

Spin wave excitation in magnetic insulators

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Collaborator:

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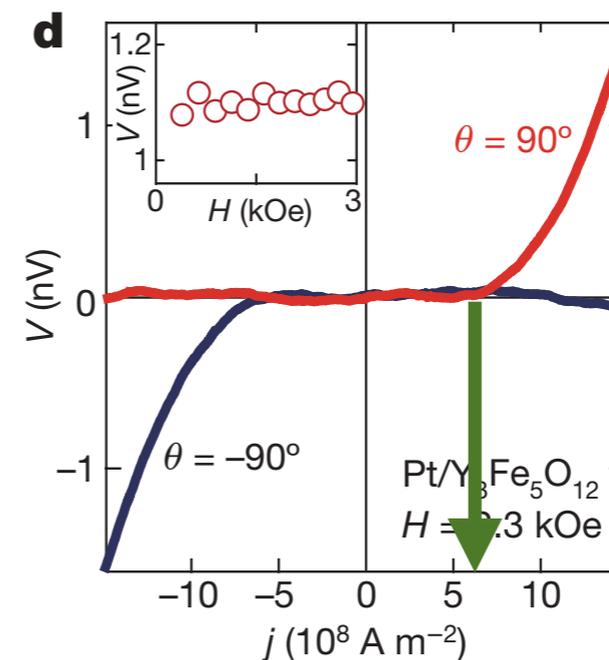
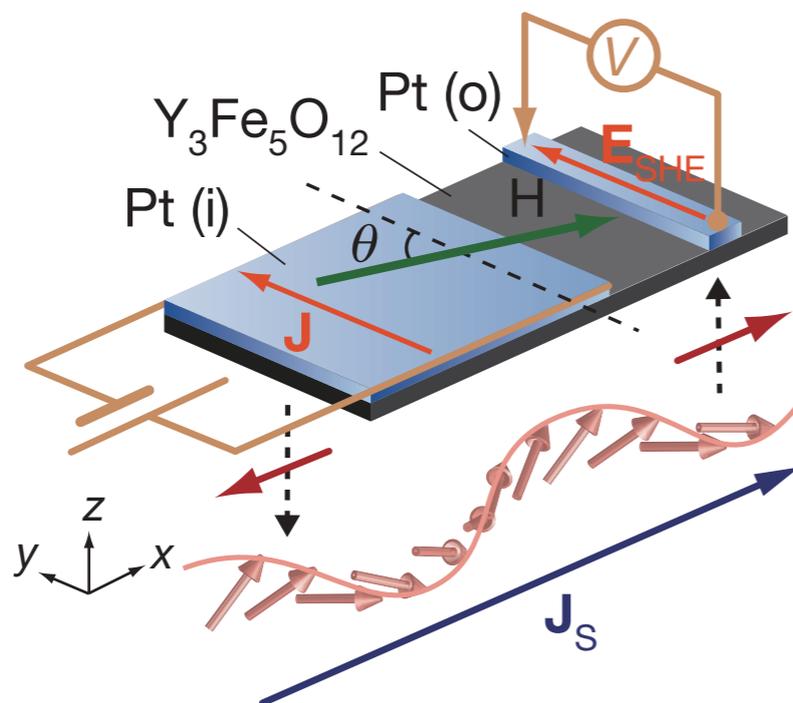
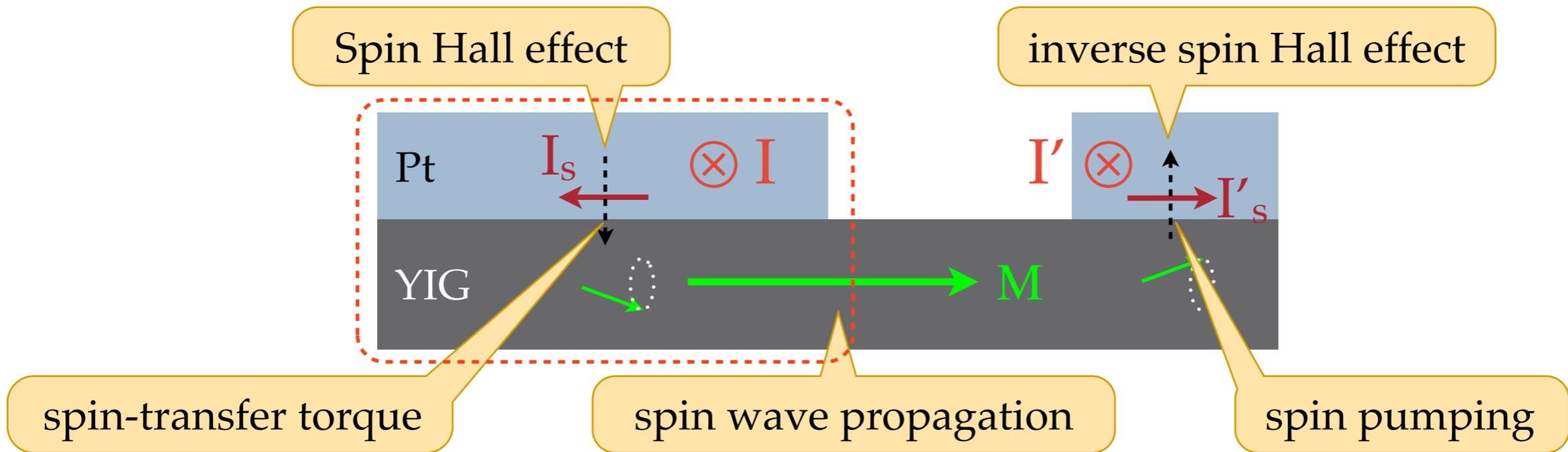
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Delft University of Technology, Delft, The Netherlands



