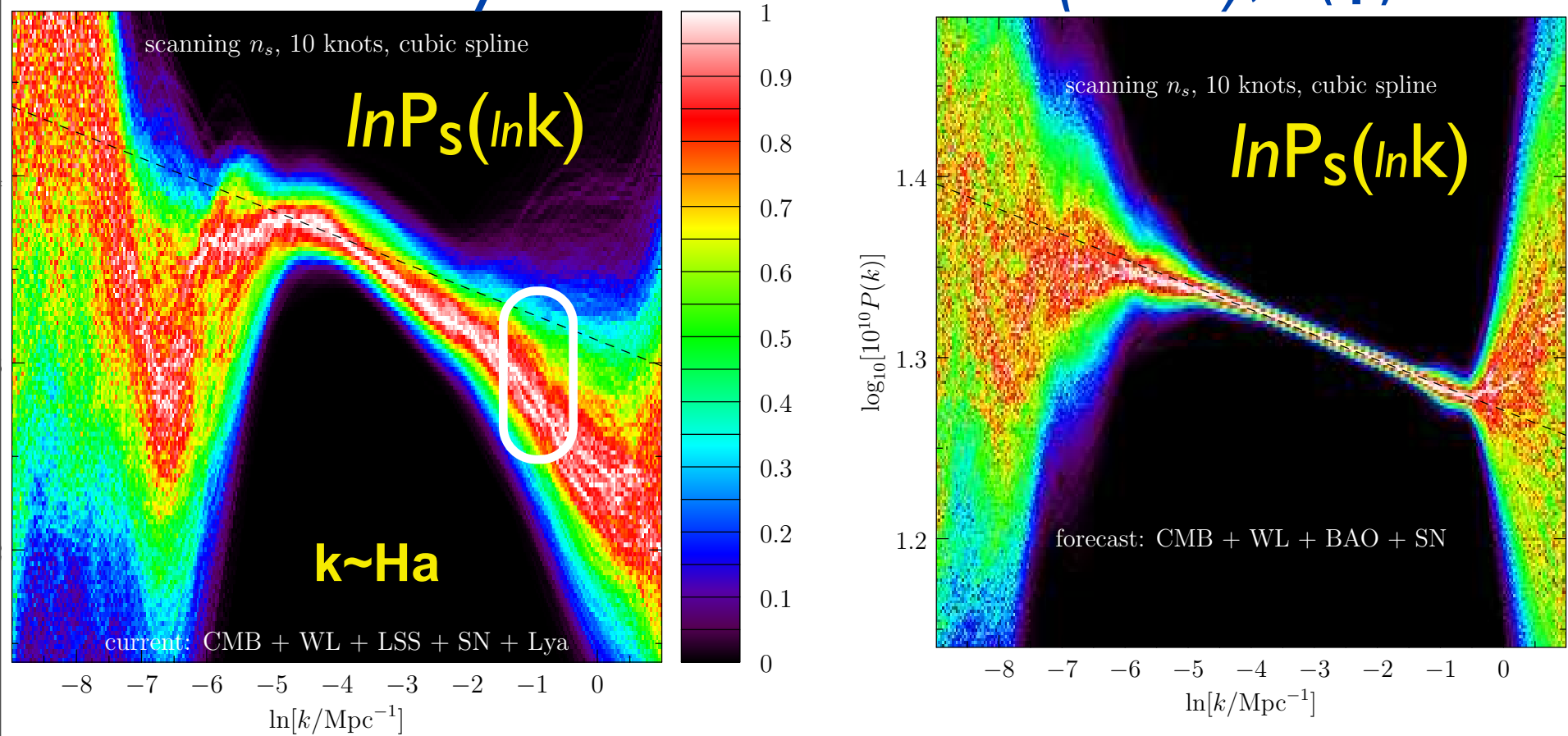
$$\text{GW}/S \equiv r \approx 16 \boldsymbol{\varepsilon}$$

