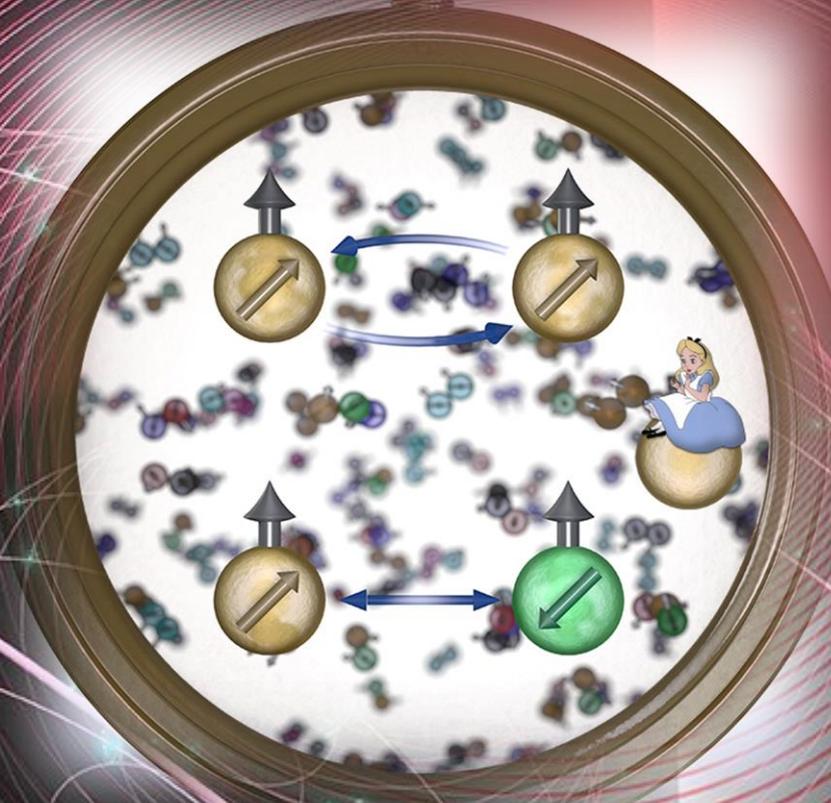


Optical lattice clock & Spin-orbit coupled fermions

Jun Ye

JILA, NIST & Univ. of Colorado

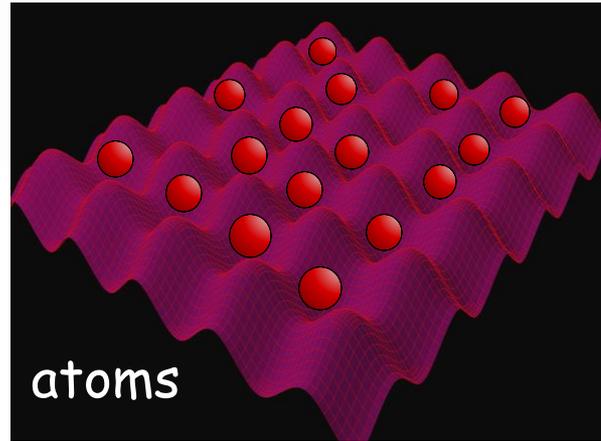
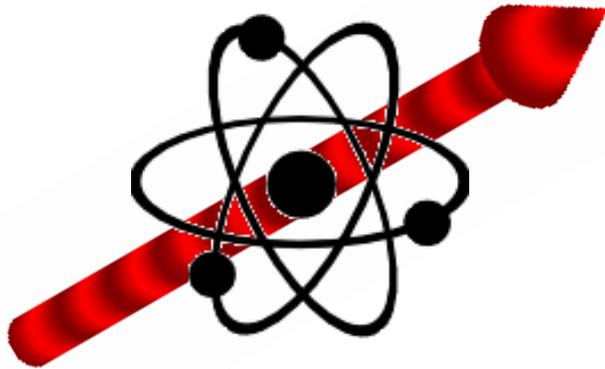


Synthetic Quantum Matter
KITP, Nov. 28, 2016

Scientific vision for clock research

Understand emerging quantum many-body systems

with “clock” precision and control



Is there a limit for clock? Or new opportunity for fundamental physics ?

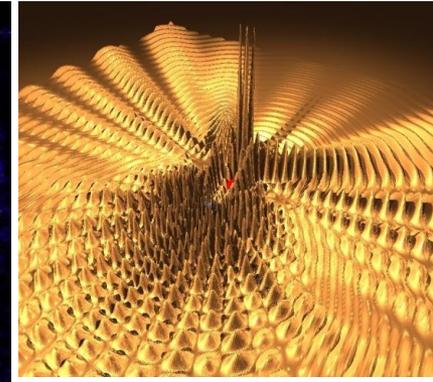
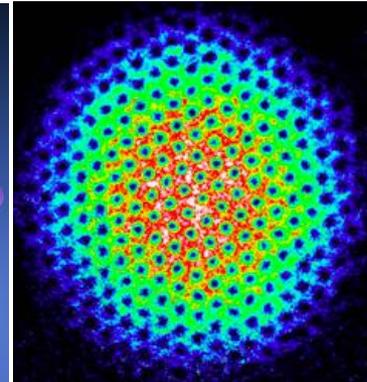
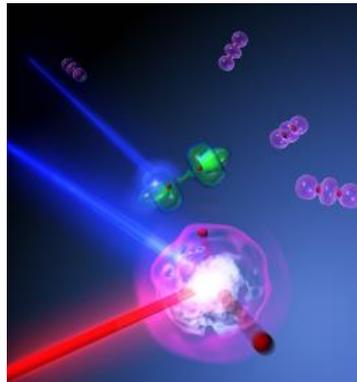
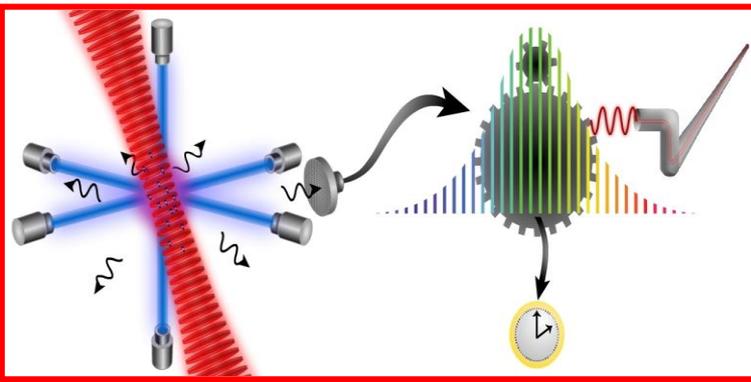
AMO physics - CM, high energy, astrophysics

Ultraprecise

Ultrafast

Ultracold

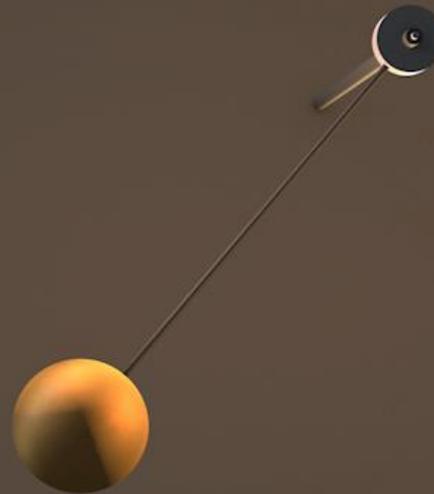
Theory



Nature's high Q oscillator

PERIODS	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	
1	1.0079 H HYDROGEN																		2 4.0026 He HELIUM

Once set, it swings during the entire age of the universe



Quality factor $> 10^{17}$

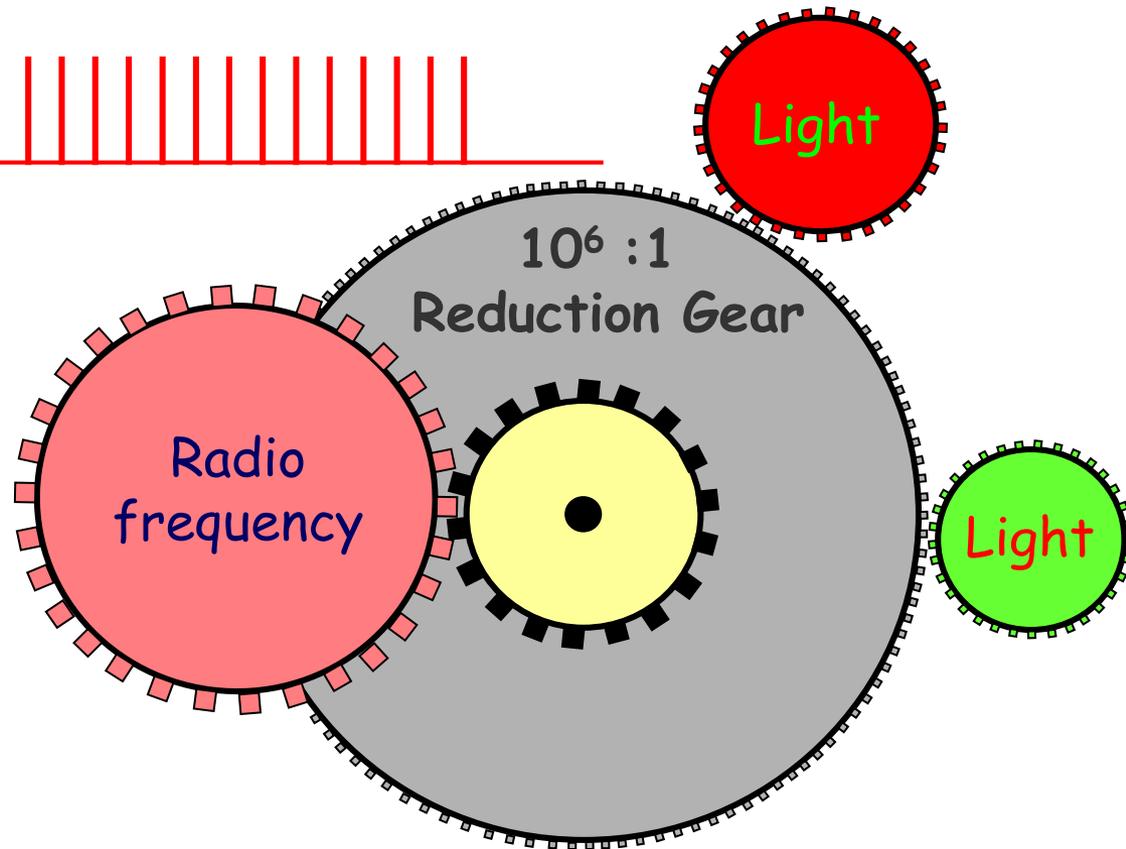
Boyd *et al.*, Science 314, 1430 (2006).

Control of light - the electromagnetic spectrum

PTB – JILA: Silicon crystal cavity
Jan Hall
Nature Photon. 6, 687 (2012).

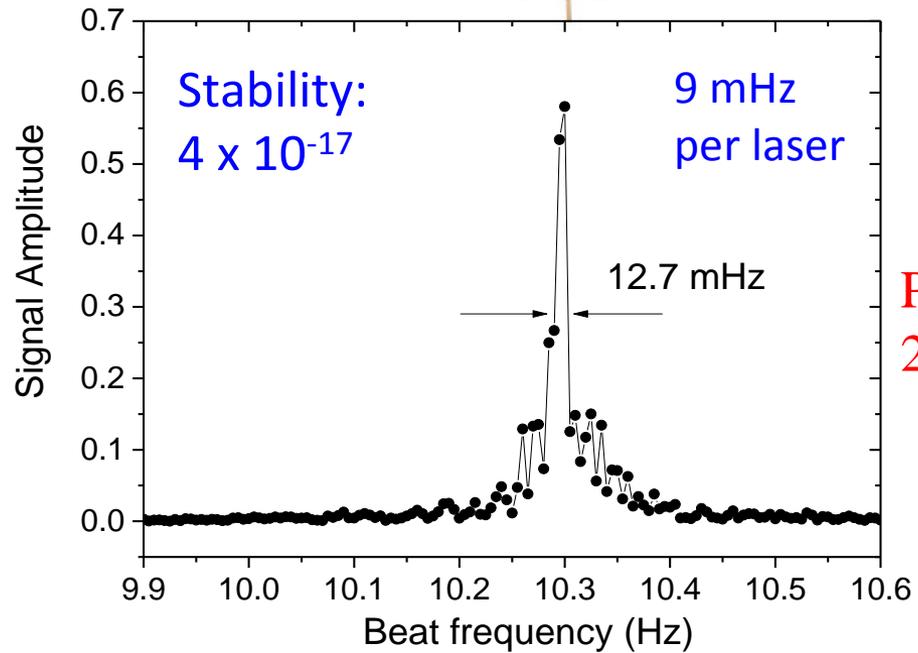
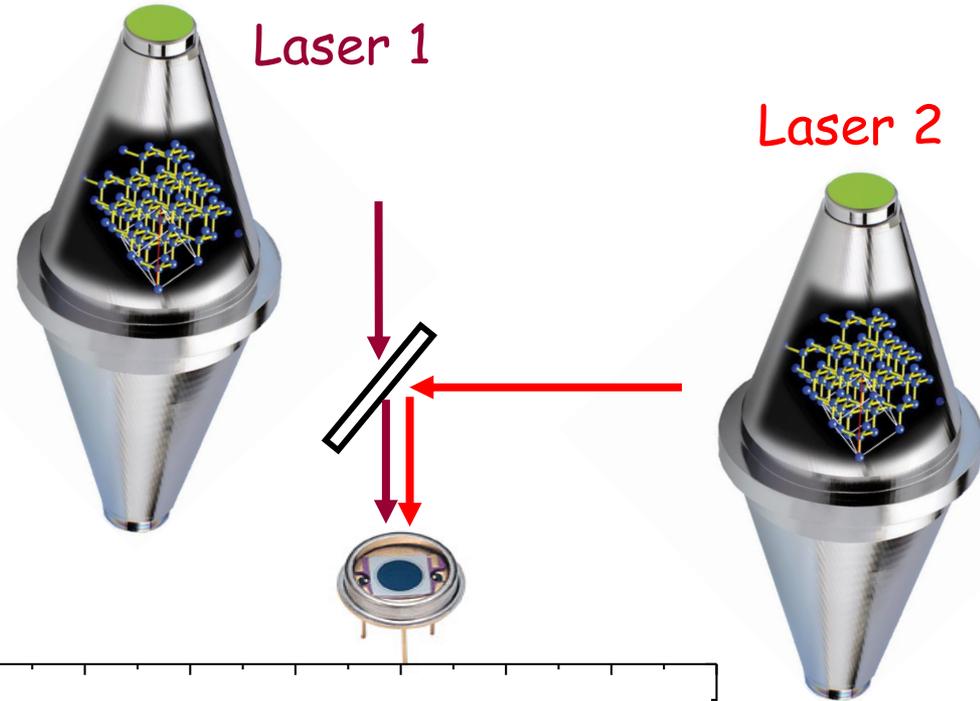


Hall and Hänsch



Measurement of coherence > 20 s

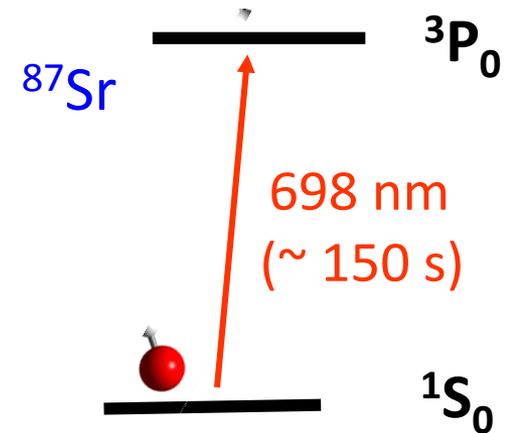
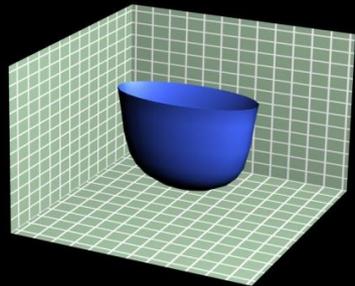
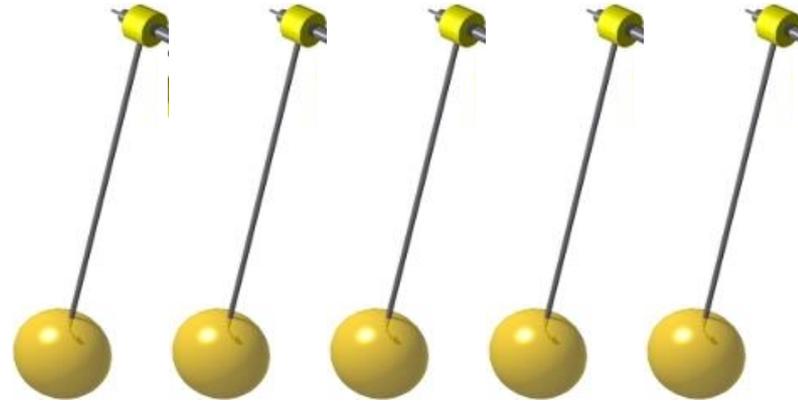
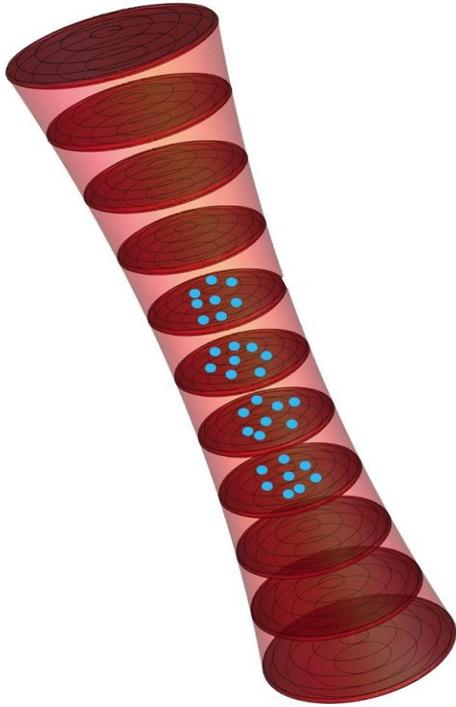
Beating of two sound waves (10^3 Hz)



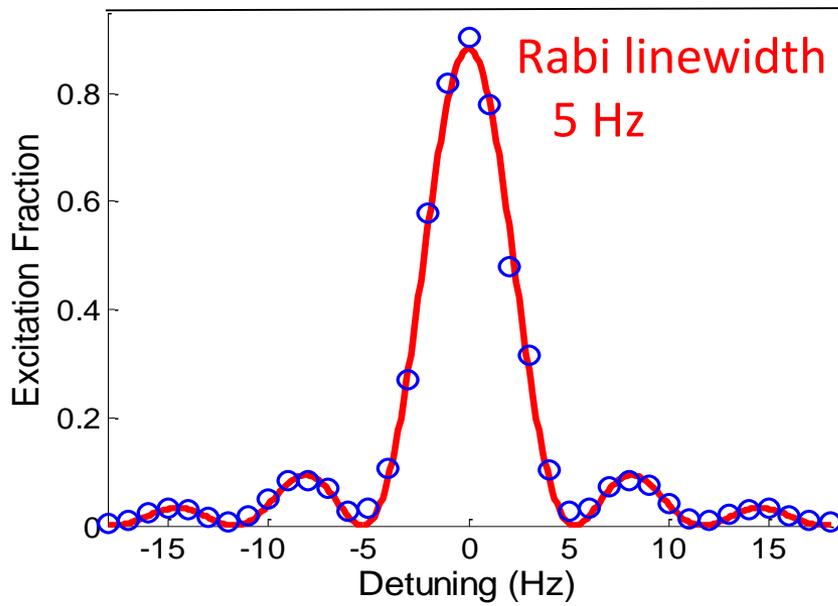
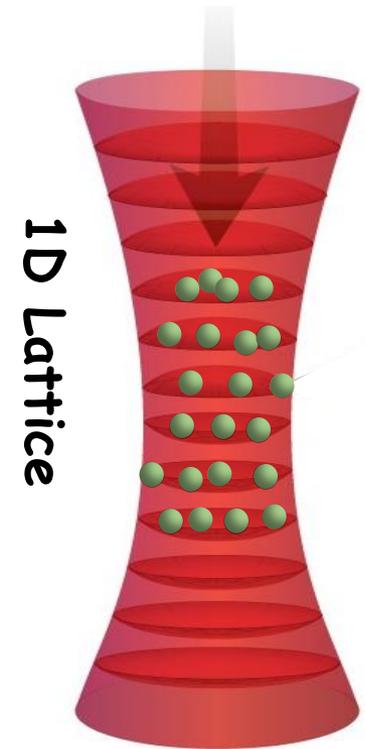
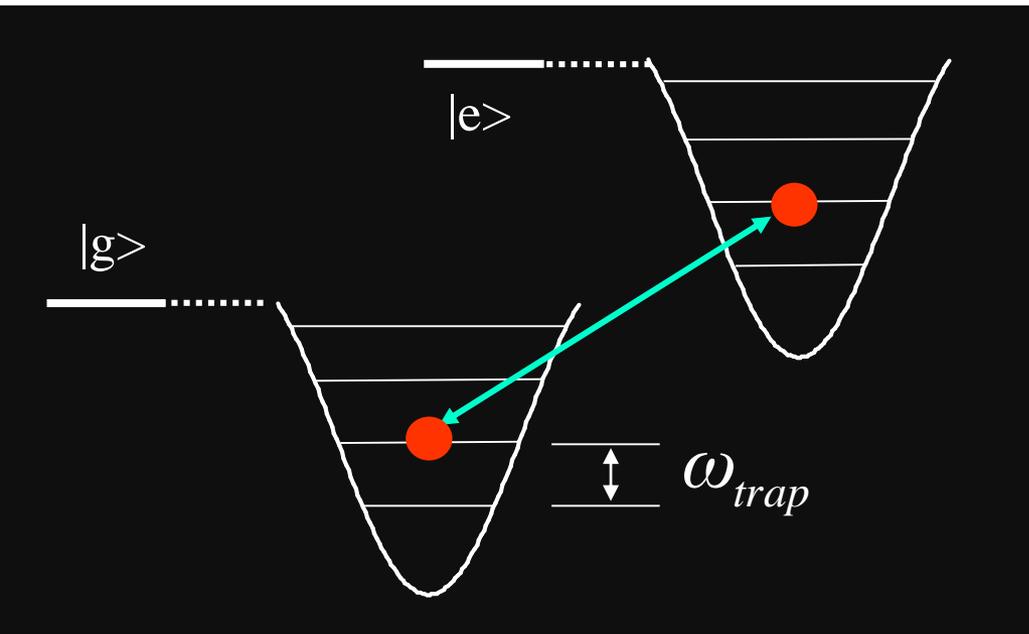
PTB – JILA
2016

Holding atoms in a magic light bowl

Ye, Kimble, Katori, Science **320**, 1734 (2008).



