

# The Role of the MTI and HBI in the Intracluster Medium

Ian Parrish  
UC Berkeley

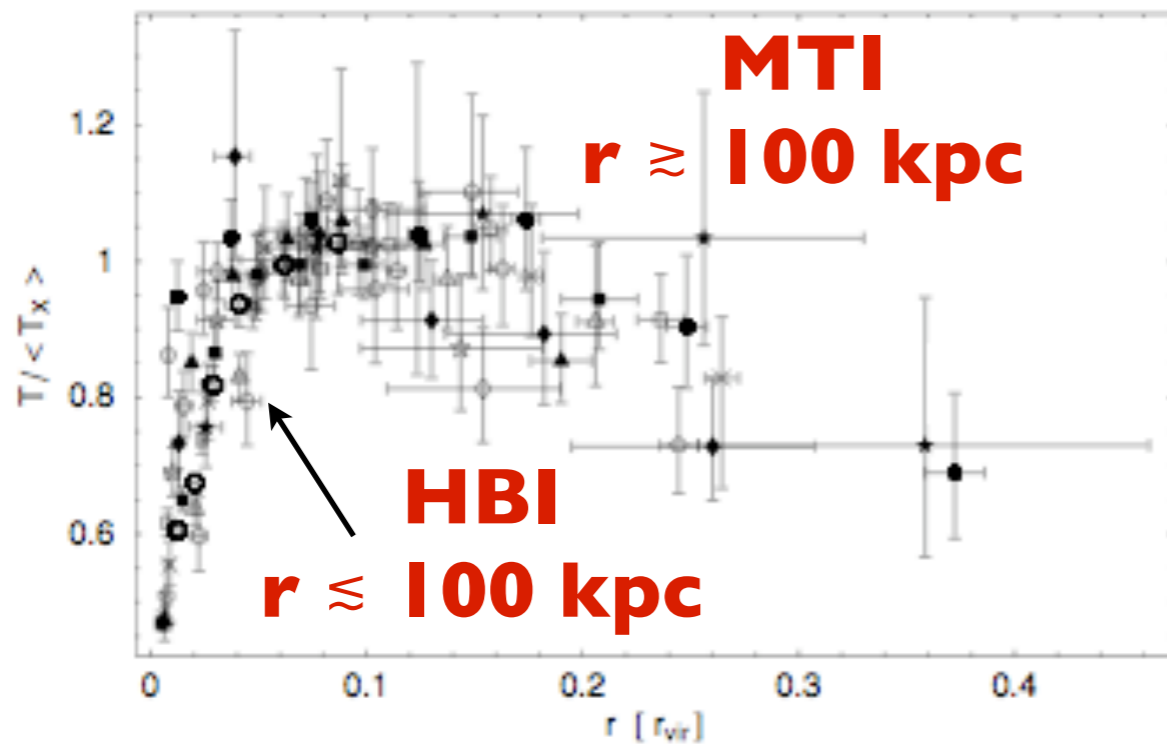
Collaborators: Mike McCourt  
Eliot Quataert, & Prateek Sharma

*Monsters, Inc.*  
*KITP*  
*March 15, 2011*

# The MTI & HBI in Clusters

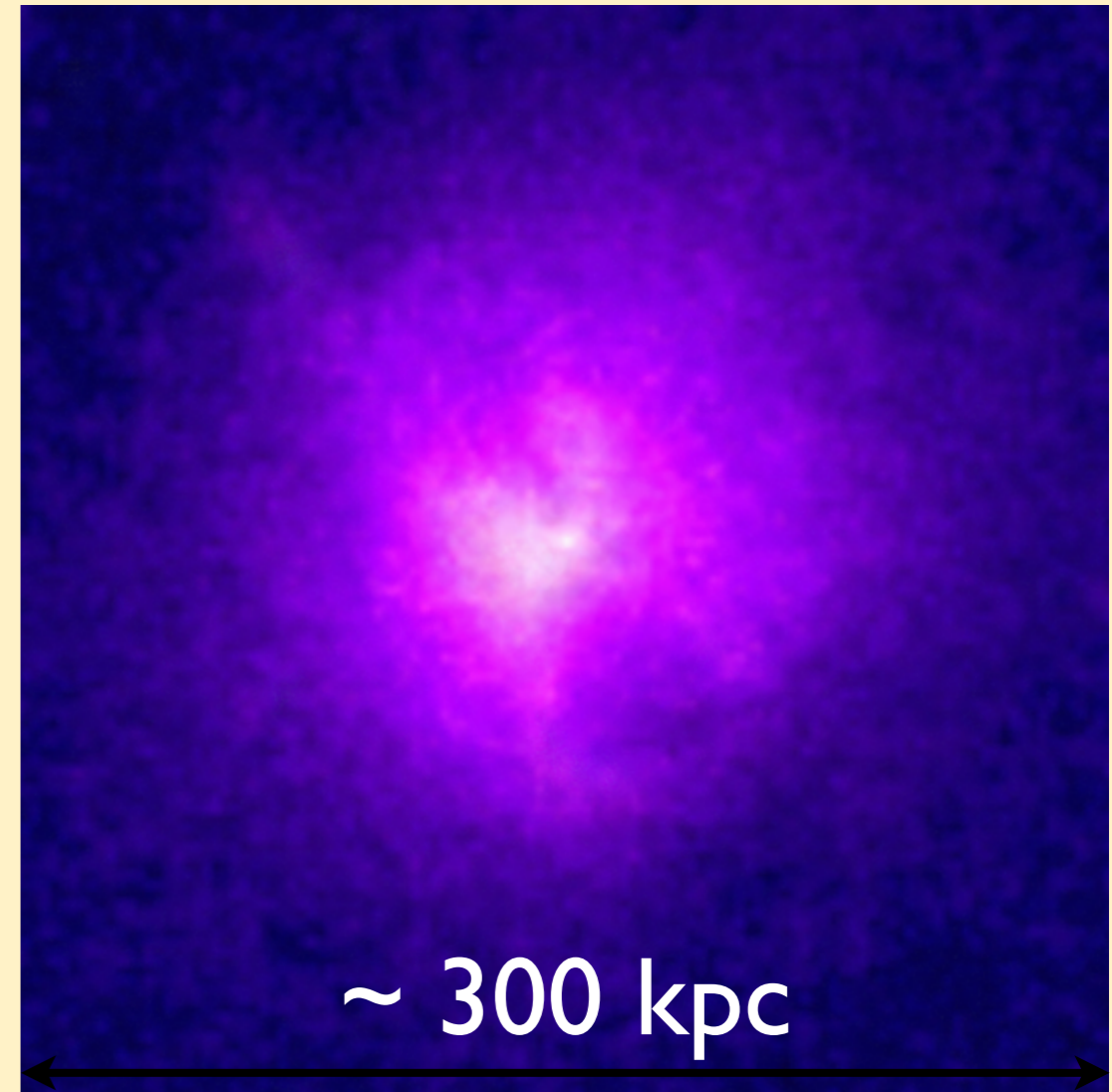
average cluster temperature profile

$\langle T \rangle / T_c$



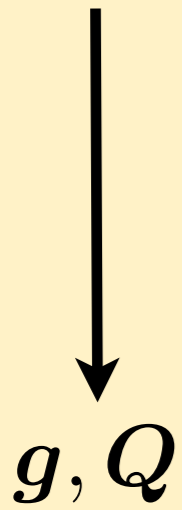
Radius ( $R_{vir}$ )

Piffaretti et al. 2005



**The Entire Cluster is Convectively Unstable!**

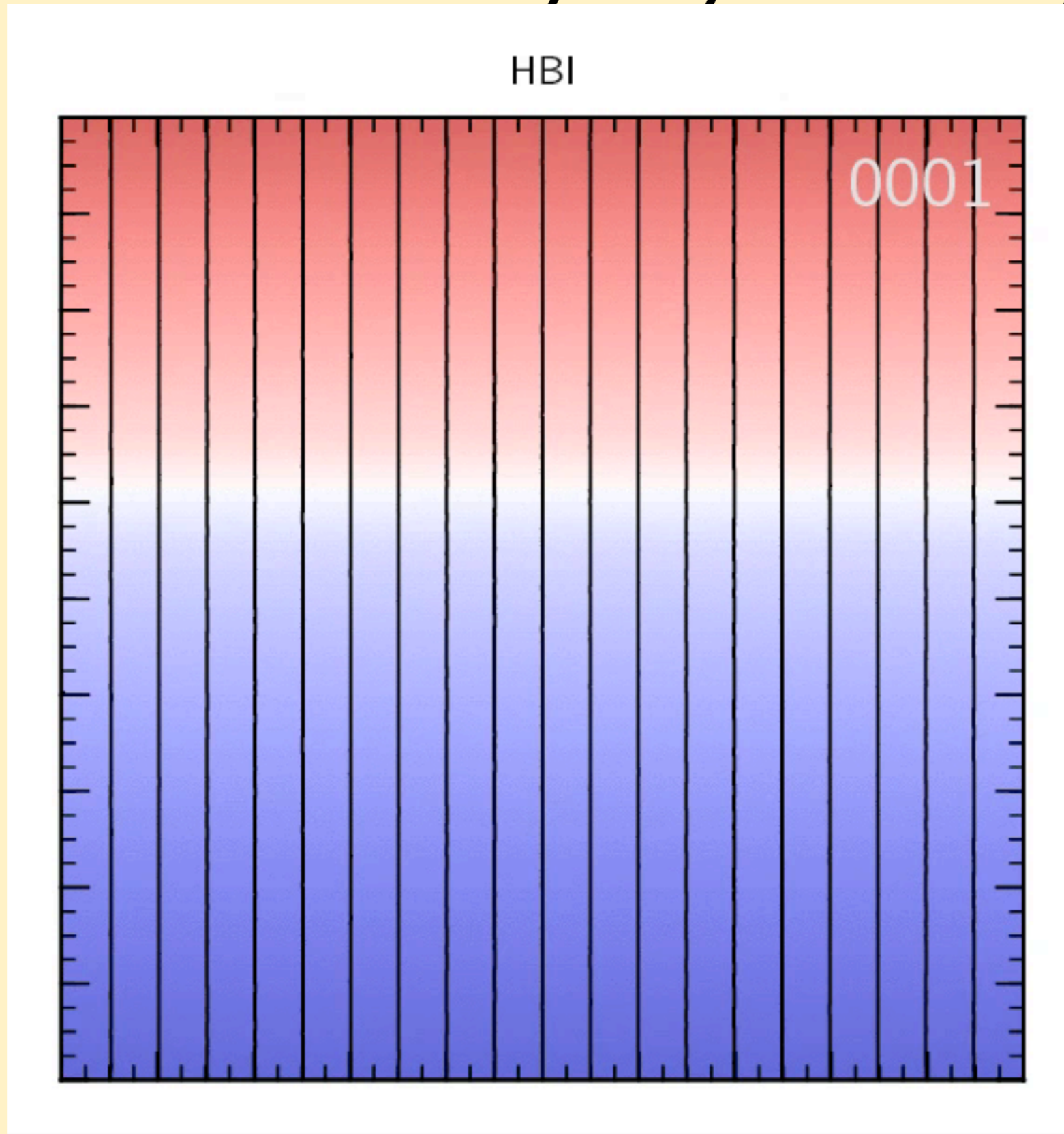
# Heat-Flux Driven Buoyancy Instability (HBI)



Quataert (2008)  
Parrish & Quataert (2008)

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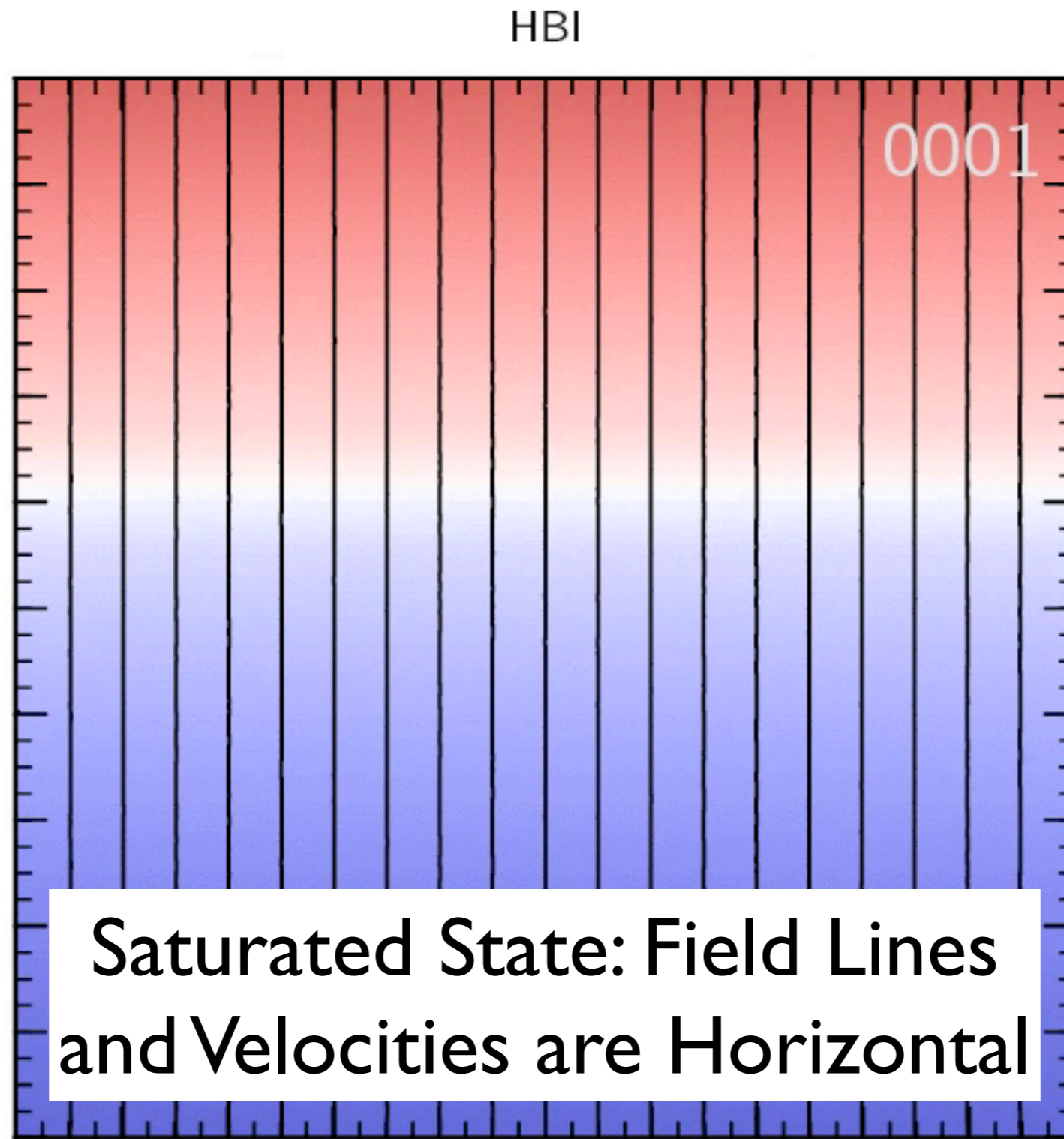
$g, Q$



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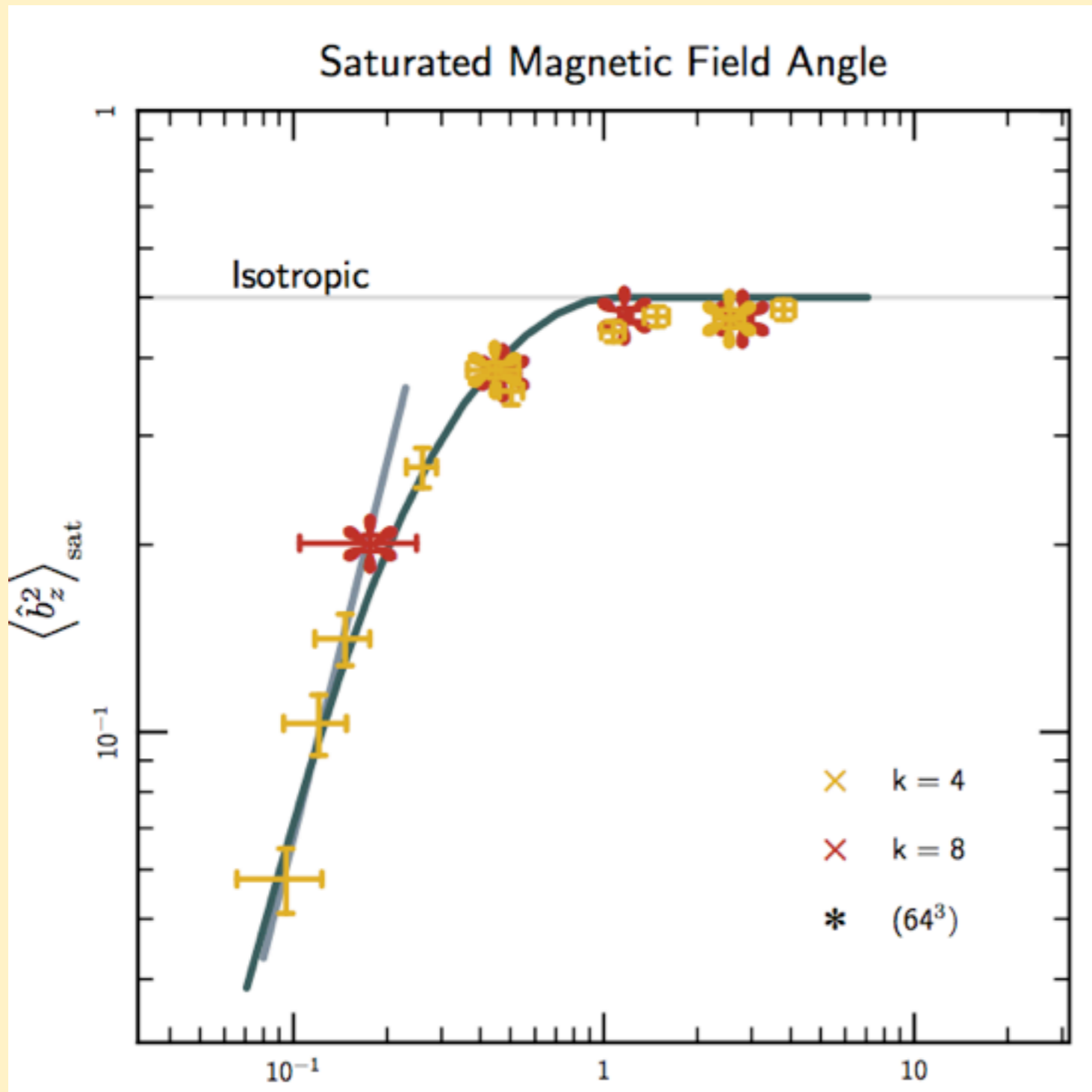


Quataert (2008)  
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# The HBI and Turbulence

