Memory of thermal avalanches in ultra-slow domain wall creep dynamics

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E. Ferrero, L. Foini, T. Giamarchi, A. Kolton, A.Rosso, PRL 2017

Magnetic domain wall



$$\partial_t u = \partial_x^2 u + f + \eta_{dis}(u, x) + \xi_T(x, t)$$

by Lemerle & Mougin in Paris-Saclay

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Zero temperature phase diagram



Rugosity: $\langle (u(x) - u(0))^2 \rangle] \sim x^{2\zeta}$

Roughness exponent: $\zeta_{eq} = 2/3$, $\zeta_{dep} \sim 1.25$, $\zeta_{FF} = 1/2$

Depinning: analogy with phase transitions





- Depinning as a critical phenomenon

 correlation length
- scale invariance



Scale invariance: avalanches below threshold



The memory of avalanches



Finite temperature: creep and thermal rounding



Vinokur & Ioffe 87, Marchetti & Chen 95, Kolton 05, Agoristas & al 16



Emergence of collective dynamics?

by Alejandro Kolton (Bariloche)



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Creep law



Lemerle et al. PRL (1998)

Emergence of collective dynamics?



Linear response if $E_{\rm esc} \sim {\rm const.}$

Creep response if $E_{\rm esc}(f) \sim f^{-\mu}$

AU A rl A-oB E_(P) & C Borner C. 3 Enle



Vinokur & Ioffe 87, Agoristas & al 16

Algorithm to unveil creep

Molecular dynamics huge problems of futility Coarse grained dynamics sequence of metastable states $\alpha_1 \rightarrow \alpha_2 \rightarrow \ldots \rightarrow \alpha_t$



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Criterium for the next metastable state



path

 \mathcal{X}_{k+1}

 $\begin{array}{c}
 L_{eve} & \text{Minimal rearrangement} \\
 Polynomial cost (Dijkstra algorithm) \\
 Performance: & f up to <math>0.002f_c \\
 L \approx 4000 \end{array}$

Creep : events statistics



- Scale free when $f \to 0$
- Collapse of $S_{\text{max}} \sim L_{\text{opt}}^{1+\zeta_{\text{eq}}}$
- Anomalous $\tau > \tau_{eq}$

$$\tau_{\rm eq} = 2 - \frac{2}{d + \zeta_{\rm eq}}$$

- creep law is saved
- Gutenberg Richter anomaly (by F. Landes, E. Jagla)

Creep (events and clusters) versus depinning avalanches



clusters independent and depinning like!



System size cut off: below fc every thing is critical large scale roughness is depinning like

Proposed phase diagram



Ongoing experiments



$f = 0.02 f_c$ Room temperature

Gianfranco Durin's group (Turin, Italy)

Ongoing experiments



Conclusion and perspectives

- We introduce an efficient algorithm to study creep dynamics
- •Events statistics is similar to earthquakes where main shocks trigger a cascade of aftershocks
- •Cluster behaves like depinning avalanches right at the critical point
- •We believe that our scenario is very general (long range elasticity, d>1...)
- •We hope can be observed experimentally





Correlation length: geometry above threshold

Duemmer and Krauth 2005

RF versus RB disorder

random bond: random field: disorder energy is withe noise disorder energy is Brownian

same depinning universality class different equilibrium universality class

Confirmation of phase diagram for RF disorder