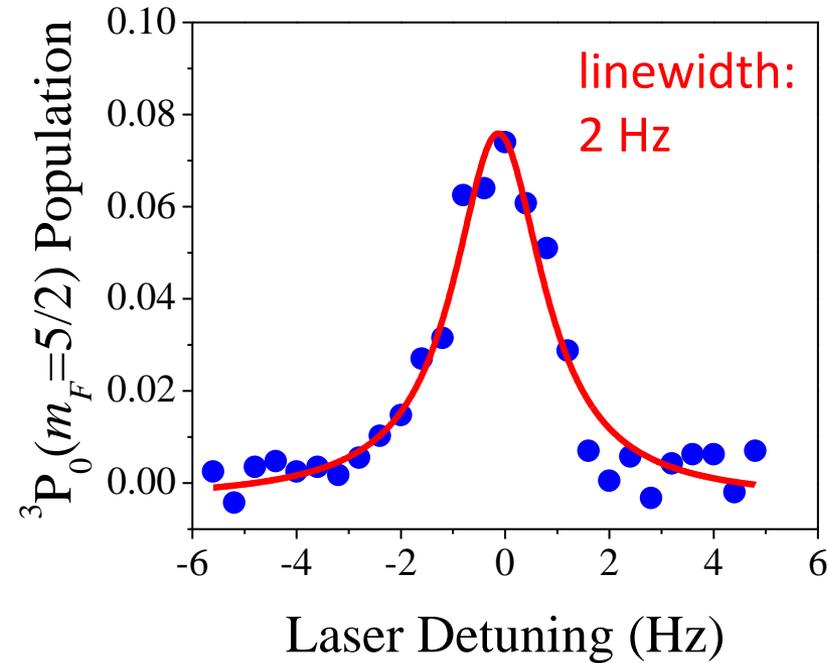
Precision metrology in optical lattice



- Precision improvement by $N^{1/2}$
- Doppler & Recoil shifts = 0
- Atomic interaction effects?

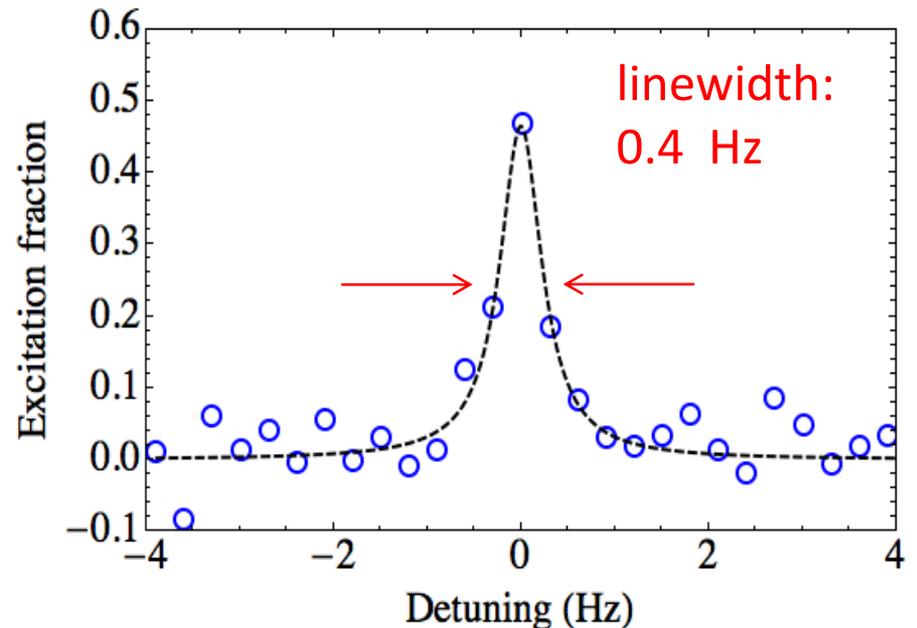
Coherent spectroscopy $Q > 1 \times 10^{15}$

Boyd et al., Science **314**, 1430 (2006).



2016: Sr linewidth ~ 0.08 Hz
(Fermi gas 3D lattice)

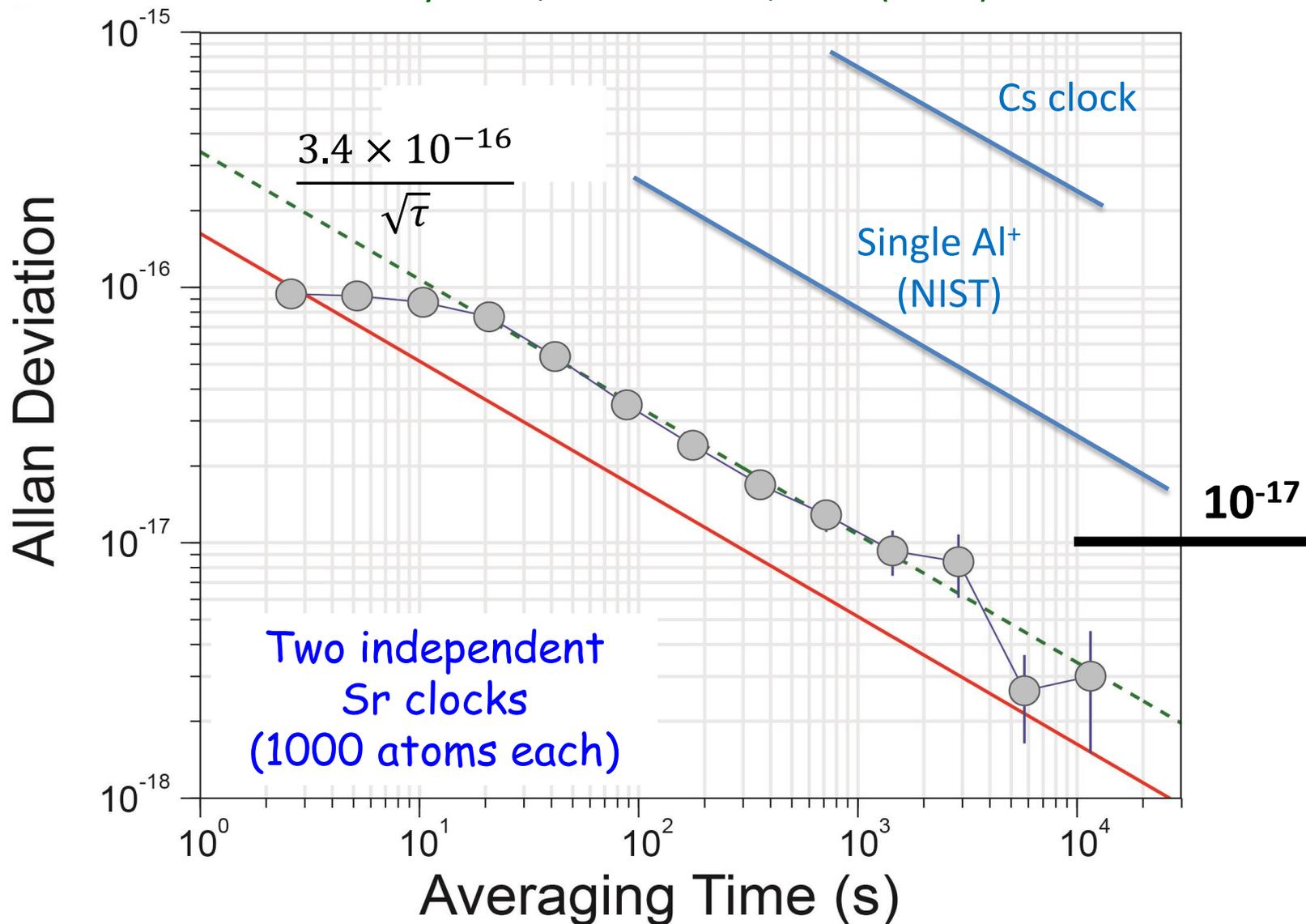
Martin et al., Science **341**, 632 (2013).



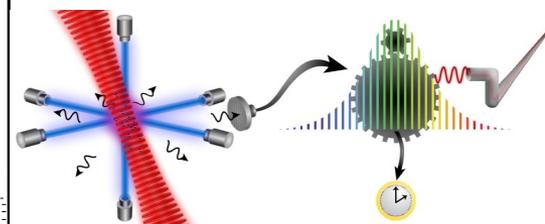
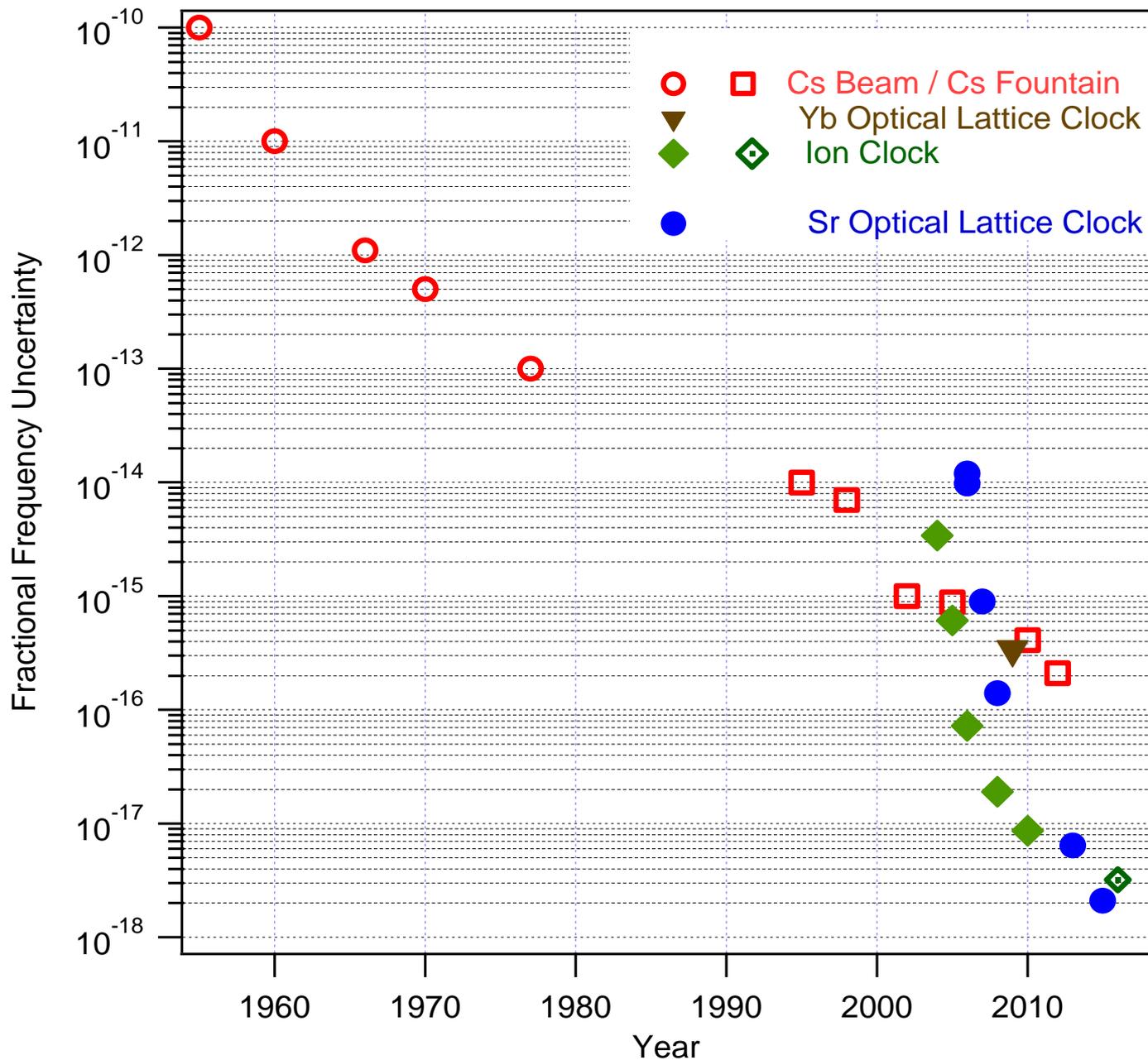
Lattice clock - pushing the clock stability

Nicholson *et al.*, PRL **109**, 230801 (2012); Bloom *et al.*, Nature 2014.

Yb clock: Hinkley *et al.*, Science **341**,1215 (2013)



A new frontier for clock stability & accuracy



JILA Sr Clock II :

lowest uncertainty
in atomic clocks:
 2.1×10^{-18}

Bloom *et al.*,
Nature **506**, 71 (2014).

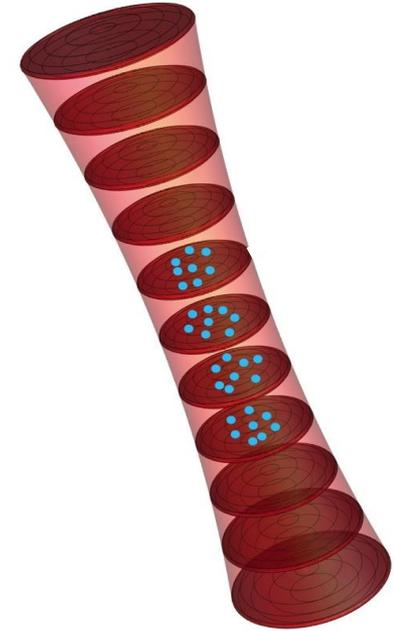
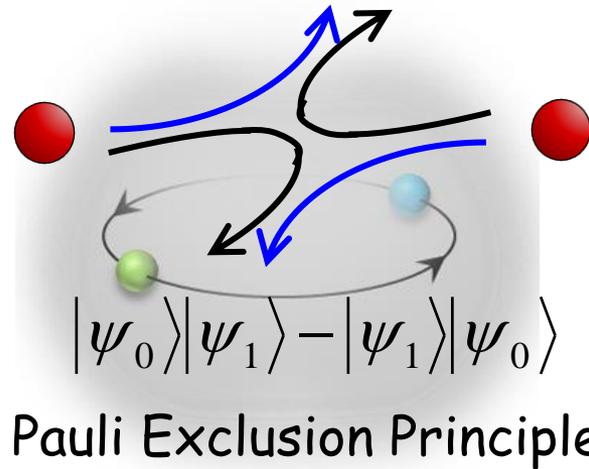
Nicholson *et al.*,
Nature Comm. **6** (2015).

Huntemann *et al.*,
PRL **116**, 063001 (2016).

Ultracold fermions: say NO to collisional shifts

Theory: Ana Maria Rey

But

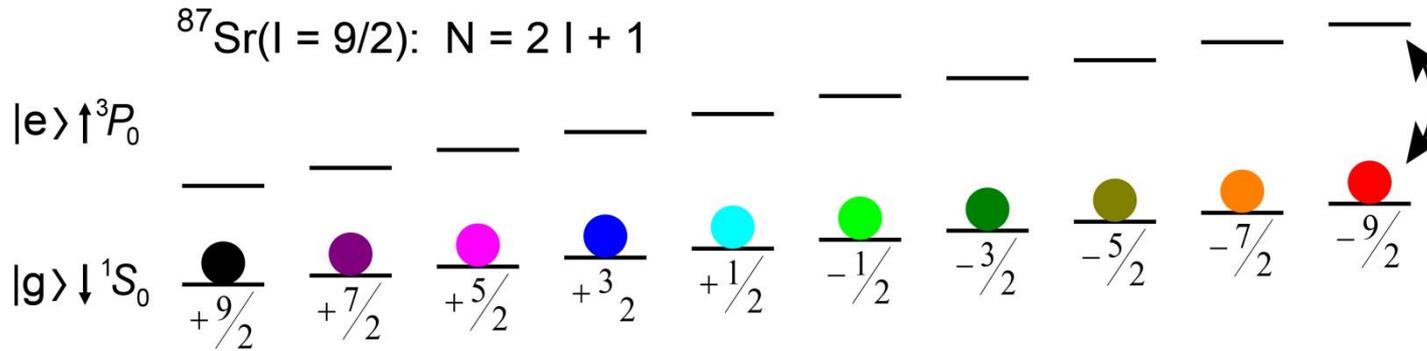


^{87}Sr , at precision $\sim 10^{-15}$, zero shift:
First appearance, $\sim 10^{-16}$:
Reduced shift, $\sim 10^{-17}$:
 $< 10^{-18}$:

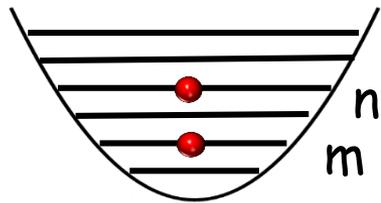
PRL **98**, 083002 (2007).
Science **324**, 360 (2009).
Science **331**, 1043 (2011).
PRL **109**, 230801 (2012).