Saturated Magnetic Angle

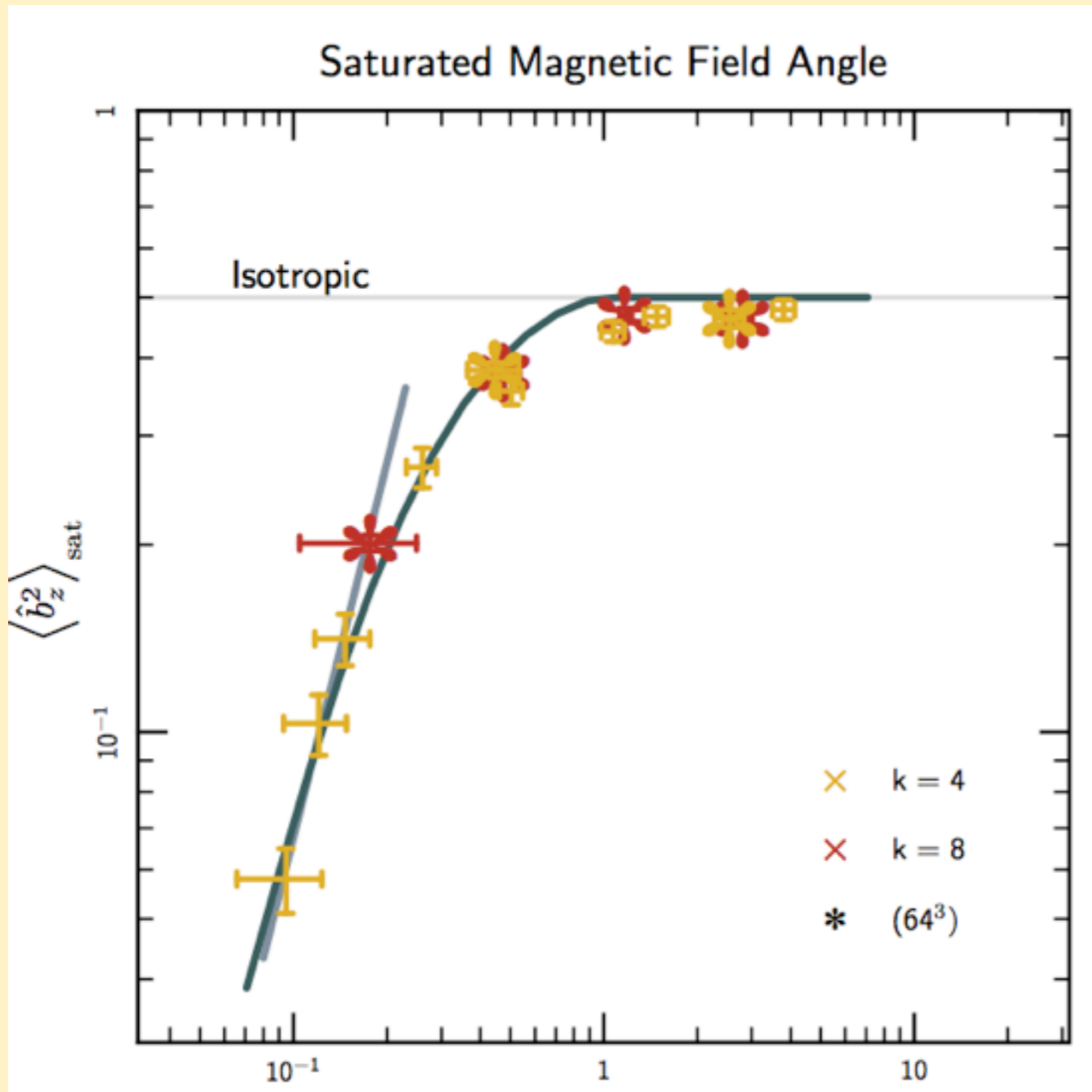


$t_{\text{HBI}}/t_{\text{eddy}}$

McCourt, Parrish, Sharma, & Quataert (2011)

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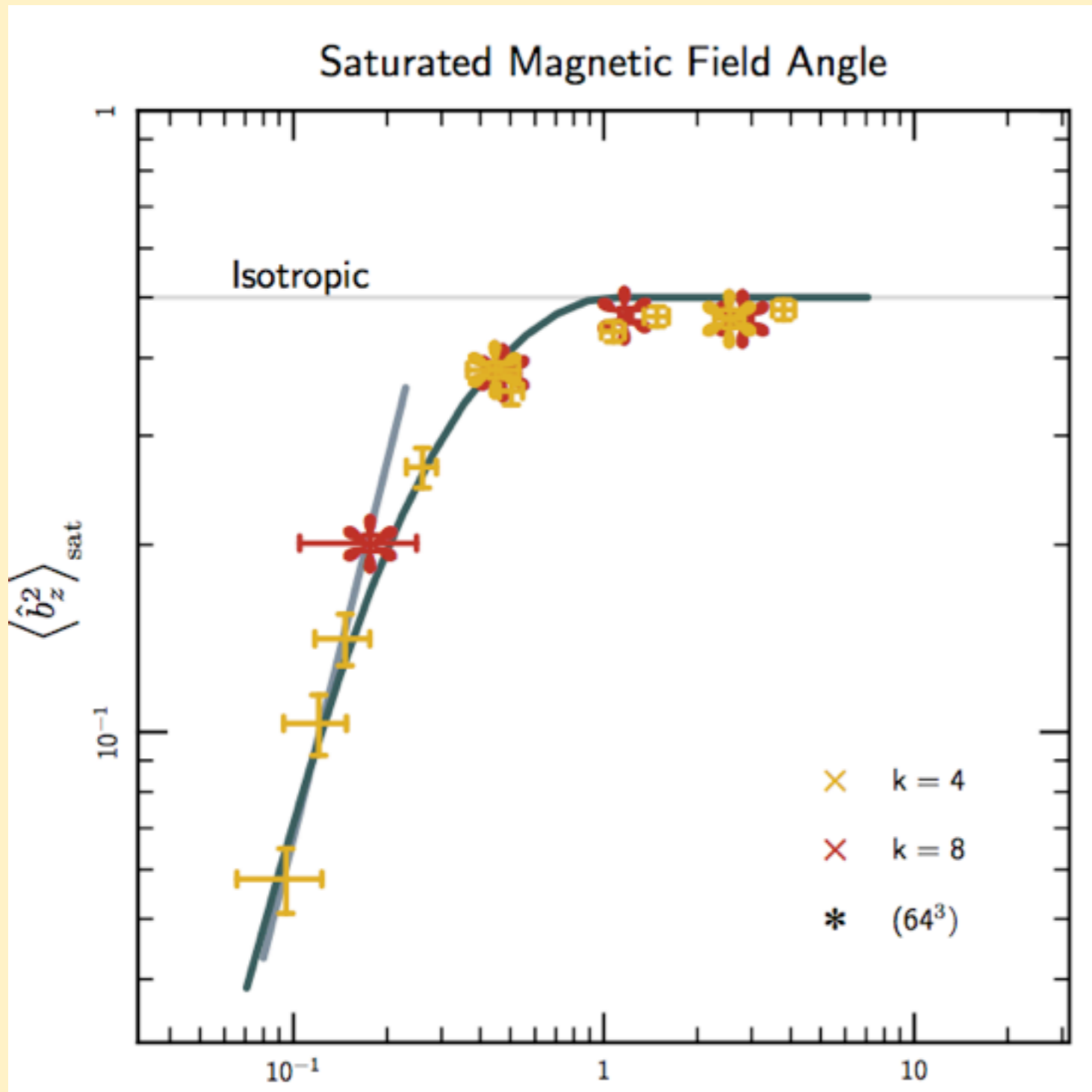
Richardson Number (Ri)

$$\text{Ri} = \text{Fr}^{-1/2}$$

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# The HBI and Turbulence

Saturated Magnetic Angle



Two Limits:

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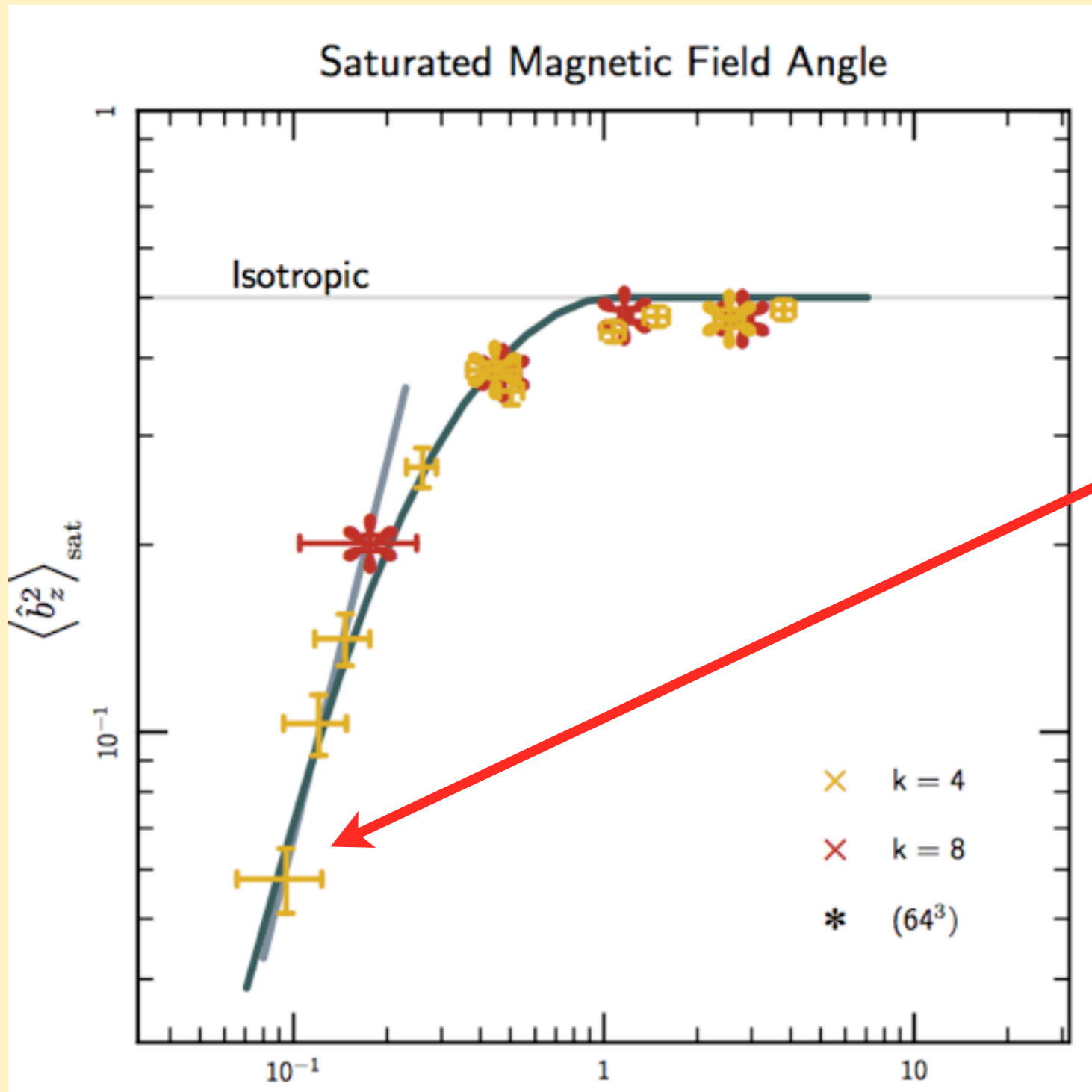
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# The HBI and Turbulence

Saturated Magnetic Angle



Two Limits:  
I) HBI efficient:

$$t_{\text{HBI}} < t_{\text{eddy}}$$

$$f_{\text{Sp}} \rightarrow 0$$

$t_{\text{HBI}}/t_{\text{eddy}}$

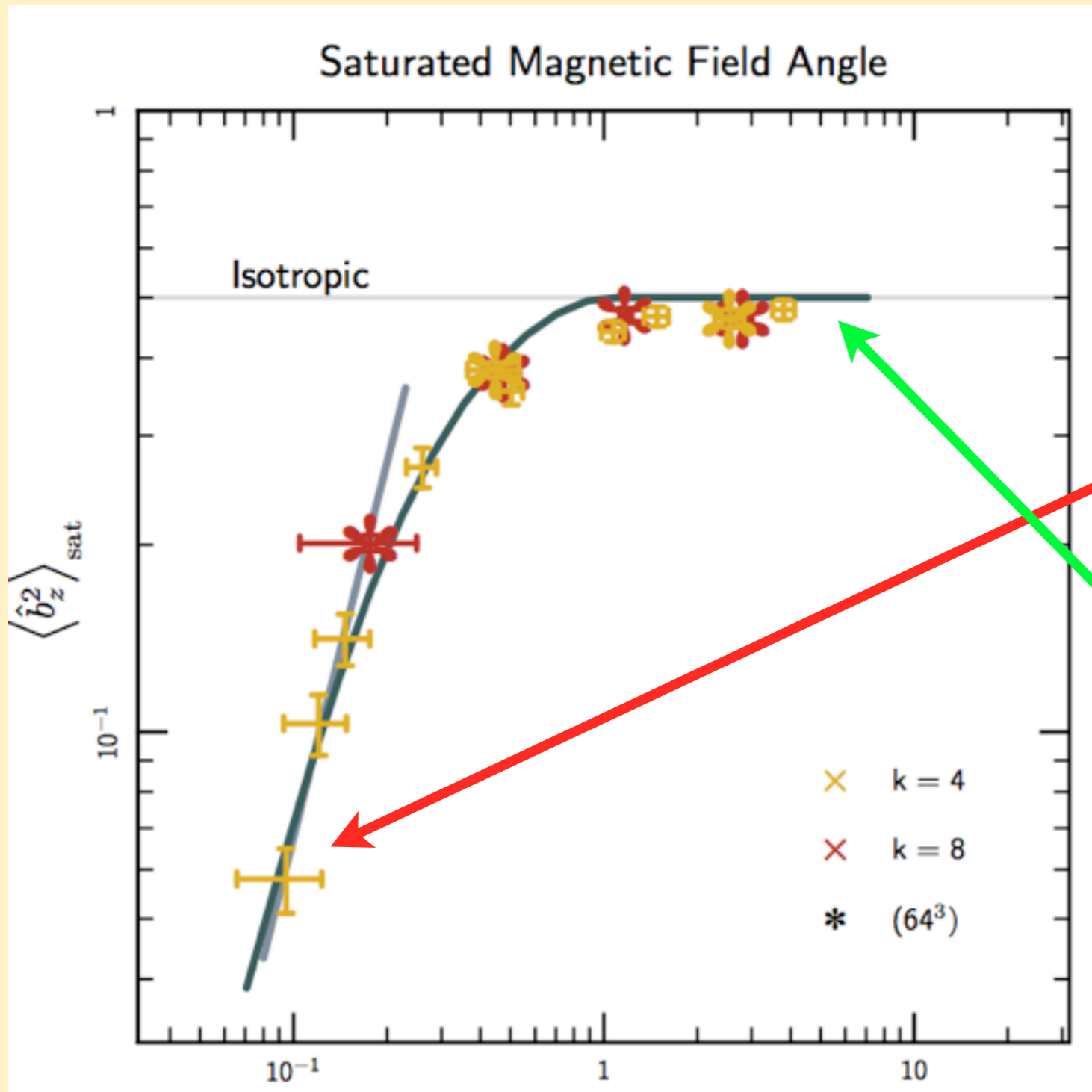
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Saturated Magnetic Angle



