Exploring Group Adaptation

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(Natural Selection)



Increase in prevalence of trait values that "fit" the environment

(Adaptations)

The appearance of design



Increase in prevalence of trait values that "fit" the environment

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Causes and correlations (single level)



Causes and correlations (single level)



Causes and correlations (single level)



Causes and correlations (two levels)



Causes and correlations (two levels)



"Herd of fleet deer" vs. "Fleet herd of deer"

• G. C. Williams (1966) *Adaptation and Natural Selection A Critique of Some Current Evolutionary Thought.* Princeton University Press, Princeton.



http://www.telegraph.co.uk/news/obituaries/scienc e-obituaries/8028642/George-Williams.html

Can we quantify the hierarchical level of group adaptation?



Hallmann (2011) Sex Plant Reprod, 24: 97-112.

Fitness operationalized

- Fitness = continuous rate of population growth = r
- Non-overlapping, discrete generations
- Growing population
- No density- or frequency- dependent effects
- Constant mortality rate

 $= \frac{\ln(\text{fecundity} \times \text{survival})}{\ln(1 + 1)}$

generation time

fecundity = F generation time = T mortality rate = M survival = e^{-MT}



No group level



- *n*= number of rounds of cell divisions per cycle
- F = fecundity (number of offspring individuals, conditioned on survival of the parent)



$$r = \frac{\ln(2^n)}{\frac{c_1(2^n - 1)}{k_2g} + c_2} - k_1g$$





























$$\omega = r = \frac{\ln(2^n)}{\frac{c_1(2^n - 1)}{k_2g} + t_1} - k_1g$$

Group-level cause effect relationship $ln(2^n)$ $k_1g(\alpha + \beta)$ r_{MIX} $\alpha 2^n + \beta$ $+ t_1$

$$\omega = r = \frac{\ln(2^n)}{\frac{c_1(2^n - 1)}{k_2g} + t_1} - k_1g$$

$$r_{MIX} = \frac{\ln(2^n)}{\frac{c_1(2^n - 1)}{k_2g} + t_1} - \frac{k_1g(\alpha + \beta)}{\alpha \ 2^n + \beta}$$



		Numerical dominance of types:	Bias in transmission of types:
Price	$\bar{r}\Delta\bar{n} =$	Cov(r, n) +	${\sf E}(r\Delta n)$
			0
Tentative label for partition:			Within-group individual-level selection of/for n

		Numerical dominance	Bias in transmission of types:		
Price	$\bar{r}\Delta\bar{n} =$	Cov(r, n) +		$E(r\Delta n)$	
Price and single-level causal fitness model	$\bar{r}\Delta\bar{n} =$	Cause-effect relationship $(n \text{ and } r)$:	Mere correlation $(n \text{ and } r)$:	0	
		$\beta_{rn} \operatorname{Var}(n) +$	$\beta_{ry} \text{Cov}(y, n)$		
			0	0	
Tentative label for partition:			Selection of <i>n</i>	Within-group individual-level selection of/for n	

		Numerical dominance of types:			Bias in transmission of types:	
Price	$\bar{r}\Delta\bar{n} =$	Cov(r, n) +			$\mathrm{E}(r\Delta n)$	
Price and single-level causal fitness model	$\bar{r}\Delta\bar{n} =$	Cause-effect relat	tionship $(n \text{ and } r)$:	Mere correlation $(n \text{ and } r)$:	0	
		p_{rn} val (n) +		β_{ry} Cov (y, n)		
Price and multi-level causal fitness model		Group-dependent cause-effect relationship between n and r:	Group-independent cause-effect relationship between n and r :	0	0	
	$\bar{r}\Delta\bar{n} =$	β_{rn} Var (n)	$\mu_{r\omega}$ cov(ω, n)			
Tentative label for partition:				Selection of <i>n</i>	Within-group individual-level selection of/for n	

		Numerical dominance of types:			Bias in transmission of types:
Price	$\bar{r}\Delta\bar{n} =$	Cov(r, n) +			$E(r\Delta n)$
Price and single-level causal fitness model	$ar{r}\Deltaar{n}=$	Cause-effect relationship $(n \text{ and } r)$: $\beta_{rn} \operatorname{Var}(n) +$		Mere correlation (<i>n</i> and r): $\beta_{ry} \text{Cov}(y, n)$	0
Price and multi-level causal fitness model	$\bar{r}\Delta\bar{n} =$	Group-dependent cause-effect relationship between n and r : β_{rn} Var (n)	Group-independent cause-effect relationship between n and r : $\beta_{r\omega} \text{Cov}(\omega, n)$	0	0
Tentative label for partition:		Group-level selection for n	Global individual- level selection for n	Selection of <i>n</i>	Within-group individual-level selection of/for n

Two very different ways to have "cell level selection" for *n*

This distinction does not matter if your question is: "what *n*-value is optimal"?

This distinction is important if your question is: "at what level of organization in an observed *n*-value adaptive?"



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