

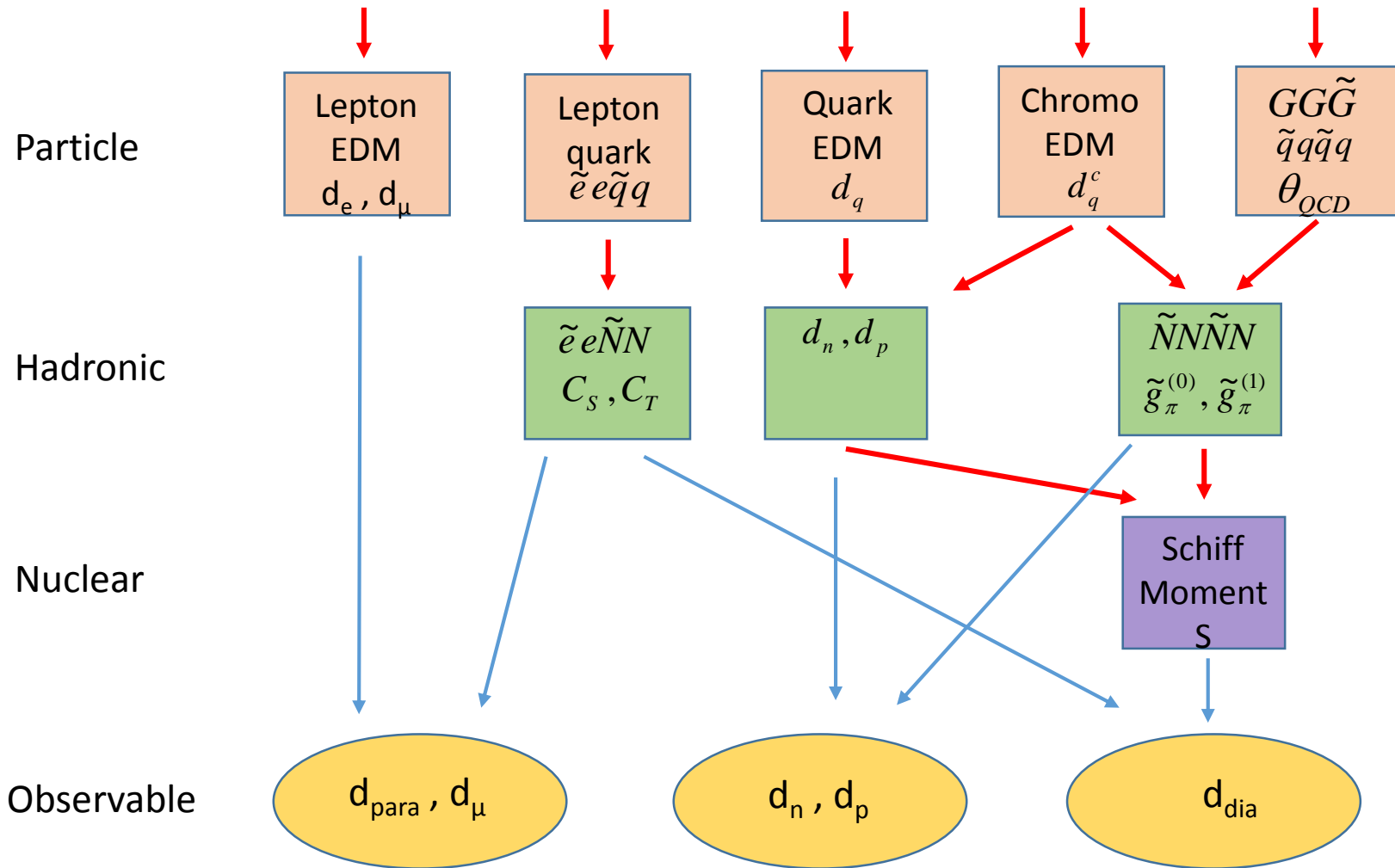
# New Results from a Search for the EDM of $^{199}\text{Hg}$

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University of Washington

# Partial List of EDM Experiments

<u>Leptonic EDMs</u>		<u>Hadronic EDMs</u>	
Cs (trapped)	Penn St.	n (UCN)	SNS
Cs (trapped)	U. Texas	n (UCN)	ILL-PNPI
Cs (fountain)	LBNL	n (UCN)	PSI
$^{210}\text{Fr}$ (trapped)	Cyric	n (UCN)	KEK-Triumph
		n (UCN)	Munich
YbF (beam)	Imperial College	p (ring)	BNL
HfF <sup>+</sup> (trapped)	JILA	d (ring)	COSY
ThO (beam)	Harvard-Yale		
PbF (trapped)	U. Oklahoma	$^{129}\text{Xe}$ (liquid)	Princeton
WC (beam)	U. Michigan	$^{129}\text{Xe}$ (cell)	GUMainz
		$^{129}\text{Xe}$ (cell)	TUMunich
GGG (solid)	Indiana	$^{129}\text{Xe}$ (cell)	Tokyo Inst. Tech.
		$^{199}\text{Hg}$ (cell)	Seattle
muon (ring)	J-PARC	$^{223}\text{Rn}$ (trapped)	TRIUMF
		$^{225}\text{Ra}$ (trapped)	Argonne
		$^{225}\text{Ra}$ (trapped)	KVI