Bond, Contaldi, Huang,
Kofman, Vaudrevange 2011

$$r \approx 0.1 V / (10^{16} \text{Gev})^4$$

future scalar power spectrum trajectories

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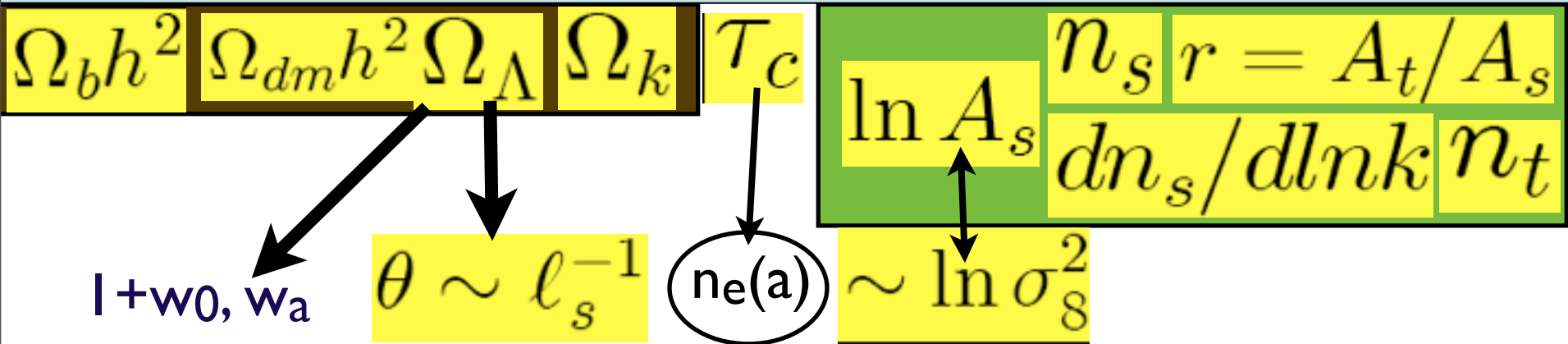
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Bond, Contaldi, Huang,
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Standard Parameters of Cosmic Structure Formation

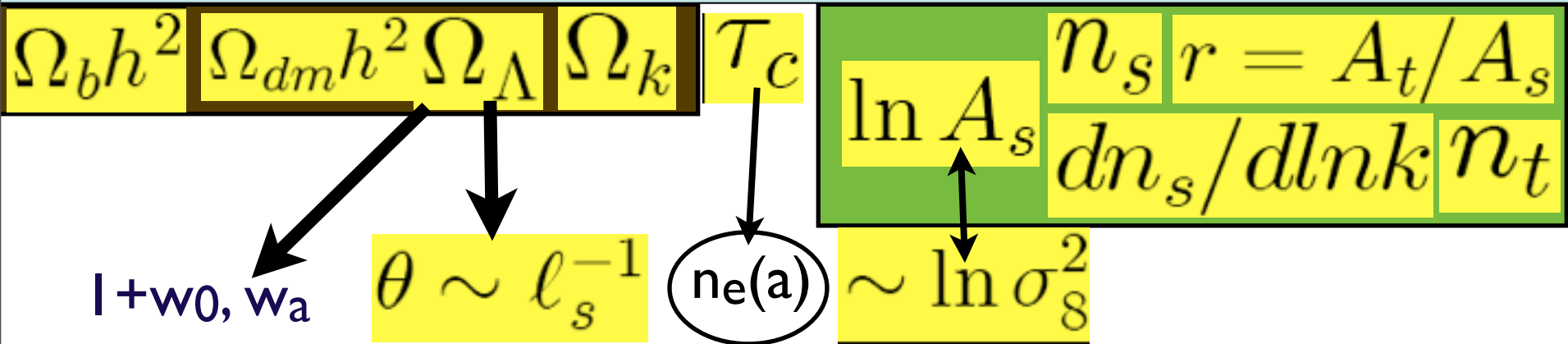


primordial non-Gaussianity
 $\Phi(\mathbf{x}) = \Phi_G(\mathbf{x}) + \mathbf{f}_{NL} (\Phi_G^2(\mathbf{x}) - \langle \Phi_G^2 \rangle)$
 local smooth

$-4 < \mathbf{f}_{NL} < 80$ (+- 5 Planck)

+ subdominant
 isocurvature, cosmic string,
 & f_{gnds} , tSZ , kSZ , ...