See related work of Yb clock by Ludlow *et al.*

3 degrees of freedom: electronic, nuclear, spatial

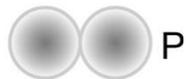


hyperfine coupling
 $I \cdot J = 0.$



$|n\ m\rangle + |m\ n\rangle$

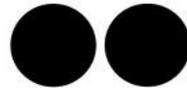
Spatially Symmetric



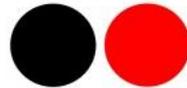
$|n\ m\rangle - |m\ n\rangle$

Spatially Anti-Symmetric

Nuclear Spin Symmetric



Nuclear Spin Anti-Symmetric

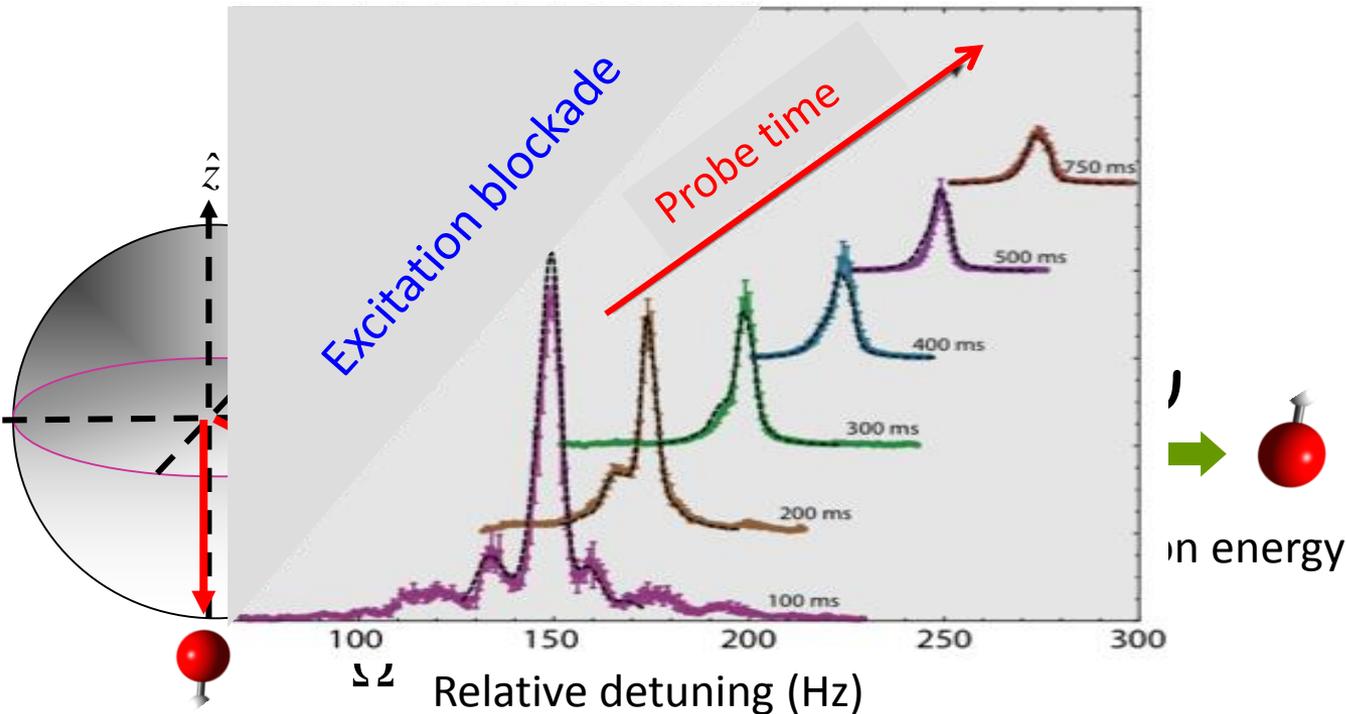
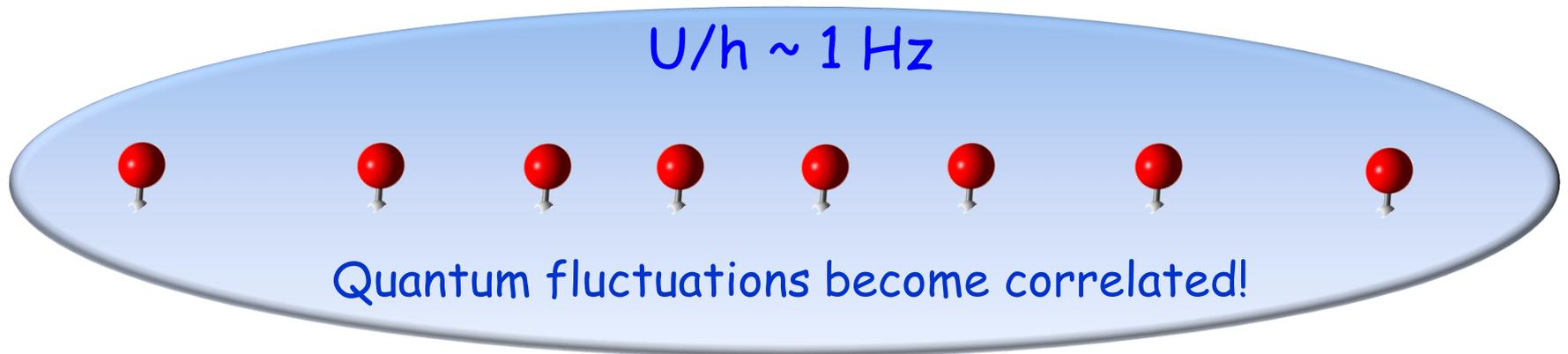


	<i>p</i> -wave	<i>s</i> -wave
Nuclear Spin Symmetric	$ gg\rangle$ 	$ ee\rangle$
Nuclear Spin Anti-Symmetric	$ gg\rangle$ 	$ ee\rangle$

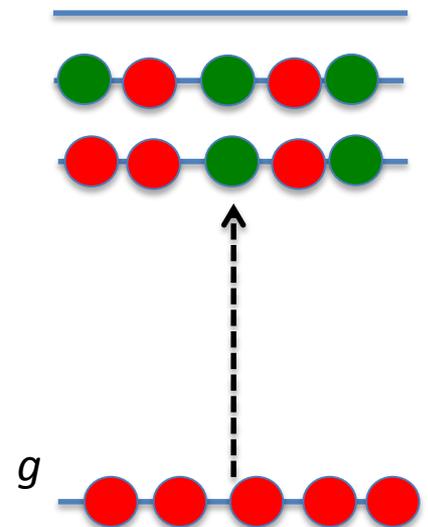
S: Spatially Symmetric P: Spatially Anti-Symmetric

Clock probe of many-body spin dynamics

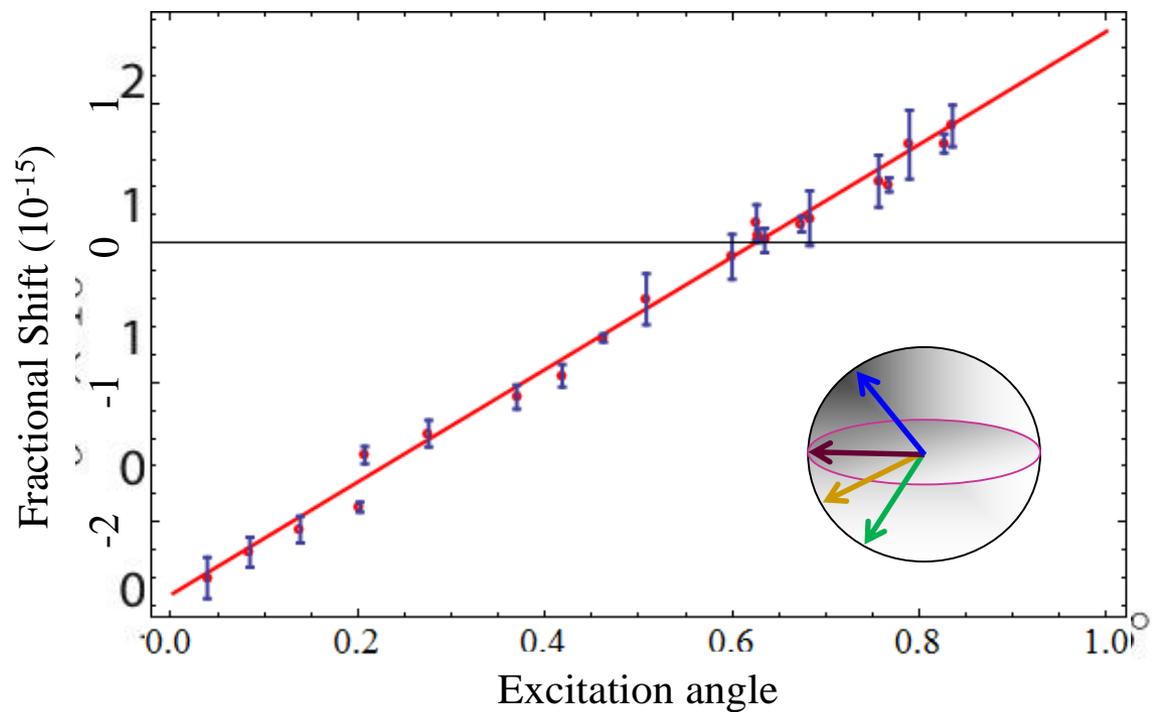
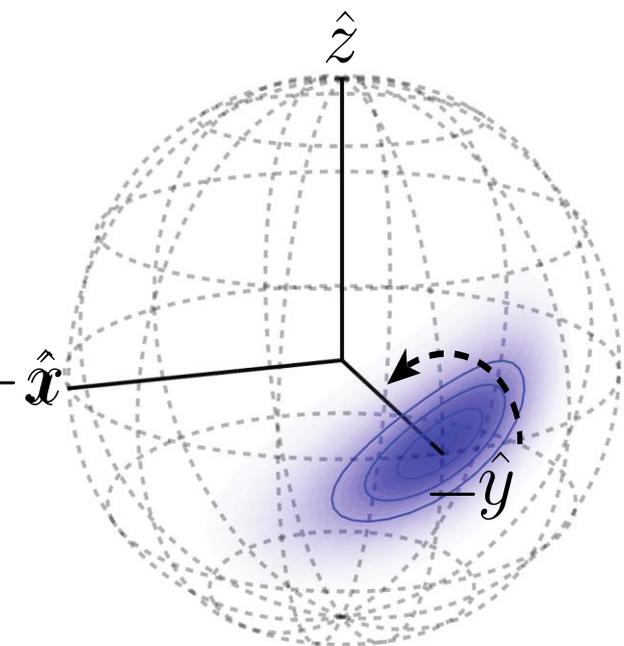
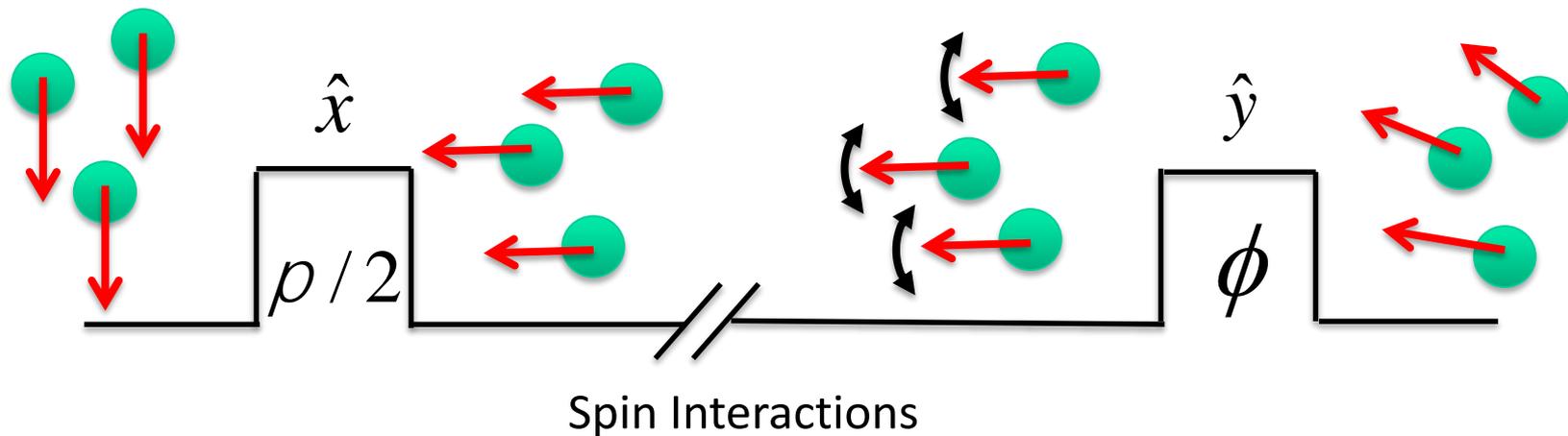
Martin *et al.*, Science **341**, 632 (2013).



Complex correlated spin spectrum

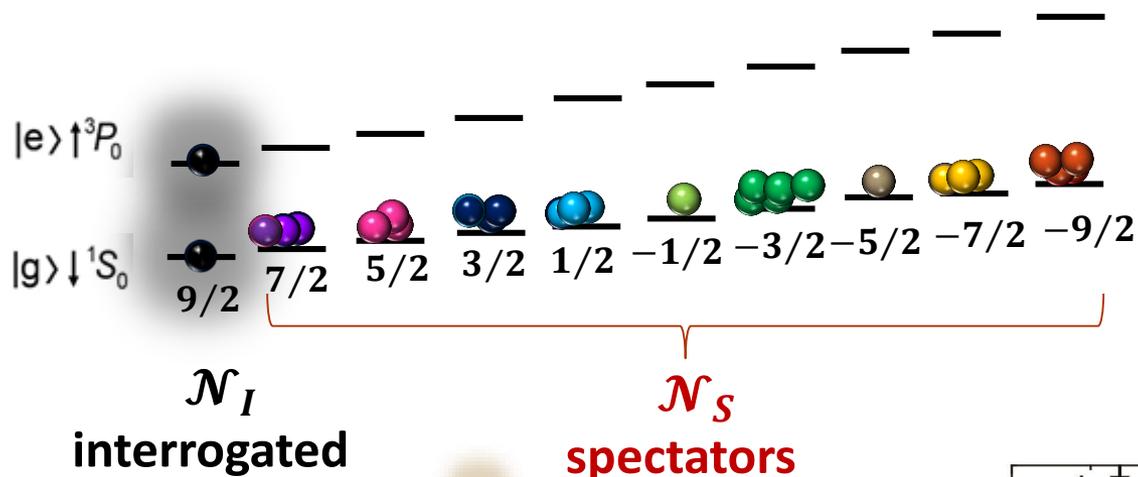


Ramsey spectroscopy for spin correlations

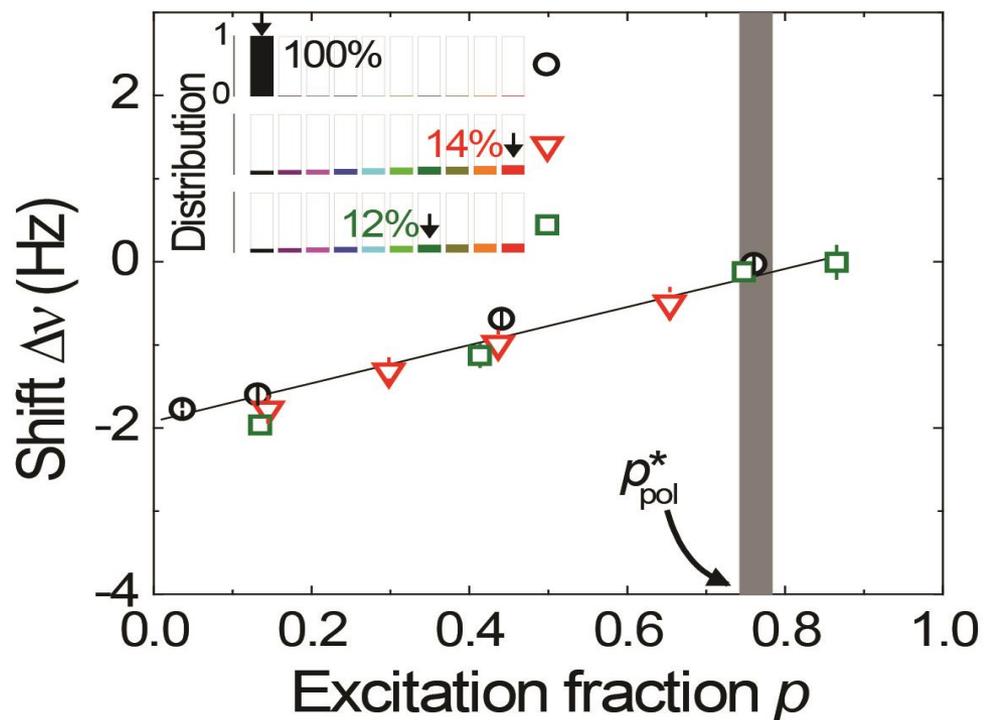


Density shifts & $SU(N)$ symmetry

Zhang *et al.*, Science **345**, 1467 (2014). Fallani, Inguscio (2014); Fölling, Bloch (2014)

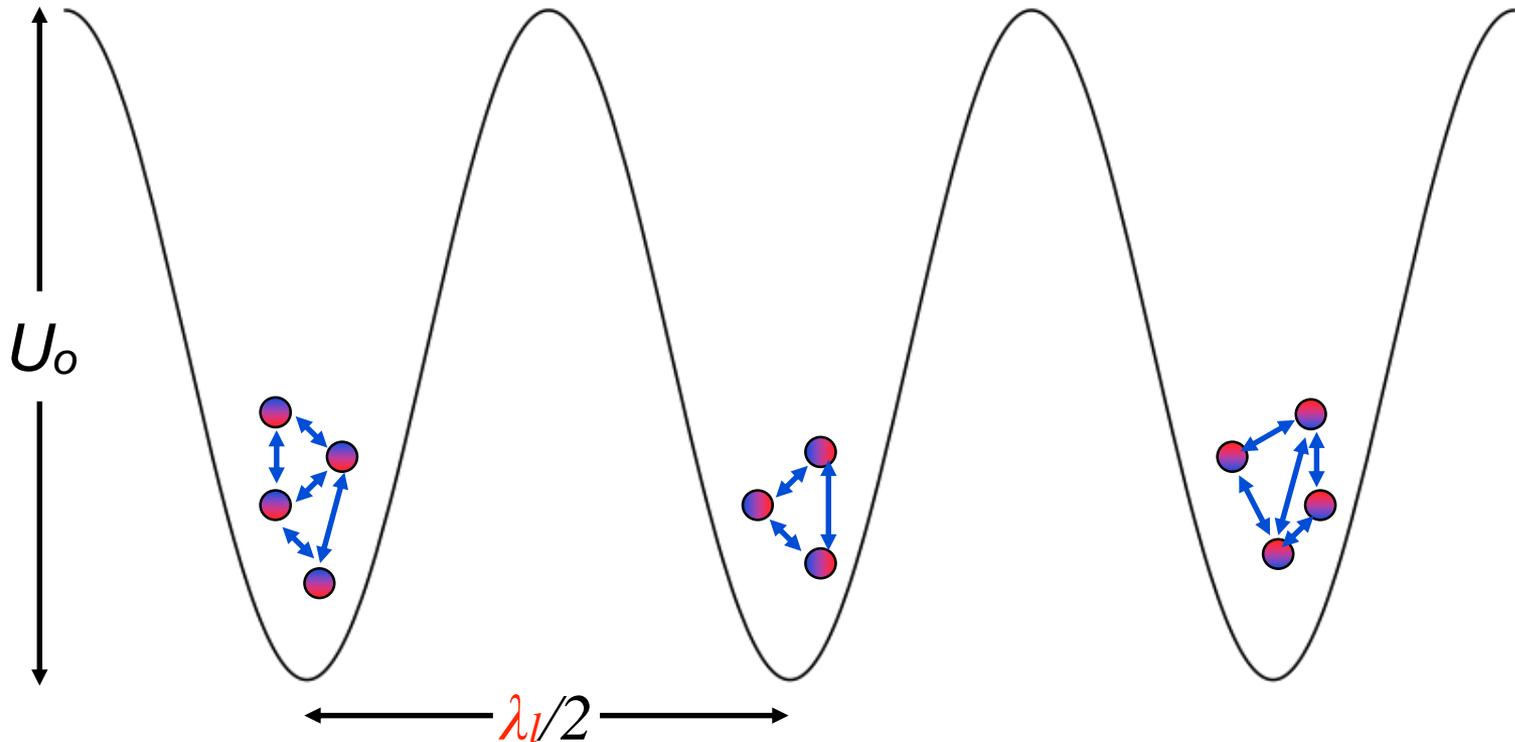


$SU(N)$: shift depends only on \mathcal{N}_S , not distributions



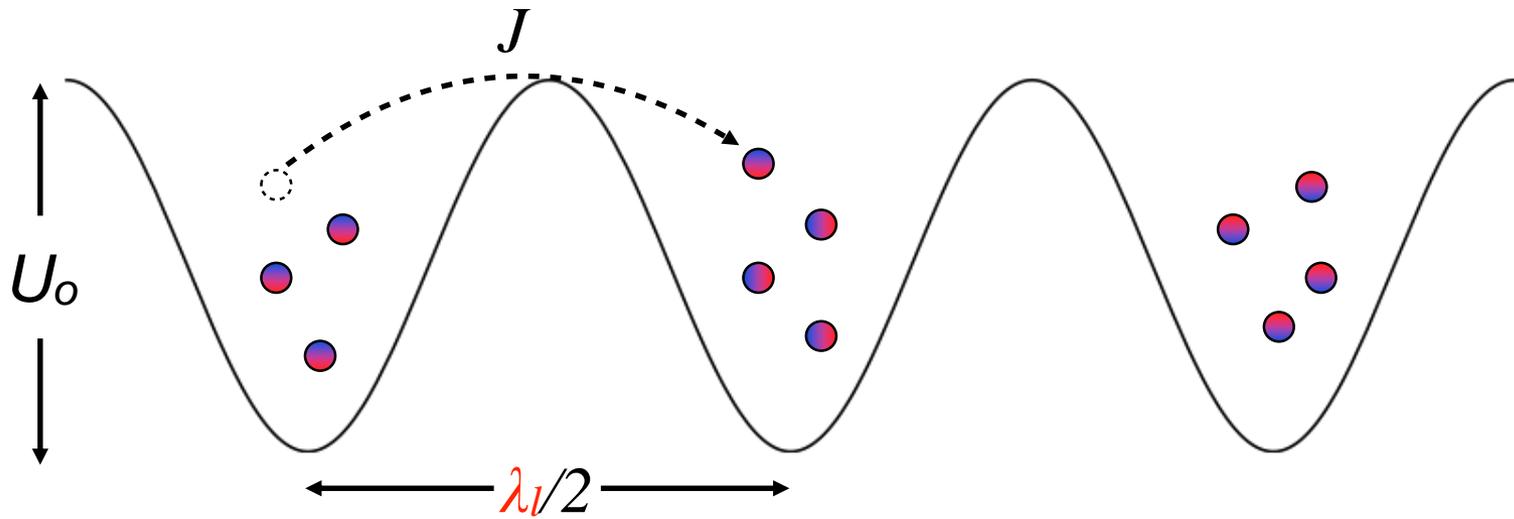
So far, single site interactions

- Identical fermions, *p-wave* collision dominates
- Multiple nuclear spins, *s-* and *p-waves* under $SU(N)$