# Fundamental Theory: SM, SUSY, LR, ...



# The Team

## Graduate Students

Jennie Chen  
Brent Graner\*

## Scientific Glassblower

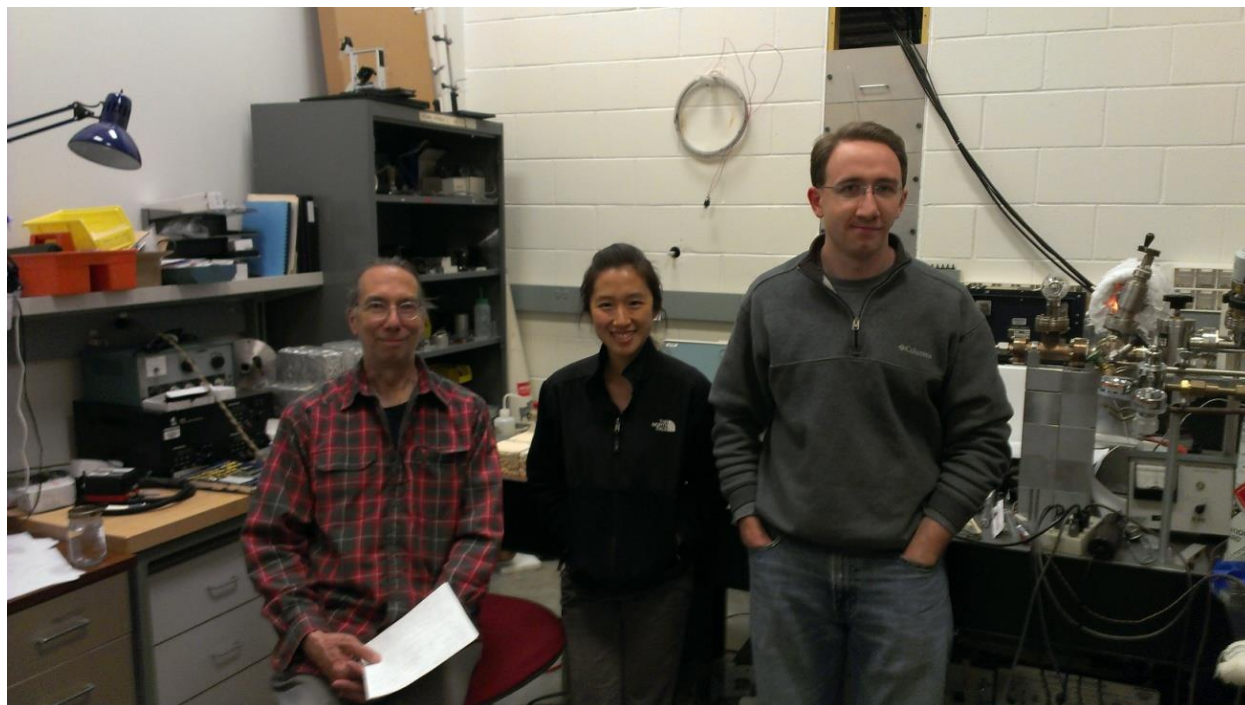
Eric Lindahl

## Faculty

B. R. Heckel

Primary support from NSF

\* Supported by DOE Office of  
Nuclear Science



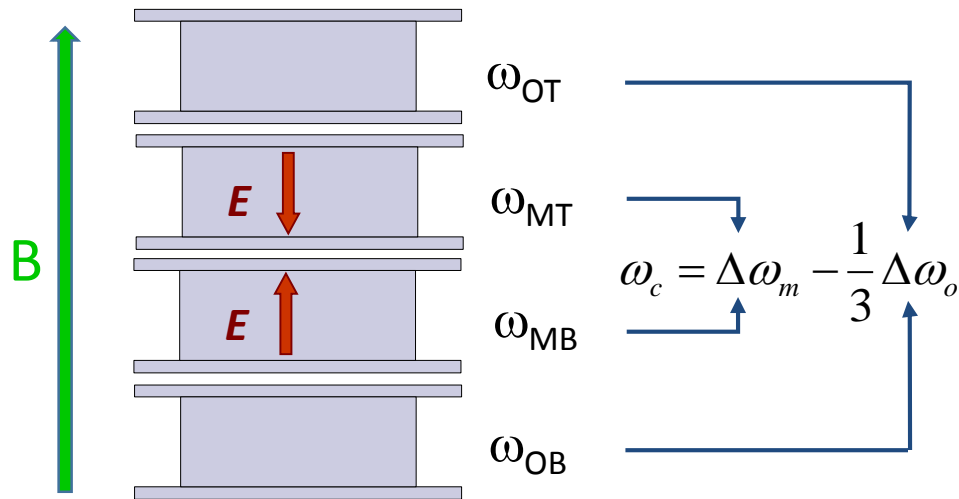
## Past Contributors

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B. Klipstein (JPL)  
W. C. Griffith (U. Sussex)  
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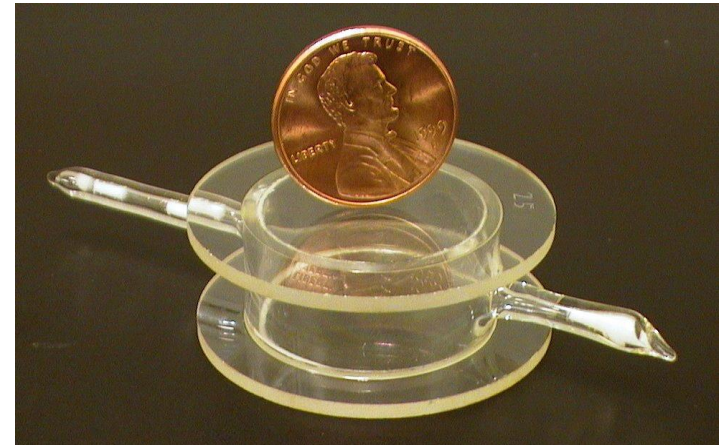
# Current EDM Experiment

$$H = -(\vec{\mu} \cdot \vec{B} + \vec{d} \cdot \vec{E})$$

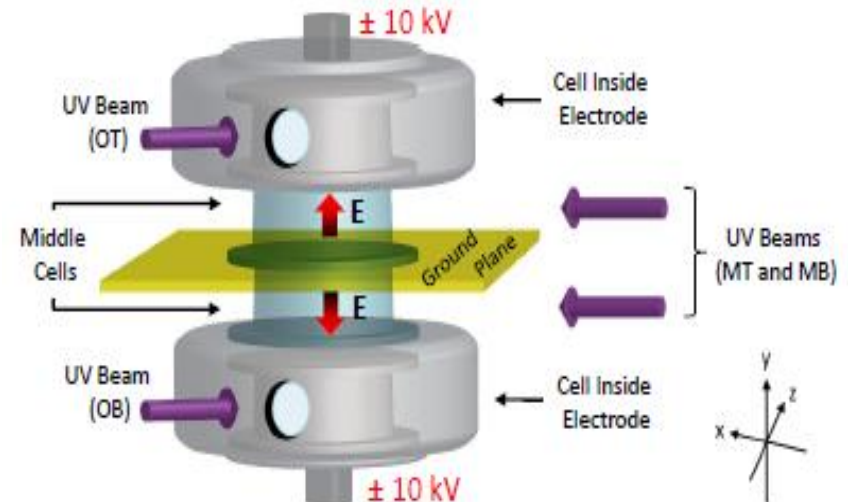


$$\omega_c = \frac{\mu}{\hbar} \left( -\frac{8}{3} \frac{\partial^3 B}{\partial z^3} \Delta z^3 \right) + \frac{4dE}{\hbar}$$

Cancels up to 2<sup>nd</sup> order gradient noise  
Same EDM sensitivity as Middle Difference

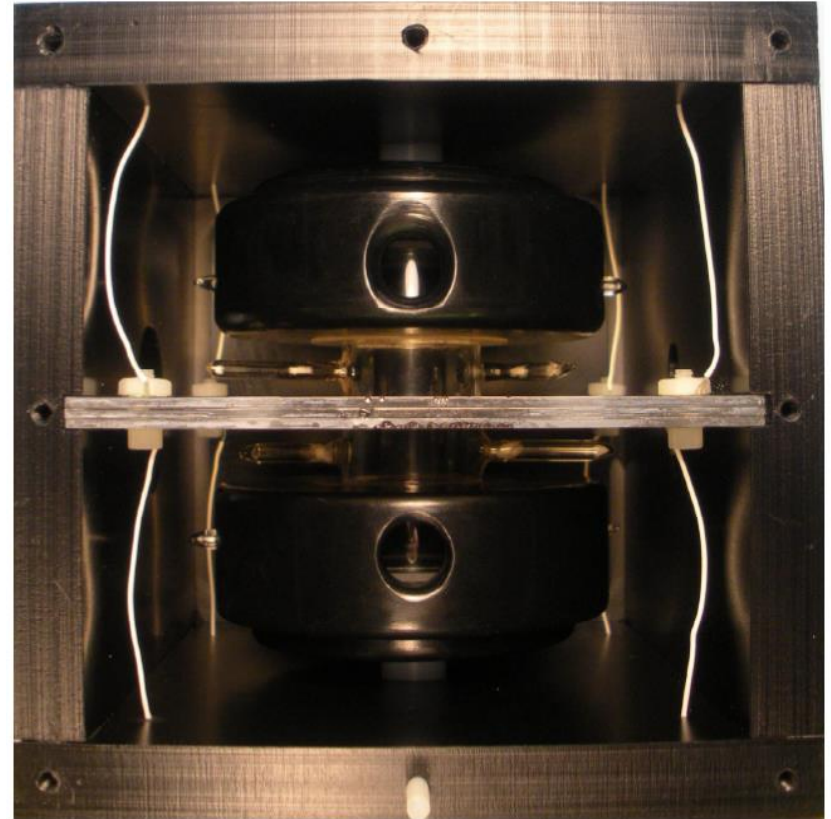
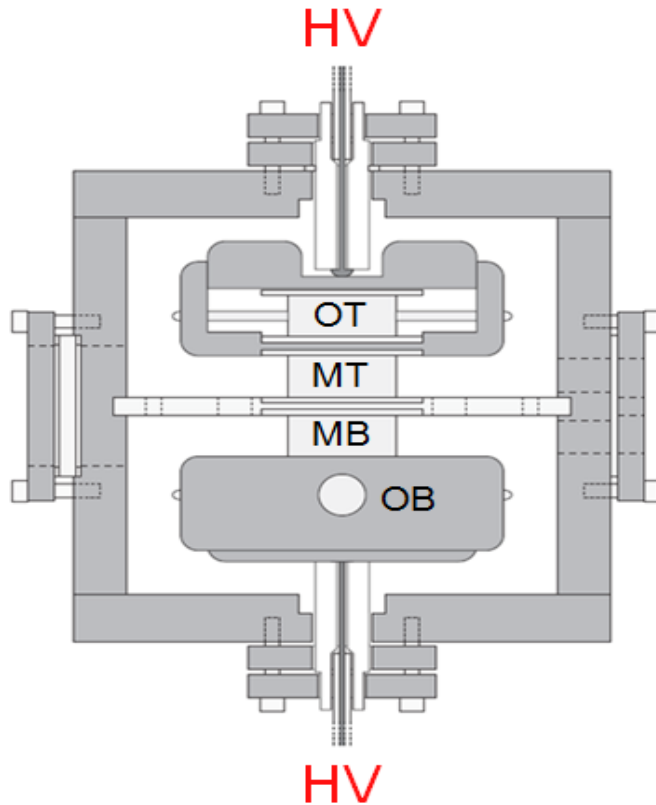


