

Constraining Dark Energy from the
Abundance of Weak Gravitational Lenses
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Dark energy: cosmological constant or quintessence?

- Goal: determine dark energy equation of state
 $w = p/\rho$
- Cosmological constant $\Rightarrow w = -1$
Quintessence $\Rightarrow w > -1$
- Different w yield different:
 - distance-redshift relation [$D(z)$]
 - power spectrum amplitude [σ_8]
 - rate of structure growth [$g(z), \delta_c, \Delta_{\text{vir}}$]

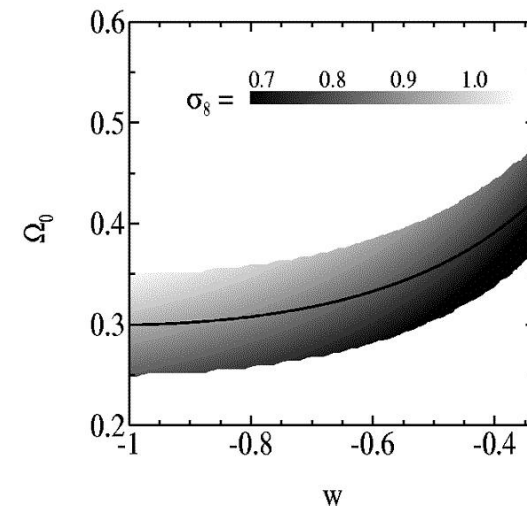
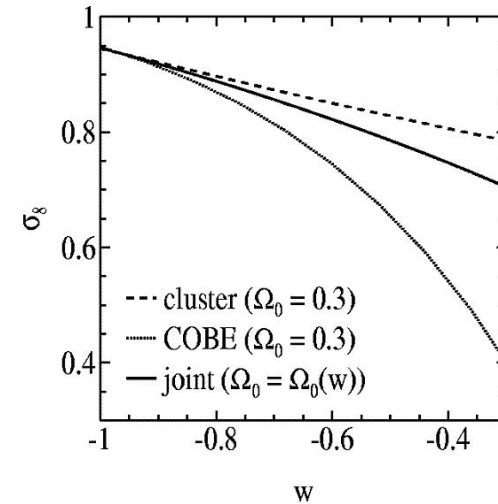
\Rightarrow predicted abundance of weak lenses
changes with w

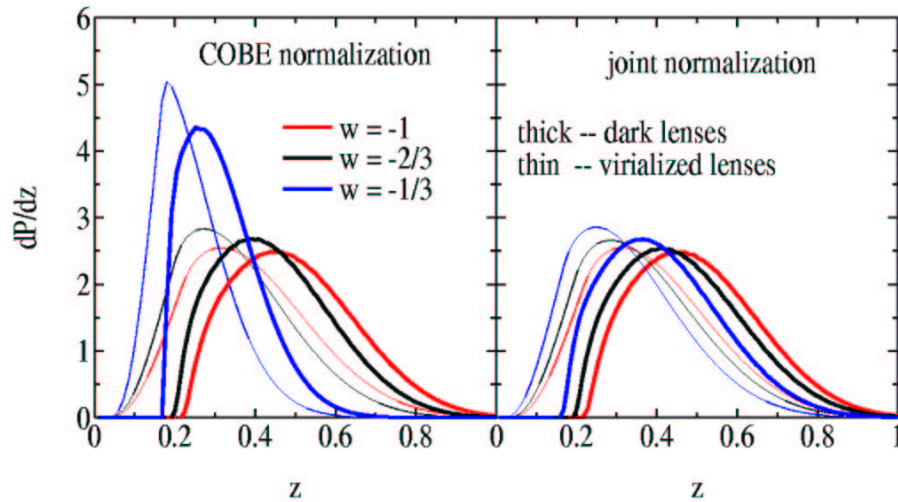
Method:

- find minimum overdensity, Δ_{\min} , for detectable weak lensing signal
- solve spherical-top-hat-collapse with dark energy
 \Rightarrow combining with PS mass function get differential abundance of weak lenses
- 3 possible methods of constraining w using weak lens abundances:
 - redshift distribution
 - number count
 - fraction of lenses that are dark

