

Field-tuned quantum criticality in $CeIn_3$

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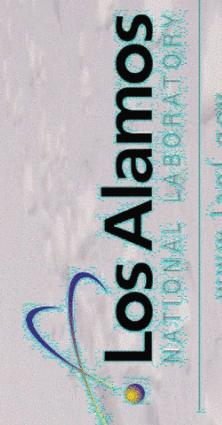
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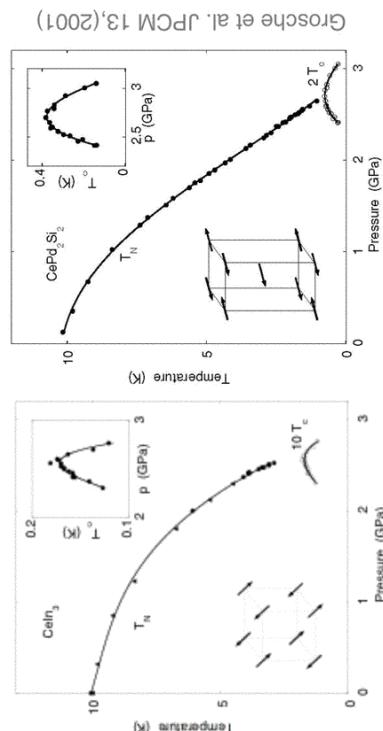
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Antiferromagnetic quantum criticality in heavy fermions

Pressure-induced antiferromagnetic quantum criticality: perhaps generic property of strongly correlated *f*-electron materials

One goal: understand link between Antiferromagnetic quantum criticality and phase formation (e.g. unconventional forms of superconductivity)



Requires microscopic model of quantum critical point itself



Generalizations: Quantum Criticality Basic Observables



Transport:

$$\rho = \rho_0 + A T^n$$

$$A \propto 1/\varepsilon_F^2 \text{ (provided } n=2)$$

$$kT^* \approx \varepsilon_F \text{ (crossover from } n=2 \text{ to } <1)$$

$$\varepsilon_F \propto |g - g_{QCP}|^\alpha \quad (\alpha <= 1)$$

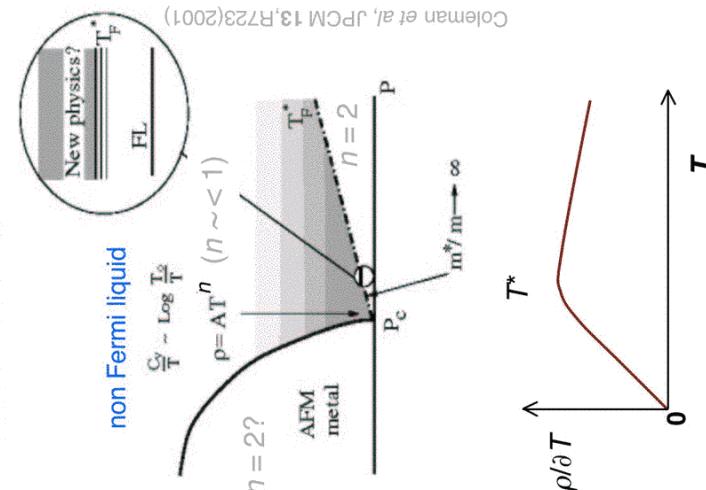
Thermodynamics

$$C = \gamma T + \beta T^3$$

$$\gamma(T) \propto -\ln T$$

$$\gamma(g) \propto m^* \propto 1/\varepsilon_F$$

$$\chi(T) \propto 1/(a+T^q)$$



Inside AFM phase? spin waves may cause problems

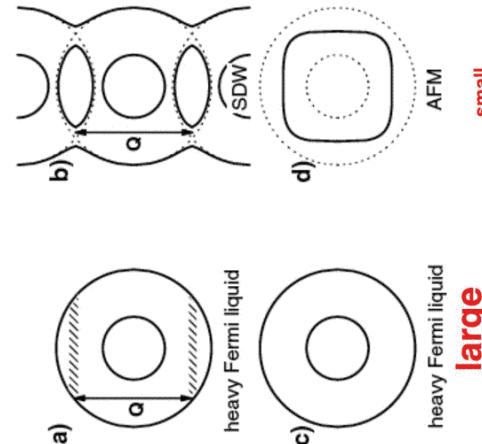


What is the antiferromagnetic order parameter?



State formed from heavy Fermi liquid: “Kondo” screening of a lattice of f -moments leads to composite-quasiparticles and Fermi surface that appears to accommodate f -electrons (**large Fermi surface**)

Antiferromagnetism in the weak coupling limit: modification of Fermi surface as for spin-density wave (SDW), with its translation with respect to ordering vector \mathbf{Q}

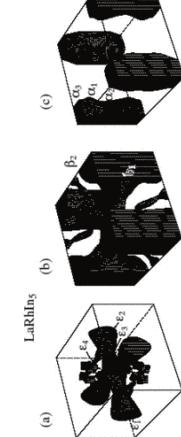


Antiferromagnetism in the strong coupling limit: composite quasiparticles break into their constituent components, leading to radically modified Fermi surface that does not accommodate f -electrons (small Fermi surface)