$U_0 \gg E_R$: Tunneling negligible

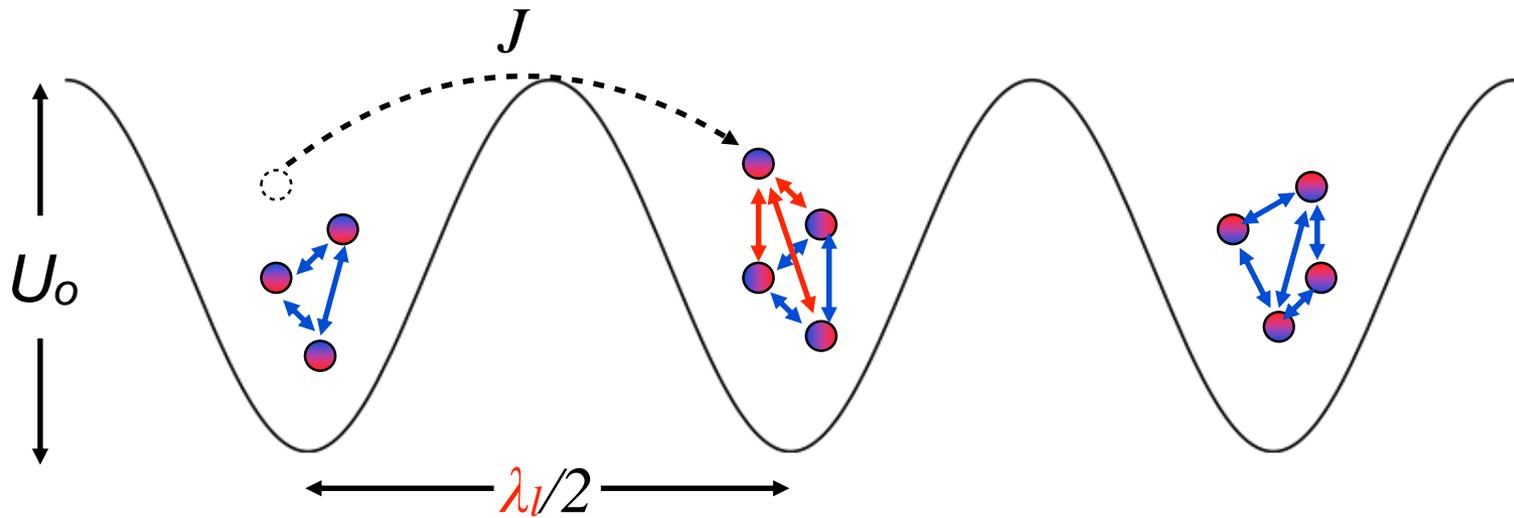
Setting atoms free



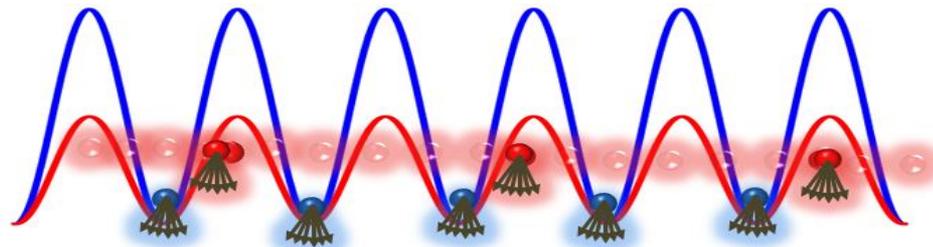
$U_0 \sim E_R$: Tunneling at rate J

A new regime for interactions

Tunneled atoms distinguishable, s-wave collisions allowed.

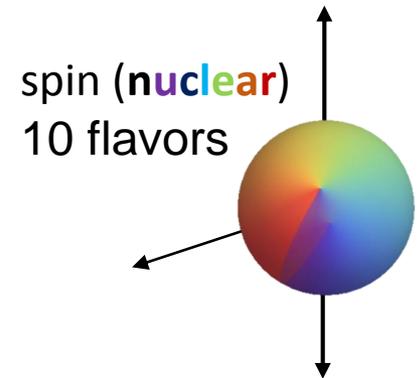
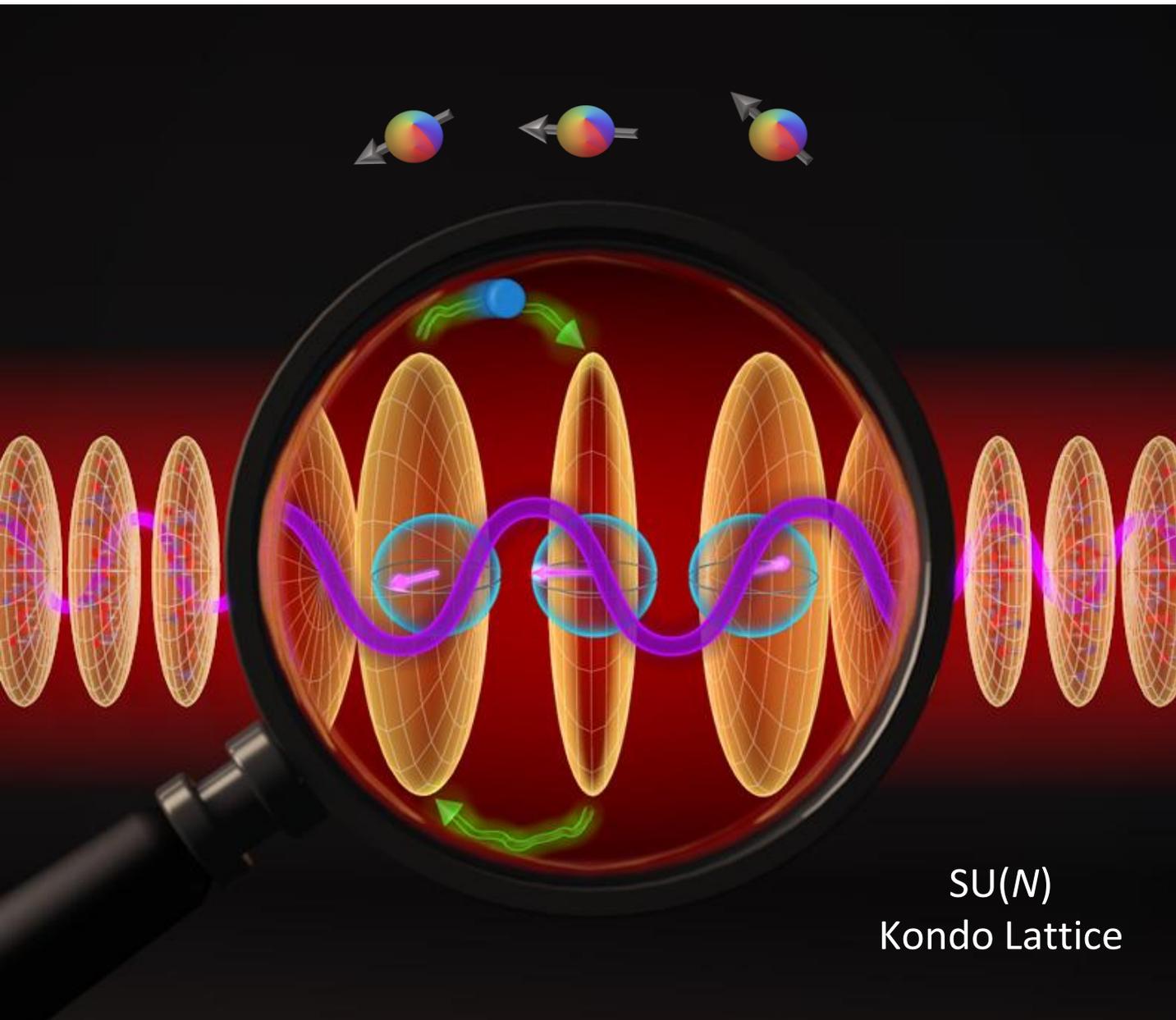


SU(N)
Kondo Lattice



Exploring $SU(N)$ & spin-orbital coupling

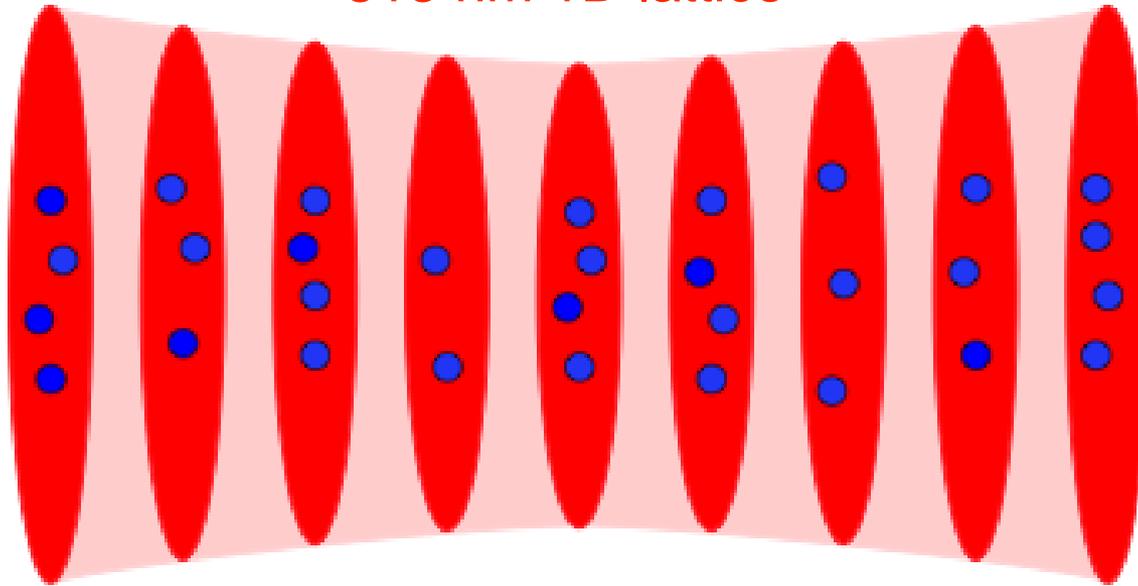
Wall *et al.*, PRL **116**, 035301 (2016); Kolkowitz *et al.*, Nature, in press (2016).