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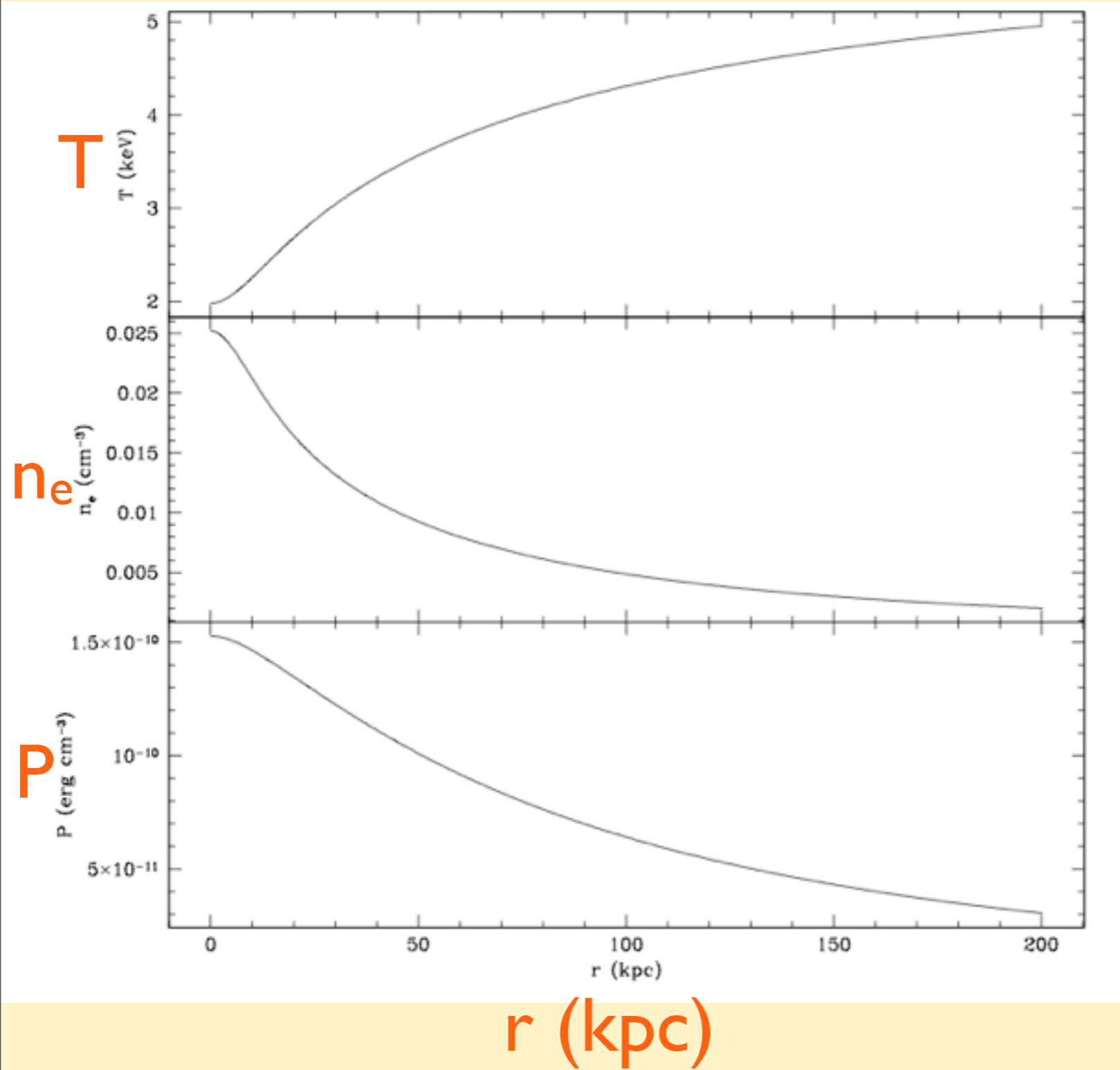
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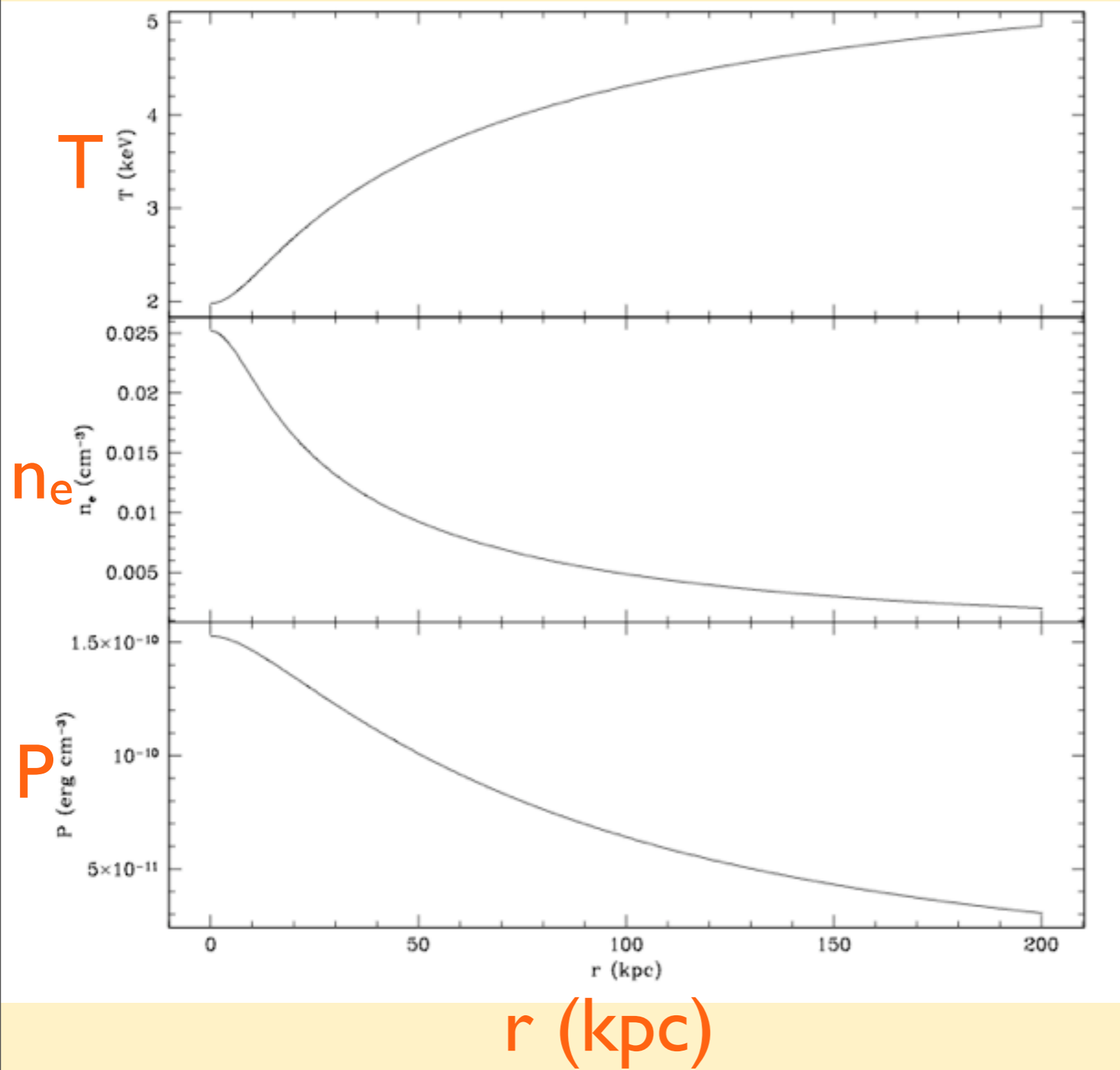
# HBI in Clusters: Abell 2199



- Cluster Parameters:
- Mass  $3.8 \times 10^{14} M_{\text{sun}}$
  - $r_s \sim 390$  kpc
- (Johnstone, et al 2002)
- Hydrostatic Equilibrium
  - Thermal Equilibrium
  - Tangled Magnetic Fields

(Parrish, Quataert, & Sharma 2009)  
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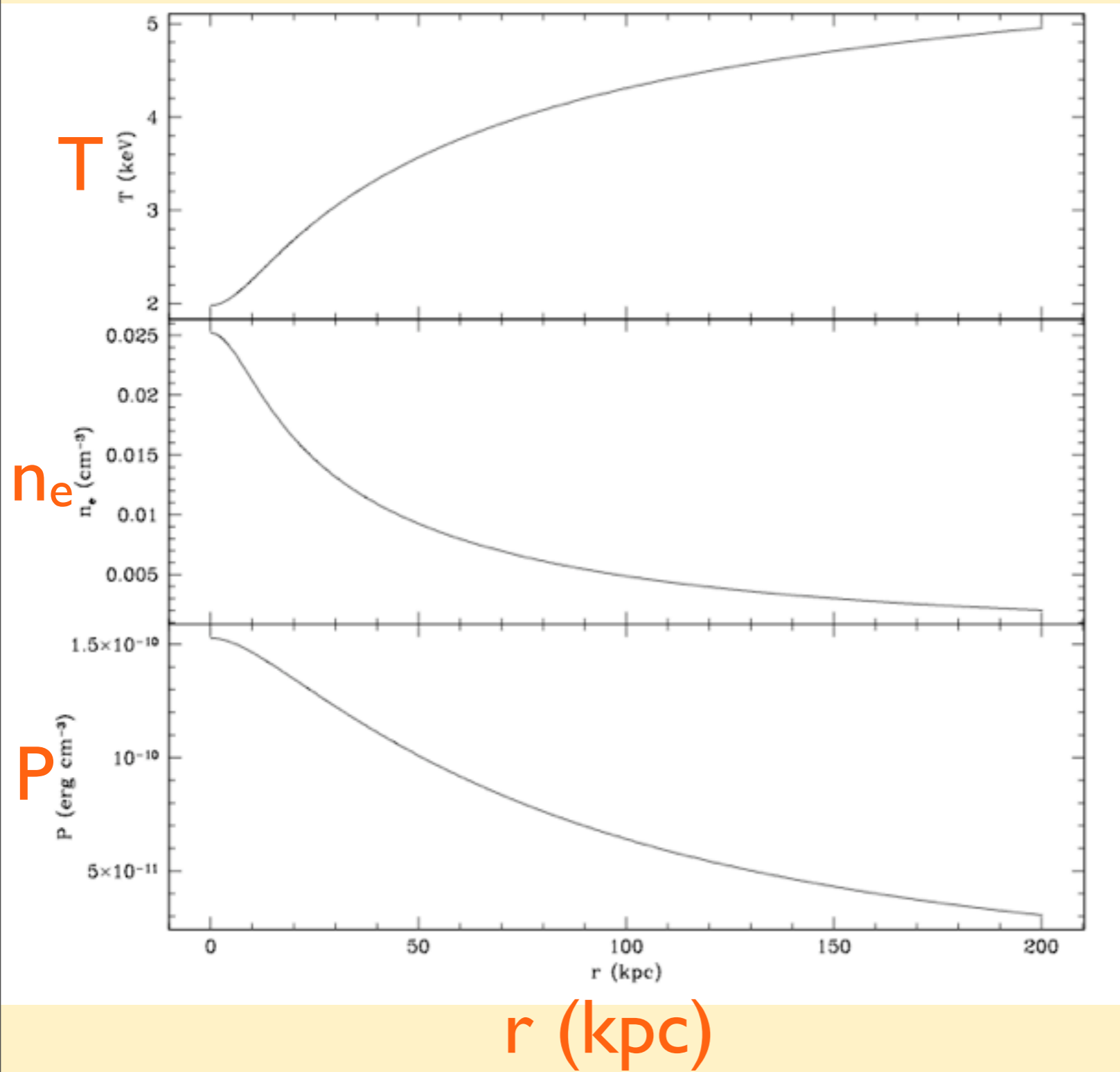


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**HBI Growth Time:  
120 Myr**

(Parrish, Quataert, & Sharma 2009)  
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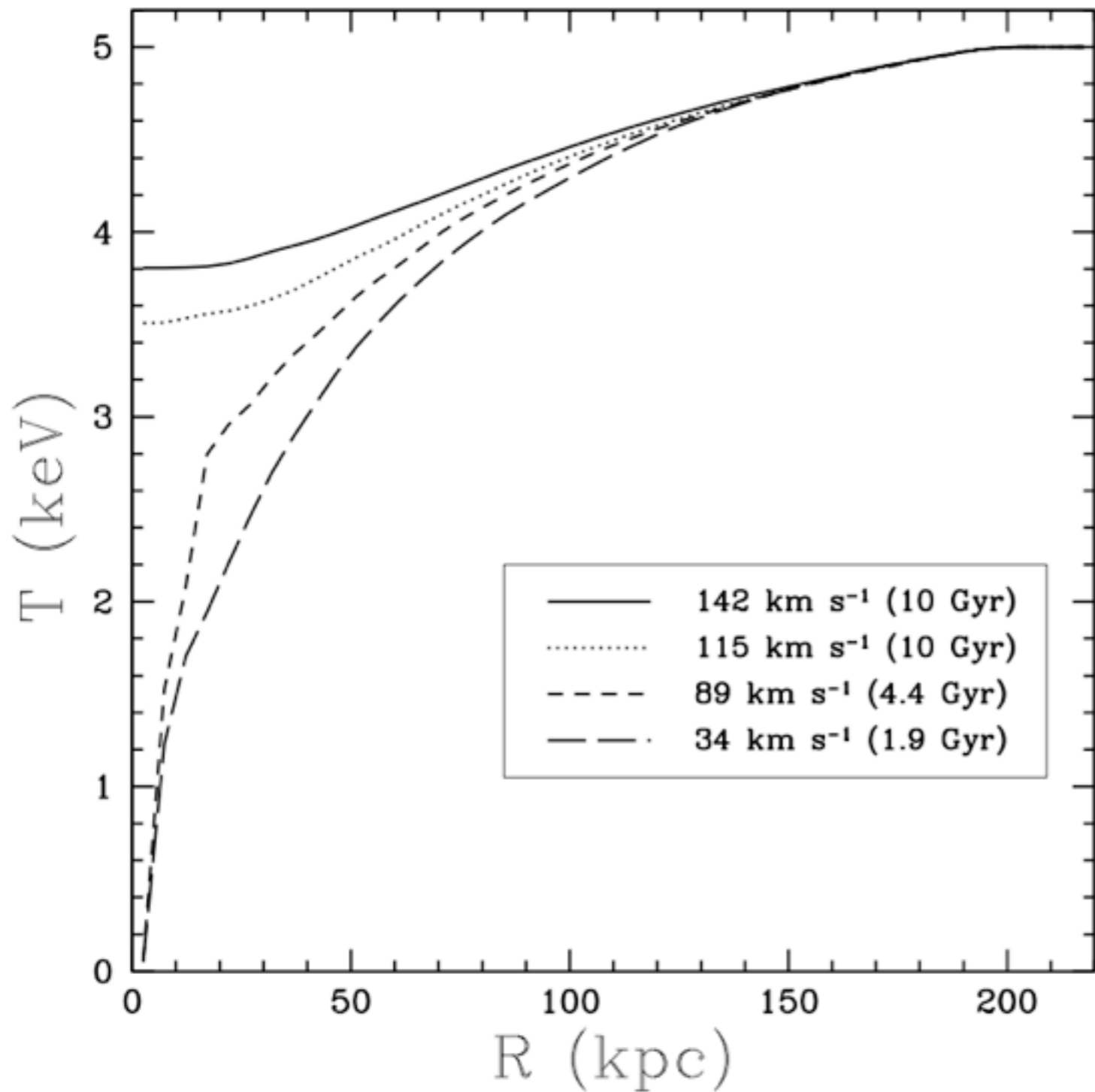
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Drive turbulence:  
( $v_{\text{rms}}, L_{\text{outer}}$ )

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# Turbulence and Bimodality

Final Temperature Profiles



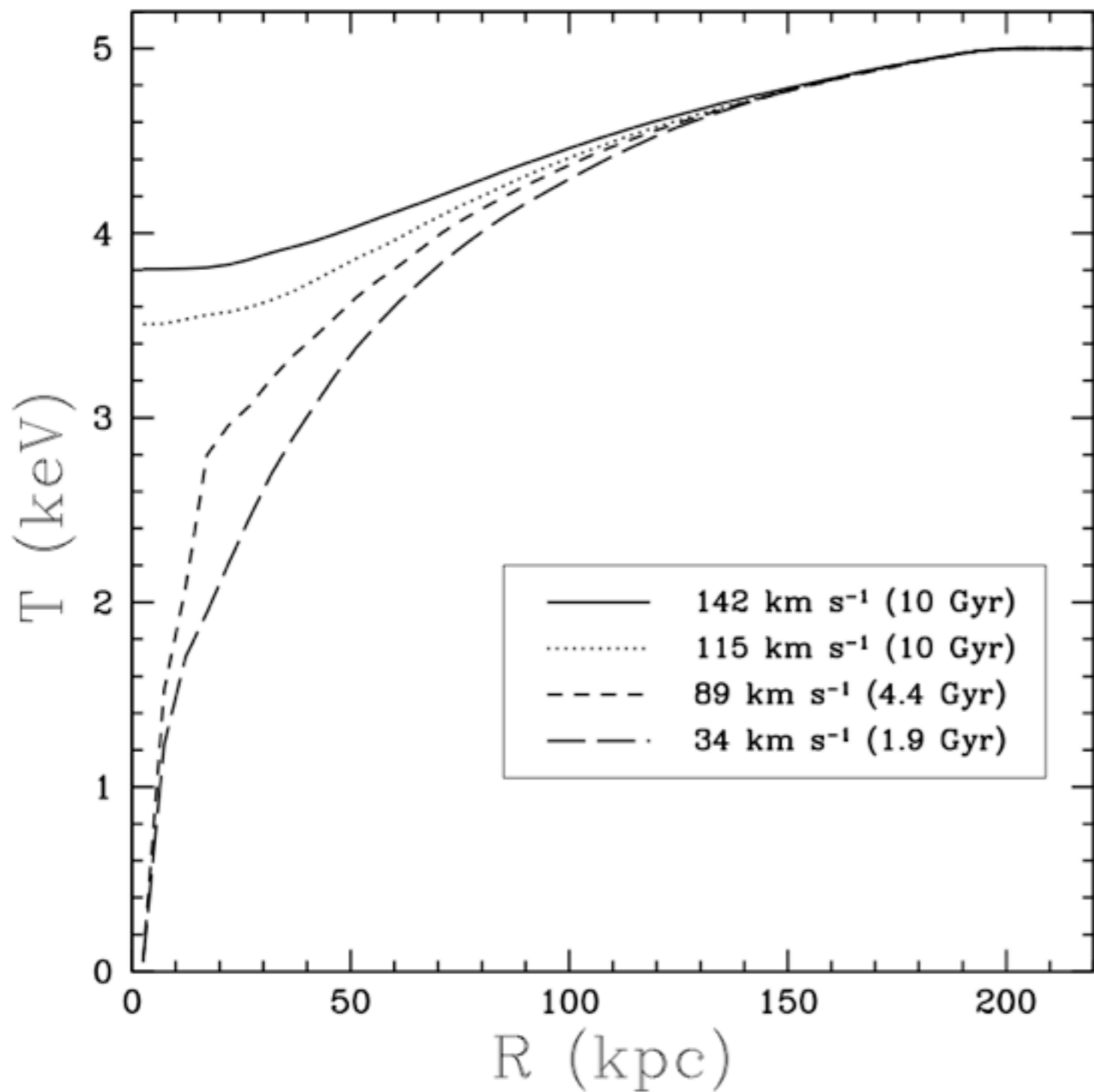
Exact Same  
Initial Conditions  
Turbulence of  $L = 40$  kpc.