KITP, UCSB, October 11, 2013

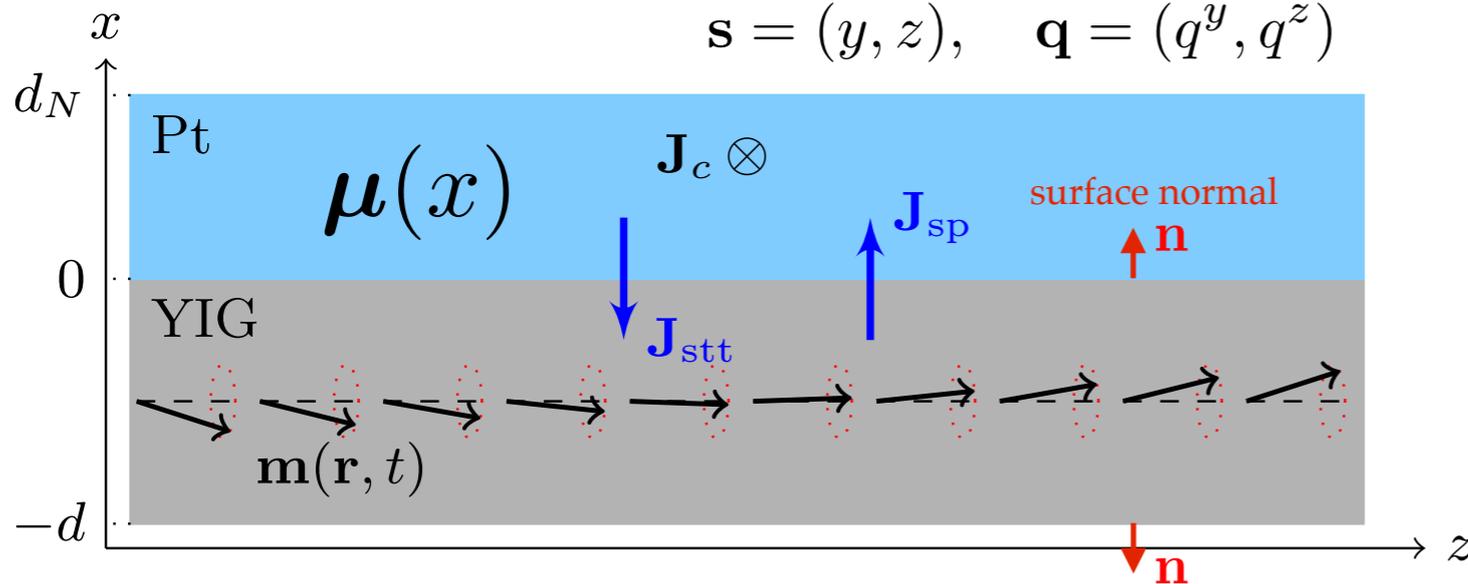
Convolution of all effects



Model

In Pt, spin diffusion: $\nabla^2 \mu(x) = \frac{\mu(x)}{\lambda^2}$

$$\mathbf{s} = (y, z), \quad \mathbf{q} = (q^y, q^z)$$



In YIG, Landau-Lifshitz-Gilbert equation:

$$\dot{\mathbf{m}} = -\gamma \mathbf{m} \times \left[\mathbf{H}_0 + \frac{A_{\text{ex}}}{\gamma} \nabla^2 \mathbf{m} + \mathbf{h} \right] + \alpha \mathbf{m} \times \dot{\mathbf{m}}$$

anisotropy and external field

exchange field

dipolar field: Maxwell eqs.

