

Hund's-Kondo pairing mechanism for triplet superconductivity – applications to UTe₂ & beyond

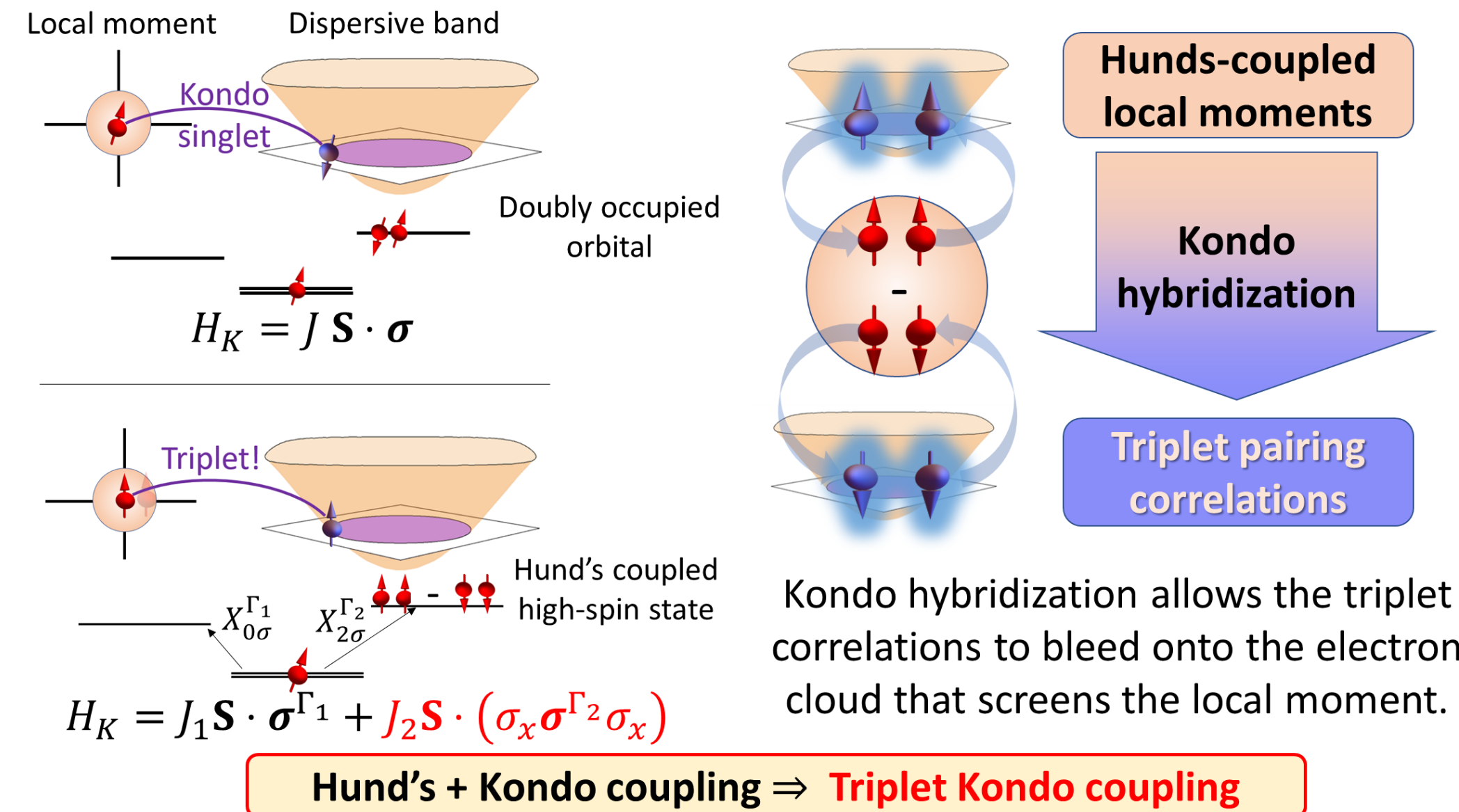
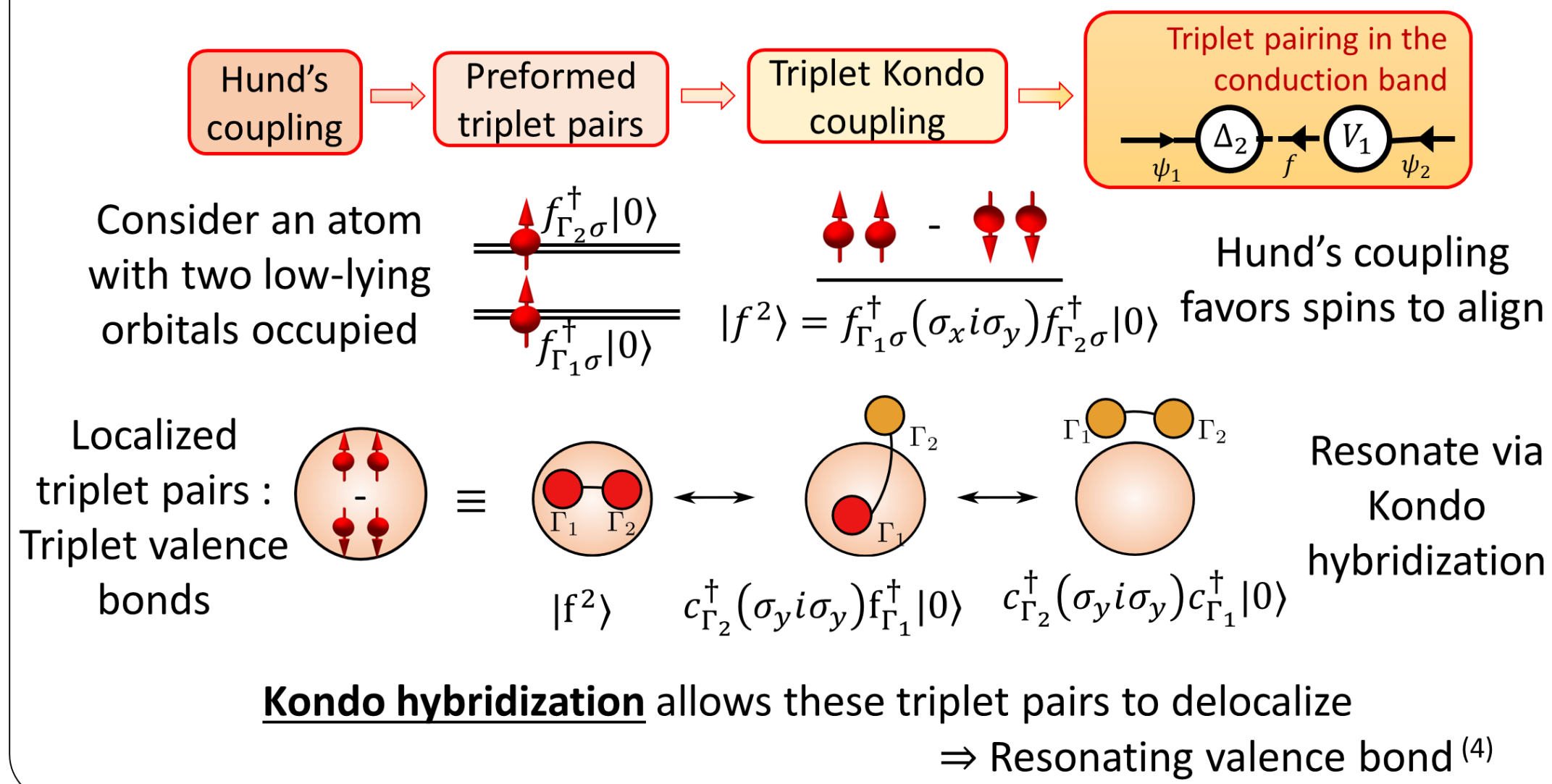