T<sub>2</sub> Spin Relaxation: 300 - 600 sec

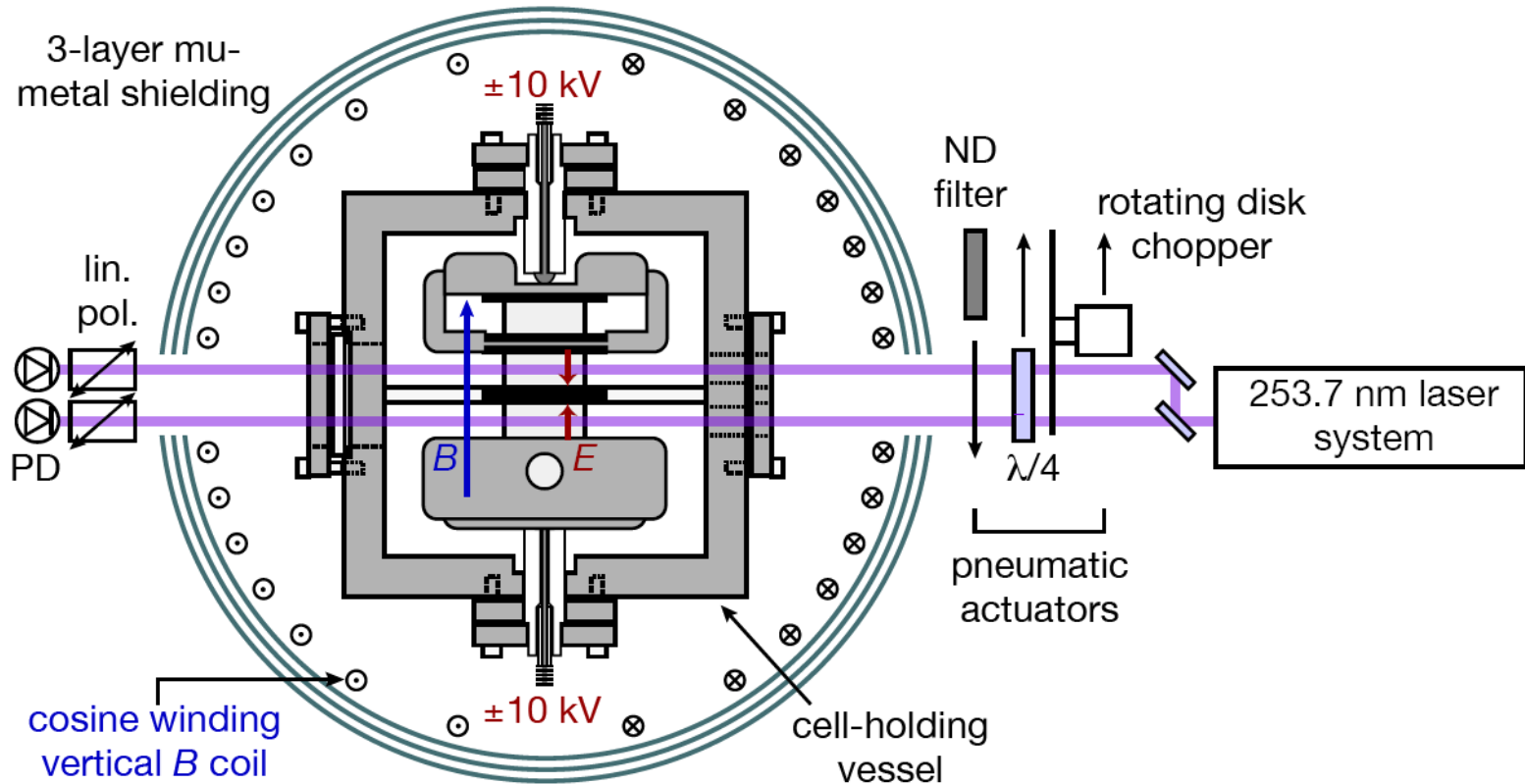


# Cell Holding Vessel

Cell Holding Vessel

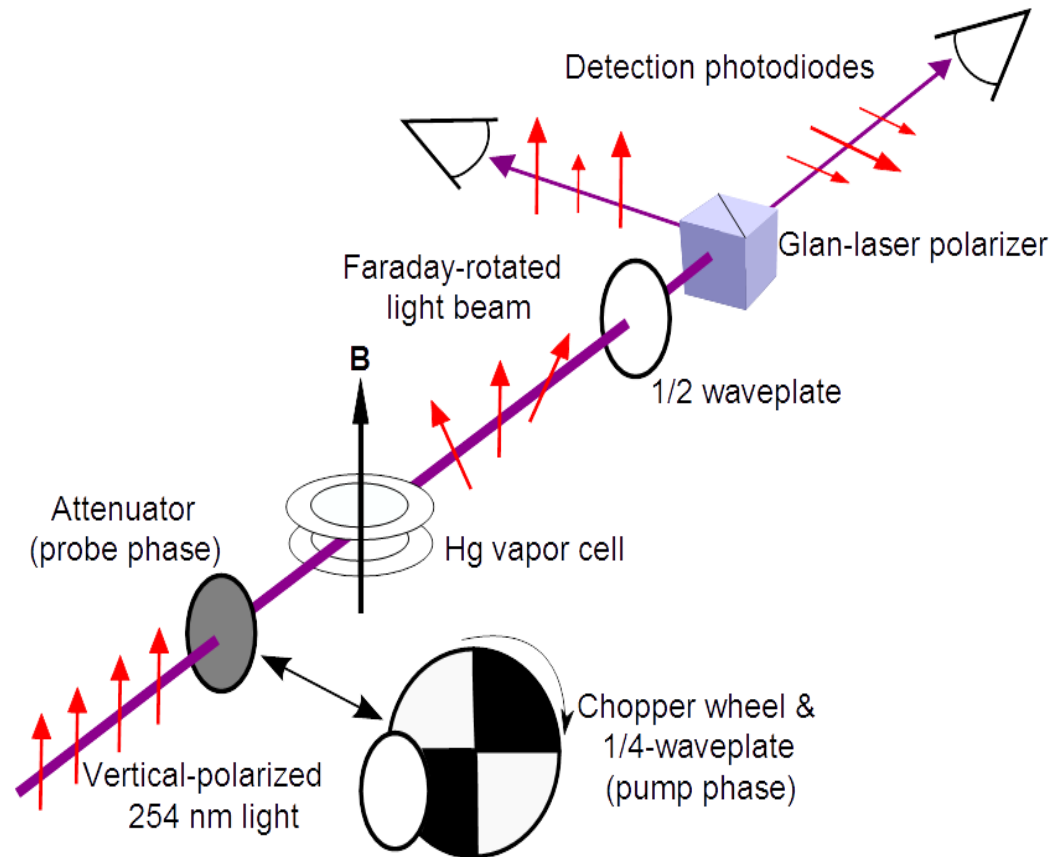
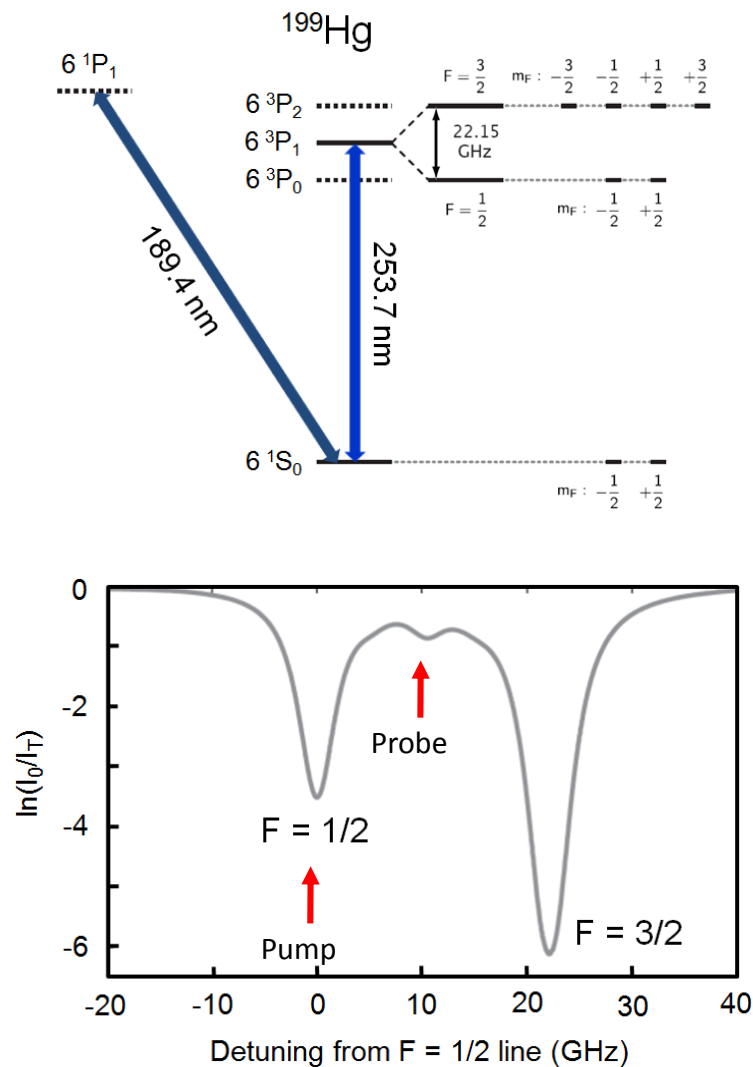