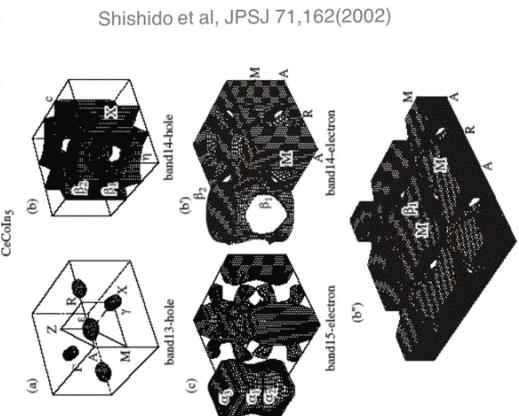


Quantum oscillations (de Haas-van Alphen): absolute measure of Fermi surface as $T \rightarrow 0$

$$\text{Fermi surface topology} \text{ determined precisely from frequencies in } 1/B \quad F = \left(\frac{\hbar}{2\pi e} \right) A_k$$



dHvA on antiferromagnetic CeRhIn₅ under pressure yields radical Fermi surface change consistent with formation of heavy Fermi liquid (like that of CeCoIn₅) [Onuki et al (to be published)]



Shishido et al, JPSJ 71,162(2002)

Issue 1: T_N nor staggered moment observed to drop continuously as $p \rightarrow p_c$ (yet only measured to 16 kbar) [Llobet et al PRB 69,024403(2004)]

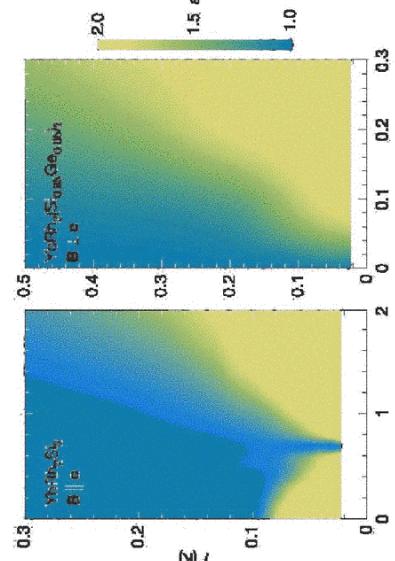
Issue 2: magnetic fields (~ 10 T) implicit to dHvA measurements. What is magnetic field effect on putative quantum critical point?



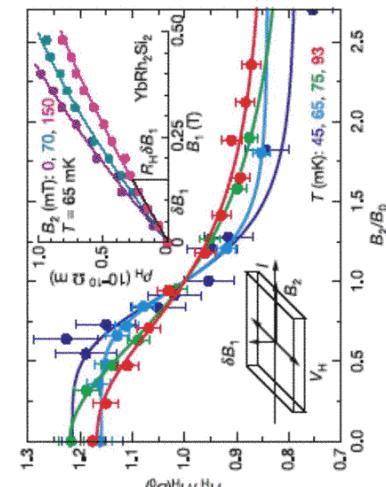
Indeed: magnetic field can itself be used to tune quantum criticality



YbRh₂Si₂ for example: so it is quite likely that $\rho_c(B=0) \neq \rho_c(B \sim 10\text{ T})$



Change in Hall coefficient (though indirect) yields evidence for change in Fermi surface topology [Paschen et al., Nature 432, 881(2004)].

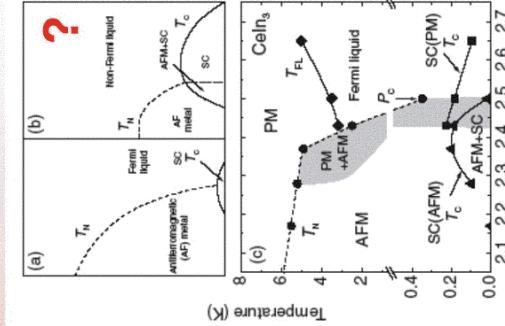


Advantage: magnetic fields more controllable and reversible than pressure, enabling very precise measurements



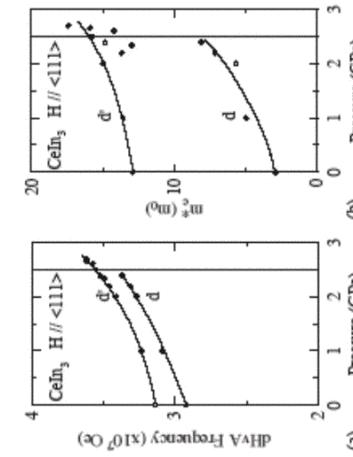
Closer look at the classic case: CeIn₃

[Kawasaki et al., JPSJ 73, 1647(2004)].



CeIn₃ recently shown to appear more complicated under pressure, with possible phase coexistence

ρ_c first order transition or sub-phases product of quantum criticality?

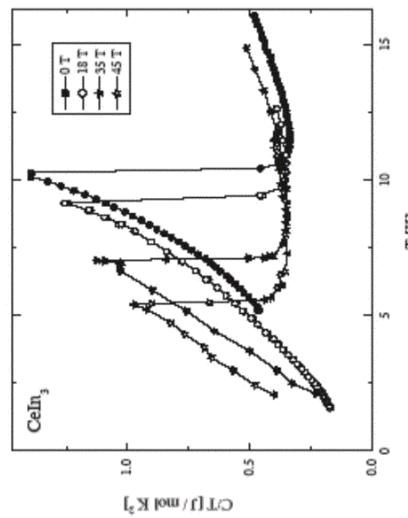


Effect of magnetic field? (implicit to dHvA measurements) once again neglected

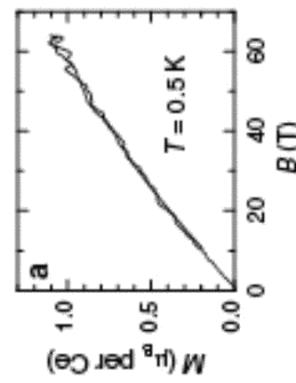
dHvA measurements under ρ alone have not yielded clear evidence for Fermi surface change at P_c [Settai et al., JMMM 272, 223(2004)].