Standard Parameters of Cosmic Structure Formation



bias modulation with a nearly scale invariant Φ_G out to R_{hor}

primordial non-Gaussianity
 $\Phi(\mathbf{x}) = \Phi_G(\mathbf{x}) + f_{NL}(\Phi_G^2(\mathbf{x}) - \langle \Phi_G^2 \rangle)$
 local smooth

$-4 < f_{NL} < 80$ (+- 5 Planck)

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 isocurvature, cosmic string,
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primordial non-Gaussianity

$$\Phi(\mathbf{x}) = \Phi_G(\mathbf{x}) + \mathbf{f}_{\text{NL}}(\Phi_G^2(\mathbf{x}) - \langle \Phi_G^2 \rangle)$$

local smooth. use optimal pattern estimator

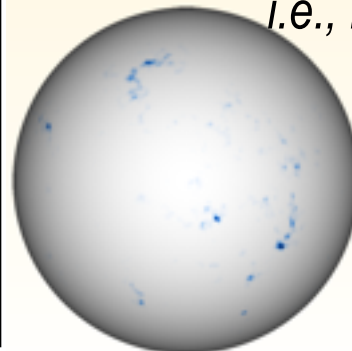
DBI inflation: non-quadratic kinetic energy
cosmic/fundamental strings/defects
from end-of-inflation & preheating

$$\Phi(\mathbf{x}) = \Phi_G(\mathbf{x}) + F_{\text{NL}}(\chi_b) - \langle F_{\text{NL}} \rangle$$

resonant preheating $\mathbf{f}_{\text{NL}}^{\text{eff}} + \text{cold spots}$

$-4 < \mathbf{f}_{\text{NL}} < 80$ (+- 5 Planck)

CMB peaks (hot&cold)
=> the WMAP Cold Spot
*clusters are frequency-
matched cold/hot spots*
i.e., rare event nonG tails



bias modulation with a nearly scale invariant Φ_G out to R_{hor}

primordial non-Gaussianity

$$\Phi(\mathbf{x}) = \Phi_G(\mathbf{x}) + \mathbf{f}_{NL}(\Phi_G^2(\mathbf{x}) - \langle \Phi_G^2 \rangle)$$

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DBI inflation: non-quadratic kinetic energy
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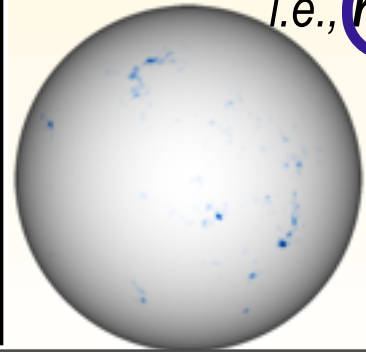
$$\Phi(\mathbf{x}) = \Phi_G(\mathbf{x}) + F_{NL}(\chi_b) - \langle F_{NL} \rangle$$

resonant preheating $\mathbf{f}_{NL\text{eff}}$ + cold spots

$-4 < f_{NL} < 80$ (+- 5 Planck)

CMB peaks (hot&cold)
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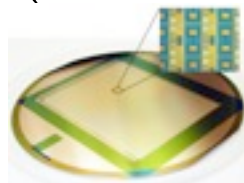
CBI ongoing to Sept'05
Acbar ongoing to Sept'06+

Bicep
Quiet1
QUaD

Quiet2
(1000 HEMTs)
Chile

APEX
(~400 bolometers)
Chile

SCUBA
(12000 bolometers)



SZA
(Interferometer)
Owens Valley



ACT
(3000 bolometers)
Chile

2003

2005

2007

2015
CMBpol

2004

2006

2008

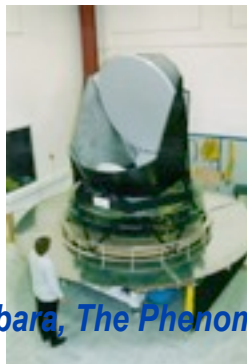
WMAP ongoing to 2007+

Polarbear
(300 bolometers)
California

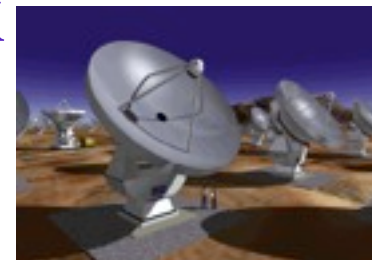


SPT
(1000 bolometers)
South Pole

ALMA
(Interferometer)
Chile



Planck
(50 bolometers)
L2



October 2004, The Future of Physics, KITP, UC Santa Barbara, The Phenomenology of Dark Energy and Cosmic Acceleration

CBI pol to Apr'05 @Chile

CBI2

QUaD @SP

53+35 cls (≥ 40)

189 +10 cls (≥ 1000)

Planck09.4

52+ bolometers
+ HEMTs @L2
9 frequencies



WMAP @L2 to 2010

2004

2006

2008

2011

LHC

Bpol
@L2

2005

Acbar@SP

~1 blind

SZA@Cal

3 cls ($z > 1$), x?