boundary conditions:

- 1) spin current vanishes at top surface of Pt at $x = d_N$
- 2) spin current is continuous at the Pt | YIG interface
- 3) spin current vanishes at the bottom YIG surface at $x = -d$

$$\mathbf{m}(\mathbf{r}, t) = \mathbf{m}_z + \mathbf{m}_\perp e^{i(\omega t - \mathbf{q} \cdot \mathbf{s})}$$

complex dispersion: $\omega(\mathbf{q}, k_j)$

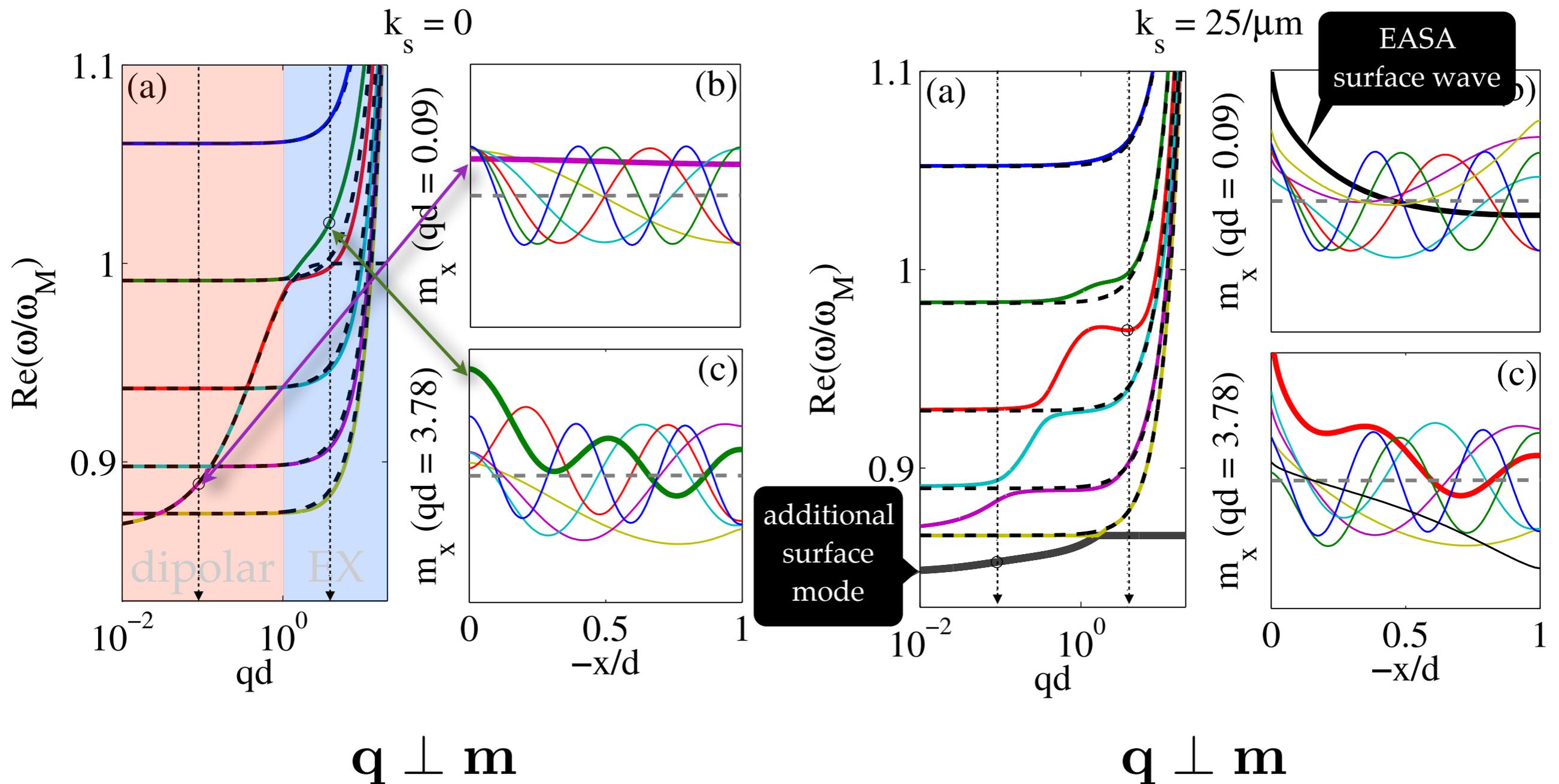
criteria for excitation:

$$\text{Im}(\omega(\mathbf{q}, k_j)) < 0$$

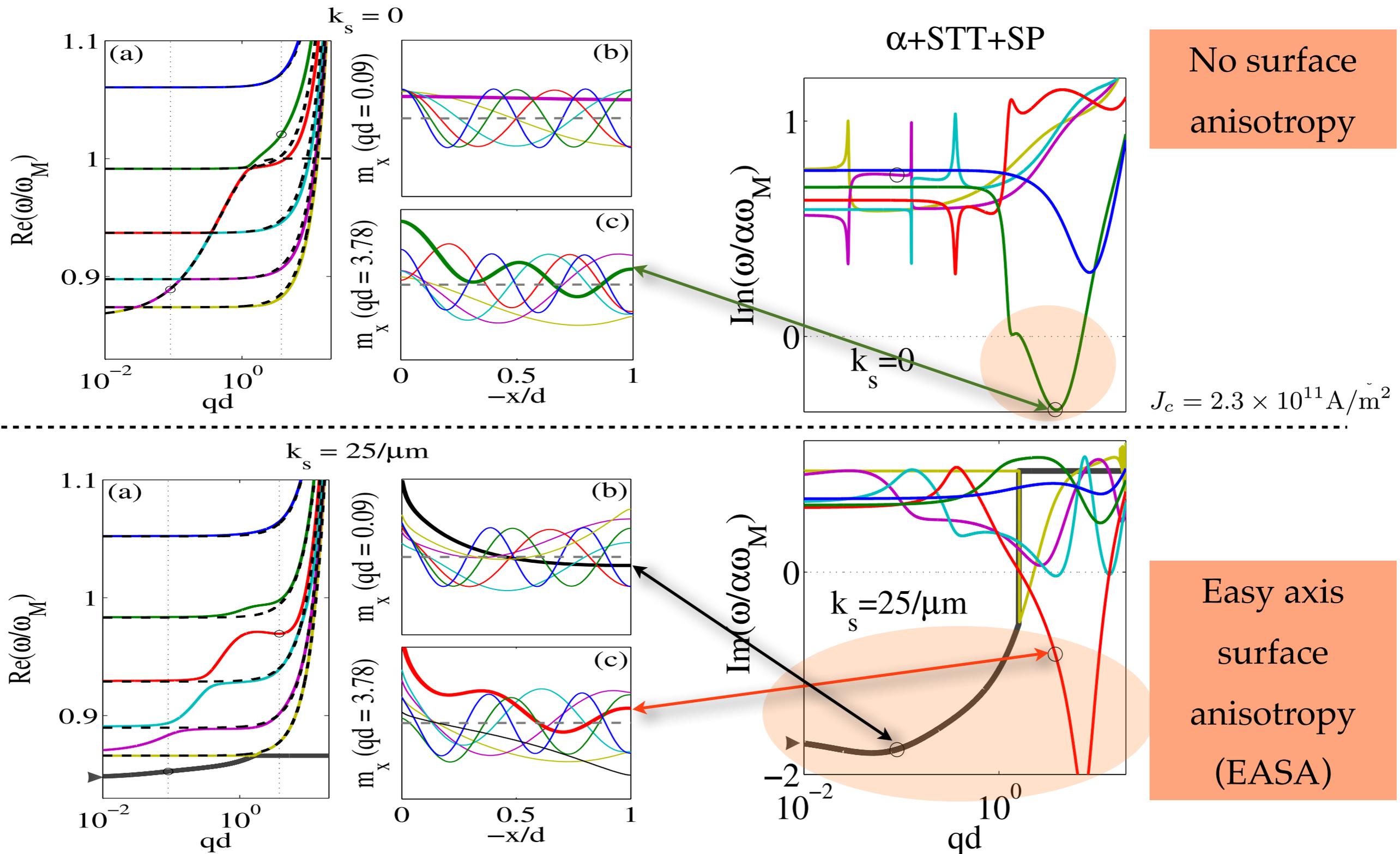
Spin wave dispersion $\text{Re}(\omega)$ & profile

No surface anisotropy

Easy axis surface anisotropy (EASA)