Related work in Yb:
Inguscio/Fallani,
arXiv:1609.04800

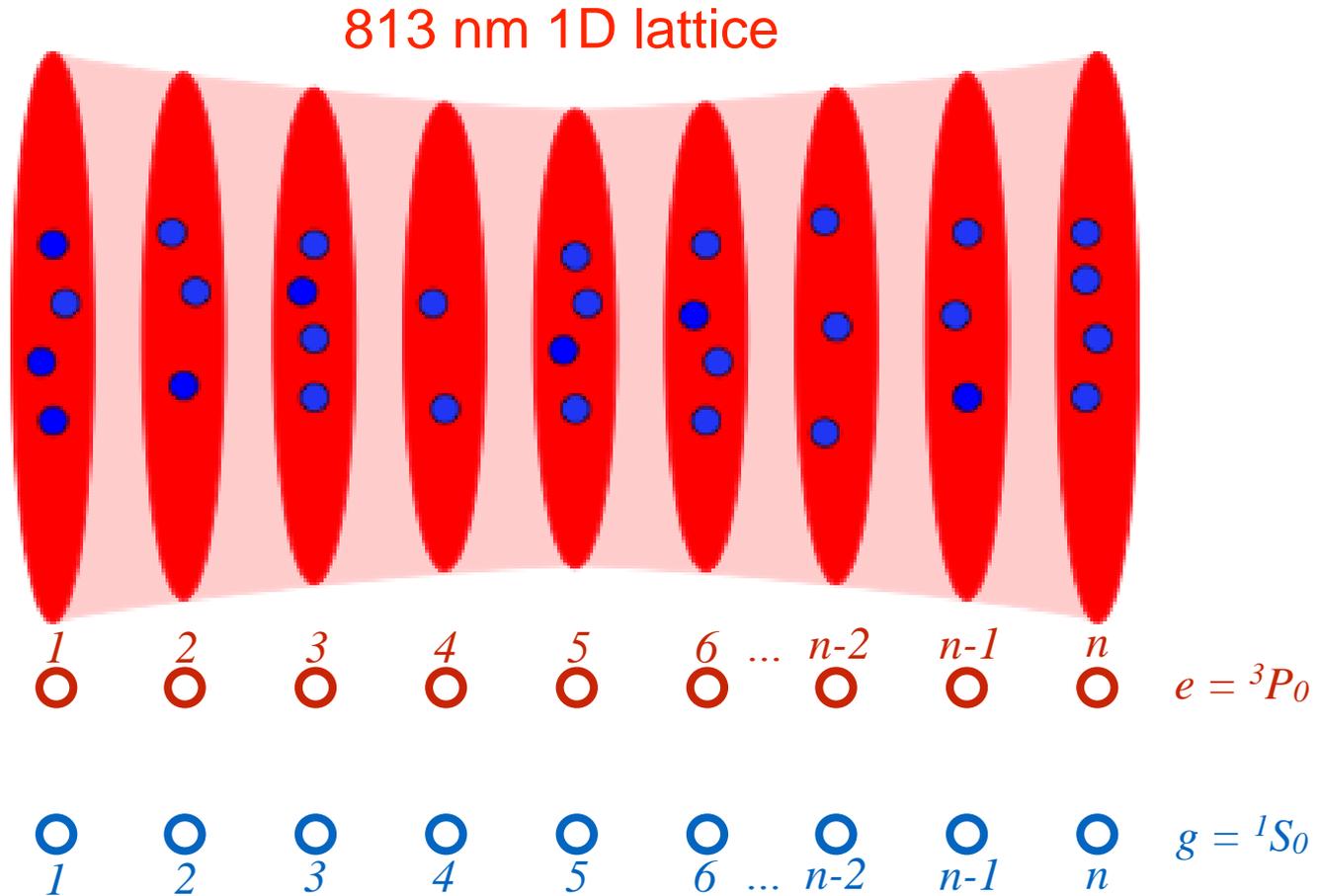
Synthetic magnetic field in the clock

813 nm 1D lattice

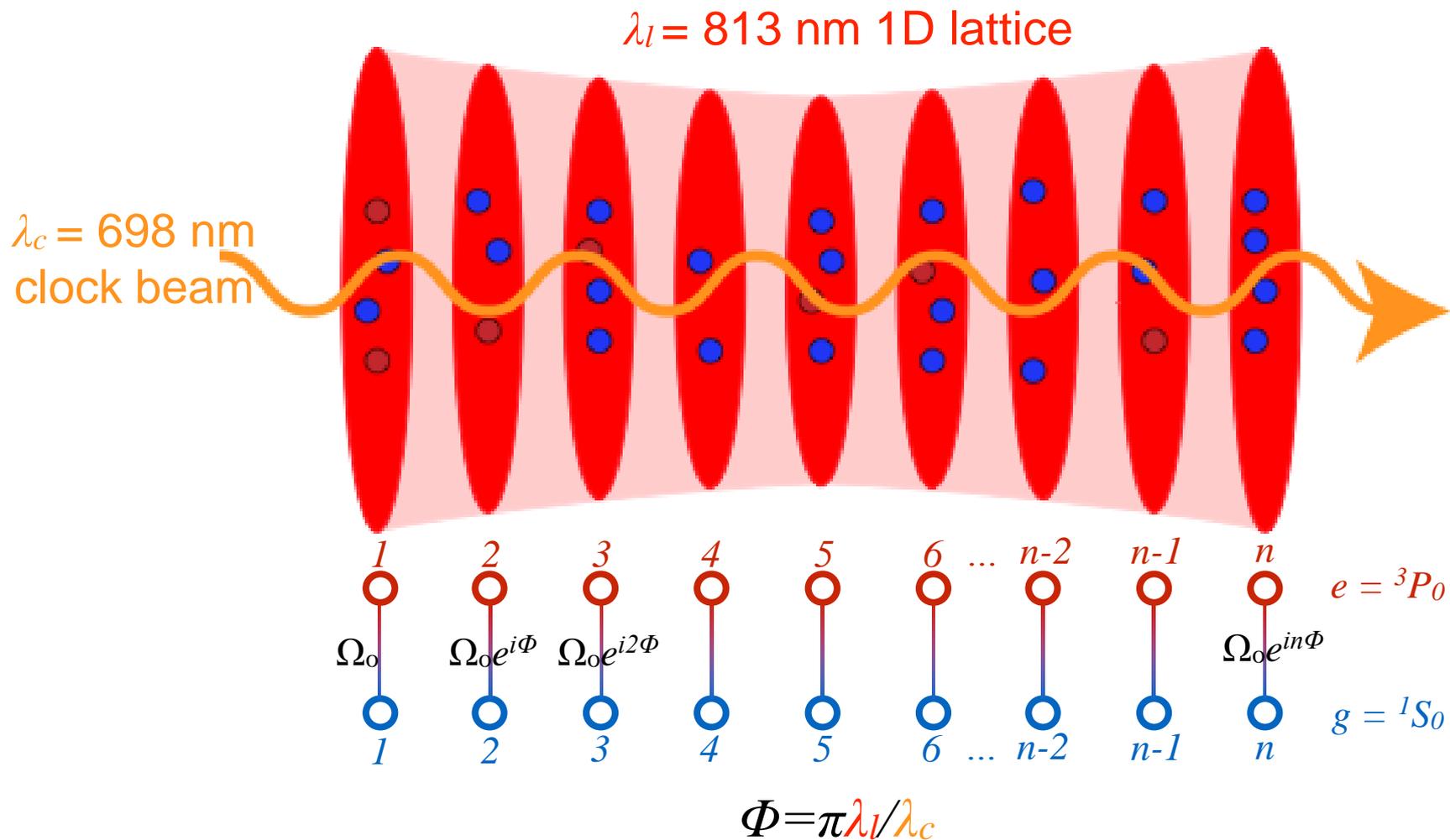


1 2 3 4 5 6 ... $n-2$ $n-1$ n

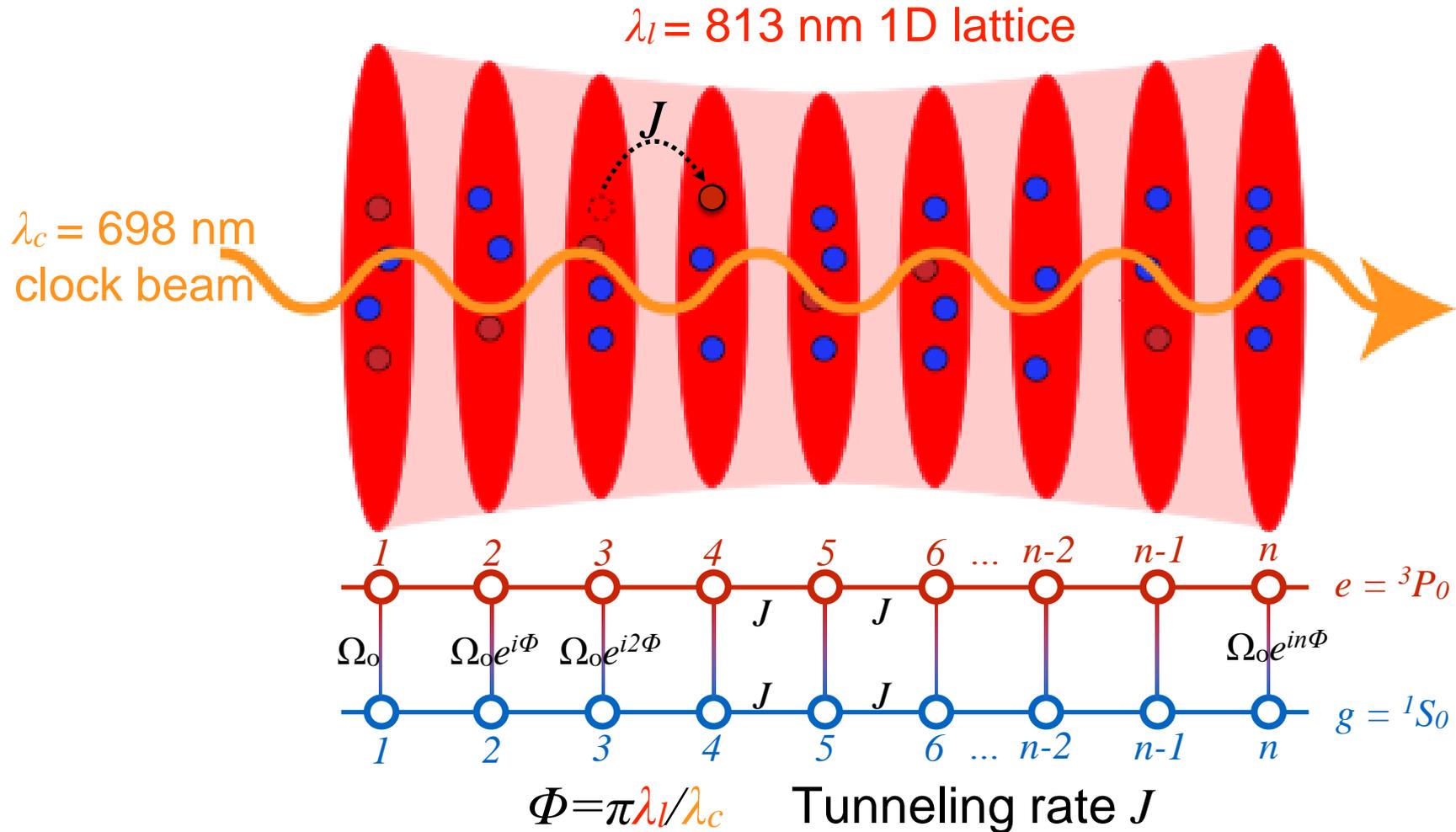
Synthetic magnetic field in the clock



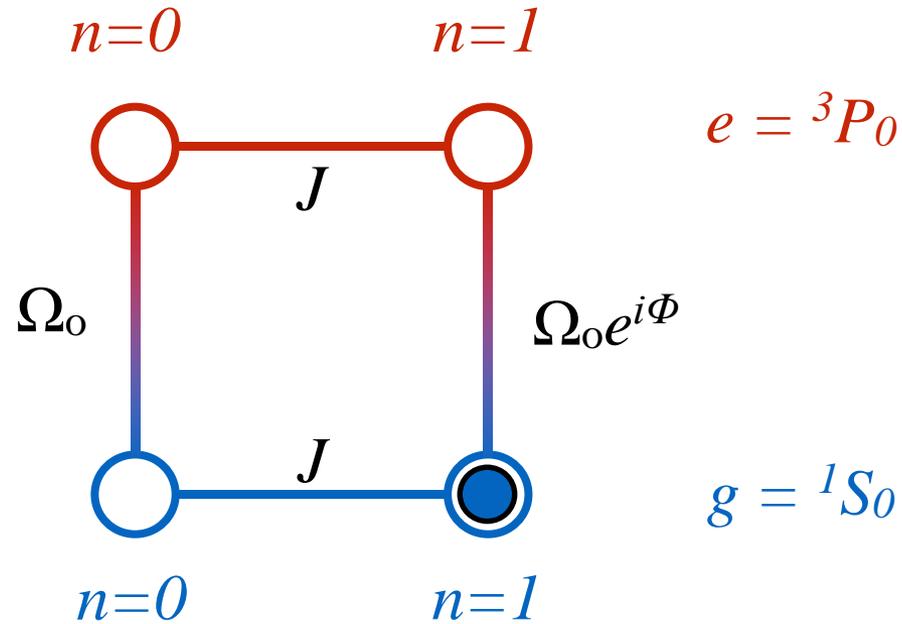
Synthetic magnetic field in the clock



Synthetic magnetic field in the clock

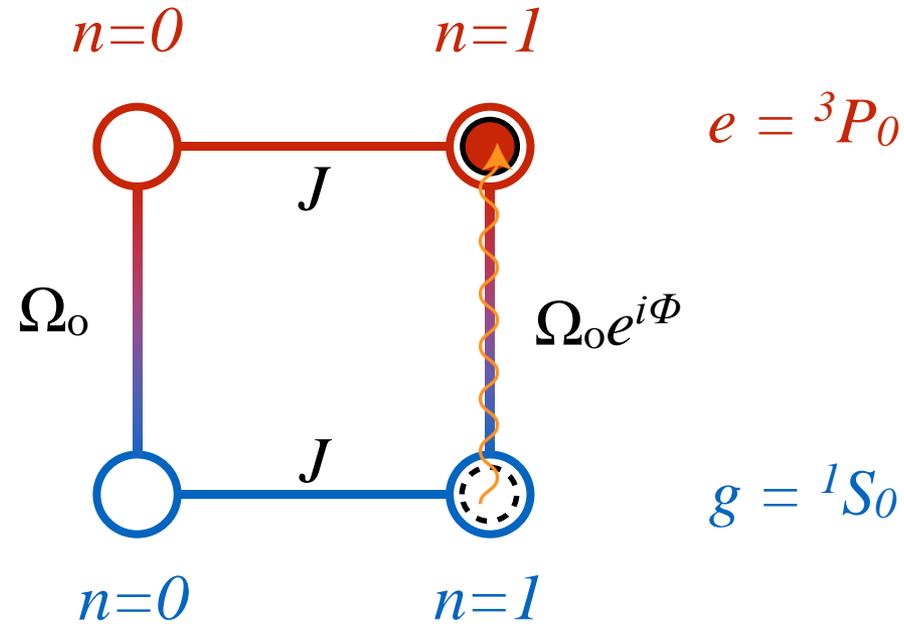


Synthetic magnetic field in the clock



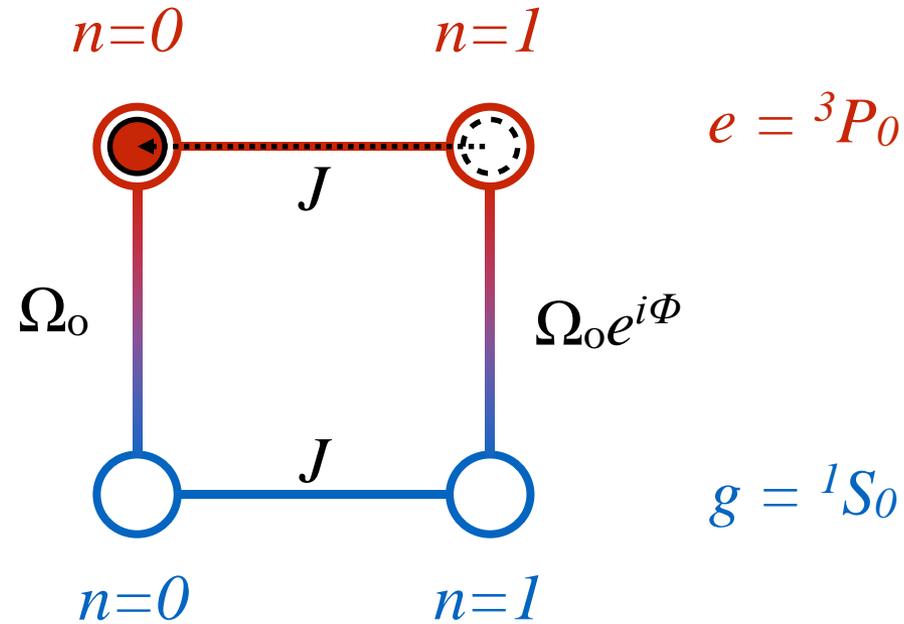
$$\psi_0 = |1, g\rangle$$

Synthetic magnetic field in the clock



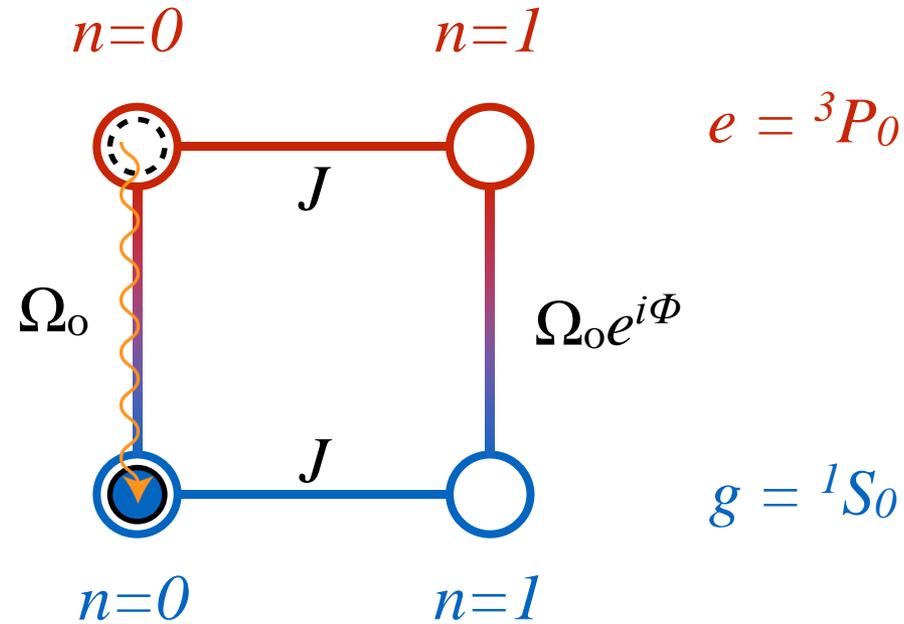
$$\psi_1 = e^{i\phi} |1, e\rangle$$

Synthetic magnetic field in the clock



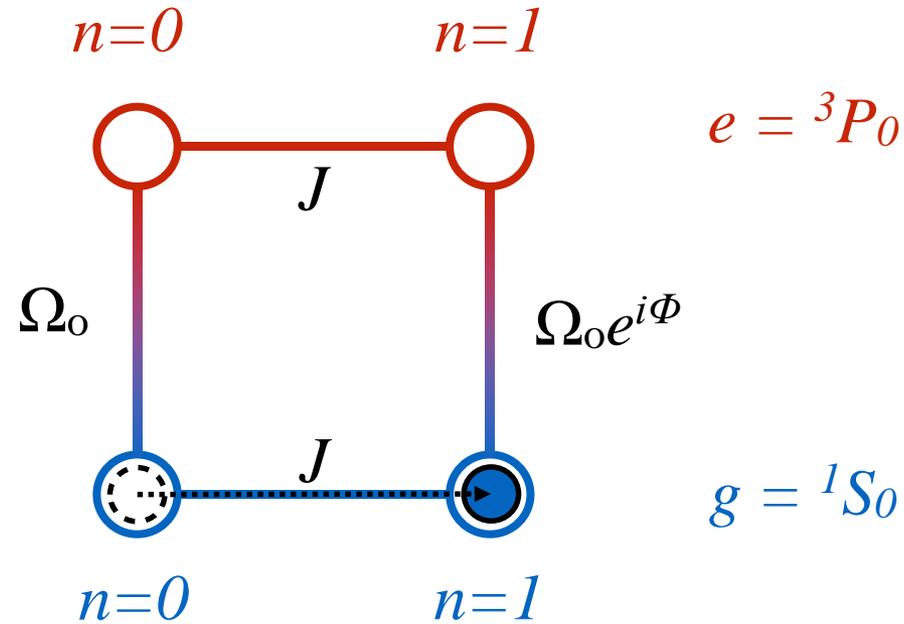
$$\psi_2 = e^{i\phi} |0, e\rangle$$

Synthetic magnetic field in the clock



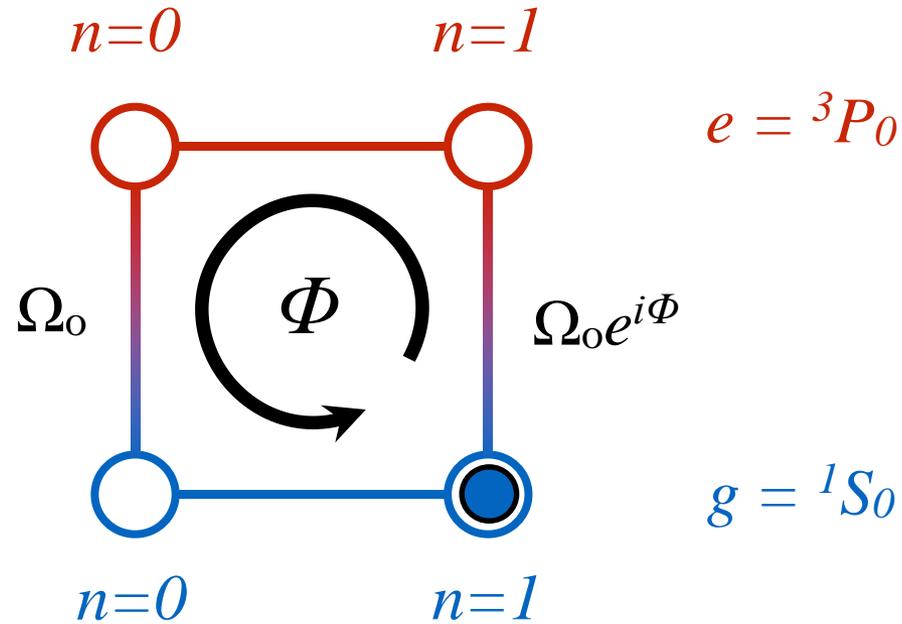
$$\psi_3 = e^{i\phi} |0, g\rangle$$