2007

AMIBA

6 cls

21+26~50 (≥ 750)

2009

SPT

1000 bolos
@SPole



ACT

23+27~50 cls

3000 bolos
3 freqs @Chile

>96
OVRO
/BIMA
array
38 cls

AMI

7+1 cls $\geq 50+25$

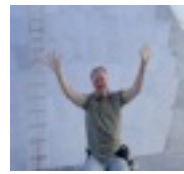


APEX

~400 bolos @Chile

~25 cls

12000 bolos
JCMT @Hawaii



SCUBA2

12000 bolos

JCMT @Hawaii

SPTpol

ACTpol

ALMA

CCAT@Chile

LMT@Mexico

80s-90s
Ryle
OVRO

GBT

4 cls (~25 CLASH)

*in praise of **mocking the cluster/gp system** with increasing sophistication: Monte Carlo selections, contamination of probes, n_{cl} (what's happening, Mass++), & ... MC mock-observations & systematics*

cluster near, intermediate (> r500) & far (>r200) field

internal bulk flows aka turbulence

ratty edges from filament inflow

anisotropy \neq spherical

line of sight contaminants for cylindrical measures

clumping, subhalos, ...

radio galaxies / AGN / BCG inside

other galaxies inside

background galaxies

short distance complexities in a coarse-grained world

@Monsters Inc: good movement in this direction, e.g., ACT, Planck, SPT, DES, X..., an industry arises, Mockers Inc.

need: fast + numerous MC, but informed by high res full simulations

beware, although DM-dominated the gas/stars are - of course - highly biased inside the