Magnetic field-dependence of CeIn_3



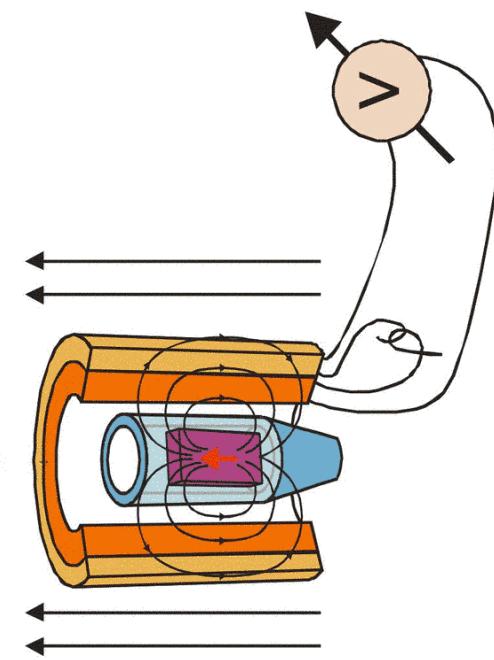
Magnetic fields suppress T_N in CeIn_3 as in YbRh_2Si_2 ; except ~ 100 times larger fields required since T_N is ~ 100 times larger



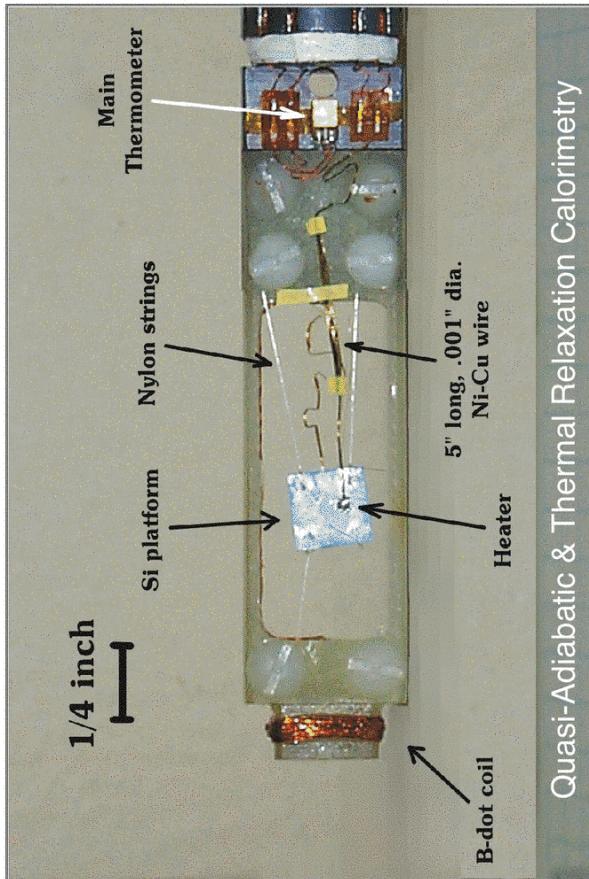
Magnetization can be measured in very strong magnetic fields ($B > 45$ T), while specific heat is more of a challenge/impossibility



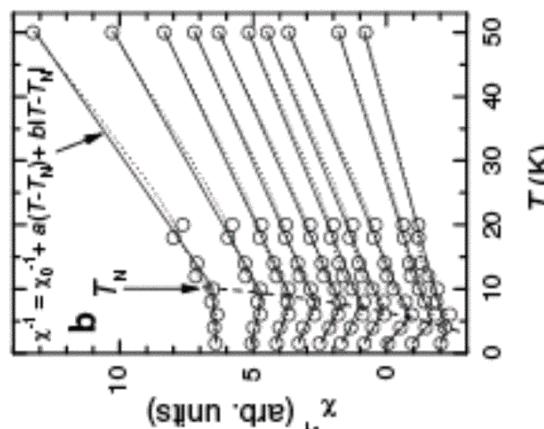
Extraction magnetometer



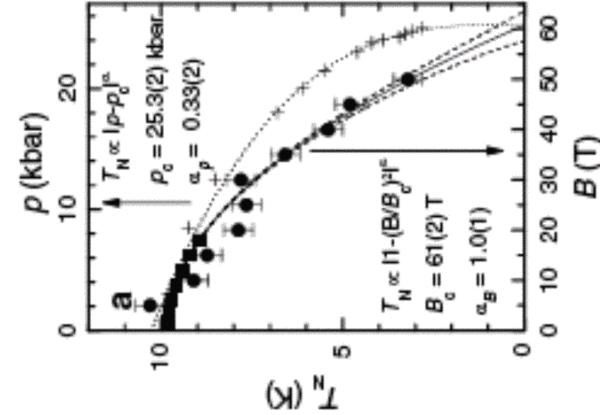
Specific heat in large fields



Magnetic field-dependence of Cel_{3}



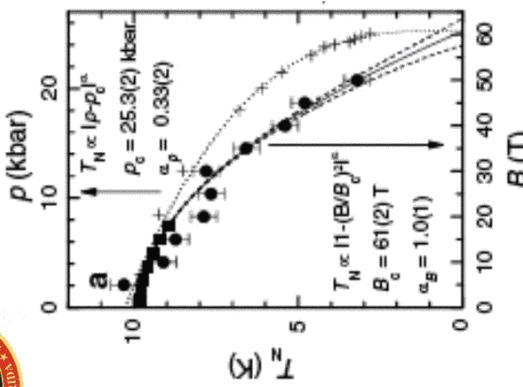
Kink in $1/\chi$ observed to be consistent with T_N from specific heat (lines drawn at 5 T intervals in magnetic field)