Parrish, Quataert, & Sharma (2010)  
See also Ruszkowski & Oh (2010, 2011)



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$$t_{\text{HBI}} \approx 100 \text{ Myr}$$

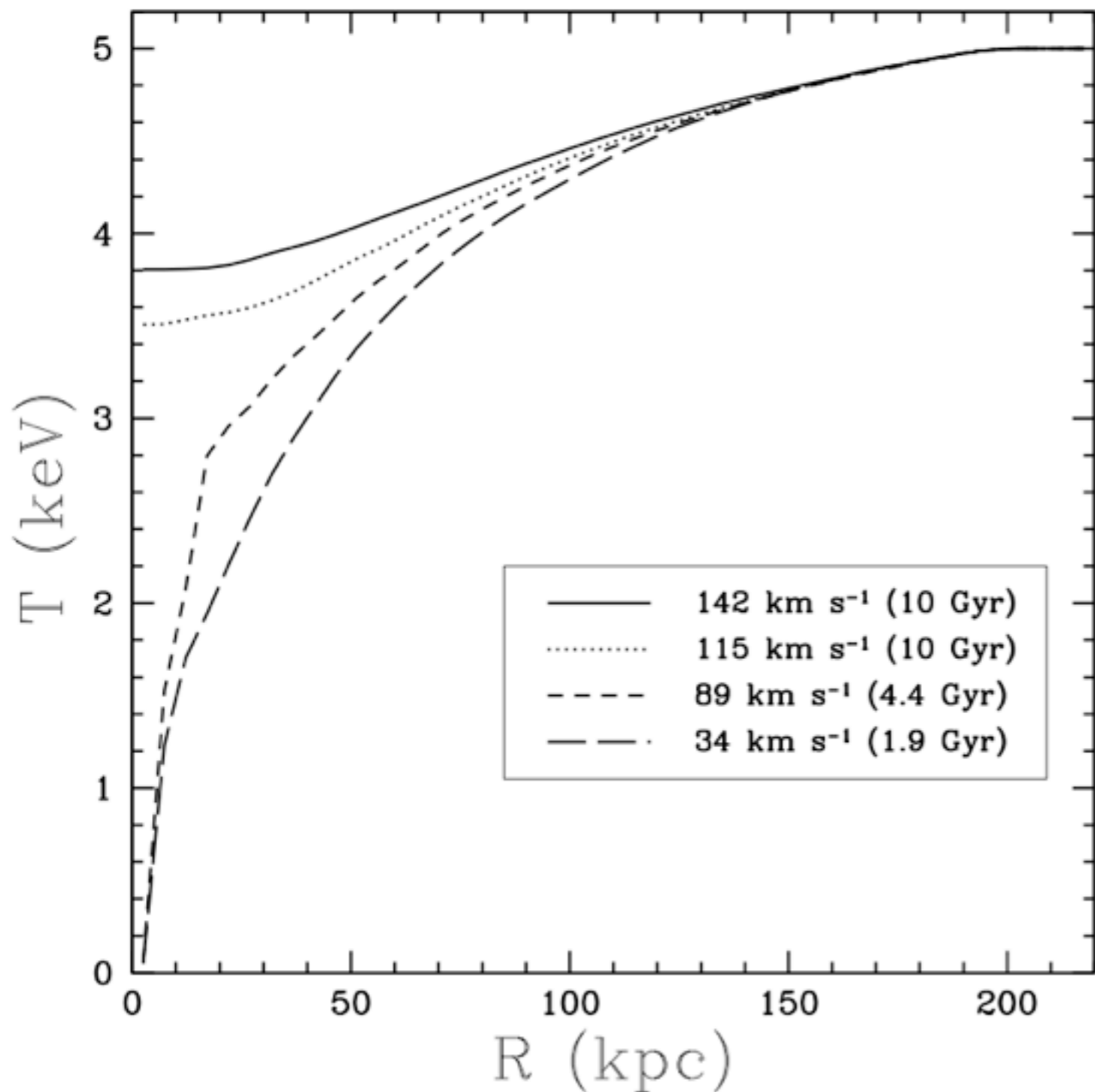
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$$t_{\text{eddy}} \approx 100 - 450 \text{ Myr}$$

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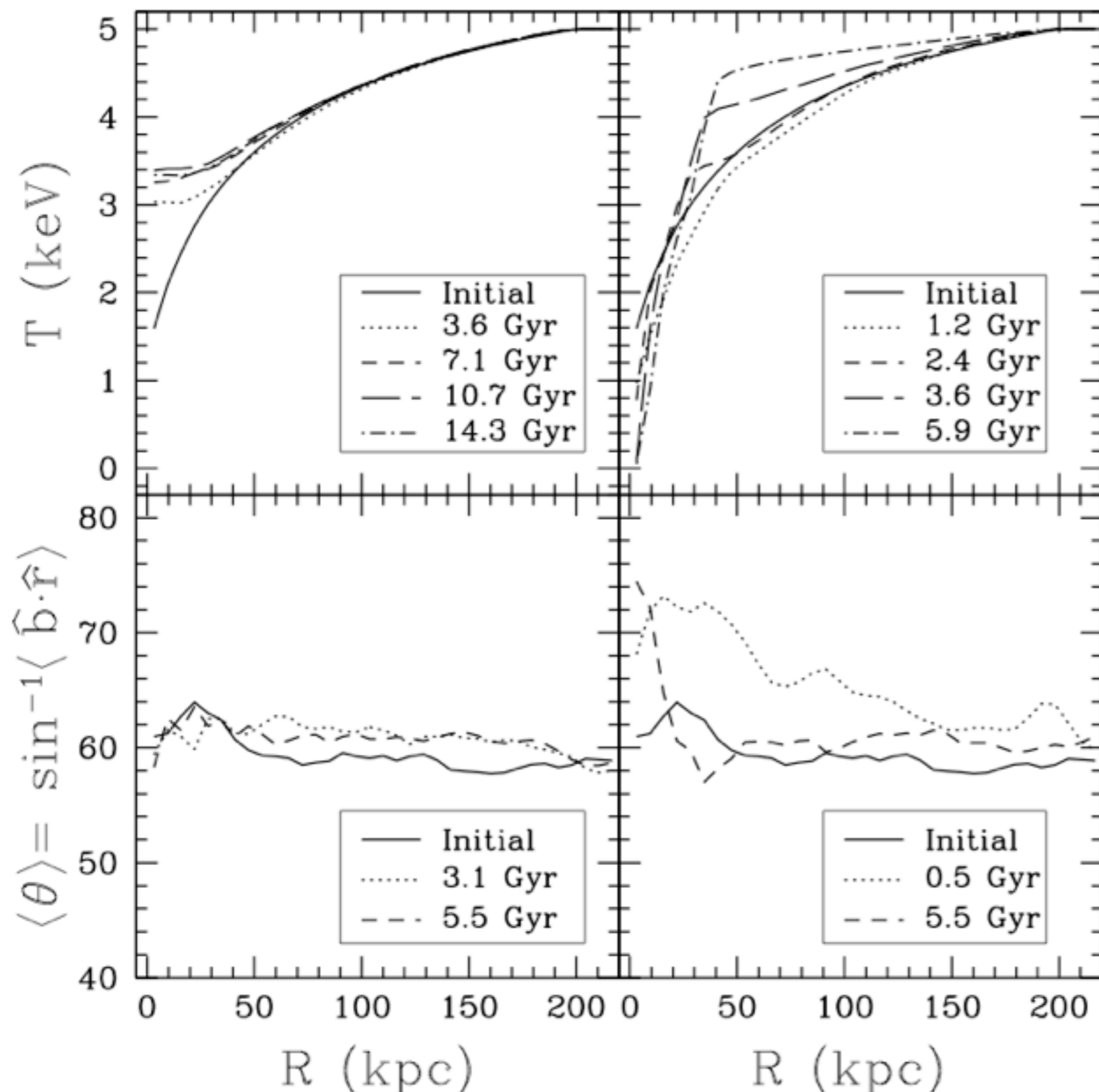
- Clear Bimodality:**  
~25 km/s velocity difference
- Stable ~isothermal profile
  - Cooling Catastrophe

Parrish, Quataert, & Sharma (2010)  
See also Ruszkowski & Oh (2010, 2011)

# Turbulence and Bimodality

L = 40 kpc

L = 100 kpc



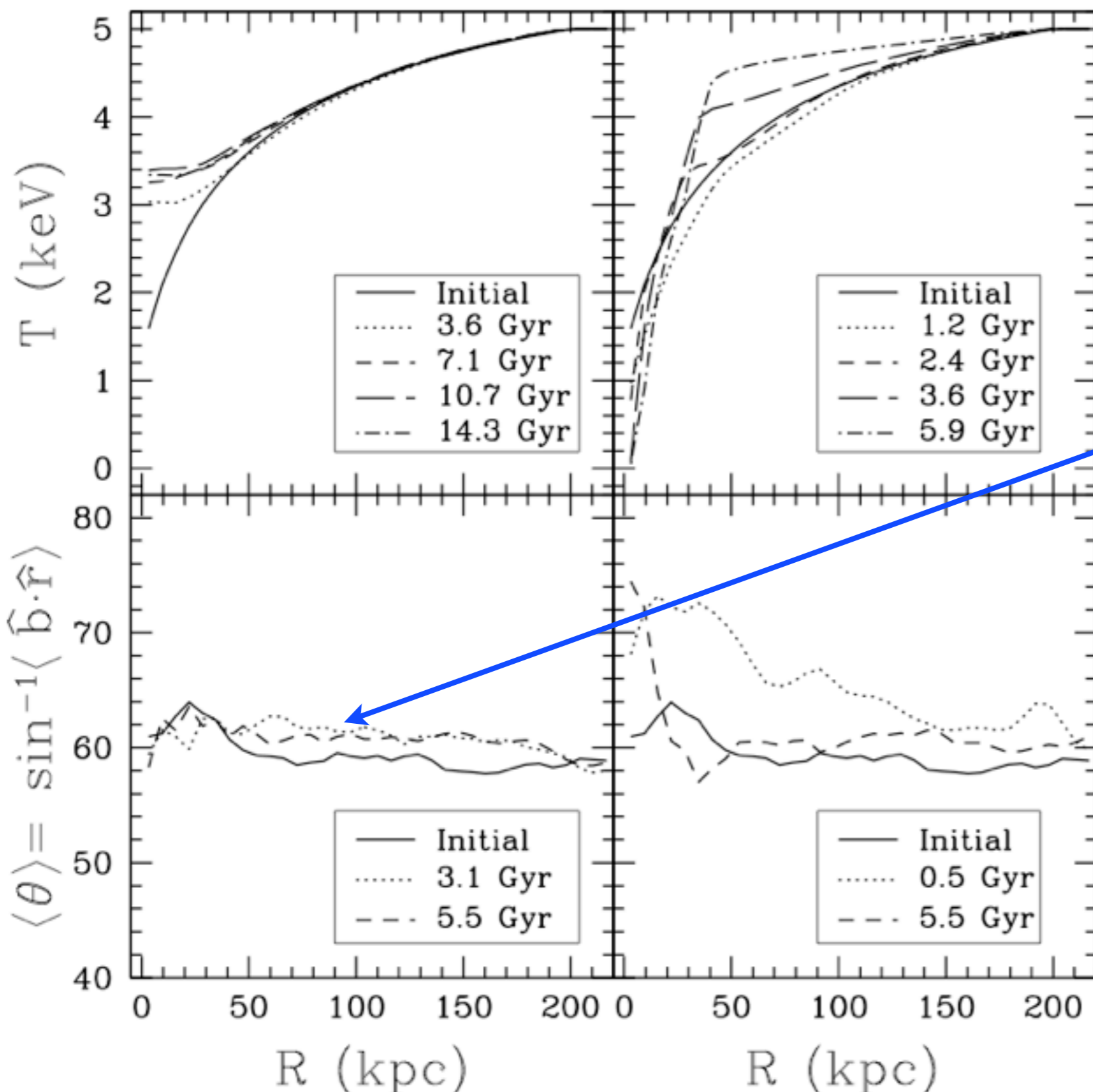
Same  $\delta v \sim 115$  km/s

$$t_{\text{eddy}} \sim L/\delta v$$

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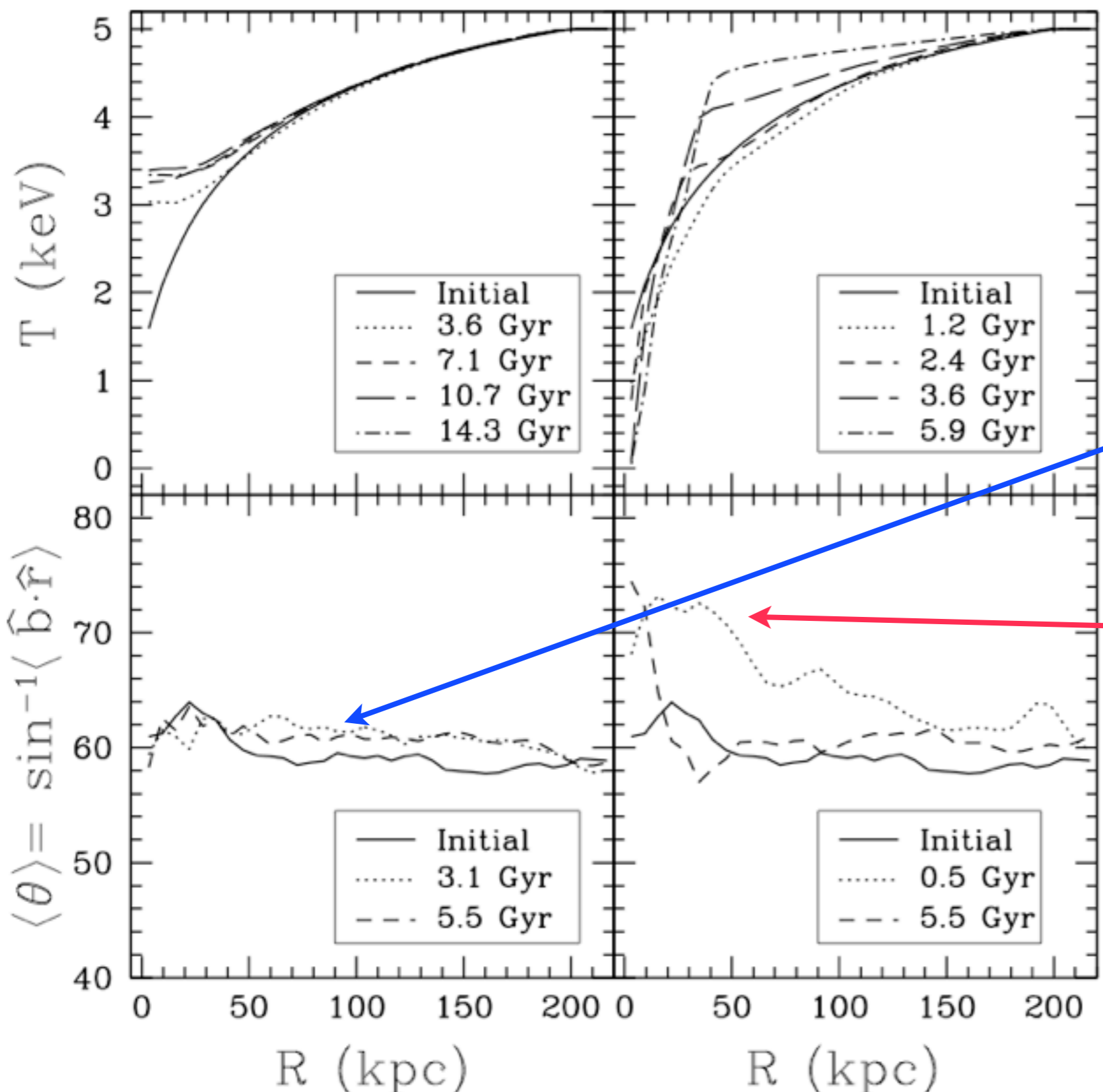
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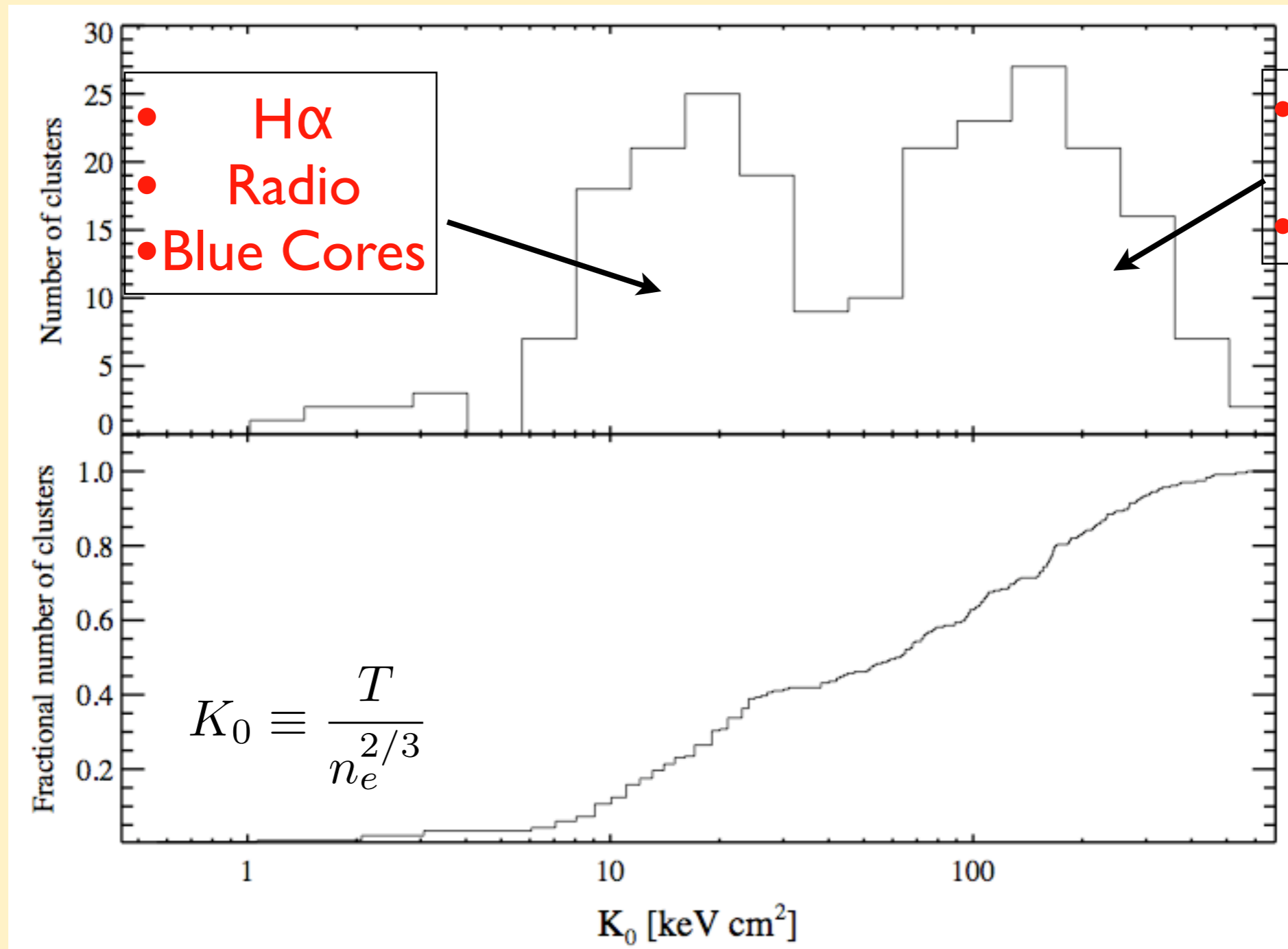
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HBI shuts off conduction

# Turbulence and Entropy

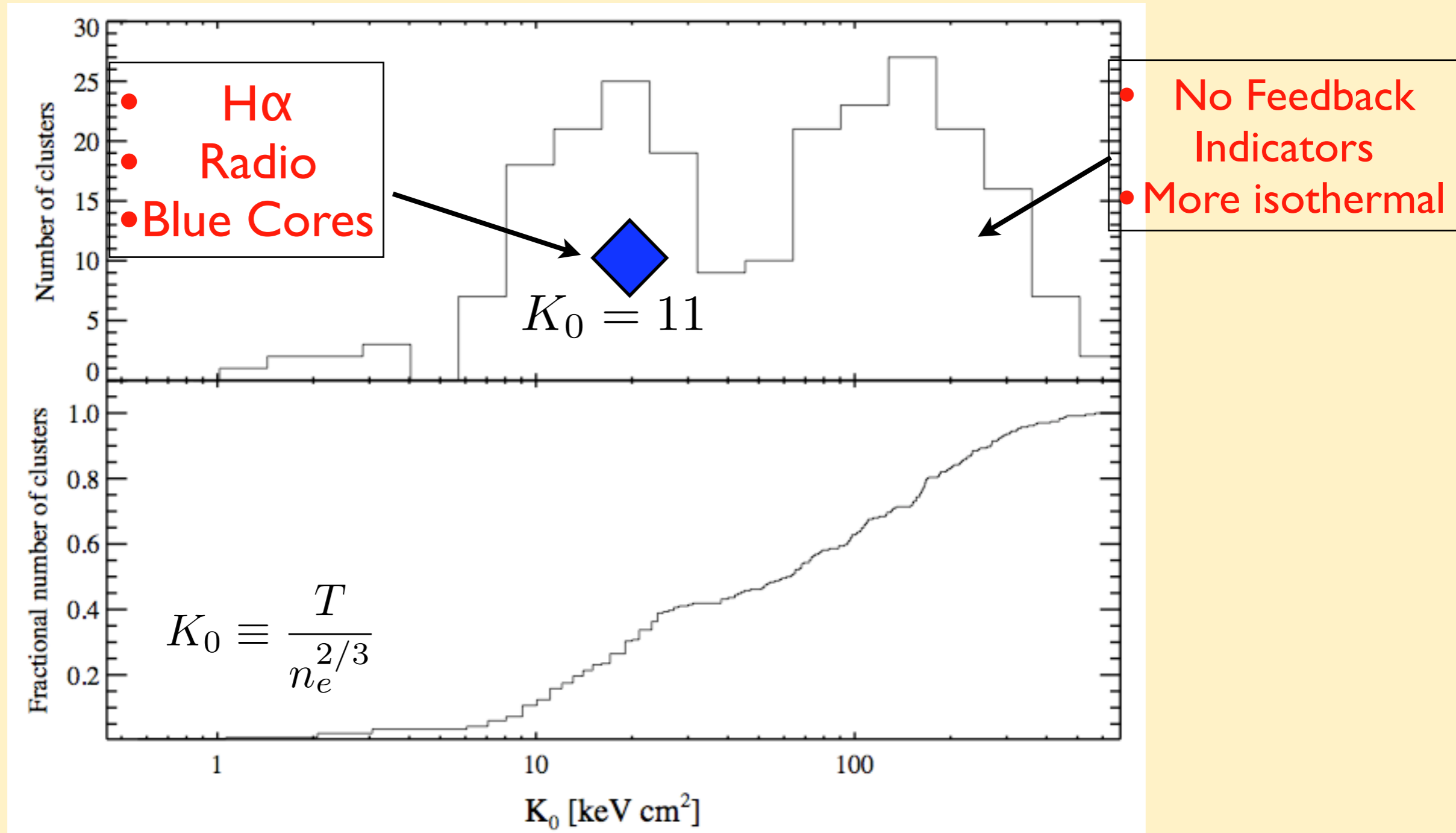
Cavagnolo, Voit, Donahue, et al (2009)