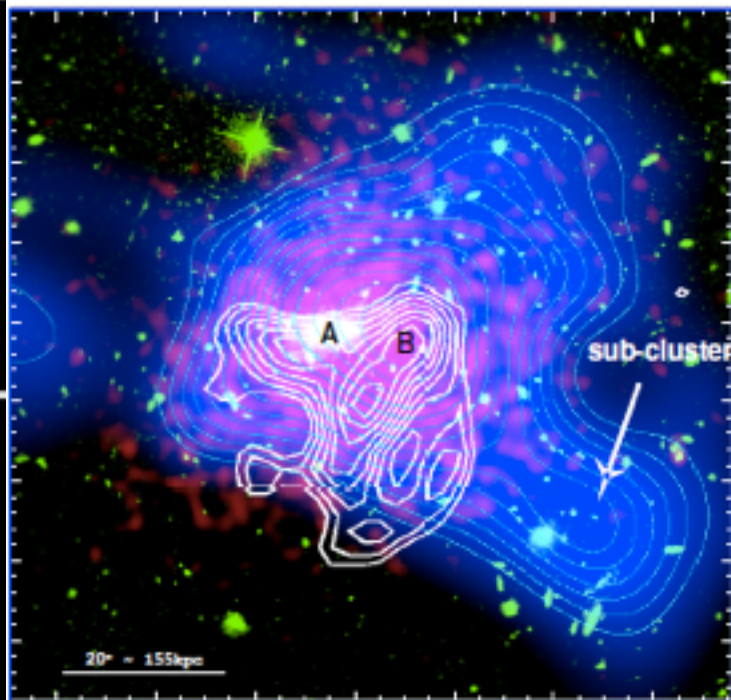
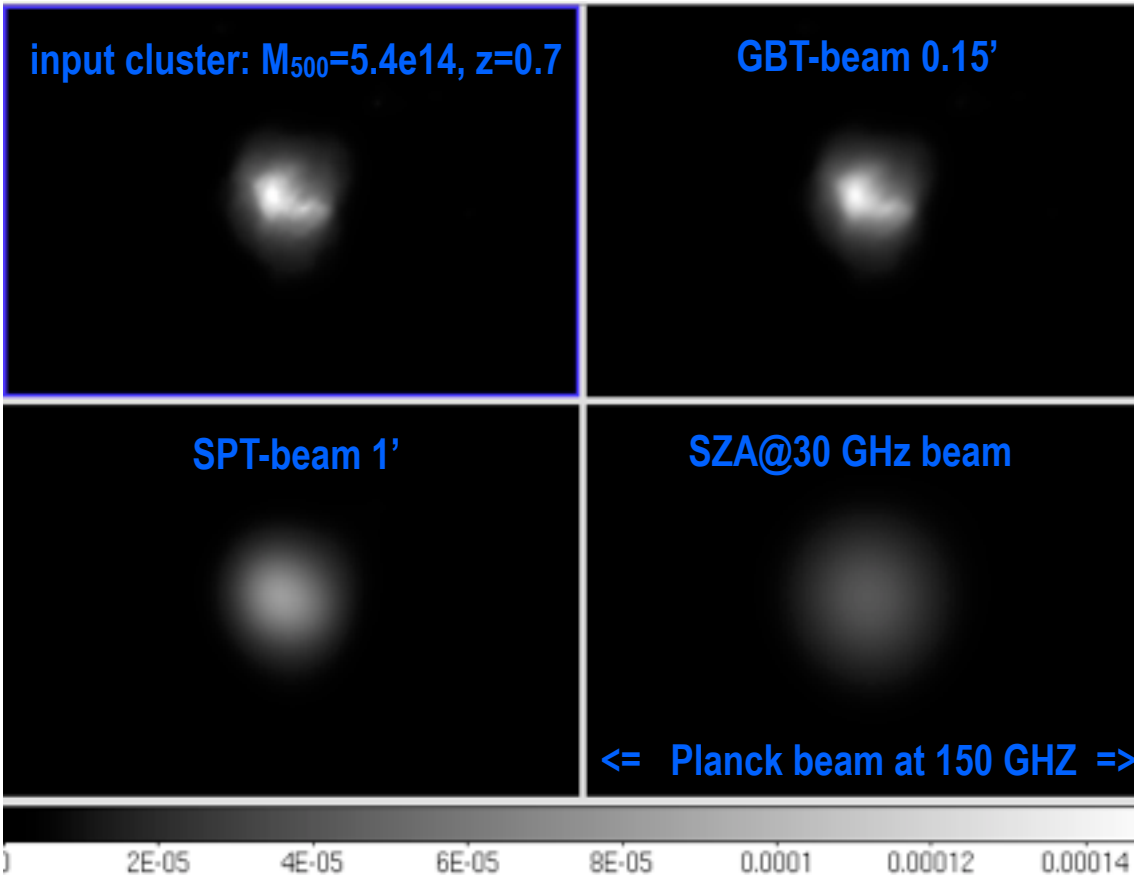
clusters, painting/splattering dark matter halo potential wells (e.g., $\mathbf{p}_e(\Phi_N(X))$) can
never be accurate; e.g., DM ellipticity \gg gas ellipticity

Mustang on GBT 90 GHz 64 bolometer array Imaging SZ

@~10" res 4 cls 2010, ~25 Hubble CLASH cls to come Devlin, Mason, ...

future: High-Res SZ sim for MUSTANG2

now: CL1226 z=0.89



12:27:00.0 58.0 26:56.0
α (J2000)

Red Chandra
Blue/cyan weak lens Σ
Green optical
White MUSTANG SZ >3σ

100x mapping speed!
160 cf. 64 pixels, over
larger area (5' vs. 40")