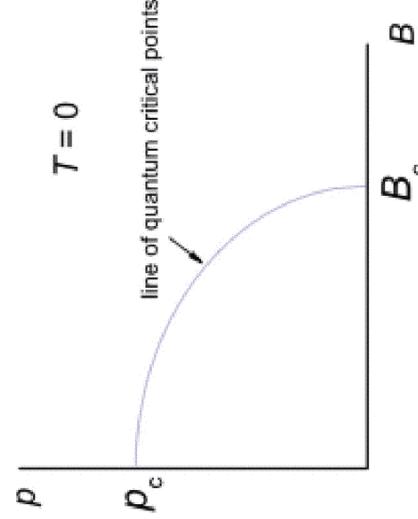
Specific heat anomaly reveals that T_N versus B is approximately quadratic, and $1/\chi$ supports continuation of trend to $B_c \sim 61$ T



Magnetic field-dependence of CeIn_3



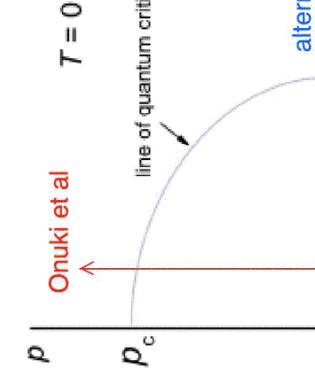
Data consistent with notional line of quantum critical points with considerably different p and B exponents



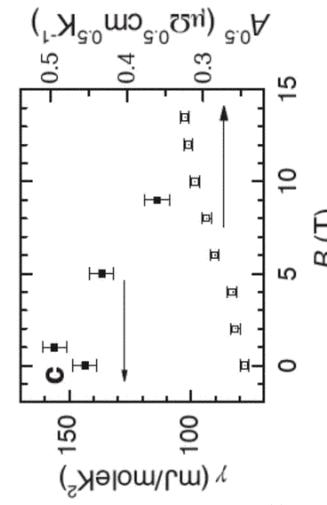
Function for p versus B ?



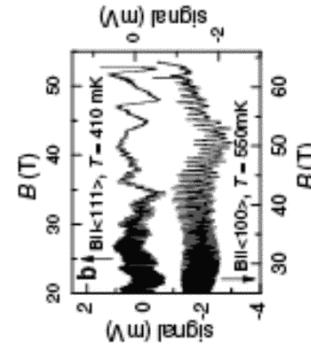
Line of quantum criticality of CeIn_3



Magnetic field-tuning enables access to quantum criticality in different part of phase diagram



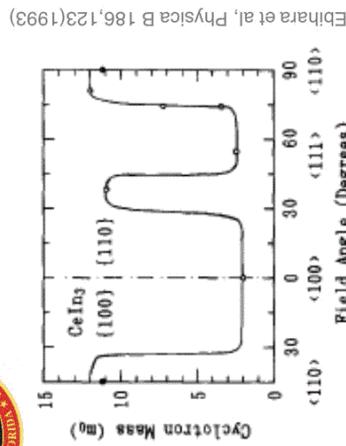
Measurements of α and γ inconclusive (large spin-wave component inside AFM phase)



dHvA through quantum critical point? m^*
enhanced directly by fluctuations: possibly reveal influence of increasing fluctuations as $B \rightarrow B_c$

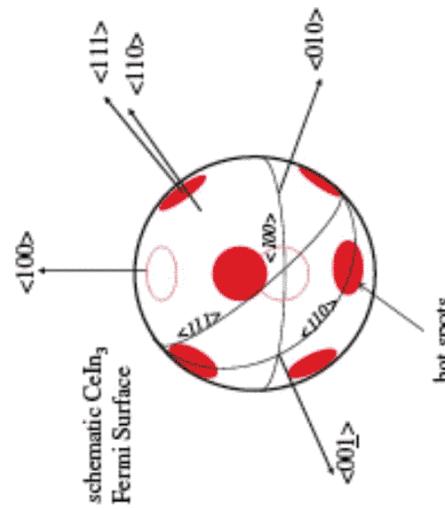


dHvA effect provides unique access to distribution of fluctuations



m^* varies with orientation but not F (Fermi surface cross-section), provides direct evidence for many body mass enhancement

i.e. $m^* \propto F$ in one-electron picture



Symmetry of angular dependence implies existence of 'hot spots' of fluctuations on near-spherical Fermi surface sheet: each orientatic corresponds to an orbital average

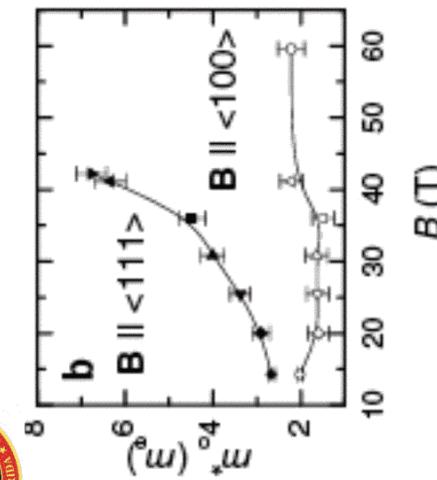
$$m_0^* = \frac{1}{2\pi} \oint m^*(\mathbf{k}) / k_F d\mathbf{k}$$

$$m^* (\text{hot spot}) \sim 30 m_e$$

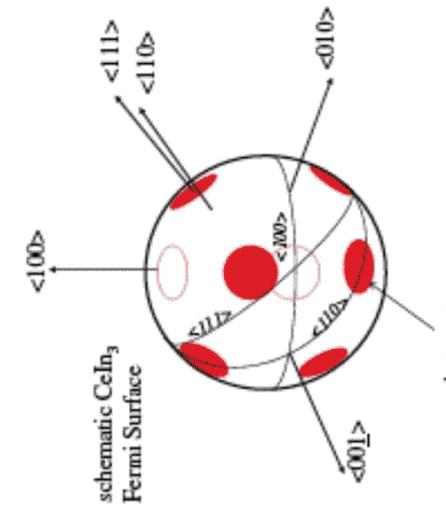
$$m^* (\text{cold regions}) \sim 2 m_e$$