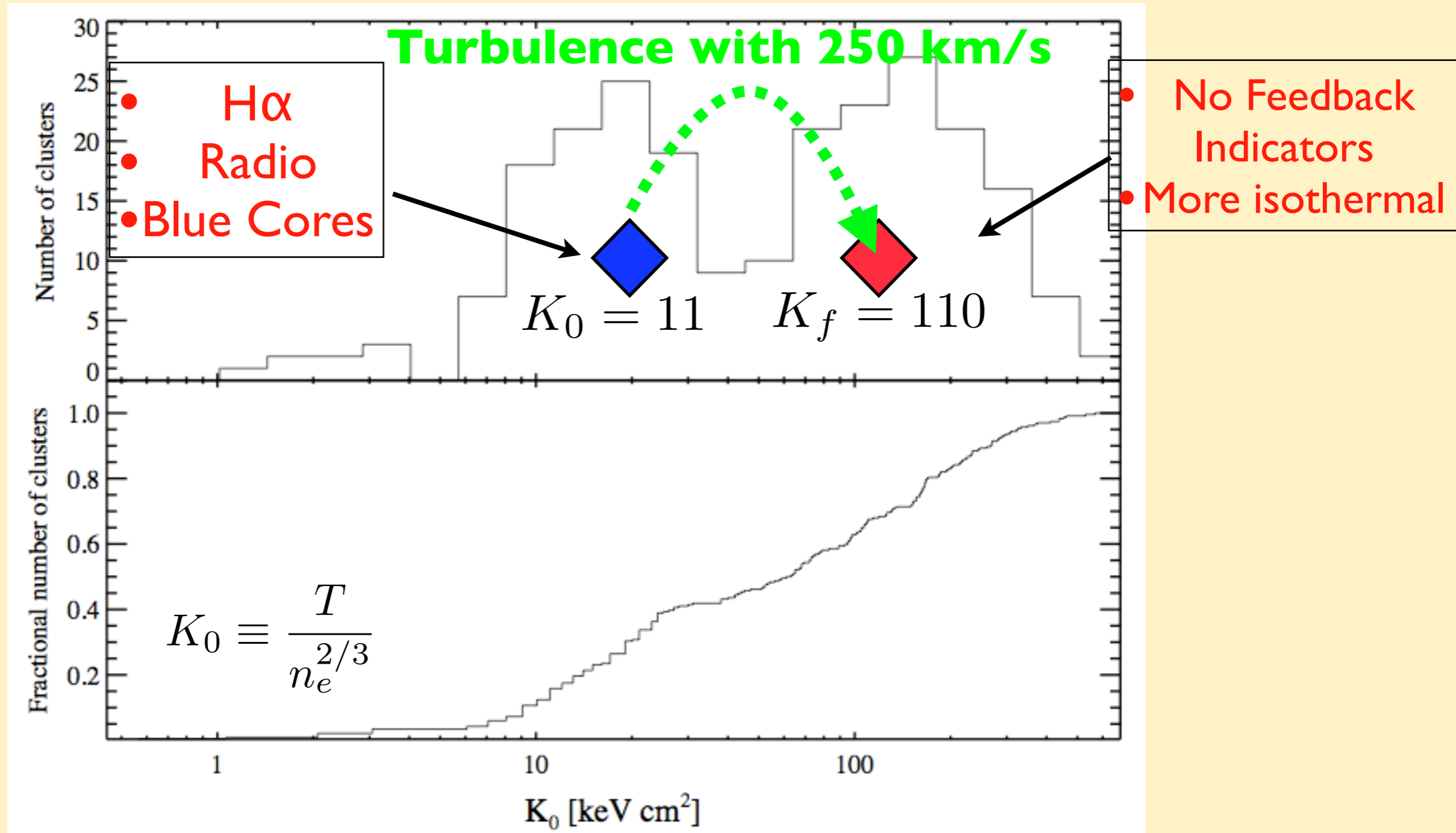
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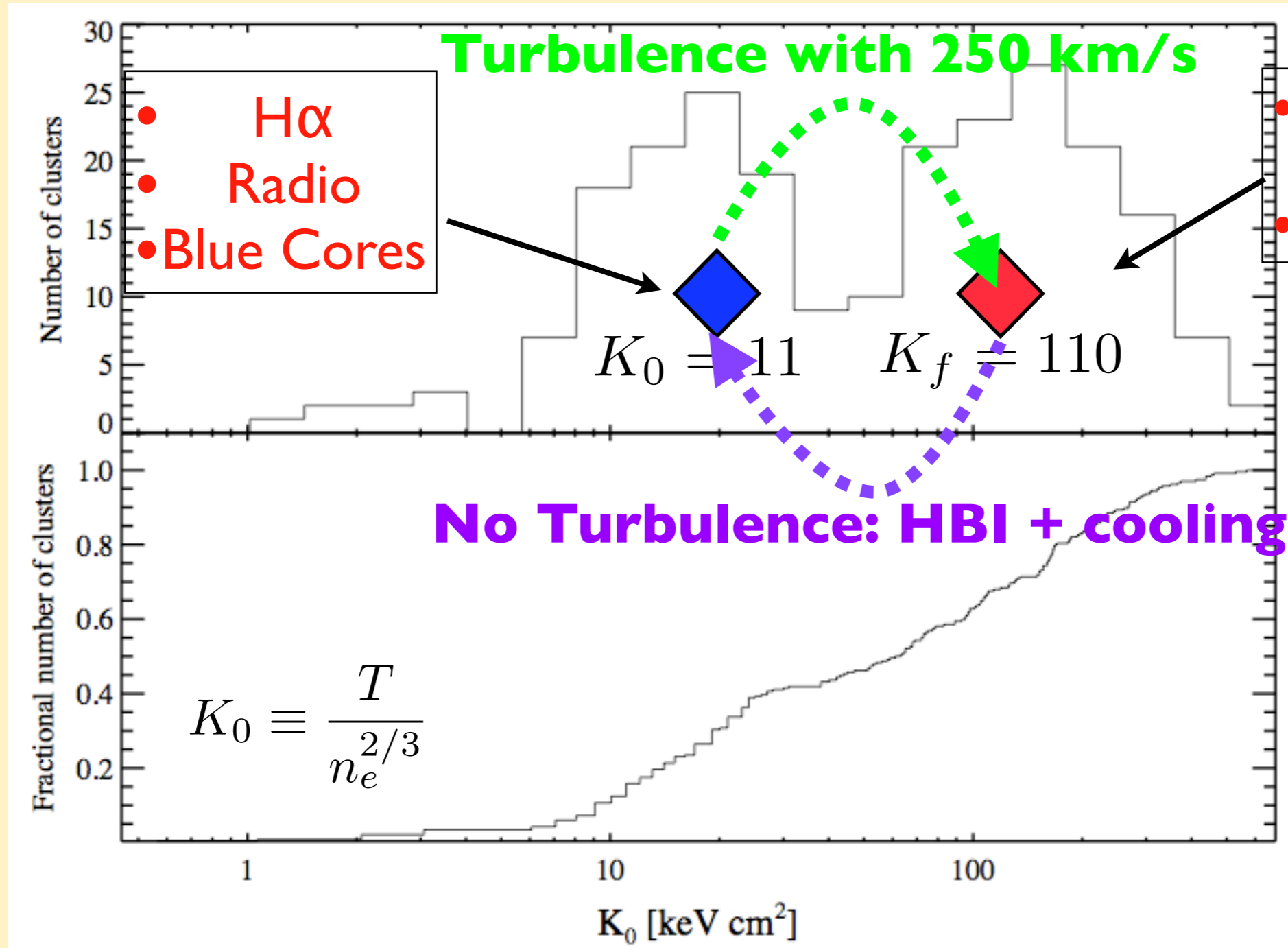
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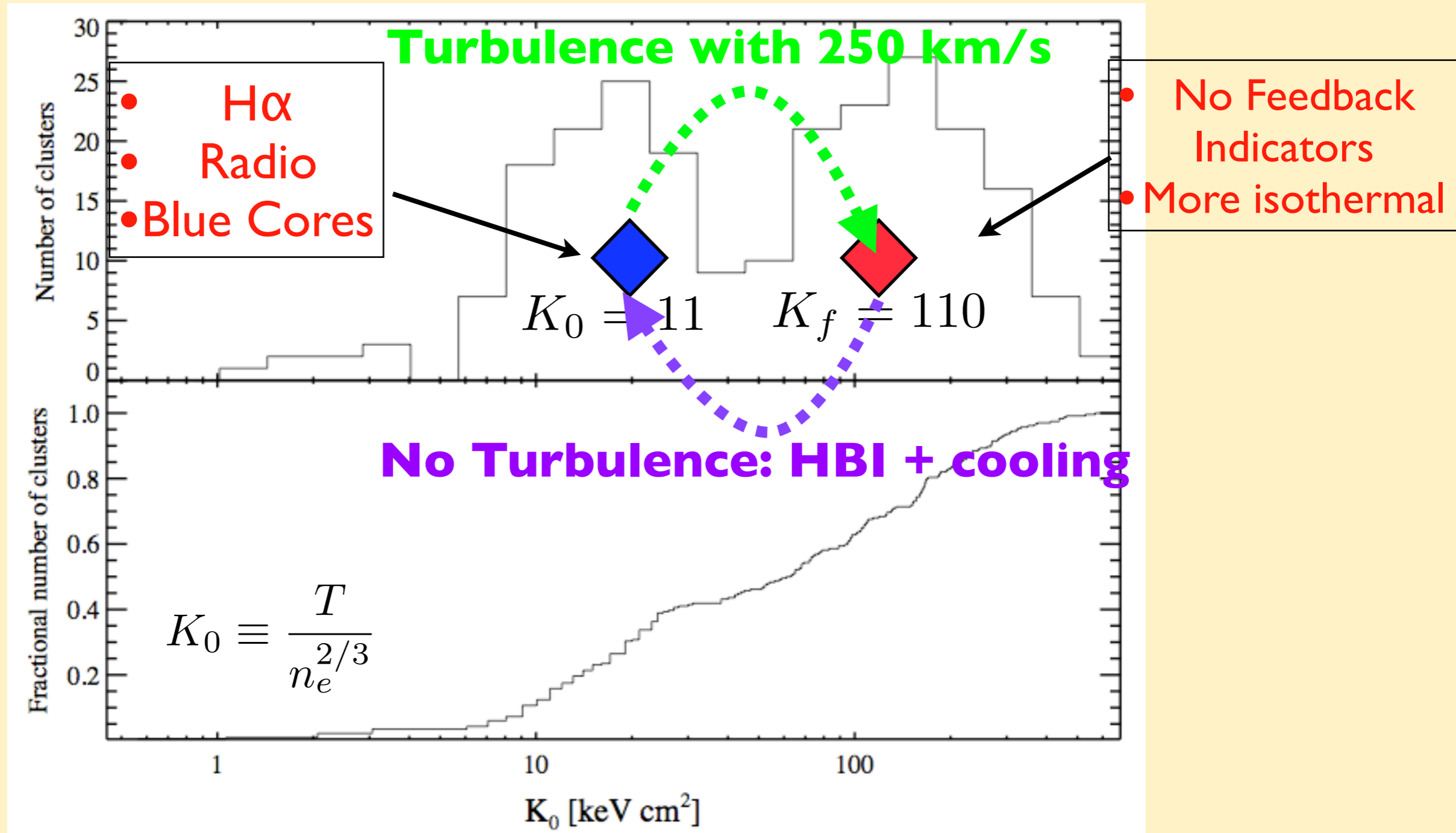
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- No Feedback Indicators
- More isothermal

# Turbulence and Entropy

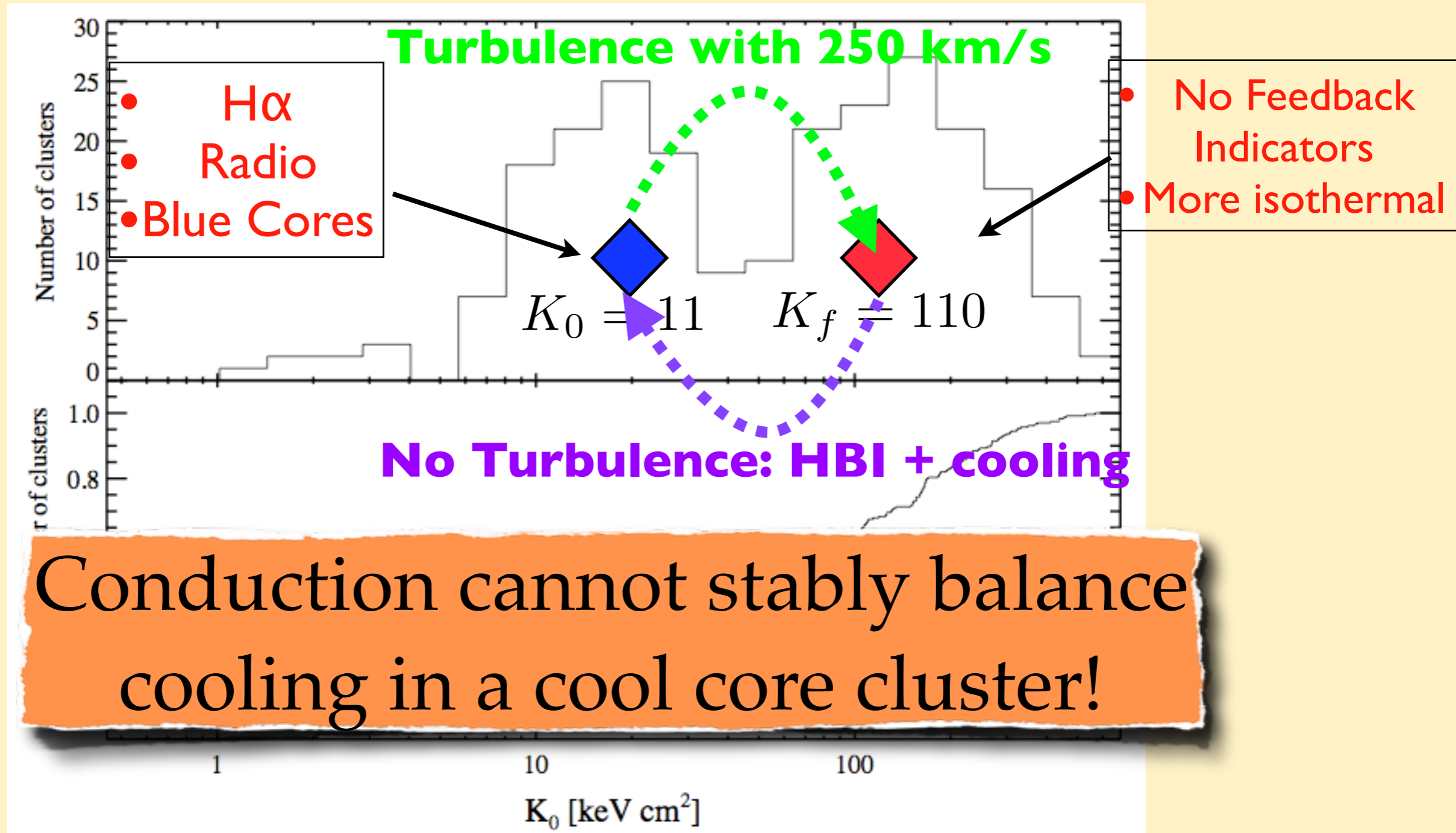
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- Conduction is a natural way to *volumetrically* raise entropy
- Turbulence (energetically weak) can be a catalyst for changing the cool core/non-cool core state.

# Turbulence and Entropy

Cavagnolo, Voit, Donahue, et al (2009)

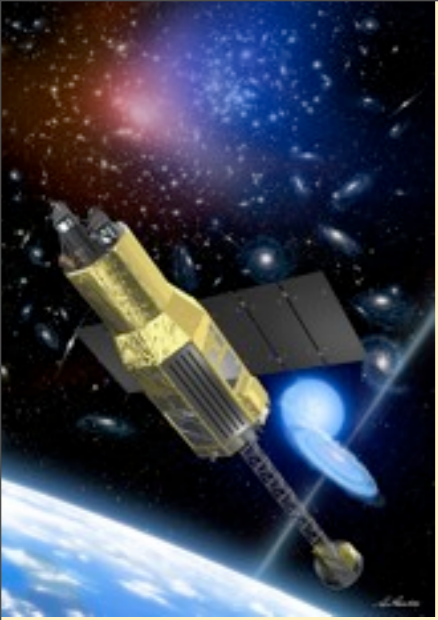


Conduction cannot stably balance cooling in a cool core cluster!