=> **Planck followup
to 35σ in 1hr**

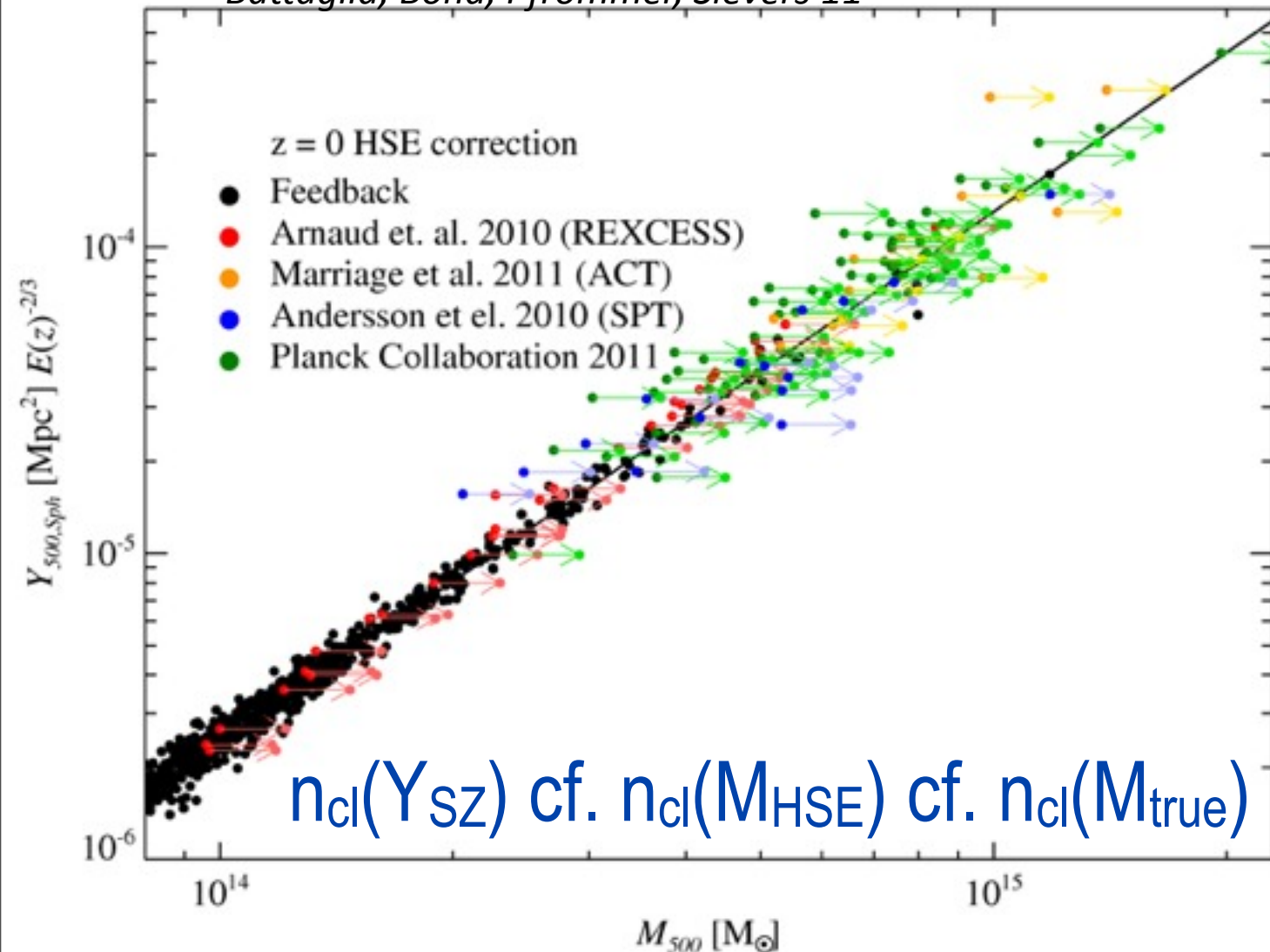
full MUSTANG2 pipeline simulation
=> detected at 25σ in 2 hours