Synthetic magnetic field in the clock



$$\psi_f = e^{i\phi} |1, g\rangle$$

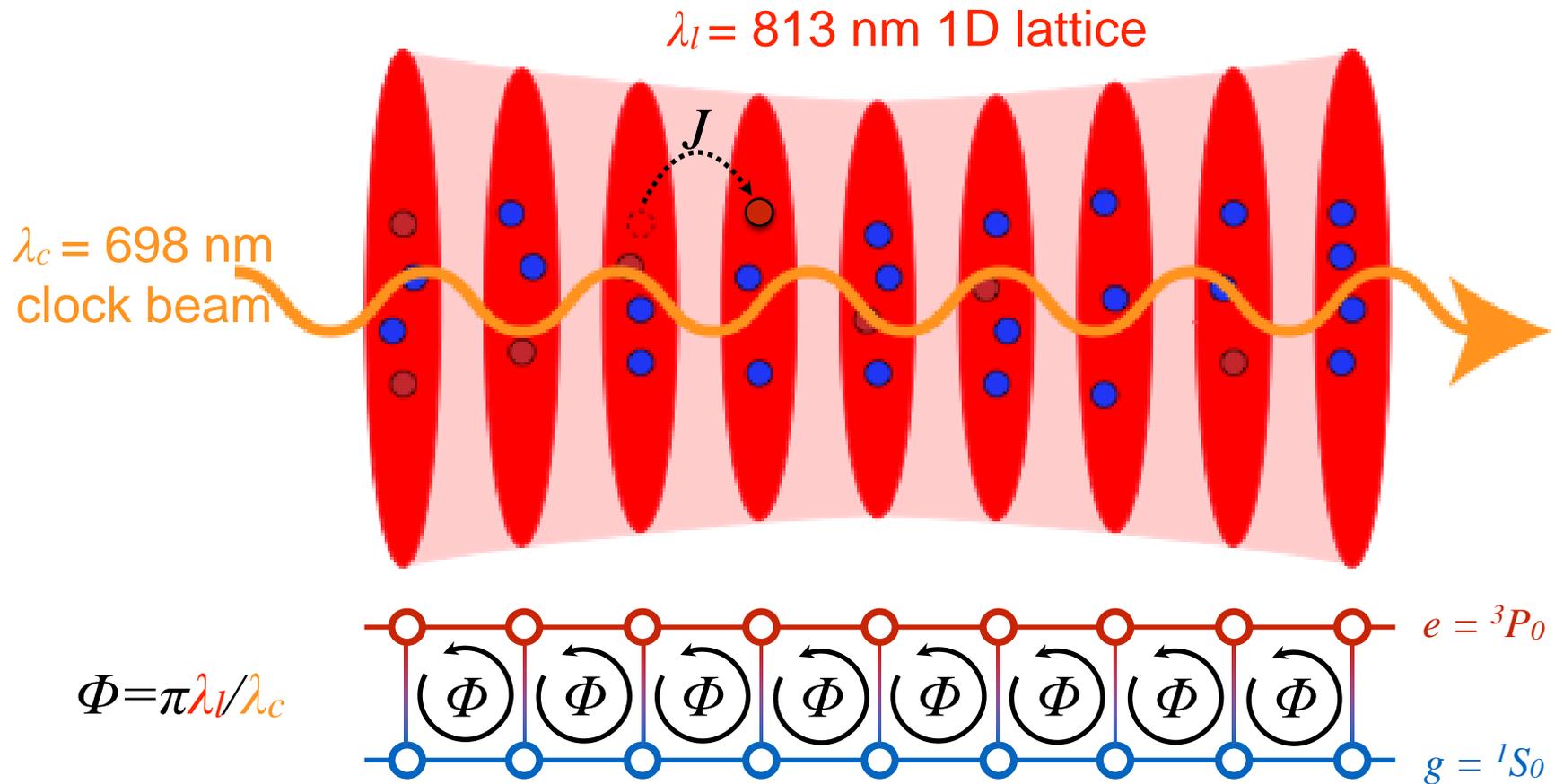
Synthetic magnetic field in the clock



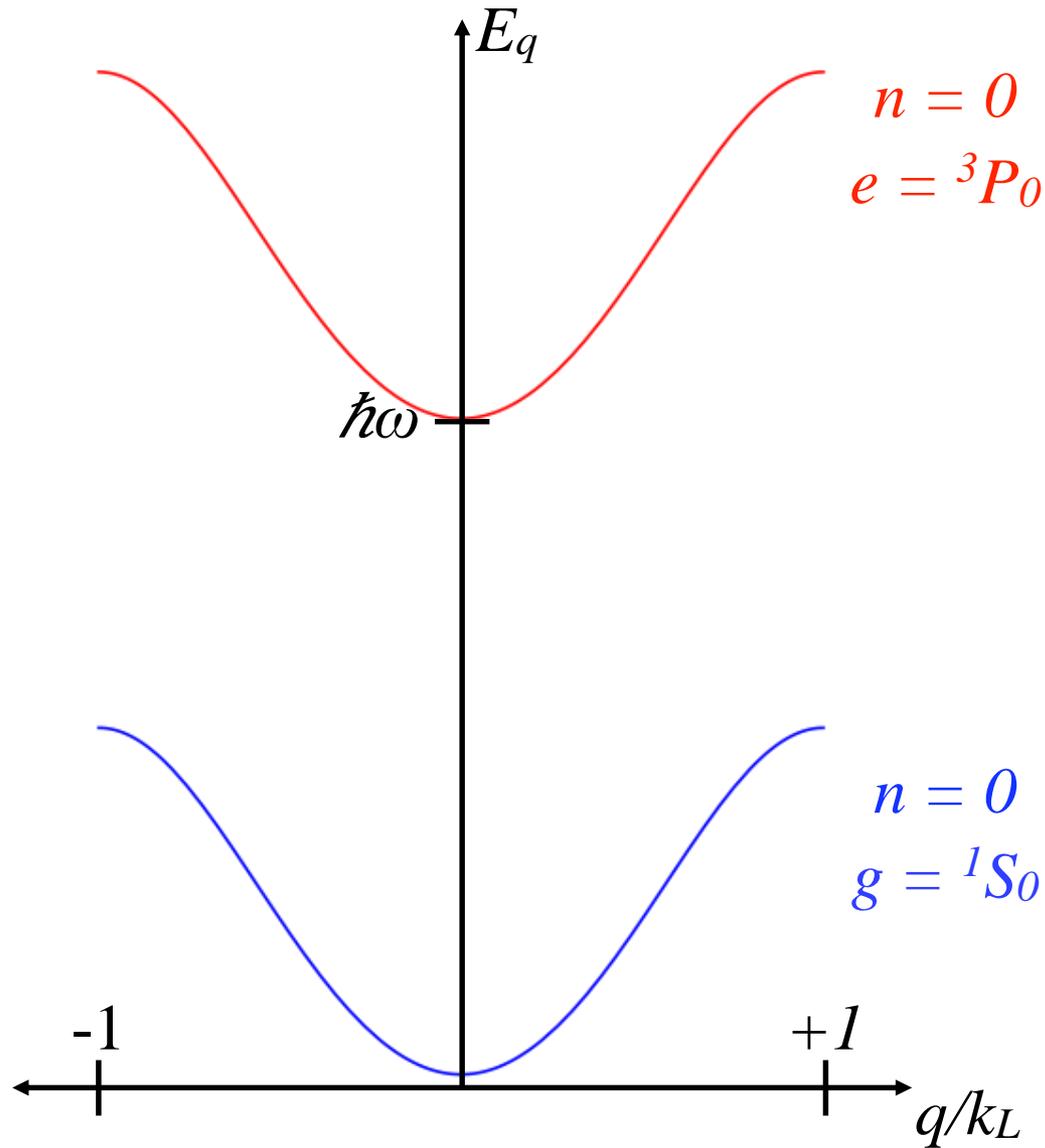
$$\psi_f = e^{i\phi} \psi_o$$

Synthetic magnetic field in the clock

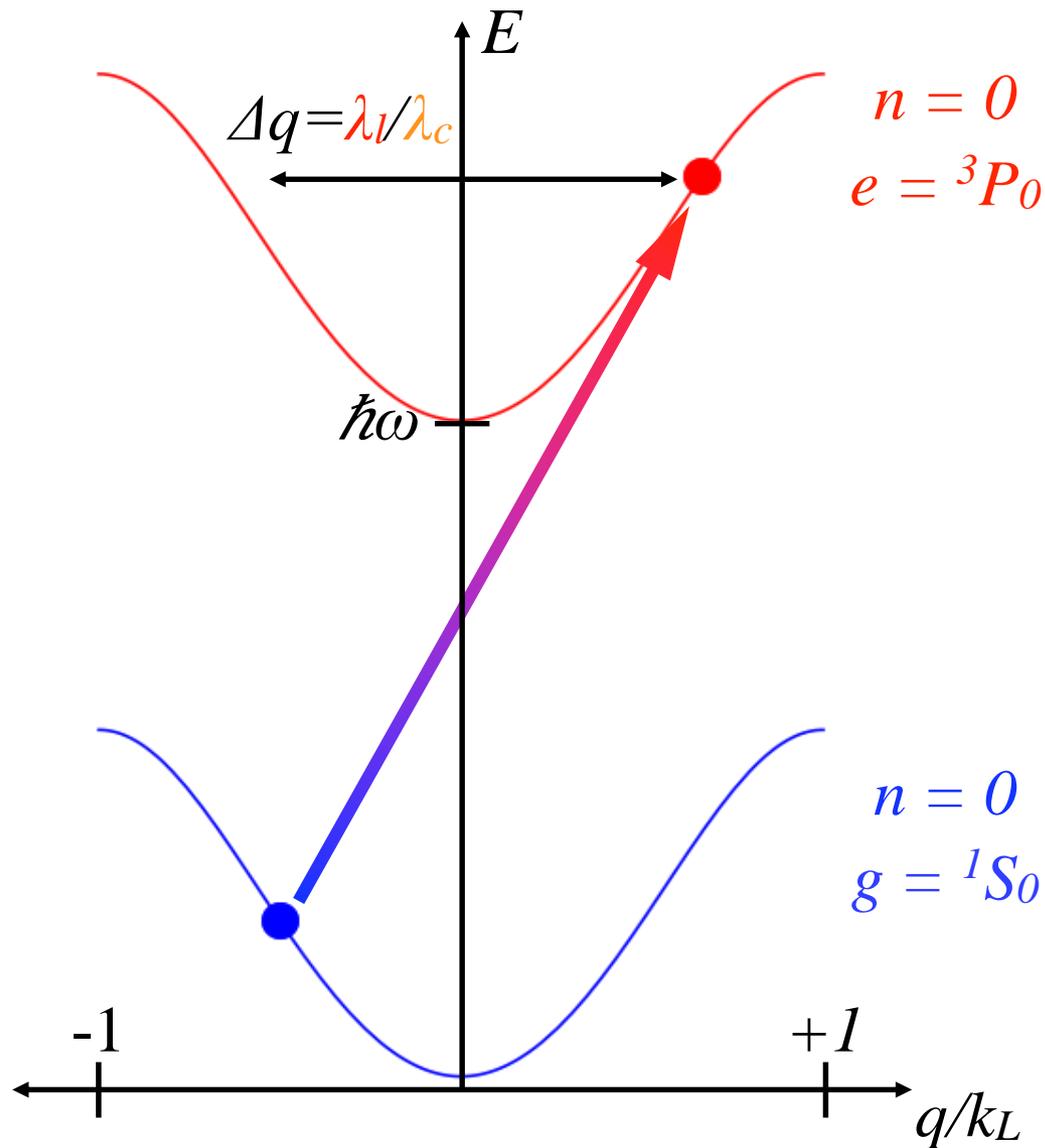
- Charged fermion in a synthetic magnetic field
- Clock transition for spectroscopy
- Many-body interaction under spin-orbit coupling



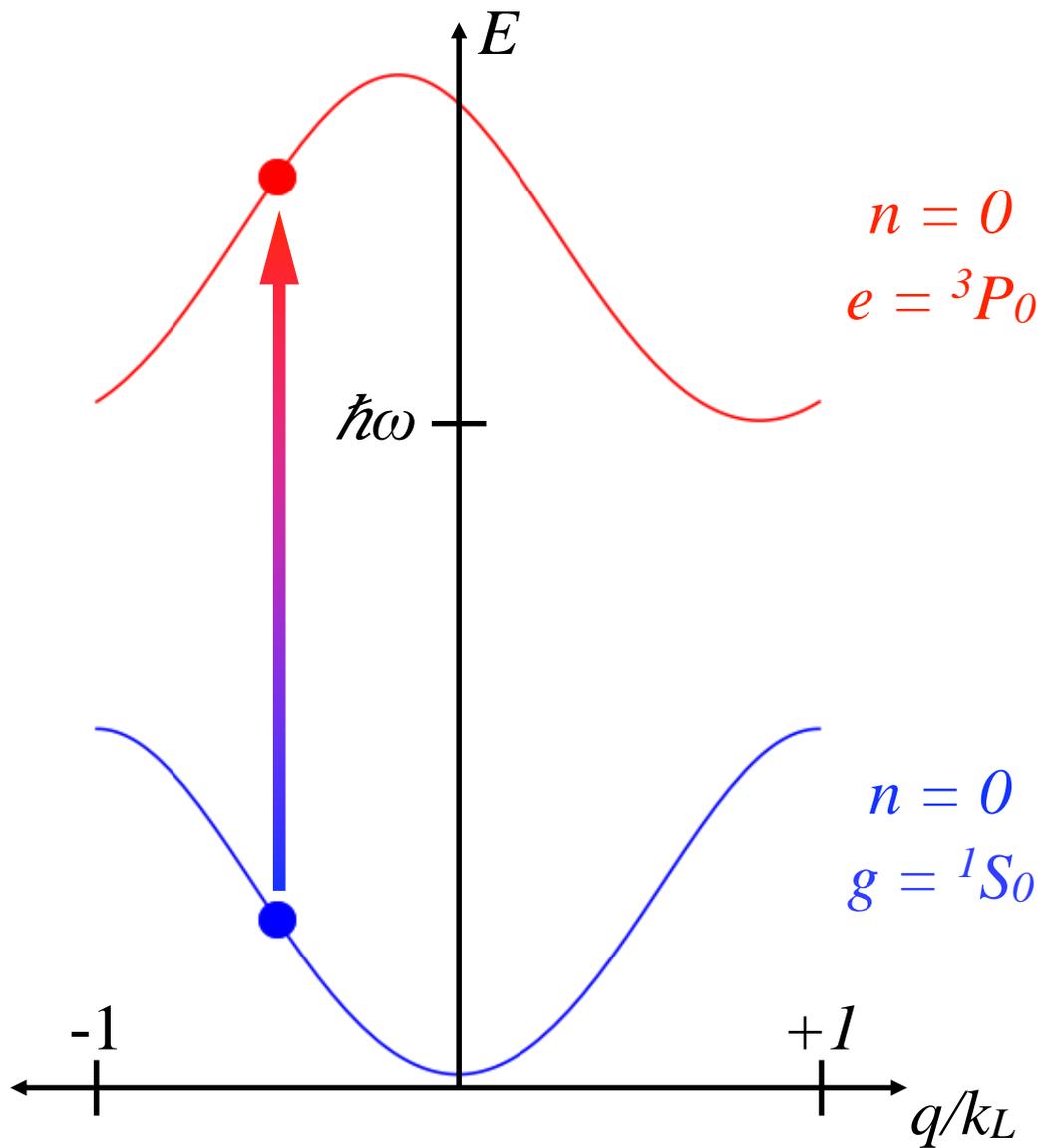
Spin-orbit coupled band structure



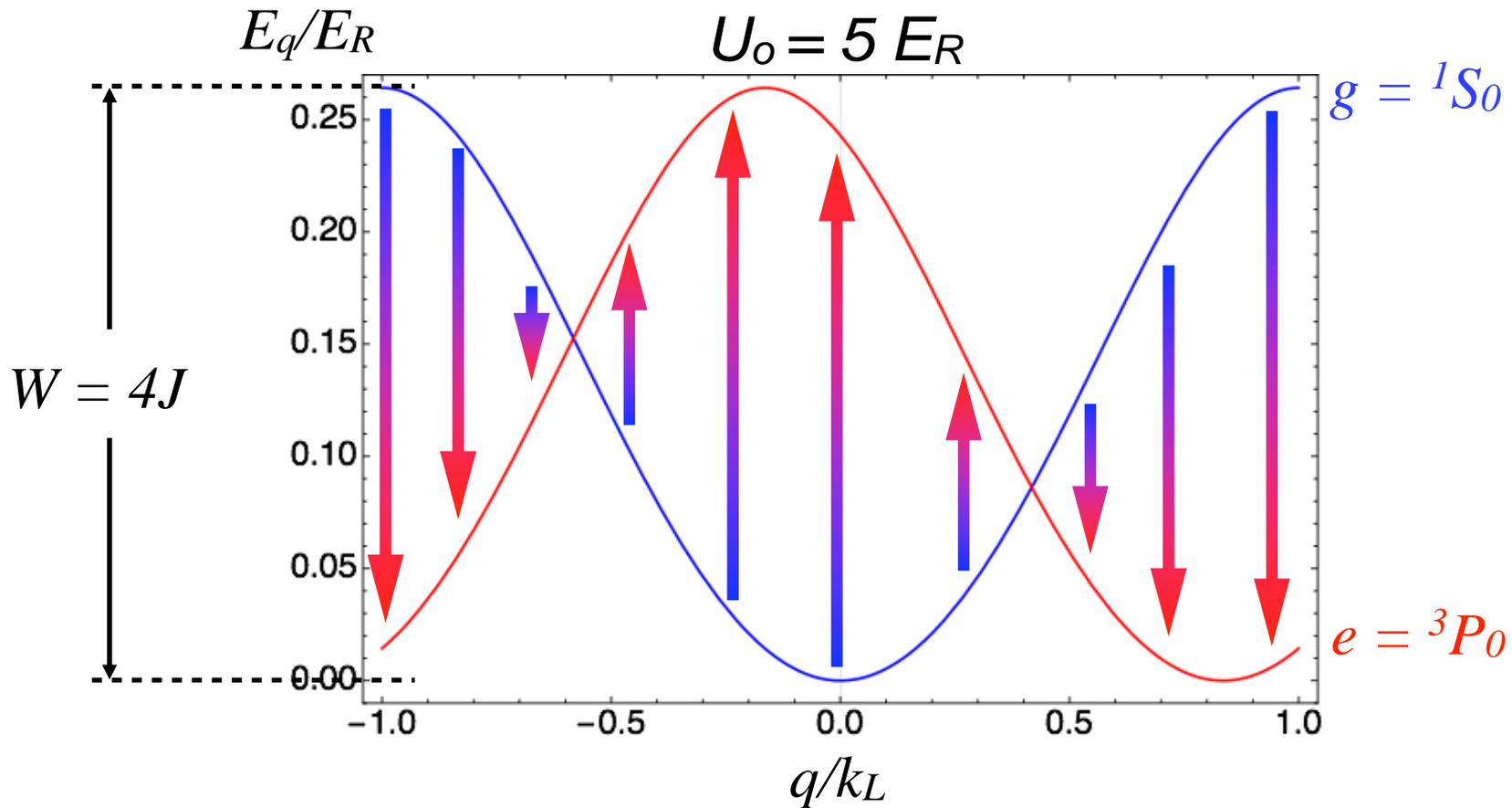
Spin-orbit coupled band structure



Spin-orbit coupled band structure

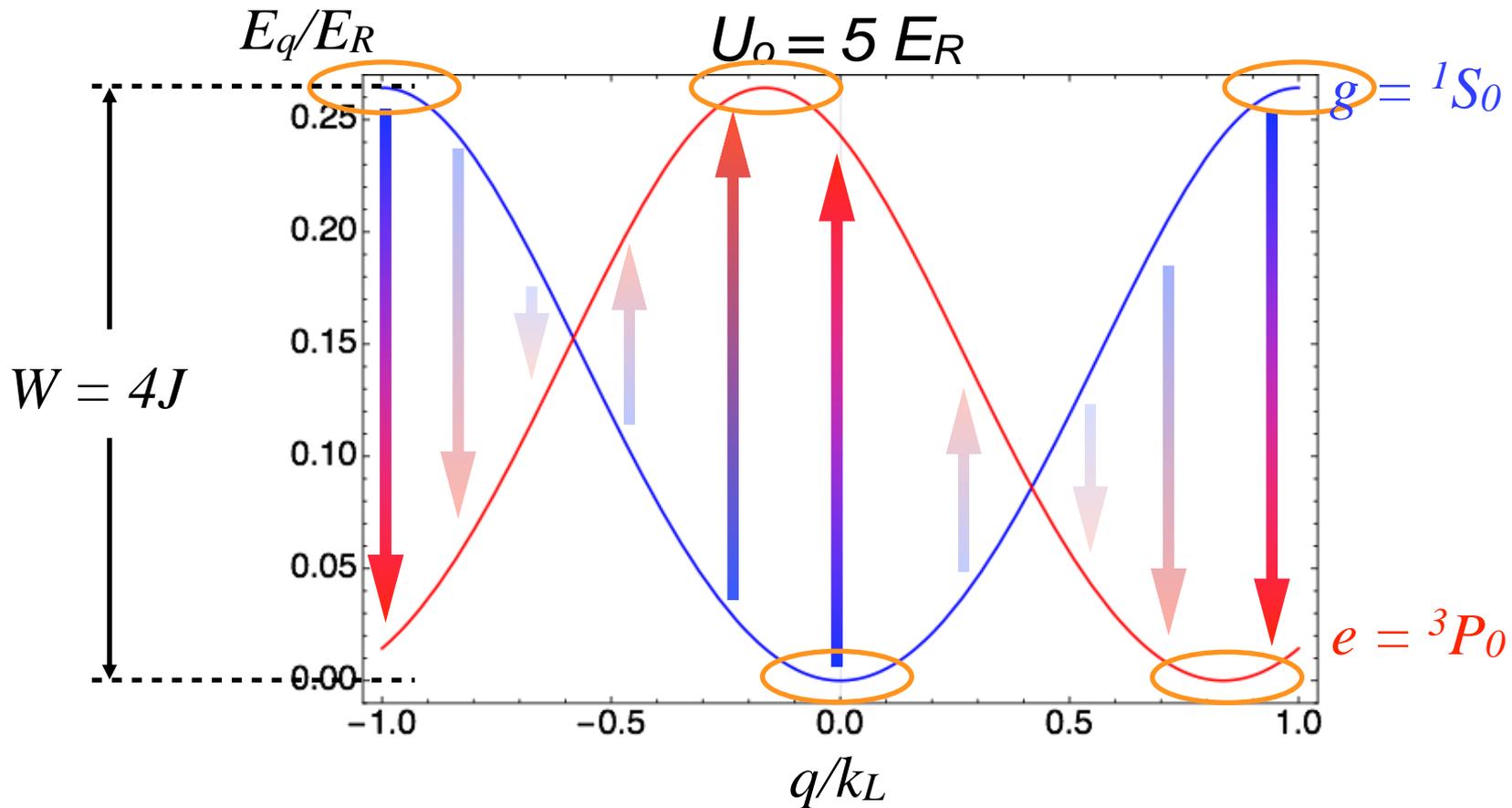


Spin-orbit coupled band structure



Varying detuning at different quasi-momenta
→ broadening of the transition.

Spin-orbit coupled band structure

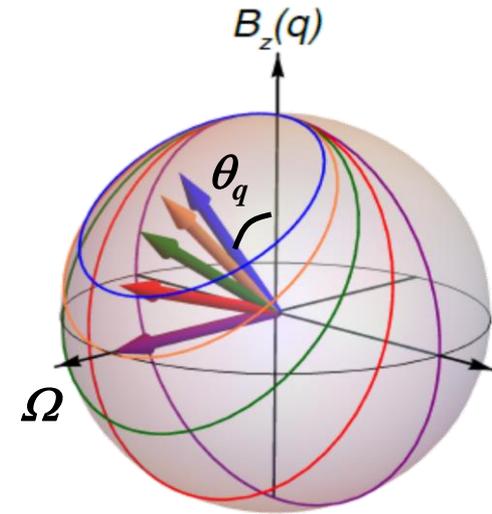
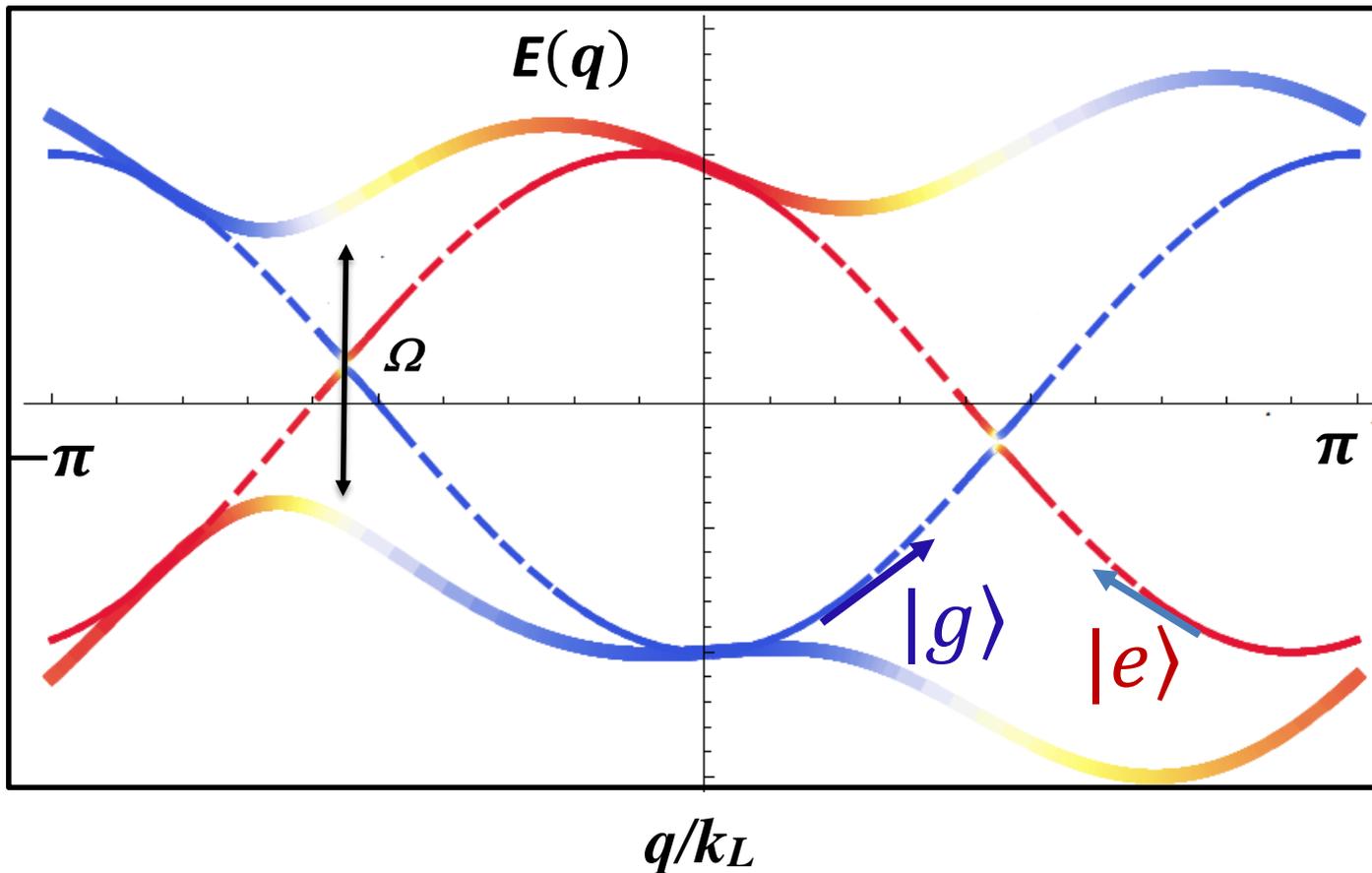