# Schematic Overview



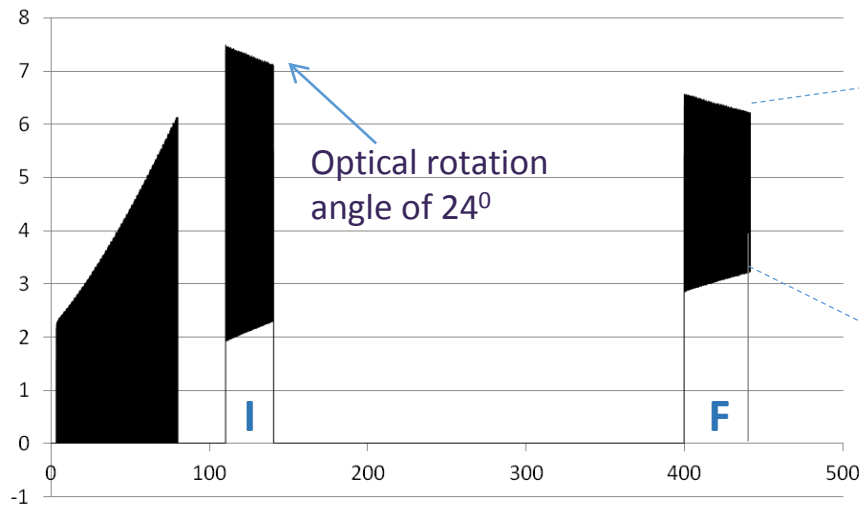


# Faraday Rotation Detection

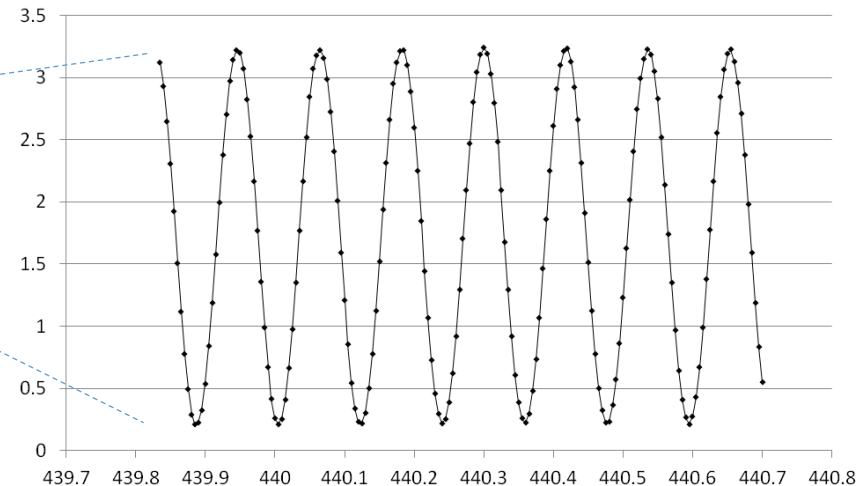




# Precession in the Dark



Photodiode signal (V) vs. time (seconds)



We extract the precession phase  $\varphi_F$  at the start of the F (final) period and the precession phase  $\varphi_I$  at the end of the I (initial) period.

$$\omega_{\text{Dark}} = (\varphi_F - \varphi_I)/T_{\text{Dark}}$$

# Digital Phase Analysis

For neighboring cells, a and b, we want to extract

$$\Delta\omega_{ab} = \omega_a - \omega_b = [(\phi_a - \phi_b)_F - (\phi_a - \phi_b)_I] / T_{Dark}$$

To do so, we multiply the signals from neighboring cells.

From  $S(t_n) = Ae^{-t_n/\tau} \sin(\omega t_n + \phi)$  and

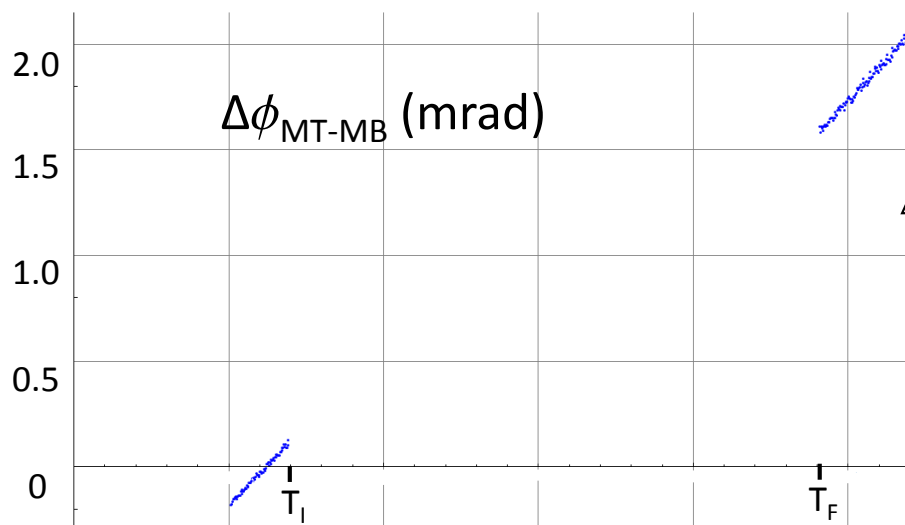
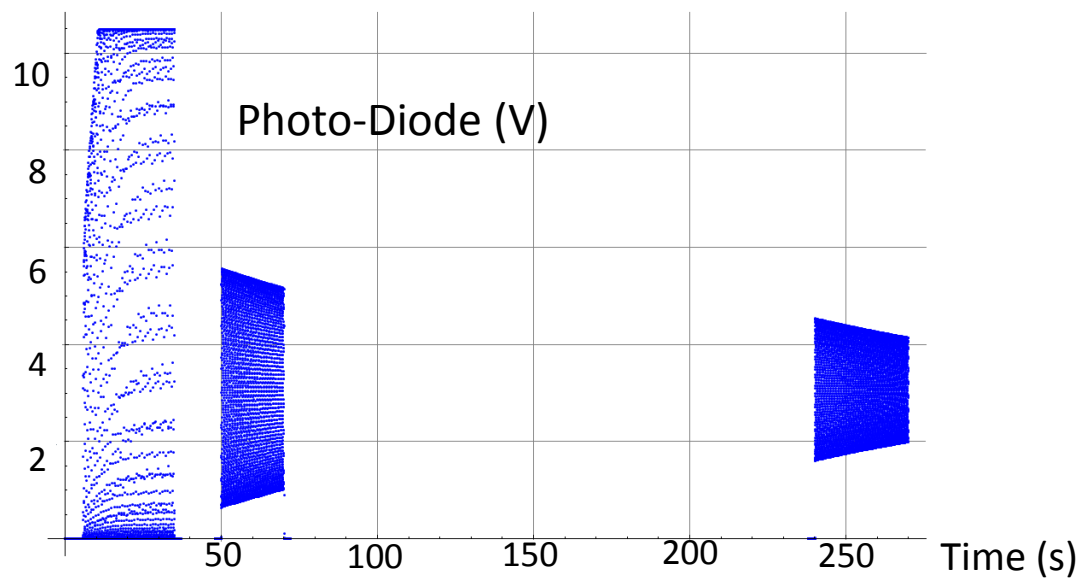
$$N^2(t_n) = S^2(t_n) - S(t_n - \pi/2\omega) \cdot S(t_n + \pi/2\omega) = A^2 e^{-2t_n/\tau}$$

we get  $\tilde{S}(t_n) = S(t_n) / N(t_n) = \sin(\omega t_n + \phi)$  and

$$\tilde{C}(t_n) = [\tilde{S}(t_n + \pi/2\omega) - \tilde{S}(t_n - \pi/2\omega)] / 2 = \cos(\omega t_n + \phi)$$

$$\begin{aligned} \text{Finally } \tilde{S}^a(t_n) \cdot \tilde{C}^b(t_n) - \tilde{C}^a(t_n) \cdot \tilde{S}^b(t_n) &= \sin(\Delta\omega_{ab}t_n + \Delta\phi_{ab}) \\ &\approx \Delta\omega_{ab}t_n + \Delta\phi_{ab} \end{aligned}$$