Tamaghna Hazra, Piers Coleman, PRL 130, 136002 (2023)

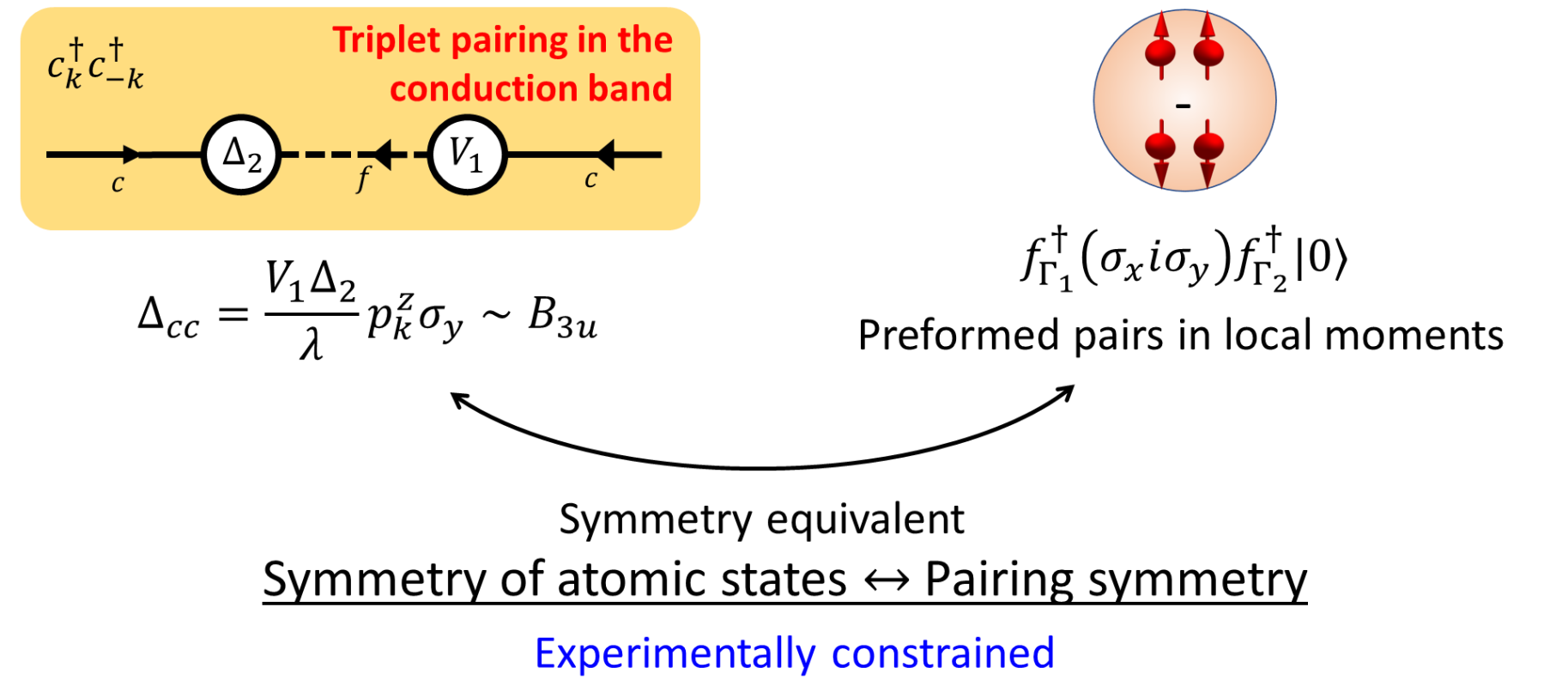


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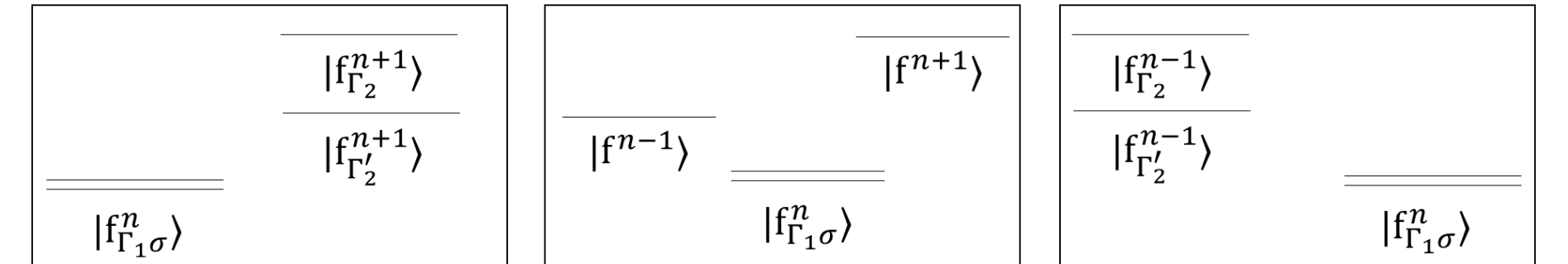
How does Hund's coupling affect superconductivity?