Magnetic field-dependent effective masses



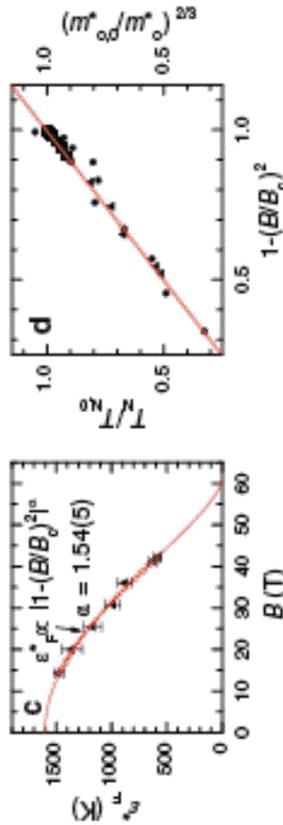
m^* for $\mathbf{B} \parallel <110>$ too heavy to be observed in pulsed magnetic fields at temperatures above 450 mK !



Other very small but heavy bits of FS ($m^* = 20-50 m_e$) unobservable in pulsed field experiments (and at high pressures)



Apparent scaling behavior



$$\epsilon_F^* \equiv \frac{\hbar e F}{m_0} = \epsilon_{F,0}^* g^{\alpha'} \quad \frac{\epsilon_F^*}{\epsilon_{F,0}^*} = \frac{m_{o,0}^*}{m_o^*} = \left(\frac{T_N}{T_{N,0}}\right)^{\alpha'/\alpha_B}$$

↑
`orbital'

$$g = (1 - B^2)$$

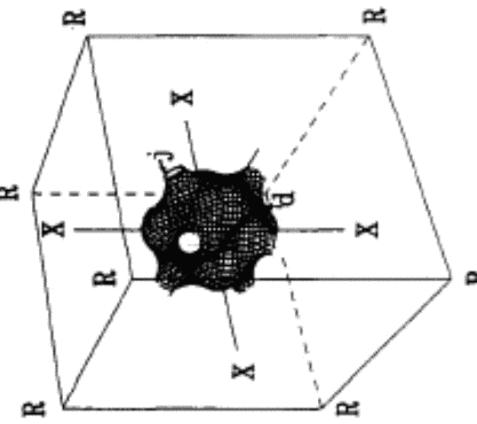
Empirical scaling behavior although cannot be continued to B_c , it does show that m^* seems to follow simple power law



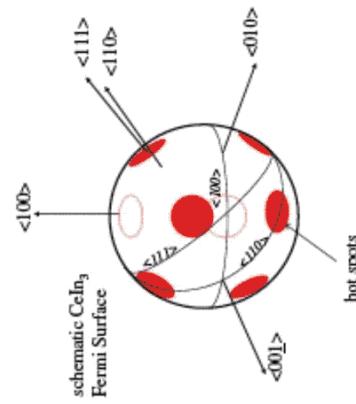
Origin of 'hot spots' ?

Spherical Fermi surface similar to d-sheet of LaIn_3 , since the 4f-electrons are mostly localized within AFM phase

Bragg reflection of conduction electrons off ordered f-moments with respect to $\mathbf{Q} = [1/2, 1/2, 1/2]$ will nevertheless open gaps which can 'truncate' necks of d-sheet (larger sheets get completely fragmented)



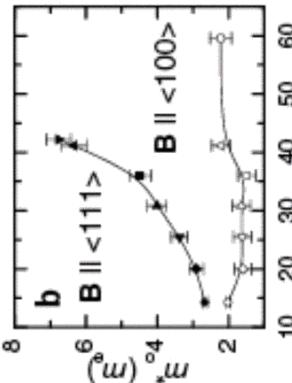
Ebihara et al, Physica B 186, 123 (1993)



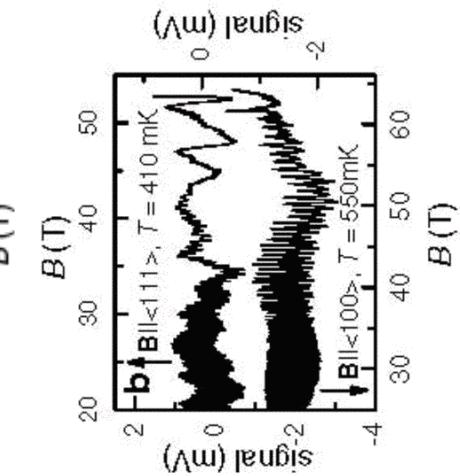
Fluctuations of AFM order parameter
leads to fluctuations at necks, hence the 'hot spots' situated at precisely the same location in k -space

Some sections of Fermi surface insensitive to impending quantum critical point ?