# Phase Data



$$\Delta\omega_{\text{Dark}} = \frac{\Delta\phi(F) - \Delta\phi(I)}{T_F - T_I}$$

# System Performance

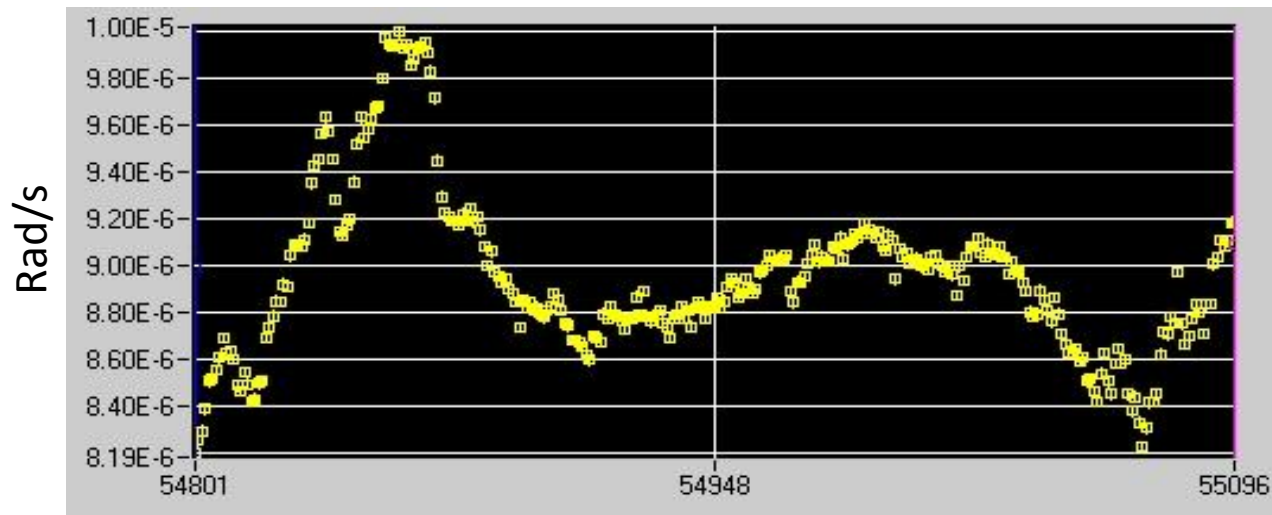
Average angular frequency relative to first scan



This corresponds to a drift of  $\sim 1 \mu\text{Gauss/day}$

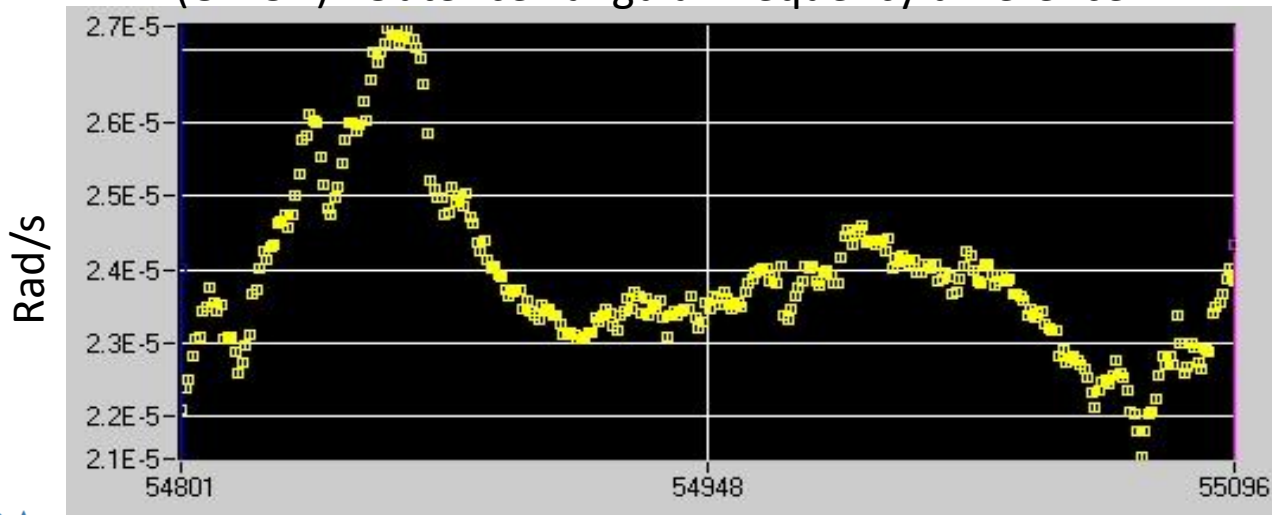
For the same run:

$\Delta\omega(\text{MT-MB})$  Middle cell angular frequency difference

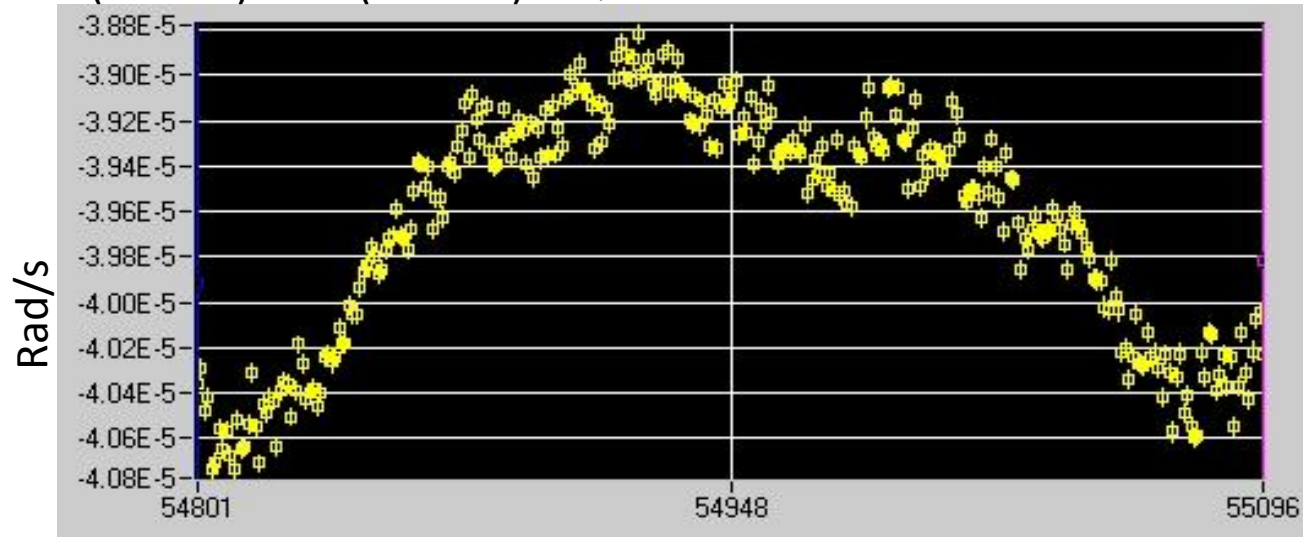


0.3 nG/day

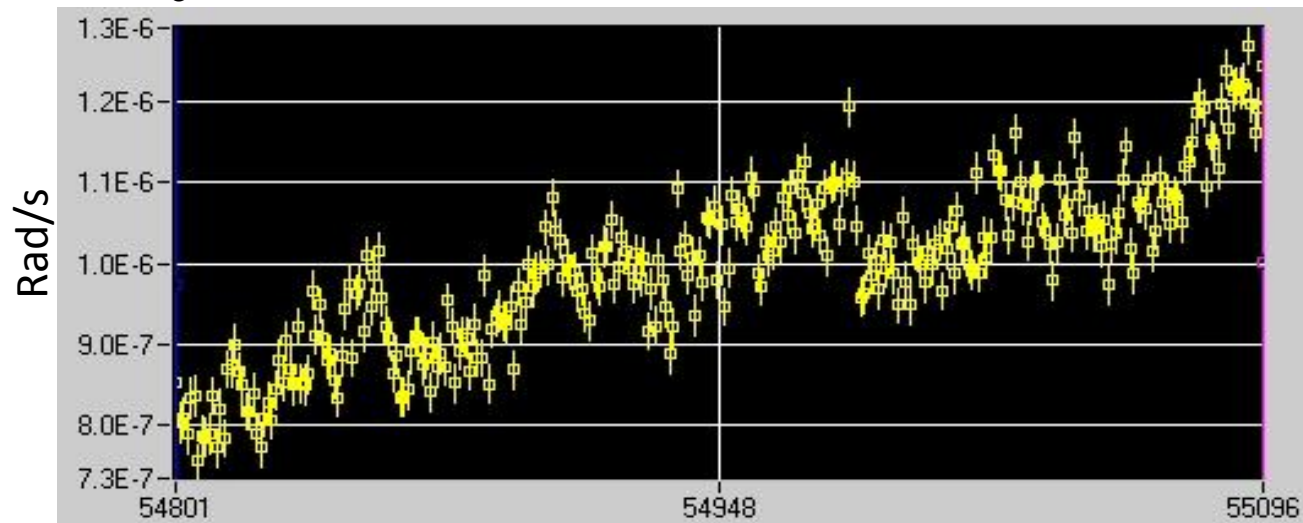
$\Delta\omega(\text{OT-OB})$  Outer cell angular frequency difference



$\Delta\omega(\text{OT-MT}) + \Delta\omega(\text{OB-MB})$  Quadratic field drift channel



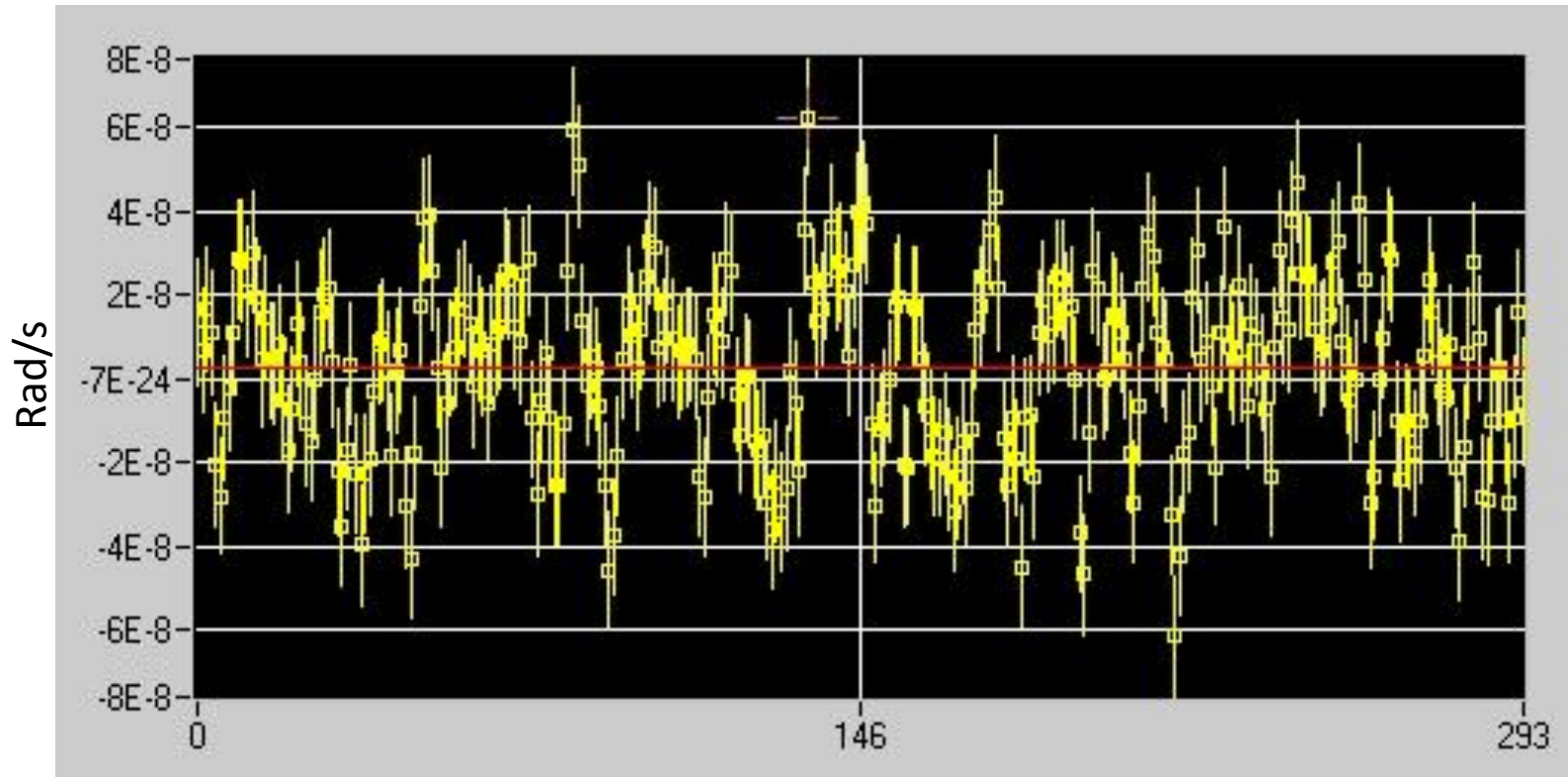
$\Delta\omega_c$  EDM sensitive frequency combination



80 pG/day

# One day EDM signal

$$\omega_{\text{edm}}(n) = (-1)^n [\Delta\omega_c(n-1) - 2 \Delta\omega_c(n) + \Delta\omega_c(n+1)]/4$$



$\omega_{\text{edm}} = \text{xx} \pm 2.0 \times 10^{-9} \text{ rad/s}$ , a factor of 4 improvement over 2009

$(3.5 \times 10^{-29} \text{ e-cm/day for 10kV runs})$



# Data Sequences

EDM data is taken in ``sequences''. Each sequence comprises:

- A defined set of cell orientations and ordering in the vessel
- Equal number of day long runs at 6kV and 10kV
- Equal number of runs with normal and reversed magnetic fields
- Equal number of runs with fast and slow high voltage ramp rates
- Typically 16 -20 runs total

285 edm data runs were taken, spread across 12 sequences.