Density of states diverge at $dE/dk = 0$:
van Hove singularities

Probe spin-orbit coupled band structure

$$H_q = -\Omega S^x - (\Delta E(q) + \delta) S^z = \vec{B}_{eff}(q, \delta) \cdot \hat{S}$$

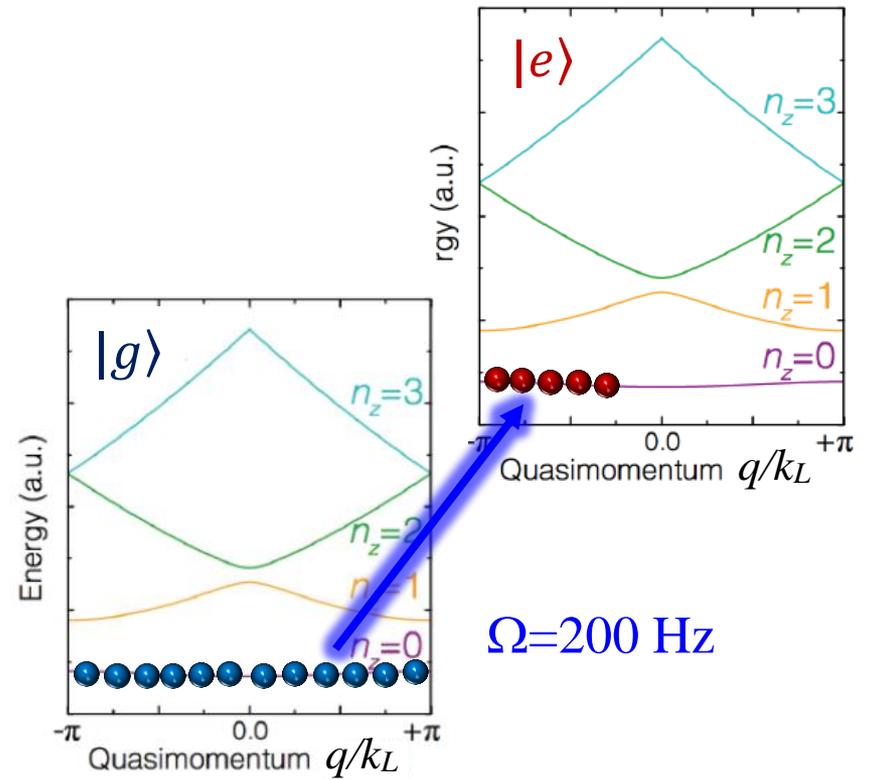
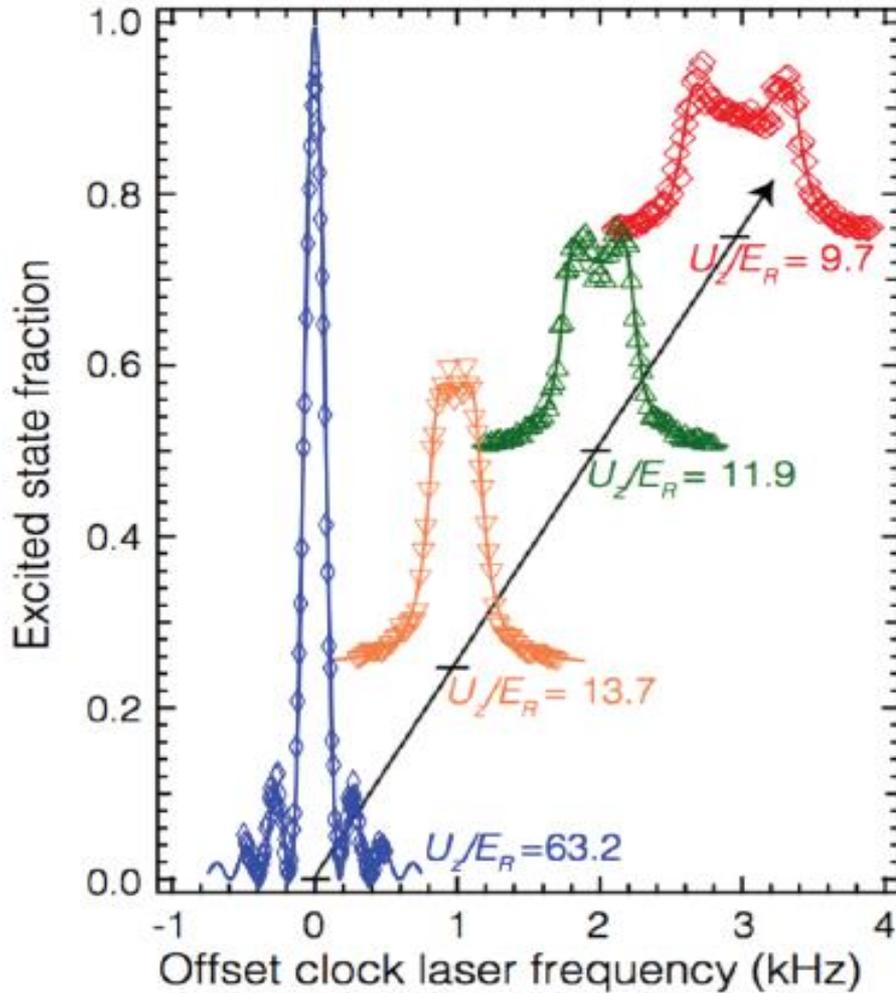
$$\Delta E(q) = -J [\cos(\pi q/k_L + \Phi) - \cos(\pi q/k_L)]$$



Spin-motion locking: non-zero chirality determined by θ_q

Rabi spectroscopy

Lowest band



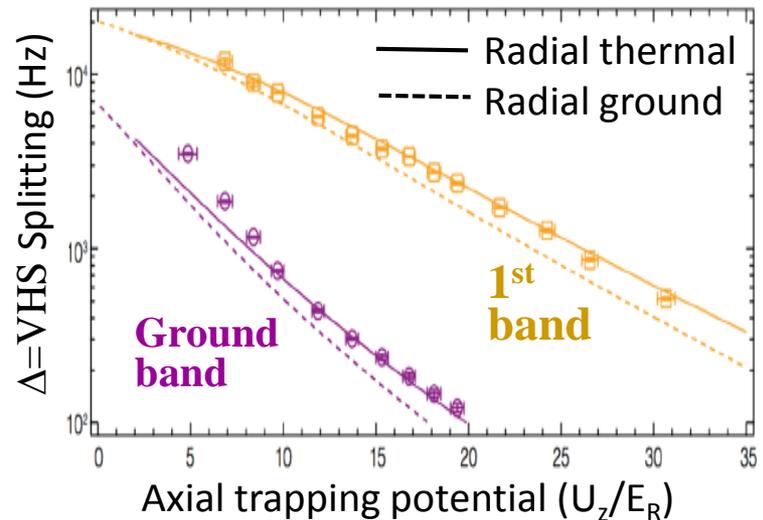
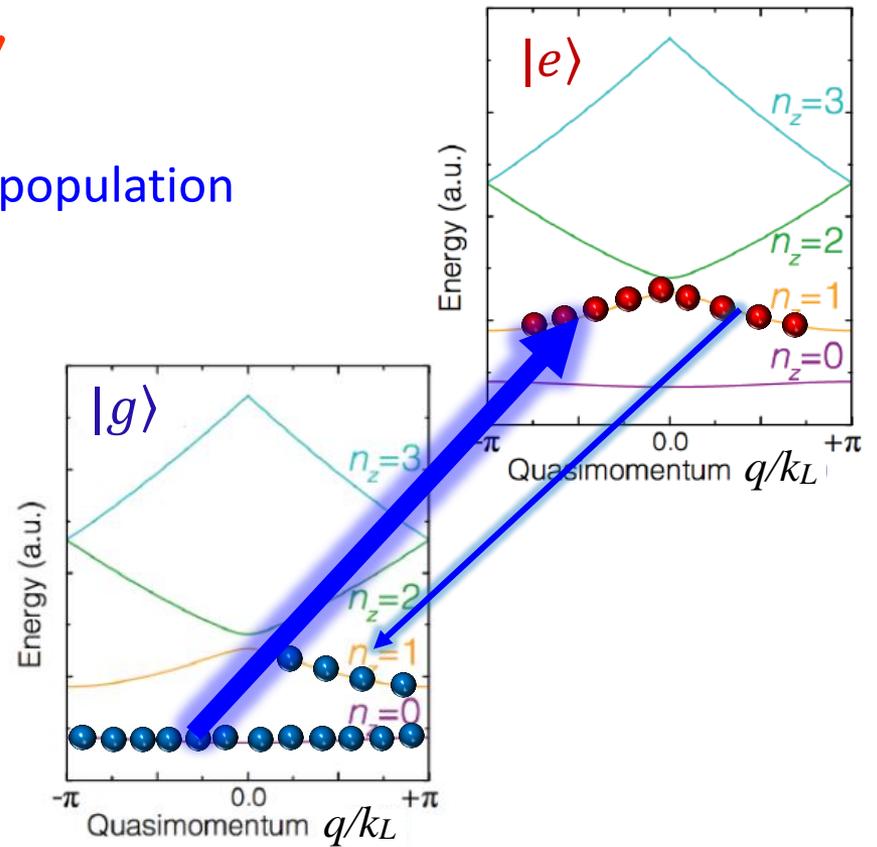
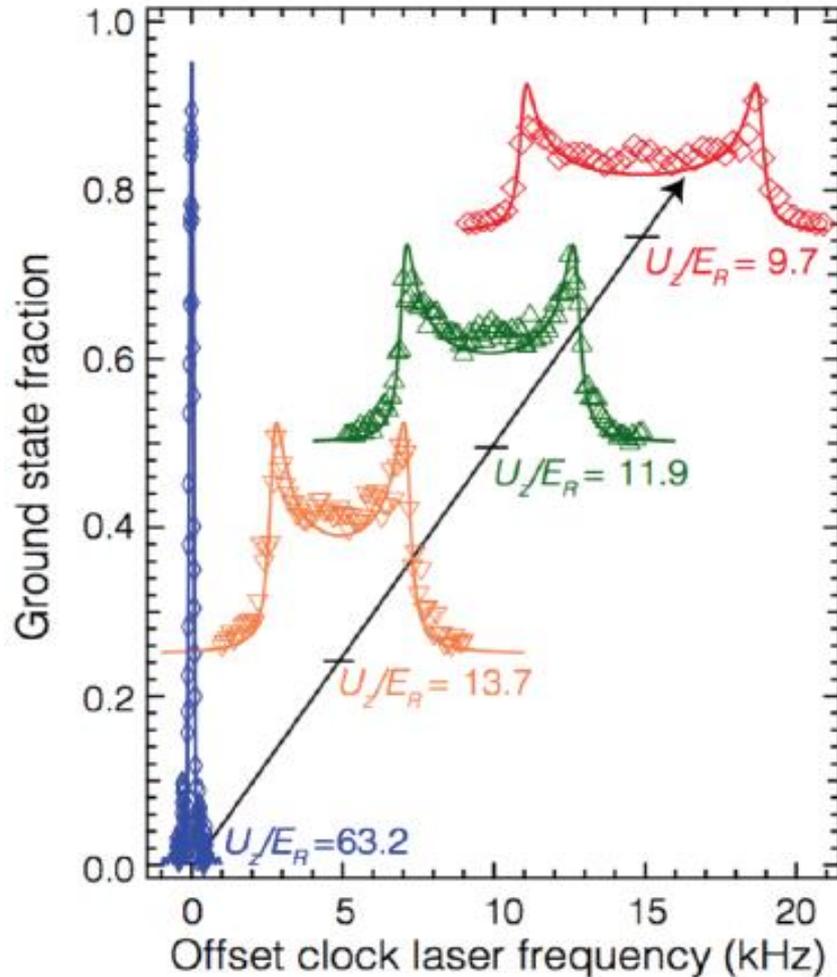
Lines: theory

Symbols: experiment

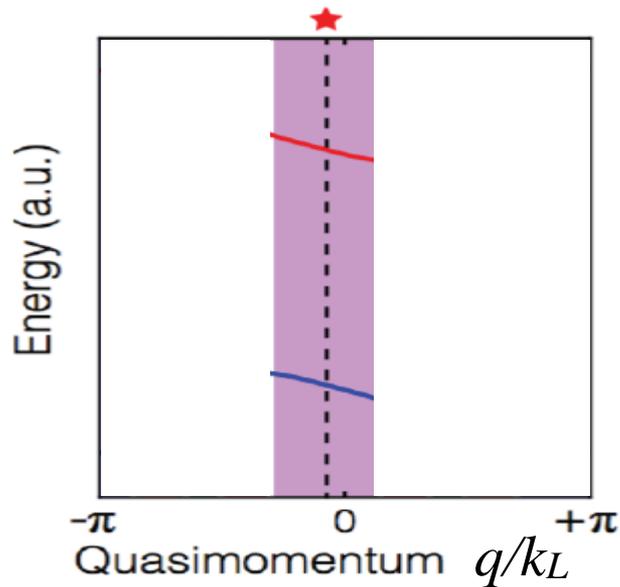
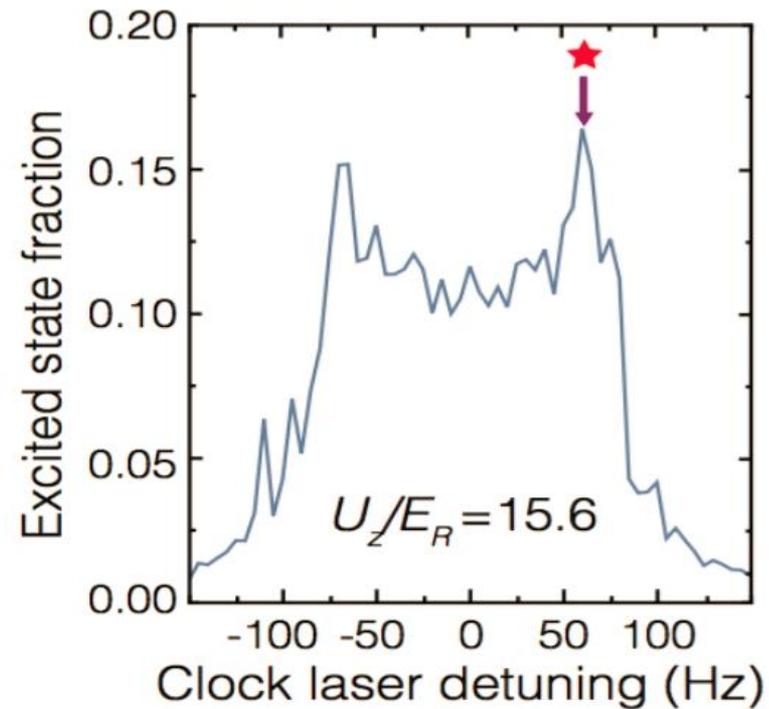
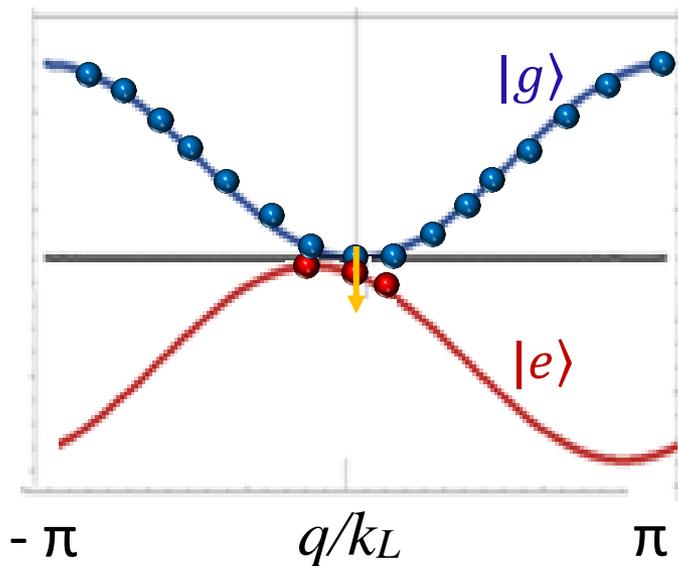
Rabi spectroscopy

- ✓ Spectroscopic control of excited band population
- ✓ No band relaxation for ~ 1 s

First Excited band



Momentum-resolved spectroscopy

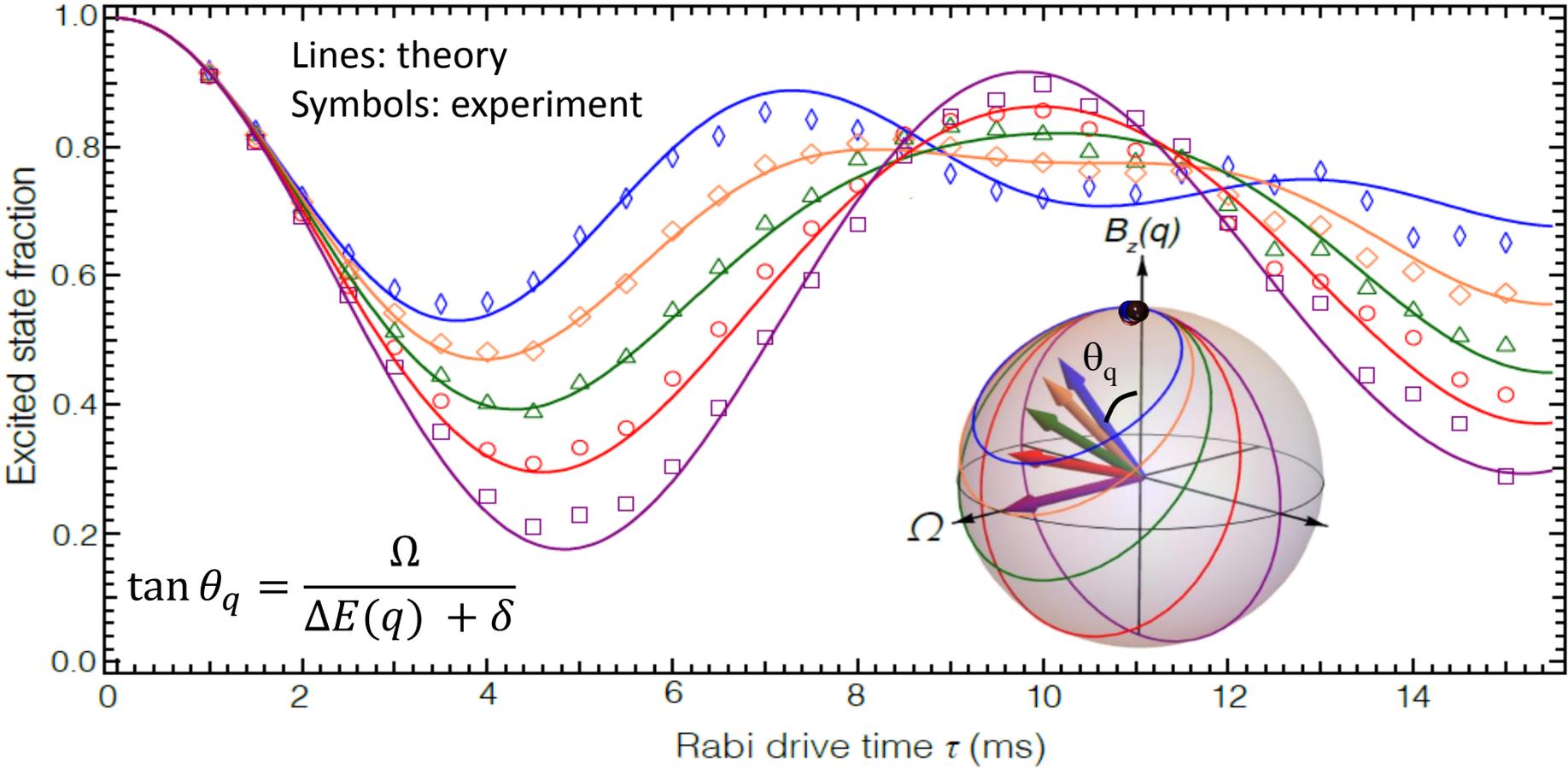
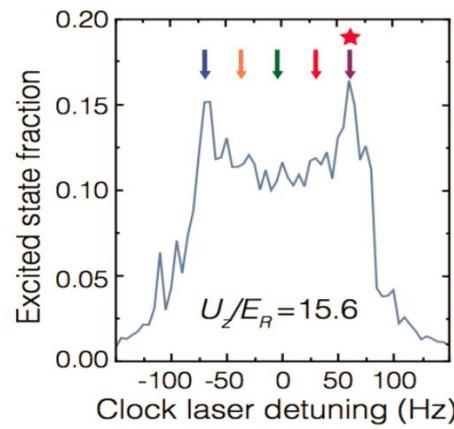