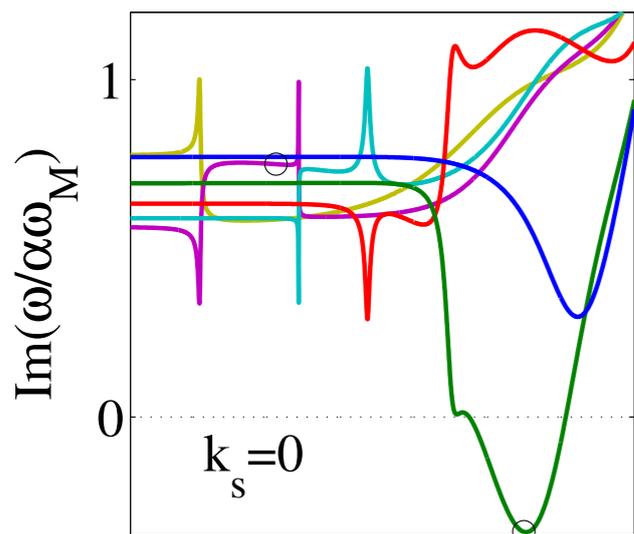
Spin wave dissipation: $\text{Im}(\omega)$



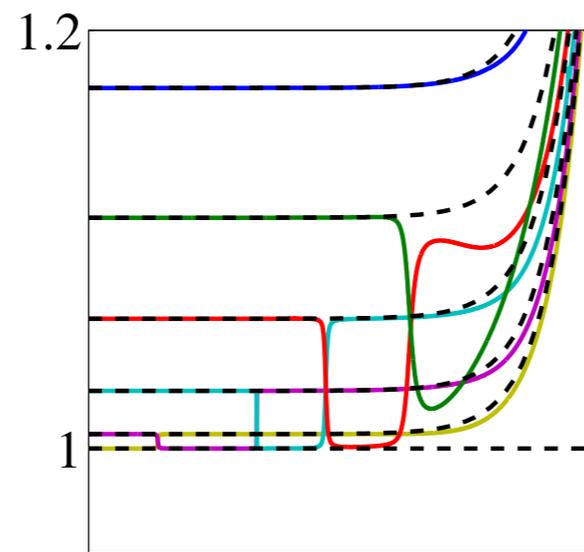
Different contribution to dissipation

In linear response, different mechanisms (Gilbert damping, spin-transfer torque, spin pumping) for spin wave dissipation are additive.