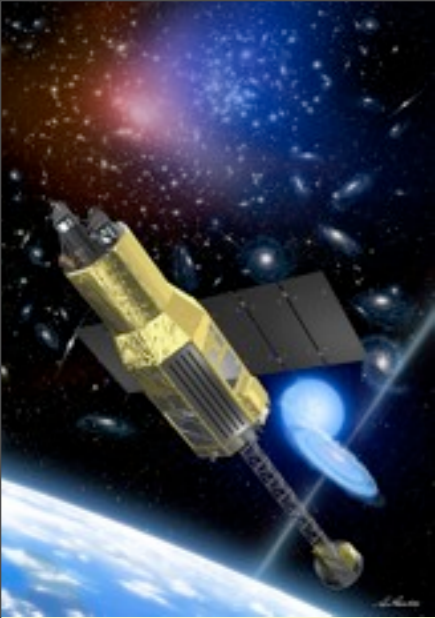
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# Putting my chips on the table: Predictions for Astro-H



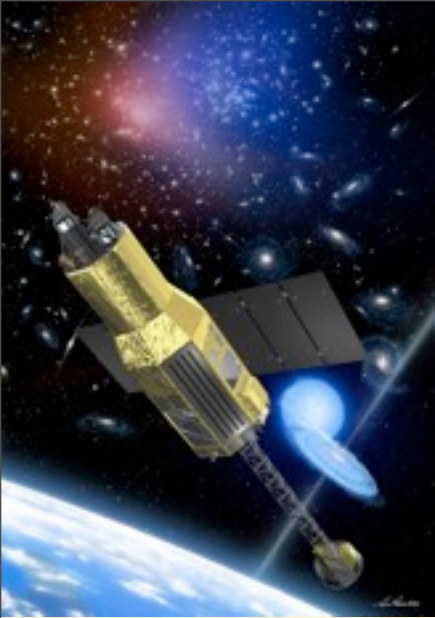




# Putting my chips on the table: Predictions for Astro-H



For a typical cool-core cluster like A2199:  
No turbulence with  $v_{\text{rms}} > 150 \text{ km/s}$  ( $L_{\text{outer}} > 40 \text{ kpc}$ ).



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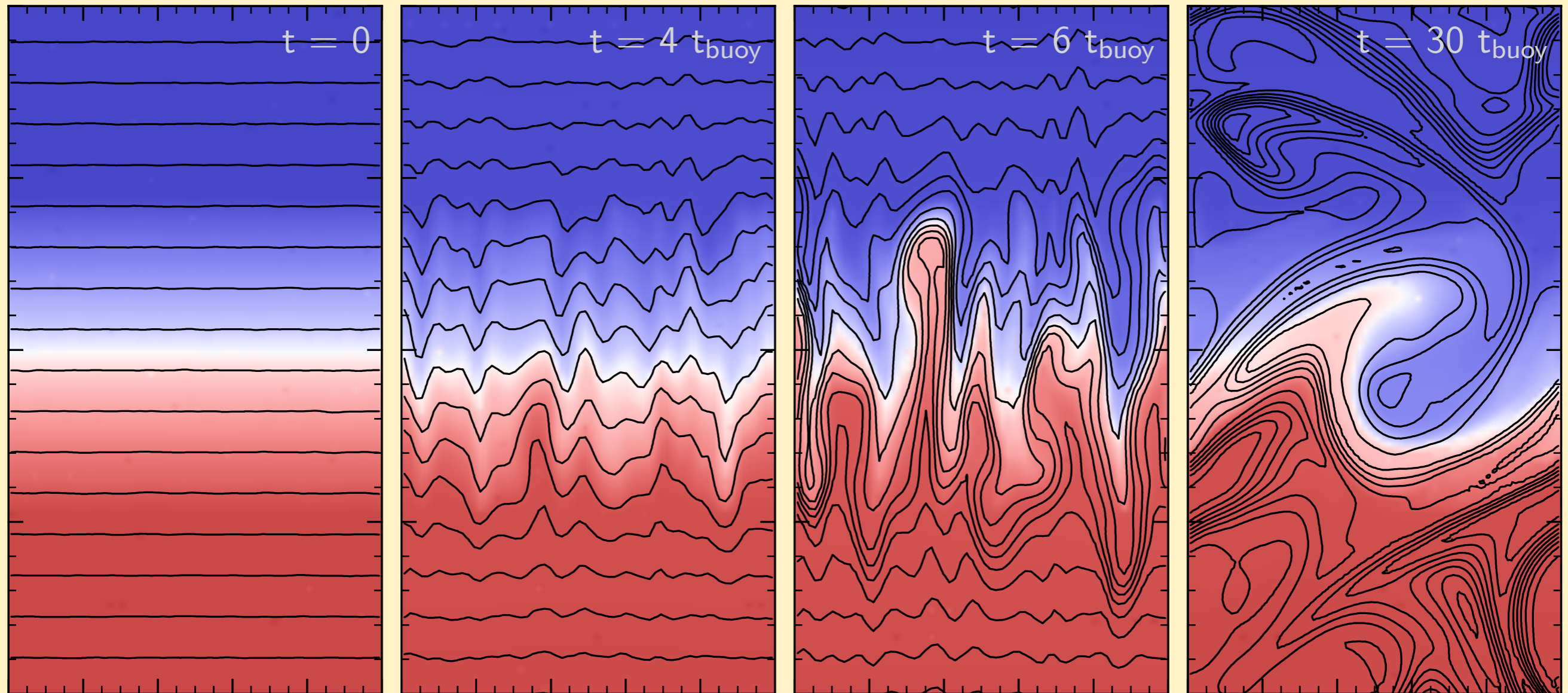


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Consistent with current evidence:

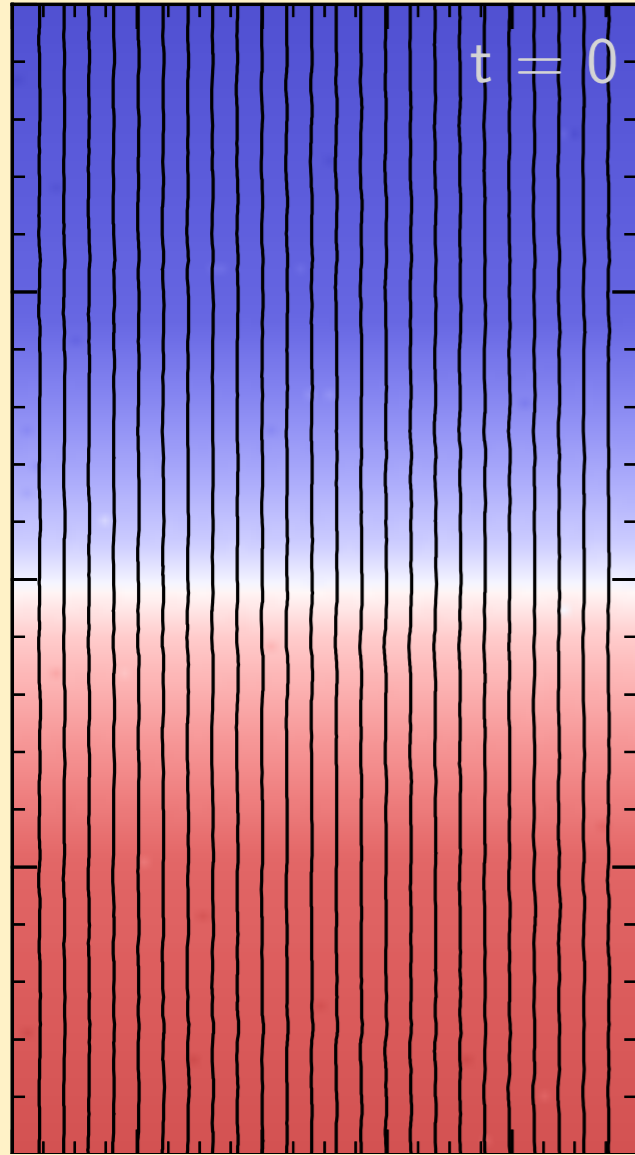
- Straight filaments: NGC 1275 (Fabian+ 08), M 87 (Werner+ 11)
- Direct RGS measurements of A1895 (Sanders+ 10, 11)
- Fe XVII line ratios in ellipticals (Werner+ 10)
- Smooth surface brightness profiles in many cool cores.

# The MTI Saturates Differently



MTI does not saturate quiescently like the HBI

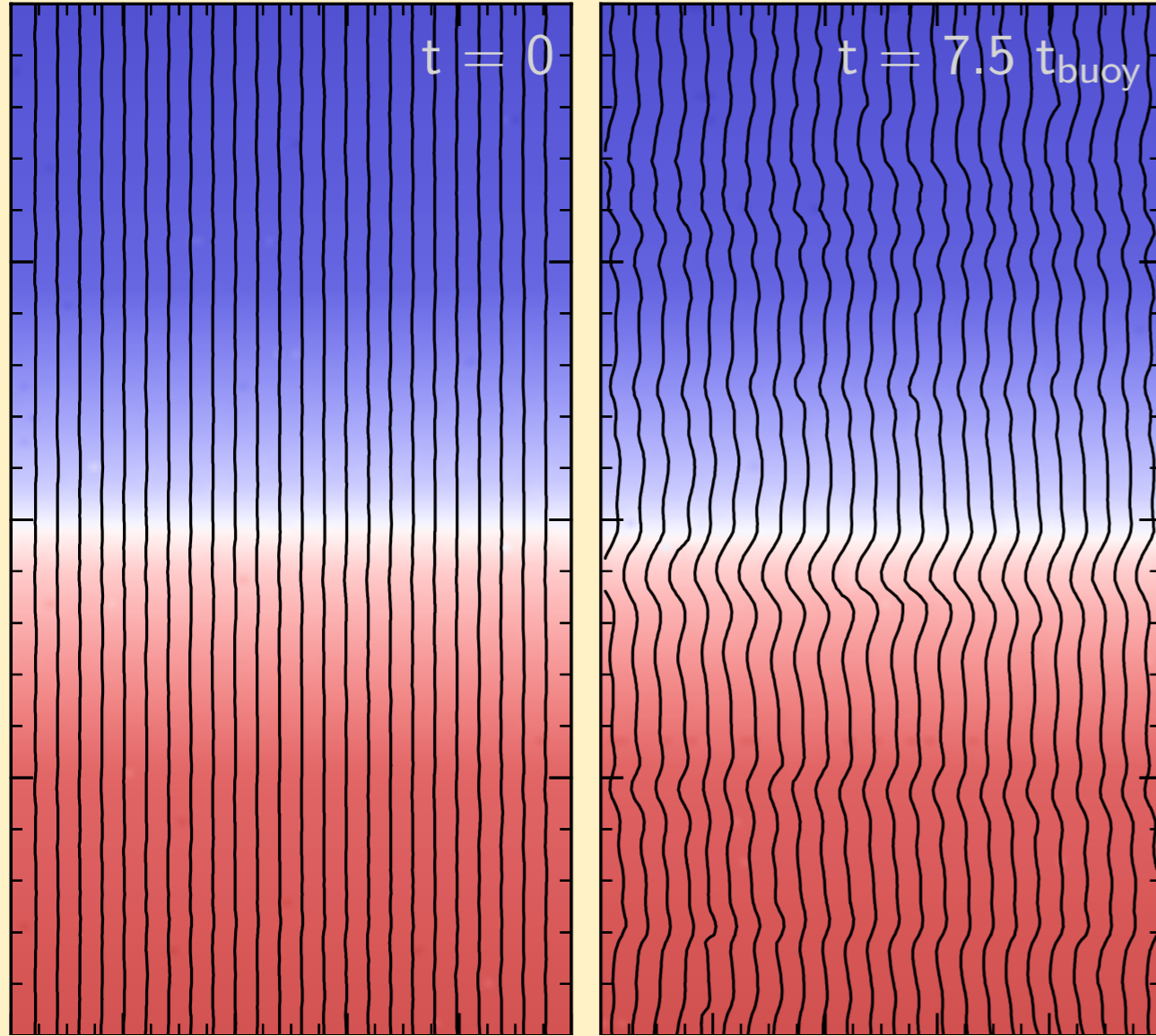
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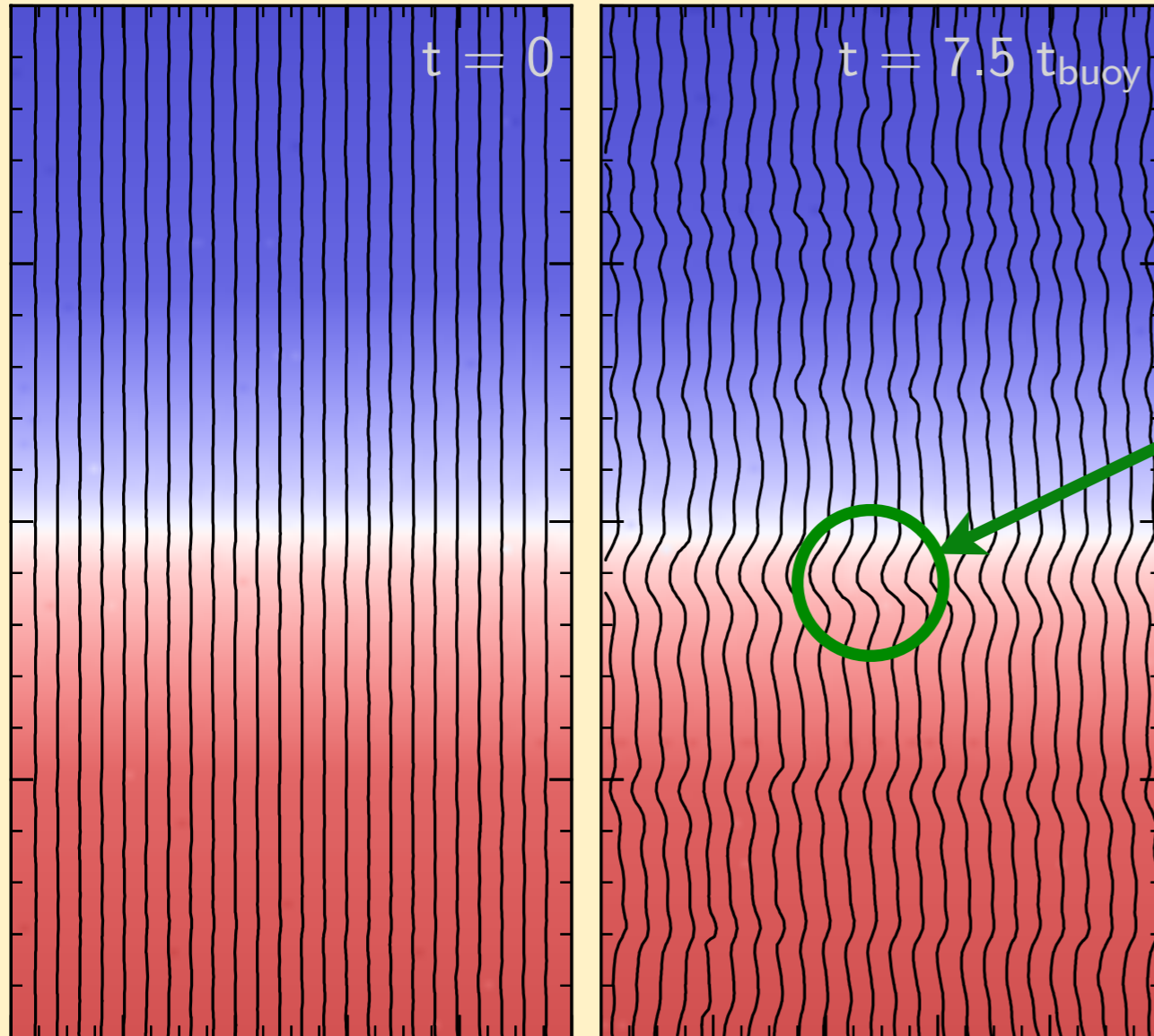
Vertical Fields:  
Stable state of MTI?



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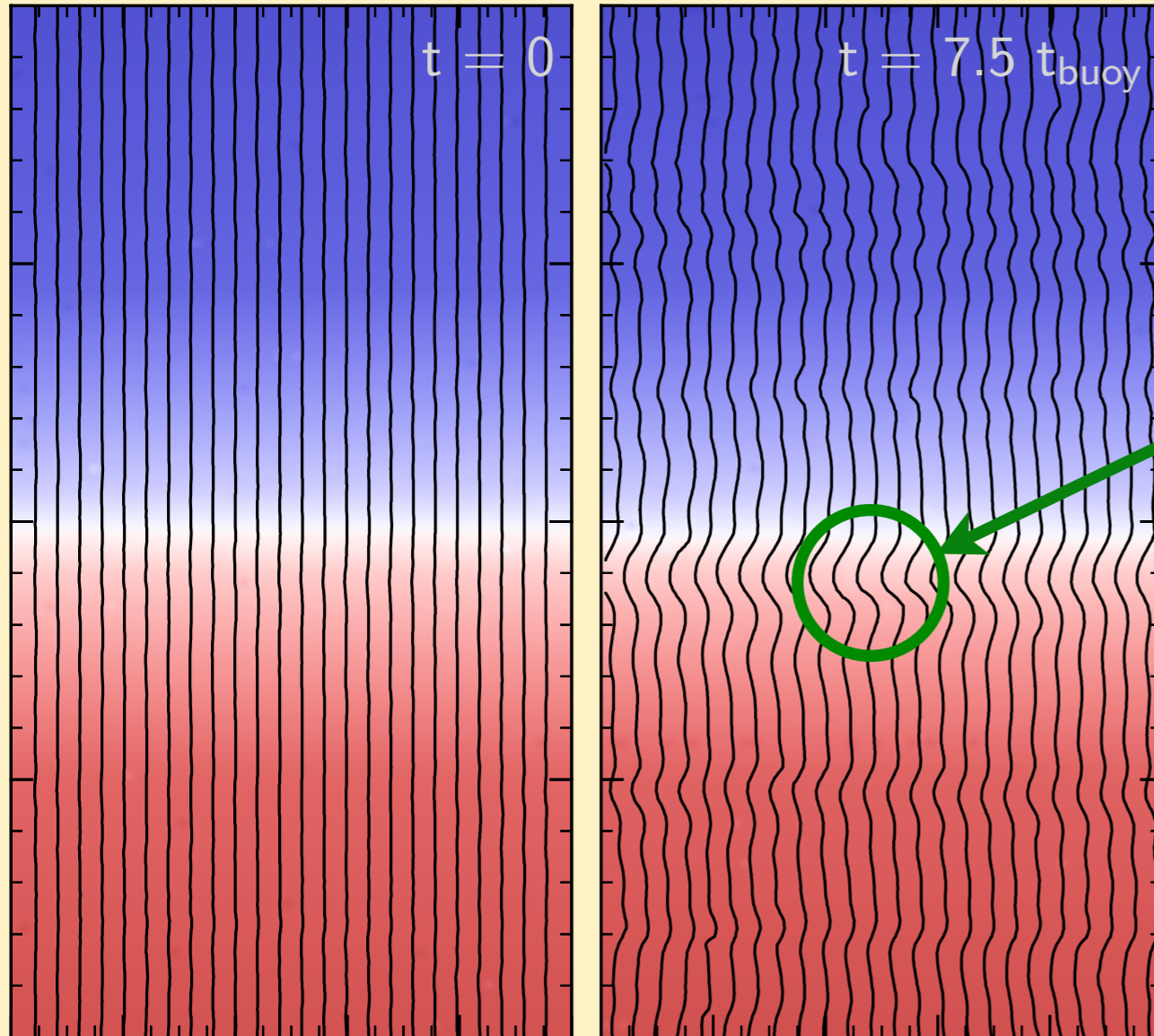


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- Horizontal displacements not damped.