- Momentum selection: π pulse ($g \rightarrow e$), $\Omega = 10$ Hz
- Cleaning pulse: Remove all atoms in g
- Rabi oscillations with $\Omega = 100$ Hz at $\delta = \star$

Momentum-resolved Rabi oscillation

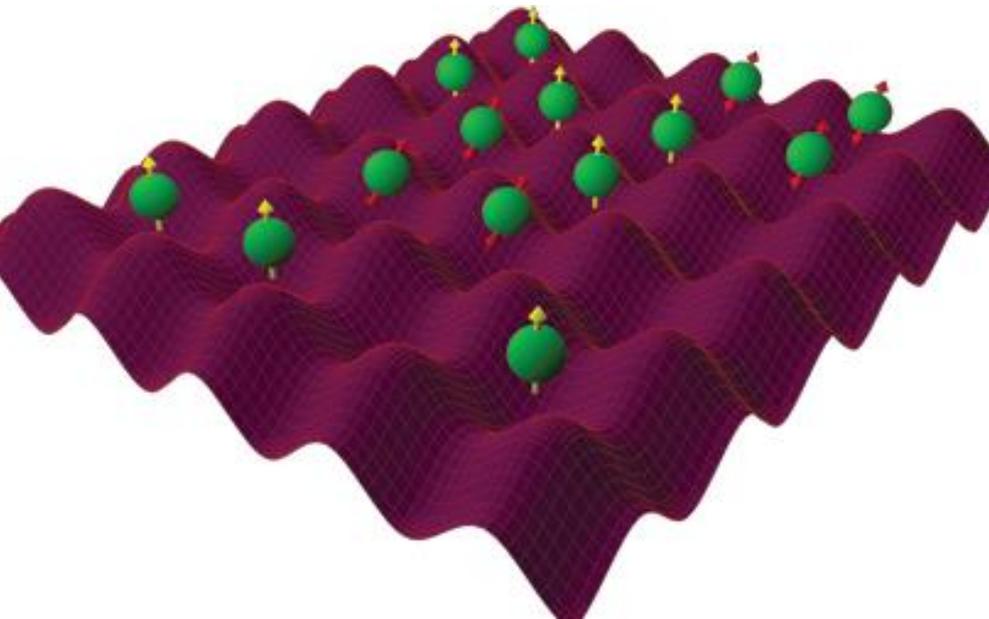
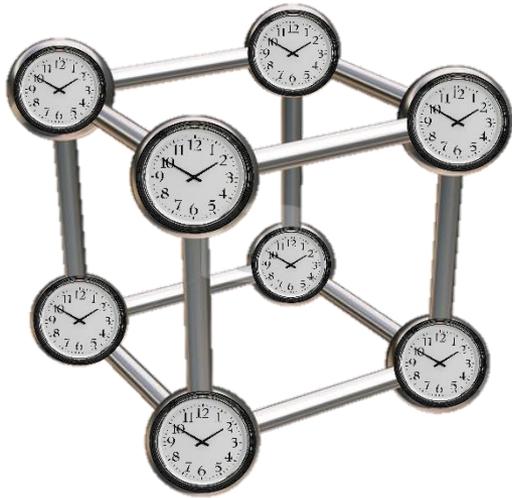
chiral angle θ_q

Clock sensitivity opens the door for investigation of spin-orbit coupled ladders

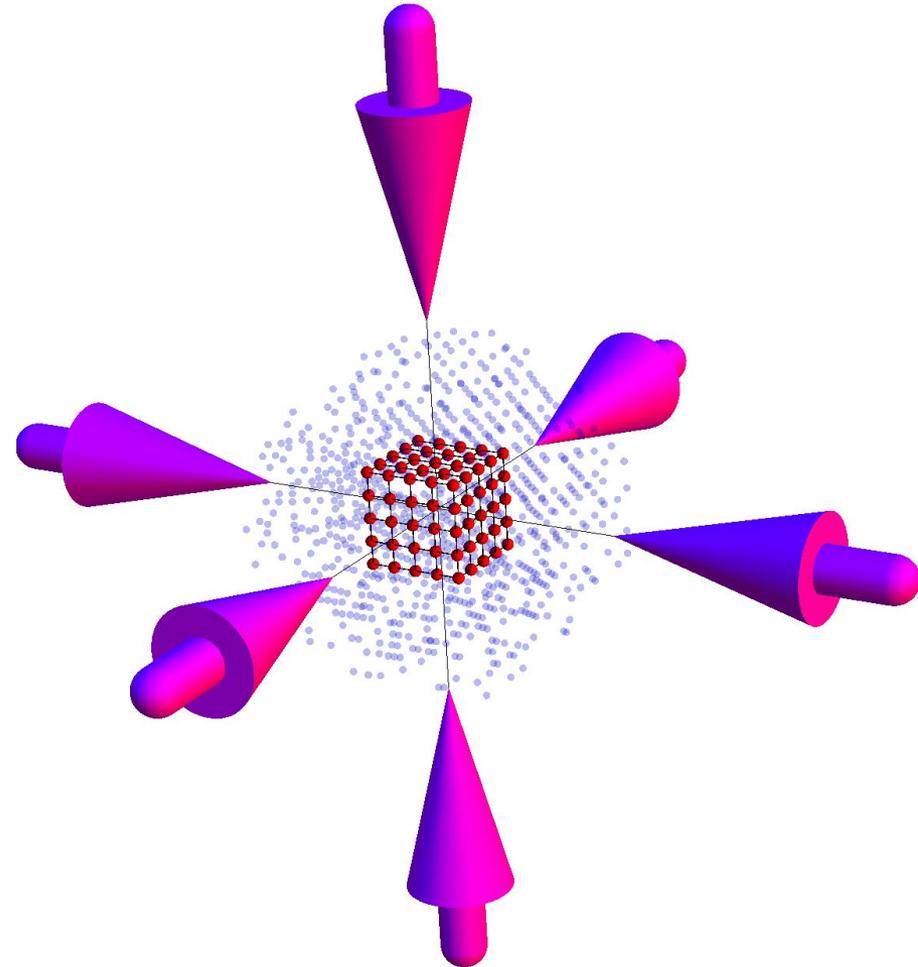


3D Fermi Band Insulator Clock

Scaling up the Sr quantum clock: 1 million atoms, 160 s

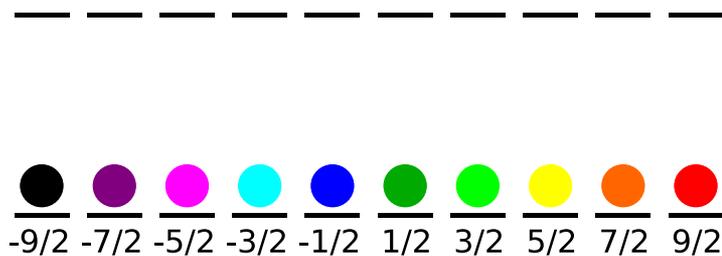
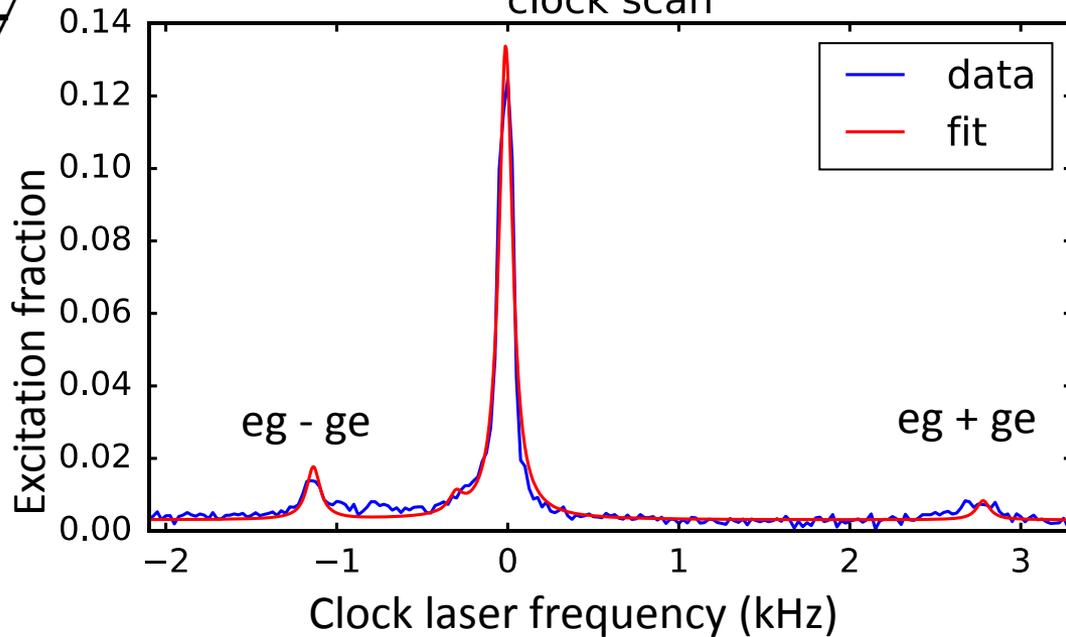
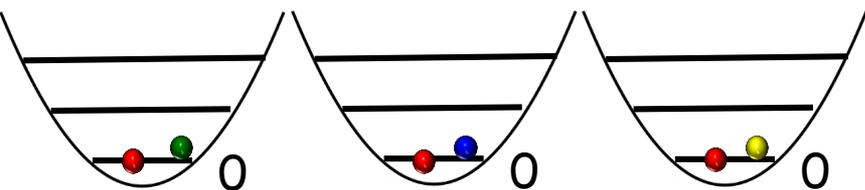
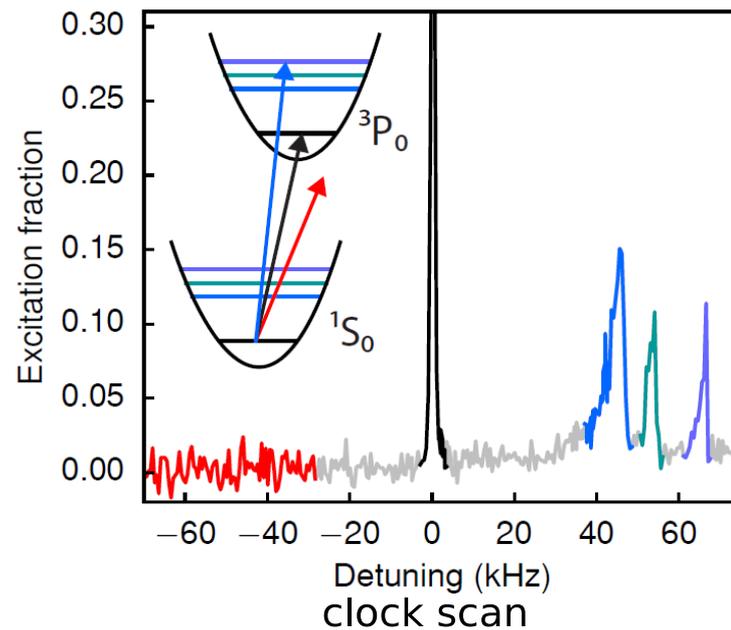
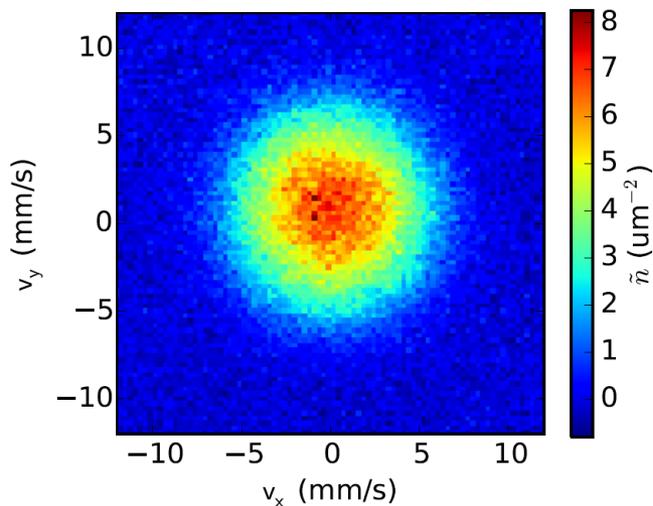


1 atom per site \leftarrow Pauli
Exclusion Principle or energy gap

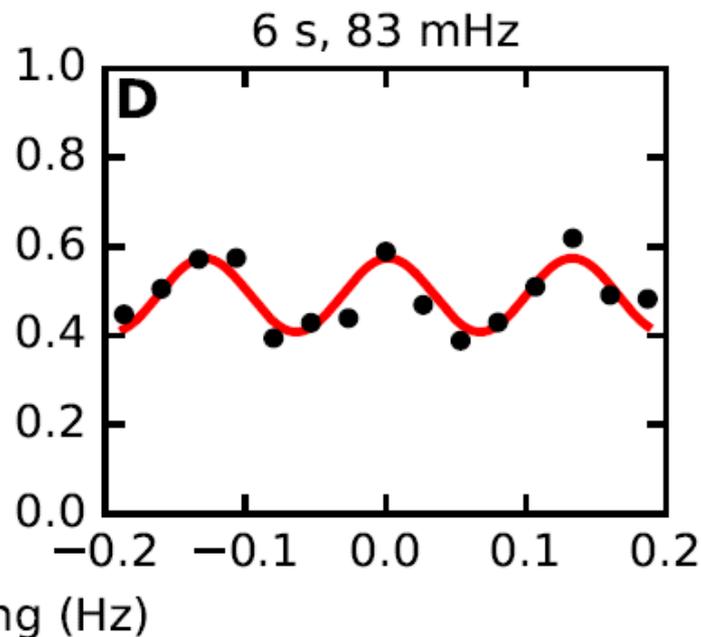
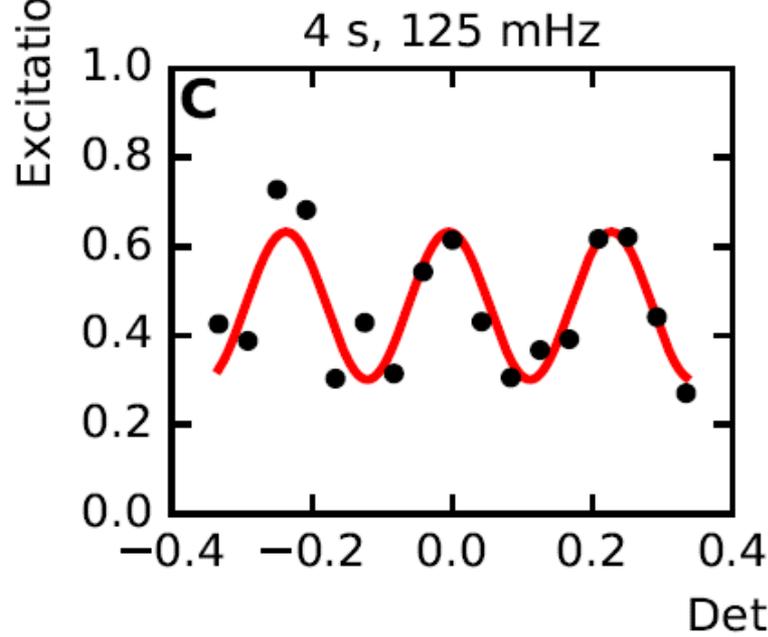
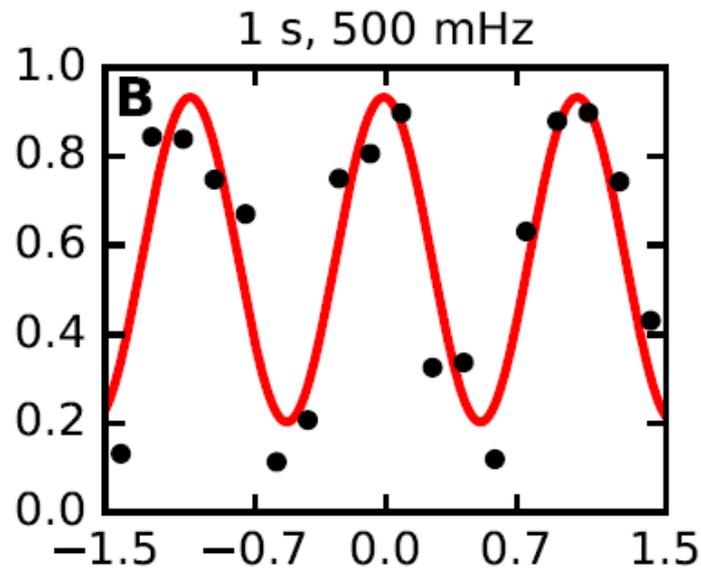
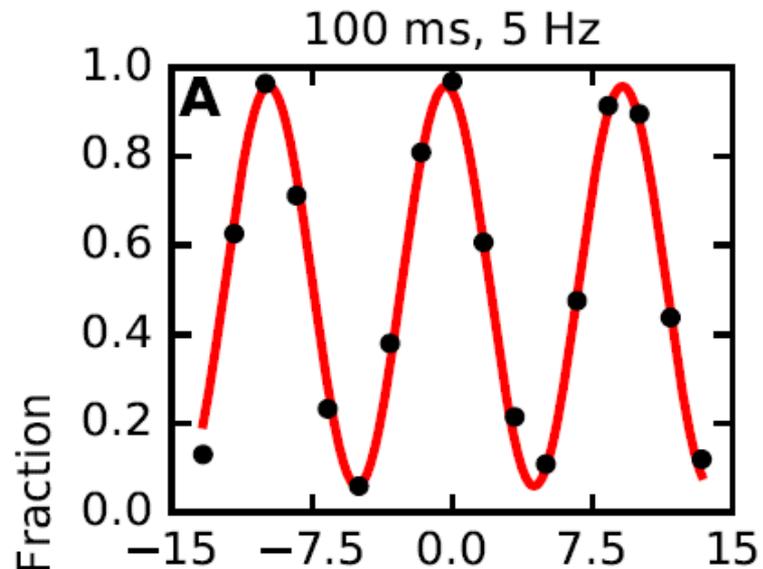


A Fermi Band Insulator Clock

4×10^4 ^{87}Sr atoms; 40 nK; 2 nuclear spin states, each $T/T_F = 0.08$



Record long atom-light coherence



Ramsey fringe
width 0.08 Hz

$Q \sim 5.4 \times 10^{15}$

Sr optical clock (10^{-18})

A. M. Rey

- advancing state-of-the-art

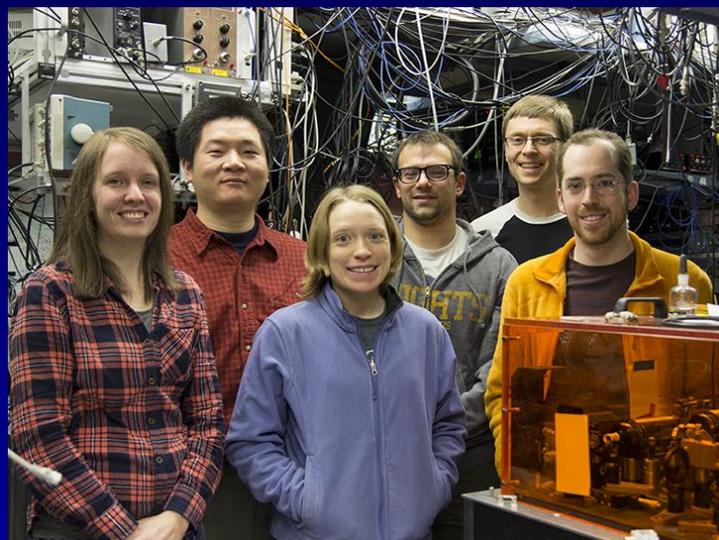


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