A BCG ~ X-ray peak
B Dark Matter peak
~ lobe of SZ ridge

$Y(<r_\Delta)$ - $M(<r_\Delta)$ relation, where

$$M(<R_\Delta)/V(<R_\Delta)=\Delta \rho_{\text{crit}}, \Delta=2500, 500, 200$$

Battaglia, Bond, Pfrommer, Sievers 11



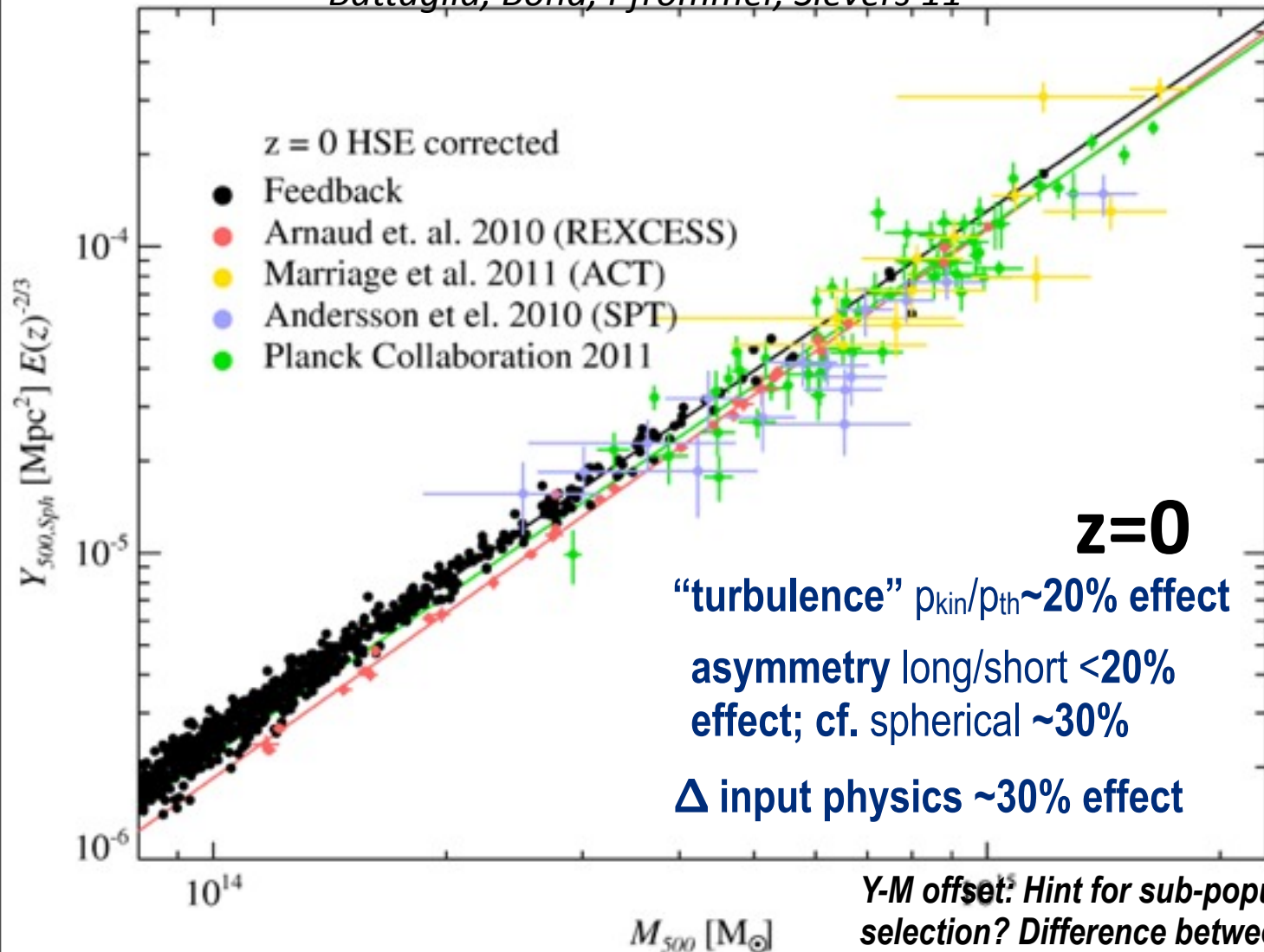
Planck-ESZ
gives Y_{5R500}

is Y_{SZ} a good
mass proxy in
 $n_{\text{cl}}(M, z)$?
even though
virial theorem
 $Y(e, K/U, \dots | M)$
 $\Rightarrow n_{\text{cl}}(Y, z)$