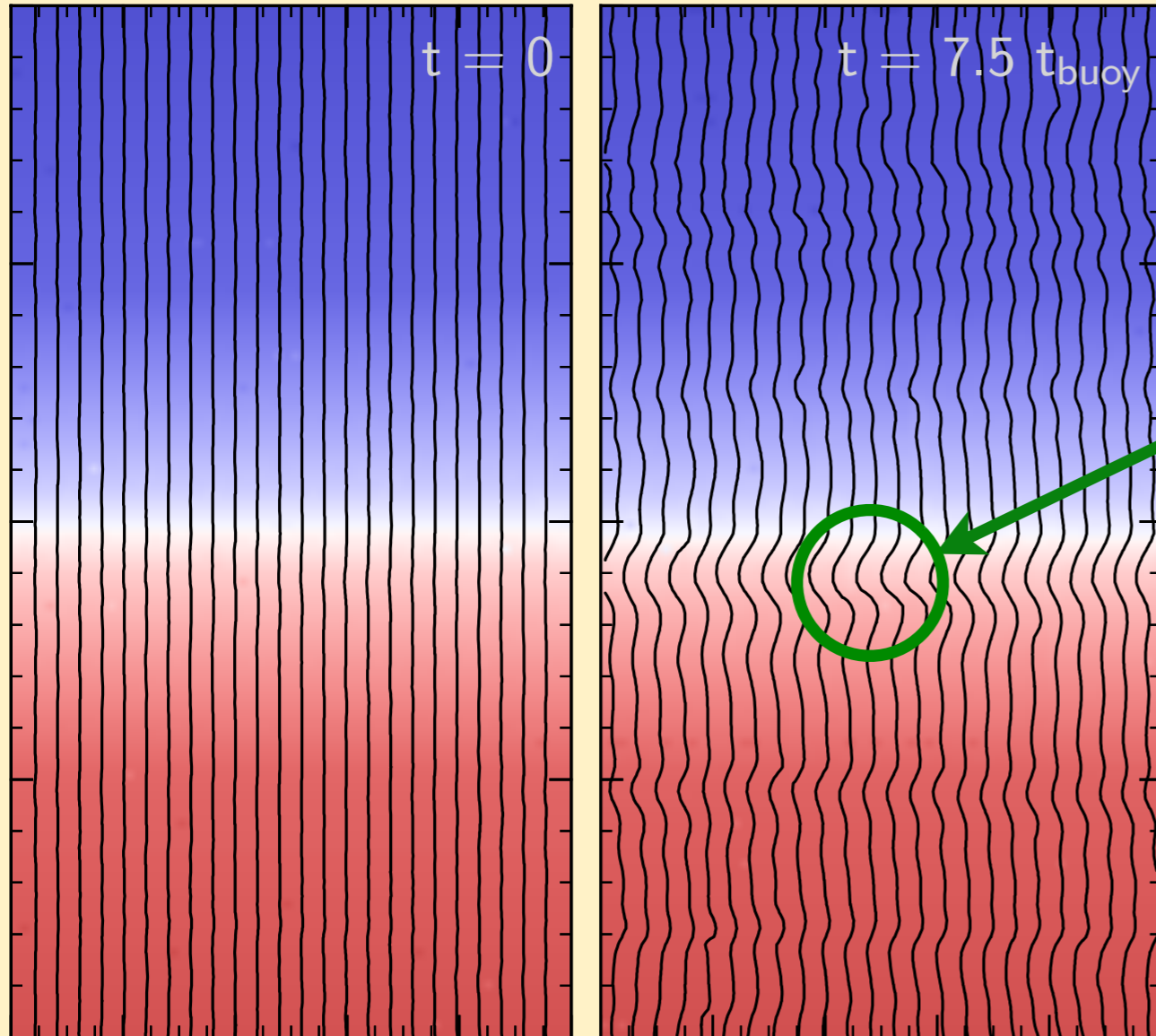
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- Horizontal displacements not damped.
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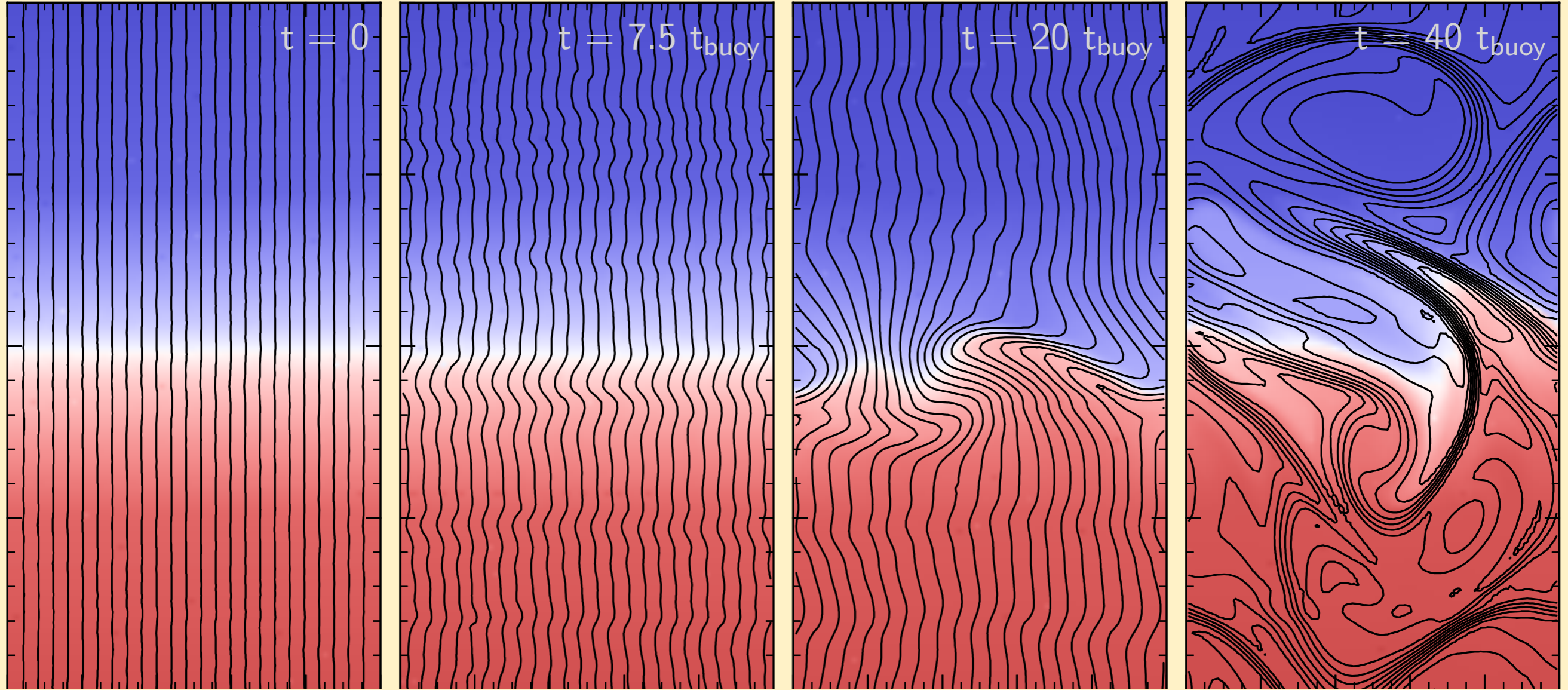


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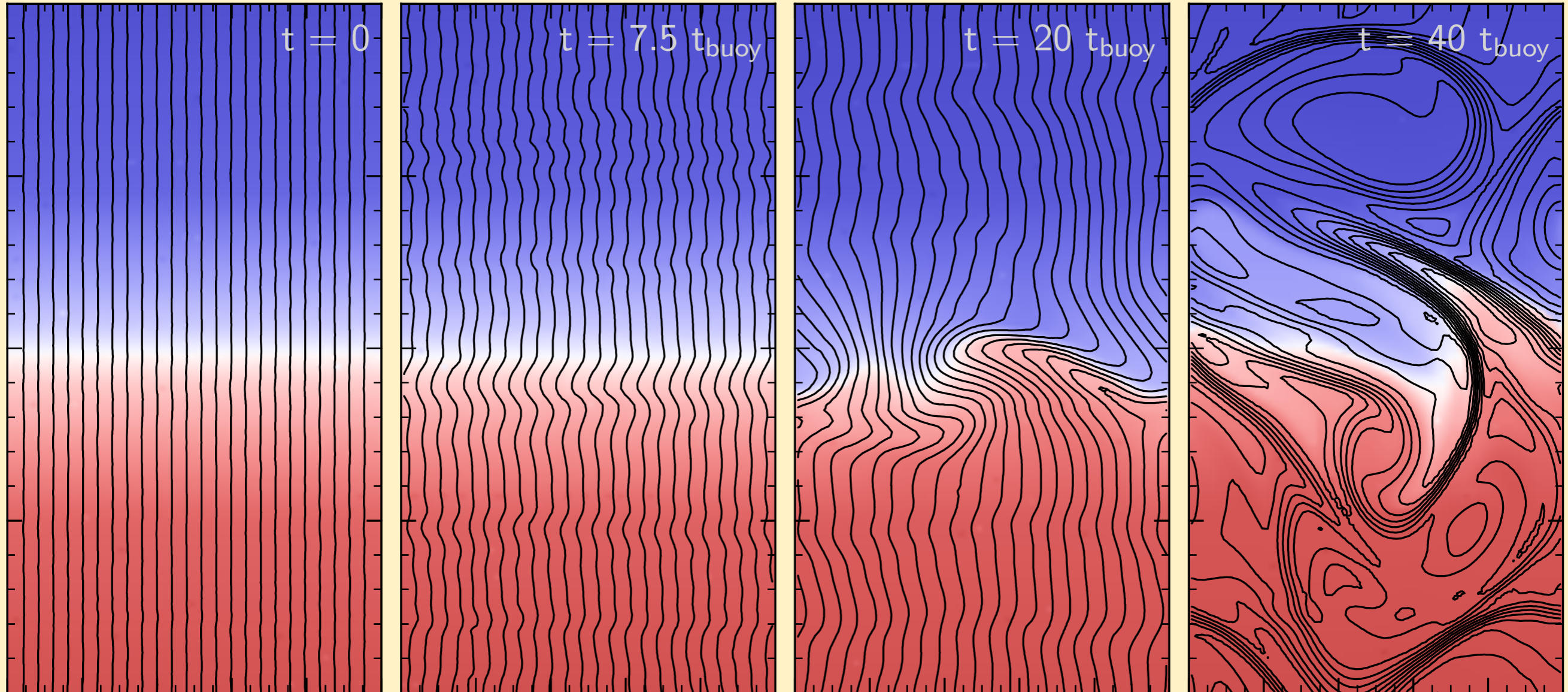


- Horizontal displacements not damped.
- Nonlinearly unstable.
- Closes dynamo loop.

# The MTI Saturates Differently



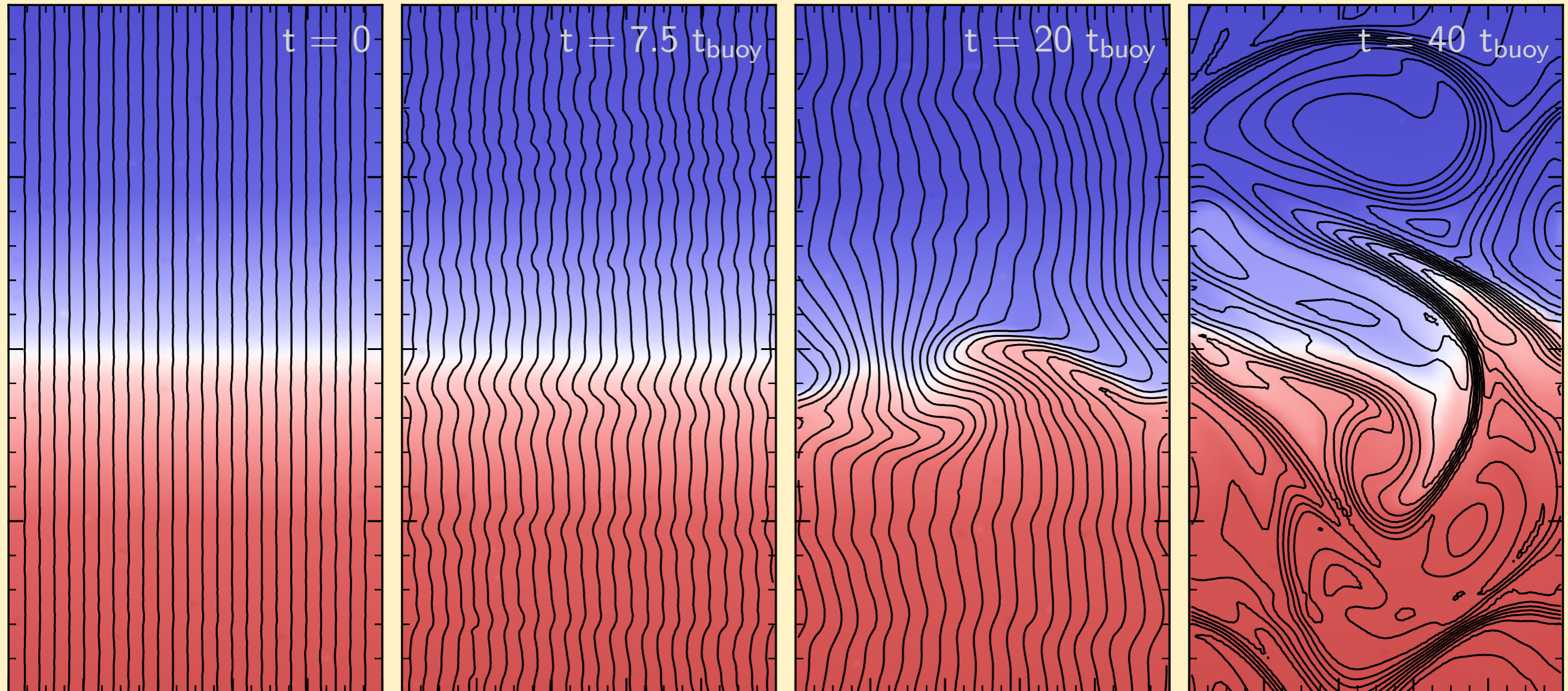
# The MTI Saturates Differently



- Does not saturate with vertical (radial) fields.  
(Small radial bias over isotropic.)