For $B \parallel <111>$ signal vanishes due to heavy mass long before B_c : should not survive outside AFM phase once necks reappear

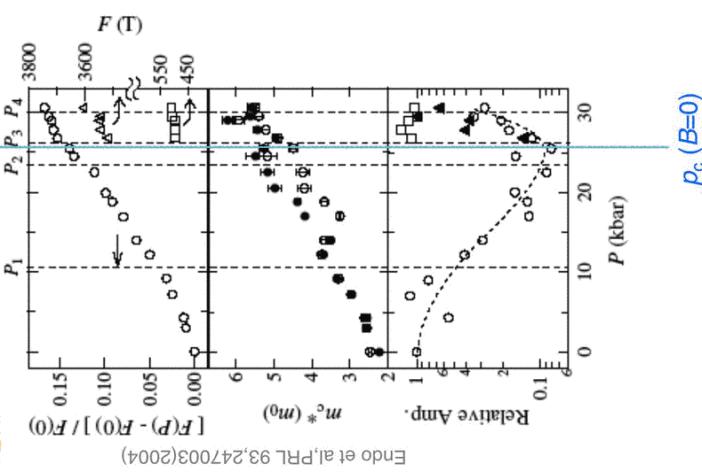


For $B \parallel <100>$ signal unperturbed to 65 T: suggesting this orbit might survive B_c . Since it seems unlikely that B_c is 1st order, we would expect to see some precursor damping/mass enhancement.

electrons remain localized for $B > B_c$?

ρ -dependent behavior appears to be different:

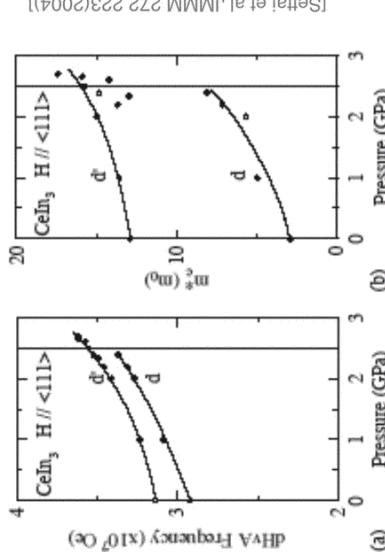
 



For both $B \parallel <100>$ and $B \parallel <111>$ mass increases with ρ

Mass enhancement therefore global over Fermi surface for increasing ρ

New Fermi surface sheets at high pressures?



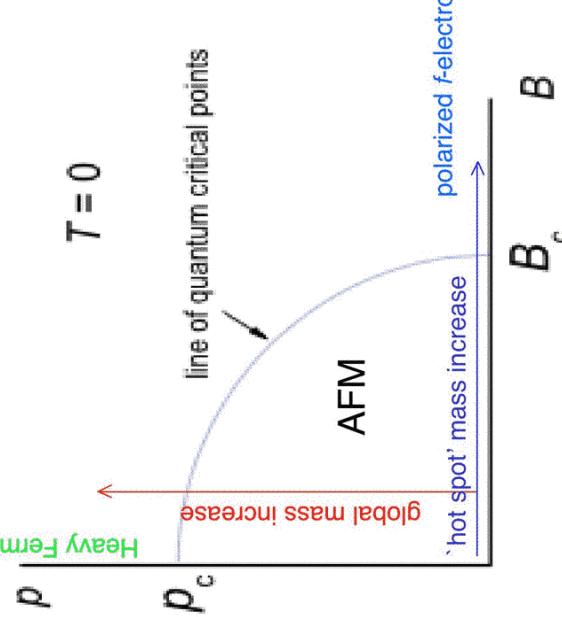
[Settei et al., JMM 272, 223 (2004)].



Implications for phase diagram

CeIn₃

Global mass increase implies fluctuations over entire Fermi surface: consistent with radical Fermi surface change



'hot spot' mass increase implies fluctuations associated with AFM \mathbf{Q} -vector: consistent with \mathbf{q} -dependent Fermi surface change



Does CeIn₃ scale with YbRh₂Si₂?

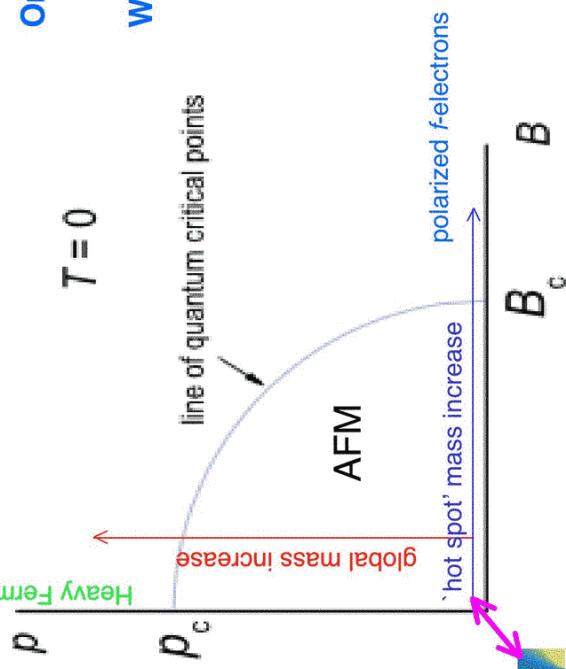
~ factor of 100 scale in B and T

CeIn₃

Or is the physics different?