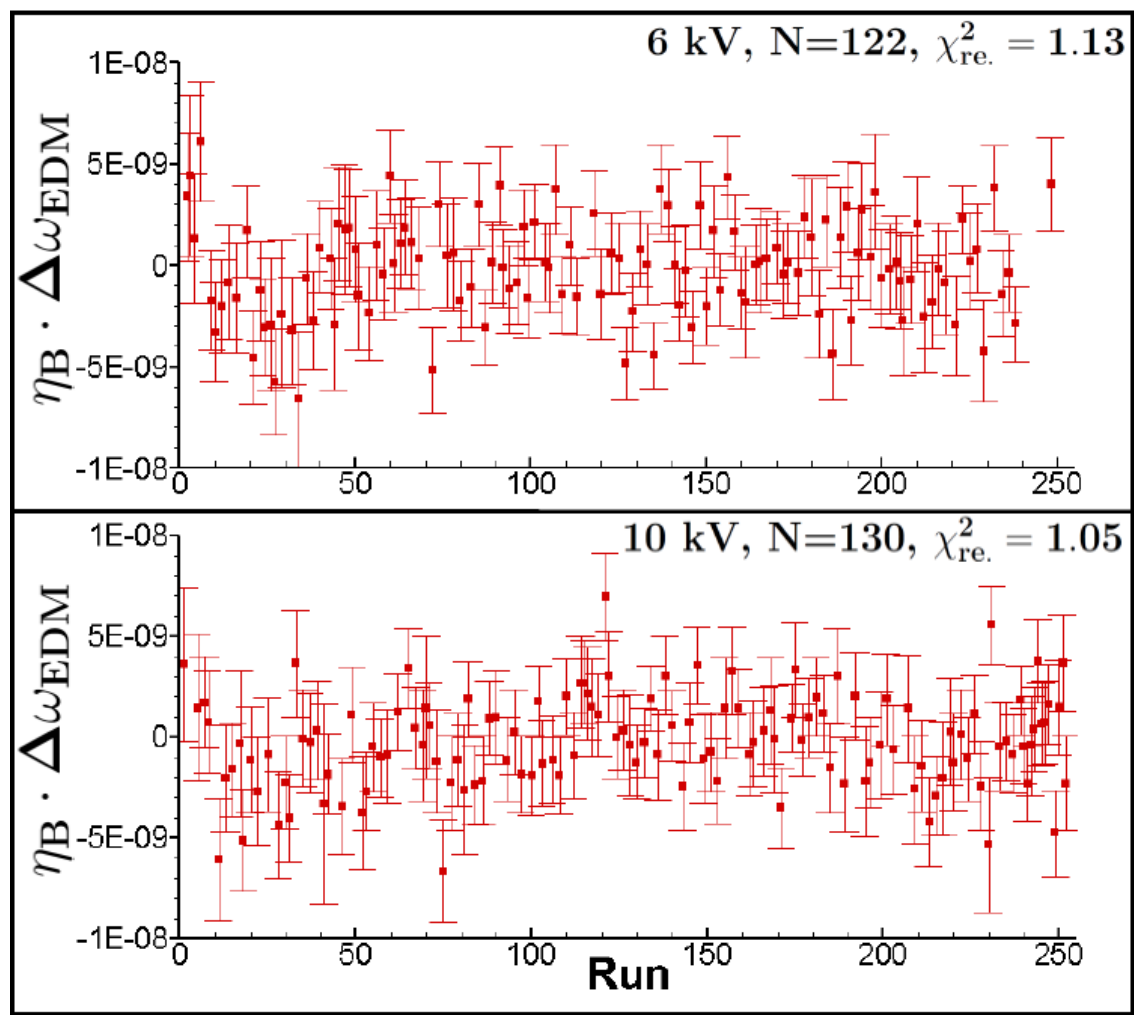
63 non-edm runs were taken to investigate a systematic error that was observed, an HV correlated frequency shift between the outer cells.

32 edm data runs were removed on the basis that:

$$\omega_{OT} - \omega_{OB} > 2.0\sigma \text{ or } 2.0 \times 10^{-8} \text{ s}^{-1}$$

# Final EDM Data Set

$$d_{Hg} = (2.20 \pm 2.75_{stat} \pm 1.59_{sys}) \times 10^{-30} e \cdot cm$$



$$|d_{Hg}| < 7.5 \times 10^{-30} e \cdot cm$$

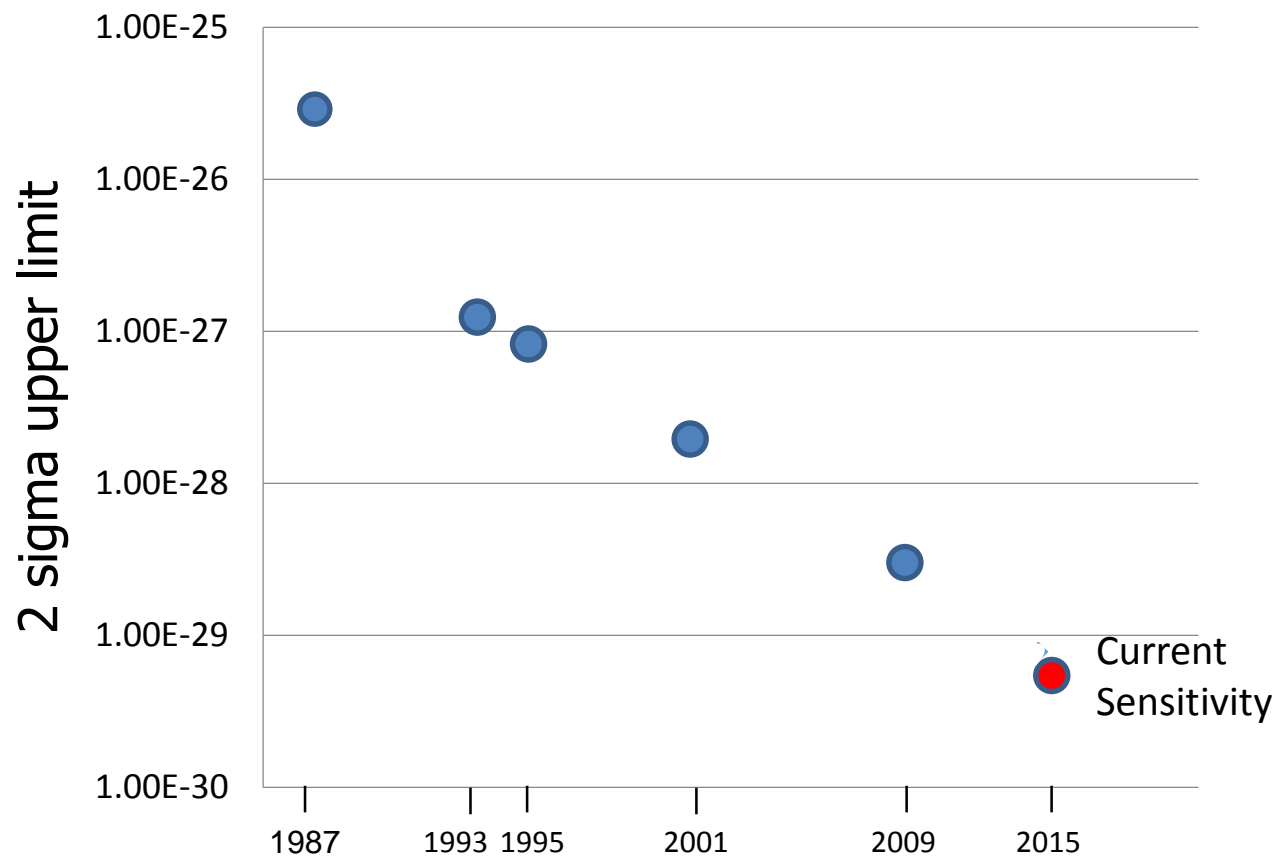
at 95% C.L.

(B. Graner, et al, PRL 116, 161601, 2016)

$$d_n < 1.6 \times 10^{-26} e \cdot cm$$
$$d_p < 2.0 \times 10^{-25} e \cdot cm$$
$$\Theta_{QCD} < 8.6 \times 10^{-11}$$
$$C_T < 1.5 \times 10^{-10}$$
$$\tilde{d}_u - \tilde{d}_d < 5.8 \times 10^{-27} cm$$