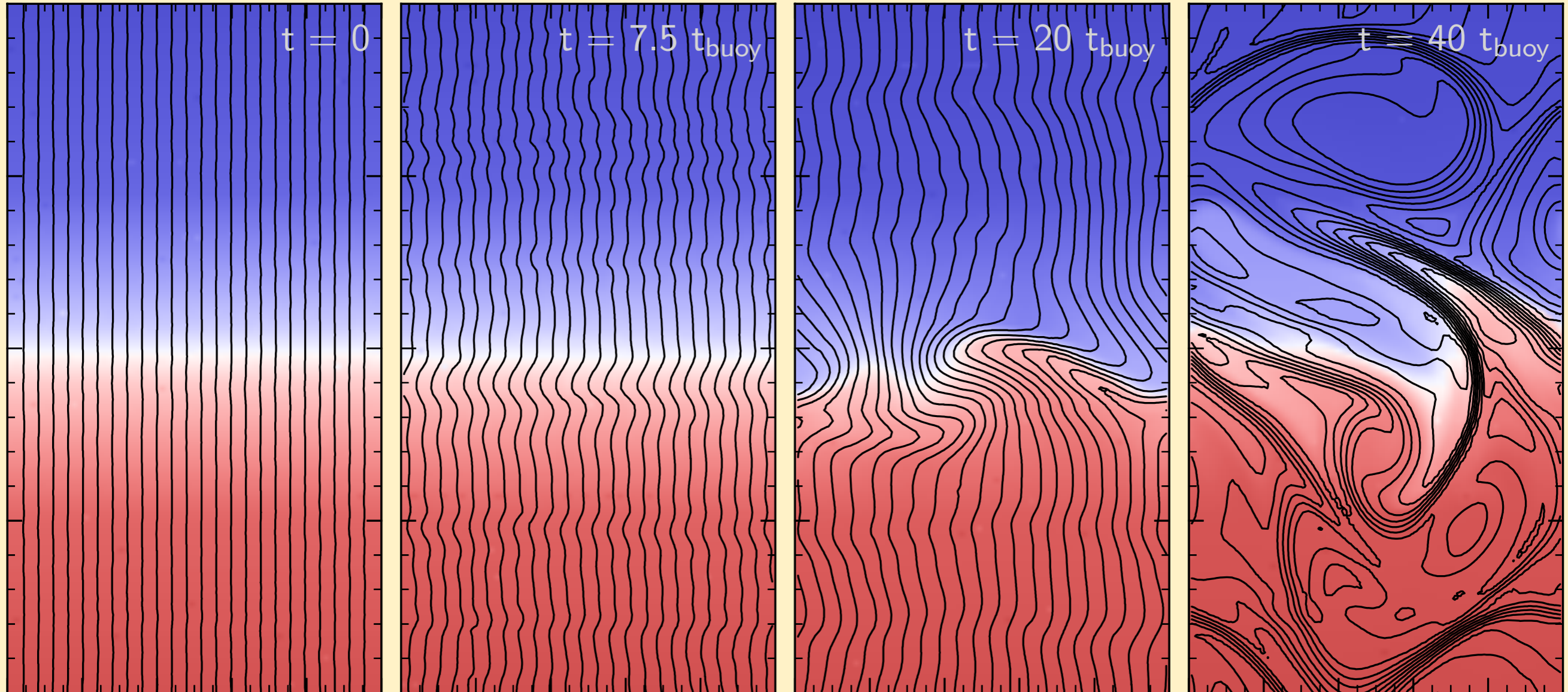


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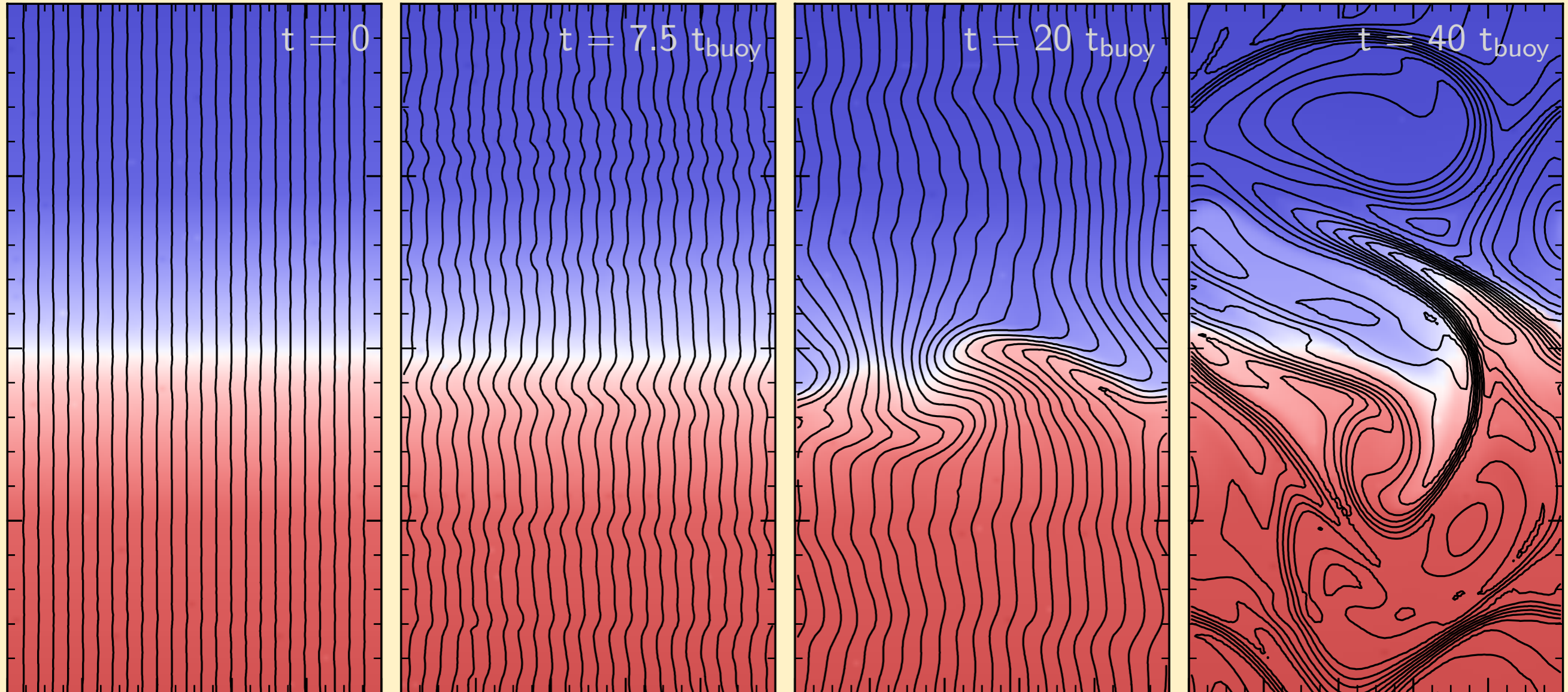
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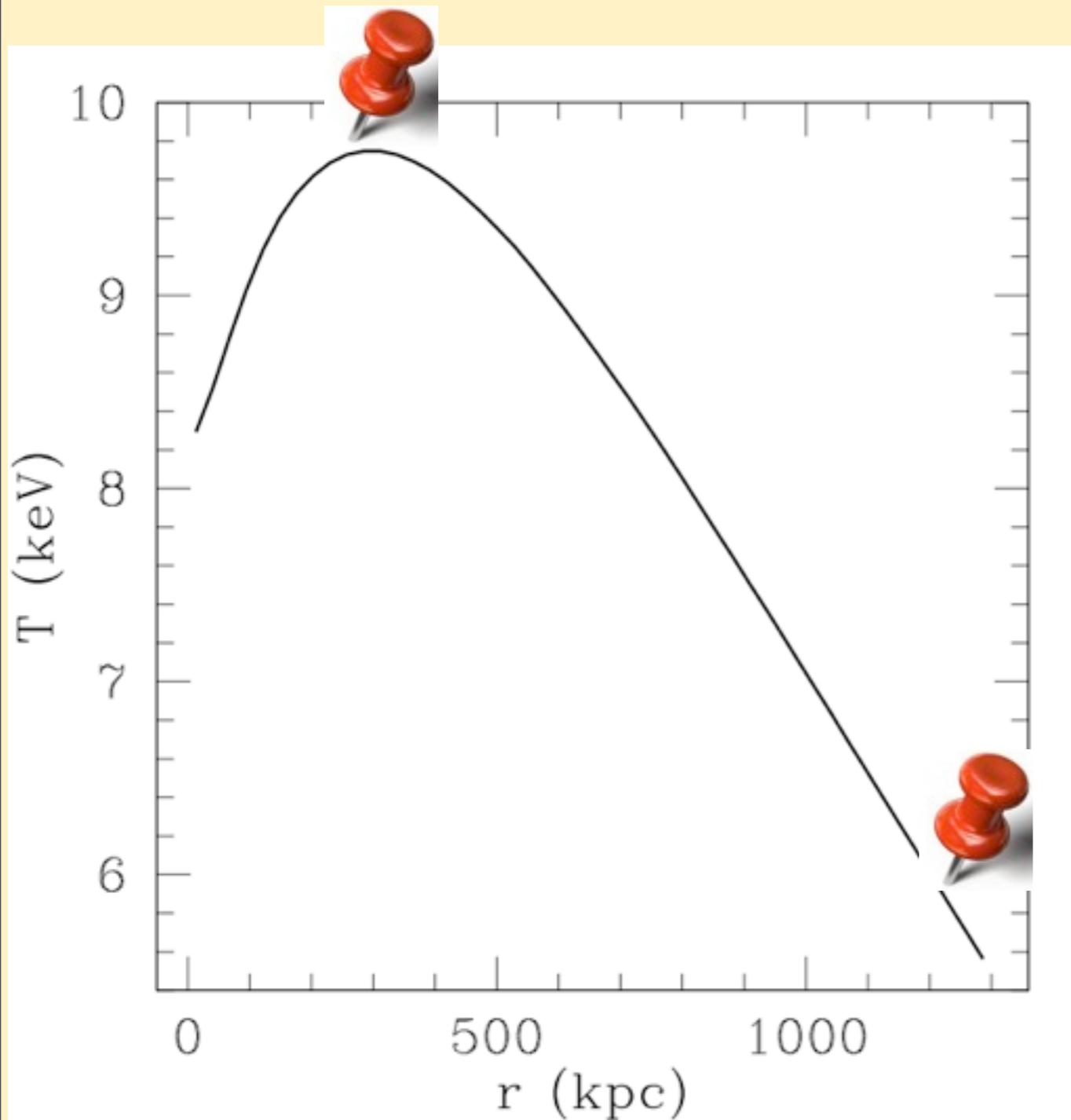


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- Turbulence does **not** suppress the MTI.

# MTI in Clusters: A1576

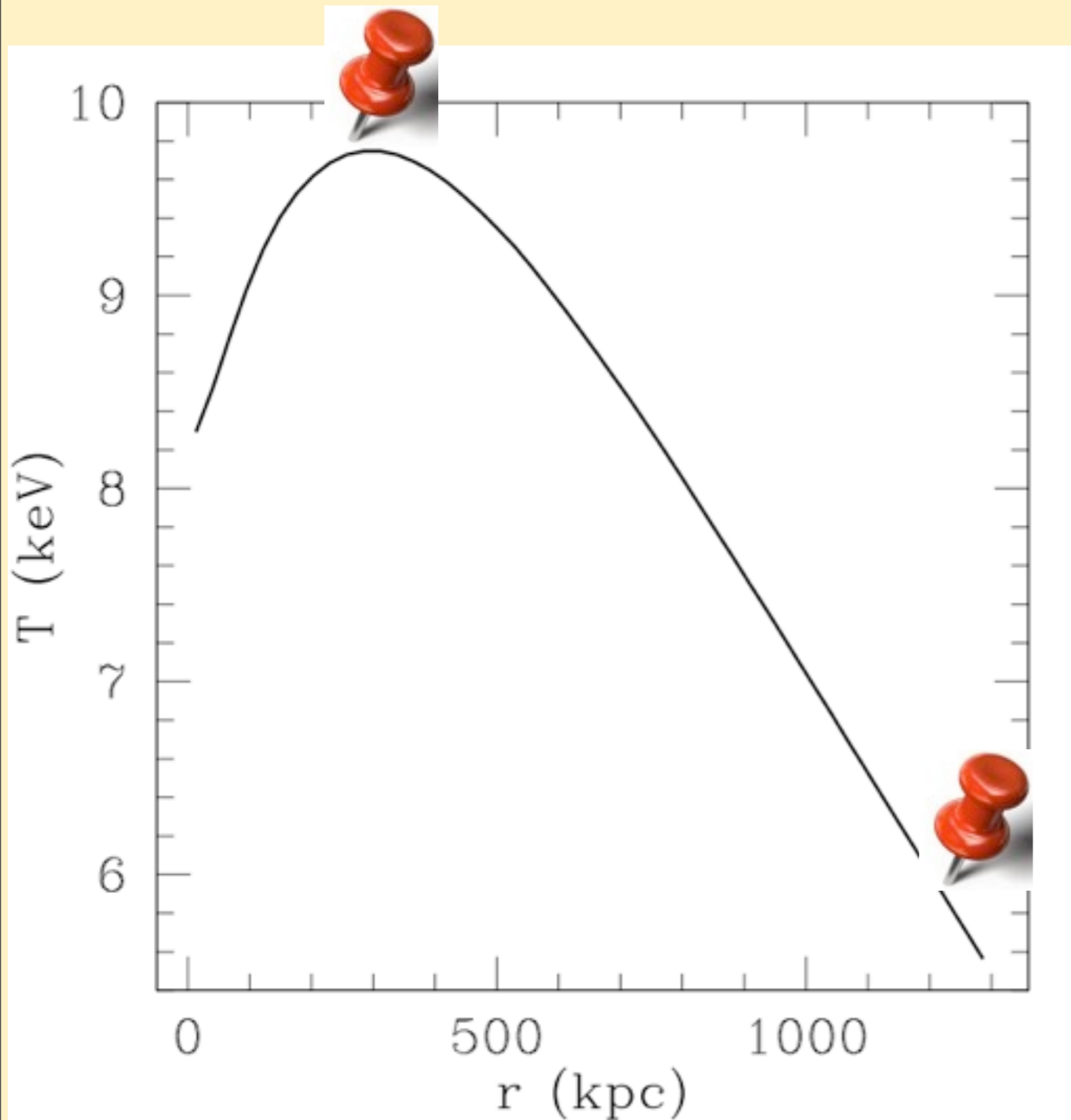


- Non-Cosmological:  
Fix T at core and outskirts
- NFW:  $M = 1.5 \times 10^{15} M_{\odot}$   
 $R_S = 600 \text{ kpc}$
- Tangled magnetic fields.
- No cooling.

For cosmological: Ruszkowski+ 2011 (yesterday's talk)



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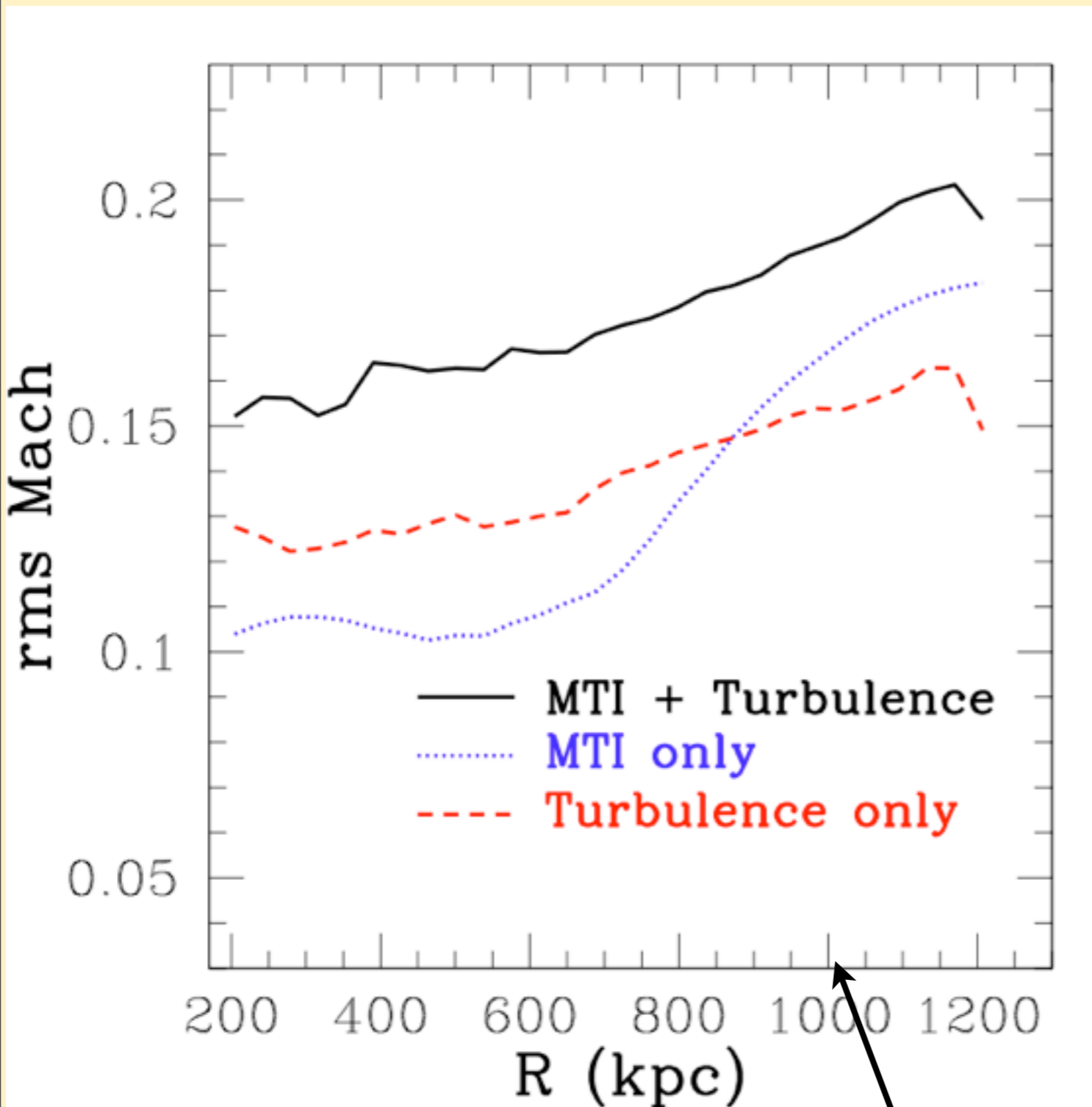


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**MTI Growth Time:  
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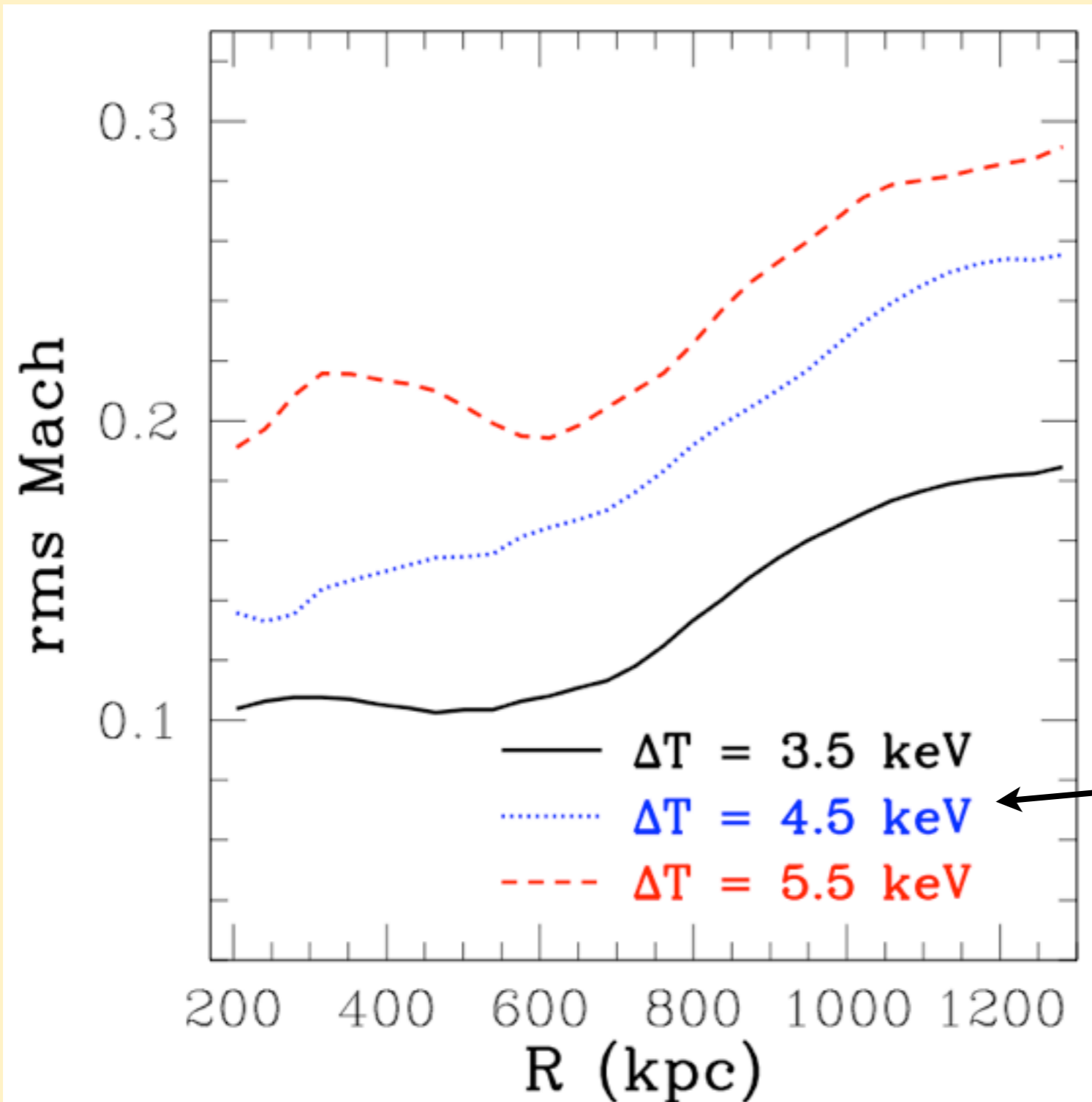
# Saturated MTI Velocities



- MTI can provide pressure support in outskirts.
- Max. Mach is supersonic.
- Driven turbulence ( $L \sim 200$  kpc), adds to MTI turbulence.
- Kinetic energy saturated by  $\sim 2$  Gyr.

$R_{500}$

# Saturated Velocity Scaling and Bias



Temperature Drop over  
 $\sim 1$  Mpc (max T to  $r_{500}$ )

- Velocities scale with temperature gradient.
- Turbulent pressure support can lead to SZ bias.

# Conclusions

## Cluster Cores:

- HBI alone quiescently saturates with azimuthal fields.
- Turbulence + HBI can lead to a naturally strong bimodality between cool core and non cool core clusters.
- Conduction *cannot* stably balance cooling in cool cores → AGN.
- Prediction: Cool cores will have weak turbulence.

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## Cluster Outskirts:

- MTI does *not* saturate quiescently or radially.
- MTI can generate non-thermal pressure support that adds to existing turbulence from formation.
- The turbulence scales with  $\Delta T$ , which introduces a bias for mass determinations, especially for the SZ.
- A modest magnetic dynamo is driven.