Footnotes:

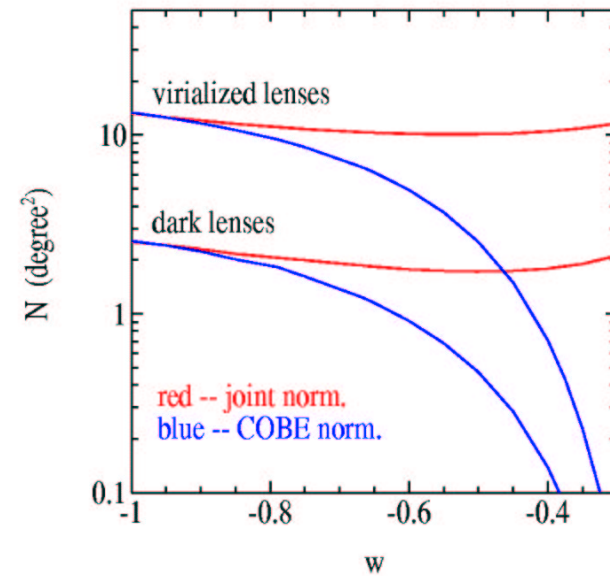
1. can have $\Delta_{\min} < \Delta_{\text{vir}} \Rightarrow$ X-ray underluminous (i.e., dark) lenses
 (observed? Miralles et al. 2002, Erben et al. 2000...)
2. for $w \neq -1$ space curvature inside evolving overdensity time dependent





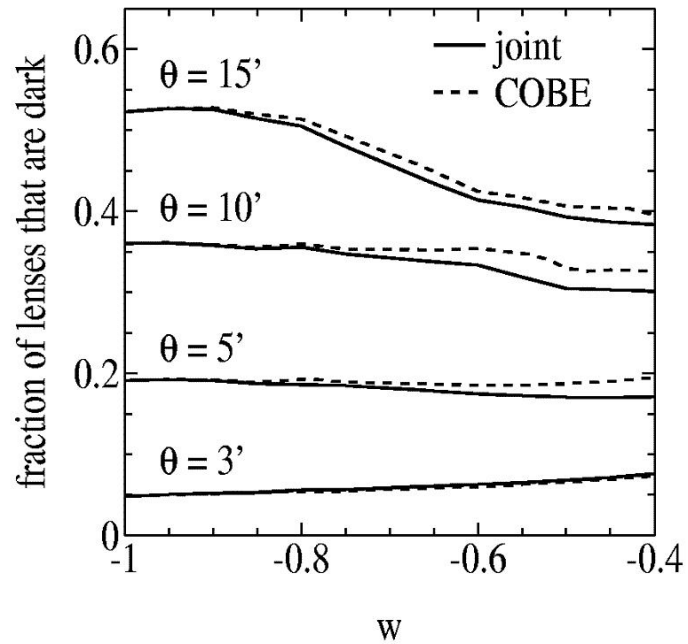
K-S test \Rightarrow

- 200 lenses ($\sim 15 \text{ deg}^2$) to differentiate $w = -1$ from $w = -0.6$ to 3σ
- 2000 lenses ($\sim 150 \text{ deg}^2$) to differentiate $w = -1$ from $w = -0.9$ to 3σ



- for a fixed cosmological model \Rightarrow
 $\sim 40 \text{ deg}^2$ to differentiate $w = -1$ from $w = -0.9$ to 3σ
- given current uncertainties in $\Omega_m \Rightarrow$
 $\sim 90 \text{ deg}^2$ to differentiate $w = -1$ from $w = -0.9$ to 3σ

\rightarrow but fairly big systematic uncertainties (noise in lensing map, density profile...)



- not very sensitive to noise in weak lensing maps or uncertainties in cosmological parameters
- $\sim 50 \text{ deg}^2$ to differentiate $w = -1$ from $w = -0.6$ to 3σ