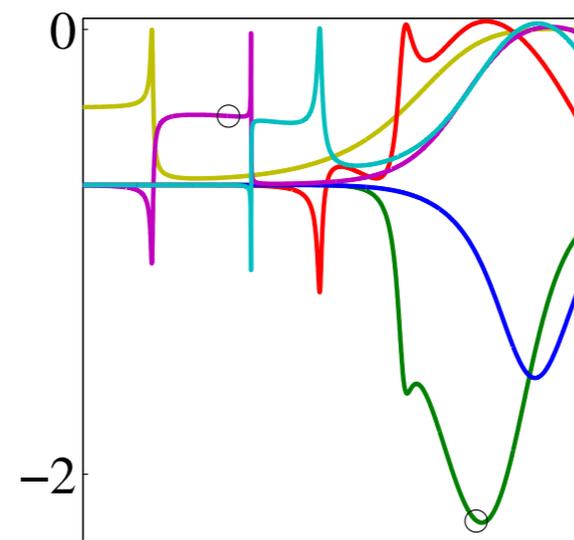
α +STT+SP



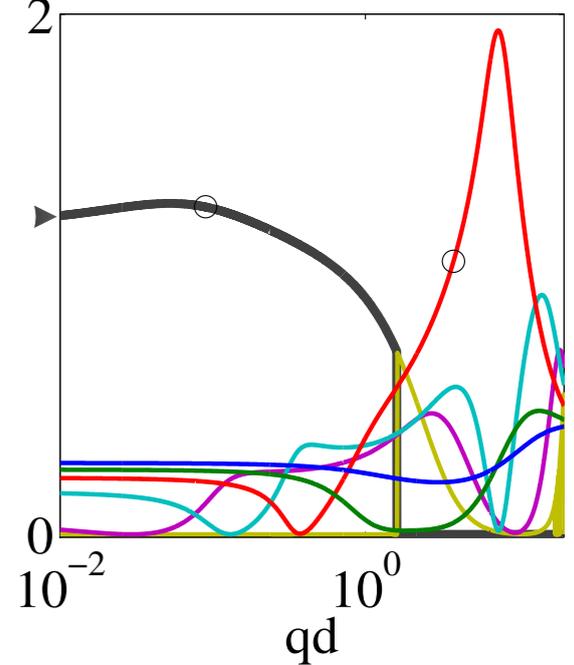
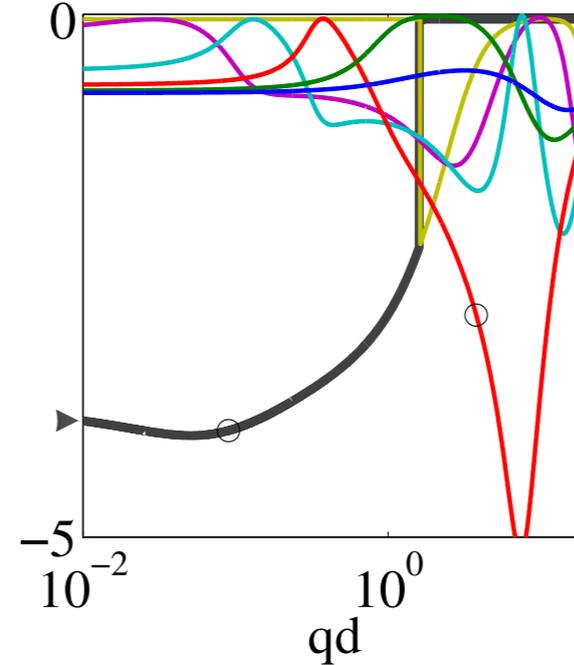
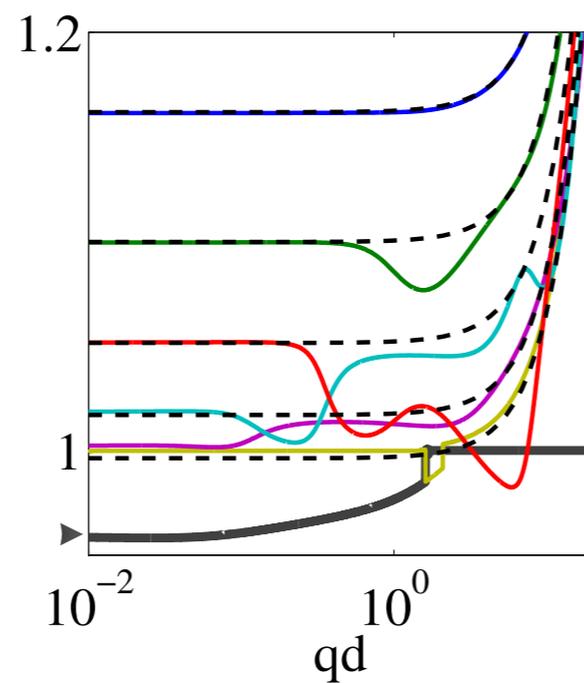
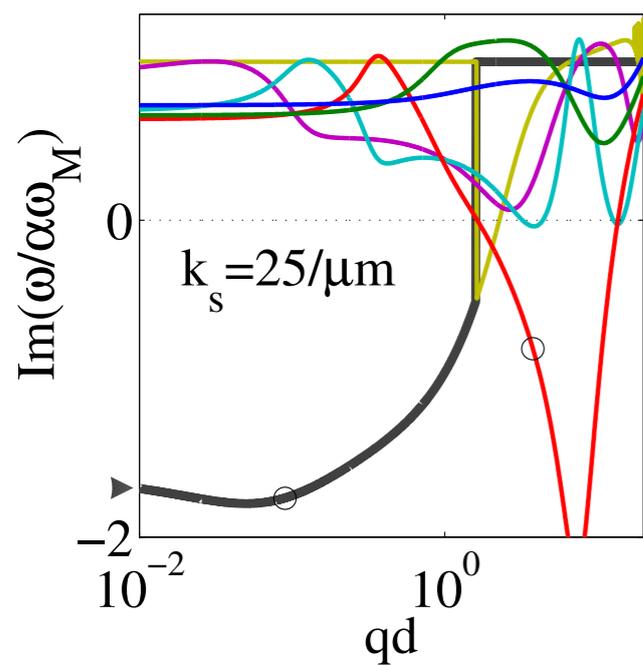
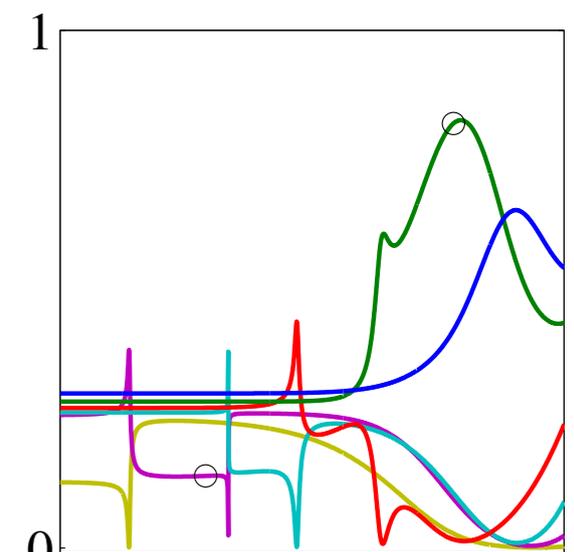
α contribution