$T = 0$

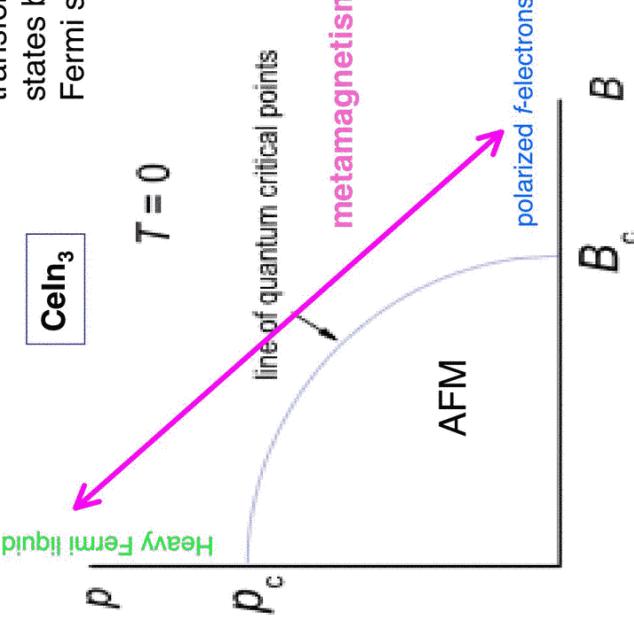
What role does symmetry play?





Cubic versus tetragonal ?

Anisotropic materials can undergo transformation between localized and itinerant *f*-states by way of metamagnetism: e.g. CeRu₂Si₂ Fermi surface change



But metamagnetism unexpected in cubic material (i.e. CeIn₃) !

How does the Fermi surface transform continuously at $T = 0$ while maintaining Luttinger's theorem?

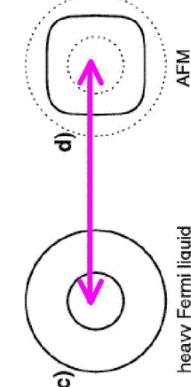
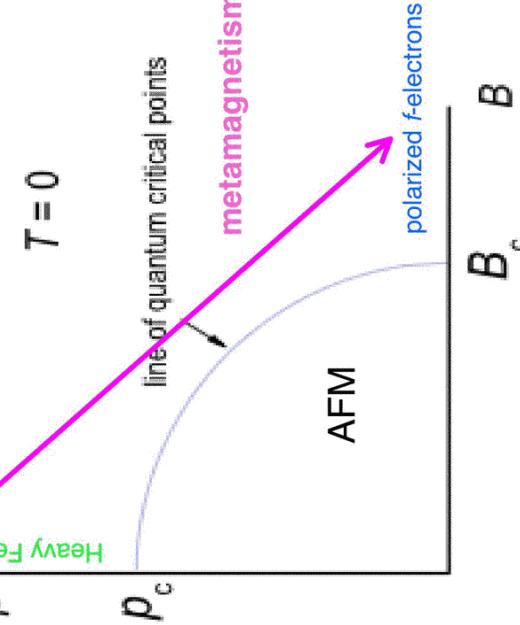


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Riddles of the Fermi surface

Can transformation from itinerant to localized take place continuously?
Obeying Luttinger's theorem throughout

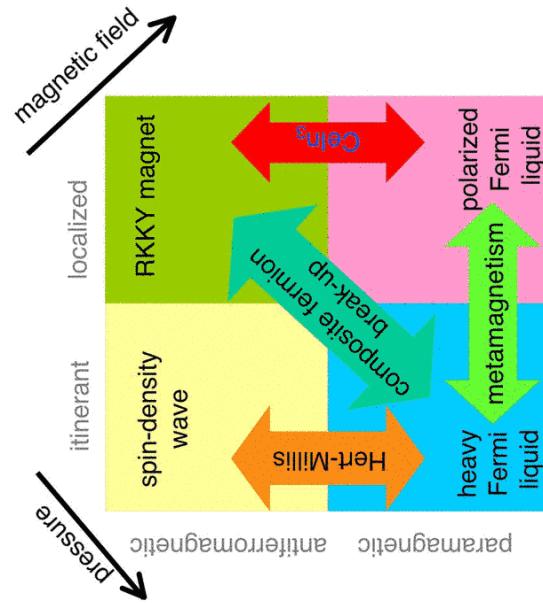


i.e. in CeRu₂Si₂ it take places abruptly, at metamagnetic cross-over/transition accompanied by large magnetization change

What would be the equivalent process in CeIn₃?



CeIn₃ quantum critical points



Perhaps CeIn₃ in a magnetic field is localized f -electron equivalent of Hertz-Millis type QCP?

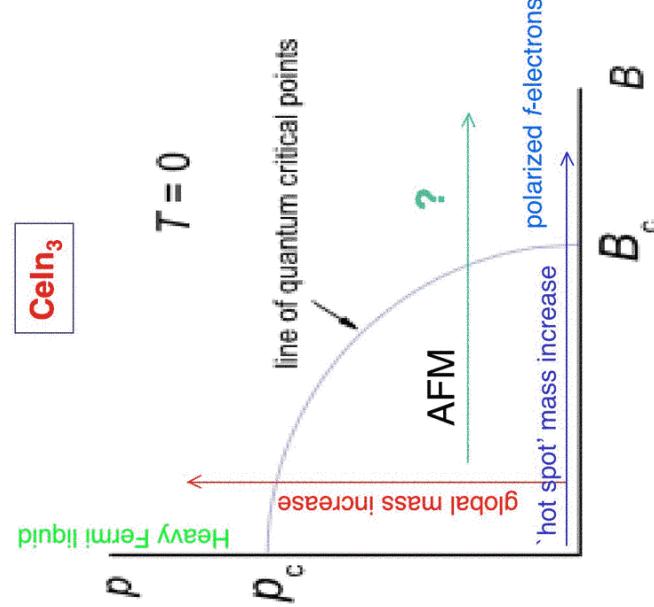
AFM order parameter causes Bragg reflection of conduction electrons, but due to RKKY-mediated AFM ordered f moments rather than a SDW.