# History of $^{199}\text{Hg}$ EDM results

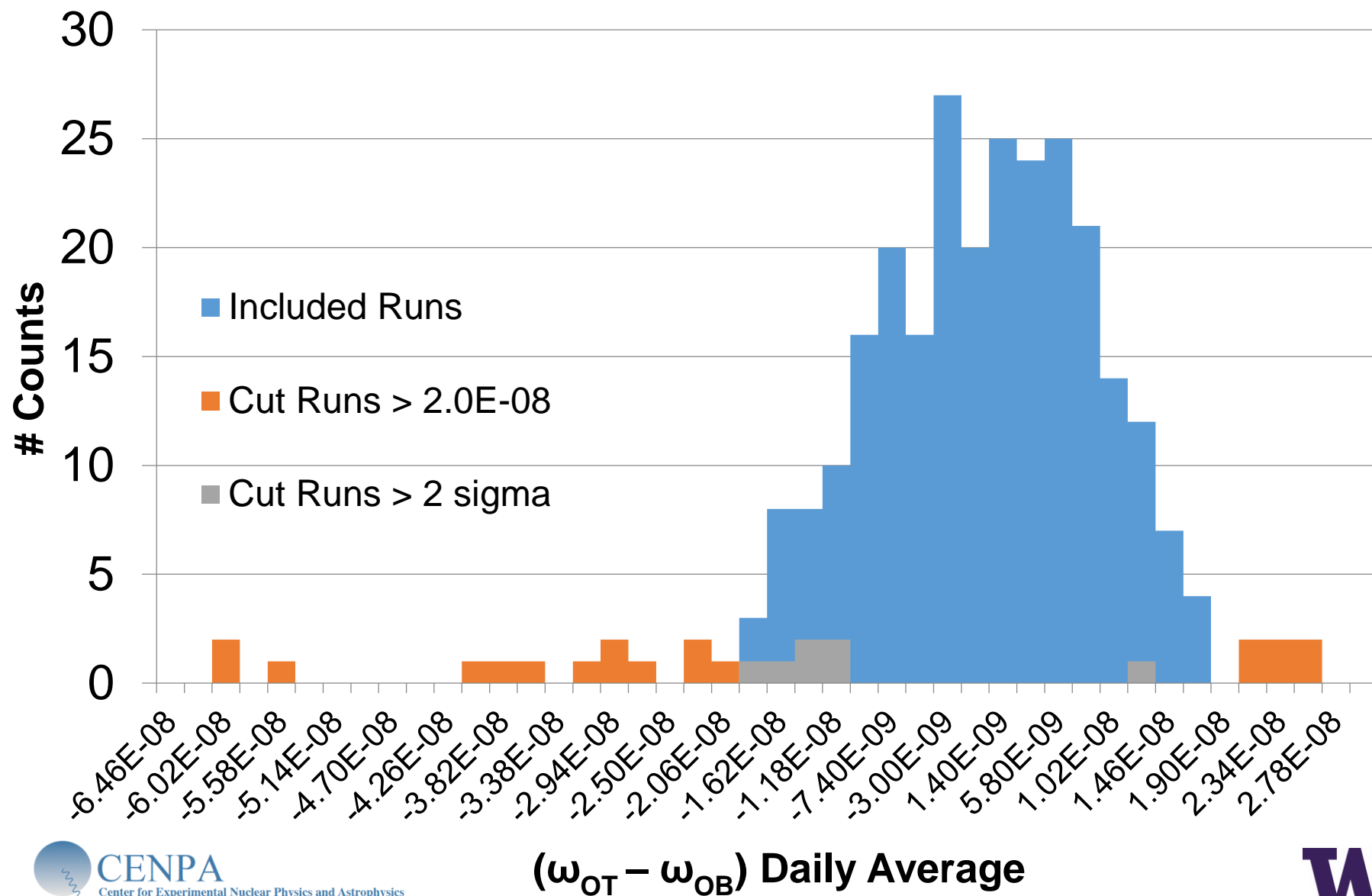
18



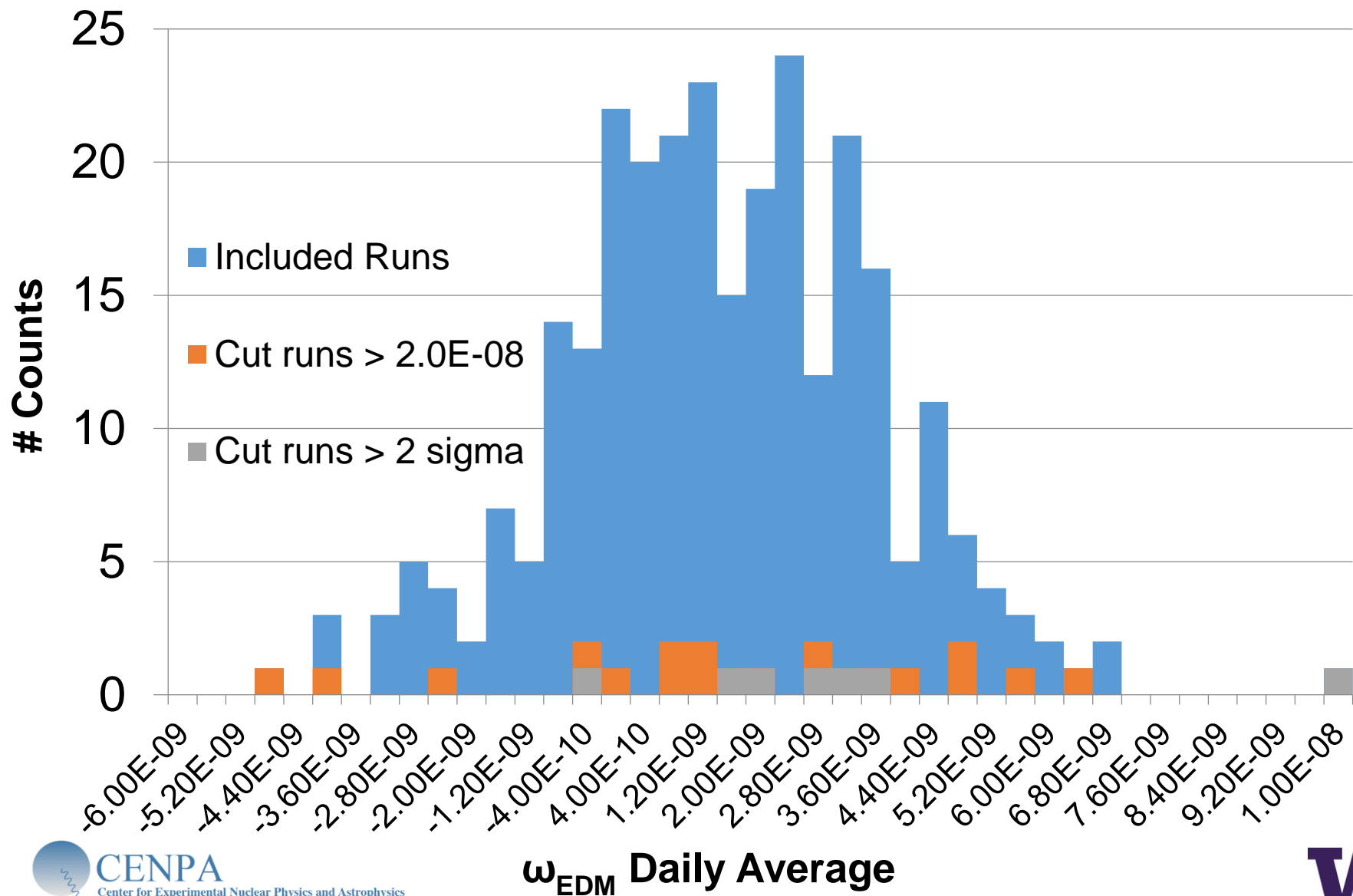
# Systematic Error Budget

Source	Error ( $10^{-31}$ e cm)
Axial Cell Motion	12.6
Leakage Currents	5.02
Radial Cell Motion	3.36
$E^2$ effects	3.04
Parameter Correlations	2.33
$\mathbf{v} \times \mathbf{E}$ $\mathbf{B}$ fields	2.29
Charging Currents	1.83
Geometric Phase	0.06
<b><u>Quadrature sum</u></b>	<b>14.8</b>

# $(\omega_{\text{OT}} - \omega_{\text{OB}})$ Histogram



# EDM Result Bias



# Axial cell motion

Outer cell motion as small as 100 nm in the known magnetic field gradients would account for the observed signals.

By comparing the set of excluded data (32 cut runs + 63 systematic runs) to the EDM runs, we determined the feedthrough of the cell motion onto the edm signal:

$$\frac{\eta_{\mathbf{B}} \cdot (\Delta\omega_{EDM}^{ex.} - \Delta\omega_{EDM})}{\eta_{\mathbf{B}} \cdot (\Delta\omega_{OT-OB}^{ex.} - \Delta\omega_{OT-OB})} = (1.6 \pm 5.7) \times 10^{-2}$$

An obvious solution to reducing this systematic in future work is to reduce the magnetic field gradients.



# Summary and Outlook

We have completed a new measurement of the EDM of  $^{199}\text{Hg}$ . Our result represents a factor of 4 increase in sensitivity over our previous experiment.

We have constructed new, shorter vapor cells allowing a 10% increase in the applied electric field strength.

We have installed a new innermost magnetic shield and are in the process of measuring and reducing the magnetic field gradients.

If we can identify the source of the excess noise that we see in our frequency difference measurements, a factor of 2-3 improvement in sensitivity is possible with the existing apparatus.