Singlet + Triplet Kondo coupling ⇒ Triplet Superconductor



Generalizations, extensions and open directions:

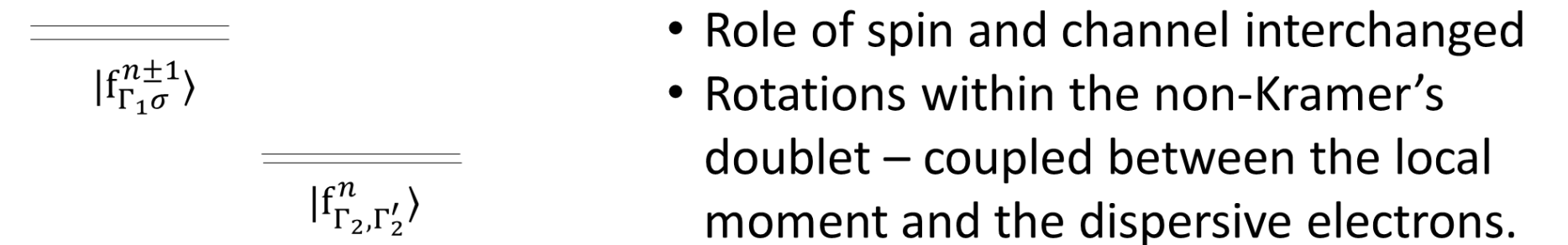


Any two distinct valence fluctuation channels from a Kramer's doublet ⇒ two-channel Kondo model leading to possible triplet superconductivity

Superconducting transition ↔ involvement of second Kondo channel

- ⇒ change in f valence at T_c (core level spectroscopy, inverse photoemission, x-ray scattering)
- OR
- ⇒ change in local electric fields (nuclear quadrupole resonance)

f^n with n even: Non-Kramer's doublet ground state⁽¹⁶⁾:



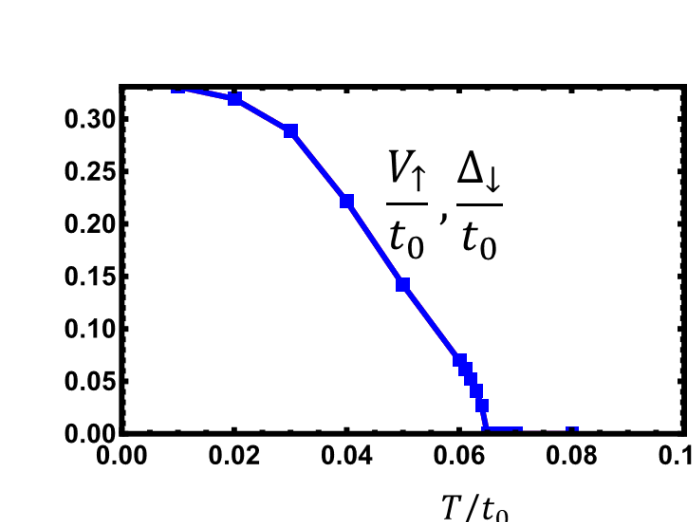
Two-spin channel-Kondo model

$$H_K = J_{CK} \sum_{\sigma} \mathbf{M} \cdot \psi_{\Gamma\sigma}^\dagger \mathbf{m}_{\Gamma\Gamma'} \psi_{\Gamma'\sigma}$$

Rotations of the local moment can be represented by fermionic partons which carry the channel quantum numbers.

$$\mathbf{M} = \chi_{\Gamma}^\dagger \mathbf{m}_{\Gamma\Gamma'} \chi_{\Gamma'}$$

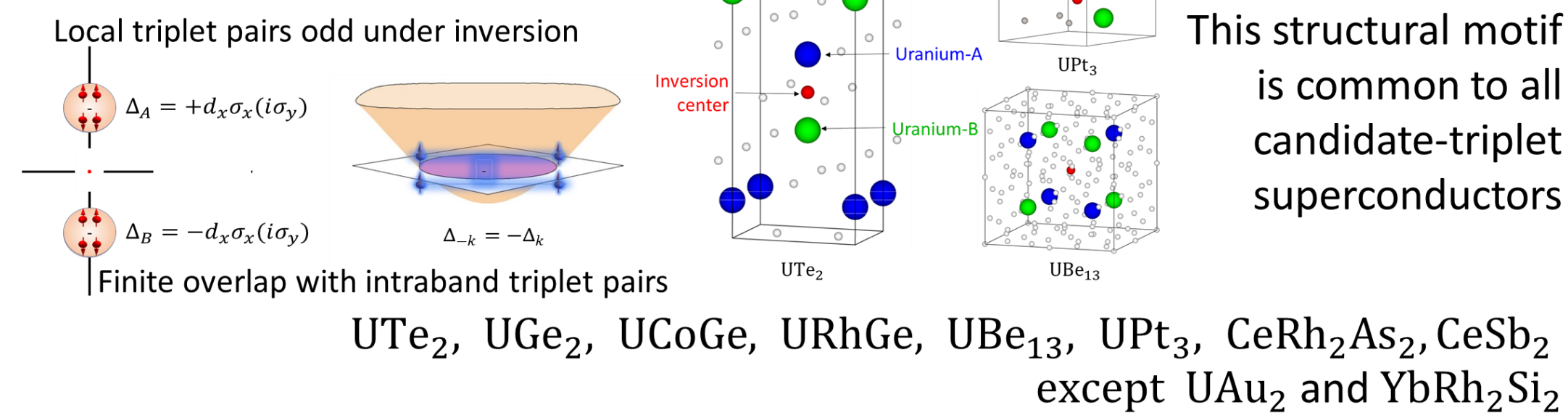
Kondo hybridization then leads to spinor hybridization and pairing mean-fields⁽¹⁷⁾ $V_{\sigma} = \langle \chi_{\Gamma}^\dagger \psi_{\Gamma\sigma} \rangle$, $\Delta_{\sigma} = \langle \Gamma \chi_{\Gamma} \psi_{\Gamma\sigma} \rangle$