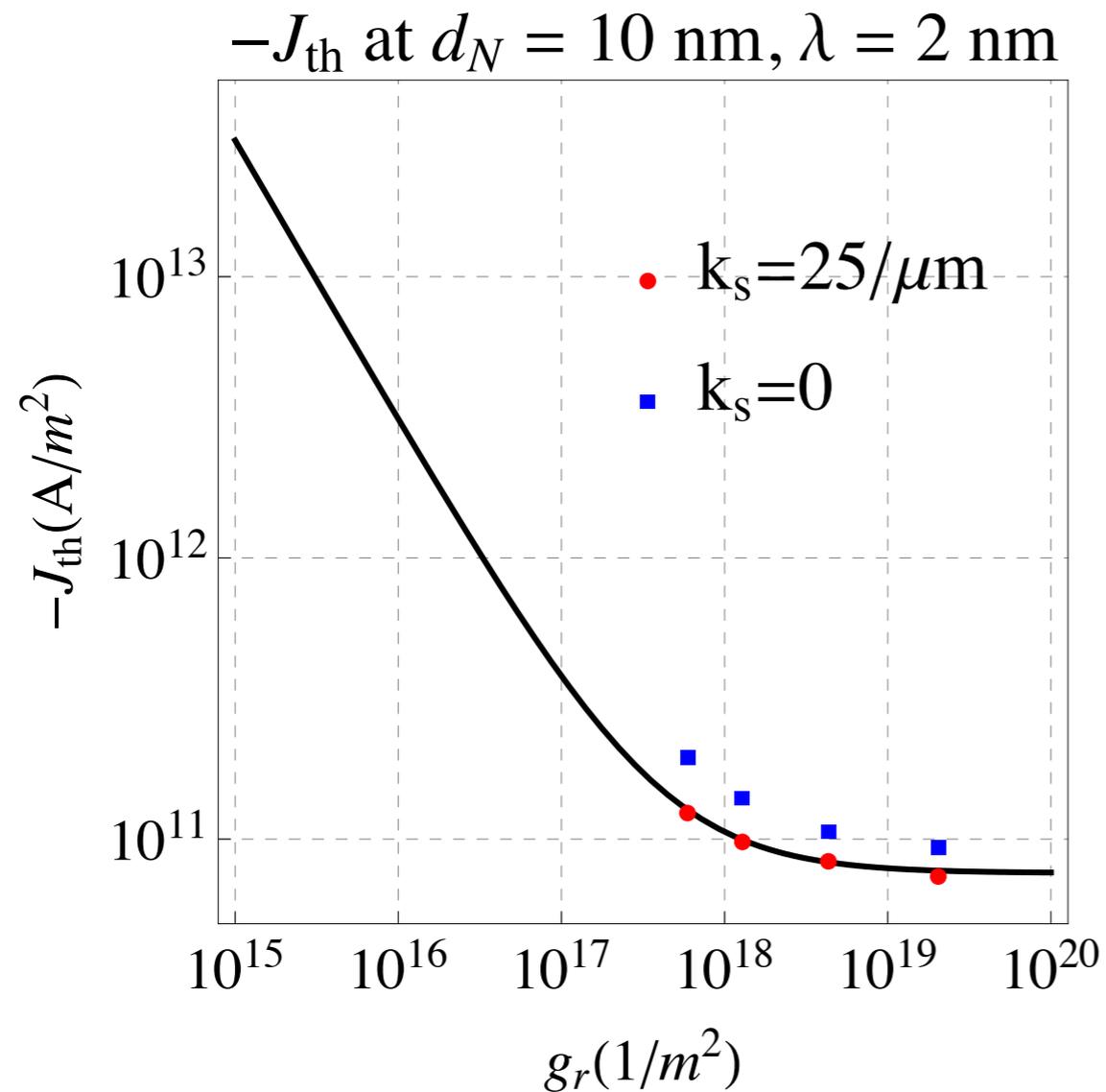
STT contribution



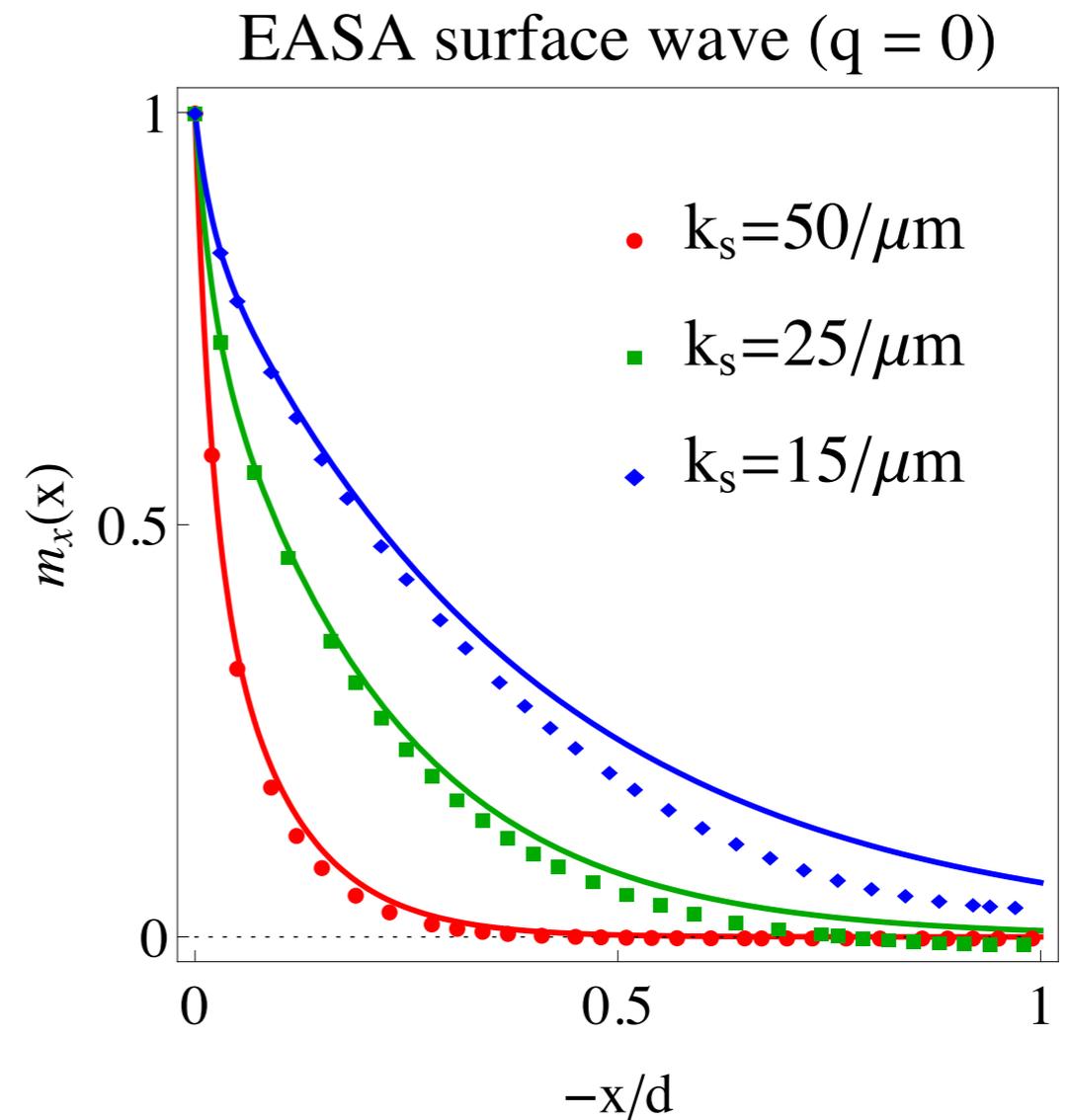
SP contribution



EASA surface spin wave & threshold current



The threshold current for exciting EASA surface wave.



EASA surface wave profiles for different strength of k_s .

Excitation power