$Y(<r_\Delta)$ - $M(<r_\Delta)$ relation, where

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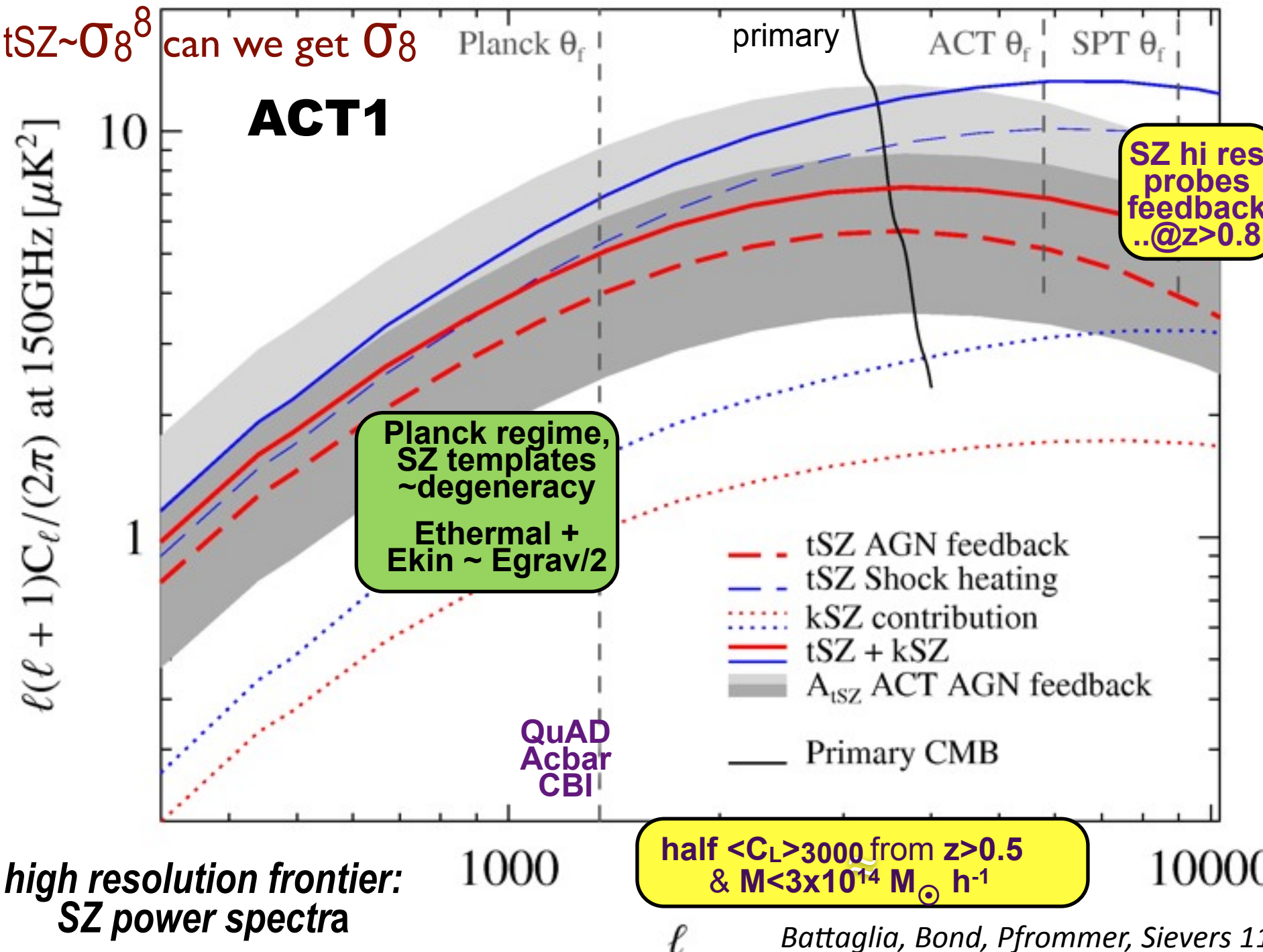


Planck-ESZ gives Y_{5R500}

is Y_{sz} a good mass proxy in $n_{cl}(M, z)$?
 even though virial theorem $Y(e, K/U, \dots | M)$
 $\Rightarrow n_{cl}(Y, z)$

Y-M offset: Hint for sub-populations? Optical selection? Difference between M_x & M_{Lens} & M_{bias} ?

tSZ $\sim \sigma_8^8$ can we get σ_8



high resolution frontier:
SZ power spectra

half $\langle C_L \rangle 3000$ from $z > 0.5$
& $M < 3 \times 10^{14} M_\odot h^{-1}$

Battaglia, Bond, Pfrommer, Sievers 11

$n_s(k)$, GW $r(k)$, nonG f_{NL++} , $\rho_{de}(t)$, m_ν , strings, isocurvature, ...

near-future cosmology => PlanckEXT

EXT=many observatories & expts enabling the cosmology/astro

XMM Herschel Fermi WMAP GBT BLAST ACT SPT AMI CBI CBASS QUIET SDSS IRAS CO/HI-maps, ...

ACTpol, SPTpol, eRosita, PanStarrs, DES, LSST, Mustang2,

CCAT, *ABS, Spider, EBEX, Keck, ...* \subset **EXT**