One might expect that when there is a lattice of such moments, triplet pairs would delocalize, acquire stiffness and condense.

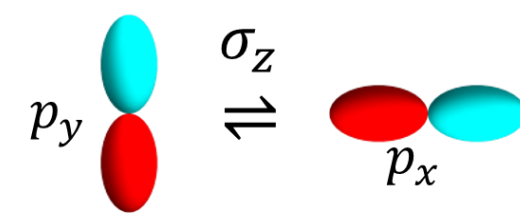
Problem: triplet pairing on the Fermi surface is odd parity, and if the f^2 moment sits at an inversion center, local pair wavefunction has even parity.

Anderson⁽¹⁾ (1985):



Spin-orbit ⇒ spin-dependent form-factor

$$f_{\Gamma\sigma} \equiv \Phi_{\sigma\sigma'}^{\Gamma} c_{\sigma'}$$



Suppose channel 1 has higher Kondo temperature $T_{K1} \equiv T_K$

Then the singlet channel screens the moment, deconfined spinons hybridize with conduction electrons in channel 1 and on the heavy Fermi surfaces, the triplet Kondo coupling acts as a residual pairing interaction.

Sublattice ⇒ odd-in-k form-factor

$$H = H_c + J_1 \mathbf{S} \cdot \boldsymbol{\sigma}^{\Gamma_1} + J_2 \mathbf{S} \cdot (\sigma_x \boldsymbol{\sigma}^{\Gamma_1} \sigma_x)$$

singlet triplet α_z : sublattice-space Pauli matrix

$$\Phi^{\Gamma_1} = 1$$

$$\Phi^{\Gamma_2} = i\sigma_z (\alpha_z p_k^z)$$

$$\sigma^{\Gamma_1} = c^\dagger \sigma c$$

$$\sigma^{\Gamma_2} = c^\dagger p_k^z \sigma_z \sigma_y p_k^z c$$

p_k^z : z-like xtal harmonic

$$H = \epsilon_k^{\text{HF}} a_k^\dagger a_k + J_2 \mathbf{S} \cdot c_k^\dagger (p_k^z \sigma_y \sigma_z p_k^z) c_k$$

if $J_1 > J_2$

$$a_k = u_k f_k + v_k c_k$$

$$S = f^\dagger \sigma f$$

$$-J_2 (c_k^\dagger p_k^z \sigma_y (i\sigma_y)^\dagger f_{-k}^\dagger) \cdot (f_{-k} (i\sigma_y) \sigma_y p_k^z c_k)$$

Residual interaction = triplet pair scattering ($S_y = 0$)



Scaling of Kondo coupling

$$\frac{1}{J_2} = \frac{1}{J_2^0} - \rho \ln \frac{D}{T_K} - \rho d^2 \ln \frac{T_K}{T}$$

Kondo log Cooper log $d^2 = \langle (p_k^z)^2 \rangle_{FS}$, ρ : conduction band DOS

diverges at $T_c = T_{K2} d^2 T_{K1}^{1-d^2}$

SU(2) invariant parton mean-field theory

$$H = H_c + J_1 \mathbf{S} \cdot \boldsymbol{\sigma} + J_2 \mathbf{S} \cdot (p_k^z \sigma_y \sigma_z p_k^z)$$

$$H = V_1 c_k^\dagger f_k + V_2 c_k^\dagger p_k^z \sigma_y f_k + \Delta_2 c_k^\dagger p_k^z \sigma_y (i\sigma_y)^\dagger f_k^\dagger$$

hybridization Triplet pairing