Future directions: large areas of unexplored phase space



- 1) **Electrical transport** under pressure in strong magnetic fields (turquoise line) or observed dHvA and T -dependent transport at $B \gg 65$ T

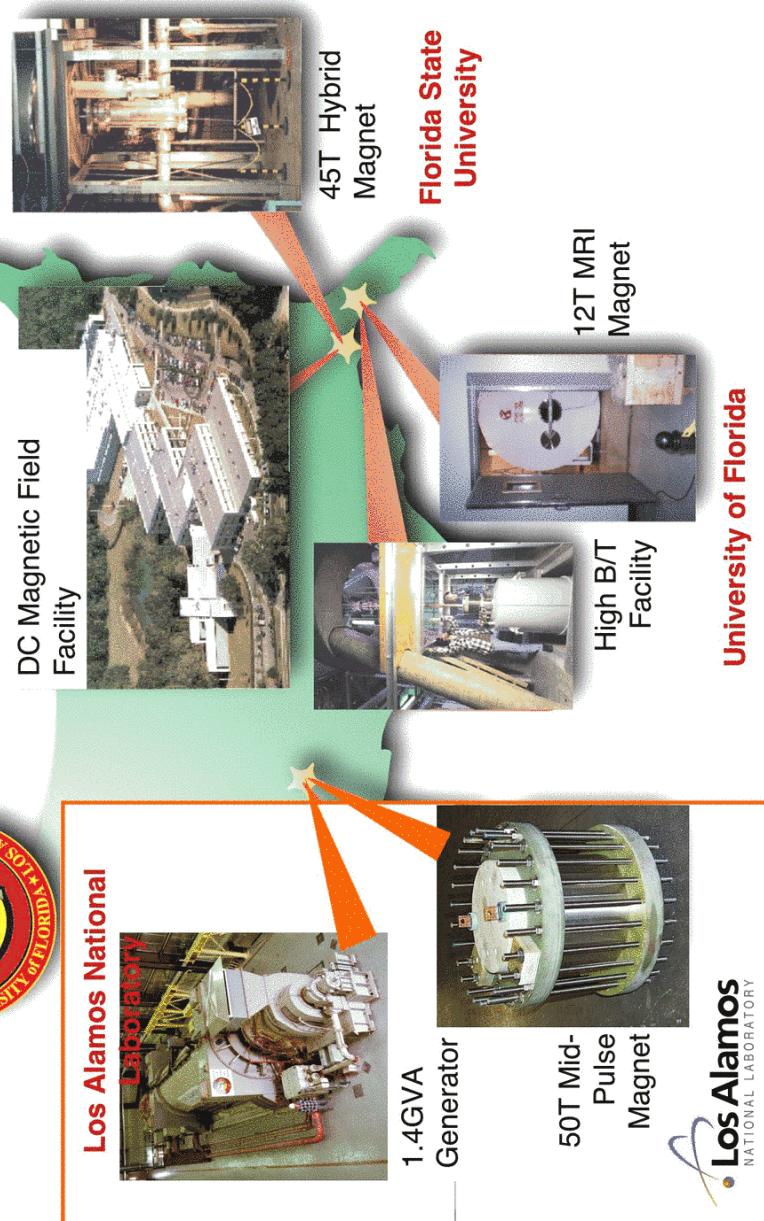
$T = 0$



- 2) **Electrical transport** versus pressure in a constant field $B < 45$ T
- 3) **Field-dependence of γ and AT^2** requiring use of dil. fridge because of big C_p anomaly
- 4) **Sn-doping study** to reduce B_c to more manageable fields so that electrical resistivity can be measured in 45 T hybrid



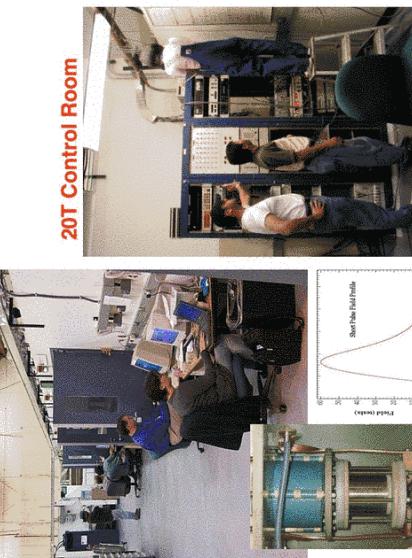
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NHMFL - Pulsed Field Facility

Alex H. Lacerda, Director

Mezzanine, Short Pulse Operations



- In-house Scientists:
- Scott Crooker (*Spectroscopy, Optics*)
 - Marcelo Jaime (*Thermodynamics*)
 - Neil Harrison (*Magnetization*)
 - Fedor Balakirev (*Transport*)
 - John Singleton (*Magnetization*)
 - Charles Mielke (*Transport & Heat Users Program*)
 - Albert Migliori (*Spectroscopy, Ultrasound*)
 - Dwight Rickel (*Spectroscopy, Optics*)
 - Jason Lashley (*Thermodynamics*)
- 7 Postdoctoral Fellows, 4 graduate students



2003 Highlights: (4) PRLs, (2) Nature, (1) Science

- User Program:
- 150 groups of users per year
 - 20% from abroad
 - 50% from US Universities

50T-SP (400ms), 65T-SP (25ms), 20T-SC, (2) 15T-SC and 14T-SC
 μ SR magnetotransport measurements
- THz, RUS and GHz spectroscopy
-Magnetization

High Energy Experimental Hall: 60T-LP & 100T-MS